# Experimenter's Guide – Solving Navier-Stokes, Differently

**Context.** Clay Institute's €1 M Millennium Prize asks for a proof of existence/uniqueness. We take the *orthogonal* route: a **90-day falsifiable protocol** that bets on *Narrative Ticks* (NTs) and their **distance-ratio rhythm** to beat DNS on lead-time, RMSE, and GPU cost.

We search for **the moment chaos begins to order itself**. That flip-point is the NT. Repeating ratios of NT distances reveal the *fractal rhythm* nature prefers.

#### 1 · Motivation

Classical CFD hunts for **order** → **chaos** breakdown (shear layers, vortex shedding ...). Our lens inverts it:

Classical lens	NT lens	
Track a smooth solution until it blows up	Detect the <b>first DU flip</b> (NT) — where disorder sprouts	
Refine mesh / timestep	Study <b>successive NT-distance ratios</b> to expose hidden rhythm	

#### Why ratios?

- 1. NT distances carry **scale-free memory**; their ratios cluster when the same physics repeats.
- 2. Over-lapping DU cycles still share the same ratio peaks an invariant to test.

# 2 · Scope & prerequisites

- Python  $\geq$  3.9 · NumPy · h5py · matplotlib · Streamlit (installed via requirements.txt).
- HDF5 file with dataset  $G_t$  (drag, lift, KE ...) shape N, uniform  $\Delta t$ . shape N, uniform  $\Delta t$ .
- Binder sandbox → Launch notebook (no install).

### 3 · 10-minute smoke-test

- 1. **Binder**  $\rightarrow$  run  $| 00_{quicklook.ipynb} |$  red dots mark plausible NTs.
- 2. Run 01\_ratio\_quicklook.ipynb histogram should *not* be flat; expect sharp peaks.

## 4 · Full 90-day protocol

Phase	Days	Tool	Deliverable
Data preparation	0-10	agents/nt_detect.py	nt_times.txt
Initial ratio scan	11-15	01_ratio_quicklook.ipynb	spiky histogram
Hyper-search σ	16-25	loop $\sigma$ ∈ {1.0 2.0}	σ* giving strongest peak
LES / ML run	26-80	your solver	NT-aware forecast CSVs
KPI calculation	81-88	dashboard + CLI	*_ratios.txt , RMSE, GPU hours
PR submission	89-90	GitHub	results/ <lab_tag>/ folder</lab_tag>

Success = lead-time  $\geq$  30 %, RMSE  $\leq$  5 % (vs DNS), GPU  $\leq$  ½ DNS.

# 5 · Local quick-start

```
# clone & env
git clone https://github.com/gradient-pulse/phi-mesh.git
cd phi-mesh/RGP_NS_prototype
python -m venv .venv && source .venv/bin/activate
pip install -r requirements.txt

# 1 Detect NTs
python agents/nt_detect.py data/example_G.h5 --sigma 1.5

# 2 Ratio histogram quick-look
jupyter lab notebooks/01_ratio_quicklook.ipynb # or use Binder
```

#### Batch mode (CLI)

```
# Detect Narrative Ticks
python agents/nt_detect.py path/to/G_t.h5 --sigma 1.5

# Distance-ratio analysis (writes *_ratios.txt)
python agents/nt_ratio_cli.py nt_times.txt \
    --outdir results/ratios_run --sigma 1.5
```

# 6 · FAQ (quick reference)

- $\sigma$  choice? Scan 1.0  $\rightarrow$  2.0; pick the  $\sigma$  with the clearest ratio peaks.
- Over-lapping DU cycles? Ratio signature survives; treat each NT as a cycle start.
- **Units?** Any scalar G(t) in J, N, etc.; ratios are dimension-less.
- No PR access? Zip \*\_nt.txt, \*\_ratios.txt, kpi.csv and email marcusvandererve@icloud.com; we'll merge for you.

#### 7 · Reference

van der Erve, M. (2025). *Solving Navier–Stokes, Differently: What It Takes.* Zenodo. <a href="https://doi.org/10.5281/zenodo.15830659">https://doi.org/10.5281/zenodo.15830659</a>

Last updated 17 Jul 2025