• Nature of Cash Flows:

- **Discrete Time:** Uses $\frac{FV}{(1+r)^t}$ for a single, lump-sum future payment or a series of discrete payments at specific time points.
- Continuous Time with $\exp(-rt)$: Used for discounting a single, lump-sum future payment or a series of discrete payments at specific time points.
- Continuous Time with $\frac{1}{r}(1 \exp(-rt))$: Used for discounting a continuous payment stream, like a continuously paid annuity.

• Formula Interpretation:

- **Discrete Time:** $\frac{FV}{(1+r)^t}$ directly gives the present value of a future cash flow at discrete time intervals.
- Continuous Time with $\exp(-rt)$: Directly gives the present value of a future cash flow. It's straightforward and simple for single cash flows at discrete times.
- Continuous Time with $\frac{1}{r}(1-\exp(-rt))$: Gives the present value of the entire continuous cash flow from time 0 to t. It's more complex and not directly applicable for discrete time points or single cash flows.

• Simplicity and Conventional Use:

- **Discrete Time:** $\frac{FV}{(1+r)^t}$ is widely accepted and used for its simplicity and direct interpretation for discounting future values at discrete

intervals.

- Continuous Time with $\exp(-rt)$: Widely accepted and used due to its simplicity and direct interpretation for discounting future values.
- Continuous Time with $\frac{1}{r}(1-\exp(-rt))$: More specialized and less commonly applied outside its intended context of continuous cash flows due to its complexity for single or discrete cash flows.