

Endomorphic metalanguage and abstract planning for real-time intent recognition

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LIRiS



Lyon 1

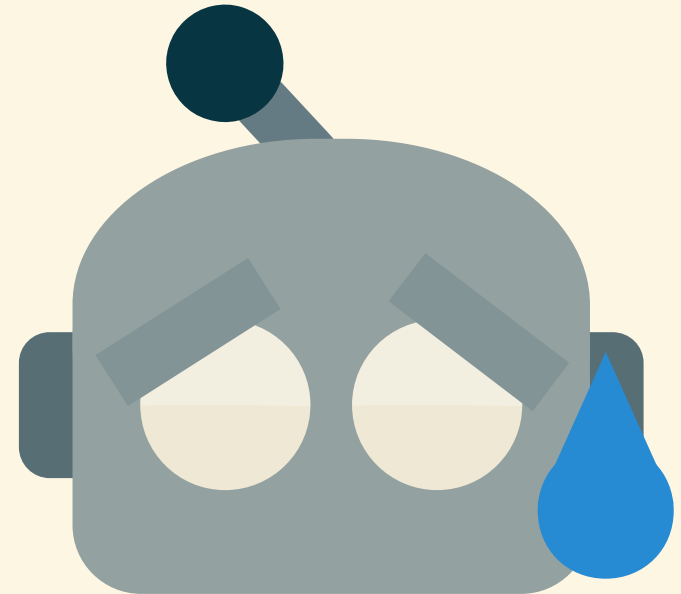
Lyon 2



POLYTECH

A what ?

- *Dependent people need help !*
 - Not **annoying** the person
 - Can't see *everything* they are doing
- How to help without asking ?
 - Guessing the intent somehow
- **Intent Recognition**
 - Observed behavior → Goal
 - Using action sequences: Plans



1 Intent Recognition

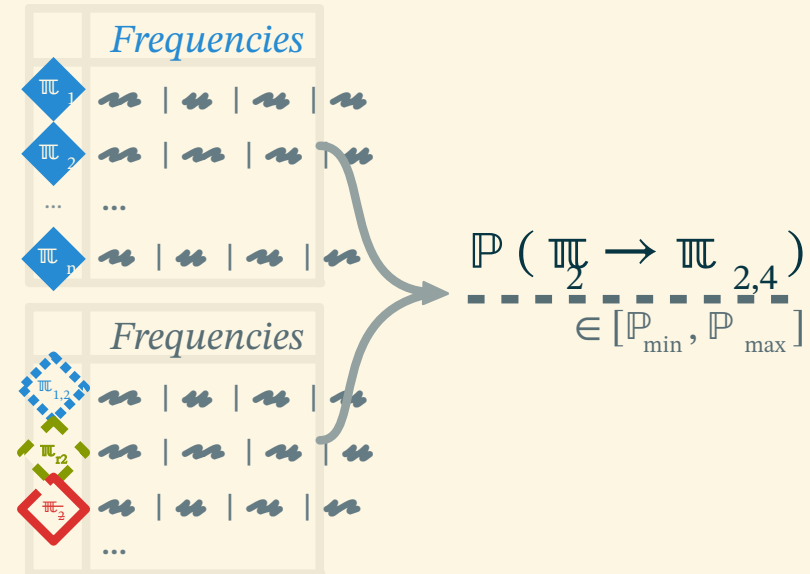
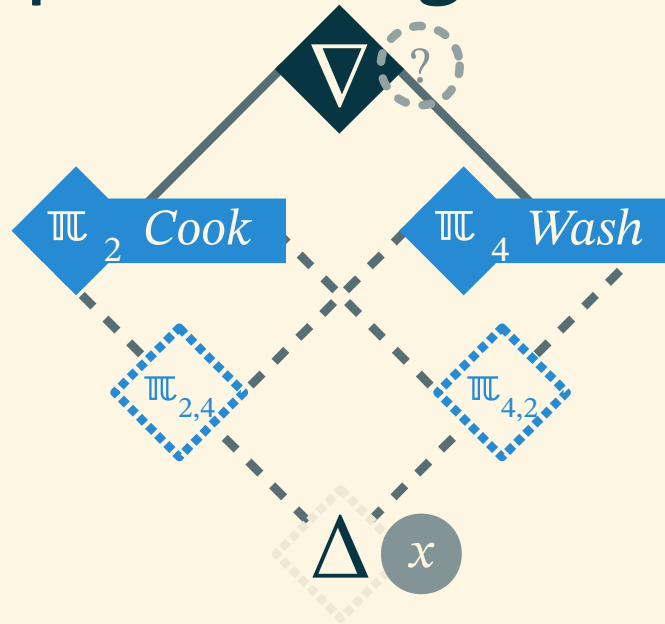
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Logic Approach

[@BOUCHARD_2006]

4

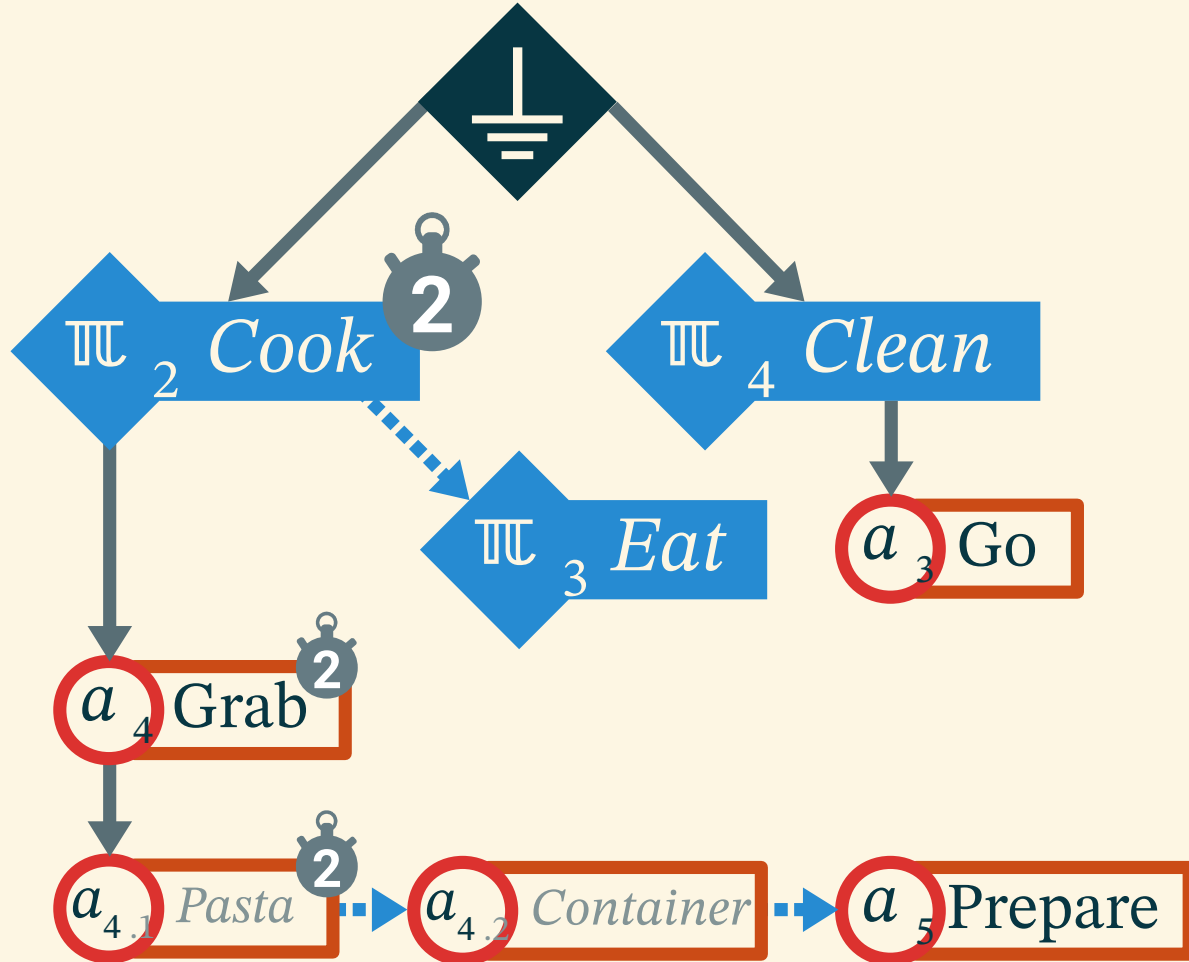
- Lattice Based
- Fast and efficient
- Exponential growth



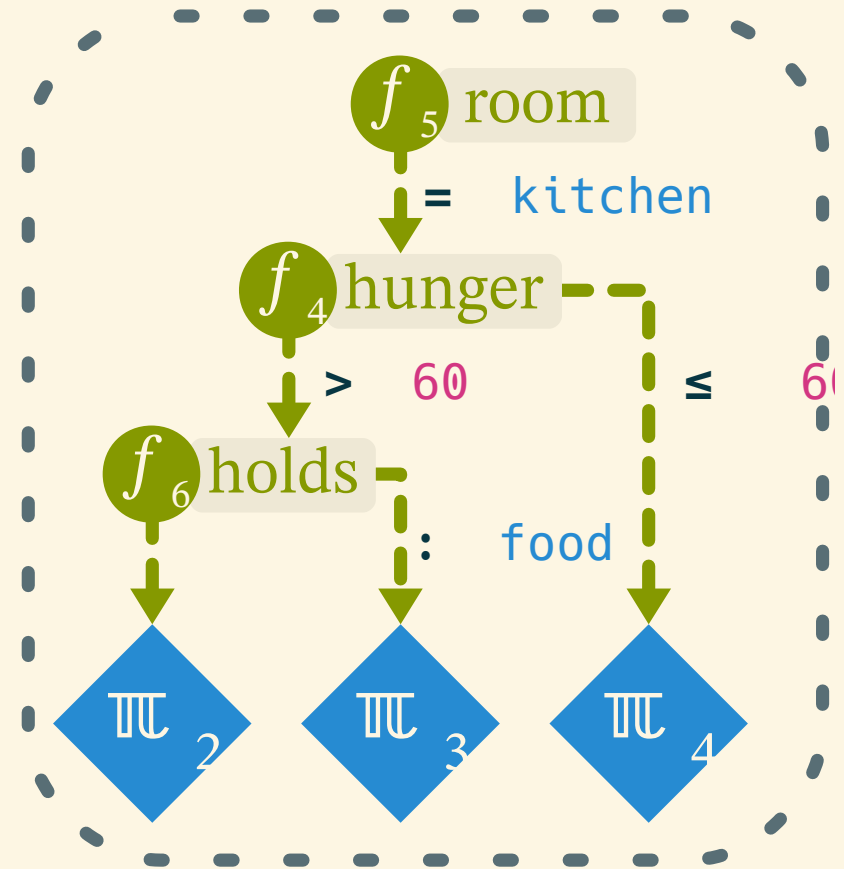
Stochastic Approach

[@avrahami_2006]

5



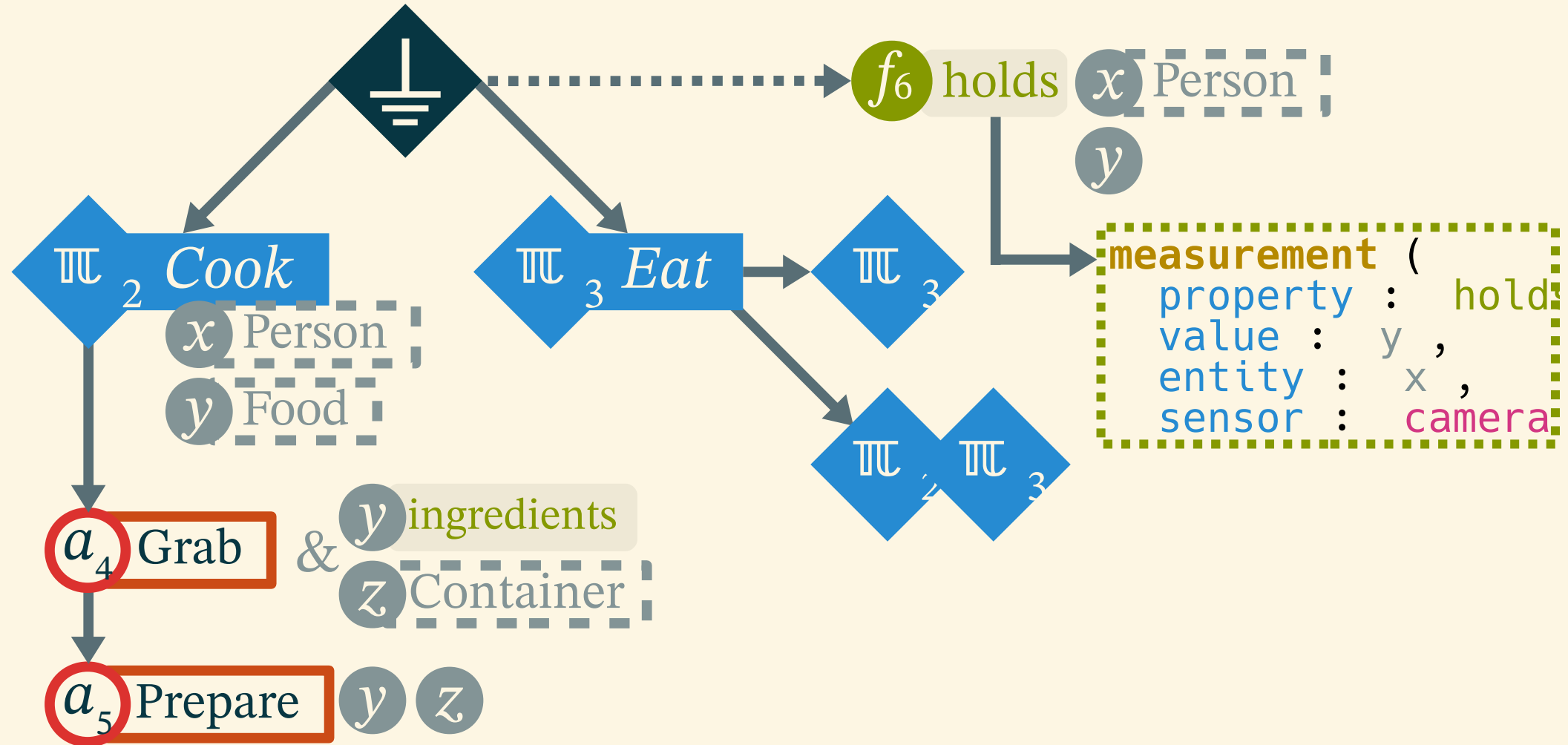
Filter



Grammatical Approach

[@VIDAL_2010]

6



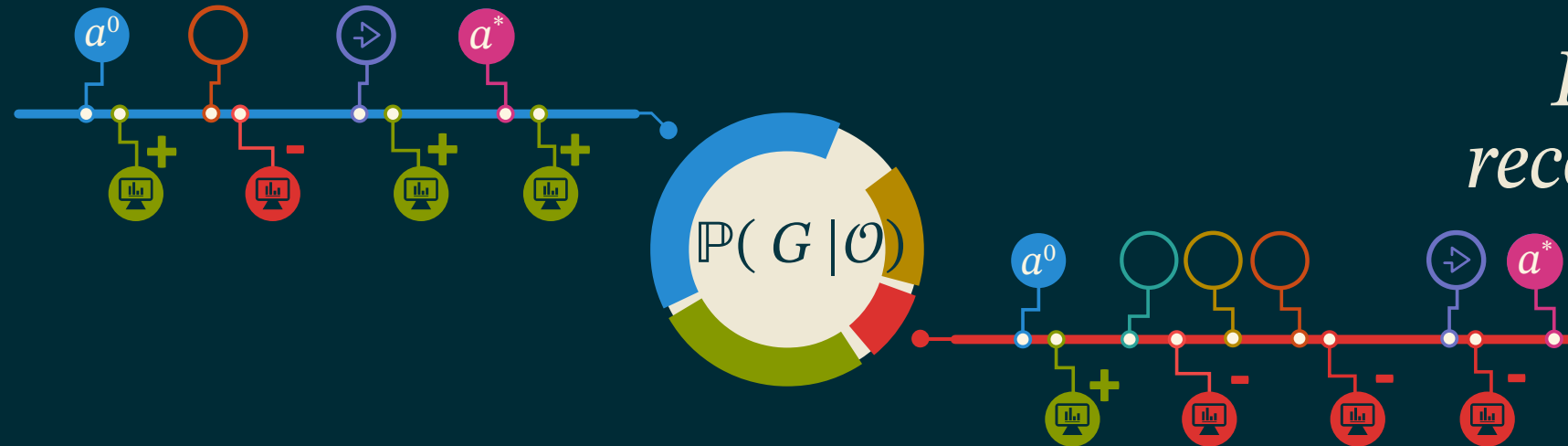
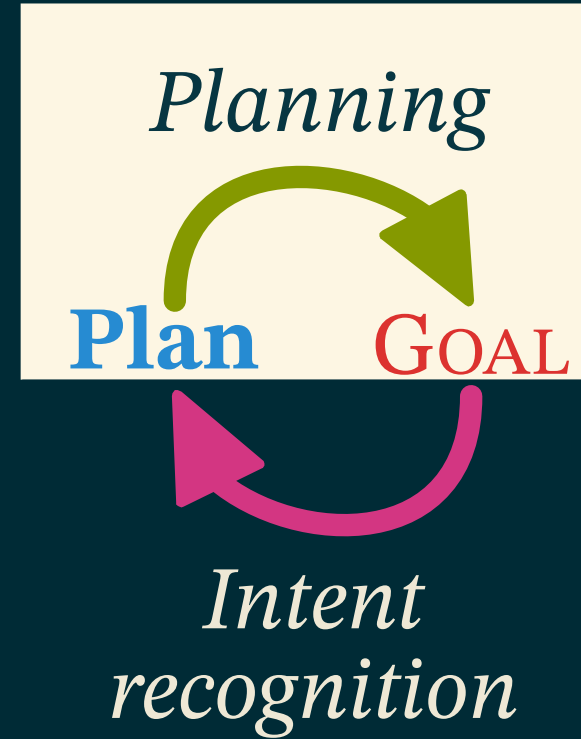
Invert Planning

[@Ramirez_2008]

7

- Theory of Mind

“*The easier the plan,
the more likely the goal*”



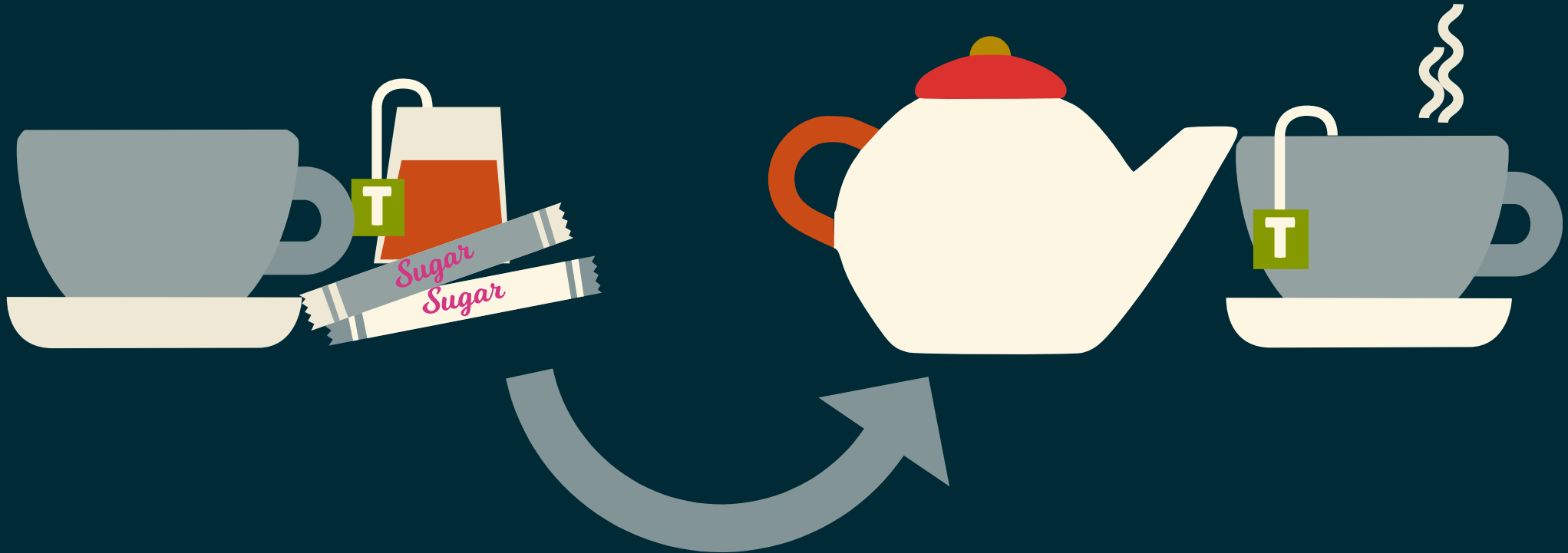
Classical Planning

8

- Domain
 - **Fluents**
 - Formula over objects
 - **States**
 - Properties of the world
 - Formula over fluents
 - **Actions**
 - Precondition
 - Effects
- **Problem**
 - Initial state
 - Goal state
- **Plan** (solution)
 - Action sequence
 - Order
 - Total
 - Partial

Example

- Having some tea, aren't we ?



X General Planning Framework

Another Perspective on Planning

- States
 - And/Or trees
 - Verifying
 - Applying
- Actions
 - Precondition, Effects (States)
 - Constraints (State)
 - Cost, Duration, Probability
 - Methods (Plans)

Search Space

- Starting point s_0
- Search space S
- Solution predicate q_s^*
- Iterator χ_S

General Planning Algorithm

- $\Pi^*(s^*, s_0, q s^*, h, \gamma S, D)$
 - Shortest Path Algorithm

Planning Approaches

- State-transition
 - $\Pi * \square = \Pi * ((\square, A), \text{pre}(\omega), \text{eff}(\omega))$
- Plan space
 - $\Pi * \Pi = \Pi * (r, a \rightarrow a * , \otimes(s) = \emptyset)$
- Case based
 - $\Pi C = \Pi * (r * , \{ \text{min} : \pi \in C \wedge \pi(\text{pre}(\omega)) \models \text{eff}(\omega) \}, s(\text{pre}(\omega)) \neq \emptyset)$
- Probabilistic
 - $\Pi P = \Pi * (\text{pol}, \text{pre}(\omega), s \models \text{eff}(\omega))$
- Hierarchical
 - $\Pi \omega = \Pi * (r + , \Pi(\omega), \otimes(s) = \emptyset \wedge \forall a \in A \pi \in s \Pi(a) = \emptyset)$

COLOR Framework

Thanks for listening !

16

