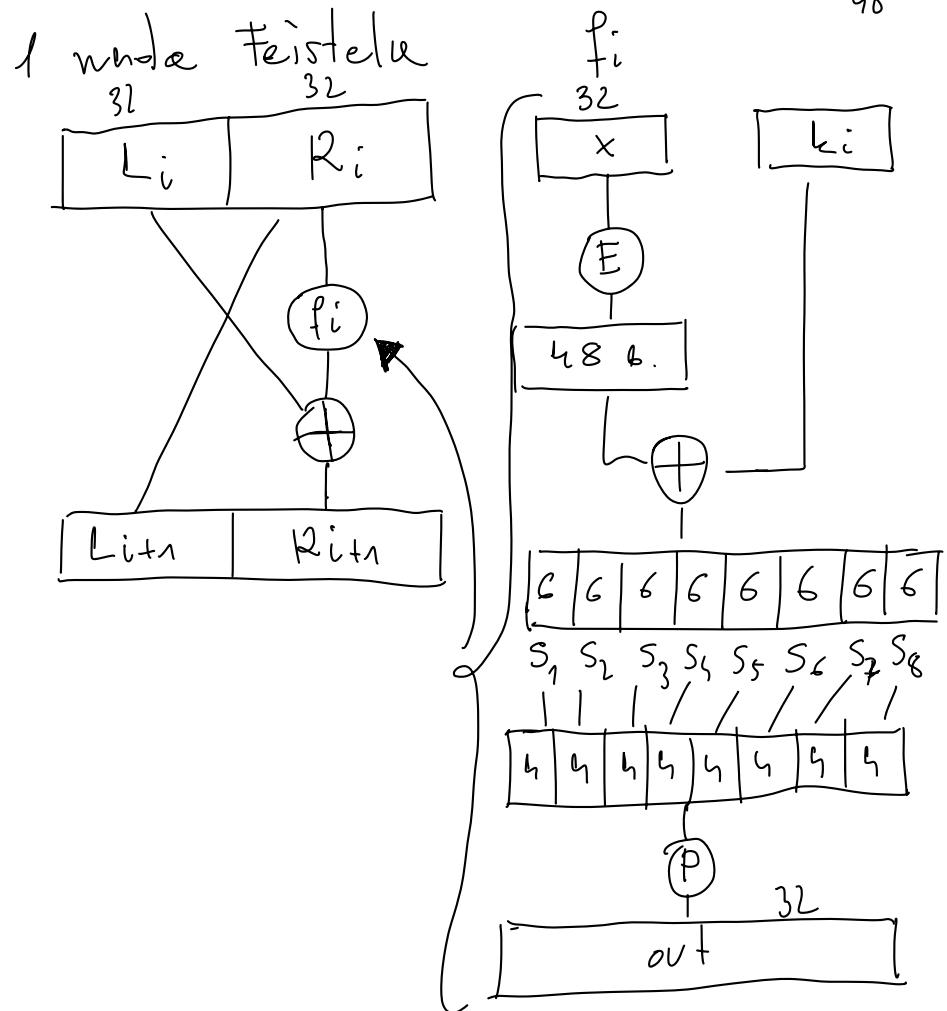
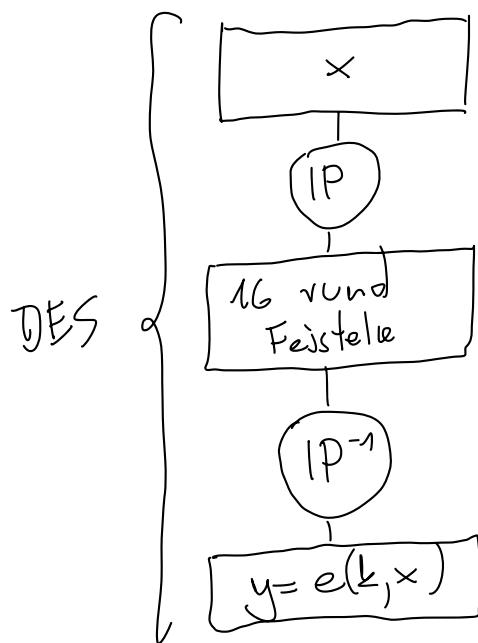


DES 16-runde siec Feistel & 64-bitly $k \rightarrow k_1, \dots, k_{16}$
 $56 \rightarrow 32, 32, 48$



Kryptoschlüssel DES

• Zahl der Runden? 56-bitly

• Brute-force 2^{56}

1974 1 dreh \$ 20 mln.

1993 1,5 dreh \$ 100 tys. Hienex

1998 2 dreh \$ 250 tys.

2006 1 dreh \$ 12 tys. 120 FPGA

1989 Biham, Shamir

$2^{4?}$

Kryptoschlüssel reinvoke

(x, y)

zweite Verarbeitung IBM 70

1994 Matsui Kryptanalyse Wörter

$$2^{56} \rightsquigarrow 2^{43} (x, y)$$

$$40 \text{ bits} \rightarrow 10 \text{ bits}$$

$$\downarrow \quad \downarrow$$

$$(x, y)$$

3DES $e^{3\text{DES}} : \mathcal{K} \times \mathcal{K} \times \mathcal{K} \times \mathcal{P} \rightarrow \mathcal{C}$

$$\begin{array}{c} \uparrow \quad \uparrow \quad \uparrow \\ 56 \quad 56 \quad 56 \end{array}$$

$$e^{3\text{DES}}(k_1, k_2, k_3, x) = e^D(k_1, \underbrace{e^D(k_2, e^D(k_3, x))}_{\text{168 bits}})$$

$$e^{3\text{DES}}(k_1, k_1, k_1, x) = e^D(k_1, x)$$

168 b.

$$\boxed{2^{168}}$$

Wie 2DES?

$$e^{2\text{DES}}(k_1, k_2, x) = e^D(k_1, e^D(k_2, x))$$

$$\begin{array}{c} \uparrow \quad \uparrow \\ 56 \quad 56 \end{array} \quad 2^{112}$$

$$x \rightarrow e(k_1, e(k_2, x)) = y \quad d(k_1, \cdot)$$

$$d(k_1, e(k_1, e(k_2, x))) = d(k_1, y)$$

$$e(k_2, x) = d(k_1, y)$$

Meet-in-the-middle

(time - memory trade-off)

$e(h_2, x)$	k_2	$e(h_2, x)$
00...0		$e(h_2, x)$
00...1		$e(h_2, x)$
00...10		$e(h_2, x)$
⋮		⋮
111...1		$e(h_2, x)$

$2^{56} \log(2^{56})$

$$f(e(h_2, x)) = k_2$$

k_1	$d(h_1, y)$
0...0	
0...1	
6... 10	
⋮	
1...1	

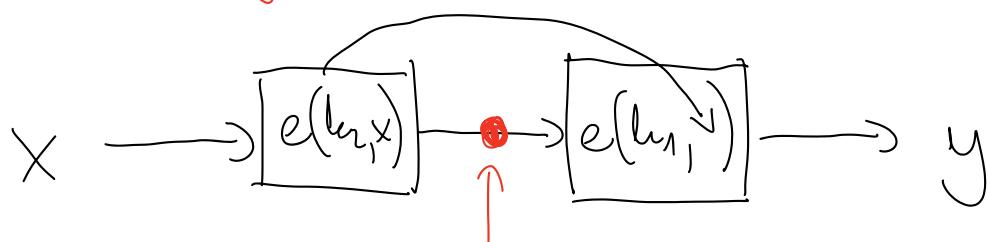
$2^{56} \log(2^{56})$

$n \log n$

$2 \cdot 2^{56} \log(2^{56}) \approx 2^{63}$

$$d(0...0, y) = x_{0...0}$$

$$d(0...01, y) = x_{0...01}$$



$$e(h_2, x) = d(h_2, y)$$

3DES

