

$$r_{cN} = r_{ce} + r_{be} / r_{eo} + g_m (r_{be} / r_{eo}) r_{ce}$$
 $(r_{cN} \neq r_{ci})$ $(r_{bo} = 0 \rightarrow r_{cN} = r_{ci})$

$$r_{co} << r_{cN} \ and \ r_{eo} << r_{ce} \rightarrow \frac{v_c}{v_b} \cong -\frac{g_m \, r_{co}}{1 + g_m \, r_{eo}}$$

$$\frac{v_e}{v_b} = g_m \frac{\frac{r_{eo}}{1 + g_m r_{eo}} \frac{r_{cN}}{r_{CN} + r_{co}} + \frac{r_{eo}}{\beta_F}}{1 + g_m \frac{r_{eo}}{\beta_F}}$$

$$r_{co} \ll r_{cN} \ \ and \ g_m r_{eo} \ll \beta_F
ightarrow rac{v_e}{v_b} \cong rac{g_m r_{eo}}{1 + g_m r_{eo}}$$

$$\frac{v_c}{v_e} = \left(\frac{g_m}{1 + g_m \frac{r_{bo}}{\beta_F}} + \frac{1}{r_{ce}}\right) (r_{ce}//r_{co})$$

$$r_{co} \ll r_{ce} \ and \ rac{1}{r_{ce}} \ll rac{g_m}{1 + g_m rac{r_{bo}}{eta_F}}
ightarrow rac{v_c}{v_e} \cong rac{g_m \, r_{co}}{1 + g_m rac{r_{bo}}{eta_F}}$$

$$r_{ei} = \left[\frac{1}{g_m} \frac{\left(1 + g_m \frac{r_{bo}}{\beta_F}\right) (r_{ce} + r_{co})}{\frac{1}{g_m} + \frac{r_{bo}}{\beta_F} + r_{ce}} \right] / / [r_{be} + r_{bo}]$$

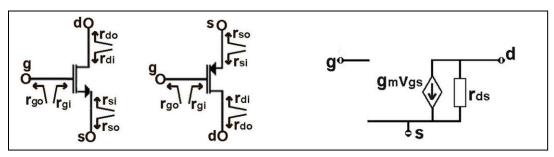
$$r_{co} \ll r_{ce} \ and \ rac{eta_F + g_m r_{bo}}{eta_F} \ll g_m r_{ce}
ightarrow r_{ei} \cong rac{1}{g_m} + rac{r_{bo}}{eta_F}$$

$$r_{bi} = r_{be} \frac{r_{be} + r_{eo} + \beta_F r_{eo} + g_m r_{ce}^2}{r_{be} + g_m r_{eo} r_{be} - g_m r_{eo} r_{be} \frac{r_{CN}}{r_{CN} + r_{co}}}$$

$$r_{co} \ll r_{CN} \text{ and } g_m r_{eo} \ll \beta_F \rightarrow r_{bi} \cong \beta_F \left(\frac{1}{g_m} + r_{eo}\right)$$

$$r_{ci} = r_{ce} + \frac{g_m r_{ce} r_{be} r_{eo}}{r_{eo} + r_{be} + r_{bo}} + \frac{r_{eo} (r_{be} + r_{bo})}{r_{eo} + r_{be} + r_{bo}}$$

$$r_{eo} \ll (r_{be} + r_{bo}) \rightarrow r_{ci} \cong r_{ce} + \frac{g_m r_{ce} r_{be} r_{eo}}{r_{be} + r_{bo}} + r_{eo}$$



$$For\ MOSFET: g_m = \sqrt{2\beta I_{DQ}} \qquad r_{gs} = \infty$$

$$d\leftrightarrow c,\ s\leftrightarrow e,\ b\leftrightarrow g$$

$$(\beta_F = \infty), \big(r_{gs} \equiv r_{be}\big), (r_{ds} \equiv r_{ce}), \big(r_{gi} \equiv r_{bi}\big), \big(r_{go} \equiv r_{bo}\big), (r_{si} \equiv r_{ei}), (r_{so} \equiv r_{eo}), (r_{di} \equiv r_{ci}), (r_{do} \equiv r_{co})$$

$$\frac{V_d}{V_g} = -g_m \frac{r_{ds}^2}{g_m r_{so} r_{ds}^2 + r_{ds}^2 + r_{so} r_{ds}} (r_{di} / / r_{do})$$

$$r_{di} = r_{ds} + r_{so} + g_m \, r_{so} r_{ds}$$

$$r_{do} << r_{di} \ and \ r_{so} << r_{ds} \ \rightarrow \ \frac{v_d}{v_g} \cong -\frac{g_m \, r_{do}}{1 + g_m \, r_{so}}$$

 $\frac{v_s}{v_a} = \frac{g_m r_{so}}{1 + g_m r_{so}} \frac{r_{di}}{r_{di} + r_{do}}$

$$r_{do} \ll r_{di} \rightarrow \frac{v_s}{v_g} \cong \frac{g_m r_{so}}{1 + g_m r_{so}}$$

 $v_g = 1 + g_m r_{so}$

$$\frac{v_d}{v_s} = \left(g_m + \frac{1}{r_{ds}}\right)(r_{ds}//r_{do})$$

$$r_{do} \ll r_{ds} \ and \ rac{1}{r_{ds}} \ll g_m
ightarrow rac{v_c}{v_e} \cong g_m \ r_{do}$$

 $r_{si} = \left[\frac{1}{g_m} \frac{(r_{ds} + r_{do})}{\frac{1}{g_m} + r_{ds}} \right]$

$$r_{do} \ll r_{ds} \ and \ rac{1}{g_m} \ll r_{ds}
ightarrow r_{si} \cong rac{1}{g_m}$$

 $r_{gi} = \infty$