### BTT004\_Week6\_lab-solution

June 10, 2024

# 1 Lab 6: Train Various Regression Models and Compare Their Performances

In this lab assignment, you will train various regression models (regressors) and compare their performances. You will train, test and evaluate individual models as well as ensemble models. You will:

- 1. Build your DataFrame and define your ML problem:
  - Load the Airbnb "listings" data set
  - Define the label what are you predicting?
  - Identify the features
- 2. Create labeled examples from the data set.
- 3. Split the data into training and test data sets.
- 4. Train, test and evaluate two individual regressors.
- 5. Use the stacking ensemble method to train the same regressors.
- 6. Train, test and evaluate Gradient Boosted Decision Trees.
- 7. Train, test and evaluate Random Forest.
- 8. Visualize and compare the performance of all of the models.

Note: Some of the code cells in this notebook may take a while to run.

#### 1.1 Part 1. Build Your DataFrame and Define Your ML Problem

Load a Data Set and Save it as a Pandas DataFrame We will work with the data set airbnbData\_train. This data set already has all the necessary preprocessing steps implemented, including one-hot encoding of the categorical variables, scaling of all numerical variable values, and imputing missing values. It is ready for modeling.

Task: In the code cell below, use the same method you have been using to load the data using pd.read\_csv() and save it to DataFrame df.

You will be working with the file named "airbnbData\_train.csv" that is located in a folder named "data\_regressors".

```
[2]: # YOUR CODE HERE

#SOLUTION:
filename = os.path.join(os.getcwd(), "data_regressors", "airbnbData_train.csv")
df = pd.read_csv(filename, header=0)
```

**Define the Label** Your goal is to train a machine learning model that predicts the price of an Airbnb listing. This is an example of supervised learning and is a regression problem. In our dataset, our label will be the price column and the label contains continuous values.

**Evaluation Metrics for Regressors** So far, we have mostly focused on classification problems. For this assignment, we will focus on a regression problem and predict a continuous outcome. There are different evaluation metrics that are used to determine the performance of a regressor. We will use two metrics to evaluate our regressors: RMSE (root mean square error) and  $R^2$  (coefficient of determination).

RMSE: RMSE finds the average difference between the predicted values and the actual values. We will compute the RMSE on the test set. To compute the RMSE, we will use the scikit-learn mean\_squared\_error() function. Since RMSE finds the difference between the predicted and actual values, lower RMSE values indicate good performance - the model fits the data well and makes more accurate predictions. On the other hand, higher RSME values indicate that the model is not performing well.

 $R^2$ :  $R^2$  is a measure of the proportion of variability in the prediction that the model was able to make using the test data. An  $R^2$  value of 1 is perfect and 0 implies no explanatory value. We can use scikit-learn's r2\_score() function to compute it. Since  $R^2$  measures how well the model fits the data, a higher  $R^2$  value indicates that good performance and a lower  $R^2$  indicates that poor performance.

**Identify Features** Our features will be all of the remaining columns in the dataset.

#### 1.2 Part 2. Create Labeled Examples from the Data Set

Task: In the code cell below, create labeled examples from DataFrame df.

```
[3]: # YOUR CODE HERE

#SOLUTION:

y = df['price']
X = df.drop(columns = 'price', axis=1)
```

#### 1.3 Part 3. Create Training and Test Data Sets

Task: In the code cell below, create training and test sets out of the labeled examples. Create a test set that is 30 percent of the size of the data set. Save the results to variables X\_train, X\_test, y\_train, y\_test.

## 1.4 Part 4: Train, Test and Evaluate Two Regression Models: Linear Regression and Decision Tree

#### 1.4.1 a. Train, Test and Evaluate a Linear Regression

You will use the scikit-learn LinearRegression class to create a linear regression model. For more information, consult the online documentation.

First let's import LinearRegression:

```
[5]: from sklearn.linear_model import LinearRegression
```

Task: Initialize a scikit-learn LinearRegression model object with no arguments, and fit the model to the training data. The model object should be named lr\_model.

```
[6]: # 1. Create the model object below and assign to variable 'lr_model'
    #YOUR CODE HERE

### Solution:
lr_model = LinearRegression()

# 2. Fit the model to the training data below
    # YOUR CODE HERE

### Solution:
lr_model.fit(X_train, y_train)
```

[6]: LinearRegression(copy\_X=True, fit\_intercept=True, n\_jobs=None, normalize=False)

Task: Test your model on the test set (X\_test). Call the predict() method to use the fitted model to generate a vector of predictions on the test set. Save the result to the variable y\_lr\_pred.

```
[7]: # Call predict() to use the fitted model to make predictions on the test data
# YOUR CODE HERE

#Solution:
y_lr_pred = lr_model.predict(X_test)
```

To compute the RMSE, we will use the scikit-learn mean\_squared\_error() function, which computes the mean squared error between the predicted values and the actual values: y\_lr\_pred andy\_test. In order to obtain the root mean squared error, we will specify the parameter squared=False.

To compute the  $R^2$ , we will use the scikit-learn r2\_score() function. Task: In the code cell below, do the following:

- 1. Call the mean\_squared\_error() function with arguments y\_test and y\_lr\_pred and the parameter squared=False to find the RMSE. Save your result to the variable lr\_rmse.
- 2. Call the r2\_score() function with the arguments y\_test and y\_lr\_pred. Save the result to the variable lr\_r2.

```
[8]: # 1. Compute the RMSE using mean_squared_error()
# YOUR CODE HERE

# solution:
lr_rmse = mean_squared_error(y_test, y_lr_pred, squared=False)

# 2. Compute the R2 score using r2_score()
# YOUR CODE HERE

#Solution:
lr_r2 = r2_score(y_test, y_lr_pred)

print('[LR] Root Mean Squared Error: {0}'.format(lr_rmse))
print('[LR] R2: {0}'.format(lr_r2))
```

[LR] Root Mean Squared Error: 0.749892269563415

[LR] R2: 0.46915264071444096

#### 1.4.2 b. Train, Test and Evaluate a Decision Tree Using GridSearch

You will use the scikit-learn DecisionTreeRegressor class to create a decision tree regressor. For more information, consult the online documentation.

First let's import DecisionTreeRegressor:

```
[9]: from sklearn.tree import DecisionTreeRegressor
```

**Set Up a Parameter Grid** Task: Create a dictionary called param\_grid that contains possible hyperparameter values for max\_depth and min\_samples\_leaf. The dictionary should contain the following key/value pairs:

- a key called 'max\_depth' with a value which is a list consisting of the integers 4 and 8
- a key called 'min\_samples\_leaf' with a value which is a list consisting of the integers 25 and 50

```
[10]:  # YOUR CODE HERE

### Solution:
md = [4, 8]
```

```
msl = [25, 50]
param_grid={'max_depth':md, 'min_samples_leaf':msl}
```

Task: Use GridSearchCV to fit a grid of decision tree regressors and search over the different values of hyperparameters max\_depth and min\_samples\_leaf to find the ones that results in the best 3-fold cross-validation (CV) score.

You will pass the following arguments to GridSearchCV():

- 1. A decision tree **regressor** model object.
- 2. The param\_grid variable.
- 3. The number of folds (cv=3).
- 4. The scoring method scoring='neg\_root\_mean\_squared\_error'. Note that neg\_root\_mean\_squared\_error returns the negative RMSE.

Complete the code in the cell below.

```
[11]: print('Running Grid Search...')
     # 1. Create a DecisionTreeRegressor model object without supplying arguments.
         Save the model object to the variable 'dt_regressor'
     #dt_regressor = # YOUR CODE HERE
     ### Solution:
     dt_regressor = DecisionTreeRegressor()
     # 2. Run a Grid Search with 3-fold cross-validation and assign the output to \Box
      \rightarrow the object 'dt_grid'.
         * Pass the model and the parameter grid to GridSearchCV()
          * Set the number of folds to 3
         * Specify the scoring method
     \#dt\_grid = \# YOUR CODE HERE
     ### Solution:
     dt_grid = GridSearchCV(dt_regressor, param_grid, cv=3,__
      →scoring='neg_root_mean_squared_error', verbose=1)
     # 3. Fit the model (use the 'grid' variable) on the training data and assign \Box
      → the fitted model to the
     # variable 'dt_grid_search'
     \#dt\_grid\_search = \# YOUR CODE HERE
     ### Solution:
     dt_grid_search = dt_grid.fit(X_train, y_train)
     print('Done')
```

```
Running Grid Search...

Fitting 3 folds for each of 4 candidates, totalling 12 fits

[Parallel(n_jobs=1)]: Using backend SequentialBackend with 1 concurrent workers.

[Parallel(n_jobs=1)]: Done 12 out of 12 | elapsed: 2.5s finished

Done
```

The code cell below prints the RMSE score of the best model using the best\_score\_attribute of the fitted grid search object dt\_grid\_search. Note that specifying a scoring method of neg\_root\_mean\_squared\_error will result in the negative RMSE, so we will multiply dt\_grid\_search.best\_score by -1 to obtain the RMSE.

```
[12]: rmse_DT = -1 * dt_grid_search.best_score_
print("[DT] RMSE for the best model is : {:.2f}".format(rmse_DT) )
```

```
[DT] RMSE for the best model is: 0.71
```

Task: In the code cell below, obtain the best model hyperparameters identified by the grid search and save them to the variable dt\_best\_params.

```
[13]: # YOUR CODE HERE

### Solution:
dt_best_params = dt_grid_search.best_params_

dt_best_params
```

[13]: {'max\_depth': 8, 'min\_samples\_leaf': 25}

Task: In the code cell below, initialize a DecisionTreeRegressor model object, supplying the best values of hyperparameters max\_depth and min\_samples\_leaf as arguments. Name the model object dt\_model. Then fit the model dt\_model to the training data.

Task: Test your model dt\_model on the test set X\_test. Call the predict() method to use the fitted model to generate a vector of predictions on the test set. Save the result to the variable

y\_dt\_pred. Evaluate the results by computing the RMSE and R2 score in the same manner as you did above. Save the results to the variables dt\_rmse and dt\_r2.

Complete the code in the cell below to accomplish this.

```
[DT] Root Mean Squared Error: 0.7403192519939319
```

[DT] R2: 0.4826195731390216

#### 1.5 Part 5: Train, Test and Evaluate Ensemble Models: Stacking

You will use the stacking ensemble method to train two regression models. You will use the scikit-learn StackingRegressor class. For more information, consult the online documentation.

First let's import StackingRegressor:

```
[16]: from sklearn.ensemble import StackingRegressor
```

In this part of the assignment, we will use two models jointly. In the code cell below, we creates a list of tuples, each consisting of a scikit-learn model function and the corresponding shorthand name that we choose. We will specify the hyperparameters for the decision tree that we determined through the grid search above.

Task:

1. Create a StackingRegressor model object. Call StackingRegressor() with the following parameters:

- Assign the list estimators to the parameter estimators.
- Use the parameter 'passthrough=False'. Assign the results to the variable stacking\_model.
- 2. Fit stacking\_model to the training data.

As you read up on the definition of the StackingRegressor class, you will notice that by default, the results of each model are combined using a ridge regression (a "final regressor").

Implement Stacking...

Task: Use the predict() method to test your ensemble model stacking\_model on the test set (X\_test). Save the result to the variable stacking\_pred. Evaluate the results by computing the RMSE and R2 score. Save the results to the variables stack\_rmse and stack\_r2.

Complete the code in the cell below to accomplish this.

```
print('Root Mean Squared Error: {0}'.format(stack_rmse))
print('R2: {0}'.format(stack_r2))
```

Root Mean Squared Error: 0.7106332607651468

R2: 0.5232804426753084

## 1.6 Part 6: Train, Test and Evaluate Evaluate Ensemble Models: Gradient Boosted Decision Trees

You will use the scikit-learn GradientBoostingRegressor class to create a gradient boosted decision tree. For more information, consult the online documentation.

First let's import GradientBoostingRegressor:

```
[20]: from sklearn.ensemble import GradientBoostingRegressor
```

Let's assume you already performed a grid search to find the best model hyperparameters for your gradient boosted decision tree. (We are omitting this step to save computation time.) The best values are: max\_depth=2, and n\_estimators = 300.

Task: Initialize a GradientBoostingRegressor model object with the above values as arguments. Save the result to the variable gbdt\_model. Fit the gbdt\_model model to the training data.

Begin GBDT Implementation...
End

Task: Use the predict() method to test your model gbdt\_model on the test set X\_test. Save the result to the variable y\_gbdt\_pred. Evaluate the results by computing the RMSE and R2 score in the same manner as you did above. Save the results to the variables gbdt\_rmse and gbdt\_r2.

Complete the code in the cell below to accomplish this.

```
[22]: # 1. Use the fitted model to make predictions on the test data
# YOUR CODE HERE

# Solution
```

```
y_GBDT_pred = gbdt_model.predict(X_test)

# 2. Compute the RMSE

# YOUR CODE HERE

# Solution
gbdt_rmse = mean_squared_error(y_test, y_GBDT_pred, squared=False)

# 3. Compute the R2 score

# YOUR CODE HERE

# Solution
gbdt_r2 = r2_score(y_test, y_GBDT_pred)

print('[GBDT] Root Mean Squared Error: {0}'.format(gbdt_rmse))
print('[GBDT] R2: {0}'.format(gbdt_r2))
```

```
[GBDT] Root Mean Squared Error: 0.679895102576314
[GBDT] R2: 0.5636291477399051
```

#### 1.7 Part 7: Train, Test and Evaluate Evaluate Ensemble Models: Random Forest

You will use the scikit-learn RandomForestRegressor class to create a gradient boosted decision tree. For more information, consult the online documentation.

First let's import RandomForestRegressor:

```
[23]: from sklearn.ensemble import RandomForestRegressor
```

Let's assume you already performed a grid search to find the best model hyperparameters for your random forest model. (We are omitting this step to save computation time.) The best values are: max\_depth=32, and n\_estimators = 300.

Task: Initialize a RandomForestRegressor model object with the above values as arguments. Save the result to the variable rf\_model. Fit the rf\_model model to the training data.

```
Begin RF Implementation... End
```

Task: Use the predict() method to test your model rf\_model on the test set X\_test. Save the result to the variable y\_rf\_pred. Evaluate the results by computing the RMSE and R2 score in the same manner as you did above. Save the results to the variables rf\_rmse and rf\_r2.

Complete the code in the cell below to accomplish this.

```
[25]: # 1. Use the fitted model to make predictions on the test data
# YOUR CODE HERE

# Solution
y_rf_pred = rf_model.predict(X_test)

# 2. Compute the RMSE
# YOUR CODE HERE

# Solution
rf_rmse = mean_squared_error(y_test, y_rf_pred, squared=False)

# 3. Compute the R2 score
# YOUR CODE HERE

# Solution
rf_r2 = r2_score(y_test, y_rf_pred)

print('[RF] Root Mean Squared Error: {0}'.format(rf_rmse))
print('[RF] R2: {0}'.format(rf_r2))
```

[RF] Root Mean Squared Error: 0.6489207468753607

[RF] R2: 0.6024834387815945

#### 1.8 Part 8: Visualize and Compare Model Performance

The code cell below will plot the RMSE and R2 score for each regressor.

Task: Complete the code in the cell below.

```
[27]: RMSE_Results = [stack_rmse, lr_rmse, dt_rmse, gbdt_rmse, rf_rmse]
R2_Results = [stack_r2, lr_r2, dt_r2, gbdt_r2, rf_r2]

rg= np.arange(5)
width = 0.35

# 1. Create bar plot with RMSE results
```

```
# YOUR CODE HERE

# solution
plt.bar(rg, RMSE_Results, width, label="RMSE")

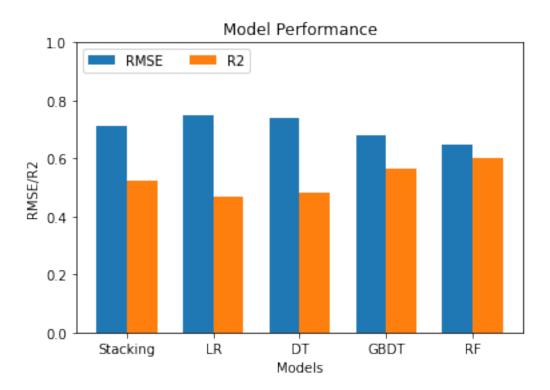
# 2. Create bar plot with R2 results
# YOUR CODE HERE

# solution
plt.bar(rg+width, R2_Results, width, label='R2')

labels = ['Stacking','LR', 'DT', 'GBDT', 'RF']
plt.xticks(rg + width/2, labels)

plt.xlabel("Models")
plt.ylabel("RMSE/R2")

plt.ylim([0,1])
plt.title('Model Performance')
plt.legend(loc='upper left', ncol=2)
plt.show()
```



Analysis: Compare and contrast the resulting  $R^2$  and RSME scores of the ensemble models and the individual models. Are the ensemble models performing better? Which is the best performing model? Explain.