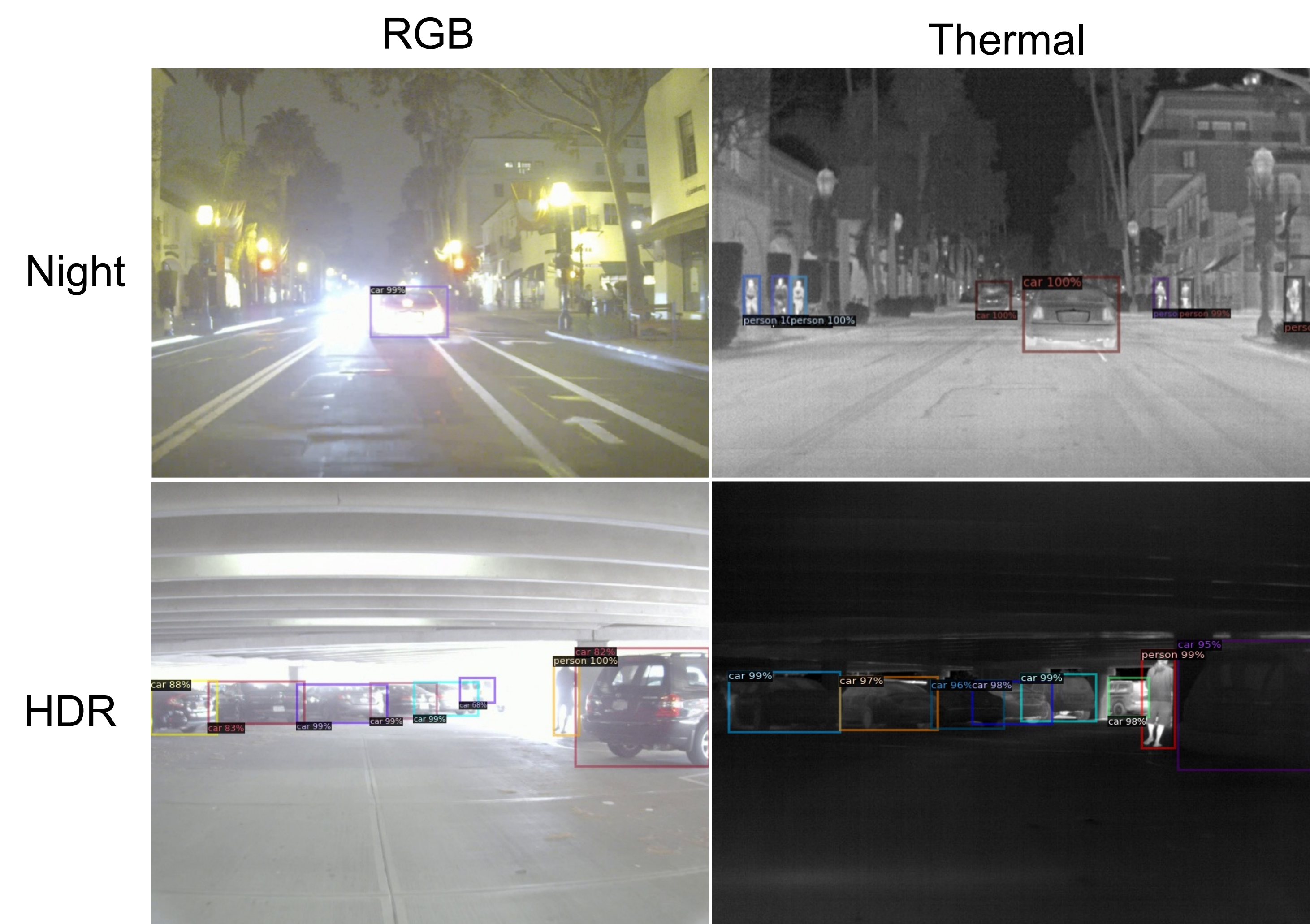
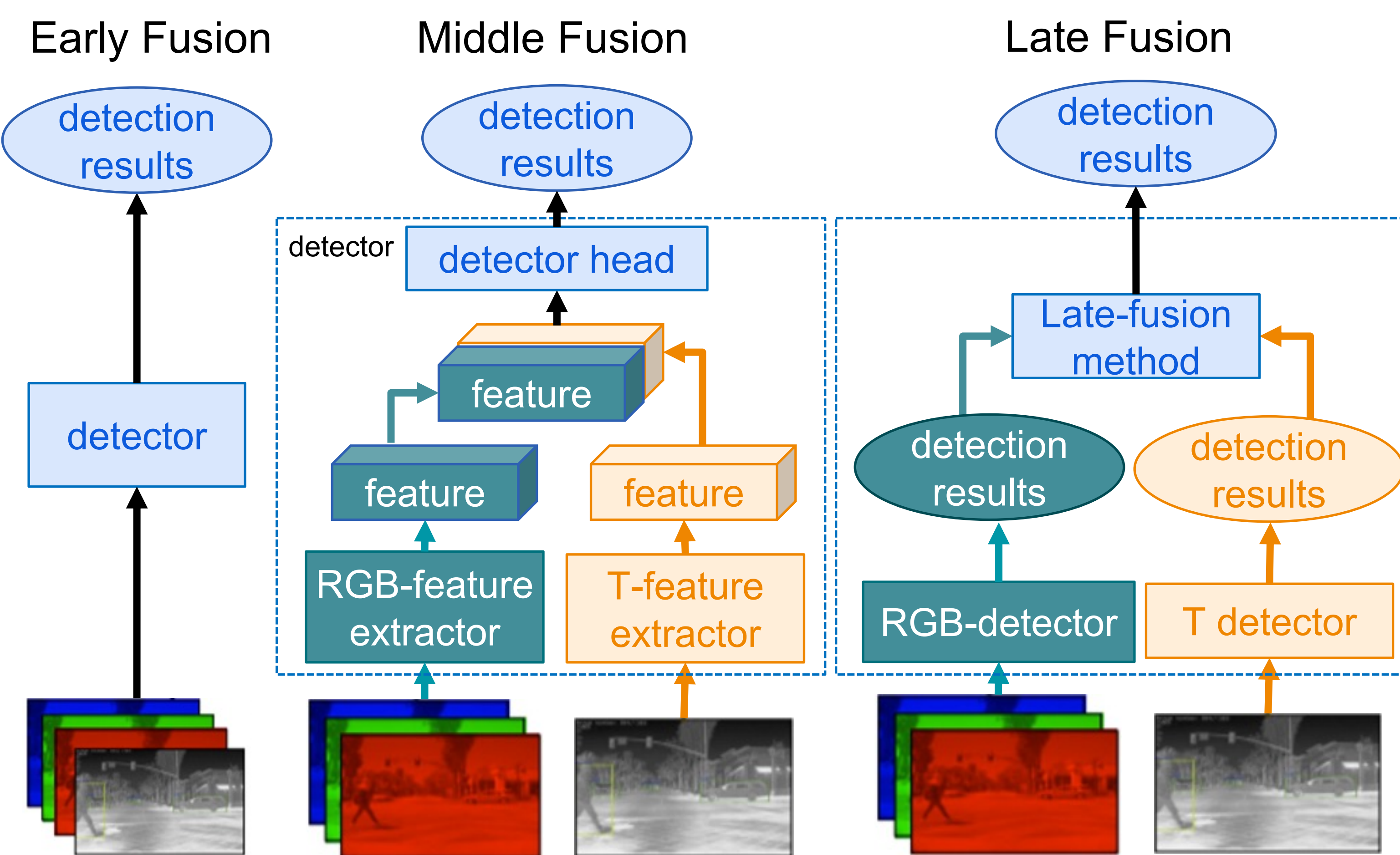


## Motivation

- RGB and thermal modalities are **complementary**
- Different scenarios

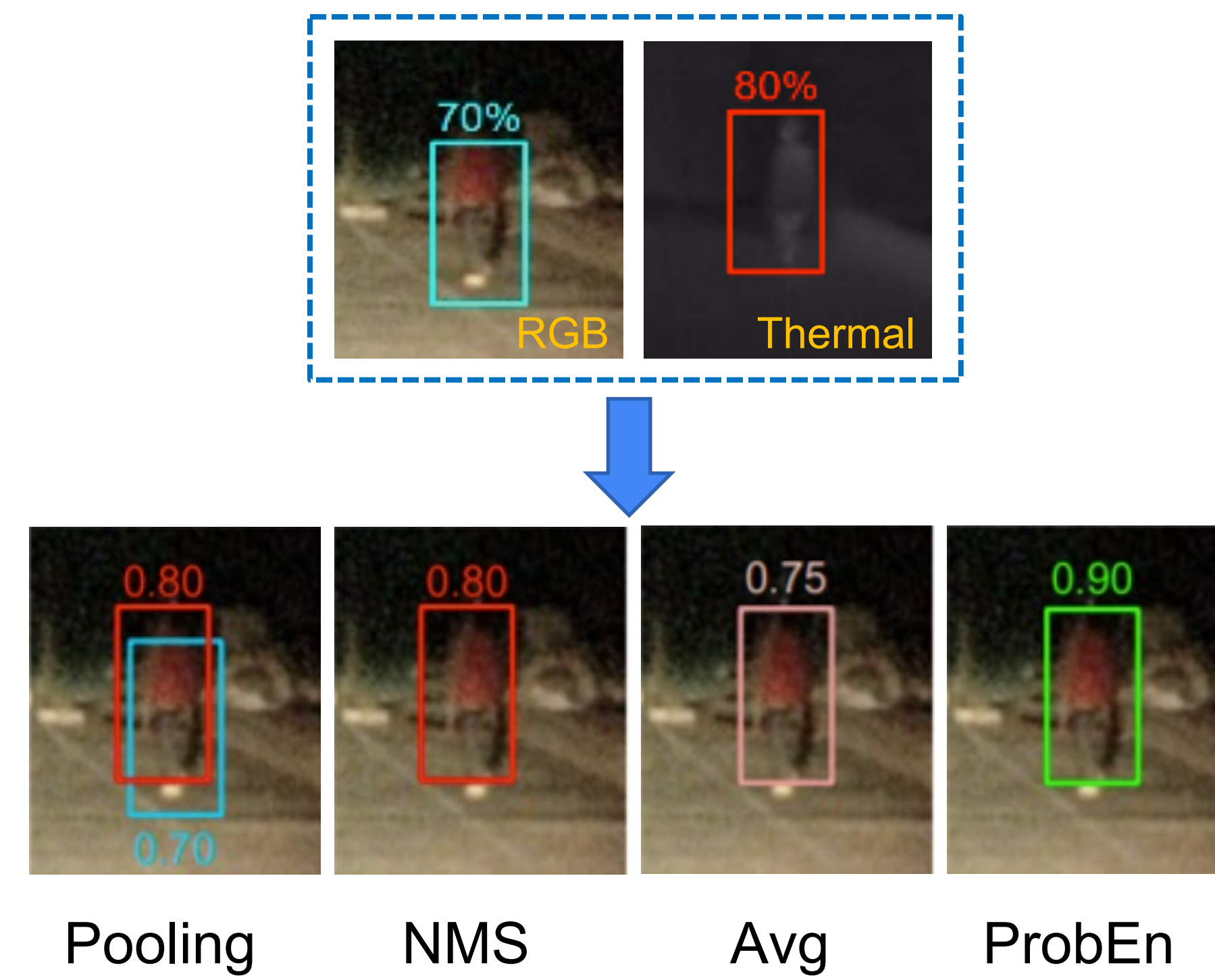


## Multimodal Fusion Strategy



## Proposed Method

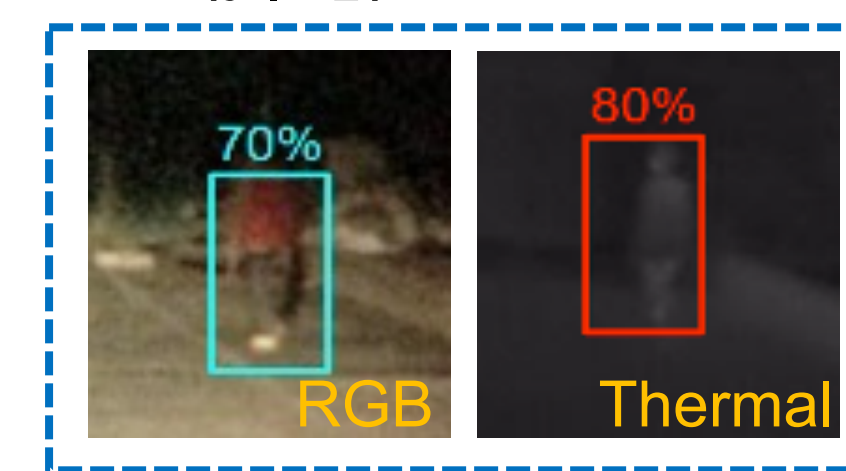
- Score fusion



- Probabilistic Ensembling

Measurement

$p(y|x_1)$   $p(y|x_2)$

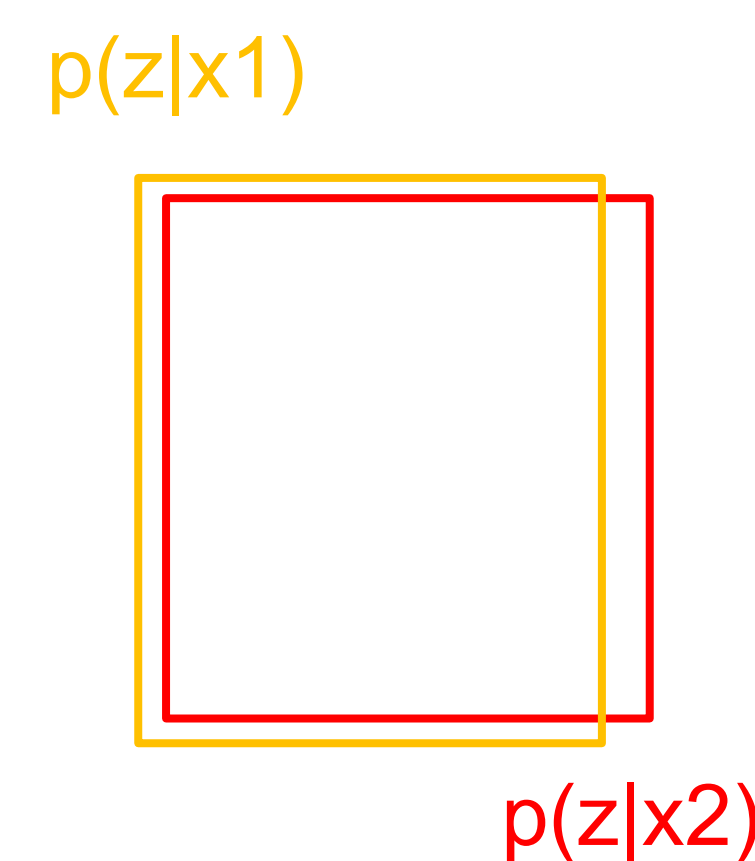


Late fusion



ProbEn

- Box fusion



- Assume conditional independence

$$p(x_1, x_2|y) = p(x_1|y)p(x_2|y)$$

- Given multimodal measurement

$$p(y|x_1, x_2) = \frac{p(x_1, x_2|y)p(y)}{p(x_1, x_2)} \propto p(x_1, x_2|y)p(y)$$

- Bayes rule

$$\begin{aligned} p(y|x_1, x_2) &\propto p(x_1|y)p(x_2|y)p(y) \\ &\propto \frac{p(x_1|y)p(y)p(x_2|y)p(y)}{p(y)} \\ &\propto \frac{p(y|x_1)p(y|x_2)}{p(y)} \end{aligned}$$

- Assume Gaussian posterior

$$p(\mathbf{z}|x_i) = \mathcal{N}(\boldsymbol{\mu}_i, \sigma_i^2 \mathbf{I})$$

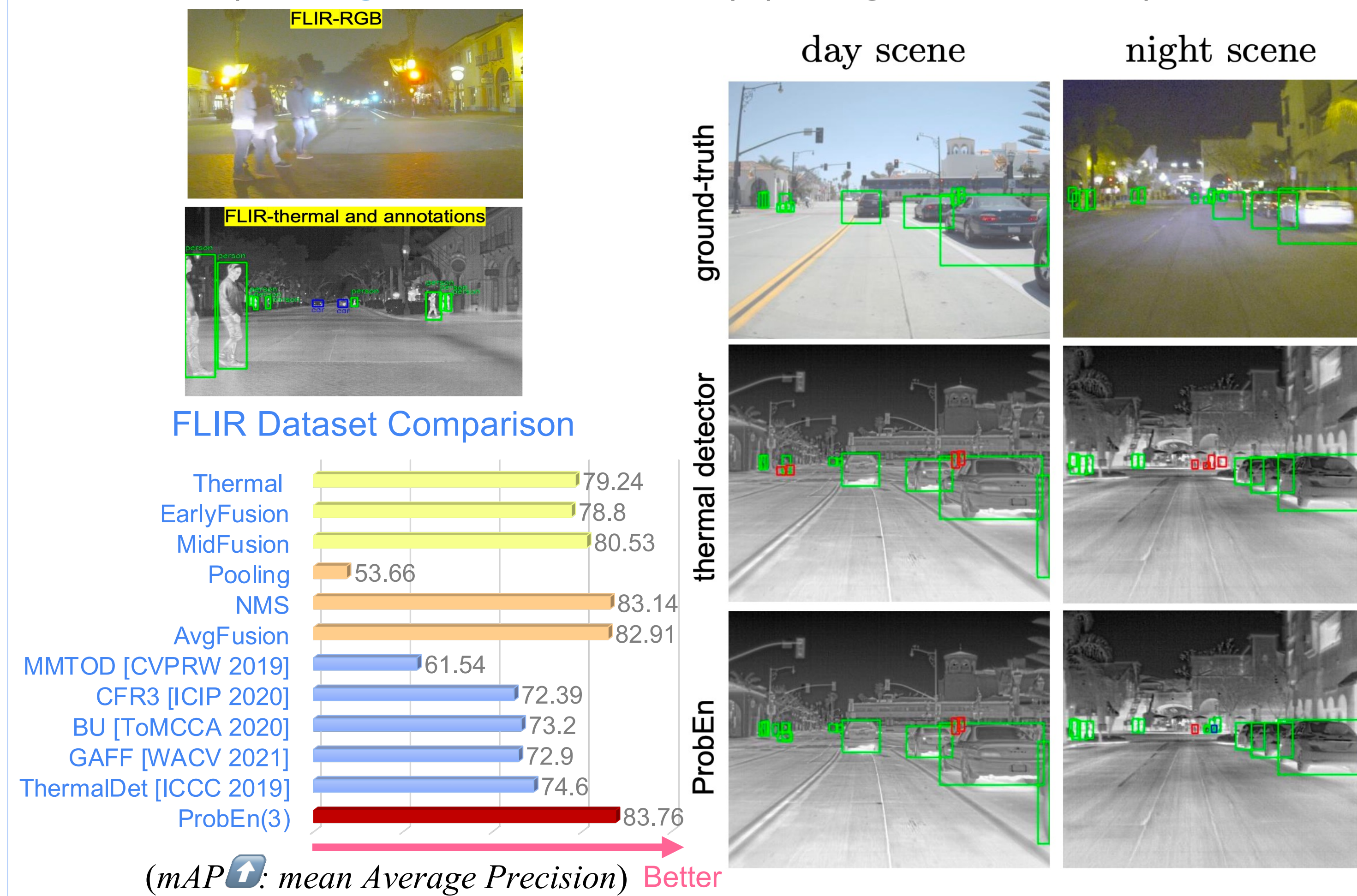
- Conform with conditional independence

$$\begin{aligned} p(\mathbf{z}|x_1, x_2) &\propto p(\mathbf{z}|x_1)p(\mathbf{z}|x_2) \\ &\propto \exp\left(\frac{\|\mathbf{z} - \boldsymbol{\mu}_1\|^2}{-2\sigma_1^2}\right) \exp\left(\frac{\|\mathbf{z} - \boldsymbol{\mu}_2\|^2}{-2\sigma_2^2}\right) \\ &\propto \exp\left(\frac{\frac{1}{\sigma_1^2} + \frac{1}{\sigma_2^2}}{-2} * \|\mathbf{z} - \boldsymbol{\mu}\|^2\right) \end{aligned}$$

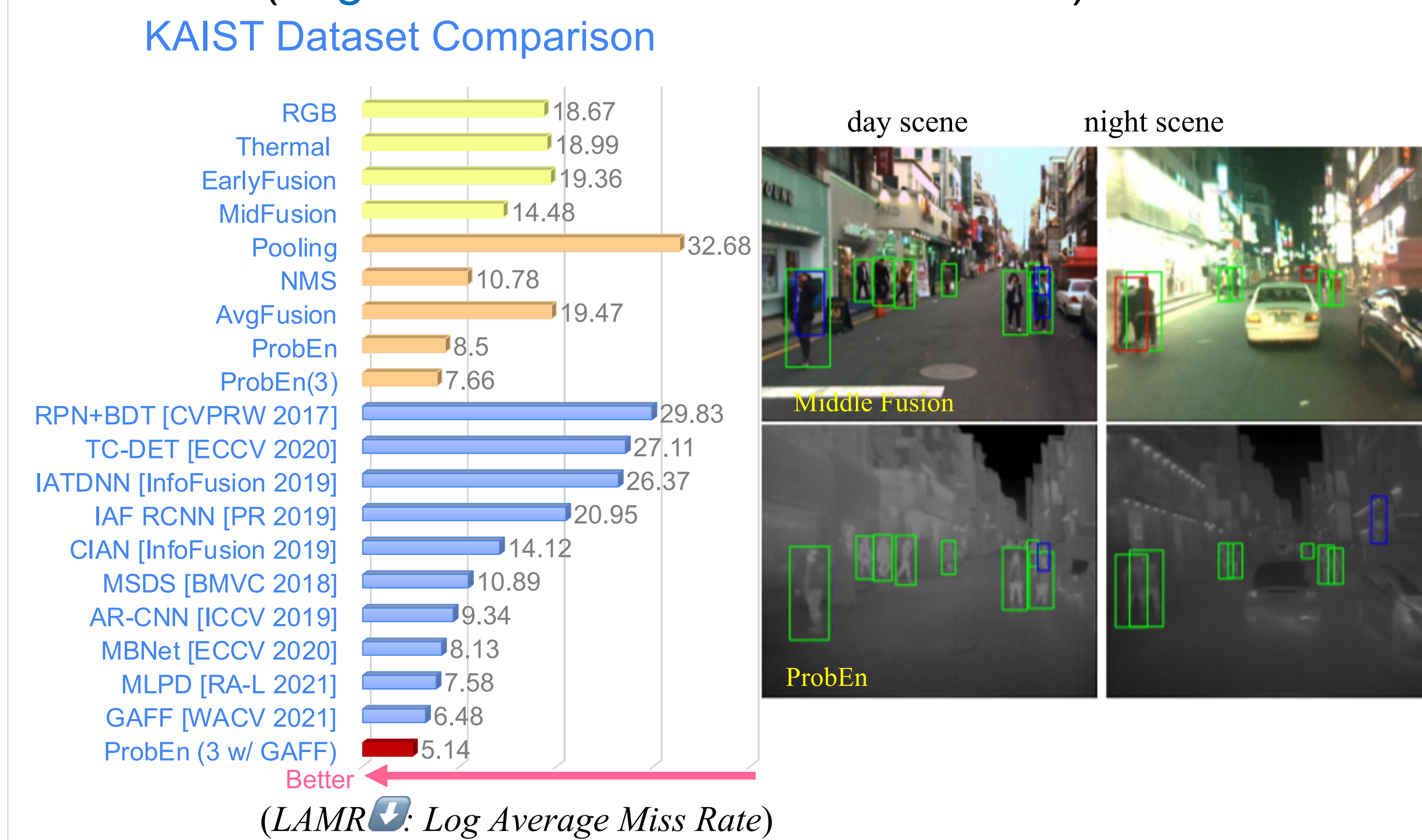
$$\text{where } \boldsymbol{\mu} = \frac{\frac{\boldsymbol{\mu}_1}{\sigma_1^2} + \frac{\boldsymbol{\mu}_2}{\sigma_2^2}}{\frac{1}{\sigma_1^2} + \frac{1}{\sigma_2^2}}$$

## Experiment

- FLIR (**Unaligned** / multiclass(3) / high resolution)



- KAIST (**Aligned** / one class / low resolution)



## Conclusion

- ProbEn is significantly better than heuristic methods (e.g., Avg fusion and NMS).
- ProbEn still improves when the conditional independence assumption does not hold.
- ProbEn outperforms significantly than other fusion methods.