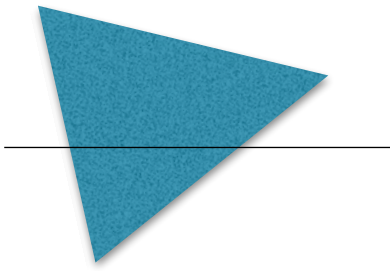


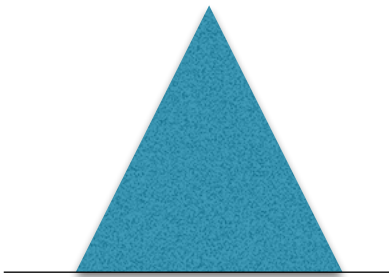
Q1: What are the three different configuration cases when determining the intersection of a pixel row with a triangle edge? In all three cases, what simple criterion can one use to determine whether the triangle edge overlaps the pixel row at all?



A1:

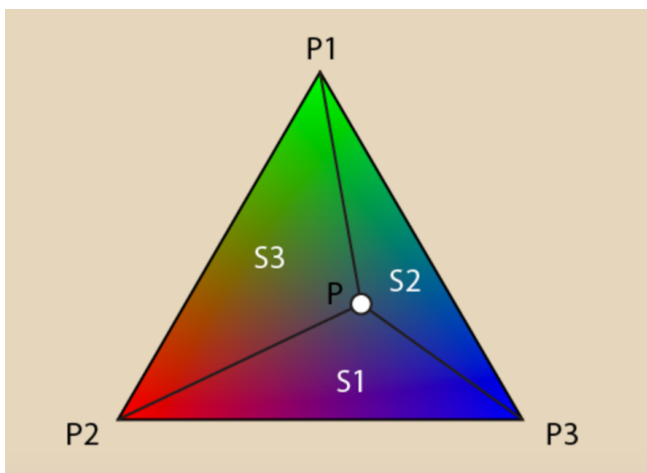
Case 1 - the intersection point is on the triangle edge, e.c. left edge and right edge in the triangle above. We can use y coordinate value to distinguish this case, where y coordinate value of intersection point is between y value of edge points.

Case 2 - the intersection point is on the extend of triangle edge, e.c. top edge in the triangle above. In this case, both y value of edge points are either greater than y value of pixel row, or smaller than pixel row.



Case 3 - triangle edge is collinear with pixel row, see picture above. In this case, edge and pixel row have 0/2 intersection points, which can be used as a judging condition for this case.

Q2: How might one use barycentric interpolation to determine whether or not a given point in space lies within the bounds of a triangle? In rasterization, would this method be more efficient than row bound checking for determining which pixels lie within a triangle? Why or why not?



A2: We need to calculate the area of triangle $P_1P_2P_3$, noted as S , and areas of $PP_2P_3(S_1)$, $PP_1P_3(S_2)$, $PP_1P_2(S_3)$, if $S_1+S_2+S_3 = S$, then point P lies within the bounds of a triangle, otherwise it's not.

It will be more efficient than row bound check. For area calculation, given coordinates of three corners be (x_1, y_1) , (x_2, y_2) and (x_3, y_3) , then area can be computed as $[x_1(y_2 - y_3) + x_2(y_3 - y_1) + x_3(y_1 - y_2)]/2$, it clearly requires less computation than row bound checking.