### **Operations**

- None, bool
- basic operations
- strings
- += and friends

#### NoneType

- The type None has only one value: None
- Used when context requires a value, but none is really available
- Example: All functions must return a value. The function print has the side-effect of printing something to the standard output, but returns None
- **Example**: Initialize a variable with no value, e.g. list entries mylist = [None, None, None]

#### Python shell

- > x = print(42)
- 42
- > print(x)
  - None

## Type bool

■ The type bool only has two values: True and False

Logic truth tables:

x or y	True	False	
True	True	True	
False	True	False	

x and y	True	False
True	True	False
False	False	False

X	not x
True	False
False	True

#### Scalar vs Non-scalar Types

- Scalar types (atomic/indivisible): int, float, bool, None
- Non-scalar: Examples strings and lists

```
"string"[3] = "i" [2, 5, 6, 7][2] = 6
```

## Questions – What is [7,3,5][[1,2,3][1]]?

```
a) 1
b) 2
c) 3
d) 5
e) 7
f) Don't know
```

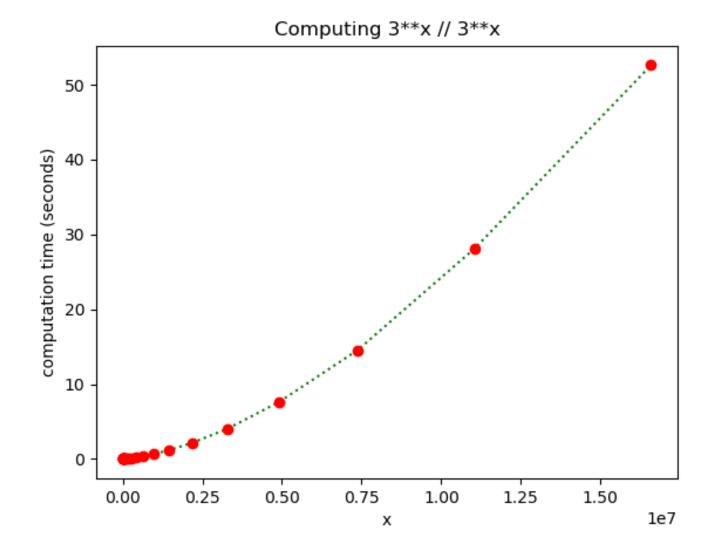
#### Operations on int and float

Result is float if and only if at least one argument is float, except \*\* with negative exponent always gives a float

- +, -, \* addition multiplication, e.g. 3.0\*2 = 6.0
- \*\* and pow(x, y) power, e.g. 2\*\*3=pow(2,3)=8, 2\*\*-2=0.25
- // integer division = [x/y]
   e.g. 15.0//4=3.0. Note: -8//3=-3
- / division returns float, 6/3=2.0
- abs(x) absolute value
- % integer division remainder (modulo)
   11%3 = 2
   4.7%0.6=0.5000000000000000

## Running time for 3 \*\* x // 3 \*\* x

Working with larger integers takes slightly more than linear time in the number of digits



#### integer-division-timing.py

```
from time import time
import matplotlib.pyplot as plt
bits, compute time = [], []
for i in range (42):
   x = 3 ** i // 2 ** i
   start = time()
   result = 3 ** x // 3 ** x # the computation we time
   end = time()
   t = end - start
   print('i =', i, 'x =', x, 'Result =', result, 'time(sec) =', t)
   bits.append(x)
    compute time.append(t)
plt.title('Computing 3**x // 3**x')
plt.xlabel('x')
plt.ylabel('computation time (seconds)')
plt.plot(bits, compute time, 'g:')
plt.plot(bits, compute time, 'ro')
plt.show()
```

#### module math

Many standard mathematical functions are available in the Python module "math", e.g.

```
sqrt, sin, cos, tan, asin, acos, atan, log(natural), log10, exp, ceil, floor, ...
```

- To use all the functions from the math module use import math Functions are now available as e.g. math.sqrt(10) and math.ceil(7.2)
- To import selected functions you instead write from math import sqrt, ceil
- The library also contains some constants, e.g. math.pi = 3.141592... and math.e = 2.718281...
- Note: x \*\* 0.5 significantly faster than sqrt(x)

```
Python shell
> (0.1 + 0.2) * 10
| 3.000000000000004
> math.ceil((0.1 + 0.2) * 10)
| 4
```

```
Python shell
> import math
> math.sqrt(8)
2.8284271247461903
> from math import pi, sqrt
> pi
3.141592653589793
> sqrt(5)
2.23606797749979
> from math import sqrt as kvadratrod
> kvadratrod(3)
 1.7320508075688772
> import timeit
> timeit.timeit("1e10**0.5")
 0.021124736888936863
> timeit.timeit("sqrt(1e10)", "from math import sqrt")
0.1366314052865789
> timeit.timeit("math.sqrt(1e10)", "import math")
 0.1946660841634582
```

# Rounding up integer fractions

• Python:  $\lceil x/y \rceil = -(-x//y)$ 

-(-13/3)					
Python Java C					
-(-13//3) = 5	- (-13/3) = 4	- (-13/3) = 4			



The intermediate result x/y in math.ceil (x/y)

is a float with limited precision

• Alternative computation:

$$f_{x/y^{1}} = (x + (y-1)) / / y$$

#### Python shell

```
> from math import ceil
> from timeit import timeit
> 13 / 3
 4.333333333333333
> 13 // 3
> -13 // 3
 -5
> -(-13 // 3)
> ceil(13 / 3)
 5
1111111111111111111
 ceil(22222222222222222 / 2)
 1111111111111110656
> timeit('ceil(13 / 3)', 'from math import ceil')
 0.2774667127609973
> timeit('-(-13 // 3)') # negation trick is fast
 0.05231945830200857
```

#### floats: Overflow, inf, -inf, nan

- There exists special float values inf, -inf, nan representing "+infinity", "-infinity" and "not a number"
- Can be created using e.g. float('inf') or imported from the math module
- Some overflow operations generate an OverflowError, other return inf and allow calculations to continue!
- Read the IEEE 754 standard if you want to know more details...

#### Python shell

> 1e250 \*\* 2

OverflowError:

(34, 'Result too large')

















inf



```
> math.inf
```

inf

> type(math.inf)

```
<class 'float'>
```

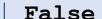
> math.inf / math.inf



> type (math.nan)

```
<class 'float'>
```

> math.nan == math.nan



nan

> float('inf') - float('inf')





#### Operations on bool

- The operations and, or, and not behave as expected when the arguments are False/True.
- The three operators also accept other types, where the following values are considered *false*:

```
False, None, 0, 0.0, "", [],...
```

(see The Python Standard Library > Built-in Types > <u>True Value Testing</u> for more *false* values)

• Short-circuit evaluation: The rightmost argument of and or is only evaluated if the result cannot be determined from the leftmost argument alone. The result is either the leftmost or rightmost argument (see truth tables), i.e. the result is not necessarily False/True.

True or 7/0 is completely valid since 7/0 will never be evaluated (which otherwise would throw a ZeroDivisionError exception)

X	x or y	X	x and y	X	not x
false	У	false	X	false	True
otherwise	X	otherwise	У	otherwise	False

#### Questions – What is "abc" and 42?

- a) False
- b) True
- c) "abc"
- **d)** 42
  - e) TypeError
  - f) Don't know

#### Comparison operators (e.g. int, float, str)

```
== test if two objects are equal, returns bool
    not to be confused with the assignment
    operator (=)
!= not equal
>
>=
<</pre>
```

```
Python shell
> 3 == 7
 False
> 3 == 3.0
  True
> "-1" != -1
  True
> "abc" == "ab" + "c"
  True
> 2 <= 5
  True
> -5 > 5
 False
> 1 == 1.0
> 1 == 1.0000000000000000
  True
 1 == 1.000000000000001
  False
```

#### Chained comparisons

A recurring condition is often

$$x < y$$
 and  $y < z$ 

• If y is a more complex expression, we would like to avoid computing y twice, i.e. we often would write

In Python this can be written as a chained comparisons (which is shorthand for the above)

Note: Chained comparisons do not exist in C, C++, Java, ...

#### Questions – What is 1 < 0 < 6/0?

- a) True
- © b) False
  - **c)** 0
  - **d)** 1
  - **e)** 6
  - f) ZeroDivisionError
  - g) Don't know

#### Binary numbers and operations

- Binary number = integer written in base 2:  $101010_2 = 42_{10}$
- Python constant prefix 0b: 0b101010 → 42
- bin (x) converts integer to string: bin (49)  $\rightarrow$  "0b110001"
- int (x, 2) converts binary string value to integer: int ("0b110001", 2)  $\rightarrow$  49
- Bitwise operations
  - l Bitwise OR
  - & Bitwise AND
  - $\sim$  Bitwise NOT ( $\sim$  x equals to -x 1)
  - ^ Bitwise XOR
- Example: bin (0b1010 | 0b1100) → "0b1110"
- Hexadecimal = base 16, Python prefix 0x:  $0 \times 30 \rightarrow 48$ ,  $0 \times A0 \rightarrow 160$ ,  $0 \times FF \rightarrow 255$
- << and >> integer bit shifting left and right, e.g.  $12 >> 2 \rightarrow 3$ , and  $1 << 4 \rightarrow 16$

#### Operations on strings

- len (str) returns length of str
- str[index] returns index+1'th symbol in str
- $str_1 + str_2$  returns concatenation of two strings
- int \* str concatenates str with itself int times
- Formatting: % operator or .format() function old Python 2 way since Python 3.0 or formatted string literals (f-strings) with prefix since Python 3.6

**letter** f and Python expressions in { }

(see <a href="mailto:pyformat.info">pyformat.info</a> for an introduction)

**From "What's New In Python 3.0", 2009:** A new system for built-in string formatting operations replaces the % string formatting operator. (However, the % operator is still supported; it will be deprecated in Python 3.1 and removed from the language at some later time.) Read <u>PEP 3101</u> for the full scoop.

```
Python shell
> len("abcde")
> "abcde"[2]
  'c'
> X, y = 2, 3
> "x = %s, y = %s" % (x, y)
| \mathbf{x} = 2, \mathbf{y} = 3 |
> "x = {}, y = {}".format(x, y)
 'x = 2, y = 3'
> "x = {1}, y = {0}".format(y, x)
 'x = 2, y = 3'
> f'x + y = \{x + y\}'
 'x + y = 5'
> f'\{x + y = \}' \# >= Python 3.8
 'x + y = 5'
> f'\{x\} / \{y\} = \{x / y:.3\}'
  '2 / 3 = 0.667'
> "abc" + "def"
  'abcdef'
 3 * "x--"
  'x--x--'
 0 * "abc"
```

#### ... more string functions

- str[-index] returns the symbol i positions from the right, the rightmost str[-1]
- str[from:to] substring starting at index from and ending at index to-1
- str[from:-to] substring starting at form and last at index len(str) to -1
- str[from:to:step] only take every step'th symbol in str[from:to]
  - from or/and to can be omitted and defaults to the beginning/end of string
- chr(x) returns a string of length 1 containing the x'th Unicode character
- ord (str) for a string of length 1, returns the Unicode number of the symbol
- str.lower() returns string in lower case
- str.split() split string into list of words, e.g.

```
"we love python".split() = ['we', 'love', 'python']
```

```
Python shell
> s = 'this is a string'
> s.capitalize()
  'This is a string'
> s.title()
  'This Is A String'
> s.upper()
  'THIS IS A STRING'
> s.title().swapcase()
  'tHIS iS a sTRING
> s.removeprefix('this is ')
  'a string'
> s.removesuffix(' string')
  'this is a'
> s.replace('is', 'IS')
  'thIS IS a string'
> s.ljust(30)
 'this is a string
> s.center(30)
        this is a string
> s.rjust(30, '.')
 '....this is a string'
> s.count('i')
> '12345'.zfill(8)
  '00012345'
```

#### Questions - What is s[2:42:3]?

```
s = \begin{tabular}{l} style & style
```

- a) 'wwdexy\_\_\_\_lwtopavghevt\_xypxxyattx\_hxwoadn'
- b) 'we\_love\_python'
  - c) 'we\_love\_java'
  - d) Don't know

#### Strings are immutable

- Strings are non-scalar, i.e. for s = "abcdef", s[3] will return "d"
- Strings are immutable and cannot be changed once created.
   I.e. the following natural update is not possible (but is e.g. allowed in C)

$$s[3] = "x"$$

■ To replace the "d" with "x" in s, instead create the new string

$$s = s[:3] + "x" + s[4:]$$

# Operators Precedence rules & Associativity

Example: \* has higher precedence than +

$$2 + 3 * 4 \equiv 2 + (3 * 4) \rightarrow 14$$
 and  $(2 + 3) * 4 \rightarrow 20$ 

All operators in same group are evaluated left-to-right

$$2+3-4-5 \equiv ((2+3)-4)-5 \rightarrow -4$$

except for \*\*, that is evaluated right-to-left

$$2^{**}2^{**}3 \equiv 2^{**}(2^{**}3) \rightarrow 256$$

Rule: Use parenthesis whenever in doubt of precedence!

#### (low to high) or and not x in not in is not < <= >= << >> +x\* \*

Precedence

#### Long expressions

- Long expressions can be broken over several lines by putting parenthesis around it
- The PEP8 guidelines recommend to limit all lines to a maximum of 79 characters

#### += and friends

Recurring statement is

$$x = x + value$$

In Python (and many other languages) this can be written as

This also applies to other operators like

```
+= -= *= /= //= **=
|= &= ^= <<= >>=
```

# Python shell > x = 5 > x \*= 3 > x | 15 > a = 'abc' > a \*= 3 > a | 'abcabcabc'

# := assignment expressions (the "Walrus Operator")



Syntax

```
name := expression
```

- Evaluates to the value of expression, with the side effect of assigning result to name
- Useful for naming intermediate results/repeating subexpressions for later reusage
- See <u>PEP 572</u> for further details and restrictions of usage

```
Python shell
> (x := 2 * 3) + 2 * x
  18
> print(1 + (x := 2 * 3), 2 + x)
  7 8
> x := 7
 SyntaxError
> (x := 7) # valid, but not recommended
> while line := input():
      print(line.upper())
> abc
 ABC
```



In some languages, e.g. Java, C and C++, "=" also plays the role of ":=", implying "if (x=y)" and "if (x=y)" mean quite different things (common typo)