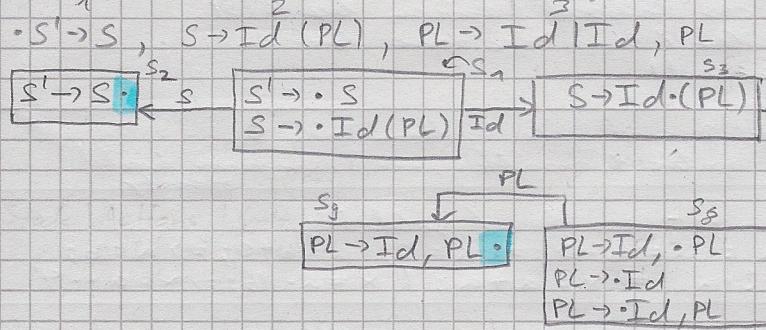


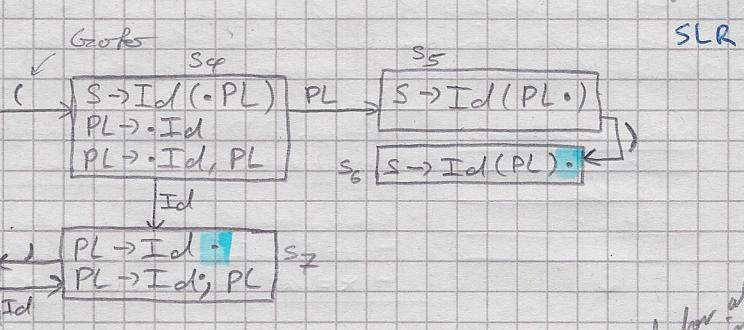
## Shift-reduce parser

- "S2": next char on stack,  
stack 2 on stack
  - "r5": reduce with Rule 5  
next state: last state  
on stack



## LL(1) parsing table

- Zeilen: Zustandsnummer, Spalten: Terminals  
(nächste "Aktion" ( $r^?, s?$ ) und reell-Terminal  
in Goto Beispiel) (1)
  - Ergebnis: Falls 'S' Start ist, füge 'S'  $\rightarrow$  S länger



- falls " $A \rightarrow \alpha \cdot a \beta$ " in  $S_i$  und  $\text{Goto}(S_i, a) = S_j \Rightarrow M[S_i, a] = \text{shift } j$
  - falls " $A \rightarrow \alpha \cdot$ " in  $S_i$  und  $t \in \text{Follow}(A) \Rightarrow$  reduzir mit rule " $A \rightarrow \alpha$ " in  $M[S_i, t]$
  - falls " $S \rightarrow S \cdot$ " in  $S_i \Rightarrow M[S_i, \$] = \text{accept}$  • alle anderen "Fehler" (leerer Eintrag)
  - $\text{Follow}(A)$ : alle Terminalen  $X$ , für die das Wort  $\alpha A \beta$  erzeugt werden kann laut Grammatik von  $S \rightarrow \dots$ . Also alle Terminalen, die auf das nicht-Terminal  $A$  folgen dürfen.

	Aktions Id	( )	\$	S	Groß PL
1	s3			2	
2			acc		
3		s4			
4	s7				5
5					
6		s6		r2	
7			r3	s8	
8	s7				g
9			r3		

- Große  $(S_i, Z) = S_j$  ist terminologisch oder Nichtterminologisch definiert als: für alle "X → Z • Z β" in  $S_i$   
 $\Rightarrow$  dann füge "X → Z • Z β" zu  $S_j$  hinzu

- Clones ( $\beta_k$ ) =  $\delta_k \cup$  alle "Items"  $"B \rightarrow j"$  für jedes  $"X \rightarrow \alpha \cdot B \beta"$ ,  $B$  nicht-

- M [top of stack (stack), next symbol] Terminal, "B->y" in stack

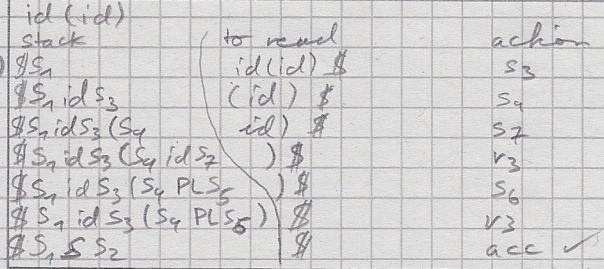
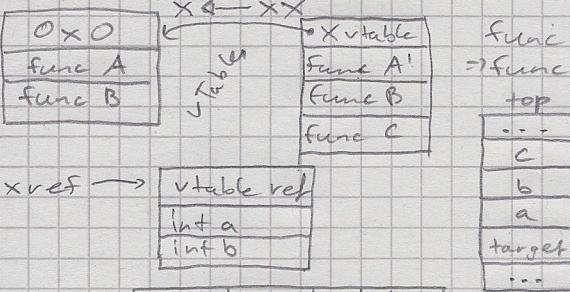
• bottom-up process

- A Syntax - A Names/B symbols well defined
  - S Variables are initialized before reading
  - A/D rules of hygiene obeyed
  - All possible exceptions are caught
  - A functions are defined
  - S all code reachable (no dead code)
  - A no calls (access to private members) as that can be represented (overflow)
  - X program does not exhaust memory
  - X powerconumption with limits
  - object access

Registers also

- Alle BinOps und Ops brauchen noch zu wissen, wie viele Register sie brauchen.
  - Bei Code generieren zuerst die Lade mit mehr Registern

- $L = \{ w \in cw \mid w \in \{a,b\}^* \}$ ,  $\Sigma = \{a,b,c\} \Rightarrow$  any variable used after a marker "c" has been defined before - not context free
  - $L = \{ a^n b^m c^n d^m \mid n,m \geq 0 \} \Rightarrow$  for any function the number of formal parameters is equal to the number of actual parameters (compare declaration with call)  $\rightarrow$  not context free



by value (copy), by ref (reference mem),  
by result, by name (substitution)  
 $\hookrightarrow f(B[0])$

## Graph coloring

remove nodes with  $\leq k$  neighbors  
and their edges. If no nodes left  
(empty graph)  $\Rightarrow$  graph is  $k$ -colorable  
otherwise (nodes left) not.

- First(X) Algorithm: do until no more can be added to First(X)
    - (terminal or  $\epsilon$ ). X is terminal or non-terminal.
      - (i) if X is terminal  $\Rightarrow \text{First}(X) = \{X\}$
      - (ii) if " $X \rightarrow \epsilon$ " is a production  $\Rightarrow$  add  $\epsilon$  to First(X)
      - (iii) if X non-terminal and  $X \rightarrow Y_1 Y_2 Y_3 \dots Y_n$  a production  
 $\Rightarrow$  if  $a \in \text{First}(Y_1) \Rightarrow$  add a to First(X)  
 if  $\epsilon \in \text{First}(Y_1)$  and  $\epsilon \in \text{First}(Y_2)$  add ... and  $\epsilon \in \text{First}(Y_K)$  (Vorsicht! Es kann mehrere add First(Y<sub>K+1</sub>) to First(X))

=> Konstruierung Table M für top-down parser reseing First() und Follow():  
 For all ' $A \rightarrow \alpha$ ' we do the following:  $\Leftrightarrow \alpha = \alpha' \beta$ , nur  $\alpha'$  (1 Symbol). anschlie  
 (i) If  $a \in \text{First}(\alpha)$  add ' $A \rightarrow \alpha$ ' to  $M[A, a]$   
 (ii) if  $b \in \text{Follow}(A)$  add ' $A \rightarrow \alpha$ ' for all  $b \in \text{Follow}(A)$  to  $M[A, b]$   
 (iii) also if  $b = \$$

Rules :  $E \rightarrow T E'$ ,  $E' \rightarrow +T E' | \epsilon$ ,  $T \rightarrow F T'$ ,  $T' \rightarrow *FT' | \epsilon$ ,  $F \rightarrow (E) | id$

=> First Table (transposed) id + \* ( ) E E' T T' F

rule (i) { (d) } { + } { \* } { ( ) { ) } }  
rule (ii)  
rule (iii), first if  
" " \_\_\_\_\_ "  
" " \_\_\_\_\_ "

$$\begin{array}{c}
 \{\epsilon\} \\
 \{\epsilon, +\} \\
 \{\epsilon, id\}
 \end{array}
 \quad
 \begin{array}{c}
 \{\epsilon\} \\
 \{\epsilon, *\}
 \end{array}
 \quad
 \begin{array}{c}
 \{(\}, id\}
 \end{array}$$

result  $\{ \text{id} \} \{ + \} \{ * \} \{ ( \} \{ ) \} \{ (, \text{id}) \} \{ (\varepsilon, +) \} \{ (, \text{id}) \} \{ (\varepsilon, *) \} \{ (, \text{id}) \}$

Follow Table (transposed)		E	E'	T	T'	F
rule (i)		{ \$ }		First(E) ↓		First(T) ↓
rule (ii)		{ \$ } E, ) { First( ))		{ + } ↓		{ * } ↓
rule (iii), with no $\beta$		{ \$ } ↓	Follow(E) ↓	{ + } ↓	Follow(T) ↓	{ Follow(T) and Follow(T') } ↓
rule (iv), with $\beta \Rightarrow \dots \Rightarrow E$		{ \$ } E, + } ↓	{ \$ } E, + } ↓	{ + } E, + } ↓	{ + } E, + } ↓	{ +, *, \$ } ↓
				also Follow(E')		Follow(T), with T $\rightarrow FT'$

result:

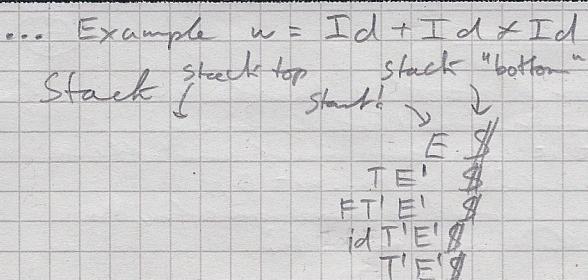
⇒ Table		$id$	$+$	$*$	$($	$)$	$\$$
$E$	$E \rightarrow TE'$				$E \rightarrow TE'$		
$E'$			$E' \rightarrow +TE'$			$E' \rightarrow E$	$E' \rightarrow \epsilon$
$T$	$T \rightarrow FT'$				$T \rightarrow FT'$		
$T'$		$T' \rightarrow \epsilon$		$T' \rightarrow *FT'$		$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$
$F$	$F \rightarrow Id$				$F \rightarrow (E)$		

Top-Down Schritte: if (top of stack is terminal)?

```
if (top is same as next char) { pop Stack;  
pop next char }  
else { error }
```

else if (top is non-Terminal) { if  $M[\text{top}, \text{next char}] = X \rightarrow Y_1 \dots Y_n$  }  
 pop stack, push  $Y_1 \dots Y_n$  } else { error ( $M[\dots, \dots]$  empty) }

```
{else if (top is $ and next char is $) {accept}  
else {error}}
```



w left

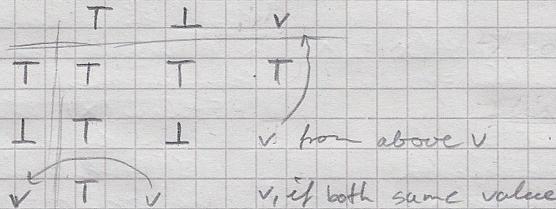
 $\begin{aligned} & \text{Id} + \text{Id} * \text{Id} \$ \\ & \pm \text{Id} * \text{Id} \$ \end{aligned}$ 

comment

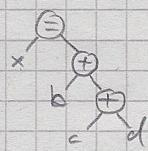
 $\begin{aligned} & M[\text{E}, \text{Id}] \\ & M[\text{T}, \text{Id}] \\ & M[\text{F}, \text{Id}] \\ & \text{Id} == \text{Id} : \text{pop} \\ & M[\text{E}, +] \\ & \dots \end{aligned}$ 

constant folding:

- $T \in \text{var}$  is not constant
- $I \in \text{stmt}$  is, as far we know, not executed
- $\text{var} = v_3 = \text{va}$  is constant  $v$



- constant propagation: "and", top down
- common subexpression elimination: "and", top down
- loose expression: "and", bottom up [reaching definitions: "or", top down]
- live variables: "or", bottom up

 $x = b + c + d \Rightarrow$  concat-free  $\Leftrightarrow \delta_2 \Leftrightarrow$  Type 2 grammar ( $\Leftrightarrow$  push-down automata)• Linear Grammar:  $X \rightarrow P_1 \vee P_2$ 

Left Grammar

right Grammar

• Linear Grammar  $\Rightarrow$  Type 3 grammar  $\Rightarrow$  regular grammar ( $\Rightarrow$  regular exp.) $S \rightarrow E \rightarrow EA \rightarrow EA \text{id} \rightarrow E + id \rightarrow id + id$ 

(⇒)

S

|

E

|

EA

|

id

+ id

"maximum munch" (Greco): read

chars, as long as it belongs to the

Token (valid char) or until white space found.  $\Rightarrow$  typ. Works not always

stop stop "pointer magic"

Grammar G is ambiguous if one of the following hold:

- There are multiple parse trees for some  $w \in L(G)$
- There are multiple left most (right most) derivations for some  $w \in L(G)$

source  $\hookrightarrow$  Finite State Machine | Tokens  
Lexical

→ parser

^ Stack-machine

Backtracking: try first rule, if fails, return to last decision with possible rules left and try next. Repeat until all possible decisions made or success. Works always  $\Rightarrow O(n^k)$  or worse?If grammar not LL(1): - new rule (X → aC, C → aC | a'b)  
- increase k in LL(k) (not liked) - bottom up parsing (preferred)

## Symbol Table (Semantic Check) ("ST")

A ST

A.Foo ST

class A {

j	param, int
a	int

name	type	name	type
A	class	a	int
B	class	b	float
int	...	foo	method
bool	...	ret_void	
...	...		
true	bool		
false	bool		

+ offset

+ visibility

+ ...

Checks (e.g. Array access)

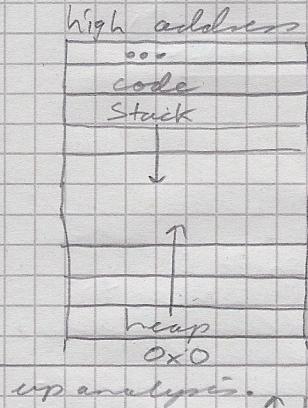
"explicit": add check-code directly to AST  $\Rightarrow$  messy

"delayed handling": semantic analyzer marks nodes to be checked, generate check-code at the last moment (code generation)

↳ RTS

- Runtime System : • interacts with OS • provides services to compiler  
 • compiler assumes existence of runtime system • compiler interacts with runtime system (GC: save points to run GC; GC root set)  
 • RTS defines how memory is used • RTS contains a "loader" (load program and start it) • RTS defines how processes interact

- RTS  $\hookrightarrow$  Compiler must agree on : • Process layout (driven by RTS)  
 • representation of built-in types (compiler / language spec driven)  
 • Object / reference representation (mixed)



- Arrays 2D : • row-major: first file 1, then file 2, ...  
 • column-major: first 8 columns 1, Spalte 2, ... | language should specify  
 • Constant optimization : - constant folding  
 - optimize by algebra :  $a = b \cdot 0 \Rightarrow a = 0$ ;  $a = b + 0 \Rightarrow a = b$   
 -  $x = a^2 \Rightarrow x = a \cdot a$  |  $x = 2 \cdot a \Rightarrow x = a + a$ ;  $x = a \cdot 16 \Rightarrow x = a \cdot 4$

Constant folding and loops: initialize with  $\perp$ , loop until nothing changes. Will stop ("converge")

live variables: An assignment statement is dead, if the variable is not used after the statement. Bottom-up analysis.



merge: lives + lives = lives, dead + lives = lives, dead + dead = dead  
 loops: until no change!

Variables initialized: assume no var is initialized. Go from top to bottom and change to "initialized" if assignment happens to the variable. Merge: initialized + initialized = initialized, otherwise not. (not perfect analysis!)

Register interference graph ("Rig") : nodes  $\hat{=}$  vars, edges  $\hat{=}$  need to be in registers at the same time. Create "live lines" (first definition - last usage)  $\rightarrow$  add edges for "overlapping" lines. Add edge if var in same statement.