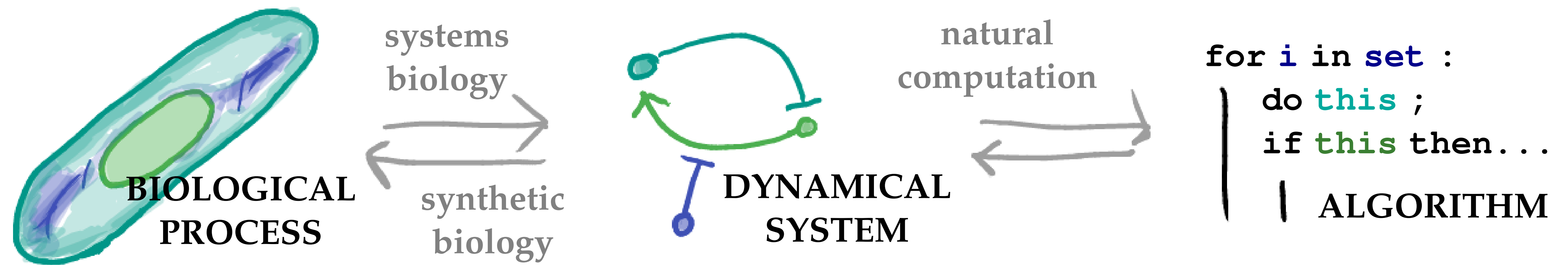
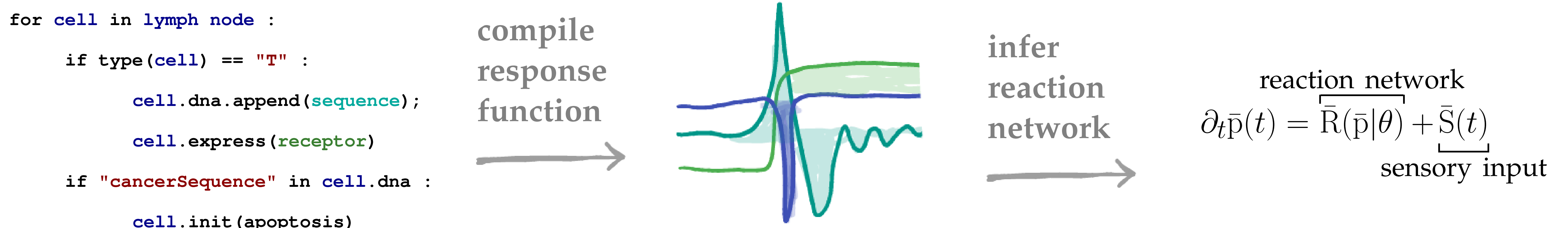


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Motivation | Designing algorithms to be executed in living organisms

Is it possible to build a programming language that compiles into a chemical environment, allowing us to execute arbitrary code in living cells? To produce appropriate adaptive responses given sensory input from environments, **living organisms perform asynchronous computations** using chemicals reaction networks [1].



Algorithm → Dynamical System | Given a response function what is the minimal reaction network?

- 👉 Silicon devices executed code on arithmetic logic units, which are described by signal-response functions
- 👎 Networks of logical units are **controlled by clocks** limiting algorithms to **synchronous sequential logic**
- 👉 Chemical reaction networks can be inferred from cellular processes data [2]
- 👎 No general mapping exists that takes model complexity into consideration

What is the general routine for reducing complexity in reaction networks?

- 👉 For *known time-scale separations* one can reduce models, introducing memory effects [3]
- 👎 There exist *no relevance determination* methods beyond empirical sensitivity analysis [4]

How does evolution lead to complexity increase in network motifs such as switches and clocks?

- 👉 Relationship between robustness and evolvability has been investigated [5]
- 👎 Evolutionary relationships between different chemical networks have not been quantified

Dynamical System | Given a steady state pattern what is the minimal reaction-diffusion network?

- 👉 Dynamics of local equilibria show promising analysis beyond linear stability [6]
- 👎 Need to design attractors in phase space; no description in phase space exists

$$\partial_t \rho(t) = \overbrace{R(\rho)}^{\text{reaction}} + \underbrace{D \partial_x^2 \rho(t)}_{\text{diffusion}}$$

$R(\rho)$ is a vector, multinomial in the components of ρ

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