# PROBLEM SET 5 Due back by Tuesday May 2.

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# **Instructions:**

- Make sure you are working on your problem set as each problem set is different.
- The answers to the questions of this problem set are to be given exclusively in the answer sheet
- The answers sheet MUST be printed and not photocopied. Photocopies will not be accepted.
- ullet Questions marked with the symbol ullet admit more than one correct answer
- Please fill the boxes in the answer sheet completely using a black pen as follows

Question 1: B C D E

- The answer sheet must not be creased or folded otherwise your problem set won't be graded.
- You can hand back your problem set at the END of class on May 2.



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With a sample of 706 observations, we estimate the following model:

$$ln(hwage_i) = \beta_0 + \beta_1 age_i + \beta_2 age_i^2 + \beta_3 educ_i + \beta_4 yngkid_i + u_i$$

and obtain these results:

$$ln(hwage_i) = -1.00179 + 0.07121age_i - 0.00076age_i^2 + 0.07131educ_i + 0.09439yngkid_i - 0.00024 + 0.001116 + 0.00006 + 0.$$

where *lhwage* is the logarithm of the hourly wage in euro, *age* is measured in years, *educ* is years of education and *yngkid* is a variable equal to 1 in case the person has a child younger than three years.

## **Question 1** What is the interpretation of $\beta_4$ ?

- A If a person has small kids (; 3 years old), he/she earns about 9.5% more per hour with respect to someone who does not have small kids, ceteris paribus.
- B If a person has one small kid more, he/she earns about 0.095 more per hour with respect to someone who does not have small kids, ceteris paribus.
- C If a person has one small kid more, he/she earns about 9.5% more per hour with respect to someone who does not have small kids, ceteris paribus.
- D If a person has small kids (; 3 years old), he/she earns about 0.095 euros more per hour with respect to someone who does not have small kids, ceteris paribus.

#### **Question 2** What is the interpretation of $\beta_3$ ?

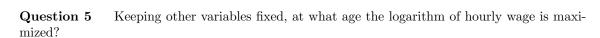
- A One year more of education is associated with a change of about 0.0007 in hourly wage, on average, ceteris paribus.
- B One year more of education is associated with a change of about 0.07% in hourly wage, on average, ceteris paribus.
- C An increase of 1% in education is associated with a change of about 7% euros in hourly wage, on average, ceteris paribus.
- D One year more of education is associated with a change of about 0.07 euros in hourly wage, on average, ceteris paribus.
- E One year more of education is associated with a change of about 7% in hourly wage, on average, ceteris paribus.
- F An increase of 1% in education is associated with a change of about 0.07 euros in hourly wage, on average, ceteris paribus.

## Question 3 What is our null hypothesis when we test whether $\beta_1$ and $\beta_2$ are jointly significant?

- A We check whether the logarithm of hourly wage depends linearly on age.
- B We check whether the logarithm of hourly wage is 0 when age is equal to 0.
- C We check whether the relationship between the logarithm of hourly wage and age is convex or concave.
- D We check whether the logarithm of hourly wage depends on age.

#### **Question 4** Is $\beta_1$ statistically significant?

- A We cannot check for this, it makes no sense.
- B It is not at 1% level
- C It is at 10% level.
- D It is not at 5% level.



- At about 56.3 years.
- B At about 46.7 years.
- C At about 93.3 years.
- D At about 0, but this makes no sense.

Question 6 Using a subset of the variables in the previous model, we would like to write a new one such that we obtain the elasticity of the hourly wage to education, and that, given in increase of one year in age, it returns a change in hourly wage in percent points. Choose the correct model among these:

- $\boxed{\mathbf{B}} \ ln(hwage_i) = \beta_0 + \beta_1 age + ln(\beta_2 educ_i) + u_i$
- $\boxed{C} ln(hwage_i) = \beta_0 + \beta_1 age_i + \beta_2 ln(educ_i) + u_i$
- $\boxed{D} ln(hwage_i) = \beta_0 + \beta_1 ln(age_i) + \beta_2 educ_i + u_i$
- $E hwage_i = \beta_0 + \beta_1 ln(age_i) + \beta_2 educ_i + u_i$

Let us define with Y the amount of cholesterol in mlg in the blood and with Med a dummy variable which takes the value of 1 for medication B and 0 for medication A, where A and B are two different medications that lower cholesterol. Female is a dummy variable which takes the value of 1 for females and 0 otherwise.

Consider the following regression:

$$Y = \beta_0 + \beta_1 \times med + \beta_2 \times female + \beta_3 \times med \times female + u.$$

**Question 7** Suppose you use this model:  $Y = \beta_0 + \beta_1 \times med + \beta_2 \times female + u$  In this case, what is the effect of medication B for man and women, respectively?

- A None of the others.
- $\boxed{\mathbf{B}}$   $\beta_1$  and  $\beta_1 + \beta_2$ .
- $D \beta_1 \beta_0$  for both genders.
- $\boxed{\mathrm{E}}$   $\beta_1$  for both genders.

Question 8 What is the average cholesterol value for men when using medication B?

- $A \beta_0 + \beta_1$
- $\beta_0$
- C None of the others.
- $\boxed{\mathbf{D}} \ \beta_1 + \beta_3$
- $E \beta_3$
- F  $\beta_1$



#### Question 3

These data are taken from the Medical Expenditure Panel Survey survey conducted in 1996. These data were provided by Professor Harvey Rosen of Princeton University and were used in his paper with Craig Perry "The Self-Employed Are Less Likely Than Wage-Earners to Have Health Insurance. So What?" in Douglas Holtz-Eakin and Harvey S. Rosen, eds., Entrepeneurship and Public Po licy, MIT Press 2004.

Among the variables in the dataset, ins is a dummy equal to one if the interviewee has the insurance; selfemp is equal to one if the interviewee is a self-employed workers; gender is equal to one if the individual is a male; married is one if the individual is married; health is one if the individual reports to be in good health; educ is 0 if the person has no education, 1 if he/she achieved middle school diploma, 2 for the high school diploma, 3 for the bachelor degree, 4 for the master degree and 5 for the PhD; age is in years and age2 is the square of age.

We estimate two models:

$$Pr(ins = 1|X) = \beta_0 + \beta_1 \times selfemp + \beta_2 \times married + \beta_3 \times gender + \beta_4 \times health + \beta_5 \times gender * health + \beta_6 \times educ + \beta_7 \times age + \beta_8 \times age^2$$

#### Coefficients:

	Estimate S	td. Error t	value	Pr(> t )		
(Intercept)	0.2974634	0.0580248	5.13	0.000003		
selfemp	-0.1742361	0.0141740	-12.29	< 2e-16		
married	0.1181062	0.0094187	12.54	< 2e-16		
gender	-0.0232270	0.0343575	-0.68	0.49903		
health	0.0744310	0.0247243	3.01	0.00262		
genderxhealth	-0.0206248	0.0353131	-0.58	0.55920		
educ	0.0529807	0.0029210	18.14	< 2e-16		
age	0.0105315	0.0027482	3.83	0.00013		
age2	-0.0000788	0.0000333	-2.37	0.01796		
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Heteroskadasticity robust standard errors used

$$Pr(ins = 1|X) = \Phi(\beta_0 + \beta_1 \times selfemp + \beta_2 \times married + \beta_3 \times gender + \beta_4 \times health + \beta_5 \times gender * health + \beta_6 \times educ + \beta_7 \times age + \beta_8 \times age^2)$$
 (II)

#### Coefficients:

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	-0.844932	0.195991	-4.31	0.000016
selfemp	-0.651923	0.046842	-13.92	< 2e-16
married	0.455241	0.034845	13.06	< 2e-16
gender	-0.040238	0.111653	-0.36	0.71856
health	0.300503	0.082988	3.62	0.00029
genderxhealth	-0.124880	0.116613	-1.07	0.28422
education	0.226139	0.012852	17.60	< 2e-16
age	0.029150	0.009899	2.94	0.00323
age2	-0.000162	0.000126	-1.29	0.19821

## **Question 9** What is the interpretation of $\beta_6$ in model (II)?

- A Increasing years of education by one, on average, makes the individual 22.6% more likely to have an insurance, ceteris paribus.
- B Increasing years of education by one, makes the individual 22.6% ore likely to have an insurance, holding all other things constant.
- C Increasing a person's education level by one, on average, makes he/she 22.6% more likely to have an insurance, *ceteris paribus*.
- D It does not have a proper interpretation in terms of magnitude.



**Question 10** Is being self employed significantly linked to having an insurance under model (I)?

- $\boxed{\mathbf{A}}$  No, since the coefficient  $\beta_1$  is not significant.
- B Yes, since the model includes the variable "selfemp".
- C Yes, since the coefficient  $\beta_1$  is significant.
- D It depends on the values of all other covariates.

Question 11 Does increasing level of education have a significant impact on the probability to buy an insurance at 5% level under model (II)?

- $\overline{A}$  No, since the coefficient  $\beta_6$  is not significant.
- B It depends on the values of all other covariates.
- $\boxed{\mathbf{C}}$  Yes, since the coefficient  $\beta_6$  is significant.
- D Yes, since the model includes the variable "educ".

Question 12 Does increasing level of education have a significant impact on the probability to buy an insurance at 5% level under model (I)?

- A Yes, since the model includes the variable "educ".
- B It depends on the values of all other covariates.
- $\boxed{\mathbf{C}}$  Yes, since the coefficient  $\beta_6$  is significant.
- D No, since the coefficient  $\beta_6$  is not significant.

Question 13 . Under model (I), which of the following statements are true?

- $\boxed{\mathbf{A}}$  If the person is a female, the effect of good health on the probability to have an insurance is  $\beta_4 + \beta_5$ .
- B Statistically speaking, having a good health has the same impact on the probability of having an insurance for male and female, holding other factors constant.
- C We cannot interpret the estimated coefficients in terms of magnitude.
- D A higher education is associated, on average, with an higher probability of having an insurance, *ceteris paribus*.
- E None of these answers are correct.

Question 14 \$\ \ \ Under model (II), which of the following statements are true?

- A We cannot interpret directly the estimated coefficients in terms of magnitude.
- B We cannot possibly know whether education level has an effect on the probability of having an insurance.
- The probability of having an insurance for a married person is, on average, 45.5% higher than for other people, *ceteris paribus*.
- D On average, self employment has a negative effect on the probability of having an insurance, ceteris paribus.
- E None of these answers are correct.



**Question 15** Under model (I), at which age is the probability of having an insurance maximized?

- A We cannot say: we need more data.
- B When the person is 133.6 years old, but this is unreasonable.
- C When the person is 66.82 years old.
- D It is maximized at the highest possible value of age in our sample.

Question 16 What is the estimated probability that a 24 years old non-educated non-self-employed single female who is not in good health and with middle school diploma will buy insurance coverage?

- A Less than 5%.
- B Approximately 0.5.
- C I cannot say because the model is nonlinear.
- D More than 95%.

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+70/8/32+



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- This sheet MUST be printed out and not photocopied. Photocopies will not be accepted.
- Please fill the boxes below completely using a black pen.
- Do not crease or fold.
- Due back: Tuesday, May 2 (right after class)

Question 1: A B C D

Question 2: A B C D E F

Question 3: A B C D

Question 4: A B C D

Question 5: A B C D

Question 6: A B C D E

Question 7: A B C D E

Question 8: A B C D E F

Question 9: A B C D

Question 10: A B C D

Question 11: A B C D

Question 12: A B C D

Question 13: A B C D E

Question 14: A B C D E

Question 15: A B C D

Question 16: A B C D