

Also warrants mention that higher B_0 values are associated with higher system investment and life cycle costs.

In what follows, we offer a summary of the relevant physical constraints (in the order of their importance).

RF losses heating the patient (SAR) and required peak RF power

According to Maxwell's equations, an electric field E is always connected to a time-varying magnetic field:

$$\oint \vec{E} \cdot d\vec{r} = - \int_V \frac{\partial \vec{B}}{\partial t} \cdot d\vec{r} \quad (15.8a)$$

This yields the following for a homogeneous magnetic field B_1 varying harmonically in time:

$$2\pi r_{\perp} E = -\pi r_{\perp}^2 \omega B_1 \quad (15.8b)$$

The electric field \vec{E} causes eddy currents of density \vec{j} inside conductive objects (conductivity σ), such as the human body, that increase linearly along with the distance r_{\perp} from the object's center:

$$\vec{j} = \sigma \vec{E} \quad (15.9)$$

The electric power losses thus amount to

$$P = \int_V \vec{j} \cdot \vec{E} \, dV = \int_V \sigma E^2 \, dV = \frac{\sigma B_1^2 \omega^2}{4} \int_V r_{\perp}^2 \, dV. \quad (15.10)$$

The RF transmitter will be required to compensate for these losses. RF losses in the patient are proportional to MR frequency squared and can create heat.

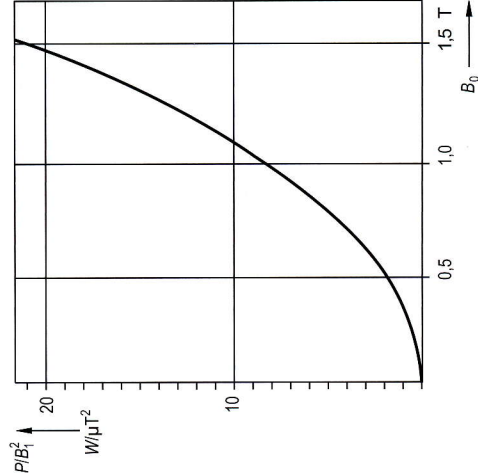


Figure 15.3
Absorbed RF power per B_1^2 by an average person weighing 70 kg as function of the main magnetic field B_0 when imaged with proton MR applying a circular polarized RF field B_1 .

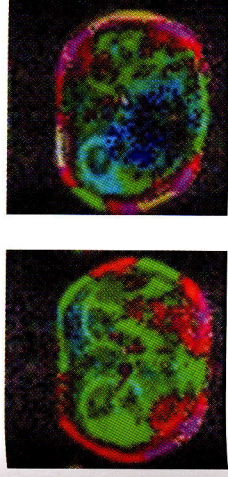


Figure 15.4
Flip angle distribution due to an inhomogeneous B_1 field in a human object at 63 MHz (**left**) and 126 MHz (**right**).

National and international standards have been introduced to restrict the exposure of humans to RF heating (see fig. 15.3). For instance, the IEC standard 60601-2-33 which has been adopted by most national regulatory authorities requires that the whole body specific absorption rate (SAR) may not exceed 2 W/kg (or 4 W/kg under special supervision of the patient). The lower limit can cause limitations in the repetition rate of short high peak power 180° pulses at 1.5 T or 63 MHz. Here, it warrants bearing in mind that the required RF transmitter's peak power capacity also increases. While 15 kW might be considered sufficient to support 180° pulses of 0.5 ms at 1.5 T, one would need approximately 60 kW to perform the same sequence at 3 T. This high power would introduce considerable challenges, not only for RF transmitter design, but also for transmitter resonator design (seeing as how the latter would be required to withstand the high RF voltage of several kV).

RF object penetration, dielectric resonance effects

Conductive material such as human body tissue also prevents the penetration of the electromagnetic RF field. This is referred to as the skin effect. Penetration depth decreases along with increasing frequency. The explanation for this phenomenon is the same as that for the power losses discussed above: eddy currents weaken the effect of the RF field by shielding the inner portions of the body. The effect referred to as dielectric resonance plays a similar role. The human body consists mostly of water with a relative dielectric constant of $\epsilon_r \approx 81$. The wavelength inside the body is therefore shortened by a factor of 9 compared to that in free space. While the wavelength in free space is around 2.4 m at 126 MHz ($B_0 = 3$ T), it is only 26 cm inside a watery object, thereby clearing the way for the occurrence of standing waves that undermine the homogeneity of the RF field. This is shown in fig. 15.4, which offers a comparison of the flip angle distribution at 63 MHz (1.5 T) and at 126 MHz (3 T).

Size, weight, fringe field and cost

A magnet's size, weight, fringe field (i.e. if a high field magnet is scaled from a medium field magnet) and cost (for the system as well as for its infrastructure requirements) are likely to increase along with its field strength. While a degree of juggling is permitted when combining these variables, it is impossible to gain anything with-