

# TP de Especificación

## Sudoku

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Algoritmos y Estructuras de Datos I

Grupo 17

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#### 1. Problemas

```
proc sudoku_esTableroValido (in t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, out result: Bool) {
           Pre {True}
            Post \{result = esTableroValido(t)\}
}
proc sudoku_esCeldaVacia (in t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, in f: \mathbb{Z},in c: \mathbb{Z}, out result: Bool) {
            Pre \{esTableroValido(t) \land_L 0 \leq f, c < |t|\}
            Post \{result = (t[f][c] = 0)\}
}
proc sudoku_nroDeCeldasVacias (in t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, out result: \mathbb{Z}) {
            Pre \{esTableroValido(t)\}\
           Post \{\sum_{i=0}^{|t|-1}(\sum_{j=0}^{|t|-1} \text{if } t[i][j]=0 \text{ then } 1 \text{ else } 0 \text{ fi})\}
}
proc sudoku_primeraCeldaVaciaFila (in t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, out result: \mathbb{Z}) {
            Pre \{esTableroValido(t)\}
            Post {if (\exists i : \mathbb{Z})(0 \leq i < |t| \land_L filaTieneCeldaVacia(t[i]) \land_L (\forall j : \mathbb{Z})
                 (0 \le j < i \longrightarrow_L \neg filaTieneCeldaVacia(t[j])))
                 then result = i
                 else result = -1 fi
}
proc sudoku_primeraCeldaVaciaColumna (in t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, out result: \mathbb{Z}) {
            Pre \{esTableroValido(t)\}
            \texttt{Post} \ \{ \text{if} \ (\exists i : \mathbb{Z}) (0 \leq i < |t| \land_L filaTieneCeldaVacia(t[i]) \land_L (\forall j : \mathbb{Z}) (0 \leq j < i \longrightarrow_L \neg filaTieneCeldaVacia(t[j])) \} \} \} 
                 then result = indicePrimeraCeldaVaciaEnFila(t[i])
                 else result = -1 fi
}
proc sudoku_valorEnCelda (in t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, in f: \mathbb{Z}, in c: \mathbb{Z}, out result: \mathbb{Z}) {
            \texttt{Pre} \ \{esTableroValido(t) \land_L 0 \leq f, c \leq 8 \land_L t[f][c] \neq 0\}
            Post \{result = t[f][c]\}
}
proc sudoku_llenarCelda (inout t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, in f: \mathbb{Z}, in c: \mathbb{Z}, in value: \mathbb{Z}) {
            Pre \{esTableroValido(t) \land_L 0 \leq f, c \leq 8 \land_L t[f][c] = 0 \land_L 1 \leq value \leq 9 \land_L t = t_0\}
            \texttt{Post}\ \{t[f][c] = value \land_L (\forall i : \mathbb{Z})(\forall j : \mathbb{Z})((0 \le i, j < |t| \land_L (i \ne f \lor j \ne c)) \longrightarrow_L t[i][j] = t_0[i][j])\}
}
proc sudoku_vaciarCelda (inout t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, in f: \mathbb{Z}, in c: \mathbb{Z}) {
            Pre \{esTableroValido(t) \land_L 0 \leq f, c \leq 8 \land_L t[f][c] \neq 0 \land_L t = t_0\}
            \texttt{Post}\ \{t[f][c] = 0 \land_L (\forall i : \mathbb{Z})(\forall j : \mathbb{Z})((0 \le i, j < |t| \land_L (i \ne f \lor j \ne c)) \longrightarrow_L t[i][j] = t_0[i][j])\}
}
proc sudoku_esTableroParcialmenteResuelto (in t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, out result: Bool)) {
            Pre {True}
            Post \{result = esTableroParcialmenteResuelto(t)\}
}
```

```
proc sudoku_esTableroTotalmenteResuelto (in t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, out result: Bool) {
          Pre {True}
          Post \{result = esTableroTotalmenteResuelto(t)\}
}
proc sudoku_esSubTablero (in t_0, t_1 : seq\langle seq\langle \mathbb{Z} \rangle \rangle, out result : Bool){
          Pre {True}
          Post \{result = esSubTablero(t_0, t_1)\}
}
proc sudoku_tieneSolucion (in t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, out tieneSolucion: Bool) {
          Pre \{esTableroValido(t)\}
          Post \{tieneSolucion = (\exists s : seq\langle seq\langle \mathbb{Z}\rangle\rangle)(esTableroTotalmenteResuelto(s) \land_L esSubTablero(s,t))\}
}
proc sudoku_resolver (inout t: seq\langle seq\langle \mathbb{Z}\rangle\rangle, out tieneSolucion: Bool) {
          Pre \{esTableroValido(t) \land_L t = t_0\}
          Post {if (\exists s : seq\langle seq\langle \mathbb{Z}\rangle\rangle)(esTableroTotalmenteResuelto(s) \land_L esSubTablero(s,t))}
               then tieneSolucion = True \land t = s
               else tieneSolucion = False fi
}
proc sudoku_copiarTablero (in src: seq\langle seq\langle \mathbb{Z}\rangle\rangle, out target: seq\langle seq\langle \mathbb{Z}\rangle\rangle\rangle) {
          Pre \{esTableroValido(src)\}
          Post \{esTableroValido(target) \land_L (\forall i : \mathbb{Z})(\forall j : \mathbb{Z})(0 \le i, j < |src| \longrightarrow_L target[i][j] = src[i][j])\}
}
2.
         Predicados y Auxiliares generales
```

```
 \begin{array}{l} \text{pred noHayRepetidosEnFila} \ (s: seq\langle \mathbb{Z} \rangle) \ \{ (\forall i: \mathbb{Z}) (\forall j: \mathbb{Z}) (0 \leq i, j < |s| \wedge j \neq i \longrightarrow_L (s[i] = 0 \vee_L s[j] = 0 \vee_L s[i] \neq s[j]) \} \\ \\ \text{pred noHayRepetidosEnColumna} \ (t: seq\langle seq\langle \mathbb{Z} \rangle \rangle) \ \{ (\forall j: \mathbb{Z}) (0 \leq j < |t| \longrightarrow_L (\forall l: \mathbb{Z}) (\forall k: \mathbb{Z}) (0 \leq l, k < |t| \wedge l \neq k \longrightarrow_L (t[l][j] = 0 \vee_L t[k][j] = 0 \vee_L t[l][j] \neq t[k][j])) \} \\ \\ \text{pred esTableroParcialmenteResuelto} \ (t: seq\langle seq\langle \mathbb{Z} \rangle \rangle) \ \{ esTableroValido(t) \wedge (\forall i: \mathbb{Z}) (0 \leq i < |t| \longrightarrow_L noHayRepetidosEnFila(t[i])) \wedge_L noHayRepetidosEnColumna(t) \wedge_L noHayRepetidosEnRegion(t) \} \\ \\ \text{pred esTableroTotalmenteResuelto} \ (t: seq\langle seq\langle \mathbb{Z} \rangle \rangle) \ \{ esTableroParcialmenteResuelto(t) \wedge (\forall i: \mathbb{Z}) (0 \leq i < |t| \longrightarrow_L \cap filaTieneCeldaVacia(t[i])) \} \\ \\ \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle \rangle) \{ esTableroValido(t_0) \wedge esTableroValido(t_1) \wedge (\forall i: \mathbb{Z}) (\forall j: \mathbb{Z}) (0 \leq i < |t| \longrightarrow_L \cap filaTieneCeldaVacia(t[i])) \} \\ \\ \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle \rangle) \{ esTableroValido(t_0) \wedge esTableroValido(t_1) \wedge (\forall i: \mathbb{Z}) (\forall j: \mathbb{Z}) (0 \leq i < |t| \longrightarrow_L \cap filaTieneCeldaVacia(t[i])) \} \\ \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle \rangle) \{ esTableroValido(t_0) \wedge esTableroValido(t_1) \wedge (\forall i: \mathbb{Z}) (\forall j: \mathbb{Z}) (0 \leq i < |t| \longrightarrow_L \cap filaTieneCeldaVacia(t[i])) \} \\ \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle \rangle) \{ esTableroValido(t_0) \wedge esTableroValido(t_1) \wedge (\forall i: \mathbb{Z}) (\forall j: \mathbb{Z}) (0 \leq i < |t| \longrightarrow_L \cap filaTieneCeldaVacia(t[i])) \} \\ \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb{Z} \rangle) \} \\ \text{pred esSubTablero} \ (t_0,t_1: seq\langle seq\langle \mathbb
```

## 3. Decisiones tomadas