## Hierarchical Context enabled Recurrent Neural Network for Recommendation Kyungwoo Song\*, Mingi Ji\*, Sungrae Park, II-Chul Moon

(\* : Equal Contribution)

## **30-Second Summary**

Question: Can we detect where the user's interest changes?

Our answer: Yes!

<u>LSTM</u>

**HCRNN-1** 

Local gate

Local gate

Reset

HCRNN-2

 $c_{t-1}$ 

**How?**: Interest drift assumption

 "If the user's local context (for sub-sequence) and the current item are very different, the user's temporary interest drift occurs."

More specific: Hierarchical Context enabled Recurrent Neural Network (HCRNN) Global context

 $c_t = f_t \odot c_{t-1} + i_t \odot \sigma_c(\tilde{c}_t)$ 

**Direct connection** 

between  $c_t$  and  $h_t$ 

 $h_t = o_t \odot \sigma_h(c_t)$ 

- Incorporate the interest drift assumption
- Design hierarchical contexts (global, local, and temporary)
- Keep local and temporary contexts independently
- Introduce interest drift gate to capture the interest drift

## **Model Assumption**

- The user's interest can be hierarchically ranging from general interest to a temporary (global, local, and temporary)
- Each hierarchical context have different abstract levels of information.
- Interest drift assumption

## **Motivation**

- A user history is a sequence of user orders or clicks, and the history represents the user's interest
- A long user history inevitably reflects the transitions of personal interests over time

**Related Works** 

• NARM [CIKM-17] : Focus on long-term interest

• STAMP [KDD-18] : Focus on short-term interest

term and short-term interest modeling

 $\theta \quad M_{global} \quad h_{t-1}$ 

HCRNN (ours): Focus on interest drift with long-

There are no studies which capture user's

interest change with hierarchical context modeling

Update

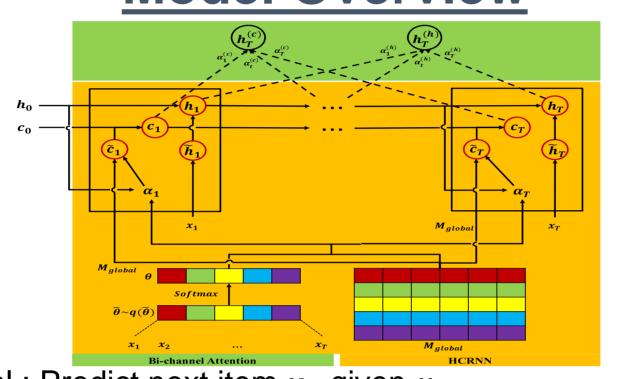
**Update** 

 We can predict next item better if we include modeling on an interest drift of users.

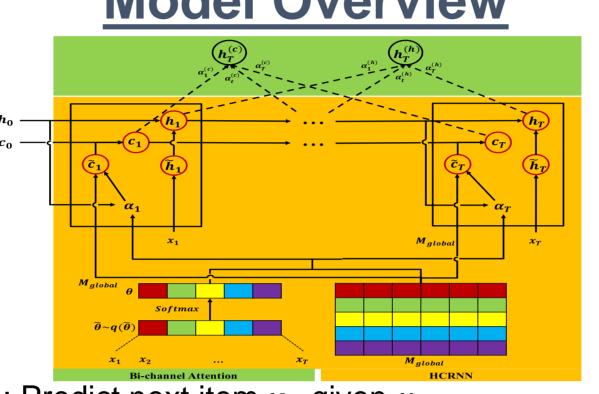
 $h_{t-1}$   $c_{t-1}$   $x_t$ 

Sequential Recommendation

## **Model Overview**



- Goal : Predict next item  $y_T$  given  $x_{1:T}$
- $x_t$ : Current item embedding
- $\theta$  : Global context proportion for  $x_{1:T}$
- *M<sub>alobal</sub>* : Global context memory
- $c_t$ : Local context (generated by global context, **not**
- ullet  $h_t$ : Temporary context (generated by previous



- current item)

(16)

(18)

(19)

(20) -

(18)

(19)

(20)

(21)

Inference

temporary context and current item, not local context)

Proportion for sequence

 $\theta^{(k)} \uparrow \Rightarrow M_{global}^{k}$  is important

Generation of local context

with local context gate  $G_t^{(c)}$ 

Generation of temporary

context  $h_t$  (separation with

(Variational Encoder)

Attention weight

local context)

Results

**Sub-sequence3 (Action/Romance)** 

**Action Action/Romanc** 

Action

#### 1) Quantitative Results

Sub-sequence1 (Action) Sub-sequence2 (Musical)

Action

Action

for sequence

**Local context** 

for subsequence

Temporary context

for current

Musical Musical

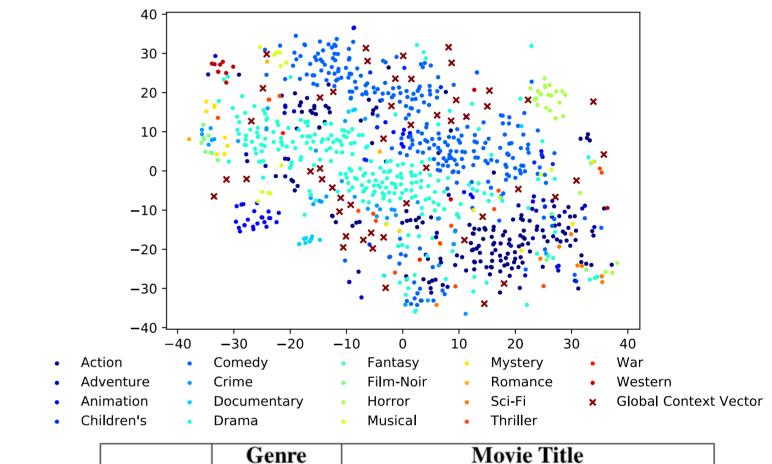
	CiteULike				Lastrivi				MovieLens			
	R@3	R@20	M@3	M@20	R@3	R@20	M@3	M@20	R@3	R@20	M@3	M@20
POP	1.44	5.78	0.92	1.44	0.37	1.99	0.34	0.51	2.43	12.51	1.54	2.65
S-POP	1.26	4.99	0.79	1.23	0.87	3.65	0.55	0.87	2.27	12.23	1.42	2.52
Item-KNN	0.00	6.90	0.00	4.79	0.00	11.59	0.00	8.00	0.00	6.32	0.00	4.28
BPR-MF	0.49	3.15	0.27	0.60	0.82	2.15	0.59	0.73	1.69	8.93	1.07	1.91
LSTM4REC	7.07	23.33	4.93	6.82	15.29	24.75	12.68	13.95	8.52	32.80	5.63	8.45
GRU4REC	8.37	24.19	<u>5.98</u>	<u>7.86</u>	18.29	26.46	<u>15.85</u>	<u>16.95</u>	8.50	32.74	5.60	8.42
NARM	7.81	<u>24.82</u>	5.40	7.41	<u>18.30</u>	<u>33.60</u>	13.12	15.25	<u>9.14</u>	<u>33.42</u>	6.09	8.93
STAMP	5.09	21.93	3.25	5.22	9.29	19.84	6.62	8.01	3.95	20.52	2.65	4.47
HCRNN- 1	8.60	25.36	6.18	8.16	20.67*	34.40*	15.77	17.68*	9.23	33.78*	6.13	9.00
HCRNN- 2	8.83	25.10	6.41*	8.38*	20.78*	34.14*	16.20	18.08*	9.22	33.76*	6.14	9.01
HCRNN- 3	9.21*	25.42*	6.65*	8.61*	21.39*	34.72*	16.66*	18.52*	9.38*	33.67*	6.23*	$9.08^{*}$
HCRNN-3 + Bi	9.33*	<b>25.81</b> *	6.74*	8.70*	21.90*	34.80*	17.33*	19.12*	9.53*	33.83*	6.38*	9.21*
Improvement(%)	11.47	3.99	12.71	10.69	19.67	3.57	9.34	12.80	4.27	1.23	4.76	3.14

HCRNN-1 > Baselines (NARM, STAMP)

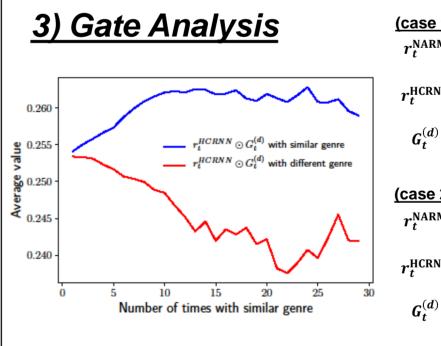
Action

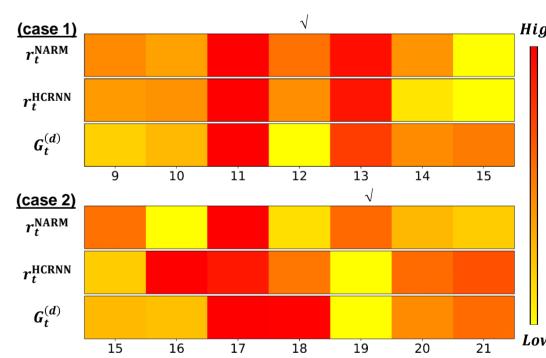
- necessity of hierarchical context
- HCRNN-3 > HCRNN-2, HCRNN-1
- Interest drift assumption is experimentally justifiable.
- HCRNN-3+Bi > HCRNN-3
- bi-channel attention with hierarchical contexts may improve the performance experimentally.

### 2) Context Embedding



	Genre	Movie Title
$M_{global}^{(6)}$	Animation	Pinocchio, Yellow Submarine,
	Aiiiiiatioii	Snow White and the Seven Dwarfs
$M_{global}^{(19)}$	Action	Star Trek: Generations, Predator,
	Action	Butch Cassidy and the Sundance Kid
$M_{global}^{(31)}$	Horror	Scream, An American Werewolf
	1101101	in London, Dracula

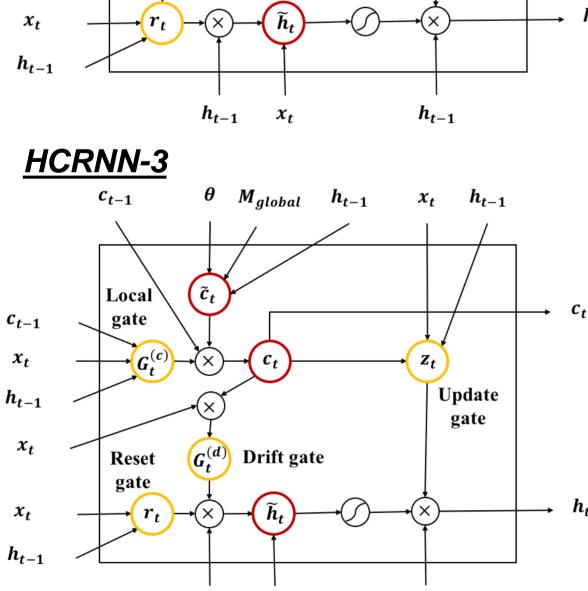




 If the genre of the current input is different with previous items,  $r_t \odot G_t^{(d)}$  has a smaller value compared to the opposite situation.

## 4) Bi-Channel Attention

**Interest drift assumption**  $x_t \odot c_t \downarrow \implies r_t \downarrow \implies h_t \text{ focus}$ on the current input instead of  $h_{t-1}$ 



 $r_t = \sigma_r(x_t W_{xr} + h_{t-1} W_{hr} + c_t W_{cr} + b_r)$ (18) $\widetilde{h}_t = (r_t \odot h_{t-1})W_{hh} + x_t W_{xh} + b_h$ (19) $h_t = (1 - z_t) \odot h_{t-1} + z_t \odot \sigma_h(\widetilde{h}_t)$ (20) $r_t = \sigma_r(x_t W_{xr} + h_{t-1} W_{hr} + (x_t \odot c_t) W_d + b_r)$ 

 $r_t = \sigma_r(x_t \overline{W_{xr} + h_{t-1} W_{hr}} + (x_t \odot c_t) \overline{W_d + b_r})$ 

Methodology

 $\alpha_t^{(k)} = \operatorname{softmax}(v_{\theta}^T \sigma(h_{t-1} W_{h\alpha} + (\theta^{(k)} M_{global}^{(k)}) W_{\theta\alpha}))$ 

 $G_t^{(c)} = \sigma_l(x_t W_{xl} + h_{t-1} W_{hl} + c_{t-1} W_{cl} + b_l)$ 

 $z_t = \sigma_z (x_t W_{xz} + h_{t-1} W_{hz} + c_t W_{cz} + b_z)$ 

 $r_t = \sigma_r (x_t W_{xr} + h_{t-1} W_{hr} + c_t W_{cr} + b_r)$ 

 $r_t = \sigma_r (x_t W_{xr} + h_{t-1} W_{hr} + c_t W_{cr} + b_r)$ 

 $\widetilde{h}_t = (r_t \odot h_{t-1})W_{hh} + x_t W_{xh} + b_h$ 

 $h_t = (1 - z_t) \odot h_{t-1} + z_t \odot \sigma_h(\widetilde{h}_t)$ 

 $s.t.W_d \ge 0$ 

 $s.t.W_d \ge 0$ 

 $c_t = (1 - G_t^{(c)}) \odot c_{t-1} + G_t^{(c)} \odot \widetilde{c}_t$ 

 $\widetilde{h}_t = (r_t \odot h_{t-1})W_{hh} + x_t W_{xh} + b_h$ 

 $h_t = (1 - z_t) \odot h_{t-1} + z_t \odot \sigma_h(\widetilde{h}_t)$ 

 $\widetilde{\theta} \sim q(\widetilde{\theta}) = \mathcal{N}(\widetilde{\theta}; \mu(x_{1:T}), \operatorname{diag}(\sigma^2(x_{1:T})))$ 

 $\theta \sim \operatorname{softmax}(\widetilde{\theta})$ 

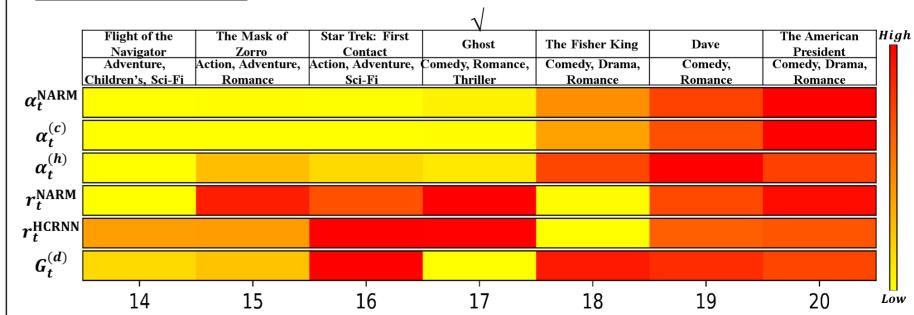
 $\widetilde{c}_t = \sum_{k=1} \alpha_t^{(k)} M_{global}^{(k)}$ 

- $G_t^{(d)} = \sigma_d((x_t \odot c_t)W_d + b_d) \quad s.t.W_d \ge 0$ (22) $r_t = \sigma_r(x_t W_{xr} + h_{t-1} W_{hr} + b_r)$  $\widetilde{h}_t = (r_t \odot (G_t^{(d)} \odot h_{t-1}))W_{hh} + x_t W_{xh} + b_h$
- Sigmoid function is not sharp  $\Rightarrow r_t$  in Eq. 21 : 0.47 (± 0.03) It is hard to incorporate the interest drift
- Introduce the interest drift gate  $(G_t^{(d)})$  to make  $h_t$  focus on the current input

# $\alpha_t^{(h)}$ in bi-channel attention 6 8 10 12 14 16 18

- The bi-channel attentions distinguishes the attentions
- $\alpha_t^{(c)}$  focuses on the neighbor attention (short-term)
- $\alpha_t^{(n)}$  reads out through the whole sequence (long-term)

### 5) Case Study



- $G_{t=17}^{(d)}$  has a relatively small value
- This small value is caused by the selection of different category items to the previous sub-sequence at t=16.

# HCRNN-3+Bi

 $\alpha_{tj}^{(c)} = \operatorname{softmax}(\frac{(c_t W_{c\alpha}^{(1)})(c_j W_{c\alpha}^{(2)})^T}{\sqrt{|H|}})$  $\alpha_{tj}^{(h)} = \operatorname{softmax}(v_h^T \sigma(h_t W_{h\alpha}^{(1)} + h_j W_{h\alpha}^{(2)}))$ 

 $\widehat{y}_t = \operatorname{softmax}(W_{emb}^T W_B[h_t, h_t^{(c)}, h_t^{(h)}])$ 

 $h_{t-1}$ 

- $h_t^{(c)} = \sum_i \alpha_{tj}^{(c)} h_j$  and  $h_t^{(h)} = \sum_i \alpha_{tj}^{(h)} h_j$

(28) /

- $\alpha_t^{(c)}$ : attention based on the local context (Short-term dependency) (26)
  - $\alpha_t^{(h)}$ : attention based on the temporary context (Longterm dependency)
- Variational inference by optimizing the evidence lower bound (ELBO)  $\log p(y_{1:T}|c_{1:T}, h_{1:T}) = \log \int p(\widetilde{\theta}) \prod_{t=1} p(y_t|\widetilde{\theta}, c_t, h_t) d\widetilde{\theta}$
- $\geq \sum_{t=0}^{T} E_{q(\widetilde{\theta})}[\log p(y_t | \widetilde{\theta}, c_t, h_t)] \text{KL}[(q(\widetilde{\theta}) | | p(\widetilde{\theta}))]$