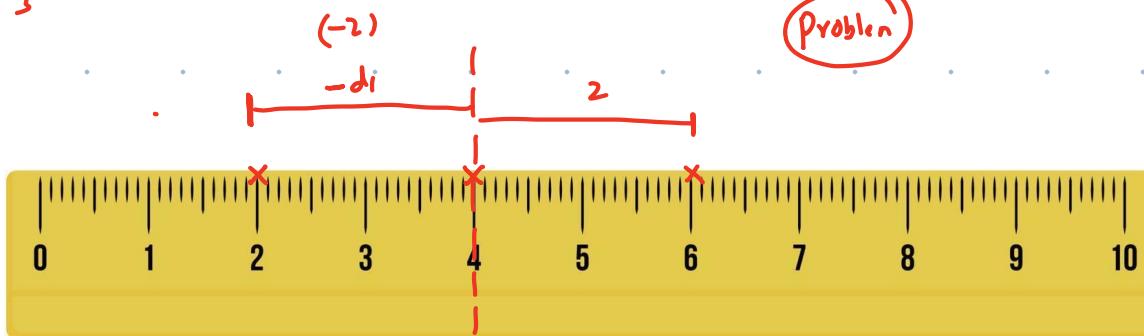


(Recap) MC1 - (Mean / median / mode) (Variance) (Std-dev)

$$\text{Avg} = \frac{a+b+c}{3} = \textcircled{x}$$

$$(\bar{x}) = \frac{2+4+6}{3} \quad (\text{Mean})$$

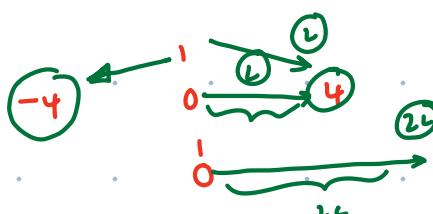


\textcircled{s}
Mean

$$(2-4)$$

$$(-2)$$

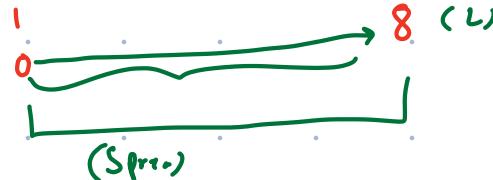
$$-6$$



Spread

$$\textcircled{b} \textcircled{p} = v$$

$$\textcircled{s}/\textcircled{d}$$



$$(\text{Variance}) = \frac{\sum (x_i - \bar{x})^2}{n-1}$$

Spread

(Sample variance)

I love	v	3000
...		8000
		18,000
		20,000

QVANH

(00)

[2, 4, 8] ↑

[2, 6, 10] ↑

m

Vishnu

Why

but

Variance is in terms of distance squared. Standard Deviation is a better measure to quantify the spread.)

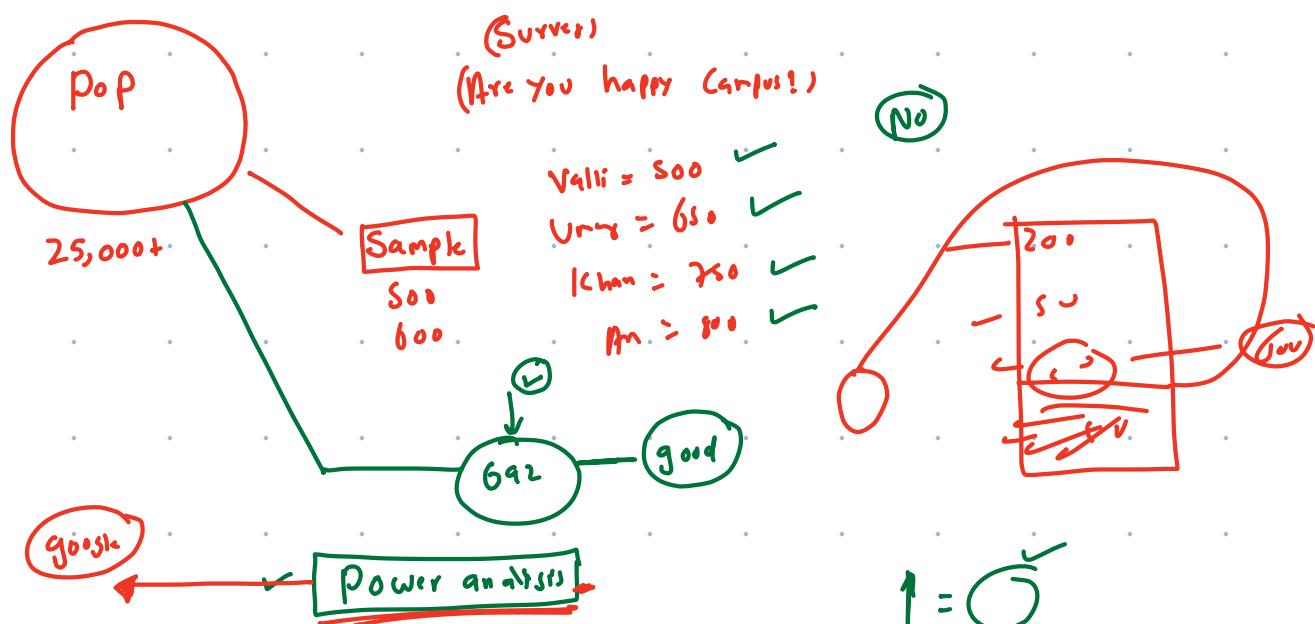
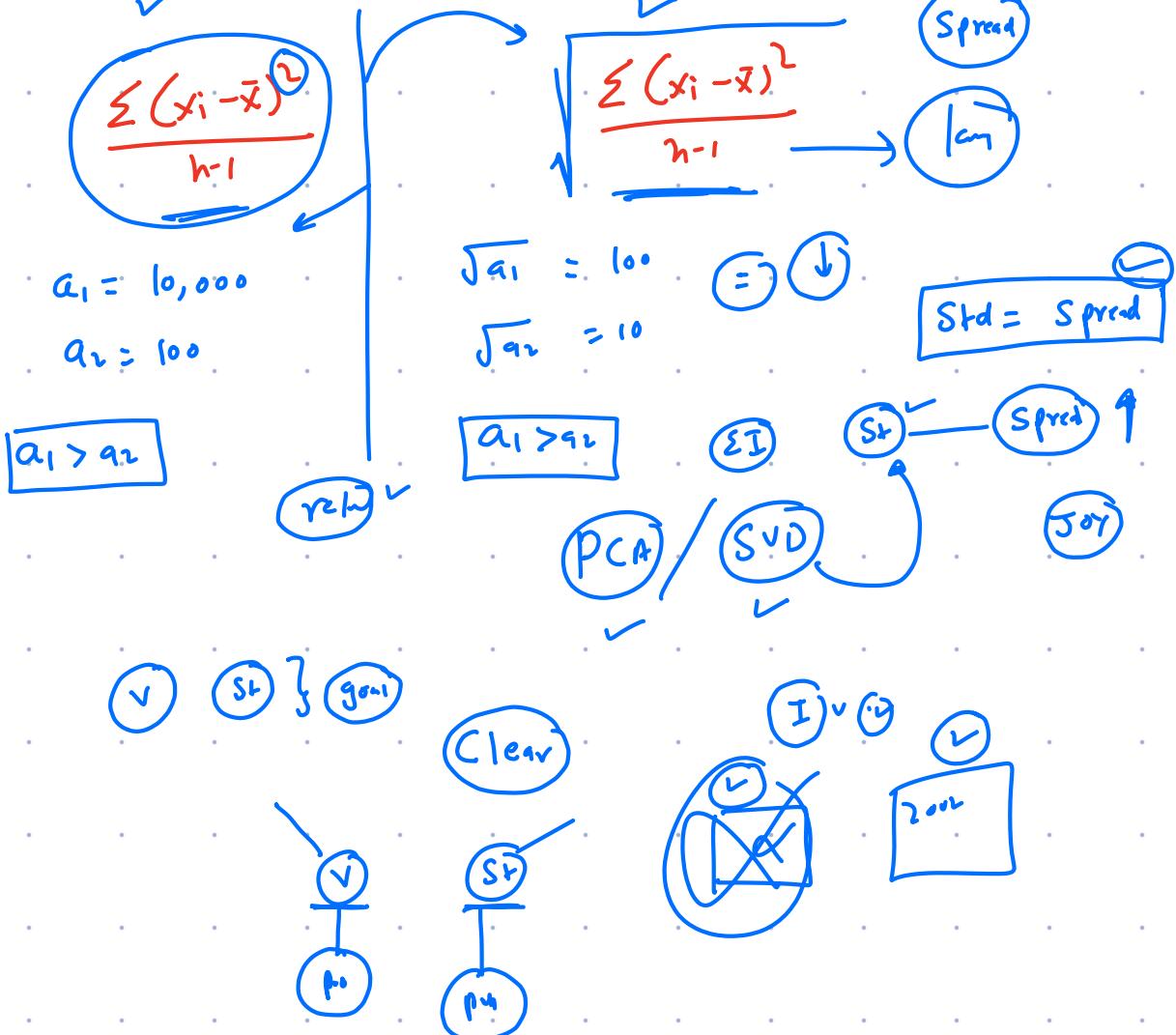
CD
O / Pen-d
G

$$\frac{4-4}{4} = \textcircled{2}$$

$$\begin{array}{c} 4 - 2.2 \\ 4 - 2.2 \\ \hline 4.4 \end{array}$$

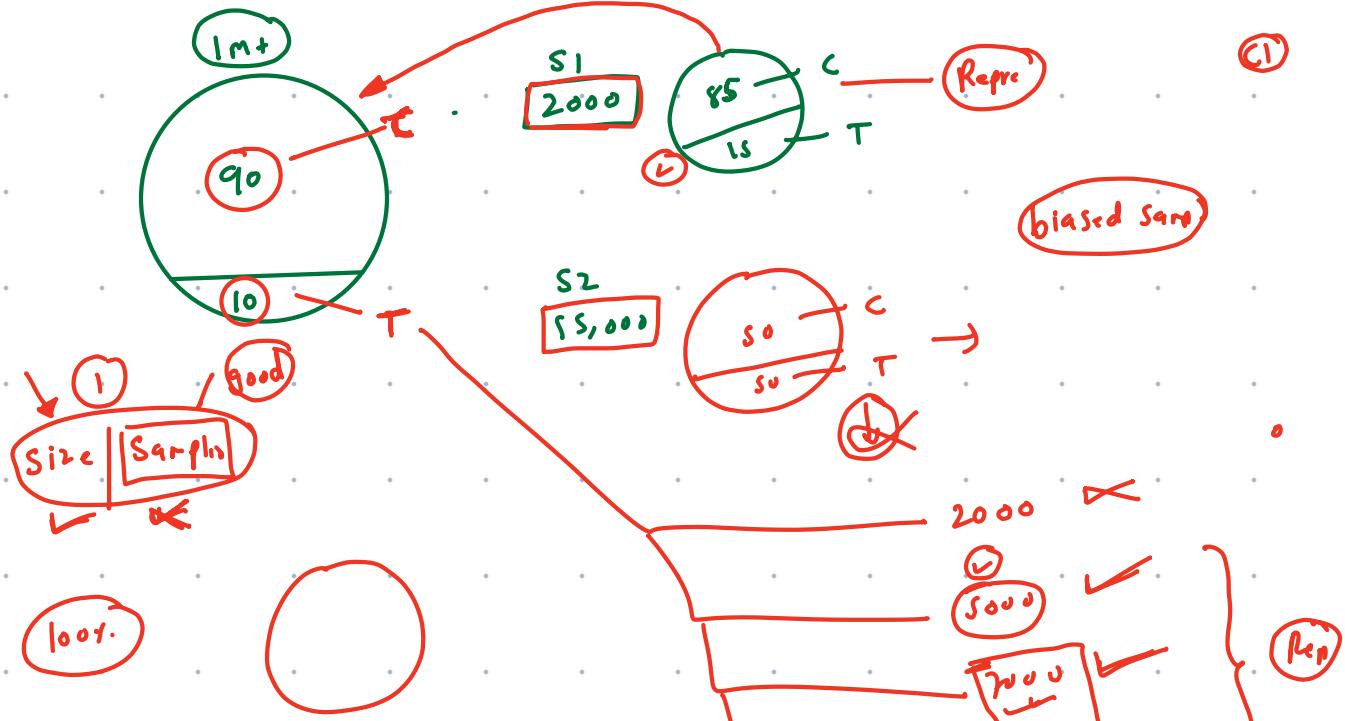
Conn

Mu



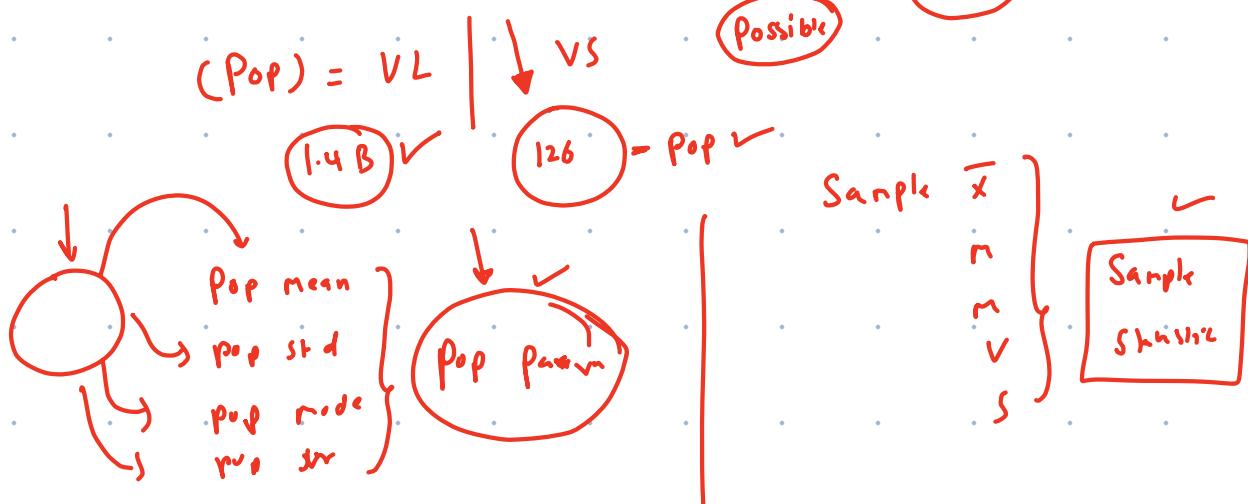
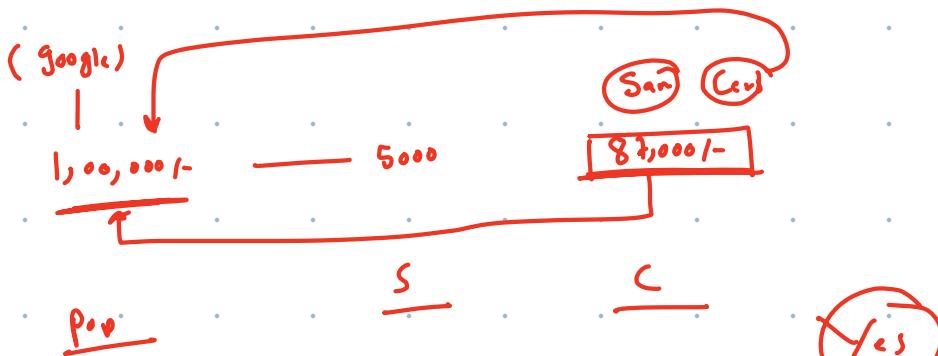
isn't it better to take maximum sample

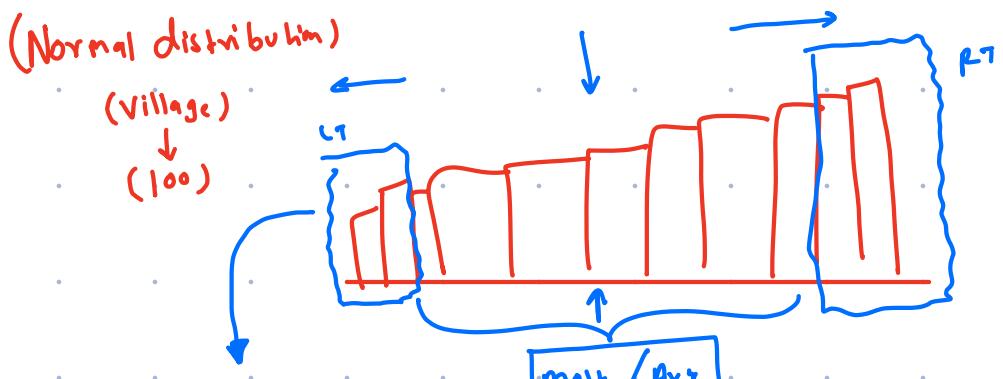
$$\text{Tr} \cdot S = \text{yu} \quad \checkmark$$



$$\text{Avg Indi} = \frac{(5 \cdot 9)}{(5 \cdot 5)} = 1.4 \text{ B}$$

(P) (P) \Rightarrow VVVVLS



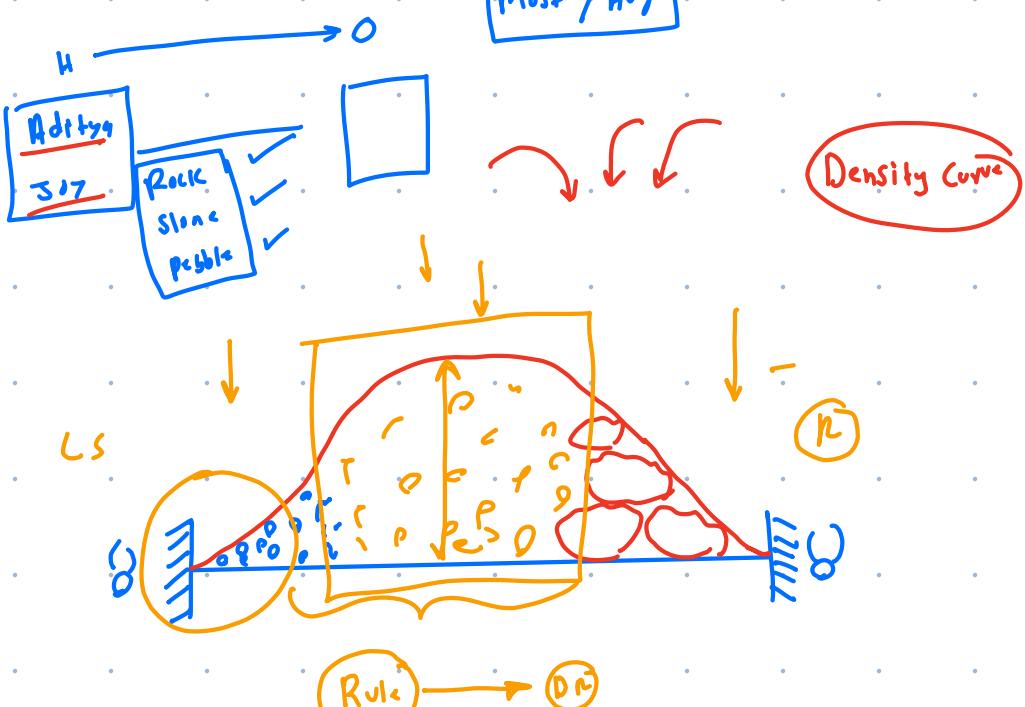


(Recap)

Stat

Pattern

(100)

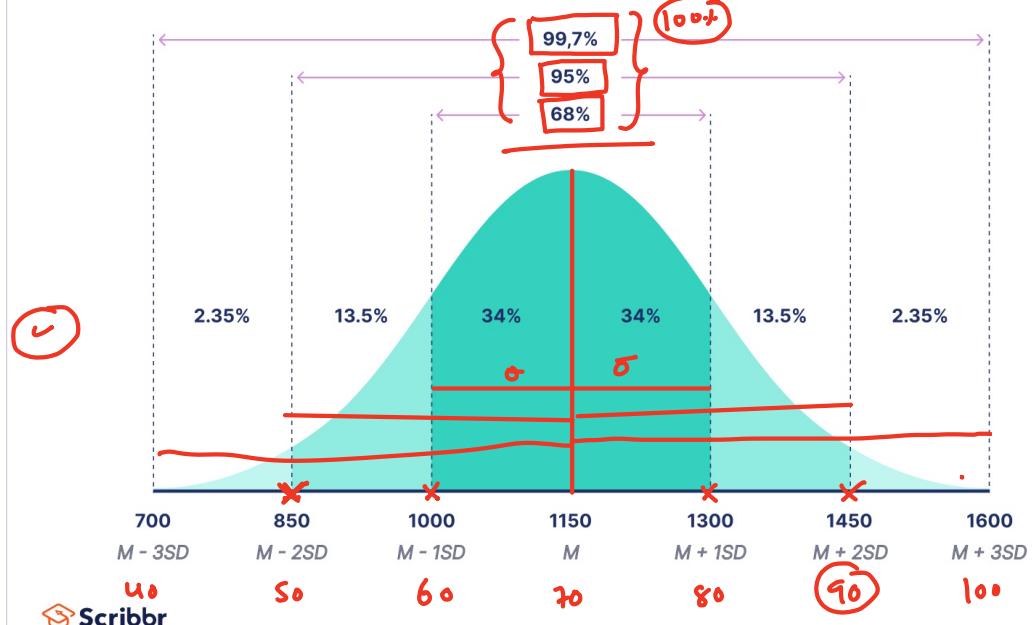


Play

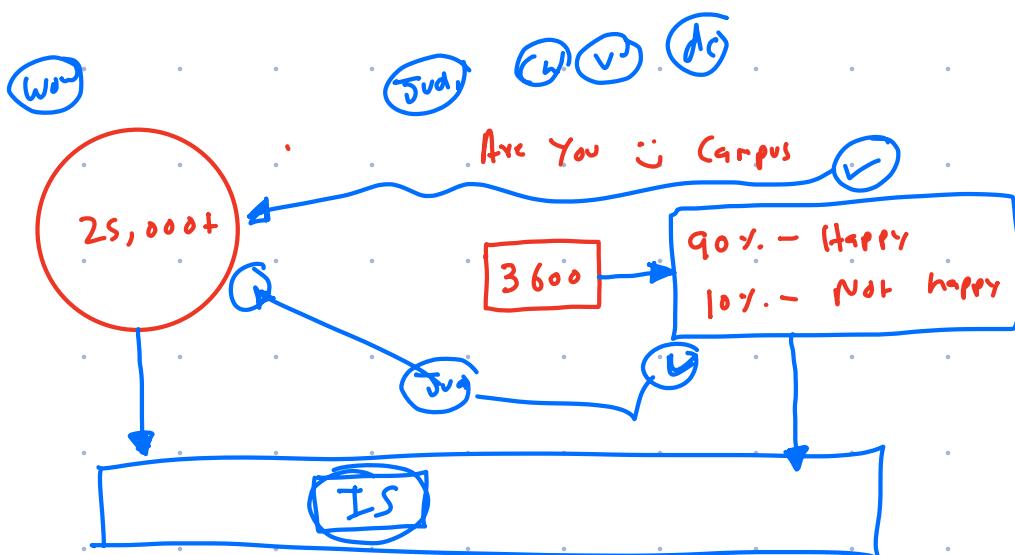
68/95/99.7 Empirical rule

100
↓
70%
Std = 10
Scribbler

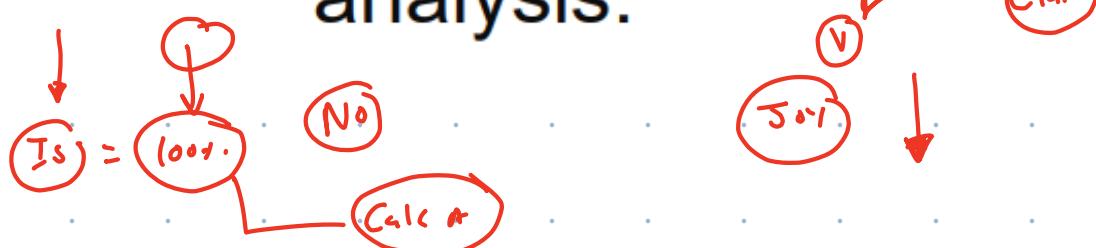
Using the empirical rule in a normal distribution



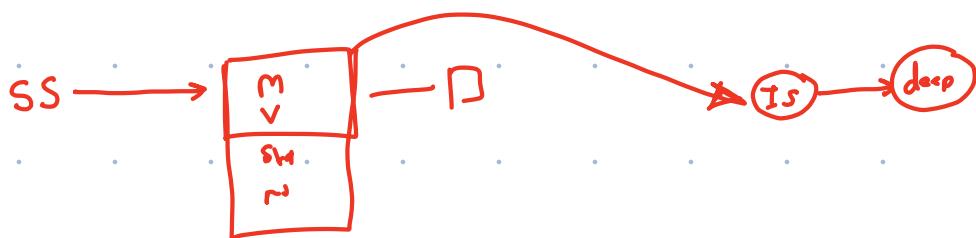
$$(60\% - 80\%) = 68$$

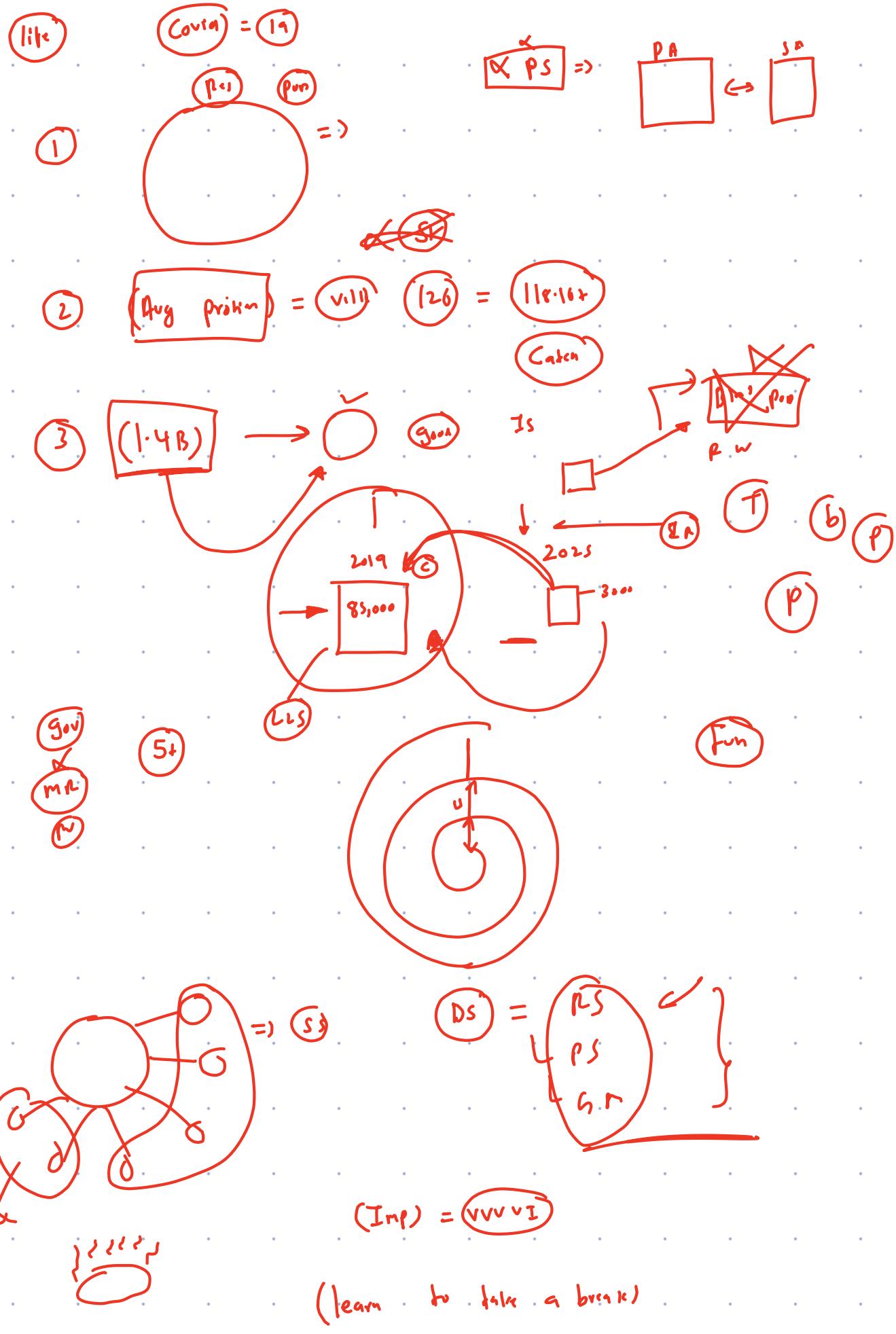


~~While descriptive statistics describes the data, inferential statistics is used to draw conclusions about the population based on statistical findings on sample analysis.~~



what's the diff between inferential and sample statistics







(C.I.)

UB/LB

1.48 → (Avg protein)

162.25

Pop mean (μ)

Judge

How

Prob

$$C.I. = \bar{X} \pm Z \cdot \frac{s}{\sqrt{n}}$$

\bar{X} = Sample mean

Z = Z Critical value

s = Std dev

n = Sample Size

① CI is never calculated you assume
Ex: 95%, 99%, 65%, 99.25%.

(Upper bound)
UB = $\bar{X} + Z \cdot \frac{s}{\sqrt{n}}$

LB = $\bar{X} - Z \cdot \frac{s}{\sqrt{n}}$
lower bound

122 + 14
122 - 14

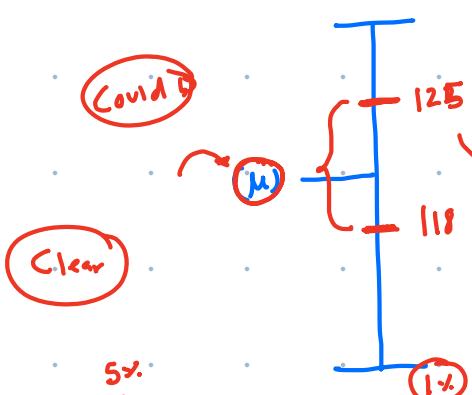
Pop

55 Men) — on — 122 grm with std = 14 grm
Interv at 95% Confidence 99
Data: $\bar{X} = 122$ g $\sigma = 14$ g
 $n = 55$ $Z = 1.96$ — ~~ass~~ — Z-test Conf

$$UB = \bar{X} + Z \cdot \frac{s}{\sqrt{n}} = 122 + 1.96 \left(\frac{14}{\sqrt{55}} \right) = 125 \text{ grm}$$

$$LB = \bar{X} - Z \cdot \frac{s}{\sqrt{n}} = 122 - 1.96 \left(\frac{14}{\sqrt{55}} \right) = 118 \text{ grm}$$

C.I.

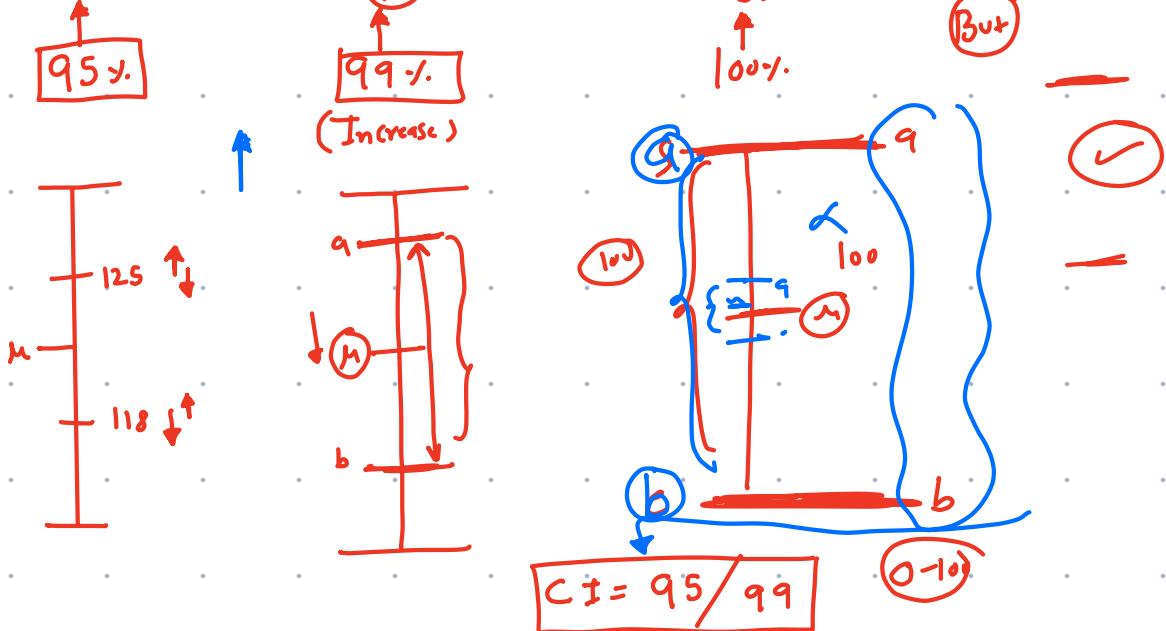


5%

1%

0%

CI - Range of val likely to contain pp

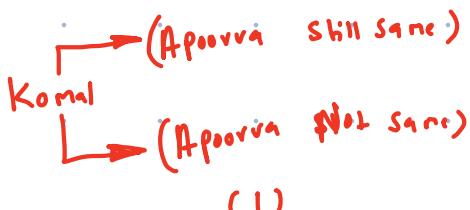


$$(CI) = \text{rise} = \text{run}$$

(BF)



(Hyp Test)



(I)

No Change (Same)

Exc Chg (Same)

(Hyp)

Null Hyp (H_0)

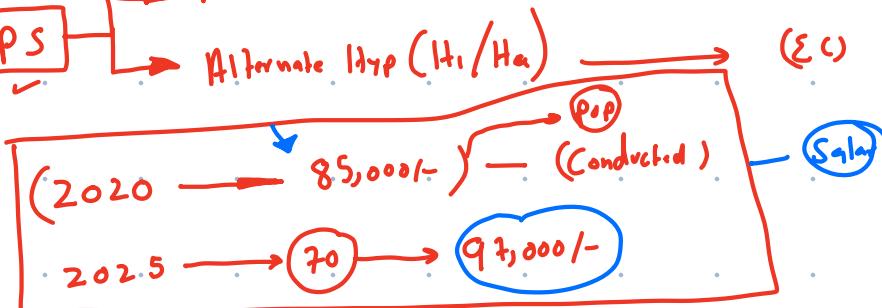
Status quo - (No Change)

Past P F

$P_S \rightarrow$ Alternate Hyp (H_1 / H_a)

(E.C.)

(Ex)



Stat

84%

$$H_0 : \mu = 85,000/-$$

$$H_{a\prime} : \mu \neq 85,000/-$$

Ex

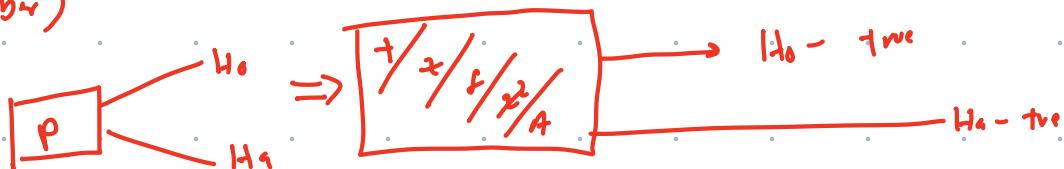
(Choc) \rightarrow (100 gram) 84%

1,00,000/- \rightarrow 100 \rightarrow 99.8 gr.

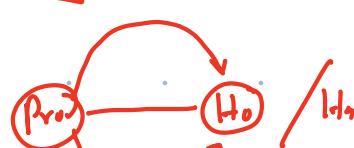
$$H_0 : \mu = 100$$

$$H_{a\prime} : \mu \neq 100$$

(Remember)



$H_0 - T$	$H_0 - F$
$H_a - F$	$H_a - T$



Start → True/false

(Accepted / Rejected)

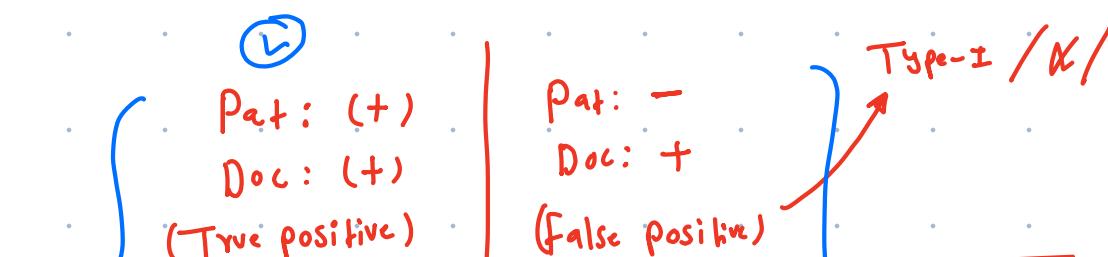
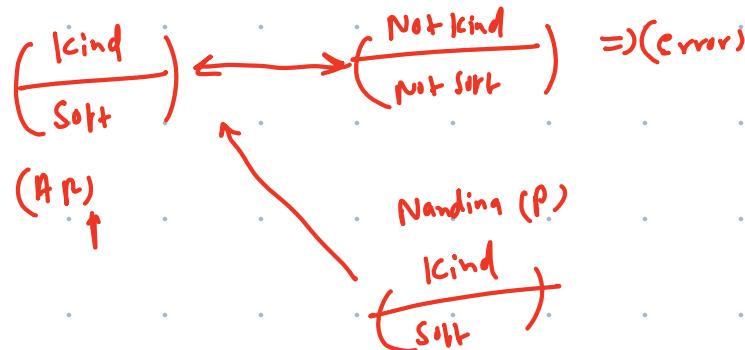
Errors

(ground truth)

Komal

Report (P)

OK

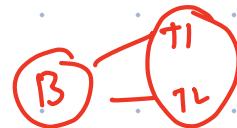


Error

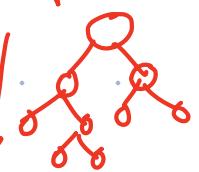
Type-II

Pat: (+) ✓
Doc: (-) ✓
(False Negation)

Pat: -
Doc: -
(True Negative)



(legal) (NG) → (G)



1000
T-II

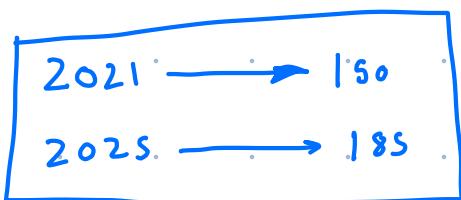
Problem

R	A
$H_0 - T$	$H_0 - T$
$H_a - T$	$H_a - T$
	$H_a - T$ — Type-I
	$H_0 - T$ — Type-II
	✓
	$H_0 : \mu = 150 - P$
R	$H_a : \mu \neq 150$

$$ISL = S_j$$

Ex

$$\frac{T_1}{T_2}$$



$$S \leq 30$$

(T-test)

T-test is a parametric test that compares the means of the two samples. Ideally, a sample for t-test should have less than 30 values. There are a few other assumptions that are taken before we can conduct a t-test.

Sample Groups

Assumptions

1. The samples are independent
2. Homogeneity in sample variances
3. The Data is assumed to be normally distributed.

$\times \text{Stat} \times$

P_C	m_{CT}	P/S	$CI = \bar{x} \pm Z \cdot \frac{s}{\sqrt{n}}$	H_T	E_{H_T}	$T_1 = CPC$	$T_2 = SRS$	\oplus
\downarrow			$U_0 =$	H_0	H_a			
S			$U_1 =$					
\downarrow			$\{ - PP$					

(P home P_{CT})

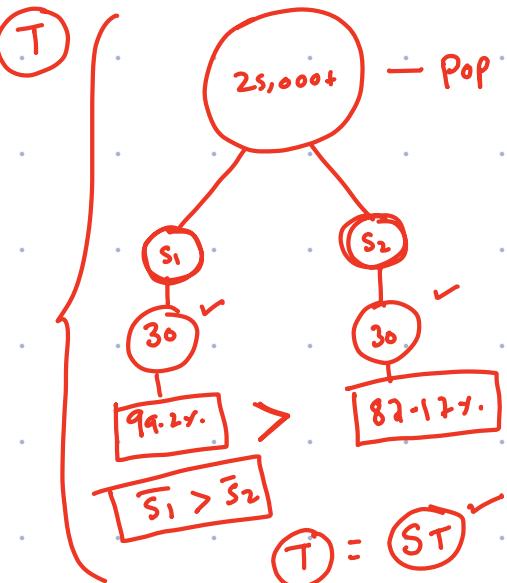
Add

Cup

$(U_B - L_B) \quad 95\%$

$(CI - \bar{x} \pm Z \cdot \frac{s}{\sqrt{n}})$

H_T	H_0	H_a	T_1	T_2
-------	-------	-------	-------	-------



① Means Group
② Compare

$a_1 > a_2$
$a_2 > a_1$
$a_1 \neq a_2$
$a_1 \approx a_2$
$a_1 = a_2$
$a_2 >= a_1$

Significant

D + ND log

(N)

Dg
0.01
SW

Data = ST PS

(RA) = (R_{AS}) ✓

P_{RA} = v

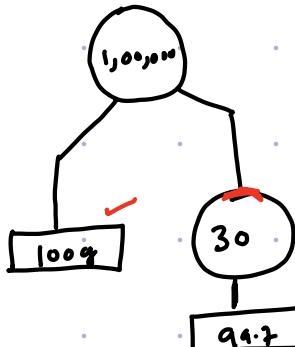
T-test

- ① One Sample
- ② Ind " T-test
- ③ Paired T-test

One-Sample-t-test ✓

(Chaffect) — Bar = 100g ✓

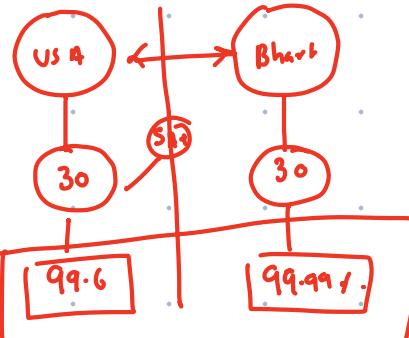
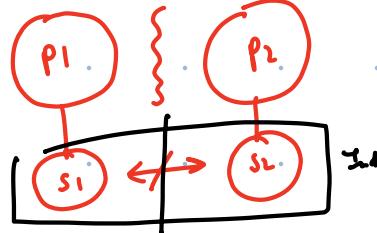
↓
1,00,000+ — 30



$$t = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}}$$

\bar{x} = Sample mean
 μ = Pop mean
 s = Sample std-dev
 n = Sample size

Ind Sample T-test ✓



$$t = \frac{\bar{x}_1 - \bar{x}_2}{\sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}}$$

Paired T-test

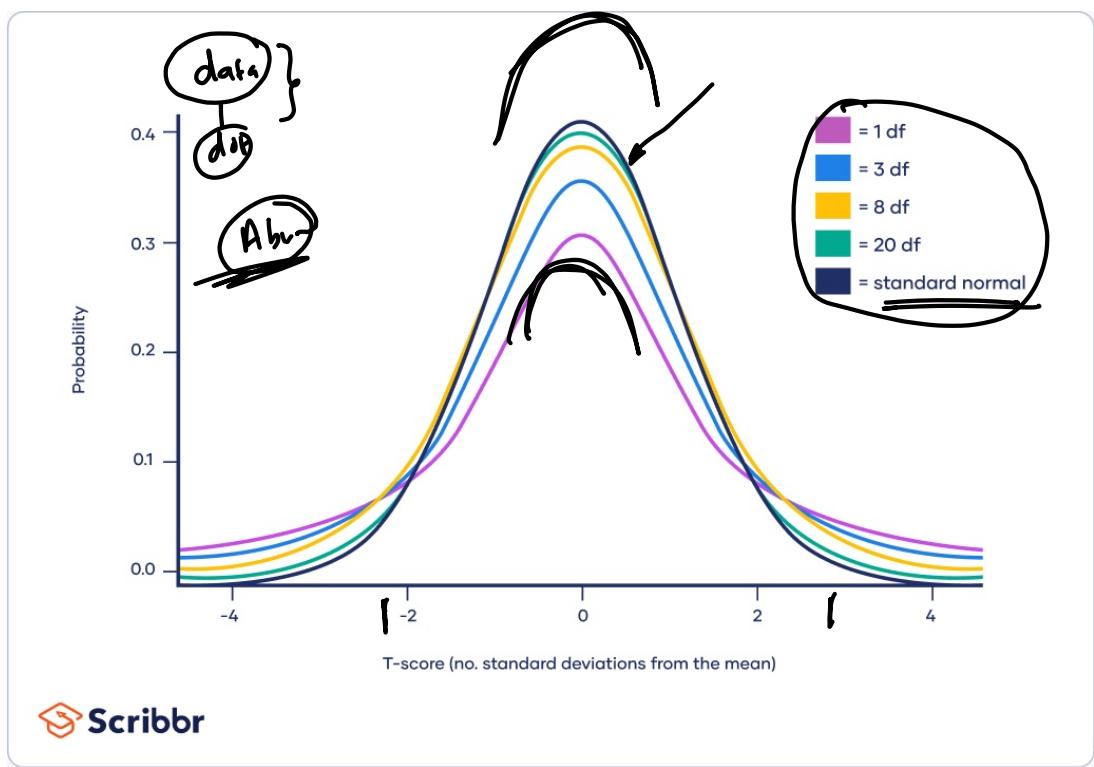
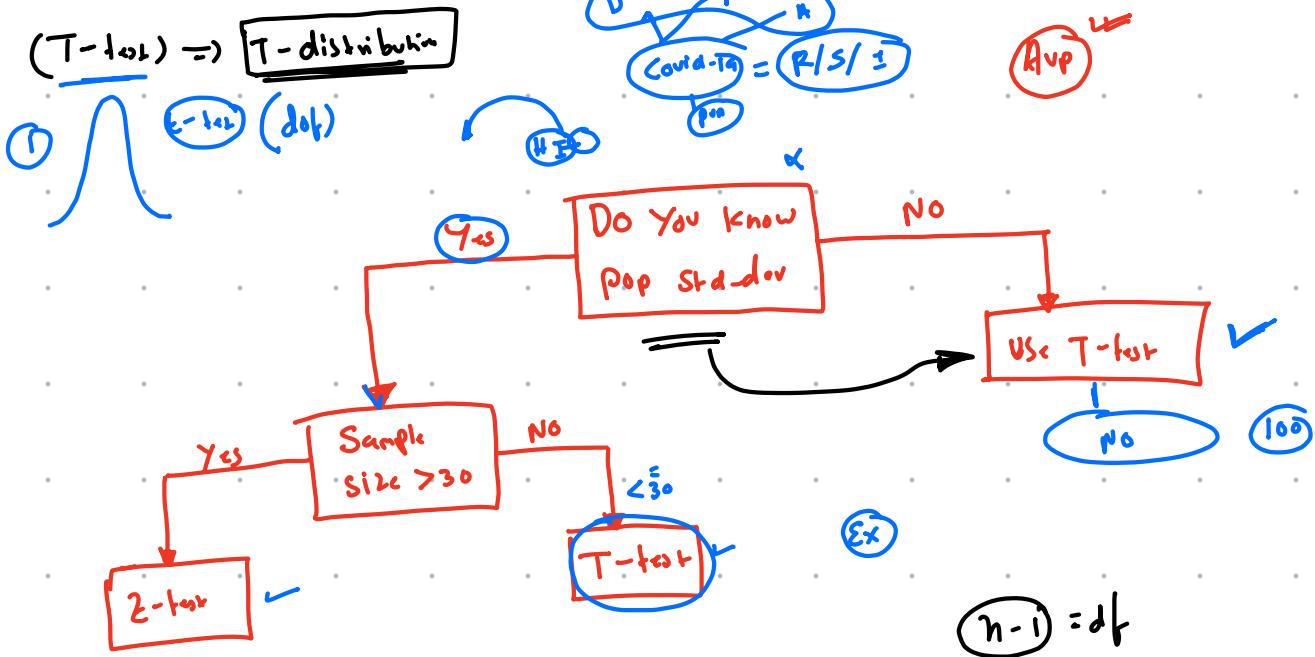
Before

	After
P ₁	85
P ₂	70
P ₃	65
	a b c d

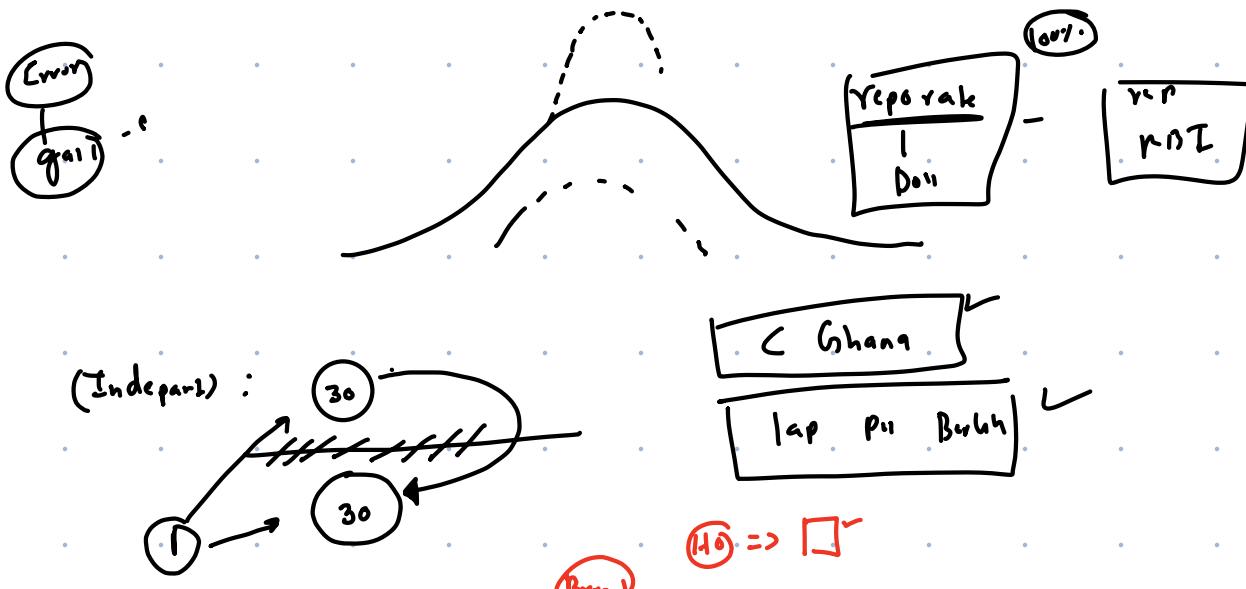
dict pill

effice $\Sigma N_0 / 8$ S

$$t = \frac{\bar{x}_d}{\frac{s}{\sqrt{n}}}$$



Scribbr



(done)

(13/14)

$$Pop(n) = 100$$

One-Sample T

The average salary of a person is hundred dollars back when the survey was conducted in 2020 in fresh survey conducted in 2025 with 30 participants, it was found out that the average salary of a person is one \$40 with a standard deviation of \$20 can you calculate whether this is a significant difference in salary or not at a confidence interval of 95%?

Data: Pop-mean(μ) = 100 | $n = 30$ | CI = 95%

Sample mean(\bar{x}) = 140 | $S = 20$

① (Hyp)

$$H_0: \mu = 100$$

(No Significant Change in Salary)

$$H_a: \mu \neq 100$$

(Sig Changes in Salaries)

✓ → ($>$, $<$)

Two-tailed - t-test

②

② Significance level (α)

$$\alpha = 100\% - CI\%$$

$$= 100 - 95$$

$$\alpha = 5\%$$

$$\text{or } \alpha = 0.05$$

③ degree of freedom

$$df = n - 1$$

$$df = 30 - 1 = 29$$

✓ ④ (Boundary) (T-Critical Value) = 2.045

$$(t-s > t-c) - R$$

$$(t-s < t-c) - R$$

α

Pen

Rejection Region

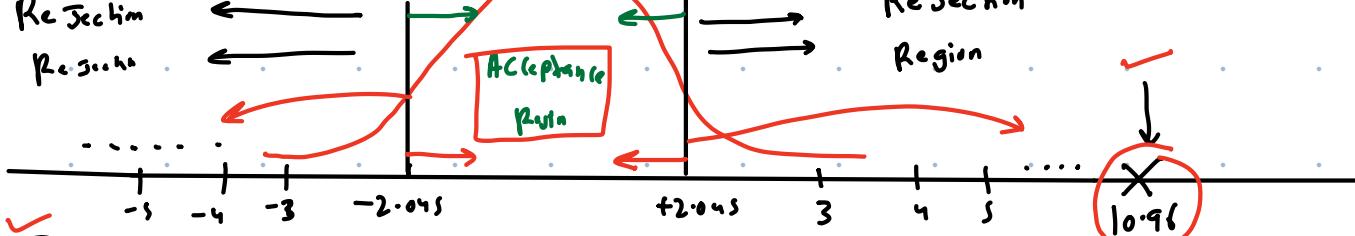
Rejection Region

α

α

-2.045

+2.045



✓ ⑤ t-Statistic

$$t = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}} = \frac{140 - 100}{\frac{20}{\sqrt{30}}}$$

$$= 10.95$$

Res Ho

NO

X CI +

t Table

df	0.50	0.25	0.20	0.15	0.10	0.05	0.025	0.01	0.005	0.001	0.0001
one-tail	1.00	0.50	0.40	0.30	0.20	0.10	0.05	0.02	0.01	0.002	0.001
two-tails	1.00	0.50	0.40	0.30	0.20	0.10	0.05	0.02	0.01	0.002	0.001
df	1.000	1.000	1.376	1.963	3.078	6.314	12.71	31.82	63.66	318.31	636.62
2	0.000	0.816	1.061	1.386	1.886	2.920	4.303	6.965	9.925	22.327	31.599
3	0.000	0.765	0.978	1.250	1.638	2.353	3.182	4.541	5.841	10.215	12.924
4	0.000	0.711	0.941	1.190	1.533	2.132	2.776	3.747	4.604	7.173	8.610
5	0.000	0.697	0.920	1.156	1.476	2.015	2.571	3.365	4.032	5.893	6.869
6	0.000	0.718	0.906	1.134	1.440	1.943	2.447	3.143	3.707	5.208	5.959
7	0.000	0.711	0.896	1.119	1.415	1.895	2.365	2.998	3.499	4.785	5.408
8	0.000	0.706	0.889	1.108	1.397	1.860	2.306	2.896	3.355	4.501	5.041
9	0.000	0.703	0.883	1.104	1.383	1.833	2.262	2.821	3.250	4.297	4.781
10	0.000	0.700	0.879	1.093	1.372	1.812	2.228	2.764	3.169	4.144	4.587
11	0.000	0.697	0.876	1.088	1.363	1.796	2.201	2.718	3.106	4.025	4.437
12	0.000	0.695	0.873	1.083	1.356	1.782	2.179	2.681	3.055	3.930	4.318
13	0.000	0.694	0.870	1.079	1.350	1.771	2.160	2.650	3.012	3.852	4.221
14	0.000	0.692	0.868	1.076	1.345	1.761	2.145	2.624	2.977	3.787	4.140
15	0.000	0.691	0.866	1.074	1.341	1.753	2.131	2.602	2.947	3.733	4.073
16	0.000	0.690	0.865	1.071	1.337	1.746	2.120	2.583	2.921	3.686	4.015
17	0.000	0.689	0.863	1.069	1.333	1.740	2.110	2.567	2.898	3.646	3.965
18	0.000	0.688	0.862	1.067	1.330	1.734	2.101	2.552	2.878	3.610	3.922
19	0.000	0.688	0.861	1.066	1.328	1.729	2.093	2.539	2.861	3.579	3.883
20	0.000	0.687	0.860	1.064	1.325	1.725	2.086	2.528	2.845	3.552	3.850
21	0.000	0.686	0.859	1.063	1.323	1.721	2.080	2.518	2.831	3.527	3.819
22	0.000	0.686	0.858	1.061	1.321	1.717	2.074	2.508	2.819	3.505	3.792
23	0.000	0.685	0.858	1.060	1.319	1.714	2.069	2.500	2.807	3.485	3.768
24	0.000	0.685	0.857	1.059	1.318	1.711	2.064	2.492	2.797	3.467	3.745
25	0.000	0.684	0.856	1.058	1.316	1.708	2.060	2.485	2.787	3.450	3.725
26	0.000	0.684	0.856	1.058	1.315	1.706	2.056	2.479	2.779	3.435	3.707
27	0.000	0.684	0.855	1.057	1.314	1.703	2.052	2.473	2.771	3.421	3.690
28	0.000	0.683	0.855	1.056	1.313	1.701	2.048	2.467	2.763	3.408	3.674
29	0.000	0.683	0.854	1.055	1.311	1.699	2.045	2.462	2.756	3.396	3.659
30	0.000	0.683	0.854	1.055	1.310	1.697	2.042	2.457	2.750	3.385	3.646
40	0.000	0.681	0.851	1.050	1.303	1.684	2.021	2.423	2.704	3.307	3.551
60	0.000	0.679	0.848	1.045	1.296	1.671	2.000	2.390	2.660	3.232	3.460
80	0.000	0.678	0.846	1.043	1.292	1.664	1.990	2.374	2.639	3.195	3.416
100	0.000	0.677	0.845	1.042	1.290	1.660	1.984	2.364	2.626	3.174	3.390

from Bibhu Monanty to Rudra (privately): 11:41 AM

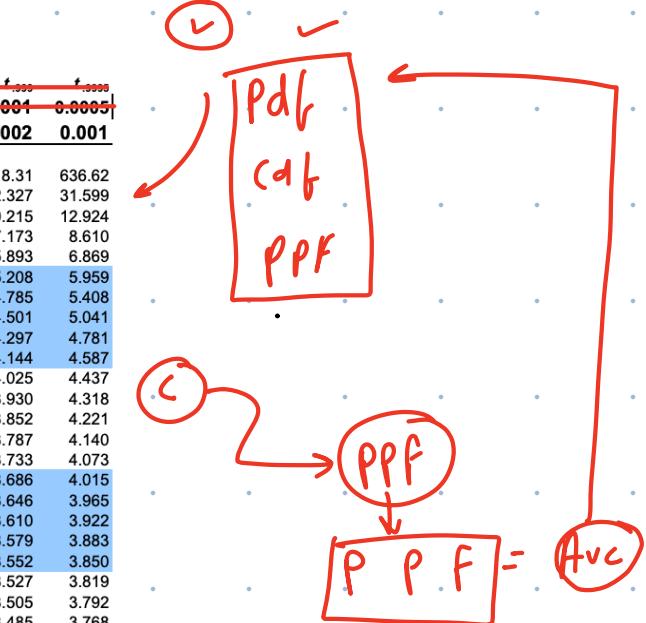
Sir, how do we decide this is two tailed? what does that mean and is it coming from the assumption we took ($>$, $<$) than sample mean?

from kavita sharma to Rudra (privately): 11:41 AM

after 30 no. gap is 10 in table why?

from Kaushal to Everyone: 11:41 AM

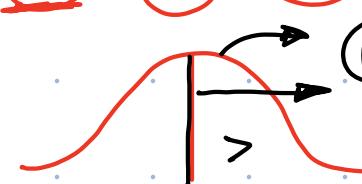
What is source of T - Table? Is there any formula to calculate?



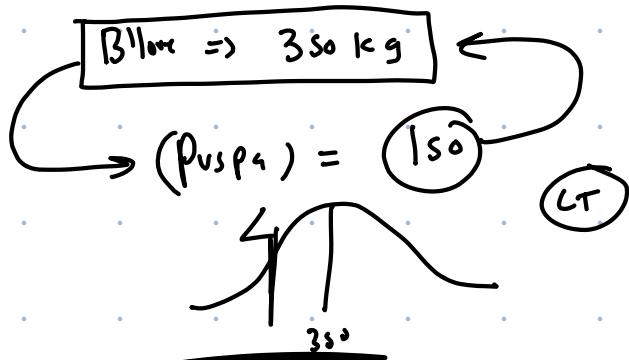
One tail

Kavita = 72%

Svr = > = Better



z
o
RT
OT



Note: t_c / t_s $\leq \alpha$

P-value $< \alpha$

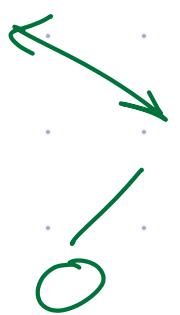
Code

datu

$C I = 95\%$

t-Stat

$$d = 5\%$$



$t\text{-Critical value} = 2.048$

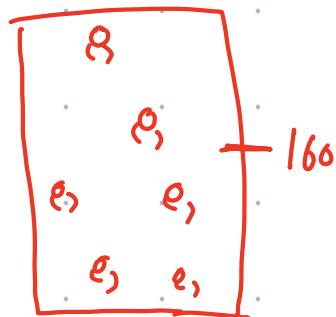
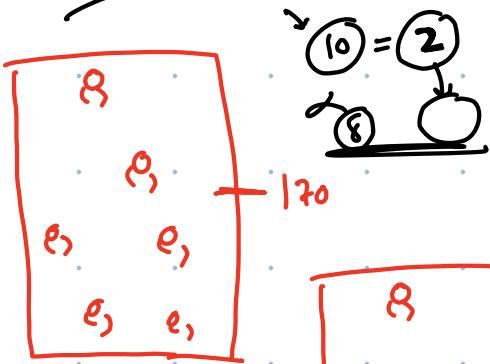
w

✓ effe

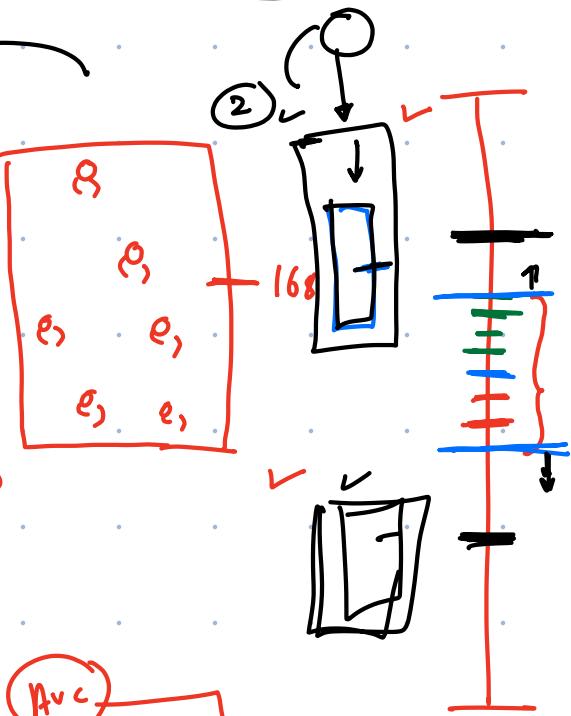
P-value =

$(P\text{-value}) = (\text{Probabil. val})$

Pop



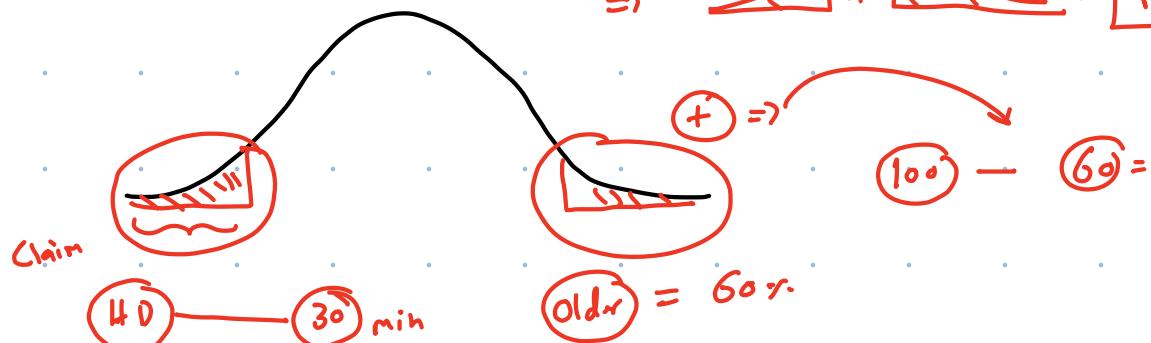
Extreme



$P\text{-value} = 20\% \Rightarrow \checkmark$

Auc

$\Rightarrow \text{AUC} + \text{AUC} = P\text{-value}$



Cal p \Rightarrow Fischer Exact Test

PPP α α

$$p = \frac{(a+b)!(c+d)!(a+c)!(b+d)!}{a!b!c!d!n!}$$

$\begin{bmatrix} a \\ b \\ c \\ d \\ n \end{bmatrix}$

= CT