

# Understanding Risk Factors for Mortality Among Older Individuals

(A Comprehensive Analysis using Classical, Ensemble and Deep Learning Models)

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Institute of Mathematics and Applications, Bhubaneswar

- 1 Introduction
  - The Problem
  - Research Questions
- 2 The Data
  - Data Source
  - The Survival Data
  - Preprocessing (Physical Activity Data)
- 3 The Models
  - Structures
  - Output
- 4 Conclusion and Future Work

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# The Problem

- As populations around the world continue to age, understanding the determinants of healthy aging and longevity becomes increasingly vital.
- While physical activity has been shown to reduce mortality risk, the complex interplay between lifestyle behaviors, demographic characteristics, and health conditions remains poorly understood.
- Leveraging advancements in statistical modeling and machine learning, this project aims to create a comprehensive framework for predicting mortality risk—enabling more precise identification of high-risk individuals and informing public health strategies for aging populations.

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- How are physical activity, demographic factors, and health indicators related to mortality in older adults?
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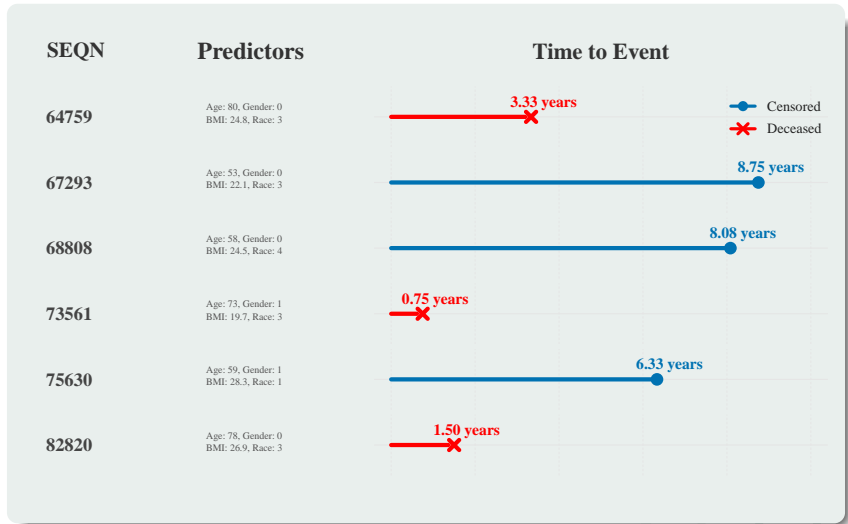
# Data Source

The study will use data from the National Health and Nutrition Examination Survey (NHANES) 2011-2014, "<https://wwwn.cdc.gov/nchs/nhanes/Default.aspx>", which includes demographic, lifestyle, and health-related variables. The mortality information is linked to the National Death Index (NDI).

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# The Survival Data



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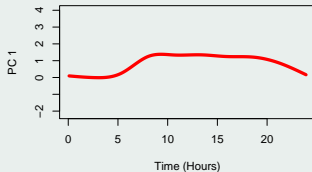
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# Preprocessing

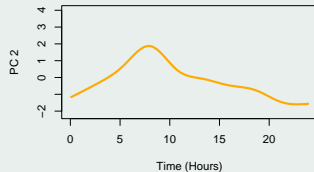
## FPCA

$$X_i(t) = \mu(t) + \sum_{k=1}^K \xi_{ik} \phi_k(t) + \epsilon_i(t)$$

Mean Physical Activity



Morning-Active vs. Evening-Active





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# Models

Model	Type	Loss Function
Cox	Classical	$\mathcal{L}(\beta) = - \sum_{i:\delta_i=1} \left( \mathbf{x}_i^\top \beta - \log \sum_{j \in R(T_i)} \exp(\mathbf{x}_j^\top \beta) \right)$
Penalized Cox	Classical	$\mathcal{L}(\beta) = - \sum_{i:\delta_i=1} \left( \mathbf{x}_i^\top \beta - \log \sum_{j \in R(T_i)} \exp(\mathbf{x}_j^\top \beta) \right) + \lambda \ \beta\ _1$
GAM Cox	Classical	$\mathcal{L}(f, \beta) = - \sum_{i:\delta_i=1} \left( \eta_i - \log \sum_{j \in R(T_i)} \exp(\eta_j) \right) + \lambda \sum_{j=1}^p \int \left( f_j''(x) \right)^2 dx$ where $\eta_i = \sum_{j=1}^p f_j(X_{ij}) + \sum_{k=1}^q \beta_k Z_{ik}$
DeepSurv	Deep Learning	$\mathcal{L}(\theta) = - \frac{1}{N_E} \sum_{i:\delta_i=1} \left[ h_\theta(x_i) - \log \sum_{j \in R(T_i)} \exp(h_\theta(x_j)) \right] + \lambda \ \theta\ _2^2$

Model	Type	Split Rule
RSF	Ensemble	Log-rank test statistic: $L(x, c) = \sum_{i=1}^N \frac{\left( d_{i,1} - \frac{Y_{i,1} d_i}{Y_i} \right)}{\sqrt{\sum_{i=1}^N \frac{Y_{i,1}}{Y_i} \left( 1 - \frac{Y_{i,1}}{Y_i} \right) \frac{(Y_i - d_i)}{(Y_i - 1)} d_i}}$

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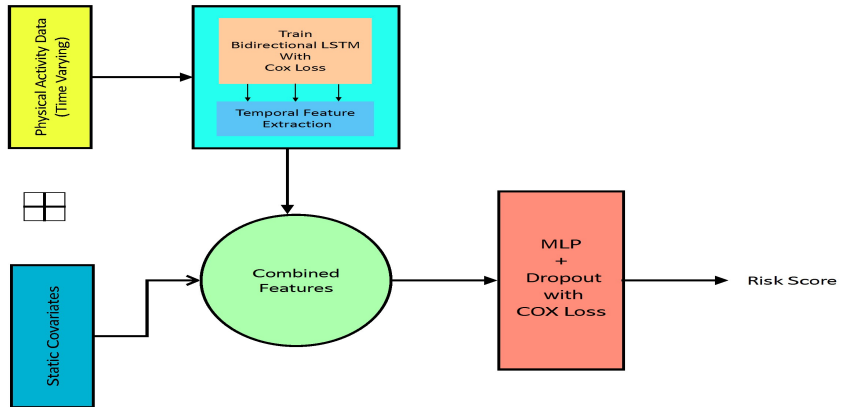
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# BiLSTM-Deepsurv Architecture



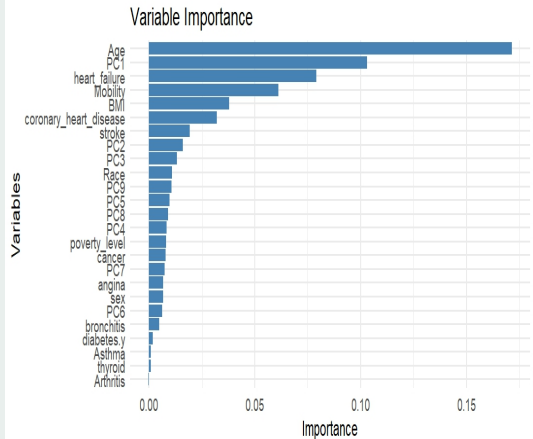


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# Output

Variable	exp(coef.)	Pr(> z )
Age	1.06	< 2e-16
BMI	0.96	4.67e-07
Mobility2	0.58	2.03e-08
povertylevel	0.92	0.00517
heartfailure1	1.87	7.23e-08
PC1	0.86	3.04e-14

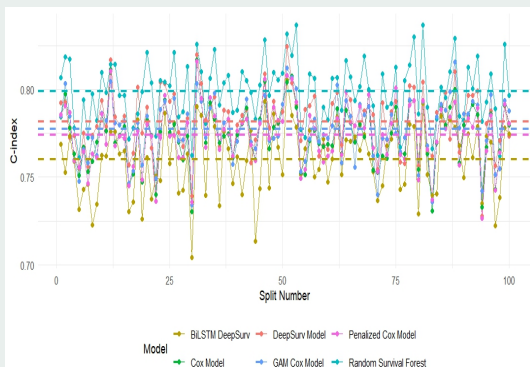


# C-Index Comparison

$$C = \frac{\sum 1(h(X_i) > h(X_j)) \cdot 1(T_i < T_j)}{\sum 1(T_i < T_j)}$$

where  $h(X)$  is the model's predicted risk score, and  $T$  is the observed survival time.

Model	Average C-Index
Cox	0.77421
GAM Cox	0.0.77763
Penalized Cox	0.77424
<b>RSF</b>	<b>0.79895</b>
Deepsurv	0.78173
BiLSTM Deepsurv	0.76041



# Conclusion and Future Work

- If your primary goal is achieving high accuracy, Random Survival Forest (RSF) is the best-performing model.
- If your primary goal is interpretability, the Generalized Additive Cox model is one of the best reliable choices.
- DeepSurv is a strong deep learning-based alternative that shows good result in prediction.
- The BiLSTM-DeepSurv model appears promising, but it still requires improvement. With more computational resources and further tuning, it may perform better in future experiments.

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