

Code generation for cool methods

Admin

- PA1 code review
- PA3 handout and distro
- Lecture on 14/3: memory management (JN)
- Next week: check announcements on qm+
- Revision lecture on revision week

Today

- Code generation for methods
 - operation semantics of dispatch
 - cool stack frame layout

OPERATIONAL SEMANTICS OF DISPATCH

Cool evaluation rules

- The evaluation judgment is $\mathbf{so}, \mathbf{E}, \mathbf{S} \vdash \mathbf{e} : \mathbf{v}, \mathbf{S}'$
 - \mathbf{so} the current value of the self object
 - \mathbf{E} the current variable environment
 - \mathbf{S} the current store
- If the evaluation of \mathbf{e} terminates then
 - the returned value is \mathbf{v}
 - the new store is \mathbf{S}'

More Notation

- For a class A and a method f of A
 $\text{impl}(A, f) = (x_1, \dots, x_n, e_{\text{body}})$
 - x_i are the names of the formal arguments
 - e_{body} is the body of the method
 - f can be inherited

Dispatch $e_0.f(e_1, \dots, e_n)$

- Evaluate the arguments in order e_1, \dots, e_n
- Evaluate e_0 to the target object
- Let X be the dynamic type of the target object
- Find the definition of f for X
- Create n new locations
- Create an environment that maps formal arguments of f to those locations
- Initialize the locations with the actual arguments
- Set self to the target object
- Evaluate the body of f

Dispatch

$\text{so}, E, S \vdash e_1 : v_1, S_1$

$\text{so}, E, S_1 \vdash e_2 : v_2, S_2$

...

$\text{so}, E, S_{n-1} \vdash e_n : v_n, S_n$

$\text{so}, E, S_n \vdash e_0 : v_0, S_{n+1}$

$v_0 = X(a_1 = l_1, \dots, a_m = l_m)$

$\text{impl}(X, f) = (x_1, \dots, x_n, e_{\text{body}})$

$l_{xi} = \text{newloc}(S_{n+1})$ for $i = 1, \dots, n$

$E' = [x_1 : l_{x1}, \dots, x_n : l_{xn}, a_1 : l_1, \dots, a_m : l_m]$

$S_{n+2} = S_{n+1}[v_1/l_{x1}, \dots, v_n/l_{xn}]$

$v_0, E', S_{n+2} \vdash e_{\text{body}} : v, S_{n+3}$

$\text{so}, E, S \vdash e_0.f(e_1, \dots, e_n) : v, S_{n+3}$

Dispatch

- The body of the method is invoked with
 - E mapping formal arguments and self's attributes
 - S like the caller's except with actual arguments bound to the locations allocated for formals
- The notion of the frame is implicit: new locations are allocated for actual arguments
- The semantics of **static** dispatch is similar, except the implementation of f is taken from the specified class

Runtime errors in dispatch

- What happens if $\text{impl}(X, f)$ is not defined?
- What happens if target object is void?

$$\begin{array}{l} \dots \\ \text{so, } E, S_n \vdash e_0 : v_0, S_{n+1} \\ v_0 = X(a_1 = l_1, \dots, a_m = l_m) \\ \text{impl}(X, f) = (x_1, \dots, x_n, \text{ebody}) \\ \dots \\ \hline \text{so, } E, S \vdash e_0.f(e_1, \dots, e_n) : v, S_{n+3} \end{array}$$

Runtime errors

- There are some runtime errors that the type checker does not try to prevent (can it ?)
 - dispatch on void
 - case on void
 - no matching branch in case
 - division by zero
 - substring out of range
 - heap overflow
- Execution must abort gracefully
 - with an error message not with segfault
- Operational rules do not cover these cases

In practice...

- Cool operational rules are **precise and detailed**
- Most languages do not have a well specified operational semantics
- When portability is important an operational semantics becomes essential
- Notation we used for Cool is very limited

COOL STACK FRAME LAYOUT

Cool stack frame

- Code for function calls and function definitions depends on the **layout of the stack frame**
 - return value: always in the accumulator \$a0
 - actual parameters on the stack pushed by the caller
 - return address in \$ra
 - start of the frame in \$fp (callee saved)
 - address of the next location on the stack is in \$sp
 - the top of the stack is at address $\$sp + 4$
- Invariant: on exit \$sp is the same as it was on function entry
 - no need to save \$sp

Code generation for method calls

```
cgen(f(e1,...,en)) =  
  cgen(en)  
  push $a0  
  ...  
  cgen(e1)  
  push $a0  
  jal f_entry
```

The caller saves the actual arguments in reverse order

The stack frame so far is $4 \cdot n$ bytes long

The caller places the return address in register \$ra

Code generation for methods

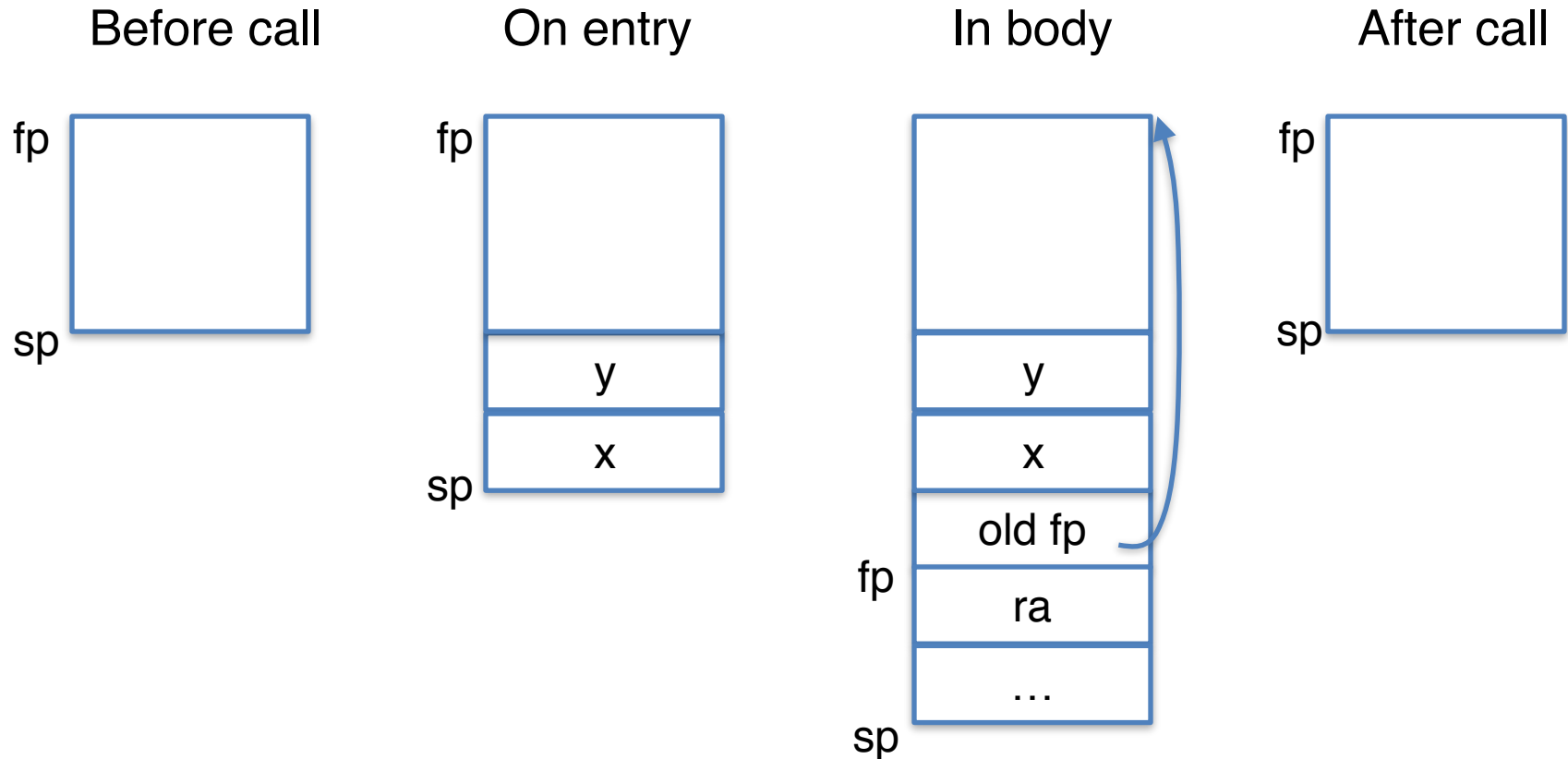
```
cgen(impl(f)=(x1,...,xn,e)) =  
f_entry:  
  push $fp  
  move $fp $sp  
  push $ra  
  cgen(e)  
  $ra := top  
  lw $fp 4($fp)  
  addiu $sp $sp z  
  jr $ra
```

The frame pointer points to the top of the frame

The callee pops the return address, the saved value of the frame pointer and the actual arguments

$$z = 4*n + 8$$

Calling sequence for $f(x,y)$

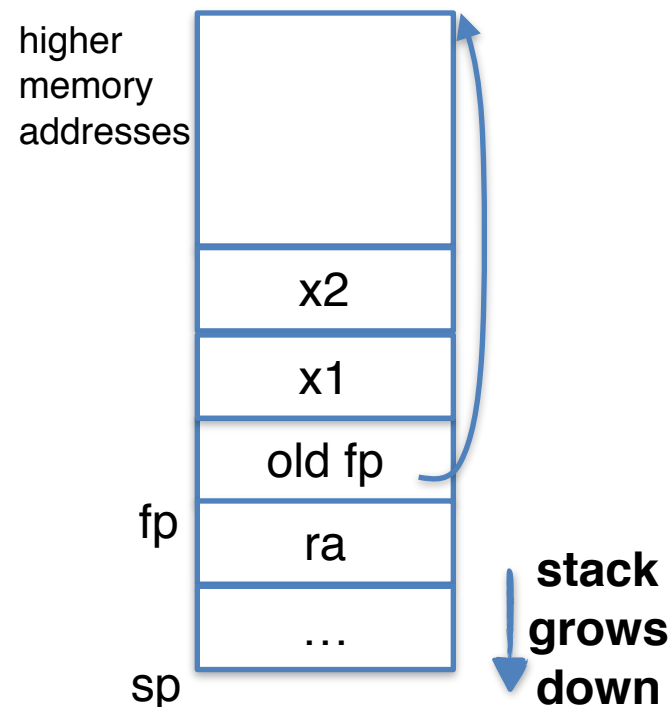


Why do we keep frame pointer?

- Stack machine with accumulator
 - the stack grows when intermediate results are saved
 - the variables are not at a fixed offset from \$sp
- Frame pointer
 - always points to the return address on the stack
 - since it does not move it can be used to find the variables (function's formal parameters)

Code generation for variables

- for a function **impl(f)=(x1,x2,e)**
frame and frame pointer are set up as follows:



$x1$ is at $fp + 8$

$x2$ is at $fp + 12$

$cgen(x_i) = lw \$a0 z(\$fp)$

where $z = 4 * (i+1)$

Stack frame layout

- What intermediate values are placed on the stack?
- How many slots are needed in the frame to hold these values?

```
fib(x:Int):Int {  
  if x = 1 then 0 else  
    if x = 2 then 1 else  
      fib(x - 1) + fib(x - 2)  
    fi  
  fi  
};
```

How many temporaries?

- $NT(e)$ is the number of temps needed to evaluate e
- $NT(e1 + e2)$
 - needs at least as many temporaries as $NT(e1)$
 - needs at least as many temporaries as $NT(e2) + 1$
- Space used for temporaries in $e1$ can be reused for temporaries in $e2$

How many temporaries?

- $NT(e1 + e2) = \max(NT(e1), 1 + NT(e2))$
- $NT(e1 - e2) = \max(NT(e1), 1 + NT(e2))$
- $NT(\text{if } e1 \text{ then } e2 \text{ else } e3) = \max(NT(e1), NT(e2), NT(e3))$
- $NT(\text{while } e1 \text{ loop } e2 \text{ pool}) = \max(NT(e1), NT(e2))$
- $NT(\text{id}(e1, \dots, en)) = \max(NT(e1), \dots, NT(en))$
- $NT(\text{int}) = 0$
- $NT(\text{id}) = 0$

Is this bottom-up or top-down?

At what point in code generation to determine the number of temporaries?

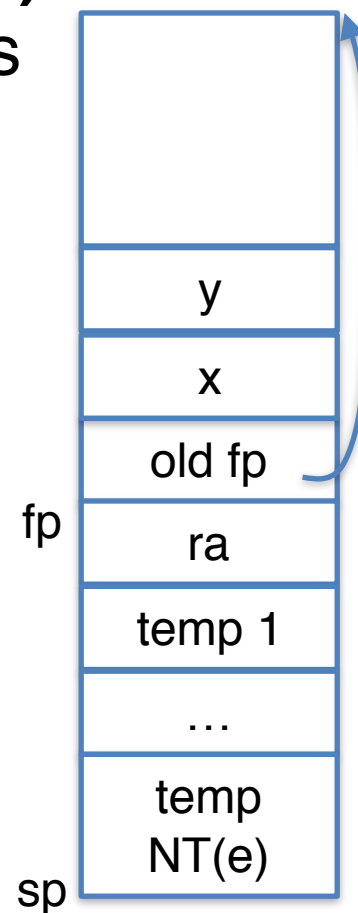
How many temporaries?

- Compute $NT(e)$ at the beginning of code generation for each method
- What is $NT(\dots \text{code for fib} \dots)$?

```
fib(x:Int):Int {  
  if x = 1 then 0 else  
    if x = 2 then 1 else  
      fib(x - 1) + fib(x - 2)  
  fi  
fi  
};
```

Revised stack frame

- For a function definition $\text{impl}(f)=(x_1,\dots,x_n,e)$ the stack frame has $2 + n + \text{NT}(e)$ elements
 - return address
 - old frame pointer
 - n arguments
 - $\text{NT}(e)$ slots for intermediate results



Revised code generation

- How do we use the number of temporaries ?
- Code generation keeps track of how many temporaries are in use at each point
- Add a new argument **n** to code generation: the position of the next available temporary
- **cgen(e, n)** generate code for **e** and use temporaries whose address is **\$fp - 4 - 4*n** or lower

Code generation for **add**

Original

```
cgen(e1 + e2) =  
  cgen(e1)  
  sw $a0 0($sp)  
  addiu $sp $sp -4  
  cgen(e2)  
  lw $t1 4($sp)  
  add $a0 $t1 $a0  
  addiu $sp $sp 4
```

Revised

```
cgen(e1 + e2, nt) =  
  cgen(e1, nt)  
  sw $a0 -nt($fp)  
  cgen(e2, nt + 4)  
  lw $t1 -nt($fp)  
  add $a0 $t1 $a0
```

The temporary area is used like
a small, fixed-size stack

Code generation for methods

cgen(impl(f)=(x1,...,xn,e), nt) =
f_entry:

addiu \$sp \$sp -(2+nt)

sw \$fp (2+nt)(\$sp)

sw \$ra (1+nt)(\$sp)

addiu \$fp \$sp nt

cgen(e)

lw \$ra (1+nt)(\$sp)

addiu \$sp \$sp 4*n+8

lw \$fp 0(\$sp)

j \$ra

The frame pointer points to the top of the frame

The callee pops the return address, the saved value of the frame pointer and the actual arguments