

```
• using Pkg
```

```
• Pkg.activate("C:/Users/PhytoGreg/.julia/pluto_notebooks")
```

```
• begin
•     using CSV
•     using Plots
•     using Dates
•     using Distributions
•     using Printf
•     using LaTeXStrings
• end
```

Load the ensemble from the .CSV

	trial	t	X1	X2	X3	X4
1	1	0.0	9999	0	1	0
2	1	1.0	9998	0	2	0
3	1	2.0	9998	0	2	0
4	1	3.0	9998	0	2	0
5	1	4.0	9997	1	2	0
6	1	5.0	9997	1	1	1
7	1	6.0	9997	1	1	1
8	1	7.0	9997	1	1	1
9	1	8.0	9997	0	2	1
10	1	9.0	9997	0	2	1
⋮ more						
15050	50	300.0	9997	0	0	3

```
• begin
•     Npop = 10000
•     b    = 0.3
•     dd = CSV.read(@sprintf "SEIR_ensemble_n=%.0f_b=%.2f.csv" Npop b)
• end
```

Subset the ensemble for a single trial

d =

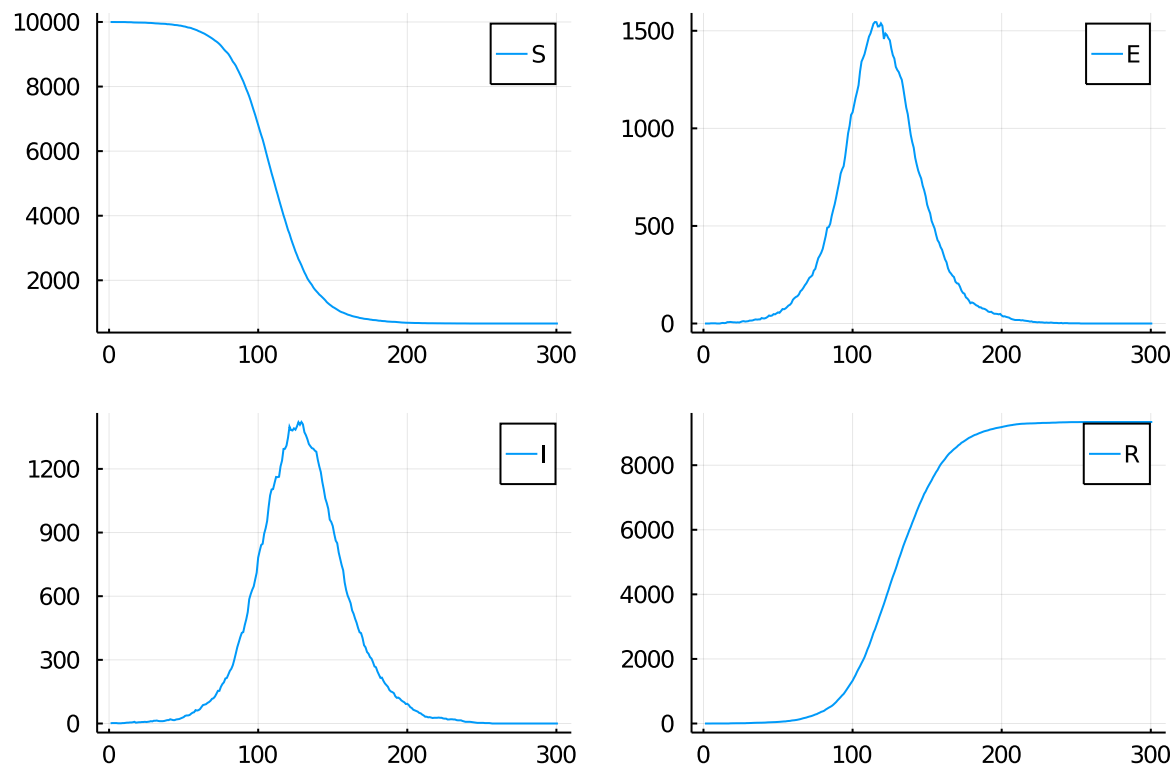
	trial	t	X1	X2	X3	X4
1	1	0.0	9999	0	1	0
2	1	1.0	9998	0	2	0
3	1	2.0	9998	0	2	0
4	1	3.0	9998	0	2	0
5	1	4.0	9997	1	2	0
6	1	5.0	9997	1	1	1
7	1	6.0	9997	1	1	1
8	1	7.0	9997	1	1	1
9	1	8.0	9997	0	2	1
10	1	9.0	9997	0	2	1
⋮ more						
201	1	300.0	662	0	0	9338

- `d = dd[dd.trial ==1,:]`

► Int64[0, 0, 0, 0, 0, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 5, 6, 7, ... more ,

- `begin`
- `S = d.X1`
- `E = d.X2`
- `I = d.X3`
- `R = d.X4`
- `end`

Plot the trial



```

• begin
•   p1 = plot(S)
•   p2 = plot(E)
•   p3 = plot(I)
•   p4 = plot(R)
•   plot(p1,p2,p3,p4,labels=["S" "E" "I" "R"])
• end

```

SIMULATE TESTING

Perfect random sampling

Sampling the population with the probability of a positive test equal to the fraction of infected individuals in the population, according to

$$p(t) = \frac{I(t)}{N_{pop}}.$$

The simplest case is a constant number of tests performed each day. Below we will investigate time-dependent number of tests performed per day

```
► Int64[10, 10, 10, 10, 10, 10, 10, 10, 10, 10, 10, 10, 10, 10, 10, 10, 10, 10,
```

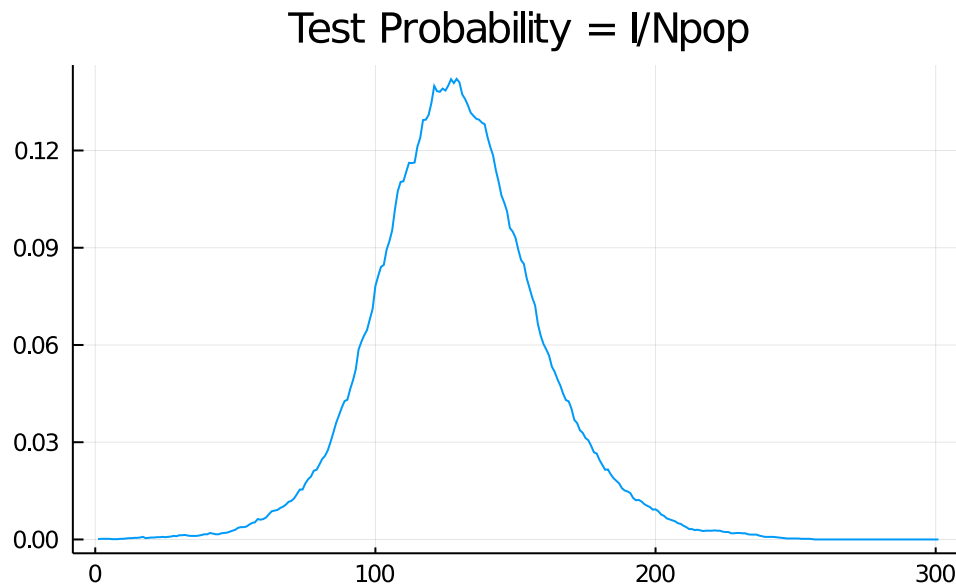
```
• ###--CONSTANT NUMBER PER DAY--#####
```

```

• begin
•   ptest1 = 0.01 #proportion of the population tested per day
•   ptest2 = 0.001 #proportion of the population tested per day
•   ntest1 = ptest1*Npop
•   ntest2 = ptest2*Npop
•   n      = length(S)
•   Ntest1 = repeat([convert(Int64,round(ntest1,digits=0))],Int(n)) #time series of
•   Ntest2 = repeat([convert(Int64,round(ntest2,digits=0))],Int(n)) #time series of
    tests
• end

```

Plot the time-dependent fraction of the infected individuals



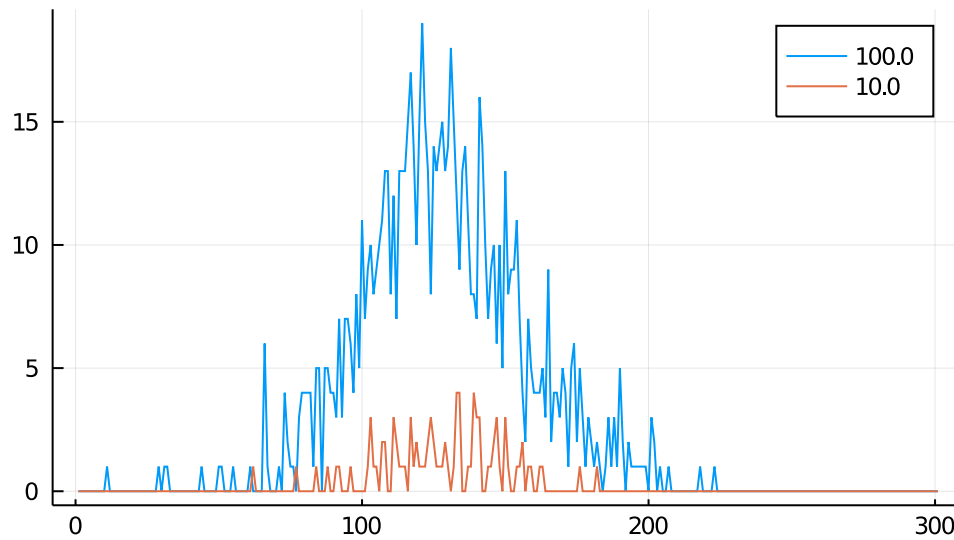
```

• begin
•   Ifrac = I/Npop
•   Ifrac[Ifrac.<=0.0] .= 0.0
•   plot(Ifrac,size=(500,300),title="Test Probability = I/Npop",legend=false)
• end

```

Plot a simulated time series for positive tests over time

Observed positives for different ntest



```

• begin
•   binom1 = Binomial.(Ntest1,Ifrac)
•   binom2 = Binomial.(Ntest2,Ifrac)
•   t1 = rand.(binom1)
•   t2 = rand.(binom2)
•   plot(t1,size=(500,300),labels=ntest1,titlefontsize=10, title = @sprintf
"Observed positives for different ntest")
•   plot!(t2,size=(500,300),labels=ntest2)
• end

```

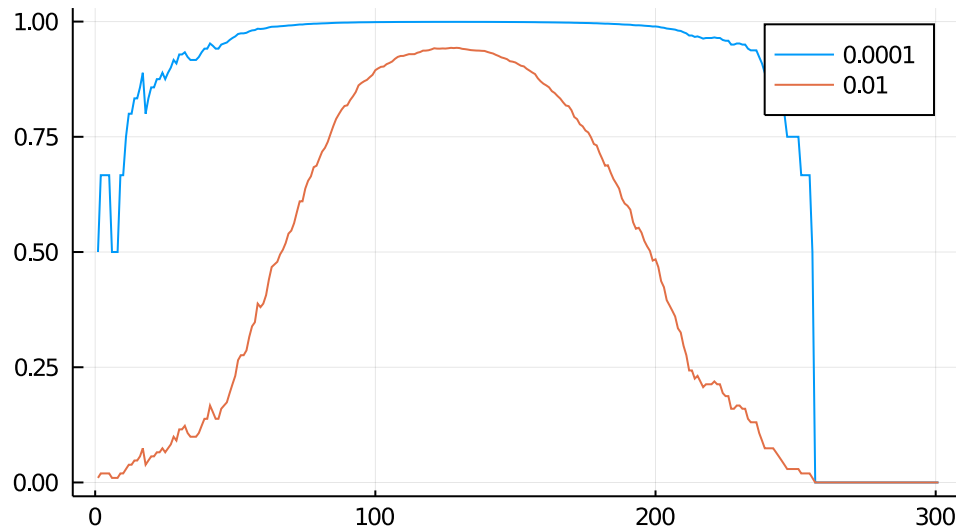
Biased sampling

Here we introduce a tendency to sample infected individuals over others.

This is done by controlling the fraction of non-infected individuals that are available to testing, according to

$$p(t) = \frac{I(t)}{I(t) + s(N_{pop} - I(t))}.$$

Test Probabilities for Different s

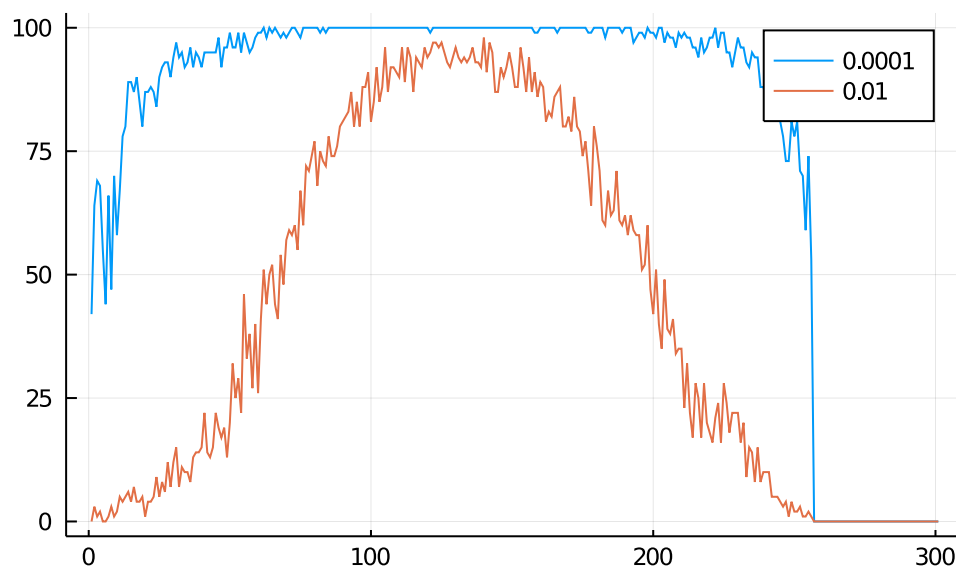


```

• begin
•   s1 = 0.0001
•   s2 = 0.01
•   psamp1 = I./(I .+ s1.*(Npop.-I))
•   psamp2 = I./(I .+ s2.*(Npop.-I))
•   #psamp[psamp.<=0.0] .= 0.0
•   plot(psamp1,size=(500,300),labels=s1,title="Test Probabilities for Different
s")
•   plot!(psamp2,labels=s2)
• end

```

Simulated time series of observed positive tests for different s



```

• begin
•   binoms1 = Binomial.(Ntest1,psamp1)
•   binoms2 = Binomial.(Ntest1,psamp2)
•   ts1 = rand.(binoms1)
•   ts2 = rand.(binoms2)
•   plot(ts1,size=(500,300),labels=s1)
•   plot!(ts2,labels=s2)

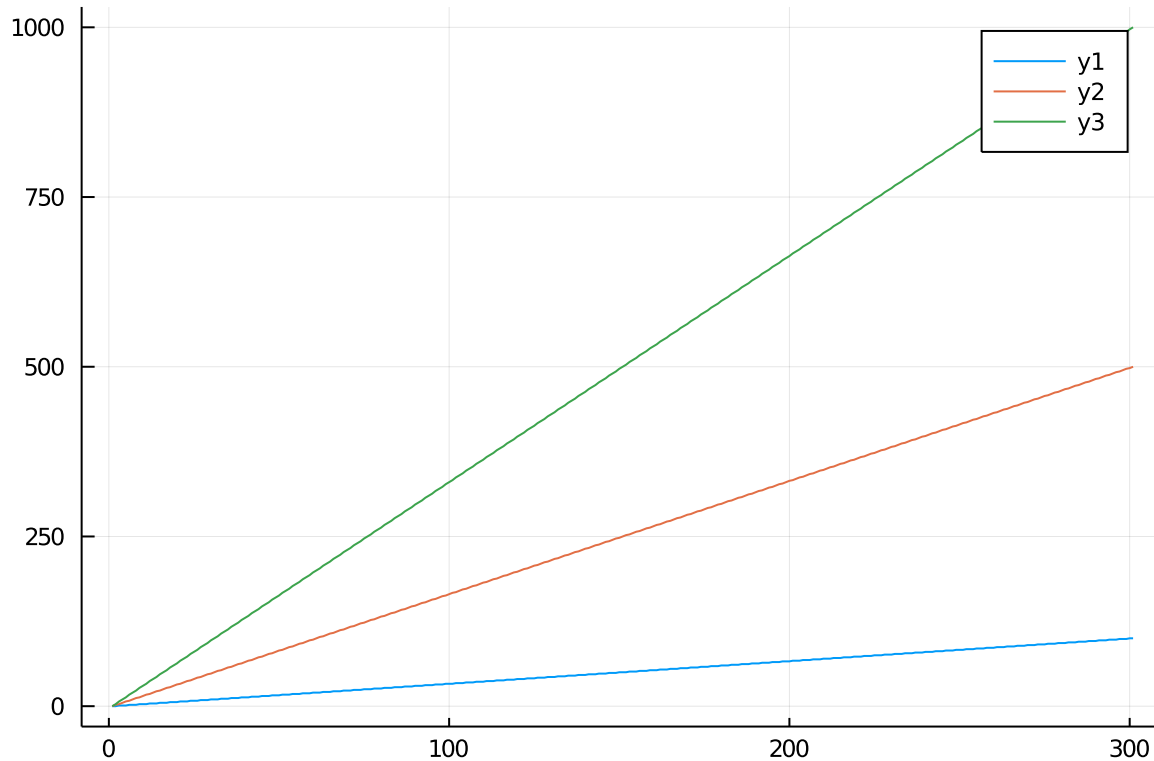
```

- end

TIME-VARYING N_{test}

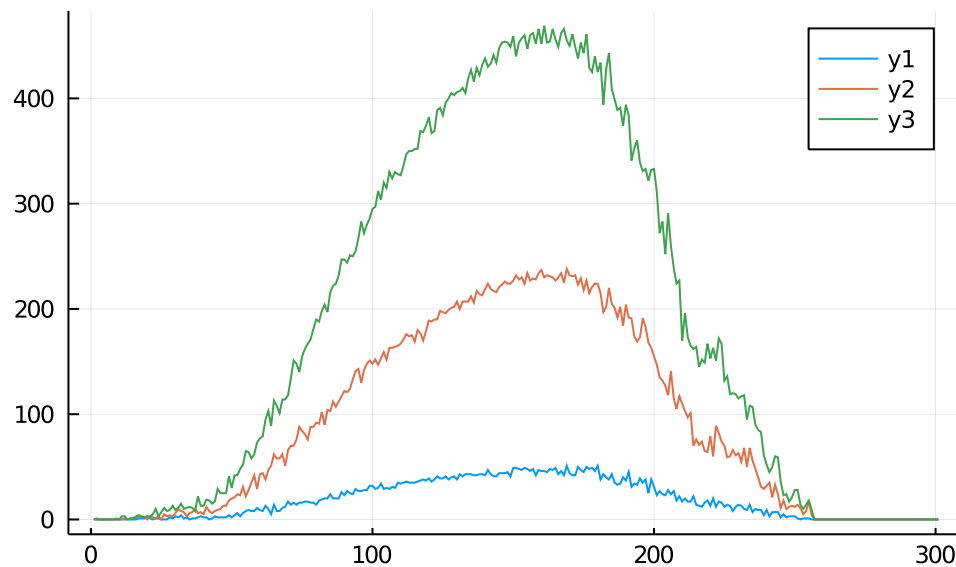
Linear increase in testing over time

We can impose time-dependent testing regimes to investigate its role in controlling observed growth rates



```
• begin
•   plot(Ntestlin1)
•   plot!(Ntestlin2)
•   plot!(Ntestlin3)
• end
```

Plot observed positive tests for different Ntest time series



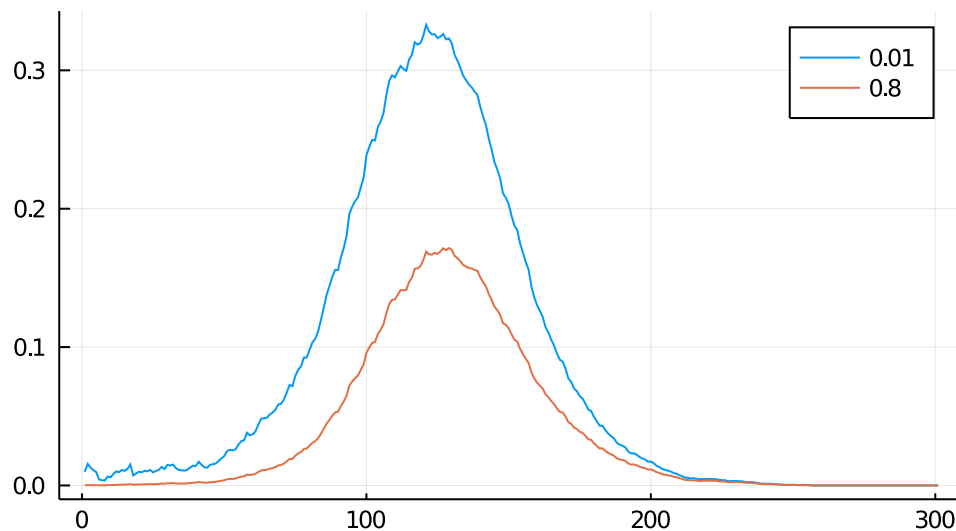
```

• begin
•   Ntestlin1 = convert.(Int64,round.(LinRange(0.0, 100.0, n),digits=0))
•   Ntestlin2 = convert.(Int64,round.(LinRange(0.0, 500.0, n),digits=0))
•   Ntestlin3 = convert.(Int64,round.(LinRange(0.0, 1000.0, n),digits=0))
•   binomlin1 = Binomial.(Ntestlin1,psamp2)
•   binomlin2 = Binomial.(Ntestlin2,psamp2)
•   binomlin3 = Binomial.(Ntestlin3,psamp2)
•   tlin1 = rand.(binomlin1)
•   tlin2 = rand.(binomlin2)
•   tlin3 = rand.(binomlin3)
•   plin1 = plot(tlin1,size=(500,300))
•   plin2 = plot!(tlin2)
•   plin3 = plot!(tlin3)
• end

```

Linear increase in s over time

Test Probabilities for Different initial s0 at t0



```

• begin
•   s01 = 0.01
•   s02 = 0.8

```

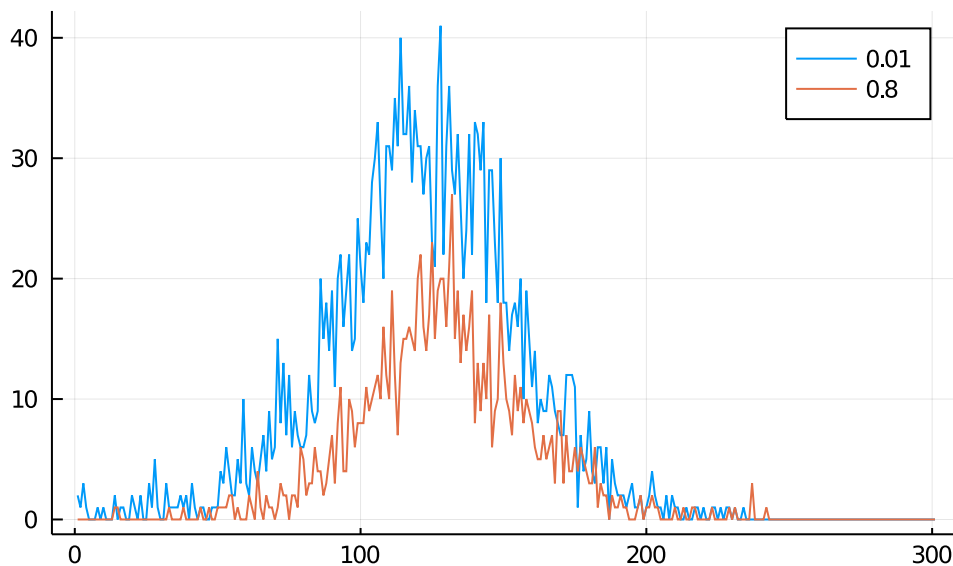


```

• ss1 = LinRange(0.01, 0.8, n)
• ss2 = LinRange(0.8, 0.8, n)
• psamps1 = I./(I .+ ss1.*(Npop.-I))
• psamps2 = I./(I .+ ss2.*(Npop.-I))
• plot(psamps1,size=(500,300),labels=s01,title="Test Probabilities for Different
initial s0 at t0")
• plot!(psamps2,labels=s02)
• end

```

Plot simulated positive test time series for different s0



```

• begin
•   binomss1 = Binomial.(Ntest1,psamps1)
•   binomss2 = Binomial.(Ntest1,psamps2)
•   tss1 = rand.(binomss1)
•   tss2 = rand.(binomss2)
•   pss1 = plot(tss1,size=(500,300),label=s01)
•   pss2 = plot!(tss2,label=s02)
• end

```

Massachusetts data for example

	date	state	dataQualityGrade	death	deathConfirmed	deathIncrease	deat
4	"11/2 1/2020"	"MA"	"A+"	10488	10257	19	231
5	"11/2 0/2020"	"MA"	"A+"	10469	10238	34	231
6	"11/1 9/2020"	"MA"	"A+"	10435	10204	28	231
	"11/1 1/2020"						

7	"11/1 8/2020"	"MA"	"A+"	10407	10177	47	230
8	"11/1 7/2020"	"MA"	"A+"	10360	10130	20	230
9	"11/1 6/2020"	"MA"	"A+"	10340	10110	11	230
	"11 /1						

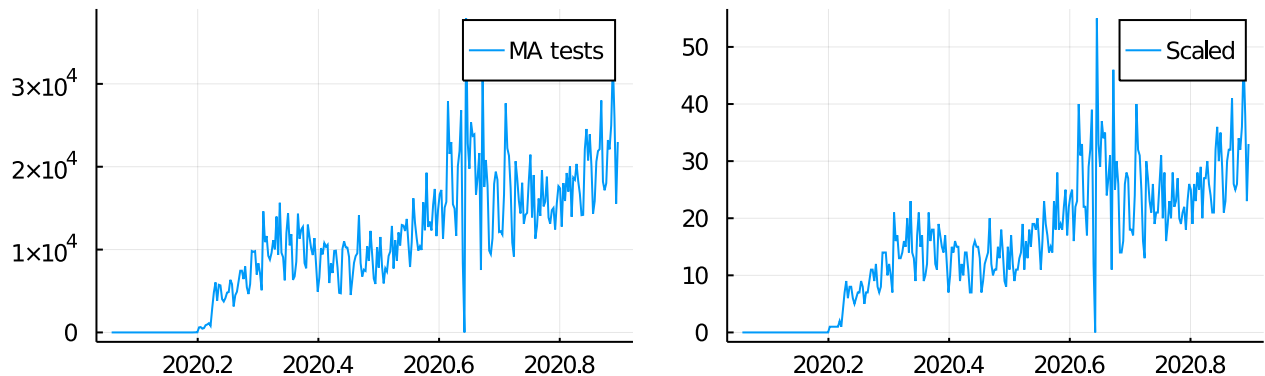
- `M = CSV.read("d:/google/working/covid/massachusetts-history.csv")`

```
► SentinelArrays.ChainedVector{String,Array{String,1}}: ["11/24/2020", "11/23/2020", "11/":
```

```
• begin
•     pos = M.positiveIncrease
•     neg = M.negativeIncrease
•     tests = pos + neg
•     date = M.date
• end
```

```
begin
  const DTM = Union{Date, DateTime} # 2000-01-01 to become 2000.0
  yfrac(dtm::DTM) = (dayofyear(dtm) - 1) / daysinyear(dtm)
  decimaldate(dtm::DTM) = year(dtm) + yfrac(dtm)

  time = zeros(0)
  for i=1:length(date)
    sp = split(date[i],"/")
    dd = Date(parse(Int,sp[3]),parse(Int,sp[1]),parse(Int,sp[2]))
    append!(time,decimaldate(dd))
  end
end
```



```

• begin
•     p9 = plot(time, tests)
•     tests_N = convert.(Int64, round.(((Npop/6.893E6)*tests, digits=0)))

```

- `p10 = plot(time,tests_N)`
- `plot(p9,p10,size=(650,200),labels=["MA tests" "Scaled"])`
- `end`