

CS150A Database

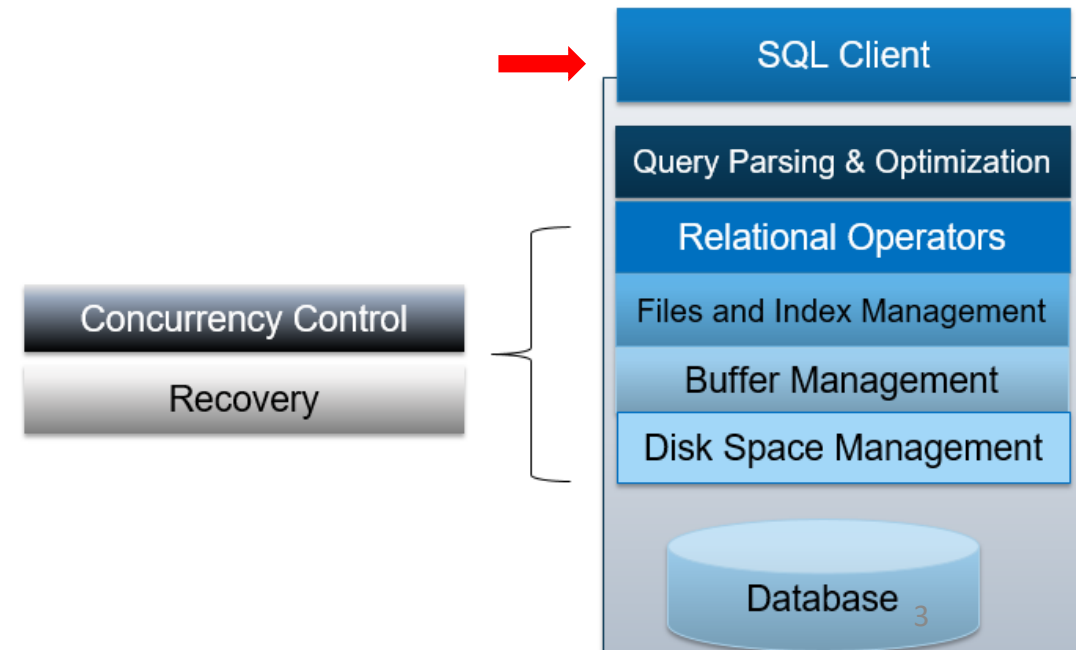
Midterm Course Review

Apr. 17, 2024

Database

1. SQL
2. Disk, Buffers and Files
3. Index and B+ Trees
 - refinement
4. Buffer Manager
5. Relational Algebra
6. Sorting and Hashing
7. Iterations and Joins
8. Query Optimization
9. Transactions and Concurrency
10. Recovery
11. ER Modeling & FD
12. Parallel Query Processing
13. Distributed Transactions
14. NoSQL
15. MapReduce & Spark
16. DM & ML
 - Data Warehouse / Lake
 - Machine Learning
 - *k*-means
 - Linear Regression

1. SQL



SQL DML:

Basic Single-Table Queries



- **SELECT** [**DISTINCT**] *<column expression list>*
FROM *<single table>*
[**WHERE** *<predicate>*]
[**GROUP BY** *<column list>*
[**HAVING** *<predicate>*]]
[**ORDER BY** *<column list>*]
[**LIMIT** *<integer>*];
- Arithmetic Expressions
-
- A yellow rectangular box containing the text "Arithmetic Expressions" has two arrows pointing from it. One arrow points to the
- <column expression list>*
- in the
- SELECT**
- clause, and the other points to the
- <predicate>*
- in the
- WHERE**
- clause.

Combining Predicates



- Subtle connections between:
 - Boolean logic in WHERE (i.e., AND, OR)
 - Traditional Set operations (i.e. INTERSECT, UNION)
 - Set: a collection of distinct elements
 - Standard ways of manipulating/combining sets
 - Union
 - Intersect
 - Except
 - Treat tuples within a relation as elements of a set

Nested Queries

- *Names of sailors who've reserved boat #102:*

```
SELECT S.sname
FROM   Sailors S
WHERE  S.sid IN
      (SELECT R.sid
       FROM   Reserves R
       WHERE  R.bid=102)
```

```
SELECT S.sname
FROM   Sailors S
WHERE  EXISTS
      (SELECT R.sid
       FROM   Reserves R
       WHERE  R.bid=102)
```

subquery



We've seen: IN, EXISTS

Can also have: NOT IN, NOT EXISTS

Other forms: op ANY, op ALL

Join Variants

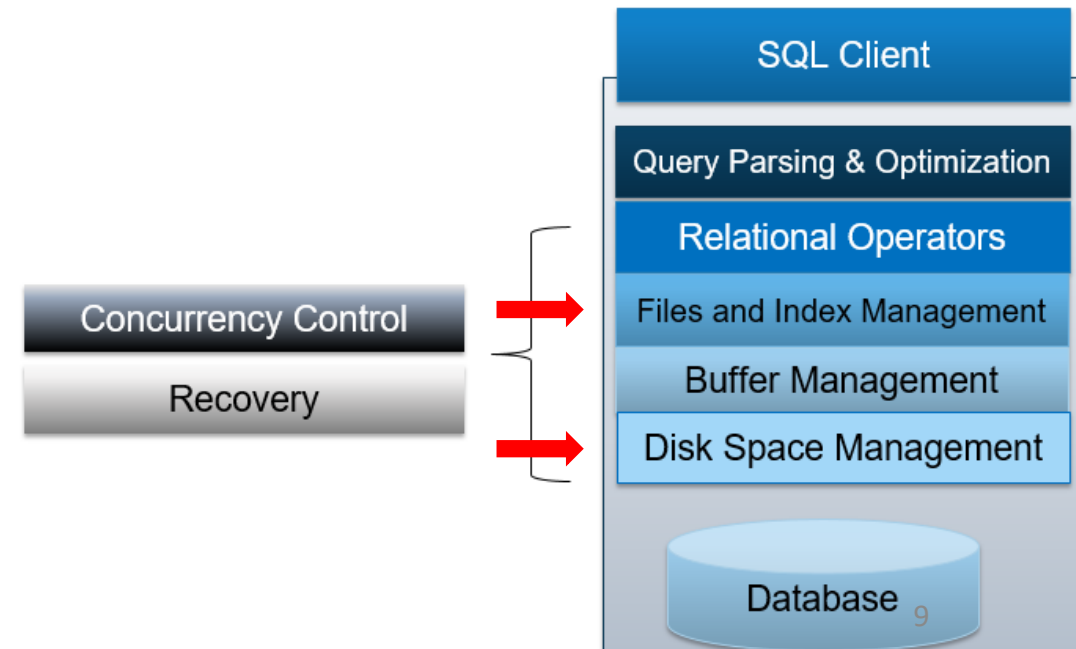
```
SELECT <column expression list>  
FROM table_name  
  [INNER | NATURAL  
   | {LEFT | RIGHT | FULL } {OUTER}] JOIN table_name  
  ON <qualification_list>  
WHERE ...
```

- INNER is default
- Inner join what we've learned so far
 - Same thing, just with different syntax.

Brief Detour: Null Values

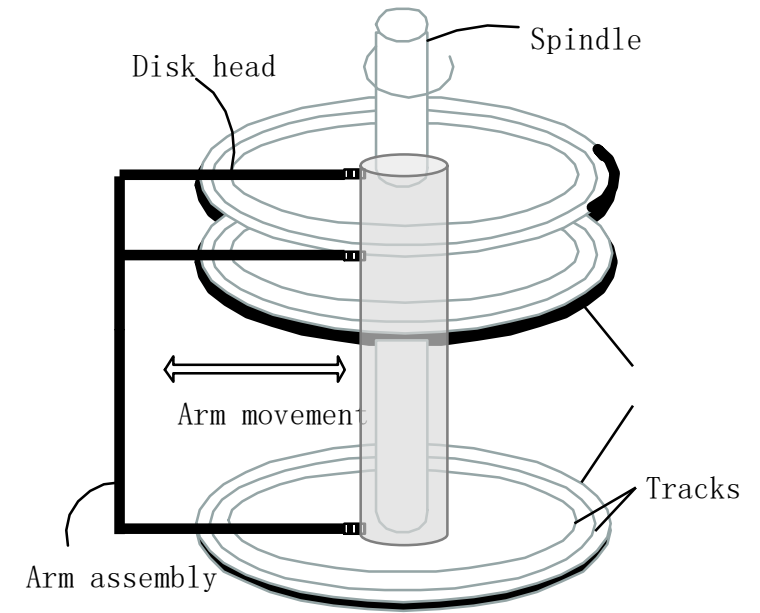
- Field values are sometimes unknown
 - SQL provides a special value NULL for such situations.
 - Every data type can be NULL
 - The presence of null complicates many issues. E.g.:
 - Selection predicates (WHERE)
 - Aggregation
 - But NULLs comes naturally from Outer joins
- NULL op NULL is NULL
 - WHERE NULL: do not send to output
 - Boolean connectives: 3-valued logic
 - Aggregates ignore NULL-valued inputs

2. Disk, Files and Buffers



Arranging Blocks on Disk

- **'Next'** block concept:
 - sequential blocks on same track, followed by
 - blocks on same cylinder, followed by
 - blocks on adjacent cylinder
- Arrange file pages sequentially by 'next' on disk
 - minimize seek and rotational delay.
- For a **sequential scan**, *pre-fetch*
 - several blocks at a time!
- **Read large consecutive blocks**

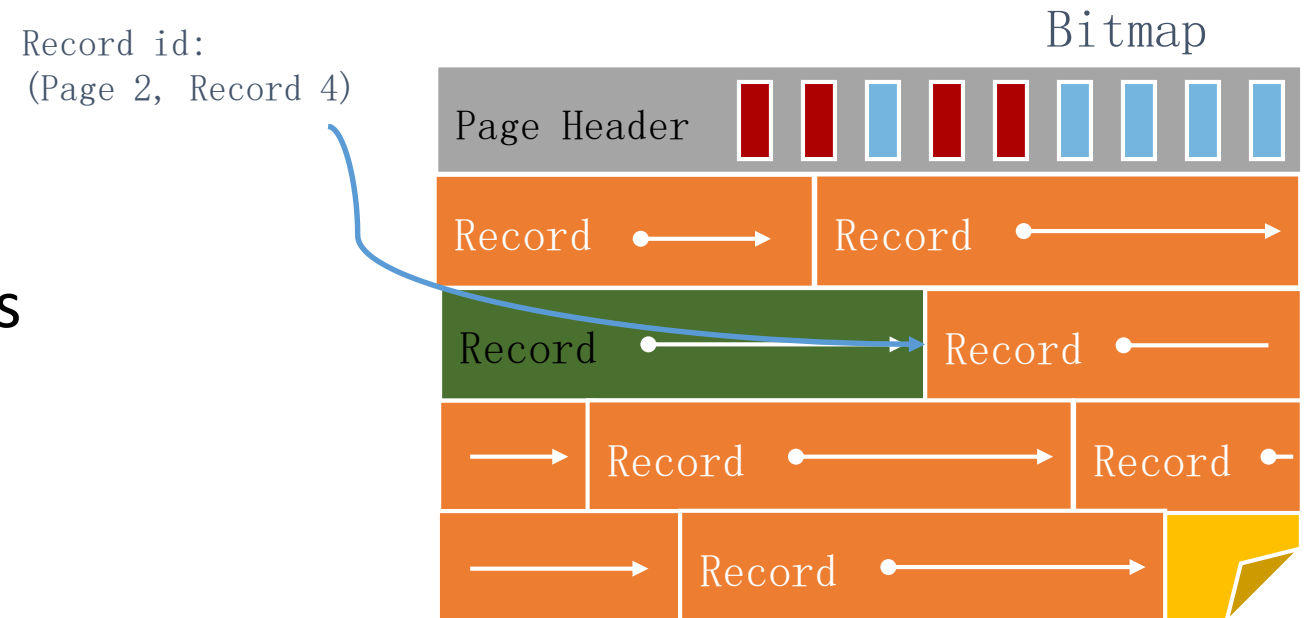


Key to lower I/O cost:
reduce seek time and rotational delays

Random vs. sequential disk access (10x)

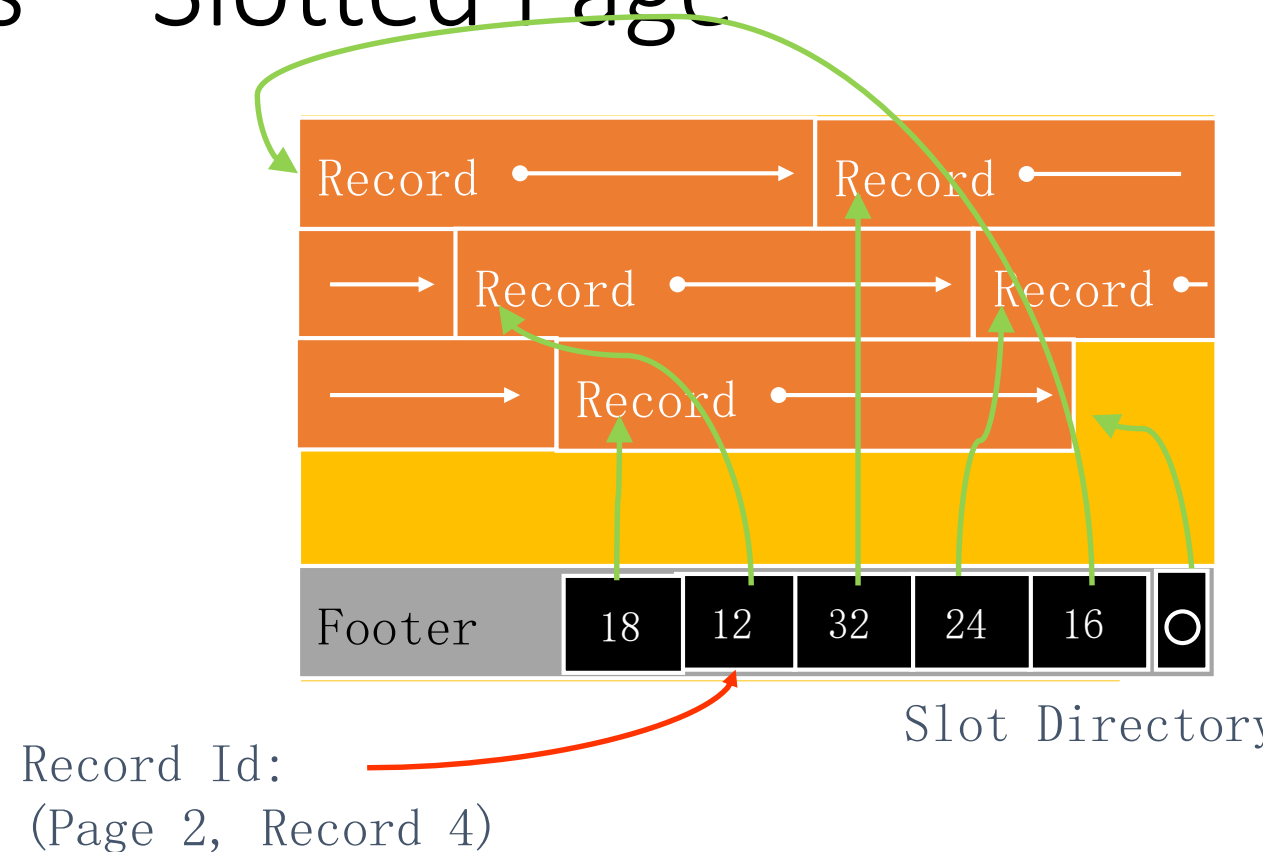
Fixed Length Records: Unpacked

- Bitmap denotes “slots” with records
- Record id: record number in page
- **Insert:** find first empty slot
- **Delete:** Clear bit



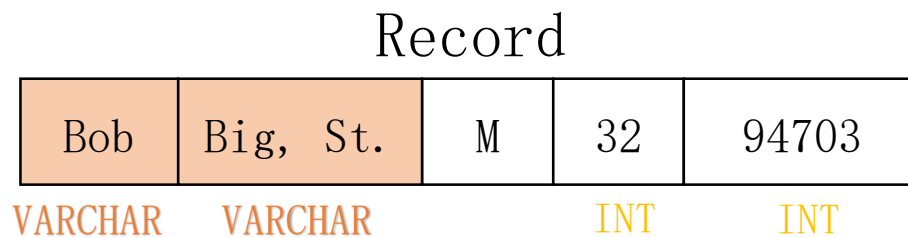
Variable Length Records -- Slotted Page

- Introduce slot directory in footer
 - Pointer to free space
 - Length + Pointer to beginning of record
 - reverse order
- Record ID = location in slot table
 - from right
- Delete?
 - e.g., 4th record on the page

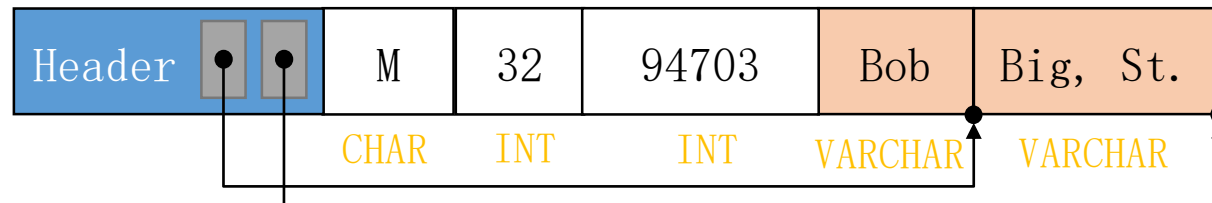


Record Formats: Variable Length

- What happens if fields are variable length?



- Introduce a record header



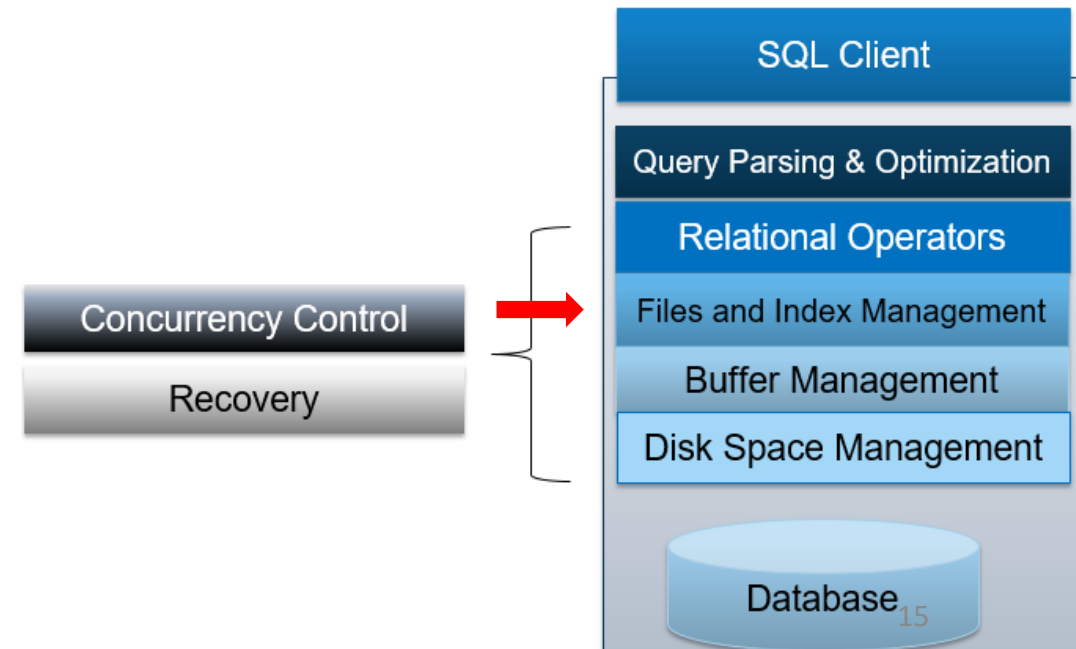
- Direct access & no “escaping”, other advantages?
 - Handle null fields easily →
 - useful for fixed length records too!

Cost of Operations Complete

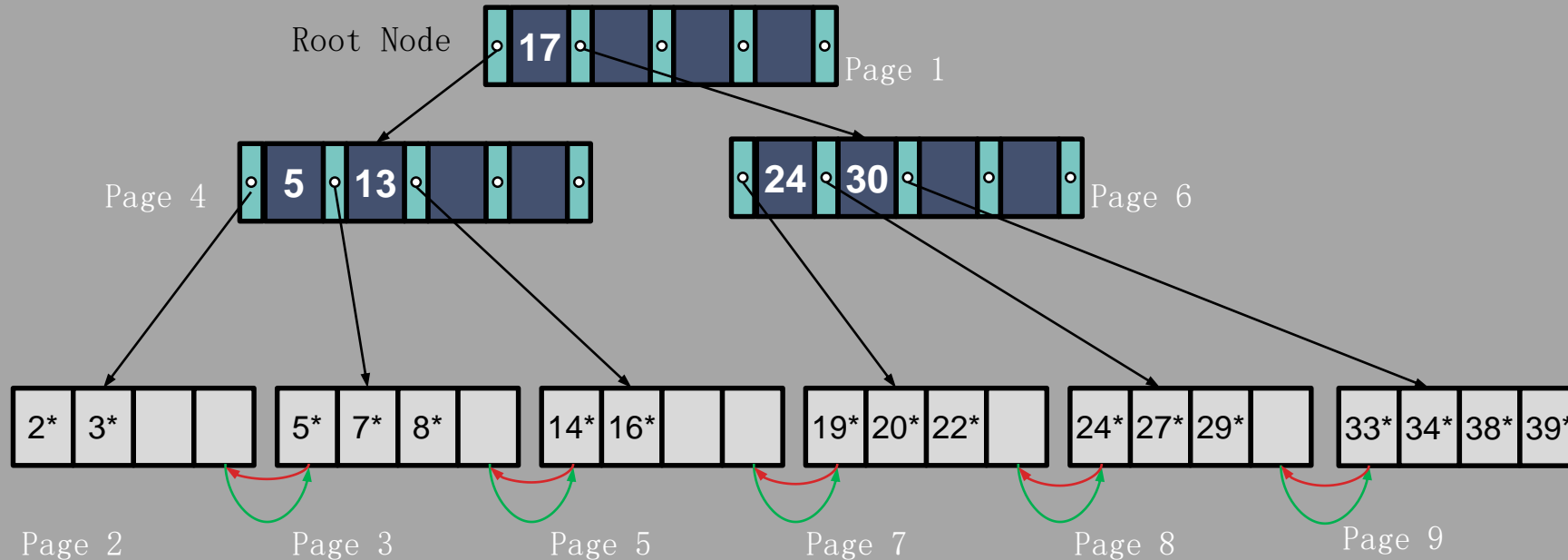
	Heap File	Sorted File
Scan all records	$B * D$	$B * D$
Equality Search	$0.5 * B * D$	$(\log_2 B) * D$
Range Search	$B * D$	$((\log_2 B) + \text{pages}) * D$
Insert	$2 * D$	$((\log_2 B) + B) * D$
Delete	$(0.5 * B + 1) * D$	$((\log_2 B) + B) * D$

- **B**: The number of data blocks
- **R**: Number of records per block
- **D**: Average time to read/write disk block
- Can we do better?
 - Indexes!

3. Index and B+ Trees



Example of a B+ Tree



- **Occupancy Invariant**
 - Each interior node is at least partially full:
 - $d \leq \#entries \leq 2d$
 - d : order of the tree (max fan-out = $2d + 1$)
- Data pages at bottom need not be stored in logical order
 - Next and prev pointers

What is the value of d ?

2

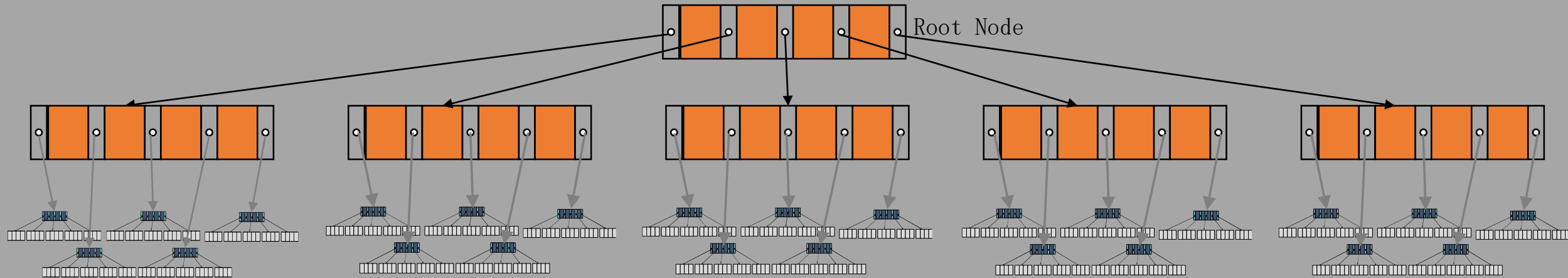
What about the root?

The root is special

Why not in sequential order?

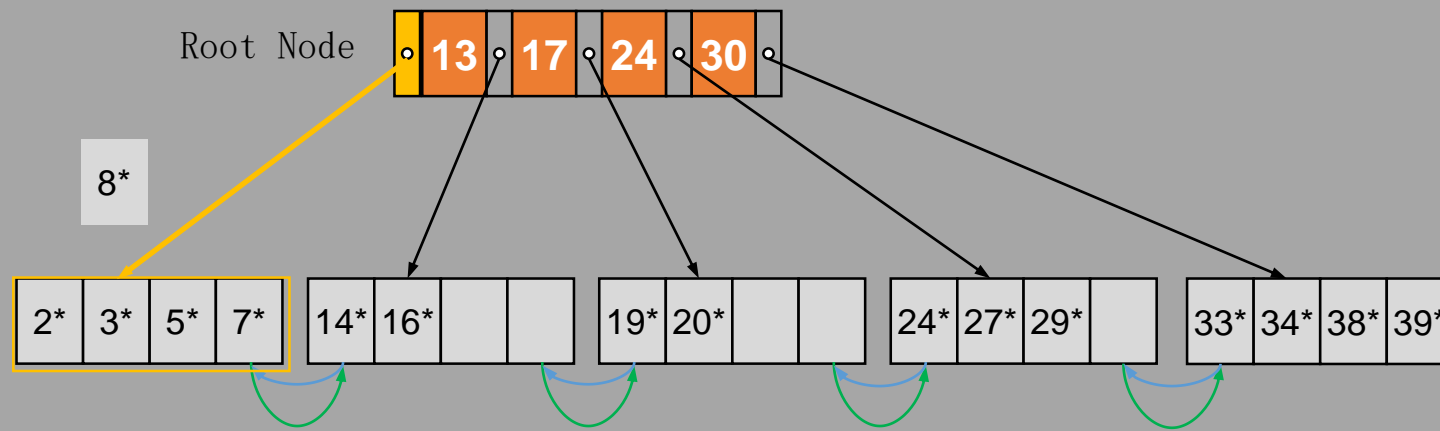
Data pages allocated dynamically

B+ Trees and Scale



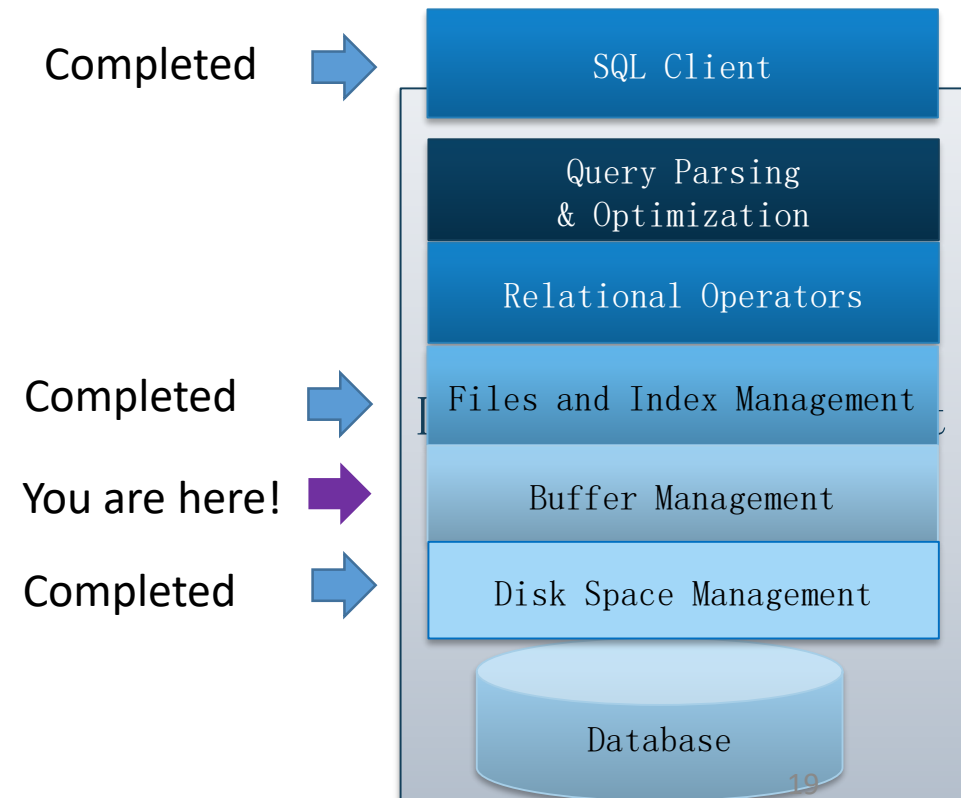
- How big is a height **3** B+ tree
 - $d = 2 \rightarrow$ Fan-out?
 - Fan-out = $2d + 1 = 5$
 - **Height 3:** $5^3 \times 4 = 500$ Records

Inserting 8* into a B+ Tree: Insert



- Find the correct leaf
 - Split leaf if there is not enough room

4. Buffer Manager



Answers to Our Previous Questions

1. Handling dirty pages

- How will the buffer manager find out?
 - Dirty bit on page
- What to do with a dirty page?
 - Write back via disk manager

2. Page Replacement

- How will the buffer mgr know if a page is “in use”?
 - **Page pin count**
- If buffer manager is full, which page should be replaced?
 - **Page replacement policy**
 - Least-recently-used (LRU), Clock
 - Most-recently-used (MRU)

FrameId	PageId	Dirty?	Pin Count
1	1	N	0
2	2	Y	1
3	3	N	0
4	6	N	2
5	4	N	0
6	5	N	0

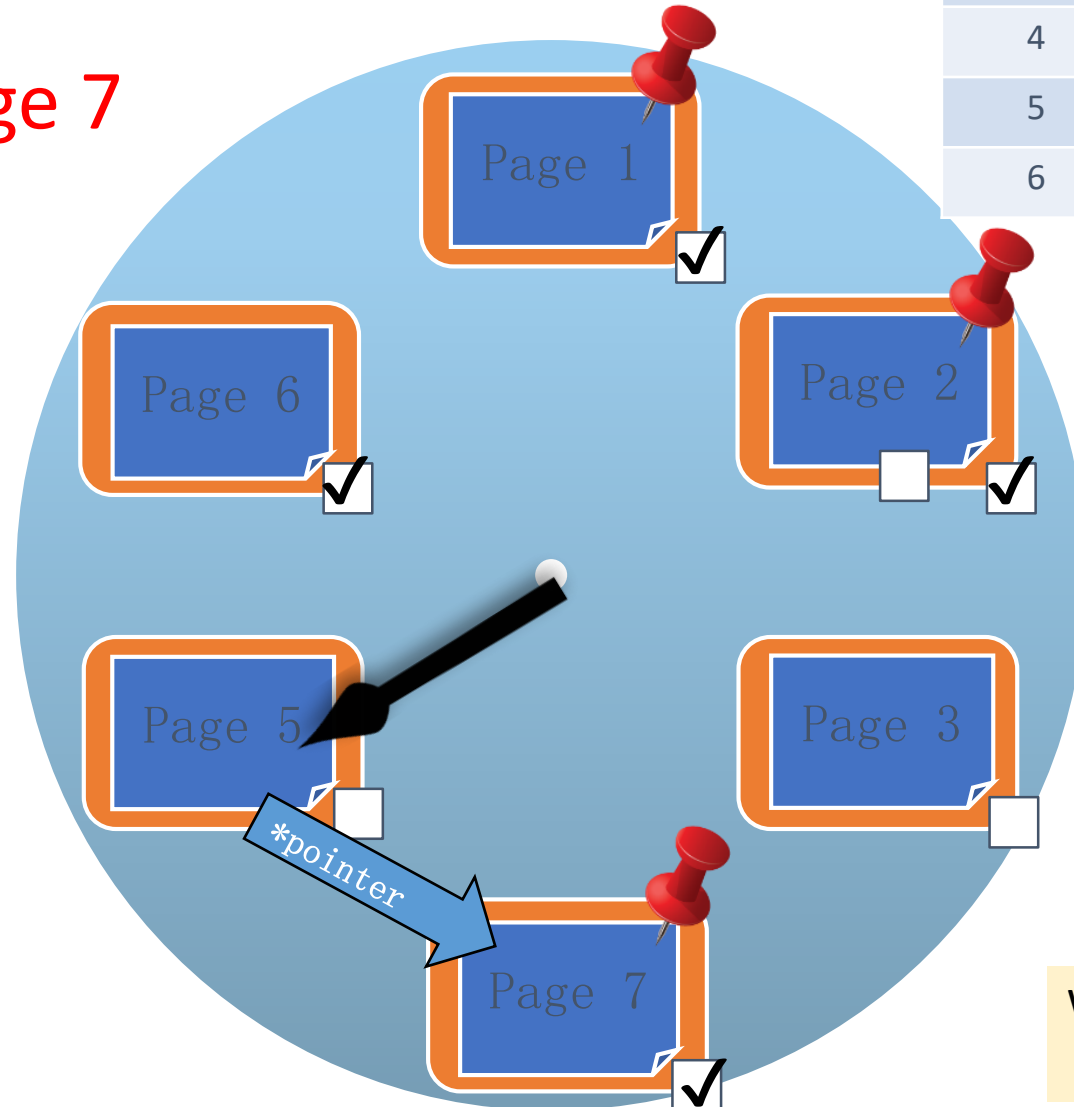
Keep an in-memory index (hash table) on PageId

Clock Policy State: Illustrated

Request: Read page 7

Current frame not pinned
Ref bit unset:

Replace
Set pinned
Set ref bit
Advance clock
Return pointer



FrameId	PageId	Dirty?	Pin Count	Ref Bit
1	1	N	1	1
2	2	N	1	1
3	3	N	0	1
4	4	N	0	0
5	5	N	0	0
6	6	N	0	1

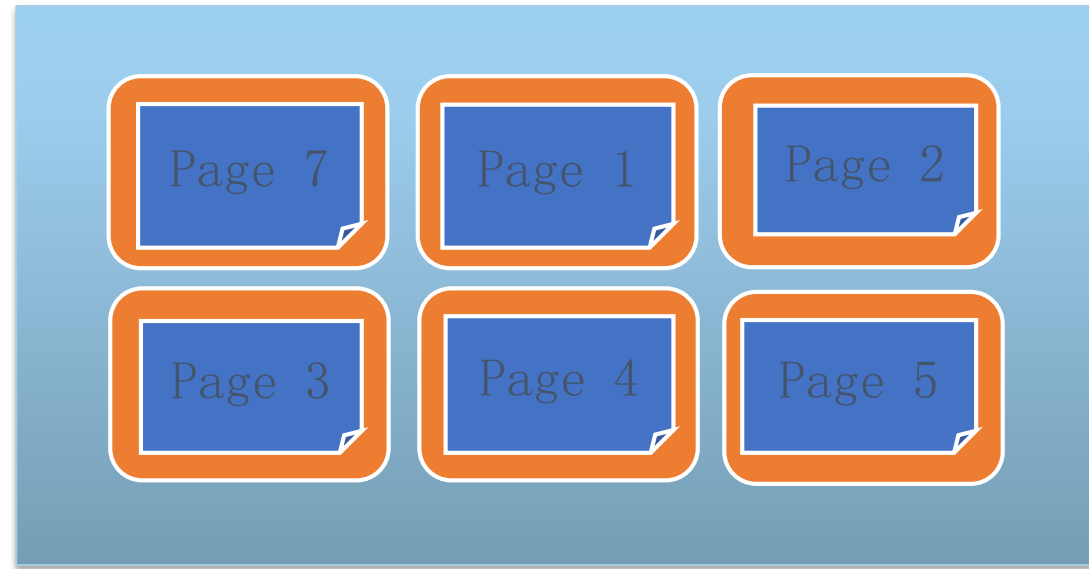
Clock Hand
1

When might they perform poorly?

- repeated scans of big files

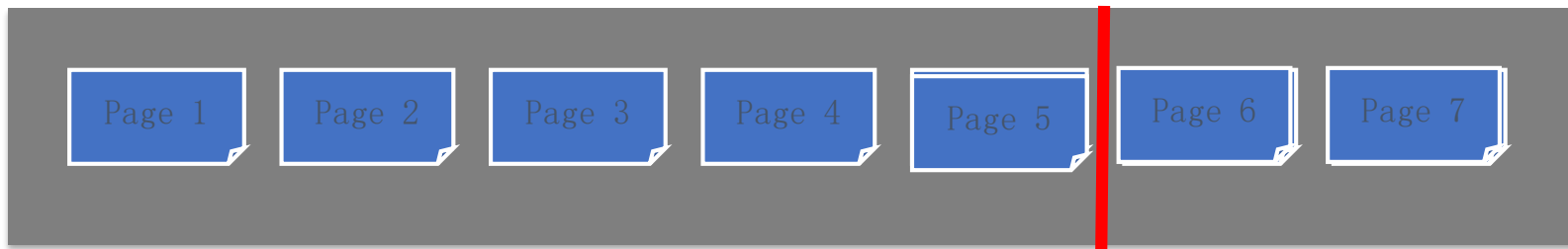
Repeated Scan (LRU): Read Page 5

- Cache Hits: 0
- Attempts: 12



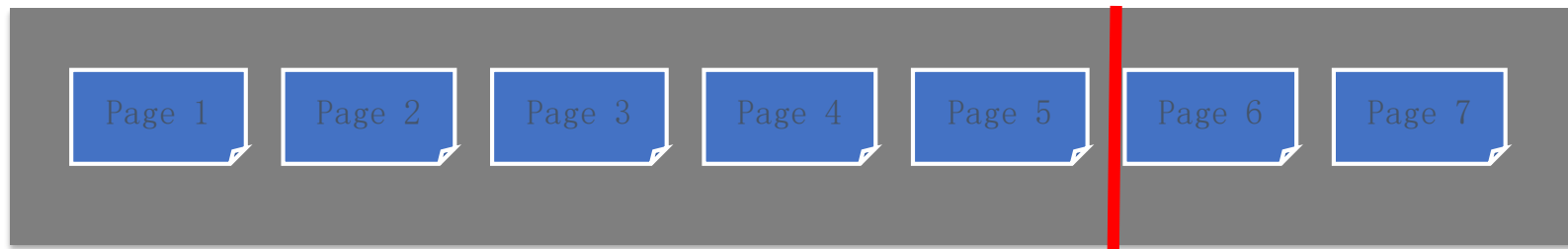
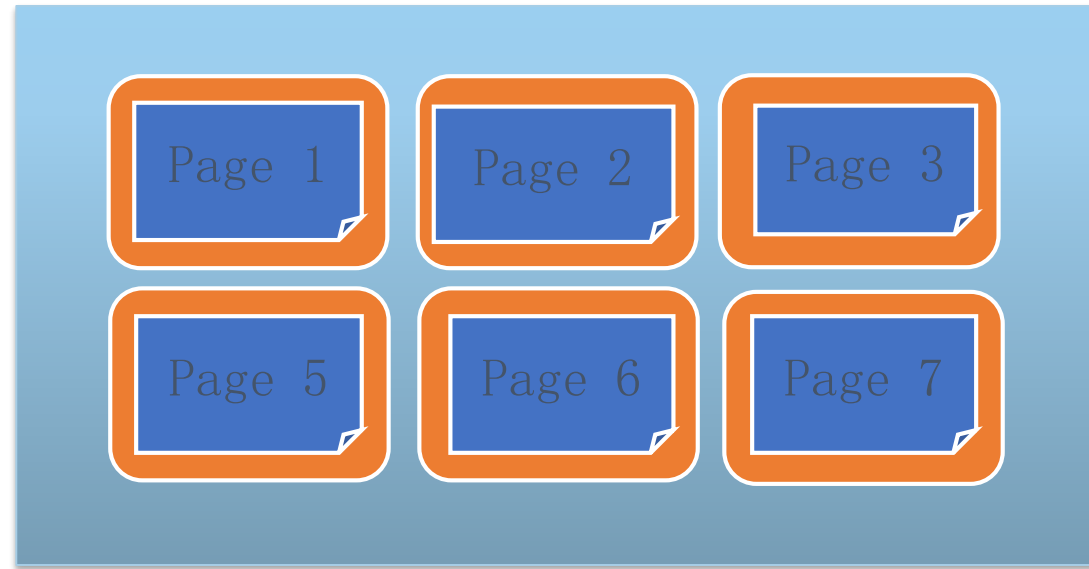
Get the picture? A worst-case scenario!
“Sequential Flooding”

Disk Space Manager

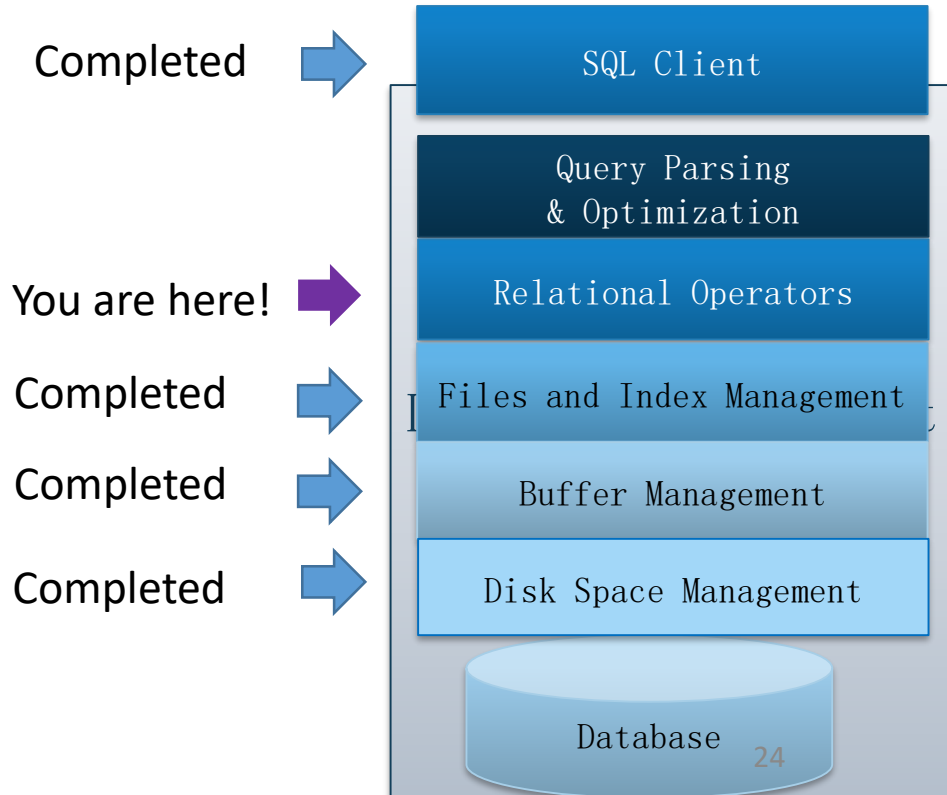


Repeated Scan (MRU): Read Page 5

- Cache Hits: 10
- Attempts: 19



5. Relational Algebra



* SQL vs Relational Algebra

SQL Query

```
SELECT S.name
FROM Reserves R, Sailors S
WHERE R.sid = S.sid
AND R.bid = 100
AND S.rating > 5
```

Query Parser
& Optimizer

Relational Algebra

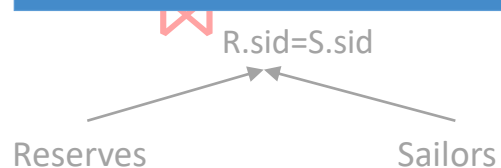
$$\pi_{S.name}(\sigma_{bid=100 \wedge rating > 5}(\text{Reserves} \bowtie_{R.sid=S.sid} \text{Sailors}))$$

Equivalent to...

(Lo

SQL

A **declarative** expression
of the query result



But actually will
produce...

Relational Algebra

Operational description of
a computation.

Operator Code

B+-Tree
Indexed
Iterator

Systems execute relational algebra
query plan.

Relational Algebra Preliminaries

- Algebra of operators on relation instances
- $\pi_{S.name}(\sigma_{R.bid=100 \wedge S.rating>5}(R \bowtie_{R.sid=S.sid} S))$
 - Closed: result is also a relation instance
 - Enables rich composition!
 - Typed: input schema determines output
 - Can statically check whether queries are legal.
 - Pure relational algebra has set semantics
 - No duplicate tuples in a relation instance
 - vs. SQL, which has multiset (bag) semantics

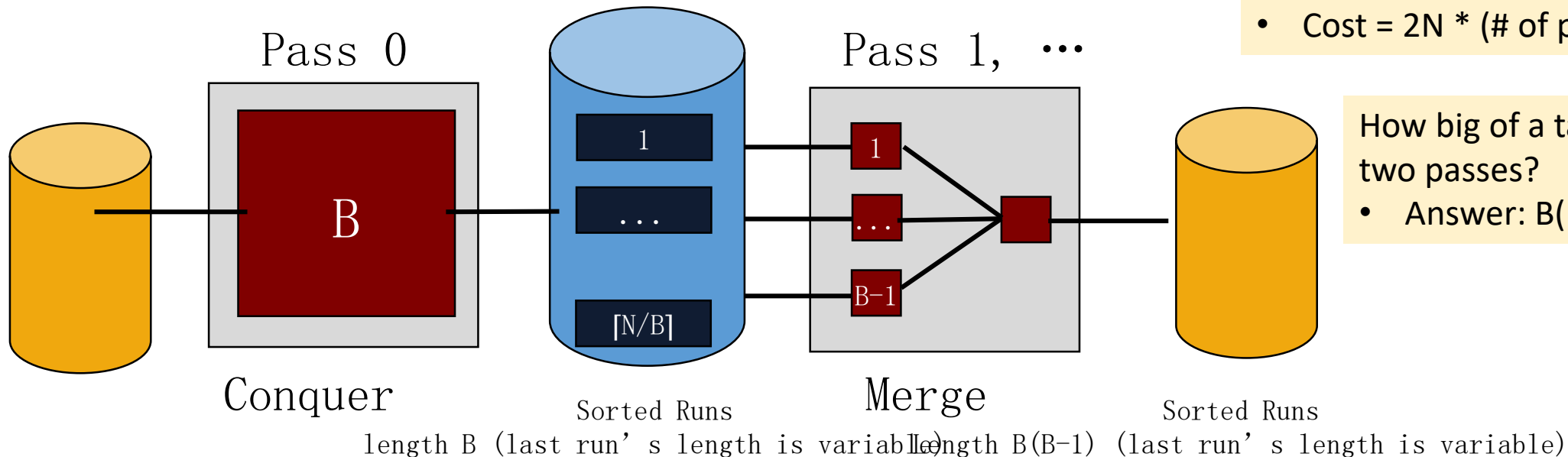
Relational Algebra Operators

- Unary Operators: on **single relation**
 - **Projection** (π): Retains only desired columns (vertical)
 - **Selection** (σ): Selects a subset of rows (horizontal)
 - **Renaming** (ρ): Rename attributes and relations.
- Binary Operators: on **pairs of relations**
 - **Union** (\cup): Tuples in r1 or in r2.
 - **Set-difference** ($-$): Tuples in r1, but not in r2.
 - **Cross-product** (\times): Allows us to combine two relations.
- Compound Operators: common “*macros*” for the above
 - **Intersection** (\cap): Tuples in r1 and in r2.
 - **Joins** (\bowtie_{θ} , \bowtie): Combine relations that satisfy predicates

6. Sorting and Hashing

General External Merge Sort

- More than 3 buffer pages. How can we utilize them?
 - Big batches in pass 0, many streams in merge passes
- To sort a file with N pages using B buffer pages:
 - Pass 0: use B buffer pages. Produce $\lceil N / B \rceil$ sorted runs of B pages each.
 - Pass 1, 2, ..., etc.: merge $B-1$ runs at a time.



Cost

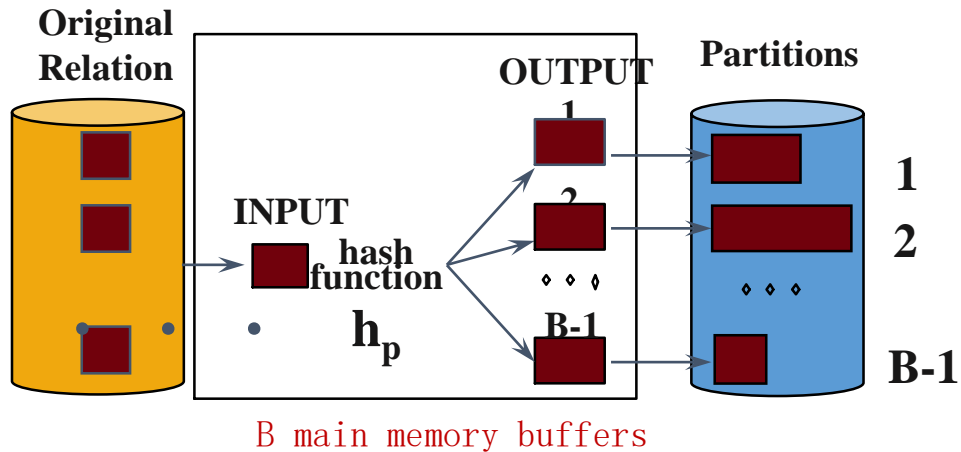
- Number of passes: $1 + \lceil \log_{B-1} \lceil N / B \rceil \rceil$
- Cost = $2N * (\text{\# of passes})$

How big of a table can we sort in two passes?

- Answer: $B(B-1)$.

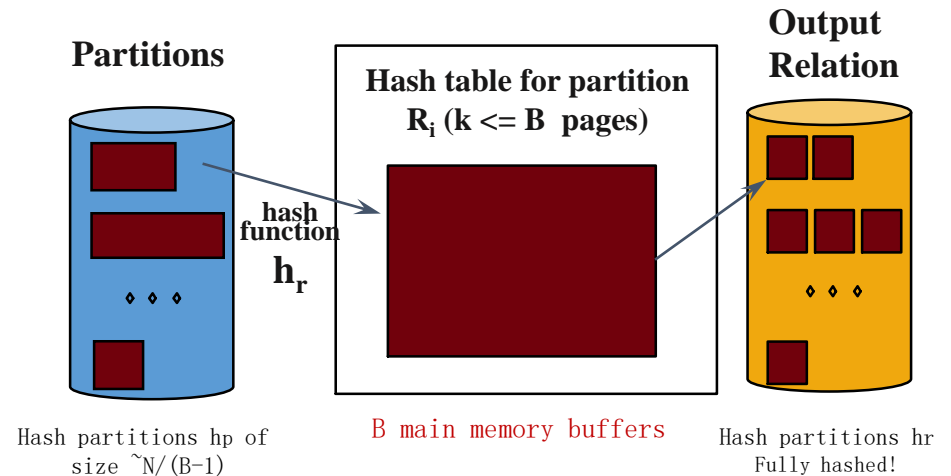
Two Phases of Hash

- Partition:
(Divide)



cost = $2 * N * (\text{\#passes}) = 4 * N$ IO's
(includes initial read, final write)

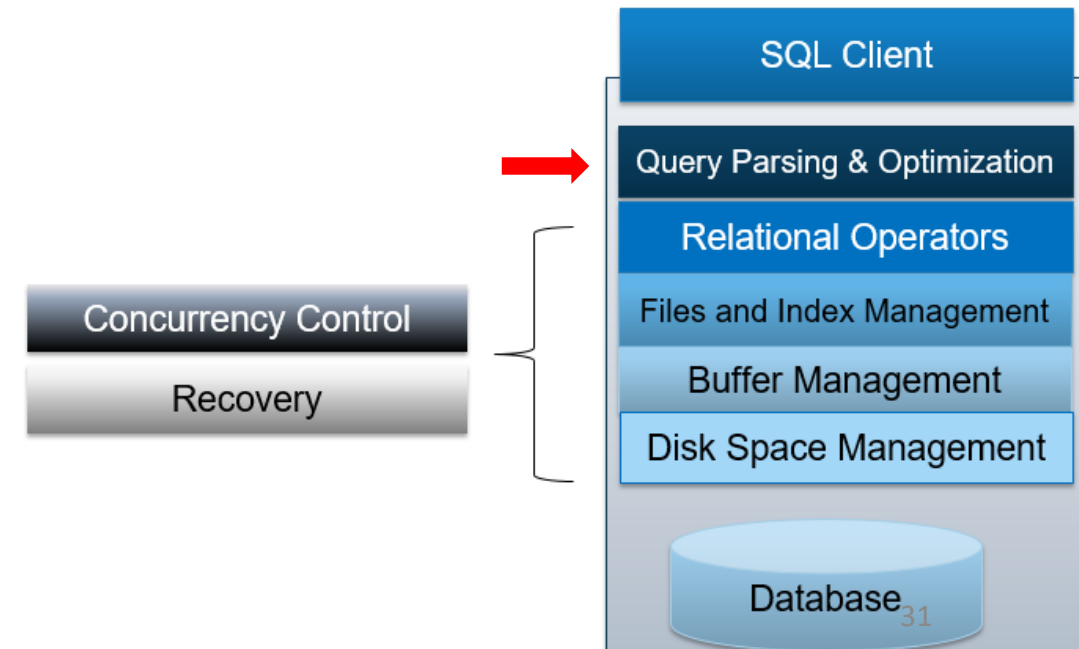
- Rehash:
(Conquer)



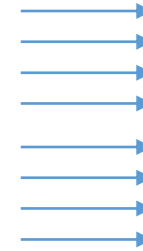
How big of a table can we sort in two passes?

- Answer: $B(B-1)$.

7. Iterations and Joins



~~“Block”~~ “Chunk” Nested Loop Join

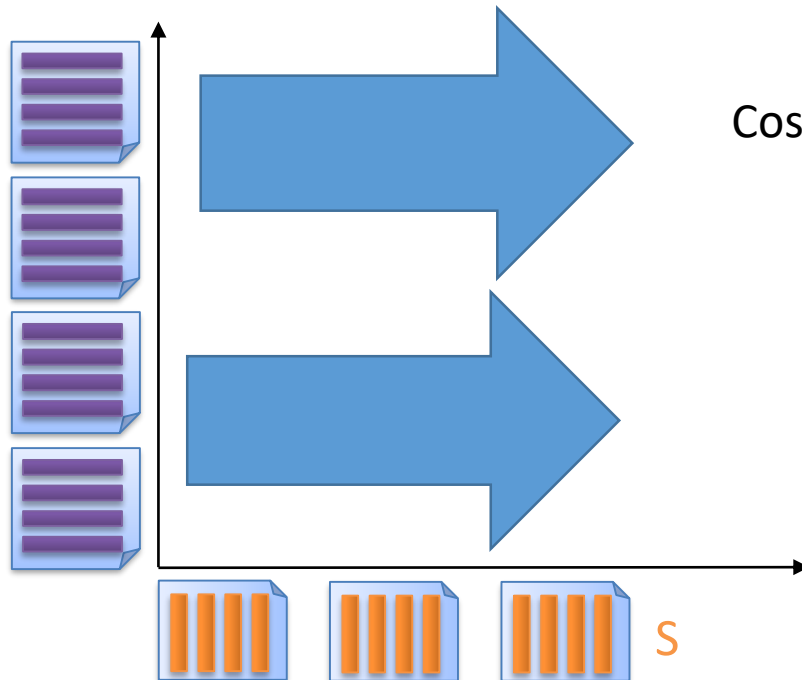


for each rchunk of B-2 pages of R:

for each spage of S:

for all matching tuples in spage and rchunk:

add <rtuple, stuple> to result buffer



$$\begin{aligned}\text{Cost} &= [R] + \lceil [R]/(B-2) \rceil * [S] \\ &= 1000 + \lceil 1000/(B-2) \rceil * 500 \\ &= 6,000 \text{ for } B=102 (\sim 100\text{x better than Page NL!})\end{aligned}$$

Which is the inner / outer relation?

Index Nested Loops Join

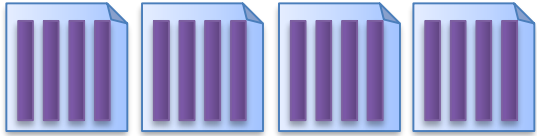


foreach **tuple** r in R do

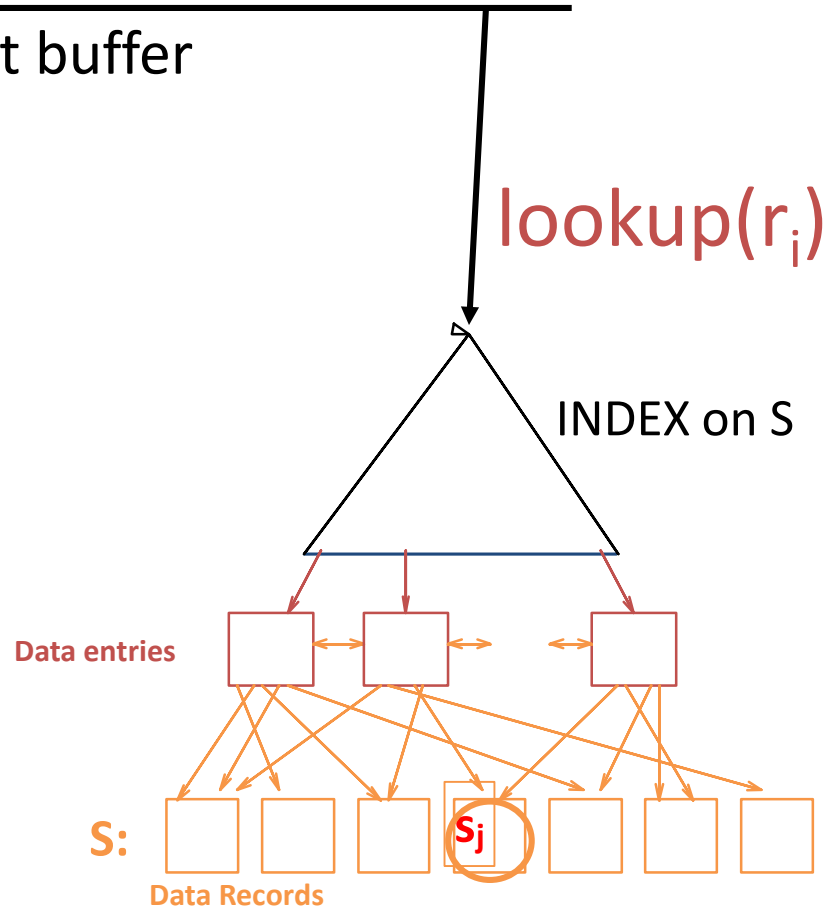
 foreach **tuple** s in S where $r_i == s_j$ do

 add $\langle r_i, s_j \rangle$ to result buffer

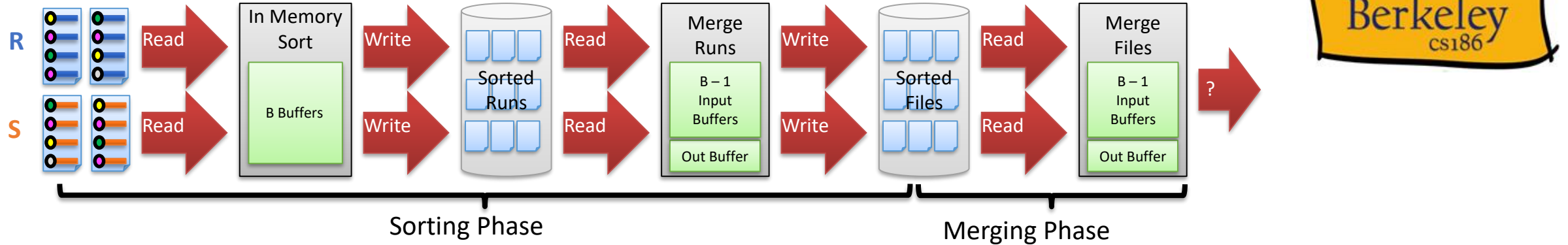
R



Cost = $[R] + |R| * \text{cost to find matching } S \text{ tuples}$

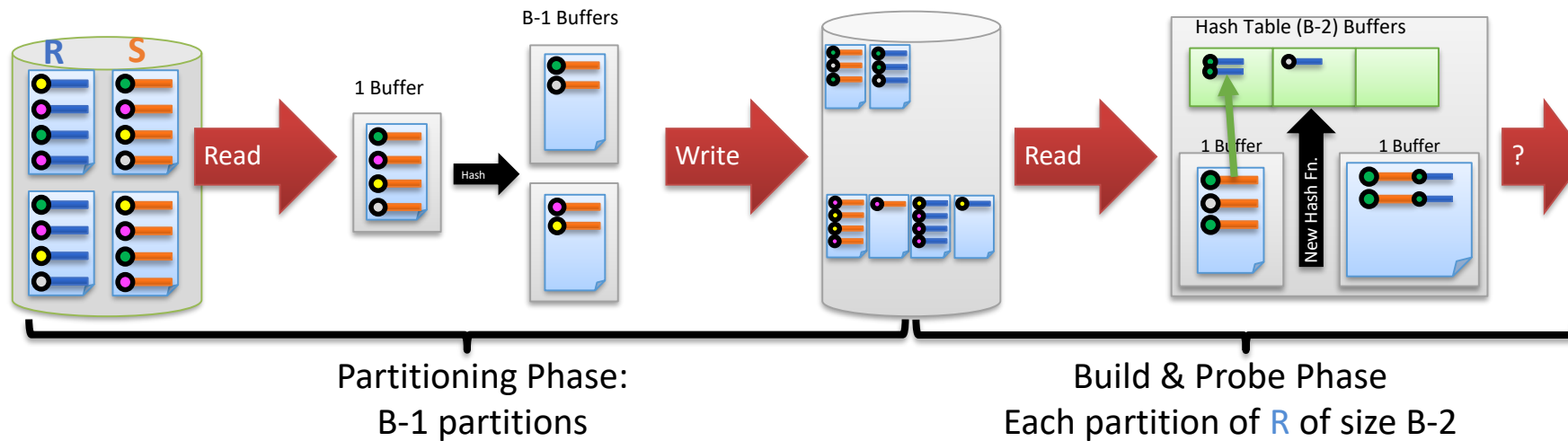


Cost of Sort-Merge Join



- Cost: $\text{Sort } R + \text{Sort } S + ([R] + [S])$
 - But in worst case, last term could be $|R| * [S]$ (very unlikely!)
 - Q: what is worst case?
- Question: How big does the buffer have to be to sort both R and S in two passes each?
- Suppose buffer $B > \sqrt{(\max([R], [S]))}$
 - Both R and S can be sorted in 2 passes
 - $4 * 1000 + 4 * 500 + (1000 + 500) = 7500$

Summary of Grace Hash Join



- Partitioning phase: read+write both relations
② $2([R] + [S])$ I/Os
- Matching phase: read both relations, forward output
② $[R] + [S]$
- Total cost of 2-pass hash join = $3([R] + [S])$

- **Memory Requirements?**
- Build hash table on R with uniform partitioning
 - **Partitioning Phase** divides R into $(B-1)$ runs of size $[R] / (B-1)$
 - **Matching Phase** requires each $[R] / (B-1) < (B-2)$
 - $R < (B-1)(B-2) \approx B^2$
- Note: no constraint on size of S (probing relation)!

8. Query Optimization

- Completed →
- You are here →
- Completed →
- Completed →
- Completed →
- Completed →



Big Picture of System R Optimizer

- Works well for up to 10-15 joins.
- **Plan Space:** Too large, must be pruned.
 - Algorithmic insight:
 - Many plans could have the same “overpriced” subtree
 - Ignore all those plans
 - Common heuristic: consider only left-deep plans
 - Common heuristic: avoid Cartesian products
- Cost estimation
 - Very inexact, but works ok in practice.
 - Stats in system catalogs used to estimate sizes & costs
 - Considers combination of CPU and I/O costs.
 - System R’s scheme has been improved since that time.
- Search Algorithm: Dynamic Programming

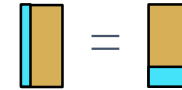
Result Size Estimation

- Result cardinality = Max # tuples * **product** of all selectivities.
- Term col=value (given NKeys(I) on col)
 - $\text{sel} = 1/\text{NKeys}(I)$
- Term col1=col2 (handy for joins too...)
 - $\text{sel} = 1/\text{MAX}(\text{NKeys}(I1), \text{NKeys}(I2))$
 - Why MAX? See bunnies in 2 slides...
- Term col>value
 - $\text{sel} = (\text{High}(I) - \text{value}) / (\text{High}(I) - \text{Low}(I) + 1)$
- Note, if missing the needed stats, assume 1/10!!!

$$\text{selectivity} = |\text{output}| / |\text{input}|$$

Upshot

- Know how to compute selectivities for basic predicates
 - The original Selinger version
 - The histogram version
- **Assumption 1:** uniform distribution within histogram bins
 - Within a bin, fraction of range = fraction of count
- **Assumption 2:** independent predicates
 - Selectivity of AND = product of selectivities of predicates
 - Selectivity of OR = sum of selectivities of predicates - product of selectivities of predicates
 - Selectivity of NOT = 1 – selectivity of predicates
- Joins are not a special case
 - Simply compute the selectivity of all predicates
 - And multiply by the product of the table sizes



Enumeration of Left-Deep Plans

- Left-deep plans differ in
 - the order of relations
 - the access method for each leaf operator
 - the join method for each join operator
- Enumerated using N passes (if N relations joined):
 - **Pass 1:** Find best 1-relation plan for each relation
 - **Pass i:** Find best way to join result of an (i -1)-relation plan (as outer) to the i'th relation. (i between 2 and N.)
- For each subset of relations, retain only:
 - Cheapest plan overall, plus
 - Cheapest plan for each *interesting order* of the tuples.

