• We much to prove the identity $\vec{\partial} \cdot (\vec{\partial} \times \vec{E}) = 0$ $\vec{\nabla} \cdot (\vec{\partial} \times \vec{E}) = \vec{\partial} i \; \vec{E} i \hat{\beta} \, \hat{n} \; \partial_{\vec{i}} \, F_{\vec{k}}$ $= \vec{E} i \hat{\beta} \, \hat{n} \; \partial_{\vec{i}} \, \hat{j} \, F_{\vec{k}}$ $= \vec{E} i \vec{j} \, \hat{n} \; \partial_{\vec{i}} \, \hat{j} \, F_{\vec{k}} + \vec{E} i \vec{j} \, \hat{n} \; \partial_{\vec{i}} \, \partial_{\vec{j}} \, F_{\vec{k}}$ $= \vec{E} (\vec{E} i \vec{j} \, \hat{n} \; \partial_{\vec{i}} \, \hat{j} \, F_{\vec{k}} + \vec{E} \hat{j} i \hat{n} \; \partial_{\vec{i}} \, \partial_{\vec{i}} \, F_{\vec{k}})$ $= \vec{E} (\vec{E} i \vec{j} \, \hat{n} \; \partial_{\vec{i}} \, \hat{j} \, F_{\vec{k}} + \vec{E} \hat{j} i \hat{n} \; \partial_{\vec{i}} \, \partial_{\vec{j}} \, F_{\vec{k}})$ $= \vec{E} (\vec{E} i \vec{j} \, \hat{n} \; \partial_{\vec{i}} \, \partial_{\vec{j}} \, F_{\vec{k}} + \vec{E} \hat{j} i \hat{n} \; \partial_{\vec{i}} \, \partial_{\vec{j}} \, F_{\vec{k}})$ $= \vec{E} (\vec{E} i \vec{j} \, \hat{n} \; \partial_{\vec{i}} \, \partial_{\vec{j}} \, F_{\vec{k}} + \vec{E} \hat{j} i \hat{n} \; \partial_{\vec{i}} \, \partial_{\vec{j}} \, F_{\vec{k}})$