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using class double

if age <= 0
age = input("Enter your age : ")

if age < 0 :

print ("Invalid age")

elif age == 0 :

print ("You are infant")

elif age == 1 :

print ("You are an infant")

else :

print ("You are an少年 child")

Output

Enter your age :
You are an adult

if Enter the integer in the reverse order

num = int(input("Enter an integer to reverse it"))
reverse = 0

while num > 0 :

digit = num % 10

reverse = reverse * 10 + digit

num = num // 10

print ("Reversed integer : ", reverse)

Output

Enter an integer to reverse it
Reversed integer 21

3] To print sequence

`n = int(input("Enter the number:"))`

`for i in range(1, n+1):`

`for j in range(i):`

`print(i)`

Output:

`Enter the number : 3`

1

2

2

3

3

3

4]

`n = int(input("Enter the number:"))`

`for i in range(1, n+1):`

`for j in range(1, i+1):`

`print(j)`

Output:

`Enter the number : 3`

1

1

2

1

2

3

5] Power of a number

base = int(input("Enter the base : "))

exponent = int(input("Enter the exponent : "))

result = base ** exponent

print(result) or print(f"The result is {result}")

Output

Enter the base : 2

Enter the exponent : 2

The result is 4

6] switch case

lang = int(input("Lang"))

while True :

print("Menu : ")

print("1. Opt 1")

print("2. Opt 2")

print("3. Opt 3")

print("4.

match lang :

case "Java" :

print("1")

case "PHP" :

print("2")

case "JavaScript" :

print("3")

case _ :

print("default")

Output

Enter your choice : 1

1 opt 1

8/10/23

X

Lab program -1

1 Implement Tic-Tac-Toe game.

```
board = [ ' ' for x in range(10) ]
```

```
def insertLetter(letter, pos):  
    board[pos] = letter
```

```
def spaceIsFree(pos):
```

```
    return board[pos] == ' '
```

```
def printBoard(board):
```

```
    print('   |   |   ')
```

```
    print(' ' + board[1] + ' ' +  
          board[2] + ' ' + board[3])
```

```
    print('   |   |   ')
```

```
    print(' - - - - - ')
```

```
    print('   |   |   ')
```

```
    print(' ' + board[4] + ' ' +  
          board[5] + ' ' + board[6])
```

```
    print('   |   |   ')
```

```
    print(' - - - - - ')
```

```
    print('   |   |   ')
```

```
    print(' ' + board[7] + ' ' +  
          board[8] + ' ' + board[9])
```

```
    print('   |   |   ')
```

```
def isWinner(board, le):
```

```
    return (board[7] == le and board[8] == le and  
           board[9] == le)
```

```
    or (board[4] == le and board[5] == le and  
        board[6] == le)
```

```
    and board[1] == le) or
```

```
(board[1] == le and board[2] == le and  
board[3] == le)
```

$b0[3] == le \text{ or } (b0[1] == le \text{ and } b0[5] == le) \text{ or }$
 $b0[4] == le \text{ and } b0[7] == le \text{ or } ($
 $b0[2] == le \text{ and } b0[5] == le \text{ and } b0[8] == le) \text{ or } ($
 $b0[3] == le \text{ and } b0[6] == le \text{ and } b0[9] == le) \text{ or } ($
 $b0[1] == le \text{ and } b0[5] == le \text{ and } b0[9] == le) \text{ or } ($
 $b0[3] == le \text{ and } b0[5] == le \text{ and } b0[7] == le)$

def playerMove():

sum = True

while sum:

move = input('Please select a position
to place an \'X\' (1-9):')

try:

move = int(move)

if move > 0 and move < 10:

if spaceIsFree(move):

sum = False

insertLetter('X', move)

else:

print('Sorry this space is
occupied :))

else:

print('Please type a number
within the range :))

except:

print('Please type a
number!'))

def compMove():
possibleMoves = [0, 1, 2, 3, 4, 5, 6, 7, 8]
enumerate(possibleMoves, start=0)
and move = 0
molecule = 0

for let in {0, "X", 1}:
for i in possibleMoves:
boardCopy = board[let]
boardCopy[i] = let
if i in winner(boardCopy, let):
move = i
return molecule

cornerOpen = []
for i in possibleMoves:
if i in [1, 3, 7, 9]:
cornerOpen.append(i)

if len(cornerOpen) > 0:
move = selectRandom(cornerOpen)
return molecule

if 5 in possibleMoves:
molecule = 5
return molecule

edgesOpen = []
for i in possibleMoves:
if i in [2, 4, 6, 8]:
edgesOpen.append(i)

```

if len(edgesOpen) > 0:
    move = SelectRandom(edgesOpen)
    return move.

```

```

def selectRandom(dj):
    import random
    dn = len(dj)
    ri = random.randrange(0, dn)
    return dj[ri]

```

```

def isBoardFull(board):
    if board.count(' ') > 1:
        return False
    else:
        return True.

```

Algorithm

1: Initialize the board.

```
board = [' ' for _ in range(10)]
```

2: Insert a letter ('X' or 'O') into the Board.

```
def insertLetter(letter, pos):
```

3: Check if space on the Board is free:

```
def spaceIsFree(pos):
    return board[pos] == ' '
```

4: print the Board

def printBoard(board):

5: check for a Winner.

def isWinner(bo, le):

6: player's move

def playerMove():

Ask the player to choose a position
to place their 'X' on the board

7: Computer's move.

Implement the logic for the computer's
move

def compMove

Output

player 'X', choose your position (1-9) : 5

| | |

| X |

| |

computer's turn

| | |

0 | X |

| |

player 'X', choose your position (1-9) : 1

X | |

0 | X |

| |

Computer's turn

X | 0 |

0 | X |

| 1 |

Player 'X', choose your position (1-9) : 9

X | 0 |

0 | X |

| 1 | X

Kaggle - done

Congratulations! You win!

Scissors
Rock
Paper
Lizard
Spock

Lab program - P.

To implement 8x8 puzzle.

algorithm

Step 1: Start.

1	3	2	1	2
4	6	7	4	5
5	8	0	7	8

Step 2: Initialize puzzle.

Create an instance of puzzle.

The initial board is created randomly using two dimensional array

Step 3: Using loop we have to solve the puzzle.

Step 4: Display the current state of the board using print board function

Call the move method or function to move the number which is specified by the user swap the blank tile with

Step 5: Check for the valid move.

Ensure the move direction is valid based on the current position.

Step 6: check for puzzle solved.

is solved method is compare the current board state with the goal

$$(,)_{\text{parent}}^{\text{Indirect}} \cup (,)$$

Step 7: Once the loop exist the puzzle is solved else the puzzle is not solved.

Step 8: End.

Output

Initial

1	2	3	4	5	6	7	8
4	5	6	3	2	1	8	7
1	3	0	6	7	8	5	4

The moves are [down, 'left', 'left', 'up', 'right', 'down', 'right', 'up', 'left', 'left', 'down', 'right', 'right']

Improved heuristic

class puzzleNode:

```
def __init__(self, state, parent = None,
            move = None, cost = 0):
    self.state = state
```

```
    self.parent = parent
```

```
    self.move = move
```

```
    self.cost = cost
```

```
    self.heuristic = self.calculate_heuristic()
```

def __lt__(self, other):

```
    return (self.cost + self.heuristic) <
           (other.cost + other.heuristic)
```

(,)

Lab program

3) 8-Puzzle Iterative deepening search algorithm.

Algorithm

Step 1: Define puzzle node class.
each node represents a state
of the puzzle

Step 2: Define helper functions

get blank position (state)
get neighbors (node)
apply_action (state, action)
isnot solution (solution)

Step 3: Depth limited search function

depth_limited_search (node,
goal_state, depth_limit)

Step 4: Iterative deepening search
functions

iterative_deepening_search (initial
goal_state)

Step 5: Main function

Code:

import copy

GLOBAL STATE - $\text{LL}[1, 2, 3], [8, 0, 4], [7, 6, 5]$
MOVE_UP, MOVE_DOWN, MOVE_LEFT, MOVE_RIGHT
'U', 'D', 'L', 'R'
MOVES: LMOVE_UP, MOVE_DOWN, MOVE_LEFT
MOVE_RIGHT

def print_puzzle(state):

```
for row in state:  
    print(row)  
print()
```

def find_blank(state):

```
for i in range(3):  
    for j in range(3):  
        if state[i][j] == 0:  
            return i, j
```

def move(state, direction):

```
i, j = find_blank(state)  
new_state = copy.deepcopy(state)
```

if direction == MOVE_UP and i > 0:

```
new_state[i][j], new_state[i-1][j] =  
    new_state[i-1][j], new_state[i][j]
```

elseif direction == MOVE_DOWN and i < 2:

```
new_state[i][j], new_state[i+1][j] =  
    new_state[i+1][j], new_state[i][j]
```

return new_state

def is_goal(state):
return state == FINAL_STATE

def depth_limited_search(current, depth, path):
if depth == 0:
return None
if is_goal(current):
return path

for move direction in MOVES:

new_state = move(current, move_direction)
if new_state not in path:
new_path = path + [new_state]
result = depth_limited_search(
new_state, depth - 1,
new_path)

return None

def iterative_deepening_search(initial_state):

depth = 0

while True:

result = depth_limited_search(
initial_state, depth, [initial_state])

if result is not None:

return result

depth += 1

initial_state = [[1, 2, 3], [0, 8, 4], [7, 6, 5]]

if solution-path is not None:
print("Solution found!")

else:

print("No solution found")

Output

Initial State:

[1, 2, 3]

[0, 8, 4]

[7, 6, 5]

Solution found!

Step 1:

[1, 2, 3]

[0, 8, 4]

[7, 6, 5]

Step 2:

[1, 2, 3]

[8, 0, 4]

[7, 6, 5]

8
✓

Lab program - 4

8) Puzzle A* search algorithm

Algorithm

Step 1: Define Puzzle Node class

- Each node represents a state of the puzzle
- The state is a 3x3 grid.

Step 2: Define Puzzlenode methods

calculate_heuristic(): calculate the heuristic value for the current state
 - st -- (self, other)

Step 3: Define helper functions

get_blank_position(state)

Find the position of the blank()

get_neighbours(node)

Get valid neighbours for a given node

apply_action(state, action)

Apply the given action.

Step 4: A search algorithm

Initialize the initial state as a puzzle node.

Initialize a set to store explored states

Step 5: Print solution

Trace back from goal state to initial state

Step 6: Main function

Define the initial state of puzzle
Call the A* algorithm with the initial state

Code

class

node :

```
def __init__(self, data, level, fval):
    " " " Initialize the node with the data,
    level of the node with the data,
    level of the node and the calculated
    f value " " "
    self.data = data
    self.level = level
    self.fval = fval
```

def generate_child(self) :

""" generate child nodes from the given node
 by moving the blank space either
 in the four directions ? up, down,
 left, right ? """

x, y = self.find(self.data, x, y)
 : {0}, : {1} } }

if child is not None:

child_node = Node(child, self.level + 1)

storing expand "child node"
return it down

def expand (self, state, f, I=2):

"" "call the child node since it has greater
distance so"

if $x_2 >= 0$ and $y_2 < len$ (Grid data)
and $I_2 = 0$ and $y_2 < len$ (Grid data):

$$\text{temp_pug} = E$$

$$\text{temp_pug} = \text{state}. \text{copy}(\text{pug})$$

$$\text{temp} = \text{temp_pug}[x_2][y_2]$$

$$\text{temp_pug}[x_2][y_2] = \text{temp} - pug \ (\approx 700)$$

$$\text{temp_pug}[x_2][y_2] = \text{temp}$$

return temp_pug

else

return None

def copy (self, nest):

"" "copy function to create a similar
matrix of the given node"""

$$\text{temp} = []$$

for i in nest:

$$t = []$$

for j in i:

$$t.append(j)$$

$$\text{temp.append}(t)$$

return temp

```
def process(self):
```

```
    "Accept start and goal puzzle state"
    print("Enter the start state matrix")
    start = self.get_start_goal()
    white True
```

```
    cur = self.open[0]
```

```
    print(" ")
```

```
    print("L")
```

```
    print("R")
```

```
    for i in cur.data:
```

```
        for j in i:
```

```
            print(j, end=" ")
```

```
            print(" ")
```

```
puz = Puzzle(3)
```

```
puz.process()
```

Output

Enter the start state matrix

1	2	3
0	4	6
7	5	8

Enter the goal state matrix

1	2	3
4	5	6
7	8	0

Solve

V

1	2	3	4	5	6	7	8	0
0	4	2	1	3	6	7	5	8
7	5	8	9	6	3	4	2	1

Lab program - 5

Vacuum cleaner problem

Algorithm

function REFLEX-VACUM-AGENT(location, status) returns action

if status = dirt then return Suck
else if location = A then return Right
else if location = B then return Left

Code

```
def clean(floor):
    i, j, row, col = 0, 0; len(floor), len(floor[0])
    for i in range(row):
        if i >= 2 == 0:
            for j in range(col):
                if floor[i][j] == 1:
                    print_floor(floor, i, j, "Clean")
                    floor[i][j] = 0
                    print_floor(floor, i, j, "Right")
                    if j < col - 1 else "Stay"
    else:
        for j in range(col - 1, -1, -1):
            if floor[i][j] == 1:
                print_floor(floor, i, j, "Clean")
                floor[i][j] = 0
                print_floor(floor, i, j, "Left" if j > 0 else "Stay")
```

def print_floor(floor, row, col, direction):
 """ A function to print the floor.
 col) represents the current vacuum
 cleaner position """

print(f "The floor matrix is a {row}x{col} grid:
for r in range(len(floor)):
 for c in range(len(floor[0])):
 if r == row and c == col:
 print(f ">{floor[r][c]}< ", end = " ")
 else:
 print(f ">{floor[r][c]}< ", end = " ")
 print(end = "\n")
 print(f "direction {direction}")
 print(f "end = \n")

def main():
 floor = []
 m = int(input("Enter the number of rows: "))
 n = int(input("Enter the number of columns: "))
 print("Enter clean status over each cell
(1 - dirty, 0 - clean)")
 for i in range(m):
 f = list(map(int, input().split()))
 floor.append(f)
 print() //
 clean(floor)

main()

Output for two rooms

Enter the no. of rows : 1

Enter the no. of columns : 2

Enter clean status for each cell
(1 - dirty, 0 - clean)

1 1

The floor matrix is as below :

> 1 < 1
clean

The floor matrix is as below :

> 0 < 1
Right

The floor matrix is as below :

> 0 <
clean

The floor matrix is as below :

0 > 0 <
stay

Output for four rooms

Enter the no. of rows = 2

Enter the no. of columns : 2

Enter the no. of rows (1 - dirty, 0 - clean)

1 0
1 0

The floor matrix is as below:

$$\begin{pmatrix} 1 & 0 \\ 1 & 0 \end{pmatrix}$$

Clean

The floor matrix is as below.

$$\begin{pmatrix} 0 & 0 \\ 1 & 0 \end{pmatrix}$$

Right

The floor matrix is as below:

$$\begin{pmatrix} 0 & 0 \\ 1 & 0 \end{pmatrix}$$

Stay

The floor matrix is as below:

$$\begin{pmatrix} 0 & 0 \\ 1 & 0 \end{pmatrix}$$

$$\begin{pmatrix} 0 & 0 \\ 1 & 0 \end{pmatrix}$$

Down

The floor matrix is as below:

$$\begin{pmatrix} 0 & 0 \\ 1 & 0 \end{pmatrix}$$

$$\begin{pmatrix} 0 & 0 \\ 1 & 0 \end{pmatrix}$$

Clean

The floor matrix is as below:

$$\begin{pmatrix} 0 & 0 \\ 0 & 0 \end{pmatrix}$$

$$\begin{pmatrix} 0 & 0 \\ 0 & 0 \end{pmatrix}$$

Stay

Lab program - 6

Knowledge base entailment

Algorithm

Step 1 : Tokenization:

Tokenize both 'sentence 1' and 'sentence 2' into individual words, considering punctuation and whitespace.

Step 2: Normalization:

Convert all words to lower case to make the comparison case-insensitive.

Step 3: Comparison:

Initialize a boolean variable,
• entailment holds to true.

Step : End :

End of algorithm.

Code.

```
from sympy.logic.boolalg import Implies,  
NOT
```

```
from sympy.abc import p, q
```

class PropositionalKnowledge:

def __init__(self):

self.knowledge_base = set()

def add_statement(self, statement):

return query_simplify() in self.knowledge_base

Kb = PropositionKnowledgeBase()

Kb.add_statement(Implies(p, q))

Kb.add_statement(Not(q))

query 1 = p

query 2 = NOT(p)

result 1 = Kb.check_entailment(query1)

result 2 = Kb.check_entailment(query2)

print(f"Does '{query1}' logically follow from
the knowledge base? {result1} ")

print(f"Does '{query2}' logically follow from
the knowledge base? {result2} ")

Output

~~Does 'p' logically follow from the knowledge
base? True.~~

Does ' $\neg p$ ' logically follow from the
knowledge base? False.

Lab program - 7

Knowledge base resolution

Algorithm

Step 1: Initialize Knowledge Base:

- Create a class `KnowledgeBase` to represent the knowledge base.
- Populate the knowledge base with a set of predefined questions and answers.

Step 2: User interaction loop:

- Enter a loop to interact with the user.
- Prompt the user to ask a question or type exit to end the program.

Step 3: User input

- Receive user input for the question.

Step 4: Knowledge Resolution

- Use the `resolver_greedy` method in the `KnowledgeBase` class to find the answer to the user's question.

If an answer is found, display the answer.

steps: exit condition

If the user types exit, the loop ends and ends the program.

Code:

def resolution(knowledge_base, query):

clauses = knowledge_base + [frozenset(query)]

while True:

new_clauses = set()

for i in range(len(clauses)):

for j in range(i+1, len(clauses)):

resolvents = resolve(clauses[i], clauses[j])

if frozenset() in resolvents:

new_clauses.append(resolvents)

if new_clauses.issubset(clauses):

return False

clauses.append(new_clauses)

def resolve(c_i, c_j):

resolvents = set()

for d_i in c_i :

for d_j in c_j :

if $d_i = \neg d_j$ or $\neg d_i = d_j$:

resolvent = ($c_i - \{d_i\}$) \cup ($c_j - \{d_j\}$)

resolvents.add(frozenset(resolvent))

return resolvents

knowledge_base = []

while True:

 clause = input("Enter a clause for the knowledge base (or 'done' to finish):")
 if clause.lower() == "done":
 break

 knowledge_base.append(frozenset([eval(clause)]))

query = eval(input("Enter the query:"))

result = resolution(knowledge_base, query)

print(f"Is {query} entailed by the knowledge base? {result} ?")

Output

Enter a clause for the knowledge base (or 'done' to finish): {q, p, ~q} ∴

Enter a clause for the knowledge base (or 'done' to finish): {~p, q, ~q} ∴

Enter a clause for the knowledge base (or 'done' to finish): {q, ~q} ∴

Enter a clause for the knowledge base
(or "done" to finish): done

Enter the query: P

Is P resolved by the knowledge base?

False

~~Don't know~~

Lab program - 8

Unification in first order logic

Algorithm

Step 1: Initialize: Start with an empty substitution "theta = {}"

Step 2: Comparison of atoms: compare the two atoms ["P", "x", "y"] and ["P", "A", "B"]

The first elements "P" are same
The second elements "x" and "A" are different, so we need to unify them

Step 3: Unify variables: unify the variable "x" with the term "A"
Update "theta" with this substitution
 $\text{theta} = \{x : A\}$

Step 4: Recursive unification: Now, recursively unify the remaining elements:

For the third elements "y" and "B", unify the variable "y" with the term "B". Update theta. $\text{theta} = \{x : A, y : B\}$

Step 5: Result. The final substitution

$\text{theta} = \{x : A, y : B\}$
the two expressions ["P", "x", "y"] and ["P", "A", "B"] can be unified.

Code.

class UnificationError (Exception):
pass

```
def point_step (step, atom1, atom2, theta):
    point(f" In step {step} : {atom1} = {atom2}")
    print(f" Unifying {atom1} and {atom2}")
    print(f" Current Substitution Theta: {theta}")
```

```
def unify_var (var, x, theta):
    if var in theta:
        return unify (theta [var], x, theta)
    else x in theta:
        return unify (var, theta [x], theta)
    else:
        theta [var] = x
        return theta
```

```
def unify (atom1, atom2, theta = None, step = 1):
    if theta is None:
        theta = {}
```

```
print_step (step, atom1, atom2, theta)
if atom1 == atom2:
    return theta
elif isinstance (atom1, str) and
    atom1 . isalpha ():
    return unify_var (atom1, atom2, theta)
else:
```

if $\text{len}(\text{atom}_1) = \text{len}(\text{atom}_2)$:
 raise UnificationError ('Lists have
 different lengths')
 for a_1, a_2 in $\text{zip}(\text{atom}_1, \text{atom}_2)$
 theta = unify($a_1, a_2, \text{theta}, \text{step}+1$)
 return theta
 else:
 raise UnificationError ('cannot unify')

try:

$\text{theta} = \text{unify}([{}^e P, {}^e x, {}^e y], [{}^e P, {}^e A, {}^e B])$
 print('In Unification successful, Theta')
 except UnificationError as e:
 print('In Unification failed:', e)

Output

Step 1: Unifying $[{}^e P, {}^e x, {}^e y]$ and
 $[{}^e P, {}^e A, {}^e B]$
 current substitution Theta: $\{x: P\}$

Step 2: Unifying P and P
 current substitution Theta: $\{x: P\}$

Step 3: Unifying x and A
 current substitution Theta: $\{x: P\}$

Step 4: Unifying y and B
 current substitution Theta: $\{x: P, y: B\}$

Unification successful
 substitution Theta: $\{x: P, y: B\}$

Lab program - 9

Convert a first order logic to conjunctive normal form

Algorithm

Step 1: eliminate implications

Replace implications with their equivalent forms using the rule $p \Rightarrow q \equiv \neg p \vee q$

Step 2: Move negations inwards

apply de Morgan's law to move negation inwards.

For example,

$$\neg(p \wedge q) \equiv \neg p \vee \neg q$$

$$\neg(p \vee q) \equiv \neg p \wedge \neg q$$

Step 3: Distribute disjunctions over conjunctions

Distribute disjunctions (\vee) over conjunctions (\wedge) using the distributive property.

$$\text{For example } p \vee (q \wedge r) = (p \vee q) \wedge (p \vee r)$$

Step 4: convert to CNF form

Ensure that formula is in CNF by applying any additional simplifications if needed

Code

from sympy import symbols, And, Or, Implies,
Not, to_cnf

def eliminate_implications(formula):

return formula.simplify(Implies(p, q),
Or(Not(p), q))

def move_negations_inwards(formula):
return formula.simplify()

def distribute_disjunctions_over_conjunctions
(formula):

return formula.simplify()

def fol_to_cnf(fol_formula):

formula_step1 = eliminate_implications
(fol_formula)

formula_step2 = move_negations_inwards
(formula_step1)

formula_step3 = distribute_disjunctions
over conjunctions
(formula_step2)

cnf_formula = to_cnf(formula_Step3)

return cnf_formula

user_input = input ("Enter a first order logic formula: ")

p, q, r = symbols ('p', 'q', 'r')

f0l_formula = eval(user_input, { 'p': p, 'q': q, 'r': r })

cnf_formula = fol_to_cnf(f0l_formula)

print("nFOL Formula:", f0l_formula)

print("nCNF Formula:", cnf_formula)

Output

Enter a first order logic : p & ($\neg q \vee r$)

FOL formula: And(p, Or(Not(q), r))

CNF formula: Or(And(p, r), And(p, Not(q)))

$\vee (p \wedge r) \wedge (p \wedge \neg q)$

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Lab program - 10

Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

Algorithm

1. Initialize Knowledge Base (KB)
start with an empty knowledge base
2. Add FOL statements to KB
add relevant FOL statements to the knowledge base. These statements represent facts and rules about the domain.
3. Define forward reasoning rules
specify the rules for forward reasoning.
4. Initialize working memory
Create a working memory to store the current state of the knowledge base during the reasoning process.
5. Ask Query
formulate the query you want to prove.
6. Forward reasoning loop

Repeat the following steps until the query

- a. Iterate through each rule.
- b. apply rules whose conditions match the current state
- c. add the conclusions of the applied
- + check query in working memory
Verify if query is now solved or can be inferred
8. output result

If the query is present output "Query is true" otherwise output Query is false.

Sum

Code

```
class KnowledgeBase:
    def __init__(self):
        self.rules = []
```

```
def add_rule(self, condition, conclusion):
    self.rules.append({ "conditions": condition,
                        "conclusion": conclusion })
```

~~Lesson 2~~
2.2 Forward Reasoning (Self Query):

working memory = set()

unchanged = False

write not unchanged:

unchanged = True

for rule in self.rules:

if rule['conditions'].isSubset(working memory) and rule['conclusion'] not in working memory.

working_memory.add(rule['conclusion'])

Unchanged = False

return query in working_memory

Kb = KnowledgeBase()

Kb.add_rule([P, Q], R)

Kb.add_rule([R, S], T)

Kb.add_rule([T, U], V)

query = V

result = kb.forward_reasoning(query)

if result:

print("Query is true")

else:

print("Query is false")

Output

Enter the query.

(E "P", "Q", R)
([P R, S, T)
([T, U, V)

Query is false.

Enter the query

(E "P", "Q", R)
(["Q", "R", P)
([R, P, Q)

Query is true.

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