

Paper Reading Seminar

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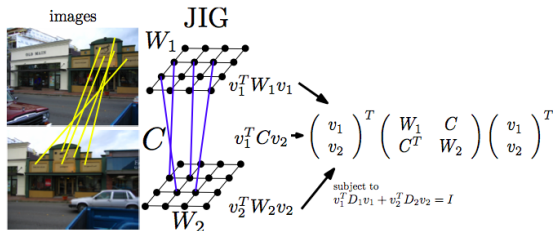
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Image Matching via Saliency Region Correspondences

- ▶ Intuition
 - ▶ Segmentation is not perfect. Weak connections \Rightarrow graph-based segmentation (NCut)
 - ▶ Matching is not perfect. Weak connections \Rightarrow spatial consistency check
 - ▶ Combine the two tasks together \Rightarrow use a single graph to get a joint optimal
 - ▶ Encoding context in the matching process \Rightarrow no need for spatial consistency check
- ▶ Outline
 - ▶ Formulation
 - ▶ Optimization
 - ▶ Features

Formulation

- ▶ Graph formulation
 - ▶ Vertex: pixel
 - ▶ Layer: two-layer, one for each image
 - ▶ Intra-layer edges: how strongly the pixels are similar (connected) in this image
 - ▶ Inter-layer edges: how strongly the pixels are similar (connected) across images



Formulation

- ▶ Intra-layer optimization goal

$$\max_v \frac{v_1^T W_1 v_1 + v_2^T W_2 v_2}{v^T D v}$$

- ▶ Binary segmentation problem (extend to multi-class with 1-vs-all binary mask)
- ▶ Each segment should be internally consistent
 $\Rightarrow v_1^T W_1 v_1$. Only if v_{1j}, v_{1k} both positive, will $W_{1(i,j)}$ be counted
- ▶ $v_i = \{0, 1\}^{n_i}$, $\sum_j v_{ij} = 1$, indicator vector for image i , pixel j , and cluster k , $v = [v_1^T, v_2^T]^T$
- ▶ Normalize on the size: $\sum_j v_{1j}^T W_1 = \mathbf{1}^T W_1 = D_1$

Formulation

- ▶ Inter-layer optimization goal

$$\max_v \frac{v_1^T C v_2}{v^T D v}$$

- ▶ “Co-saliency” regions (where $v_{ij} = v_{ik}$) should be similar
- ▶ Also normalize on size
- ▶ Use “context” to refine segmentation as well as matching

Formulation and optimization

- ▶ Final optimization goal

$$F(v^{(c)}, C) = \text{IntraIS}(v^{(c)}, C) + \text{InterIS}(v^{(c)}, C)$$

$v^{(c)}$: binary segmentation result for the c th segment.

- ▶ Relaxation for optimization
 - ▶ v to real vector
 - ▶ Joint “soft” segmentation result V (set of eigenvectors) lies in the subspace spanned by the individual “soft” segmentation results S_1 and S_2 .
 - ▶ Relax the synchronization with orthogonal constraints.
 - ▶ EM iterative optimization, with no explicit proof of convergence (in some special cases, EM algorithms can arrive in stationary points)

Features

- ▶ MSER detector + SIFT descriptor
- ▶ Intra-image W
 - ▶ x, y are considered in the same segment \Leftrightarrow no edges with large magnitude spatially separate them
 - ▶ Edge detection with large magnitude \Rightarrow get W
- ▶ Inter-image C
 - ▶ 1. Feature detection: also consider the ellipse (orientation/scale) from the detector
 - ▶ 2. Feature matching
 - ▶ 2.0 Simplest pixel-wise matching: Gaussian kernel + descriptor + ellipse matrix

$$m_{x,y}(p, q) = e^{-\|d_p - d_q\|^2 / \sigma_i^2} e^{-\|H_p(x) - H_q(y)\|^2 / \sigma_p^2}$$

Features

- ▶ Inter-image C
 - ▶ 2.1 Adopt patch-wise feature matching score as pixel-wise score for C

$$M_{x,y} = \max\{m_{x,y}(p, q) \mid p \in P, q \in Q, x \in R_p, y \in R_q\}$$

One point can be involved in multiple MSER interest regions. For every point pair x, y , check all the MSER pairs (with different H settings), and pick up the highest matching score

- ▶ 2.2 Compute patch-wise similarity matrix M , and then normalize to C

$$D_1^{-1/2} C D_2^{-1/2} = P \circ M$$