#### Dictionaries and Sets

- dict
- set
- frozenset
- set/dict comprehensions

# Dictionaries (type dict)

```
\{key_1: value_1, \ldots, key_k: value_k\}
```

- Stores a mutable set of (key, value) pairs, denoted items, with distinct keys, i.e. maps keys to values
- Constructing empty dictionary: dict() or { }
- dict [key] lookup for key in dictionary, and returns associated value. Key must be present, otherwise a KeyError is raised
- dict [key] = value assigns value to key, overriding exising value if present

key	value
'a'	7
'foo'	'42nd'
5	29
'5'	44
5.5	False
False	True
(3, 4)	'abc'

```
distinct keys, i.e. not "=="
```

### Dictionaries (type dict)

```
Python shell
> d = \{'a': 42, 'b': 57\}
                                        > for key in d:
> d
                                               print(key)
{ 'a': 42, 'b': 57}
                                         a
                                         b
> d.keys()
  dict keys(['a', 'b'])
                                        > for key, val in d.items():
                                               print('Key', key, 'has value', val)
> list(d.keys())
                                        Key a has value 42
['a', 'b']
                                        Key b has value 57
> d.items()
                                       > {5: 'a', 5.0: 'b'}
  dict items([('a', 42), ('b', 57)])
                                        {5: 'b'}
> list(d.items())
  [('a', 42), ('b', 57)]
```

```
Python shell
> surname = dict(zip(['Donald', 'Mickey', 'Scrooge'], ['Duck', 'Mouse', 'McDuck']))
> surname['Mickey']
| 'Mouse'
```

## Dictionaries (type dict)

```
Python shell
> gradings = [('A', 7), ('B', 4), ('A', 12), ('C', 10), ('A', 7)]
> grades = {} # empty dictionary
> for student, grade in gradings:
      if student not in grades: # is key in dictionary
          grades[student] = []
      grades[student].append(grade)
> grades
\ \{'A': [7, 12, 7], 'B': [4], 'C': [10]\}
> print(grades['A'])
[7, 12, 7]
> print(grades['E']) # can only lookup keys in dictionary
KeyError: 'E'
> print(grades.get('E')) # .get returns None if key not in dictionary
None
> print(grades.get('E', [])) # change default return value
  []
> print(grades.get('A', []))
  [7, 12, 7]
```

#### Dictionary initialization

```
Python shell
> d1 = {'A': 7, 'B': 42}
> d2 = dict([('A', 7), ('B', 42)]) # list of (key, value) pairs
> d3 = dict(A=7, B=42) # keyword arguments to constructor
> d1 == d2 == d3
| True
```

 Note: keyword initialization only works if keys are strings which are valid keyword arguments to a function – but saves writing a lot of quotes

```
Python shell
           > d1 = dict(A=1, B=2)
           > d2 = dict(B=3, C=4)
           > d1 | d2
                                           # merge dictionaries
           {'A': 1, 'B': 3, 'C': 4} # rightmost value for 'B' wins
           > {**d1, **d2, 'D': 5}
                                     # ** inserts dictionary content
 new in
           {'A': 1, 'B': 3, 'C': 4, 'D': 5} # rightmost value for 'B' wins
Python 3.9
           > d1 |= d2
                                             # same as d1.update(d2)
PEP 584
           > d1
            {'A': 1, 'B': 3, 'C': 4}
```

Dictionary operation	Description
len(d)	Items in dictionary
d[key]	Lookup key
d[key] = value	Update value of key
del d[key]	Delete an existing key
key in d	Key membership
key not in d	Key non-membership
clear()	Remove all items
copy()	Shallow copy
get(key), get(key, default)	d[key] if key in dictionary, otherwise None or default
items()	View of the dictionaries items
keys()	View of the dictionaries keys
values()	View of the dictionaries values
pop(key)	Remove key and return previous value
popitem()	Remove and return an arbitrary item
update()	Update key/value pairs from another dictionary

#### Tuples as dictionary keys

A tuple can be used as a dictionary key, and parenthesis can be omitted

```
Python shell -
> d = \{('a', 1): 7, ('b', 2): 42\}
> d[('b', 2)]
 42
> d['b', 2] # same as above, parenthesis omitted
 42
> T = [[None, None], [42, None]] # 2D table as lists-of-lists
> T[1][0]
 42
> T[1, 0] # wrong, T is a list (of lists)
TypeError: list indices must be integers or slices, not tuple
> T = \{(1, 0): 42\} \# 2D \text{ table as dictionary}
> T[1, 0] # dictionary lookup with tuple (1, 0) as key
 42
> T[1][0] # wrong, T has only one key = the tuple (1, 0)
 KeyError: 1
```

# Order returned by list(d.keys())?

### The Python Standard Library Mapping Types — dict

"Dictionaries preserve insertion order. Note that updating a key does not affect the order. Keys added after deletion are inserted at the end." (since Python 3.7)

docs.python.org/3/library/stdtypes.html

#### 



Raymond Hettinger @ Twitter

#### See also Raymond's talk @ PyCon 2017

Modern Python Dictionaries

A confluence of a dozen great ideas

#### Dictionary comprehension

Similarly to creating a list using list comprehension, one can create a set of key-value pairs:

```
{ key : value for variable in list }
```

```
Python shell
> names = ['Mickey', 'Donald', 'Scrooge']
> list(enumerate(names, start=1))
| [(1, 'Mickey'), (2, 'Donald'), (3, 'Scrooge')]
> dict(enumerate(names, start=1)) # construct dict from pairs
| {1: 'Mickey', 2: 'Donald', 3: 'Scrooge'}
> {name: idx for idx, name in enumerate(names, start=1)}
| {'Mickey': 1, 'Donald': 2, 'Scrooge': 3}
```

### Sets (set and frozenset)

```
\{value_1, \ldots, value_k\}
```

- Values of type set represent mutable sets, where "==" elements only appear once
- Do not support: indexing, slicing
- frozenset is an immutable version of set

Python shell	
> S = {2, 5, 'a', 'c'}	> S ^ T
$> T = \{3, 4, 5, 'c'\}$	{2, 3, 4, 'a'}
> S   T	> S - T
{2, 3, 4, 5, 'a', 'c'}	{2, 'a'}
> S & T	> {4, 5, 5.0, 5.1}
{5, 'c'}	{4, 5, 5.1}

Operation	Description
S T	Set union
S & T	Set intersection
S – T	Set difference
S ^ T	Symmetric difference
set()	Empty set ( {} = empty dictionary 1)
set(L)	Create set from sequence
x in S	Membership
x not in S	Non-membership
S.isdisjoint(T)	Disjoint sets
S <= T	Subset
S < T	Proper subset
S >= T	Superset
S > T	Proper superset
len(S)	Size of S
S.add(x)	Add x to S (not frozenset)

#### Question – What value has the expression?

```
sorted( { 5, 5.5, 5.0, '5' })
  a) {'5', 5, 5.0, 5.5}
  b) {5, 5.5}
  c) ['5', 5.0, 5.5]
  d) ['5', 5, 5.5]
🙁 e) TypeError
  f) Don't know
```

### Sets of (frozen) sets

- Sets are mutable, i.e. cannot be used as dictionary keys or elements in sets
- Frozen sets can



```
Python shell
> S = {{'a'}, {'a', 'b'}, {'a', 'c'}}
TypeError: unhashable type: 'set'
> S = {frozenset({'a'}), frozenset({'a', 'b'}), frozenset({'a', 'c'})}
> frozenset({'a', 'b'}) in S
True
> {'a', 'b'} in S # automatically converts unhashable set to frozenset
True
> {'a', 'b'} == frozenset(['a', 'b']) # frozenset from list
True
> D = {frozenset({'a', 'b'}): 42} # dictionary
> frozenset({'a', 'b'}) in D
True
> {'a', 'b'} in D # dictionaries are not that friendly as sets
 TypeError: unhashable type: 'set'
```

#### Set comprehension

Similarly to creating a list using list comprehension, one can create a set of values (also using nested for- and if-statements):

```
{value for variable in list}
```

A value occurring multiple times as value will only be included once

```
primes_set.py

n = 101
not_primes = {m for f in range(2, n) for m in range(2 * f, n, f)}
primes = set(range(2, n)) - not_primes
```

#### Python shell

```
> L = ['a', 'b', 'c']
> {(x,(y,z)) for x in L for y in L for z in L if x != y and y != z and z != x}
| {('a',('b','c')),('a',('c','b')),('b',('a','c')),...,('c',('b','a'))}
> L = {'a', 'b', 'c'}
> {(x,(y,z)) for x in L for y in L - {x} for z in L - {x, y}}
| {('c',('b','a')),('c',('a','b')),('a',('c','b')),...,('b',('a','c'))}
```

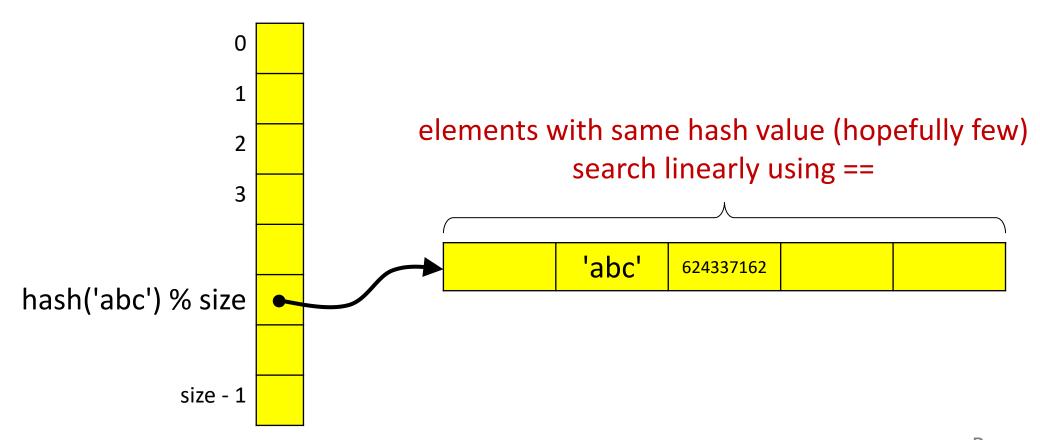
### Hash, equality, and immutability

Keys for dictionaries and sets must be hashable, i.e. have a \_\_hash\_\_() method returning an integer that does not change over their lifetime and an \_\_eq\_\_() method to check for equality with "=="

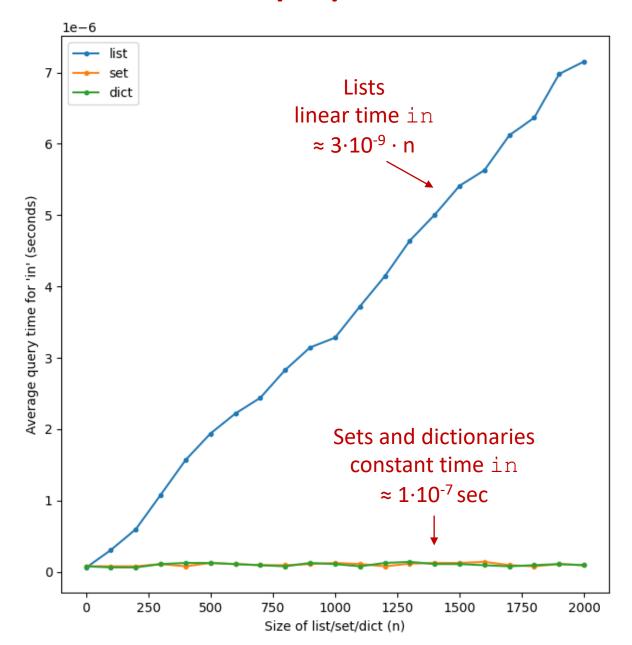
```
'abc'.__hash__() could e.g. return 624337162 (624337162).__hash__() would also return 624337162
```

All built-in immutable types are hashable.
 In particular tuples of immutable values are hashable.
 I.e. nested tuples like ((('a'), 'b'), ('c', ('d', 'e')))
 representing trees can be used as dictionary keys or stored in a set

#### Sketch of internal set implementation



#### Membership queries in



```
in.py
from random import shuffle, choices
from time import time
import matplotlib.pyplot as plt
time L = []
time S = []
time D = []
ns = [1, *range(100, 2001, 100)]
for n in ns:
   print(f'{n = }')
    L = list(range(n))
    shuffle(L)
    S = set(L)
    D = {value: 42 for value in L}
    queries = choices(L, k=1 000 000)
    for X, times in [(L, time L), (S, time S), (D, time D)]:
        count = 0
        start = time()
        for q in queries:
            if q in X:
                count +=1
        end = time()
        times.append((end - start) / len(queries))
plt.plot(ns, time L, '.-', label='list')
plt.plot(ns, time S, '.-', label='set')
plt.plot(ns, time D, '.-', label='dict')
plt.xlabel('Size of list/set/dict (n)')
plt.ylabel("Average query time for 'in' (seconds)")
plt.legend()
plt.show()
```



Avoid using in repeatedly on long lists

### Module collections (container datatypes)

- Python builtin containers for data: list, tuple, dict, and set.
- The module collections provides further alternatives (but these are not part of the language like the builtin containers)

deque double ended queue

namedtuple tuples allowing access to fields by name

Counter special dictionary to count occurrences of elements

• • •

#### deque – double ended queues

- Extends lists with efficient updates at the front
- Inserting at the front of a standard Python list takes linear time in the size of the list very slow for long lists

```
Python shell
> L = list()
                                         > from collections import deque
> L.append(1)
                                         > d = deque() # create empty deque
                                         > d.append(1)
> L.append(2)
> L.insert(0, 0) # insert at the front | > d.append(2)
> L.insert(0, -1) # slow for long lists |> d.appendleft(0) # efficient
> L.insert(0, -2)
                                         > d.appendleft(-1)
                                         > d.appendleft(-2)
> L
[-2, -1, 0, 1, 2]
                                         > d
                                          deque([-2, -1, 0, 1, 2])
                                         > for e in d: print(e, end=', ')
                                          -2, -1, 0, 1, 2,
```

#### namedtuple - tuples with field names

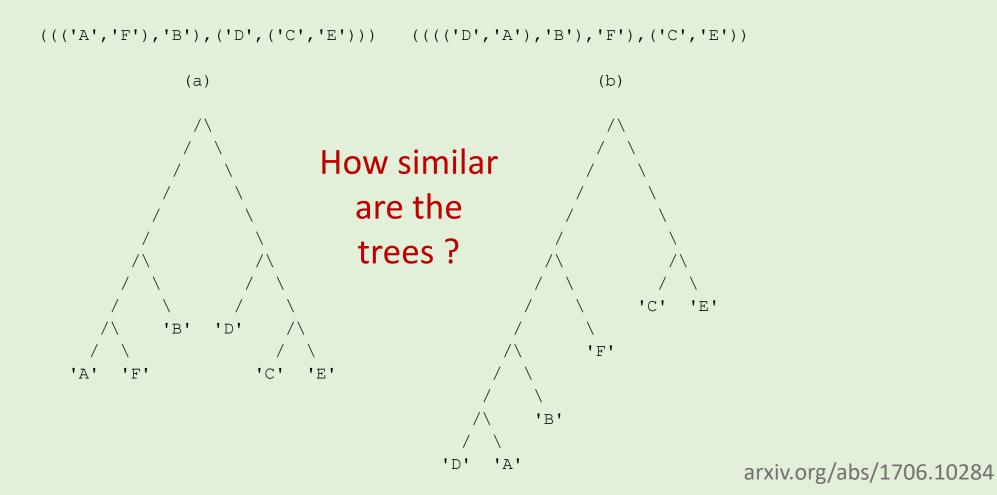
Compromise between tuple and dict, can increase code readability

```
Python shell
> person = ('Donald Duck', 1934, '3 feet') # as tuple
> person[1] # not clear what is accessed
 1934
> person = {'name': 'Donald Duck', 'appeared': 1934, 'height': '3 feet'} # as dict
> person['appeared'] # more clear what is accessed, but ['...'] overhead
 1934
> from collections import namedtuple
> Person = namedtuple('Person', ['name', 'appeared', 'height']) # create new type
> person = Person('Donald Duck', 1934, '3 feet') # as namedtuple
> person
 Person (name='Donald Duck', appeared=1934, height='3 feet')
> person.appeared # short and clear
 1934
> person[1] # still possible
 1934
```

#### Counter - dictionaries for counting

```
Python shell
> from collections import Counter
> fq = Counter('abracadabra') # create new counter from a sequence
> fq
Counter({'a': 5, 'b': 2, 'r': 2, 'c': 1, 'd': 1}) # frequencies of the letters
> fq['a']
> fq.most common(3)
[('a', 5), ('b', 2), ('r', 2)]
> fq['x'] += 5 # increase count of 'x', also valid if 'x' not in Counter yet
> Counter('aaabbbcc') - Counter('aabdd') # counters can be subtracted
Counter({'b': 2, 'c': 2, 'a': 1})
> Counter([1, 2, 1, 3, 4, 5]) + Counter([3, 3, 3]) # counters can be added
 Counter({3: 4, 1: 2, 2: 1, 4: 1, 5: 1})
> T = 'AfD adsf dsa f dsaf daf dsaf DSA fda f SA dsa f dsa fdsa f dsAf sAf f dsaf'
> Counter(T.lower().split()).most common(3)
[('f', 5), ('dsa', 4), ('dsaf', 4)]
```

# Handin 3 & 4 – Triplet distance (Dobson, 1975)



# Handin 3 & 4 – Triplet distance (Dobson, 1975)

Consider all  $\binom{n}{3}$  subsets of size three, and count how many do not have identical substructure (topology) in the two trees.

