Modeling the impacts of park access on health outcomes: a utility-based accessibility approach

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Gregory Macfarlane¹, Nico Boyd², John E. Taylor³, Kari Watkins³

Abstract

Recent research has underscored the potential for public green spaces to influence individual and societal health outcomes, but empirical measurements of such influences have yielded mixed results to date, with particular disagreement surrounding how access to parks ought to be defined while controlling for alternate explanations. In this paper we apply a comprehensive measure of park accessibility drawn from random utility choice theory, which avoids arbitrary assertions of proximity while incorporating potentially numerous amenities and attributes of both the parks and the population. We apply this utility-based accessibility measure to correlate Census tract-level obesity and physical activity rate estimates from the Centers for Disease Control and Prevention's 500 Cities project with tract-level American Community Survey socioeconomic data in New York City, paired with geographic open space data from New York City. Controlling for the socioeconomic variables and spatially correlated error terms, we show a positive and significant relationship between park access and physical activity rates. The data also suggest a negative relationship between park access and obesity rates, beyond what is expected through physical activity and socioeconomics. In doing so, this research contributes a more comprehensive modeling approach for measuring the impact of park access on health, and may improve our understanding of the role parks and access to them can serve in furthering public health objectives.

Keywords

Accessibility; Green Space

Introduction

The United States and other developed nations face an epidemic of obesity and chronic diseases, including cardiovascular diseases, chronic respiratory diseases, diabetes, stroke, joint and bone diseases, and cancer. These diseases can severely limit the lifespan of affected individuals (World Health Organization, 2014), with substantial financial costs for treatment borne both privately and socially (Finkelstein et al., 2009). Though a moderate amount of regular physical activity has been established as an effective strategy for reducing and managing obesity and many of the aforementioned chronic diseases (Centers for Disease Control and Prevention, 2009; Durstine et al., 2013), a large portion of U.S. adults do not participate in sufficient physical activity (Wolf, 2008).

Historically, most large-scale health promotion efforts focused on individual-level interventions intended to educate people about healthy lifestyles and behaviors, touching on topics including diet and exercise. Over the last several years a new *social* model

of health has evolved, described by Duhl and Sanchez (1999) "as an outcome of the effects of socioeconomic status, culture, environmental conditions, housing, employment and community influences" (1999, p.7). In this new paradigm, resources provided via civil infrastructure — in particular parks and other public green spaces — play a crucial role in promoting and sustaining public health (Bedimo-Rung et al., 2005; Wells et al., 2007; Coutts, 2008). After all, it does little to educate individuals on the importance of exercise if their community is built in such a way that such exercise is expensive, unenjoyable, or unsafe.

In spite of the potential for green spaces to influence public health outcomes and numerous studies

Corresponding author:

Gregory Macfarlane, 430 Engineering Building, Provo UT 84663 Email: gregmacfarlane@gmail.com

attempting to empirically estimate the strength of these outcomes, evidence to date has been mixed. A major challenge researchers have faced is a proliferation of techniques for measuring access to green spaces, of which many are plausible but lack robust theoretical bases. In this paper, we apply a holistic and flexible measurement for park accessibility based in activity location choice theory. This utility-based accessibility measure compares the continuous distance to all parks in the region, weighted against the sizes of each park and its other assorted amenities.

We apply this measurement to study the link between park accessibility and attractiveness and census tract-level aggregate physical activity participation and obesity rates in New York City, controlling for spatially correlated unobserved effects, spatial spillovers of covariates, and tract-level socioeconomic characteristics. We also demonstrate how the utility-based accessibility metric can potentially be expanded to account for other measures of a park's attractiveness including its observed social media activity and the presence of various park amenities. The paper concludes with a discussion of opportunities for future research.

Literature Review

The large majority of extant research on the topic of park access and public health outcomes has been focused on comparing metropolitan regions against each other. For example, West et al. (2012) used park data from the Trust for Public Land's 2010 "City Park Facts" and public health data from the Behavioral Risk Factor Surveillance System (BRFSS) to examine the relationship between the density of park land and physical activity and obesity rates for 67 metropolitan statistical areas in the U.S. The findings in this case conformed to expectation; that is, the study found a significant positive association between park density and physical activity and a significant negative association between park density and obesity. Larson et al. (2016) similarly used self-reported scores on the Gallup-Healthways Wellbeing Index to evaluate the relationship between physical health and park quantity, quality, and accessibility in 44 U.S. cities. While the authors found positive associations between wellbeing and park quality and accessibility, these relationships were not statistically significant. Conversely, Richardson et al. (2012) examined the relationship between total urban greenspace and mortality rates for selected maladies; though the authors did not find a statistically significant relationship between the quantity of urban greenspace and mortality caused by lung cancer, diabetes, heart disease or car accidents, they did find that all-cause mortality was — oddly — *higher* in greener cities. Finally, in a meta-analysis of 20 peer reviewed journal articles exploring the relationship between parks and objectively measured physical activity, Bancroft et al. (2015) found that five studies reported a significant positive association between the two, six studies produced mixed results, and nine studies found no association at all.

Metropolitan-level analyses such as those described above do not capture the within-city variation in accessibility to parks that exist in many cities. Some cities with large amounts of total greenspace may nevertheless unequally distribute this space throughout the city, leading to areas with poor access. Conversely, a city with a smaller overall proportion of greenspace may give all of its citizens better access to sufficient greenspace to meet their needs or desires for physical activity. Considering access at the neighborhood level within a single city may also eliminate some regional or cultural fixed effects affecting metropolitan-level analyses.

Park Accessibility Measures

Loosely defined, the accessibility of an arbitrary place describes the ease with which people can accomplish activities there. Accessibility is an abstract concept with tempting quantifiability (Handy and Niemeier, 1997), perhaps explaining the proliferation of calculation mechanisms. Dong et al. (2006) present a helpful mathematical heirarchy of common mechanisms, which we follow here. Consider a person residing at point i in a city with parks $j \in 1...J$. An analyst might consider point i as "having access" to a park if the distance to the park d_{ij} is within an "isochrone," or a geometric buffer defined by some threshold D.

$$A_i = \begin{cases} 1 & d_{ij} \le D \\ 0 & d_{ij} > D \end{cases} \tag{1}$$

Variations of this isochrone-based framework are easily derived and relatively common. ParkScore (Trust for Public Land, 2019) is a sophisticated application of this approach where D is a carefully calculated 10-minute network-bound walk, paired with a demographic analysis of areas within and outside of this threshold. In other applications D might be more variably defined, such as the presence or percent of green space within a political or statistical boundary (Mitchell and Popham, 2008; Stark et al., 2014) or within a specific distance threshold (Kaczynski et al., 2014). It is also possible to attenuate an isochrone with various factors; for instance, Dias et al. (2019)

considered road safety perception as an extenuating factor in the effective distance to a park.

In spite of the flexibility of adapted isochrone techniques, the arbritrary definitions necessarily imposed by researchers in its application can inhibit holistic analysis (Logan et al., 2019). A somewhat more complete approach is the so-called "gravity" accessibility statistic. In this case the accessibility of point i is the denominator of the gravity formulation of a trip distribution model.

$$A_{i} = \sum_{j=1}^{J} S_{j} f(d_{ij})$$
 (2)

where S_j is the "size" of each park literally (i.e. acres) or abstractly (i.e. trip attractions) and $f(d_{ij})$ is a monotonically decreasing cost function, usually a negative exponential. Dong et al. (2006) note that the isochrone framework is a special case of the gravity model where $f(d_{ij})$ is a binary function and $S_j = 1$. Giles-Corti et al. (2005) compare various gravity-based accessibility scores with an isochrone specification and show that the former are more predictive of walking behavior; that is, the attributes of a park influence walking more than merely the distance to it. Zhang et al. (2011) develop a population-weighted, gravity-based accessibility to parks metric with a national scope, though they do not examine its correlation with health outcomes.

A third accessibility mechanism is a utility-based specification, termed as such for being derived from random utility choice theory. Consider that an individual living at point i is choosing a park for a recreation activity. If we apply the multinomial logit model (McFadden, 1974), the expected consumer surplus enjoyed by this individual can be shown to be

$$A_i = \ln\left(\sum_{j=1}^{J} \exp(V_{ij})\right) + C \tag{3}$$

where parks are differentiated from each other by their relative measurable *utilities*, V_{ij} . C is an unknown constant, but the difference in consumer surplus between two points i and k can be quantitatively compared as $A_i - A_k$ (Bruce, 1977). In principle, V may include any measurable attributes of either the choice maker or the park, and is typically represented as a linear-in-parameters function of destination attributes X_i and the travel cost d_{ij} ,

$$V_{ij} = X_i \beta + \beta_d * d_{ij} \tag{4}$$

The coefficients β are frequently estimated from household surveys, though in the absence of a survey we may assert reasonable values.

Note that the gravity formulation is itself a special case of the utility-based specification where $\exp(X_j\beta+\beta_d d_{ij})=X_jf(d_{ij})$ (Daly, 1982). The distinction between gravity and utility-based specification is meaningful, however. Primarily, it becomes possible to construct accessibility statistics based on revealed behavioral preferences rather than calibrated or asserted values (Handy and Niemeier, 1997). Kaczynski et al. (2016) present what is effectively a utility-based accessibility score they call "ParkIndex", with the explicit motivation of developing a uniformly applicable park accessibility statistic, though they limit this statistic as a way to add heterogeneity within an isochrone analysis.

Both gravity and utility-based specifications hold several advantages relative to isochrone-based accessibility metrics more commonly found in the literature. First, all individuals are defined as having some access to all parks, rather than an arbitrary cutoff asserted by the researcher. This allows for the fact that some people are more or less sensitive to distances, and that distance is a continuous, non-binary phenomenon. It defies reason to assume a person living 11 minutes via walking from a park always has meaningfully different accessibility than someone living 9 minutes away. Second, the random utility formulation allows the researcher to include – in principle – any attribute of the park as part of its utility specification. This suggests that not all parks are equal, and that a large park with many amenities such as Central Park in Manhattan may provide health and activity benefits over a much larger area than a smaller community square.

In spite of its flexibility and basis in choice theory, utility-based accessibility measures have not received much application in the accessibility literature compared with distance-based or even gravity-based measures. Vale et al. (2016) present a descriptive classification of active accessibility techniques, and explicitly dismiss utility-based metrics for incorporating randomness. The accessibility formula presented in Equation 3 is the expectation of a random utility process, and is not in and of itself random any more than the gravity model is random. Utility-based accessibility metrics are commonly used, however, in alternatives analyses of transit infrastructure improvements (de Jong et al., 2007). A reason for this is likely that a regional travel demand model is available to the analysts, thus making calibrated and multimodal logsums readily available (Geurs et al., 2010).

Empirical Application

In this section, we develop a model with data for New York City, where we compute a set of utilitybased accessibility to parks scores for each tract and model the relationship between this measure and physical activity rates, controlling for spatial effects and socioeconomic factors. We subsequently model the effect of the accessibility metric on obesity rates, accounting for physical activity and the other controls.

Data

This study uses data available to the public from a variety of federal and state data agencies*. The Centers for Disease Control and Prevention makes small-area estimates on key health indicators available through its 500 Cities data program (Centers for Disease Control and Prevention, 2016). The indicators are multilevel aggregations and imputations of BRFSS responses (Wang et al., 2018, 2017), and have been recently used to study the tract-level link between gentrification and urban health (Gibbons et al., 2018). We use two indicators as our dependent variables in this study: the share of adults in a Census tract who are obese, and the share of adults who participate in no leisure-time physical activity. To improve clarity in our interpretation, we use the complement of the second variable — the share of tract adults who participate in some physical activity — even if the amount may not be sufficient to affect overall health. Both indicators are obtained for the year 2016.

To the health data, we join socioeconomic data collected through the Census Bureau API via the tidycensus package for R (Walker, 2019). The primary dataset is a geographic polygons layer of Census tracts in the five boroughs of New York City. We append to each Census tract relevant socioeconomic data for each tract from the American Community Survey 2013-2017 5-year estimates. For a small handful of tracts in our sample, Census supressed the median income estimate; these appear to be primarily wealthy tracts and in almost all cases the CDC estimates of obesity and physical activity are missing as well. After removing these tracts from the estimation dataset, we have 2,102 complete cases. Table 1 presents key descriptive statistics for these data.

In a destination choice framework, the tracts represent the "origins" and the "destinations" are parks and green spaces in New York City. We retrieved a polygons layer of public parks and greenspaces within New York City's municipal boundaries and checked it for accuracy and relevance (City of New York, 2018). Upon inspection, we removed several facilities that do

not qualify as publicly accessible green space, such as Yankee Stadium, Citi Field, and their surrounding parking lots. We also removed parks of less than half an acre in size, as these appear to be predominantly planted medians rather than legitimate public green space. We consolidated individual geographic polygons comprising a single facility — as is the case in Flushing Meadows — and eliminated sub-facilities such as tennis courts or baseball fields included within larger park facilities. Instead of these distinct sub-facilities, we created variables for each containing park indicating the presence of sports courts, playgrounds, and trails.

To this dataset of parks and regularized green spaces, we add a polygons layer of cemeteries in New York that are open to the public. Cemeteries are important green spaces that can be used for many types of physical activity. These operations leave us with 1,277 distinct green spaces; for simplicity we will refer to both parks and cemeteries as "parks" going forward. For each park, we calculate the size of the park in acres. Finally, using a Twitter application programming interface (API) implemented with the Python package Tweepy, we also collected and stored tweets containing geotags of precise geographic coordinates located within the boundaries of the parks; from this information, we were able to segregate tweets that were generated within a park in September 2014. This geolocated twitter activity could provide an additional point of information on the degree to which individual parks are actually used (Wang and Taylor, 2016).

Accessibility

We calculate a set of utility-based accessibility statistics for each tract in New York City. The most basic utility specification includes only the park size in acres and the distance from the population-weighted tract centroid to the boundary of the park in miles,

$$V_{ij} = \lambda_s * \log(size_j) + \lambda_d * \log(distance_{ij})$$
 (5)

The logarithmic transform allows for diminishing marginal utility of distance and park size: A 1-mile increase to a trip matters more for a 1-mile trip than a 10-mile trip. Macfarlane and Tapia (2020) estimated destination choice parameters for park trips in Alameda County (Oakland), California by applying this utility specification to passively collected mobile device data, obtaining values of $\lambda_s = 0.373$ and $\lambda_d = -1.76$. The ratio of these estimates implies people are

^{*}The datasets, as well as the analysis code, are available on GitHub at https://github.com/gregmacfarlane/parks_access.

Table 1. Descriptive Statistics of Tract and Park Variables

	Description	Minimum	Median (IQR)	Maximum	Source
Tract Variables, N	N = 2102				
Obesity	Share of adults over 18 who are obese	9.60	24.50 (19.60, 30.50)	44.20	CDC 500 Cities
Physical Activity	Share of adults over 18 who engage in some leisure-time physical activity	48.10	69.50 (64.70, 74.60)	89.10	CDC 500 Cities
Income	Median tract income	9053.00	59,592.50 (41,928.25, 79,092.75)	250001.00	ACS
Density	Households per square kilometer	9.20	5,848.46 (3,173.62, 9,674.36)	43621.52	ACS
Fulltime	Share of adults over 18 with full-time work	8.80	49.48 (44.45, 55.29)	100.00	ACS
College	Share of adults over 24 with a college degree	0.61	$ \begin{array}{c} 16.30 \\ (12.37, 20.11) \end{array} $	44.94	ACS
Single	Share of adults over 18 living alone or in a non-partnership household	16.38	59.39 (50.30, 68.65)	100.00	ACS
Youth	Share of population under 18	0.00	20.54 (16.79, 24.92)	64.07	ACS
Young adults	Share of population between 18 and 34	0.00	25.73 (21.66, 29.98)	86.75	ACS
Seniors	Share of population who are 65 and over	0.00	12.83 (9.47, 16.88)	89.88	ACS
Black	Share of population who is black	0.00	$ \begin{array}{c} 10.03 \\ (2.13, 44.62) \end{array} $	220.65	ACS
Asian	Share of population who is Asian	0.00	$7.66 \\ (2.40, 20.78)$	88.07	ACS
Hispanic	Share of population who is Hispanic	0.00	$ \begin{array}{c} 19.07 \\ (9.39, 41.07) \end{array} $	96.27	ACS
Other	Share of population who belong to other minority groups	0.00	$ \begin{array}{c} 0.00 \\ (0.00, 0.53) \end{array} $	19.47	ACS
Park Variables, N	= 1277				
Size	Park size in acres	0.50	$1.66 \\ (0.95, 5.62)$	1961.00	NYC
Courts	Presence of sport courts / ball fields	0.00	$ 0.00 \\ (0.00, 0.00) $	1.00	NYC
Playgrounds	Presence of playgrounds	0.00	$\begin{array}{c} 0.00 \\ (0.00, 1.00) \end{array}$	1.00	NYC
Trails	Presence of trails	0.00	0.00 $(0.00, 0.00)$	1.00	NYC
Tweets	Tweets emanating from park in September 2014	0.00	$ \begin{array}{c} 0.00 \\ (0.00, 2.00) \end{array} $	1593.00	Twitter API

willing to travel roughly six times further to reach a park twice as large. We do not have access to the necessary data to repeat the Macfarlane and Tapia (2020) methodology in New York, and the public parks datasets in Alameda County are not sufficiently detailed to perform the present accessibility analysis there. In the absence of park trip destination choice

coefficients in New York City, we adopt these previous estimates.

Kinnell et al. (2006) surveyed park users in New Jersey and applied a multinomial logit model to determine which factors influence a park's perceived utility as a park trip destination. By transferring estimates of common variables between our data and

this survey-based model, we can create a second utility specification as

$$V_{ij} = \lambda_s * \log(size_j) + \lambda_d * \log(distance_{ij}) + \lambda_t * trails + \lambda_c * courts + \lambda_p * playgrounds$$
 (6)

with $\lambda_t = 0.99$, $\lambda_c = 0.43$, and $\lambda_p = 0.26$. Kinnell et al. did not transform their size and distance estimates, so we retain the previously estimated and applied values. We assume that the other covariates in the model which we do not have available to us (e.g., boat launches, picnic areas) are orthogonal to the included parameters and leaving them out will not affect the values of the included coefficients.

The third utility specification includes the number of geolocated tweets emanating from within the park in September of 2014 in addition to the size and distance terms in Equation 5,

$$V_{ij} = \lambda_s * \log(size_j) + \lambda_d * \log(distance_{ij}) + \lambda_{tw} * YJ(tweets)$$
(7)

with YJ(x) being a Yeo-Johnson transformation that implements a diminishing marginal return similar to log(x), but where YJ(0)=0 (Yeo and Johnson, 2000). In this case we have no external information describing how destination choice to parks may be affected by the twitter activity in the park, so we assert a value of $\lambda_{tw}=0.1$

We then calculate the utility-based accessibility of each tract A_i as defined in Equation 3 under each utility specification. Recall that the total value of the accessibility is relative to an unknown scalar C; for this reason we standardize the accessibility values for all tracts within each utility specification,

$$A_i' = \frac{A_i - \bar{A}}{sd(A)} \tag{8}$$

Figure 1 shows a map of New York City with each tract highlighted based on its relative size and distance utility-based accessibility score (Equation 5). The most continuous region of good park access is in upper Manhattan and the Bronx, bracketed by Central Park and the Bronx River. Conversely, some of the poorest-accessibility areas are in Brooklyn tracts not immediately adjacent to Prospect Park. Because the accessibility statistic is normalized, the worst values are slightly below -3, the best somewhere above 3.

For comparative purposes, we also employ an isochrone analysis using the 10-minute walk threshold calculated for ParkScore (Trust for Public Land, 2019). If the population-weighted centroid of a tract is within a 10-minute walk of a green space as defined by ParkScore, the tract is considered as having "access"

to a park. The centroid is necessary as all tracts in New York City have at least *some* intersection with the 10-minute walk buffer; as it is, only 24 of the 2,102 tract centroids are not located within this buffer.

Model

We predict either the physical activity or the obesity rate (y) in a census tract as a linear function of the tract's sociodemographic characteristics X and accessibility to parks A,

$$y = X\beta + \beta_a A + \varepsilon \tag{9}$$

As the observations are related to each other spatially, it is likely that this process involves spatial spillovers of one kind or another. A complete treatment of spatial econometrics is not warranted here; the reader is directed to LeSage and Pace (2009) as well as LeSage and Pace (2014). Suffice it to say that the presence of spatial data generating processes can negatively affect econometric interpretation in a variety of ways. Each of these processes rely on spatial autoregression, where elements of some random variable x are spatially dependent on other elements,

$$x = \rho W x + \varepsilon \tag{10}$$

with the strength of dependence an estimated parameter ρ , the structure of spatial dependence governed by the asserted matrix W (details of W follow below), and some random uncorrelated residual ε . A collection of models is available to represent spatial autodependence in the model residuals, the independent variables, and the dependent variable.

The specific spatial model applied is both an econometric choice — as improperly specified spatial models can lead to inconsistent estimates of model parameters and standard errors — as well as a philosophical choice about the likely structure of spillovers in the problem at hand. In case of physical activity and obesity rates, we believe that the outcomes are locally dependent: That is, a particular individual decides whether or not to participate in physical activity independently of whether his or her neighbors participate in physical activity. This does not mean that we think it impossible that the socioeconomic variables of neighboring tracts do not play a role. Mathematically, we assert that the autodependence relationship on the dependent variable $y = \rho W y + \dots$ has $\rho = 0$ in the current case.

With this relationship ruled out, it remains a possibility that the model residuals are spatially dependent,

$$y = X\beta + \beta_a A + u; u = \lambda W u + \varepsilon \tag{11}$$

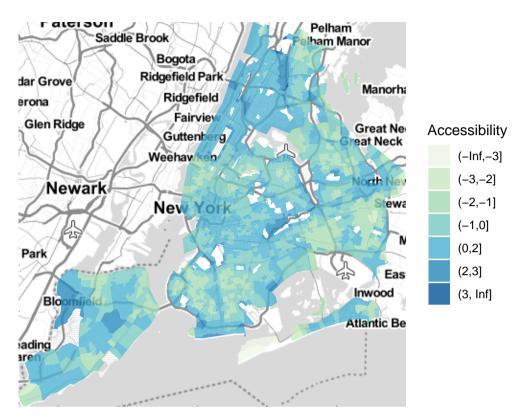


Figure 1. Normalized utility-based park accessibility values in New York City.

that the outcome is partially dependent on the socioeconomic variables in *neighboring* tracts.

$$y = X\beta + \beta_a A + WX\gamma + \varepsilon \tag{12}$$

or a linear combination of both.

$$y = X\beta + \beta_a A + WX\gamma + u; u = \lambda Wu + \varepsilon \tag{13}$$

These models are referred as the spatial error model (SEM), the spatial lag of X model (SLX), and the spatial Durbin error model (SDEM). Pace and LeSage (2008) suggest that a Hausman-style test of the estimates of β derived from the OLS (Equation 9) and SEM (Equation 11) can identify whether the estimates are consistent. If the β estimates are dissimilar, both specifications are inappropriate as they contain untreated omitted variables. Similarly, if the SLX and SDEM estimates are dissimilar it is an indication of missing variables in that specification. On the other hand if the estimates of both pairs of models are similar and the residual correlation parameter λ is non-zero, the model accounting for spatially dependent residuals will produce proper estimates of the model standard errors.

Note that in the lag-X specifications (SLX and SDEM) we exclude the accessibility component A,

that is we do *not* consider that the accessibility in a neighboring zone will have an effect on physical activity or obesity rates. In a practical sense, this is because the accessibility term A is itself spatially determined.

Spatial Weights The spatial weights matrix W is constructed of individual elements where $w_{ij} = 0$ if observations i and j are spatially independent of each other, and $w_{ij} > 0$ if i and j are spatially related in some way. Dubin (1998) presents details on constructing W, but in this study we assume that tracts sharing at least one common border point are neighbors of each other[†]. The elements of W are then row-standardized so that each observation has an equal total influence from all its neighbors.

Results

To determine which spatial effects specification was appropriate, we estimated SLX and SDEM models of physical activity participation rates as a function of tract covariates and accessibility. These two models are presented in Table 2. With only a few exceptions, the SLX and SDEM coefficient estimates for corresponding

 $^{^\}dagger W\!e$ also considered a distance-discounted weights matrix, which produced similar results. This matrix is selected for simplicity.

covariates lie within the 95% confidence intervals of the other model. A Hausman-style test (Pace and LeSage, 2008) on the coefficients assumes a null hypothesis that the coefficients are equivalent; this test produces p-value of only 1.307e - 23. Though this statistic is technically beneath a common hypothesis test threshold of $\alpha = 0.05$, we fail to reject the null hypothesis that the coefficients are equivalent, as the differences are at no point practically different from each other. The consequences of rejecting the null hypothesis in this case would be to suggest a model with spatial dependence of the dependent variable; as stated above, we feel that such a relationship is unreasonable. As a consequence of these analyses, we adopt the SDEM specification moving forward as the spatial lag of the errors is significant and the overal log likelihood of the SDEM is higher than the SLX specification.

The coefficients in the SDEM model are of two general types: the direct effect resulting from a tract's own attributes and the indirect effect (γ) resulting from the spatially-weighted attributes of its neighbors. For example, a percentage point increase in the share of young adults in a tract increases the expected physical activity rate in a tract by 0.02947 percentage points, and a percentage point increase in the share of young adults in neighboring tracts increases the expected physical activity rate by an additional 0.08417 percentage points. This opportunity to examine spatial spillovers of attributes is a key benefit of using a spatial model.

For the most part the direct coefficients are highly significant and of the expected sign. Tracts with higher shares of full-time workers, college-educated adults, young adults, and high-income households all show a greater share of individuals engaging in regular physical activity. Conversely, tracts with greater population density and a greater share of single adults, children, seniors, minorities, and low income households all have lower modeled expected rates of physical activity. The indirect coefficients are less clearly significant, with only density, median tract income, some age groups, and some minority groups showing an indirect effect.

Table 3 presents the estimated spatial lag and accessibility coefficients for three models using different specifications of the utility equation, as well as the ten-minute walk buffer calculated by ParkScore. Note that the model called "Size and Distance" is precisely the model labeled "SDEM" in Table 2. The controlling covariates are suppressed for clarity but do not change meaningfully across the four specifications. Complete model estimates are available

in the Appendix. Each of the three utility-based specifications is significant at the $\alpha=0.05$ level or lower, and is of the hypothesized directionality. That is, residents living in tracts with increased utility-based accessiblity to green spaces show a significantly higher physical activity participation rate. Taking the rough mean of the three estimated utility-based coefficients, moving from the least-accessible tract $(A_i=-3)$ to the most-accessible tract $(A_i=3)$ is expected to raise the physical activity rate by 1.2 percentage points. With the understanding of the full 95% confidence interval, we could suggest that the true effect of excellent versus poor park access is anywhere between 0.3 and 2.1 percentage points.

The 10-minute walk buffer is considerably less useful at isolating the effects of park "access" on physical activity rates. As so few tracts are located outside of the buffer, the standard error of the estimated effect is large and implies an effect on activity rates anywhere from a loss of 2.22 percentage points to a gain of 9.

We now consider the impacts of a model where the dependent variable is the *obesity* rate in a tract, and physical activity becomes an independent covariate alongside the controlling variables and the accessibility metrics. Table 4 presents estimates of the effect of all three utility-based accessibility measures as well as the 10-minute walk buffer. As before, the estimates of the other variables are available in the Appendix. The correlation between physical activity rates and obesity is clear; for every percentage point increase in physical activity rate, the expected obesity rate drops by 0.43 percentage points in all four accessibility specifications. The indirect effect of physical activity rates on obesity in neighboring zones is inconsequential, supporting our methodological assertion that public health variables are not spatially dependent, though the factors leading to them may be.

As far as the accessibility values are concerned, none of the three utility-based specifications nor the ParkScore 10-minute walk buffer are correlated with obesity rates at the traditional 95% confidence interval. It is important to consider the implications of the full range of the confidence interval, however (Amrhein et al., 2019). The results suggest that after controlling for tract socioeconomic variables, physical activity rates, and spatially correlated error terms, obesity rates in tracts with excellent park accessibility are expected to be between 0.9 percentage points lower and 0.0318 percentage points higher than tracts with poor park accessibility. This range of values suggests that accessibility to parks may have obesity-reducing effects beyond the effect of accessibility on physical activity rates worth further study.

Table 2. Comparison of SLX and SDEM Coefficients

	SLX	SDEM
(Intercept)	$-15.8475 [-26.8723; -4.8227]^*$	$-24.9755 [-41.8947; -8.0564]^*$
log(Density)	0.0484 [-0.1313; 0.2281]	$0.1775 [0.0384; 0.3166]^*$
$\log(\text{Income})$	$5.8210 [5.2980; 6.3440]^*$	$5.9985 [5.5746; 6.4224]^*$
Fulltime	$0.1150 [0.0936; 0.1364]^*$	$0.1275 [0.1090; 0.1460]^*$
College-educated	0.0012 [-0.0272; 0.0296]	0.0076 [-0.0158; 0.0309]
Single Adults	$-0.0433 [-0.0623; -0.0244]^*$	$-0.0362 [-0.0526; -0.0198]^*$
Youth (0-17)	$-0.1511 [-0.1830; -0.1192]^*$	$-0.1310 \left[-0.1576; -0.1045\right]^*$
Young adults (18-34)	$0.0257 [0.0008; 0.0505]^*$	$0.0295 [0.0094; 0.0496]^*$
Seniors (65+)	0.0137 [-0.0185; 0.0459]	$0.0403 [0.0130; 0.0677]^*$
Black population share	$-0.0465 [-0.0584; -0.0346]^*$	$-0.0499 [-0.0586; -0.0411]^*$
Asian population share	$-0.0686 \left[-0.0832; -0.0541\right]^*$	$-0.0767 \left[-0.0873; -0.0662\right]^*$
Hispanic population share	$-0.1017 [-0.1140; -0.0894]^*$	$-0.1025 [-0.1116; -0.0934]^*$
Other Minorities	0.0368 [-0.0642; 0.1378]	0.0037[-0.0849; 0.0923]
γ : log(Density)	$1.2594 [0.9415; 1.5773]^*$	$1.0985 [0.7155; 1.4815]^*$
γ : log(Income)	$2.3930 [1.5481; 3.2378]^*$	1.9742 [0.9465; 3.0020]*
γ : Fulltime	$-0.1398 [-0.1804; -0.0991]^*$	-0.0397 [-0.0869 ; 0.0076]
γ: College-educated	$-0.1312 [-0.1805; -0.0818]^*$	$-0.0710 [-0.1305; -0.0115]^*$
γ: Single Adults	$-0.0480 \left[-0.0820; -0.0140\right]^*$	-0.0082 [-0.0504; 0.0339]
γ : Youth (0-17)	$-0.1031 [-0.1617; -0.0445]^*$	$-0.0108 \left[-0.0798; 0.0583\right]$
γ : Young adults (18-34)	$0.1191 [0.0762; 0.1619]^*$	$0.0842 \ [0.0335; 0.1349]^*$
γ : Seniors (65+)	0.0108 [-0.0479; 0.0695]	0.0590 [-0.0102; 0.1282]
γ : Black population share	$0.0096 \left[-0.0054; 0.0246\right]$	0.0010[-0.0151; 0.0172]
γ : Asian population share	$-0.0661 [-0.0840; -0.0483]^*$	$-0.0397 [-0.0583; -0.0210]^*$
γ : Hispanic population share	-0.0060 [-0.0216; 0.0097]	-0.0010 [-0.0182 ; 0.0162]
γ : Other Minorities	0.1868 [-0.0506; 0.4242]	0.0726 [-0.1845; 0.3297]
Accessibility	$0.5212 [0.4027; 0.6397]^*$	$0.1596 [0.0266; 0.2925]^*$
λ : spatial correlation		$0.6905 [0.6513; 0.7296]^*$
Log Likelihood	-4832.3679	-4435.3869
Num. Obs.	2099	2099
LR test: statistic		793.9621
LR test: p-value		0.0000

^{* 0} outside the confidence interval. y = tract-level physical activity rate.

Table 3. Estimated Effect of Accessibility on Physical Activity Rates

	Size and Distance	Twitter	Amenities	10-Minute Walk
Size and Distance	0.1596* $[0.0266; 0.2925]$			
Amenities			0.1434* [0.0070; 0.2799]	
Twitter Activity		0.1776* [0.0398; 0.3155]		
10-minute walk		, ,		$0.5865 \\ [-0.1778; 1.3508]$
Num. obs.	2099	2099	2099	2099
Parameters Log Likelihood	$ \begin{array}{r} 28 \\ -4435.3869 \end{array} $	$ \begin{array}{r} 28 \\ -4434.9873 \end{array} $	28 -4436.0034	$ \begin{array}{r} 28 \\ -4436.9264 \end{array} $

 $^{^*}$ 0 outside the confidence interval. 95% confidence interval in brackets.

Table 4. Estimated Effect of Accessibility on Obesity Rates

	Size and Distance	Twitter	Amenities	10-Minute Walk
Physical Activity	-0.4802*	-0.4801*	-0.4802*	-0.4803*
	[-0.5043; -0.4561]	[-0.5042; -0.4560]	[-0.5043; -0.4561]	[-0.5044; -0.4562]
γ : Physical Activity	0.0197	0.0201	0.0198	0.0173
	[-0.0380; 0.0775]	[-0.0376; 0.0779]	[-0.0380; 0.0775]	[-0.0404; 0.0750]
Size and Distance	-0.0387			
	[-0.1111; 0.0337]			
Amenities			-0.0412	
			[-0.1162; 0.0338]	
Twitter Activity		-0.0419		
		[-0.1176; 0.0338]		
10-minute walk				-0.2630
				[-0.6491; 0.1232]
Num. obs.	2099	2099	2099	2099
Parameters	30	30	30	30
Log Likelihood	-3113.8451	-3113.8061	-3113.8136	-3113.5028

^{* 0} outside the confidence interval. 95% confidence interval in brackets.

Limitations and Future Research Direction

We readily acknowledge limitations in this study. As in any study conducted with areal data, we are at risk of falling victim to the ecological inference fallacy, where aggregate statistics mask or contradict disaggregated or individual-level trends. A large-sample survey of individuals in New York City, including measured physical activities and obesity would always be preferable to the tract-level data used in this study. An ideal survey to address the question would incorporate both sets of questions: physical activity and health data on one hand and park use (including which parks were used and how frequently) on the other. As no such dataset exists to our knowledge, this tract-level aggregate analysis with asserted and transferred utility coefficients is the possibility that remains.

This paper applies a previously-presented but littleused accessibility statistic that could, in theory, accommodate many attributes of the destination parks as well as the people who might use them. As an illustration: the park-going population could be separated into at least four delineated clusters, each preferring different amenities of a park:

- runners and cyclists: long, interesting trail systems
- sports players: soccer fields, basketball courts, or baseball diamonds
- families with small children: water features and playgrounds
- casual users: water features, gardens, performances, etc.

An analyst could then compute the utility-based accessibility for each cluster with different utility values for each park's amenities, and obtain a measure of a neighborhood's accessibility to park features that its residents most care about. In this paper, we proceed only incrementally towards this by adding Twitter activity and some selected park amenities as an element of each park's attractiveness above and beyond its size. Exploring detailed definitions of an increased number of amenities on one hand, and market segmentation strategies on the other, could provide a more nuanced understanding of the relationship between park accessibility and health outcomes.

As a travel impedance measure, we used the Euclidean distance between each tract's population-weighted centroid and the nearest point on the edge of a park's border. Euclidean distances have well-rehearsed limitations regarding their fidelity with the underlying infrastructure network, etc. Network-based distances can also suffer from challenges when applied to multimodal problems; these challenges are exacerbated when the non-highway mode share is high, as is likely when considering access to parks. A better metric of travel impedance may be a mode choice model logsum, which weights all alternative travel alternatives against each other. We leave this as a recommendation for future research.

We compared our utility-based accessibility to a well-constructed isochrone that has attracted attention in the literature. That said, virtually all tracts in New York City are within this specific isochrone.

It is possible that this isochrone may be more discriminating of park access in other cities, or that a different definition would yield different results in New York City. This observation however reinforces our suggestion that a measure explicitly based in the utility of access is warranted.

Finally, this study is primarily focused on the hypothesis that accessibility to parks encourages physical activity, which in turn reduces obesity. There are a multitude of other hypotheses that might be proposed and tested with the basic methodology we have employed here, or competing explanations for the outcomes we have observed. It is distinctly possible, for instance, that individuals who wish to exercise regularly in parks choose to live near them. Given that the CDC models informing the small-area obesity and physical activity estimates presumably include variables likely to influence such preferences (income, etc.), our investigation cannot isolate the preferences from the effect. Controlling for such a self-selection effect would be necessary to isolate the exogenous impacts of park access on obesity or other health outcomes. And regarding these other variables: this study did not consider potential relationships between park access and hospitalization rates, life expectancy, respiratory disease, mental health, or any number of potential beneficial outcomes hypothesized or explored in the existing literature. Exploring these connections and their underlying mechanisms should be a priority as city planners and urban architects attempt to improve the quality of life of urban residents in the future.

Conclusion

Increased physical activity and decreased obesity rates are critical measures of improvement in public health. Although many have theorized the link between park accessibility and these metrics, previous literature has produced mixed findings, perhaps owing to the range of variables modeled and the coarse spatial scale of the analyses. Using New York City as a case study, we presented a holistic and flexible measurement for park accessibility that compares the continuous distance to all parks in the region, weighted against the size of the park and its other amenities, with weights determinable through revealed preferences. In terms of physical activity, we found a positive relationship where the least park-accessible tracts have an expected physical activity participation rate between 0.3 and 2.1 percentage points lower than the most accessible tracts. We also found a suggestive though not sigificant relationship between park accessiblity and expected obesity rates in addition to the effect of physical activity participation.

In both cases a common, isochrone-based analysis estimated a statistically weak relationship with greater uncertainty. Isochrone analyses are relatively common in the literature, perhaps because of the widespread availability of and training in GIS software. In spite of their widespread use, isochrones are relatively limited in terms of both their theoretical underpinnings and their flexibility to accommodate attributes of parks beyond their proximity. And even proximity may not be adequately handled, as the isochrone threshold may be arbitrarily asserted by the researcher. The model we apply in this paper extends a more comprehensive and flexible approach for measuring the impact of park access on health outcomes. Adopting utilitybased accessibilities of the kind used in this study will allow researchers to encompass the full range of park amenities in their accessibility analyses, and to separate the definition of access from the study of its effects. This will in turn enable planners to consider how multiple attributes of a park — from its location to its size to its amenities and beyond — benefit the health of the community the park serves.

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References

Amrhein V, Greenland S and McShane B (2019) Scientists rise up against statistical significance.

Bancroft C, Joshi S, Rundle A, Hutson M, Chong C, Weiss CC, Genkinger J, Neckerman K and Lovasi G (2015) Association of proximity and density of parks and objectively measured physical activity in the United States: A systematic review. Social Science & Medicine 138: 22–30. DOI:10.1016/j.socscimed. 2015.05.034.

Bedimo-Rung AL, Mowen AJ and Cohen DA (2005) The significance of parks to physical activity and public health. *American Journal of Preventive Medicine* 28(2): 159–168. DOI:10.1016/j.amepre. 2004.10.024.

Bruce N (1977) A Note on Consumer's Surplus, the Divisia Index, and the Measurement of Welfare Changes. *Econometrica* 45(4): 1033. DOI:10.2307/1912692.

- Centers for Disease Control and Prevention (2009) CDC - Healthy Places - Physical Activity. URL https://www.cdc.gov/healthyplaces/healthtopics/physactivity.htm.
- Centers for Disease Control and Prevention (2016) 500 Cities Project: Local data for better health. URL https://www.cdc.gov/500cities/.
- City of New York (2018) NYC Open Data
 Open Space (Parks). URL https:
 //data.cityofnewyork.us/Recreation/
 Open-Space-Parks-/g84h-jbjm.
- Coutts C (2008) Greenway Accessibility and Physical-Activity Behavior. *Environment and Planning B: Planning and Design* 35(3): 552–563. DOI:10.1068/b3406.
- Daly A (1982) Estimating choice models containing attraction variables. Transportation Research Part B: Methodological 16(1): 5–15. DOI:10.1016/0191-2615(82)90037-6.
- de Jong G, Daly A, Pieters M and van der Hoorn T (2007) The logsum as an evaluation measure: Review of the literature and new results. *Transportation Research Part A: Policy and Practice* 41(9): 874–889. DOI:10.1016/J.TRA.2006.10.002.
- Dias A, Gaya A, Brand C, Pizarro A, Fochesatto C, Mendes T, Mota J, Maia Santos M and Gaya A (2019) Distance from home to the nearest park and the use of the parks for physical activity: the mediator role of road safety perception in adolescents. *Public Health* 168: 9–16. DOI:10.1016/J.PUHE.2018.11.021.
- Dong X, Ben-Akiva ME, Bowman JL and Walker JL (2006) Moving from trip-based to activity-based measures of accessibility. *Transportation Research Part A: Policy and Practice* 40(2): 163–180. DOI: 10.1016/J.TRA.2005.05.002.
- Dubin RA (1998) Spatial autocorrelation: a primer. Journal of Housing Economics 7(4): 304–327. DOI: 10.1006/jhec.1998.0236.
- Duhl LJ and Sanchez AK (1999) Healthy Cities and the City Planning Process: a background document on links between health and urban planning. Technical report, World Health Organization, Copenhagen. URL https://apps.who.int/iris/bitstream/handle/10665/108252/E67843.pdf?sequence=1{&}isAllowed=y.

Durstine JL, Gordon B, Wang Z and Luo X (2013) Chronic disease and the link to physical activity. Journal of Sport and Health Science 2(1): 3–11. DOI: 10.1016/J.JSHS.2012.07.009.

- Finkelstein EA, Trogdon JG, Cohen JW and Dietz W (2009) Annual Medical Spending Attributable To Obesity: Payer-And Service-Specific Estimates. *Health Affairs* 28(Supplement 1): w822–w831. DOI: 10.1377/hlthaff.28.5.w822.
- Geurs K, Zondag B, de Jong G and de Bok M (2010) Accessibility appraisal of land-use/transport policy strategies: More than just adding up travel-time savings. Transportation Research Part D: Transport and Environment 15(7): 382–393. DOI:10.1016/J. TRD.2010.04.006.
- Gibbons J, Barton M and Brault E (2018) Evaluating gentrification's relation to neighborhood and city health. *PLOS ONE* 13(11): e0207432. DOI:10.1371/journal.pone.0207432.
- Giles-Corti B, Broomhall MH, Knuiman M, Collins C, Douglas K, Ng K, Lange A and Donovan RJ (2005) Increasing walking: How Important Is Distance To, Attractiveness, and Size of Public Open Space? American Journal of Preventive Medicine 28(2): 169–176. DOI:10.1016/j.amepre.2004.10.018.
- Handy SL and Niemeier DA (1997) Measuring Accessibility: An Exploration of Issues and Alternatives. Environment and Planning A 29(7): 1175–1194. DOI:10.1068/a291175.
- Kaczynski AT, Besenyi GM, Stanis SAW, Koohsari MJ, Oestman KB, Bergstrom R, Potwarka LR and Reis RS (2014) Are park proximity and park features related to park use and park-based physical activity among adults? Variations by multiple sociodemographic characteristics. *International Journal of Behavioral Nutrition and Physical Activity* 11(1): 146. DOI:10.1186/s12966-014-0146-4.
- Kaczynski AT, Schipperijn J, Hipp JA, Besenyi GM, Wilhelm Stanis SA, Hughey SM and Wilcox S (2016) ParkIndex: Development of a standardized metric of park access for research and planning. *Preventive Medicine* 87: 110–114. DOI:10.1016/J.YPMED. 2016.02.012.
- Kinnell JC, Bingham MF, Mohamed AF, Desvousges WH, Kiler TB, Hastings EK and Kuhns KT (2006) Estimating Site Choice Decisions for Urban Recreators. *Land Economics* 82(2): 257–272. DOI: 10.3368/le.82.2.257.

- Larson LR, Jennings V and Cloutier SA (2016) Public Parks and Wellbeing in Urban Areas of the United States. *PLOS ONE* 11(4): e0153211. DOI:10.1371/journal.pone.0153211.
- LeSage JP and Pace RK (2009) Introduction to Spatial Econometrics. Chapman and Hall/CRC.
- LeSage JP and Pace RK (2014) Interpreting Spatial Econometric Models. In: Fischer M and Nijkamp P (eds.) *Handbook of Regional Science*. Berlin, Heidelberg: Springer Berlin Heidelberg, pp. 1535–1552. DOI:10.1007/978-3-642-23430-9_91. URL http://link.springer.com/10.1007/978-3-642-23430-9{_}91.
- Logan T, Williams T, Nisbet A, Liberman K, Zuo C and Guikema S (2019) Evaluating urban accessibility: leveraging open-source data and analytics to overcome existing limitations. *Environment and Planning B: Urban Analytics and City Science* 46(5): 897–913. DOI:10.1177/2399808317736528.
- Macfarlane GS and Tapia T (2020) Developing a Park Activity Location Choice Model from Passive Origin-Destination Data Tables. In: *Transportation* Research Board Annual Meeting.
- McFadden DL (1974) Conditional Logit Analysis of Qualitative Choice Behavior. In: Zarembka P (ed.) Frontiers in Econometrics. New York: Academic Press, pp. 105–142.
- Mitchell R and Popham F (2008) Effect of exposure to natural environment on health inequalities: an observational population study. *The Lancet* 372(9650): 1655–1660. DOI:10.1016/S0140-6736(08) 61689-X.
- Pace RK and LeSage JP (2008) A spatial Hausman test. *Economics Letters* 101(3): 282–284. DOI: 10.1016/j.econlet.2008.09.003.
- Richardson EA, Mitchell R, Hartig T, de Vries S, Astell-Burt T and Frumkin H (2012) Green cities and health: a question of scale? *Journal of Epidemiology and Community Health* 66(2): 160 LP 165. DOI:10.1136/jech.2011.137240.
- Stark JH, Neckerman K, Lovasi GS, Quinn J, Weiss CC, Bader MD, Konty K, Harris TG and Rundle A (2014) The impact of neighborhood park access and quality on body mass index among adults in New York City. *Preventive Medicine* 64: 63–68. DOI: 10.1016/J.YPMED.2014.03.026.
- Trust for Public Land (2019) 2019 ParkScore Index. URL https://www.tpl.org/parkscore.

Vale DS, Saraiva M and Pereira M (2016) Active accessibility. *Journal of Transport and Land Use* 9(1): 209–235.

- Walker K (2019) tidycensus: Load US Census Boundary and Attribute Data as 'tidyverse' and 'sf'-Ready Data Frames. URL https://cran.r-project.org/package=tidycensus.
- Wang Q and Taylor JE (2016) Process Map for Urban-Human Mobility and Civil Infrastructure Data Collection Using Geosocial Networking Platforms. Journal of Computing in Civil Engineering 30(2): 04015004. DOI:10.1061/(ASCE)CP. 1943-5487.0000469.
- Wang Y, Holt JB, Xu F, Zhang X, Dooley DP, Lu H and Croft JB (2018) Using 3 Health Surveys to Compare Multilevel Models for Small Area Estimation for Chronic Diseases and Health Behaviors. *Preventing Chronic Disease* 15: 180313. DOI:10.5888/pcd15.180313.
- Wang Y, Holt JB, Zhang X, Lu H, Shah SN, Dooley DP, Matthews KA and Croft JB (2017) Comparison of Methods for Estimating Prevalence of Chronic Diseases and Health Behaviors for Small Geographic Areas: Boston Validation Study, 2013. Preventing Chronic Disease 14: 170281. DOI:10.5888/pcd14. 170281.
- Wells NM, Ashdown SP, Davies EHS, Cowett FD and Yang Y (2007) Environment, Design, and Obesity. *Environment and Behavior* 39(1): 6–33. DOI:10. 1177/0013916506295570.
- West ST, Shores KA and Mudd LM (2012) Association of Available Parkland, Physical Activity, and Overweight in America's Largest Cities. *Journal of Public Health Management and Practice* 18(5): 423–430. DOI:10.1097/PHH.0b013e318238ea27.
- Wolf KL (2008) City trees, nature and physical activity: A research review. *Arborist News* 17(1): 22–24.
- World Health Organization (2014) Noncommunicable diseases country profiles 2014. Technical report, World Health Organization.
- Yeo IK and Johnson RA (2000) A New Family of Power Transformations to Improve Normality or Symmetry. *Biometrika* 87(4): 954–959.
- Zhang X, Lu H and Holt JB (2011) Modeling spatial accessibility to parks: a national study. *International Journal of Health Geographics* 10(1): 31. DOI: 10.1186/1476-072X-10-31.

Appendix

In this appendix we present the complete estimation results for the models relating different definitions of access to physical activity (in Table 5) and to obesity (in Table 6). In each case we also present a base model with no accessibility statistics for comparison.

Table 5. Estimated Effect of Accessibility on Physical Activity Rates

S.5496, 6.4032	[-41.5947; -7.4433] [-41.8947; -7.4433] [-41.8947; -7.4433] [-0.0384; 0.1776] [0.0348; 0.3132] [0.0384; 0.1775] [0.0348; 0.3132] [0.0384; 0.1275] [5.5546; 6.4032] [5.5746; 6. 6.032] [5.5746; 6. 6.032] [5.5746; 6. 6.032] [0.1275] [0.1098; 0.1468] [0.1090; 0. 0.0075] [0.0075] [0.0075] [0.0075] [0.0075] [0.0075] [0.0075] [0.0075] [0.0036] [-0.0158; 0.0076] [-0.0158; 0.0076] [-0.0158; 0.0076] [-0.0526; -1.0036] [-0.0526; -1.0036] [-0.0526; -1.0036] [-0.0526; -1.0036] [-0.0526; -1.0036] [-0.0527; -0.0198] [-0.0526; -1.0036] [-0.0587; -0.0198] [-0.0526; -1.0036] [-0.0587; -0.0194] [-0.0587; -0.049] [-0.0587; -0.049] [-0.0587; -0.049] [-0.0587; -0.049] [-0.0587; -0.049] [-0.0587; -0.049] [-0.0587; -0.076] [-0.0587; -0.066] [-0.0873; -0.0772* -0.076 [-0.0877; -0.0666] [-0.0873; -0.102] [-0.1112; -0.0929] [-0.1116; -1.0929] [-0.1116; -1.0929] [-0.1116; -1.0929] [-0.1116; -1.0929] [-0.1116; -1.0929] [-0.1116; -1.0929] [-0.1116; -1.0929] [-0.1116; -1.0929] [-0.0849; 0.093] [-0.0849; 0.093] [-0.0849; 0.093] [-0.0849; 0.093] [-0.0849; 0.093] [-0.0849; 0.093] [-0.0849; 0.093] [-0.0849; 0.093] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.094] [-0.0869; 0.098] [-0.0869; 0.098] [-0.0869; 0.098] [-0.0869; 0.098] [-0.0869; 0.098] [-0.0869; 0.098] [-0.0869; 0.098] [-0.0869; 0.098] [-0.0869; 0.098] [-0.0869; 0.098] [-0.0869; 0.098]	$\begin{array}{llllllllllllllllllllllllllllllllllll$
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Fulltime	Fulltime $ \begin{array}{c} 0.1283^* \\ [0.1098; 0.1468] \\ [0.1090; 0. \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.0075 \\ 0.00363^* \\ -0.0363^* \\ -0.0363^* \\ -0.0364^* \\ -0.01306^* \\ -0.0157; -0.0198 \\ [-0.0527; -0.0198] \\ [-0.0526; -0.0198] \\ [-0.0526; -0.0198] \\ [-0.0526; -0.0198] \\ [-0.0526; -0.0198] \\ [-0.0526; -0.0198] \\ [-0.0526; -0.0198] \\ [-0.0295 \\ 0.0028^* \\ 0.0028^* \\ 0.0028^* \\ 0.0028^* \\ 0.0028^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040^* \\ 0.0040$	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
College-educated	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$ \begin{array}{c} (460) \\ (0.1089; 0.1458] \\ (0.0078) \\ (0.0073) \\ (0.0083) \\ (0.0093) \\ (-0.0155; 0.0312] \\ (-0.0161; 0.0306] \\ (-0.0527; -0.0364*) \\ (-0.0527; -0.0200] \\ (-0.0525; -0.0197] \\ (-0.0530; -0.0201] \\ (-0.0527; -0.0197] \\ (-0.0530; -0.0201] \\ (-0.0530; -0.0201] \\ (-0.0525; -0.0197] \\ (-0.0530; -0.0201] \\ (-0.1313*) \\ (-0.1309*) \\ (-0.1311*) \\ (-0.1577; -0.1048] \\ (-0.1575; -0.1044] \\ (-0.1577; -0.1045] \\ (-0.0295*) \\ (0.0294*) \\ (0.0294*) \\ (0.0294*) \\ (0.0281*) \\ (0.0397*) \\ (0.0408*) \\ (0.0427*) \\ (0.077) \\ (0.0123; 0.0671] \\ (0.0135; 0.0682] \\ (0.0135; 0.0700] \\ (0.078*) \\ (-0.0498*) \\ (-0.0498*) \\ (-0.0498*) \\ (-0.0498*) \\ (-0.0768*) \\ (-0.0768*) \\ (-0.0768*) \\ (-0.0774*) \\ (-0.0586; -0.0410] \\ (-0.0874; -0.0663] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0.0669] \\ (-0.0879; -0$
College-educated	$\begin{array}{c} \text{College-educated} & 0.0075 \\ [-0.0159; 0.0310] & [-0.0158; 0.0310] \\ [-0.0159; 0.0310] & [-0.0158; 0.0310] \\ [-0.0527; -0.0198] & [-0.0526; -1.0198] \\ [-0.0527; -0.0198] & [-0.0526; -1.01306* \\ [-0.1572; -0.1040] & [-0.1576; -1.0107] \\ [-0.1572; -0.1040] & [-0.1576; -1.0081; 0.0484] \\ [0.0081; 0.0484] & [0.0094; 0.0403] \\ [0.0157; 0.0704] & [0.0130; 0.0403] \\ [0.0157; 0.0704] & [0.0130; 0.0403] \\ [0.0157; 0.0704] & [0.0130; 0.0403] \\ [0.0157; 0.0704] & [0.0130; 0.0403] \\ [0.0157; 0.0704] & [0.0130; 0.0403] \\ [0.0157; 0.0704] & [0.0130; 0.0403] \\ [0.0157; 0.0704] & [0.0130; 0.0493] \\ [0.0157; 0.0704] & [0.0130; 0.0493] \\ [-0.0873; -[-0.0666] & [-0.0873; -[-0.0873; -[-0.0721* & -0.0721* & -0.0721* \\ [-0.0877; -0.0666] & [-0.0873; -[-0.1112; -0.0929] & [-0.1116; -[-0.0929] & [-0.1116; -[-0.0929] & [-0.1116; -[-0.0929] & [-0.1116; -[-0.0882; 0.0894] & [-0.0849; 0.093] \\ [-0.0882; 0.0894] & [-0.0849; 0.0933] \\ [-0.0882; 0.0894] & [-0.0849; 0.0949] \\ [-0.1112; -0.0929] & [-0.1116; -[-0.0869; 0.034] & [-0.0849; 0.0949] \\ [-0.0835; 0.0115] & [-0.0869; 0.0349] \\ [-0.0835; 0.0115] & [-0.0869; 0.0842] \\ [-0.0835; 0.0115] & [-0.0369; 0.0842] \\ [-0.0966; 0.0344] & [-0.0504; 0.0842] \\ [-0.0966; 0.0344] & [-0.0504; 0.0842] \\ [-0.0966; 0.0344] & [-0.0504; 0.0842] \\ [-0.0966; 0.0344] & [-0.0504; 0.0842] \\ [-0.0966; 0.1317] & [0.0335; 0.0842] \\ [-0.0966; 0.1317] & [0.0335; 0.0842] \\ [-0.0967; -0.0161] & [-0.01012; 0.0862] \\ [-0.0071; 0.1322] & [-0.0102; 0.0862] \\ [-0.0071; 0.1322] & [-0.0102; 0.0862] \\ [-0.0157; 0.0168] & [-0.0583; -[-0.0597; -0.0223] \\ [-0.0583; -[-0.0583; -[-0.0598] \\ [-0.0597; -0.0223] & [-0.0583; -[-0.0583] \\ [-0.0597; -0.0223] & [-0.0583; -[-0.0583] \\ [-0.0587; -0.0223] & [-0.0583; -[-0.0583] \\ [-0.0587; -0.0223] & [-0.0583; -[-0.0583] \\ [-0.0597; -0.0223] & [-0.0583; -[-0.0583] \\ [-0.0597; -0.0223] & [-0.0583; -[-0.0583] \\ [-0.0597; -0.0223] & [-0.0583; -[-0.0583] \\ [-0.0587; -[-0.0223] & [-0.0583; -[-0.0583] \\ [-0.0597; -[-0.0223] & [-0.0583; -[-0.0583] \\ [-0.0597; -[-0.0223] & [-0.0583; -[-0.058$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
Country Cou	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
Co.0527; -0.0198 -0.0526; -0.0198 -0.0527; -0.0200 -0.0525; -0.0197 -0.0530; -0.0201 -0.1310°	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
Youth (0-17) (0-1300°) -0.1310° -0.1313° -0.1301° -0.1311° Young adults (18-34) (0.0283°) 0.0295° 0.0295° 0.0295° 0.0291° 0.0295° 0.0291° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0281° 0.0408° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0482° 0.0584° 0.0693° 0.0762° 0.0762° 0.0762° 0.0762° 0.0762° 0.0762° 0.	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
Count Cou	Young adults (18-34)	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
Young adults (18-34) (0.0283*) (0.0996*) (0.0295*) (0.0295*) (0.0295*) (0.0295*) (0.0297*) (0.0297*) (0.0297*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0155*) (0.0037*) (0.0155*) (0.0037*) (0.0155*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0037*) (0.0036*) (0.0076*) (0.0076*) (0.0076*) (0.0076*) (0.0076*) (0.0076*) (0.0076*) (0.0076*) (0.0076*) (0.0076*) (0.0076*) (0.0077**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**) (0.0076**)	Young adults (18-34) 0.0283^* 0.0295^* Seniors (65+) 0.0430^* 0.0403^* 0.0403^* Black population share -0.0499^* -0.049 Asian population share -0.0772^* -0.0766^* Hispanic population share -0.0772^* -0.0766^* Hispanic population share -0.0121^* -0.076^* Hispanic population share -0.0021^* -0.0021^* Other Minorities 0.0006 0.003^* 0.006 0.003^* $-0.0882; 0.0894$ $[-0.0849; 0.0894; 0.0894]$ γ : log(Density) 1.1105^* 1.0985^* 1.0985^* $(-0.0813; 1.4964]$ $[0.7155; 1.0969^*$ 1.9742^* γ : log(Income) 1.9269^* 1.9742^* $(-0.0813; 2.9625]$ $[0.9465; 3.3.5]$ γ : Fulltime -0.0360 -0.035^* γ : Fulltime -0.0707^* -0.0707^* -0.0717^* γ : Single Adults -0.0707^* -0.0707^* -0.0707^* γ : Youth (0-17) -0.0111 -0.0111	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
Seniors (65+)	$\begin{array}{llllllllllllllllllllllllllllllllllll$	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
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$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$ \begin{array}{c ccccc} 0.0934 & [-0.1117; -0.0934] & [-0.1116; -0.0934] & [-0.1111; -0.0928] \\ 0.0036 & 0.0038 & -0.0005 \\ 0.923 & [-0.0850; 0.0922] & [-0.0849; 0.0924] & [-0.0893; 0.0883] \\ * & 1.0902^* & 1.1036^* & 1.0928^* \\ 1815 & [0.7073; 1.4731] & [0.7202; 1.4870] & [0.7063; 1.4793] \\ * & 1.9565^* & 1.9651^* & 1.9189^* \\ 0020 & [0.9303; 2.9827] & [0.9361; 2.9942] & [0.8836; 2.9541] \\ \end{array} $
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$ \begin{array}{c ccccc} 0.0036 & 0.0038 & -0.0005 \\ 0.0923] & [-0.0850; 0.0922] & [-0.0849; 0.0924] & [-0.0893; 0.0883] \\ * & 1.0902^* & 1.1036^* & 1.0928^* \\ 1815] & [0.7073; 1.4731] & [0.7202; 1.4870] & [0.7063; 1.4793] \\ * & 1.9565^* & 1.9651^* & 1.9189^* \\ 0020] & [0.9303; 2.9827] & [0.9361; 2.9942] & [0.8836; 2.9541] \\ \end{array} $
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	* 1.0902* 1.1036* 1.0928* [815] [0.7073; 1.4731] [0.7202; 1.4870] [0.7063; 1.4793] * 1.9565* 1.9651* 1.9189* [0.836; 2.9541]
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$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	* 1.9565* 1.9651* 1.9189* 10020] [0.9303; 2.9827] [0.9361; 2.9942] [0.8836; 2.9541]
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$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c} \gamma \colon \text{College-educated} & \begin{bmatrix} -0.0835; 0.0115 \\ -0.0707^* \\ -0.0707^* \\ \end{bmatrix} & \begin{bmatrix} -0.0869; 0 \\ -0.0707^* \\ -0.0171 \\ \end{bmatrix} \\ \gamma \colon \text{Single Adults} & -0.0081 \\ -0.0506; 0.0344 \\ \end{bmatrix} & \begin{bmatrix} -0.0504; 0 \\ -0.0506; 0.0344 \\ \end{bmatrix} & \begin{bmatrix} -0.0504; 0 \\ -0.0111 \\ -0.0111 \\ \end{bmatrix} \\ \gamma \colon \text{Young adults (18-34)} & 0.0806^* \\ 0.0806^* \\ 0.0896^* \\ \end{bmatrix} & \begin{bmatrix} 0.0296; 0.1317 \\ \end{bmatrix} & \begin{bmatrix} 0.0335; 0 \\ \end{bmatrix} \\ \gamma \colon \text{Seniors (65+)} & 0.0625 \\ \end{bmatrix} & \begin{bmatrix} 0.0396; 0.1317 \\ \end{bmatrix} & \begin{bmatrix} 0.0350; 0 \\ \end{bmatrix} \\ \gamma \colon \text{Black population share} & 0.0006 \\ \end{bmatrix} & \begin{bmatrix} -0.0101; 0.102; 0 \\ \end{bmatrix} \\ \gamma \colon \text{Asian population share} & -0.0410^* \\ \end{bmatrix} & \begin{bmatrix} -0.0157; 0.0168 \\ -0.0410^* \\ \end{bmatrix} & \begin{bmatrix} -0.0597; -0.0223 \\ \end{bmatrix} & \begin{bmatrix} -0.0583; -0.0095 \\ \end{bmatrix} \\ \gamma \colon \text{Hispanic population share} & 0.0009 \\ \end{bmatrix} & \begin{bmatrix} -0.0583; -0.0095 \\ \end{bmatrix} \\ \end{bmatrix} & \begin{bmatrix} -0.0583; -0.00095 \\ \end{bmatrix} \\ \end{bmatrix} \\ \end{bmatrix} $	7 -0.0402 -0.0388 -0.0363
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	0076] [0.0074.0.0070] [0.0060.0.007] [0.0077.0.0110]
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$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	$ \gamma : \text{Asian population share } \begin{bmatrix} -0.0157; 0.0168 \end{bmatrix} \begin{bmatrix} -0.0151; 0 \\ -0.0410^* & -0.039 \\ [-0.0597; -0.0223] & [-0.0583; -0.009] \\ -0.0009 & -0.0001 \end{bmatrix} $	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	γ : Hispanic population share 0.0009 -0.001	
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	γ : Other Minorities 0.0656 0.0726	0.0715 0.0718 0.0716
$ \begin{bmatrix} 0.6600; 0.7370 \\ 0.6513; 0.7296 \\ 0.1596* \\ \hline 10.0266; 0.2925 \\ \end{bmatrix} \underbrace{ \begin{bmatrix} 0.6504; 0.7288 \\ 0.6526; 0.7307 \\ 0.1776* \\ \hline [0.0398; 0.3155] \\ 0.1434* \\ \hline [0.0070; 0.2799] \\ \end{bmatrix} }_{0.1434*} $		
Size and Distance $ \begin{array}{c} 0.1596^* \\ [0.0266; 0.2925] \\ \text{Tweets} \\ \\ \text{Attributes} \\ \end{array} \begin{array}{c} 0.1776^* \\ [0.0398; 0.3155] \\ \\ 0.1434^* \\ [0.0070; 0.2799] \\ \end{array}$		
Tweets		
[0.0398; 0.3155] Attributes		P
Attributes 0.1434^* [0.0070; 0.2799]	Tweets	2925]
[0.0070; 0.2799]	Attributes	[925] 0.1776*
	Attibutes	0.1776^* [0.0398; 0.3155]
10-min wark 0.5865	10-min walk	$\begin{array}{c} 0.1776^* \\ [0.0398; 0.3155] \\ \end{array}$
[-0.1778; 1.3508]		$\begin{array}{c} 0.1776^* \\ [0.0398; 0.3155] \\ \end{array}$
Num. obs. 2099 2099 2099 2099 2099		$\begin{array}{c} 0.1776^* \\ [0.0398; 0.3155] \\ 0.1434^* \\ [0.0070; 0.2799] \\ 0.5865 \end{array}$
Parameters 27 28 28 28 28	Parameters 27 28 Log Likelihood -4438.0569 -4435.3	$\begin{array}{c} 0.1776^* \\ [0.0398; 0.3155] \\ & & 0.1434^* \\ [0.0070; 0.2799] \\ & & & 0.5865 \\ \hline & & [-0.1778; 1.3508] \\ \hline & & & 2099 & 2099 \\ \end{array}$

 $[\]overline{^*$ 0 outside the confidence interval. 95% confidence interval in brackets.

Table 6. Estimated Effect of Accessibility on Physical Activity Rates

	No Access	Size and Distance	Twitter	Amenities	10-Minute Walk
(Intercept)	71.6539* [61.1144; 82.1933]	71.8133* [61.2812; 82.3455]	71.7479* [61.2185; 82.2773]	71.8241* [61.2874; 82.3609]	71.7182* [61.1846; 82.2518]
$\log(\mathrm{Density})$	-0.0294	-0.0312	-0.0310	-0.0311	-0.0266
log(Income)	$ \begin{bmatrix} -0.1037; 0.0448 \\ -0.4849* \end{bmatrix} $	$ \begin{bmatrix} -0.1055; 0.0431 \\ -0.4920* \end{bmatrix} $	$ \begin{bmatrix} -0.1053; 0.0433 \\ -0.4916* \end{bmatrix} $	$ \begin{bmatrix} -0.1054; 0.0432] \\ -0.4923* $	[-0.1009; 0.0478] -0.4861*
Fulltime	[-0.7612; -0.2085] -0.0137*	[-0.7685; -0.2154] -0.0137^*	[-0.7681; -0.2151] -0.0137*	[-0.7689; -0.2157] -0.0136*	$ \begin{bmatrix} -0.7623; -0.2098 \\ -0.0139* \end{bmatrix} $
	[-0.0244; -0.0031]	[-0.0244; -0.0030]	[-0.0244; -0.0030]	[-0.0243; -0.0030]	[-0.0246; -0.0032]
College-educated	0.0343^* [0.0211; 0.0474]	0.0343^* [0.0211; 0.0474]	0.0342^* $[0.0211; 0.0474]$	0.0343^* $[0.0212; 0.0475]$	0.0340^* [0.0208; 0.0471]
Single Adults	0.0010 [-0.0082; 0.0103]	0.0010 [-0.0082; 0.0103]	0.0010 [-0.0082; 0.0103]	0.0010 [-0.0083; 0.0102]	0.0012 [-0.0081; 0.0104]
Youth (0-17)	0.0051 [-0.0099; 0.0201]	0.0052 [-0.0098; 0.0202]	0.0053 [-0.0097; 0.0202]	0.0052 [-0.0098; 0.0202]	0.0054 [-0.0096; 0.0204]
Young adults (18-34)	-0.0095	-0.0098	-0.0098	-0.0098	-0.0094
Seniors (65+)	[-0.0206; 0.0016] -0.0826*	[-0.0209; 0.0013] -0.0820*	[-0.0209; 0.0013] -0.0819*	$ \begin{bmatrix} -0.0210; 0.0013 \\ -0.0820* $	$ \begin{bmatrix} -0.0205; 0.0017 \\ -0.0825^* \end{bmatrix} $
Black population share	[-0.0977; -0.0675] 0.0462*	[-0.0972; -0.0669] 0.0462*	[-0.0971; -0.0667] 0.0462*	[-0.0972; -0.0669] 0.0462*	[-0.0976; -0.0673] 0.0461*
Asian population share	$\begin{array}{c} [0.0414; 0.0511] \\ -0.1010^* \end{array}$	$ \begin{bmatrix} 0.0414; 0.0511] \\ -0.1010* \end{bmatrix} $	$ \begin{array}{c} [0.0414; 0.0511] \\ -0.1010^* \end{array} $	$ \begin{array}{c} [0.0413; 0.0510] \\ -0.1010^* \end{array} $	$ \begin{array}{c} [0.0413; 0.0510] \\ -0.1009 \end{array} $
• •	[-0.1069; -0.0950]	[-0.1070; -0.0951]	$\left[-0.1070; -0.0951\right]$	[-0.1070; -0.0951]	[-0.1068; -0.0949]
Hispanic population share	-0.0062^* [-0.0118; -0.0007]	-0.0061^* [-0.0116; -0.0006]	-0.0061^* [-0.0116; -0.0005]	-0.0061^* [-0.0116; -0.0006]	-0.0062^* [-0.0117; -0.0007]
Other Minorities	-0.0642^* [-0.1127; -0.0156]	-0.0648^* [-0.1133; -0.0162]	-0.0648^* [-0.1133; -0.0163]	-0.0649^* [-0.1134; -0.0164]	-0.0637^* [-0.1122; -0.0151]
Physical Activity Rate	-0.5545* $[-0.7908; -0.3182]$	-0.5570^* $[-0.7932; -0.3209]$	-0.5565*	-0.5575*	-0.5445*
γ : log(Density)	-0.0863	-0.1059	[-0.7926; -0.3204] -0.1057	[-0.7937; -0.3212] -0.1046	[-0.7812; -0.3079] -0.0783
γ : log(Income)	$ \begin{bmatrix} -0.7966; 0.6240] \\ -0.0118 \end{bmatrix} $	$ \begin{bmatrix} -0.8165; 0.6047 \\ -0.0115 \end{bmatrix} $	$ \begin{bmatrix} -0.8161; 0.6048] \\ -0.0114 $	$ \begin{bmatrix} -0.8152; 0.6061 \\ -0.0116 \end{bmatrix} $	$ \begin{bmatrix} -0.7883; 0.6317 \\ -0.0116 \end{bmatrix} $
γ : Fulltime	[-0.0404; 0.0169] 0.0698*	$[-0.0401; 0.0172] \ 0.0698^*$	[-0.0401; 0.0172] 0.0697*	[-0.0402; 0.0171] 0.0699*	$[-0.0402; 0.0171] \ 0.0710^*$
γ: College-educated	$ \begin{bmatrix} 0.0334; 0.1062 \\ -0.0114 \end{bmatrix} $	$ \begin{bmatrix} 0.0334; 0.1062 \\ -0.0114 \end{bmatrix} $	$[0.0333; 0.1061] \\ -0.0113$	$ \begin{bmatrix} 0.0335; 0.1063 \\ -0.0115 \end{bmatrix} $	$ \begin{bmatrix} 0.0346; 0.1075] \\ -0.0117 \end{bmatrix} $
, ,	[-0.0368; 0.0140]	[-0.0368; 0.0140]	[-0.0367; 0.0141]	[-0.0369; 0.0139]	[-0.0371; 0.0137]
γ: Single Adults	-0.0330 [$-0.0748; 0.0088$]	-0.0331 [-0.0749; 0.0087]	-0.0329 [$-0.0747; 0.0089$]	-0.0333 [$-0.0751; 0.0085$]	-0.0326 [-0.0744; 0.0092]
γ : Youth (0-17)	-0.0238 [-0.0545; 0.0069]	-0.0248 [-0.0555; 0.0059]	-0.0248 [-0.0555; 0.0059]	-0.0250 [$-0.0557; 0.0058$]	-0.0235 [$-0.0542; 0.0071$]
$\gamma \text{: Young adults (18-34)}$	-0.0222 [$-0.0629; 0.0185$]	-0.0217 $[-0.0624; 0.0190]$	-0.0213 [-0.0620; 0.0194]	-0.0218 [-0.0625; 0.0189]	-0.0222 [-0.0628; 0.0185]
$\gamma :$ Seniors (65+)	0.0186*	0.0186*	0.0186*	0.0186*	0.0185*
$\gamma :$ Black population share	$ \begin{bmatrix} 0.0080; 0.0292] \\ -0.0460* $	[0.0080; 0.0292] -0.0462*	[0.0080; 0.0291] -0.0462*	$ \begin{bmatrix} 0.0080; 0.0292] \\ -0.0462* $	$[0.0079; 0.0291] \\ -0.0461*$
γ : Asian population share	$[-0.0594; -0.0325] \\ 0.0257^*$	$[-0.0597; -0.0328] \\ 0.0264*$	$[-0.0597; -0.0328] \\ 0.0264*$	$[-0.0597; -0.0328] \\ 0.0264*$	[-0.0595; -0.0327] 0.0258*
γ : Hispanic population share	[0.0129; 0.0386] 0.0794	[0.0135; 0.0392] 0.0785	[0.0136; 0.0393] 0.0785	[0.0135; 0.0393] 0.0786	[0.0130; 0.0386] 0.0767
γ: Other Minorities	[-0.0648; 0.2236] -0.4807^*	[-0.0656; 0.2227] -0.4802*	[-0.0656; 0.2227] -0.4801*	[-0.0655; 0.2227] -0.4802*	[-0.0674; 0.2209] -0.4803*
•	[-0.5048; -0.4566]	[-0.5043; -0.4561]	[-0.5042; -0.4560]	[-0.5043; -0.4561]	[-0.5044; -0.4562]
γ: Physical Activity Rate	$0.0180 \\ [-0.0397; 0.0757]$	$ \begin{array}{c} 0.0197 \\ [-0.0380; 0.0775] \end{array} $	0.0201 [-0.0376; 0.0779]	0.0198 [-0.0380; 0.0775]	$ \begin{array}{c} 0.0173 \\ [-0.0404; 0.0750] \end{array} $
λ : spatial correlation	0.8363* [0.8101; 0.8625]	0.8356* [0.8093; 0.8619]	0.8356* [0.8093; 0.8619]	0.8359* [0.8097; 0.8622]	0.8361* [0.8099; 0.8624]
Size and Distance	, ,	-0.0387 [-0.1111; 0.0337]	. , 1	. , 1	. ,]
Tweets		[0.1111,0.0001]	-0.0419		
Attributes			[-0.1176; 0.0338]	-0.0412	
10-min walk				[-0.1162; 0.0338]	-0.2630 [$-0.6491; 0.1232$]
Num. obs.	2099	2099	2099	2099	2099
Parameters	29	30	30	30	30

 $^{^*}$ 0 outside the confidence interval. 95% confidence interval in brackets.