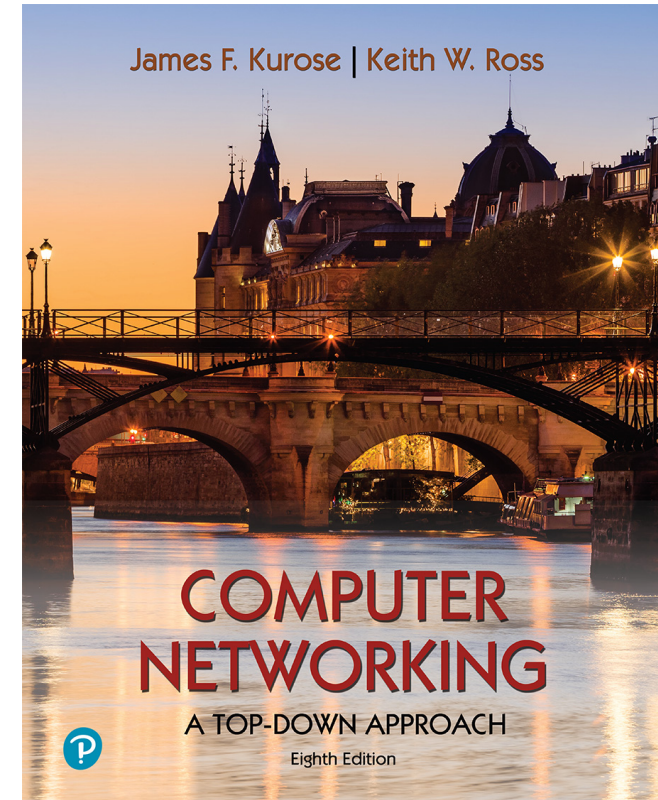


Midterm Exam Problems



Computer Networking: A Top-Down Approach

8th edition

Jim Kurose, Keith Ross
Pearson, 2020

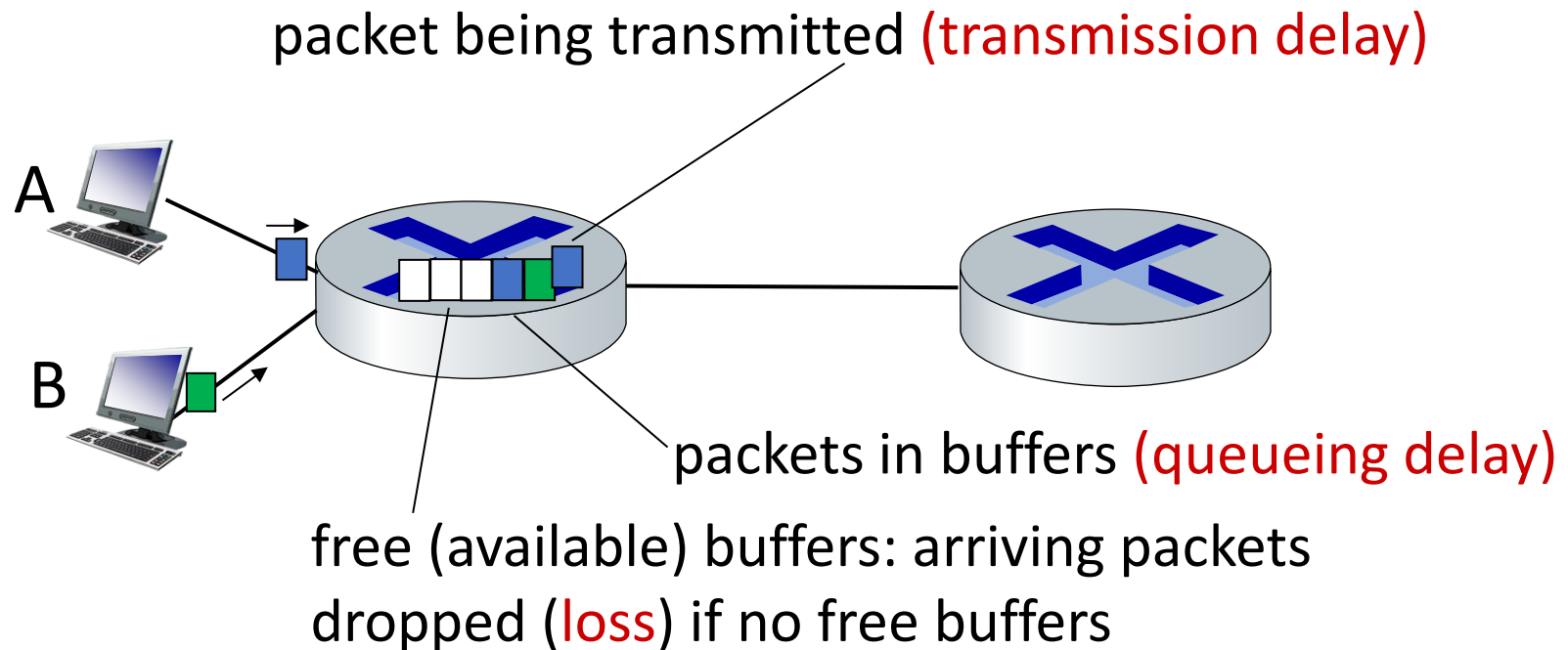
Chapter 1: roadmap

- What *is* the Internet?
- What *is* a protocol?
- Network edge: hosts, access network, physical media
- Network core: packet/circuit switching, internet structure
- **Performance: loss, delay, throughput**
- Security
- Protocol layers, service models

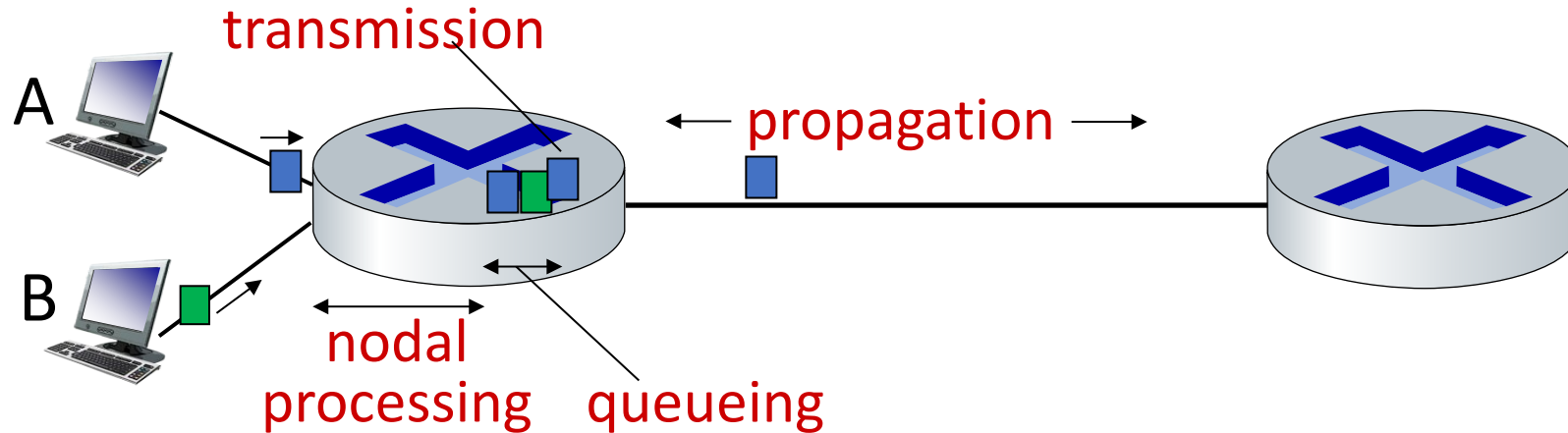


How do packet delay and loss occur?

- packets *queue* in router buffers, waiting for turn for transmission
 - queue length grows when arrival rate to link (temporarily) exceeds output link capacity
- packet *loss* occurs when memory to hold queued packets fills up



Packet delay: four sources



$$d_{\text{nodal}} = d_{\text{proc}} + d_{\text{queue}} + d_{\text{trans}} + d_{\text{prop}}$$

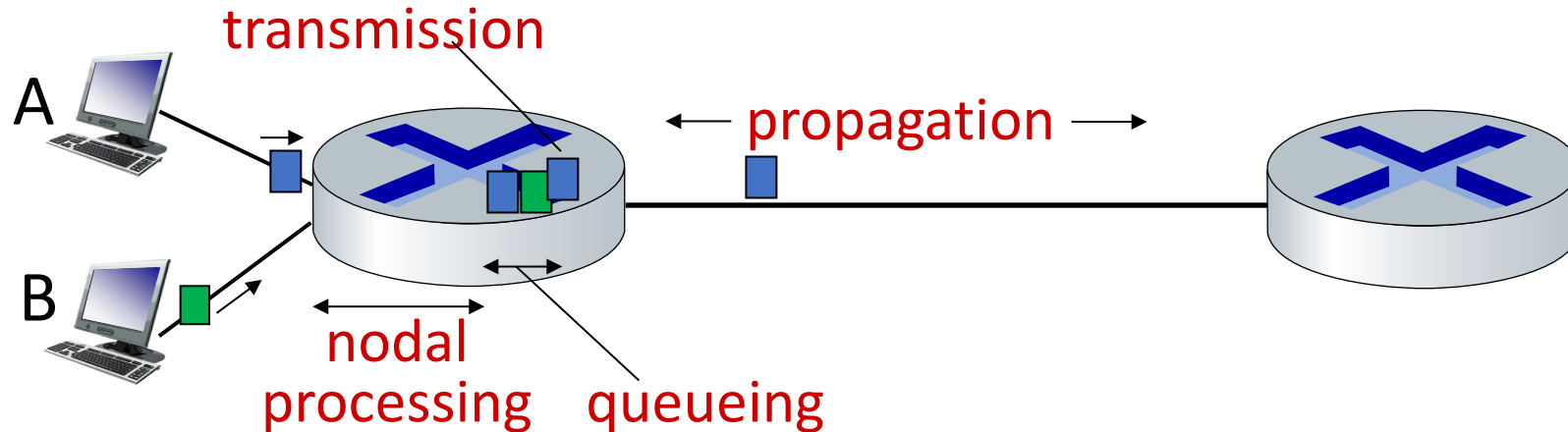
d_{proc} : nodal processing

- check bit errors
- determine output link
- typically < microsecs

d_{queue} : queueing delay

- time waiting at output link for transmission
- depends on congestion level of router

Packet delay: four sources



$$d_{\text{nodal}} = d_{\text{proc}} + d_{\text{queue}} + d_{\text{trans}} + d_{\text{prop}}$$

d_{trans} : transmission delay:

- L : packet length (bits)
- R : link transmission rate (bps)

$$d_{\text{trans}} = L/R$$

d_{prop} : propagation delay:

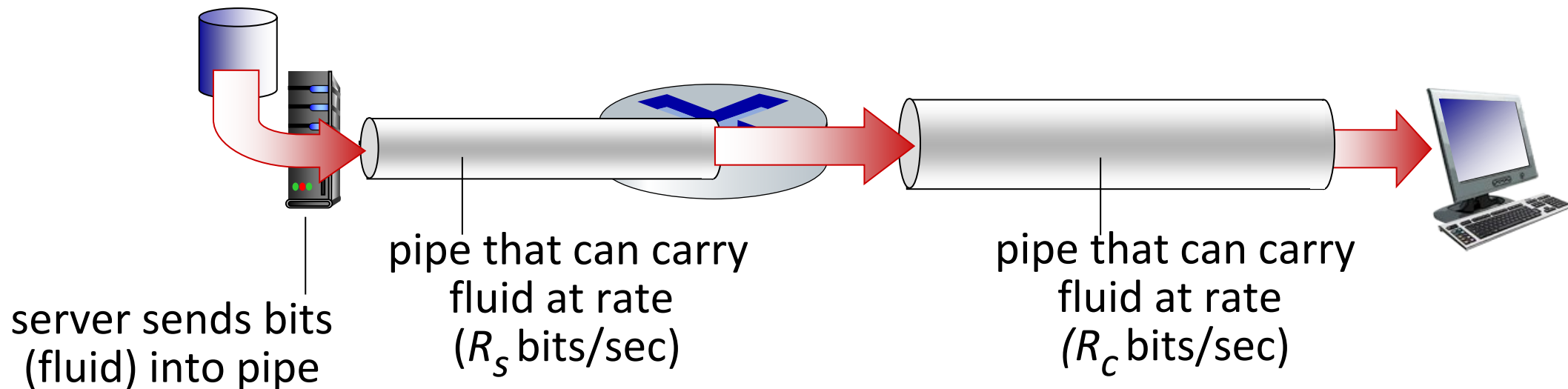
- d : length of physical link
- s : propagation speed ($\sim 2 \times 10^8$ m/sec)

$$d_{\text{prop}} = d/s$$

d_{trans} and d_{prop}
very different

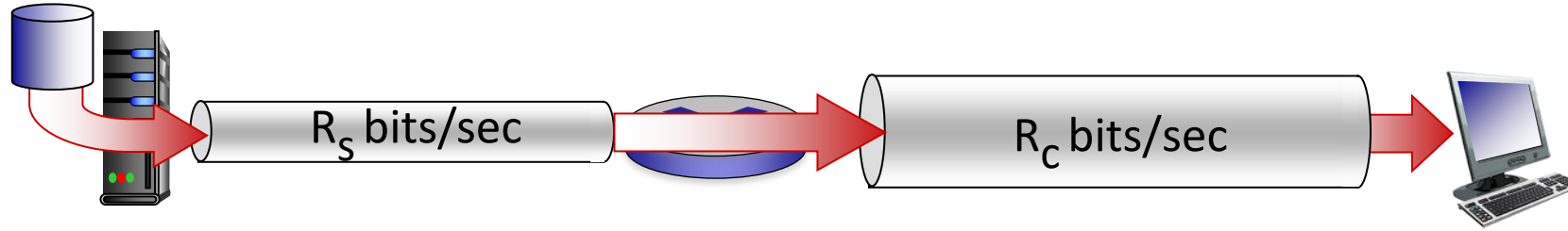
Throughput

- *throughput*: rate (bits/time unit) at which bits are being sent from sender to receiver
 - *instantaneous*: rate at given point in time
 - *average*: rate over longer period of time

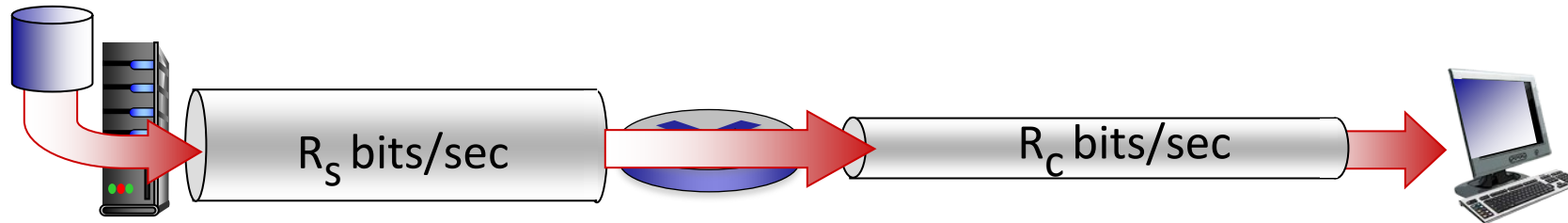


Throughput

$R_s < R_c$ What is average end-end throughput?



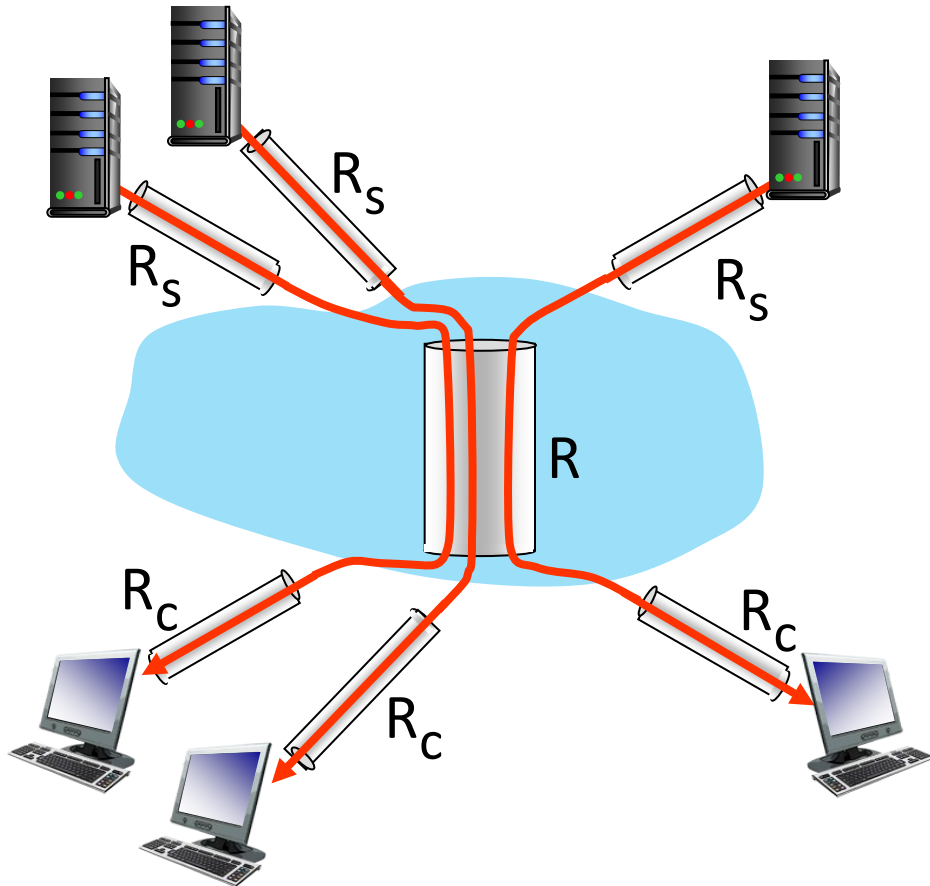
$R_s > R_c$ What is average end-end throughput?



bottleneck link

link on end-end path that constrains end-end throughput

Throughput: network scenario

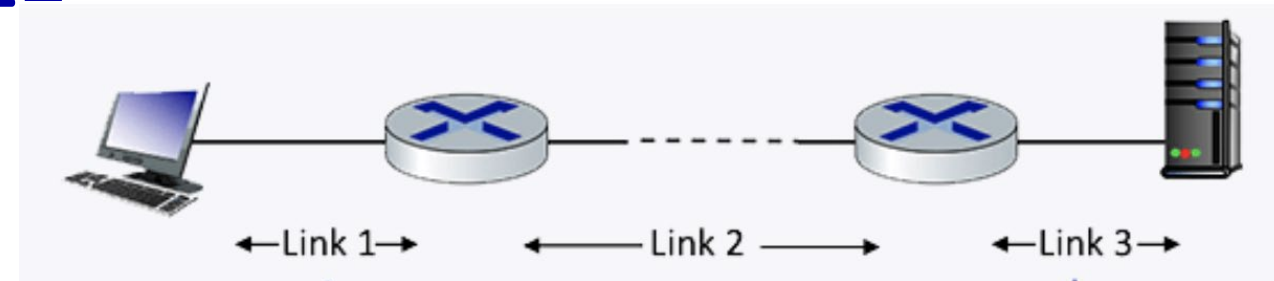


10 connections (fairly) share
backbone bottleneck link R bits/sec

- per-connection end-end throughput:
 $\min(R_c, R_s, R/10)$
- in practice: R_c or R_s is often bottleneck
- Link utilization: used bandwidth/available bandwidth. For the three links:
 - $\min(R_c, R_s, R/10)/R_s$
 - $\min(R_c, R_s, R/10)/(R/10)$
 - $\min(R_c, R_s, R/10)/R_c$

Midterm Question 1.4-01a

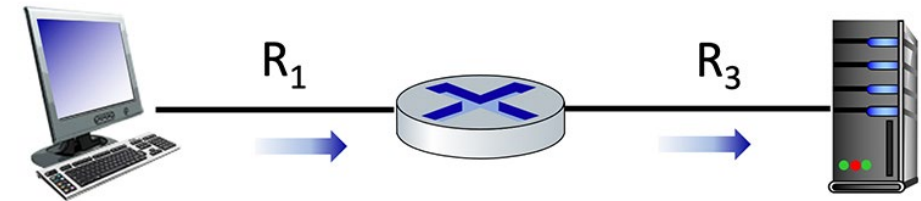
- 1.4-01a. Performance: Delay. Consider the network shown in the figure below, with three links, each with a transmission rate of 1 Mbps, and a propagation delay of 1 msec per link. Assume the length of a packet is 1000 bits.
- What is the end-end delay of a packet from when it first begins transmission on link 1, until it is received in full by the server at the end of link 3. You can assume that queueing delays and packet processing delays are zero, but make sure you include packet transmission time delay on all links. Assume store-and-forward packet transmission.



- Each link has transmission delay $1000 \text{ bits} / 1 \text{ Mbps} = 1 \text{ ms}$. So each link has total delay of transmission + propagation = $1 + 1 = 2 \text{ ms}$.
- For the three links, the total delay = $2 + 2 + 2 = 6 \text{ ms}$.

Midterm Question 1.4-01b

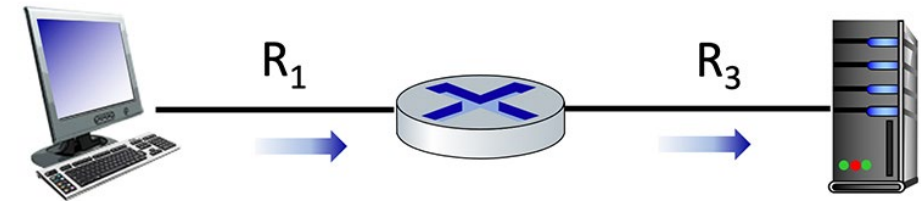
- Maximum end-end throughput. Consider the scenario shown below, with a single source client sending to a server over two links of capacities $R_1=100$ Mbps and $R_3=10$ Mbps.
- What is the maximum achievable end-end throughput (in Mbps, give an integer value) for the client-to-server pair, assuming that the client is trying to send at its maximum rate?



- $\min(R_1, R_3) = \min(100, 10) = 10$ Mbps.

Midterm Question 1.4-01c

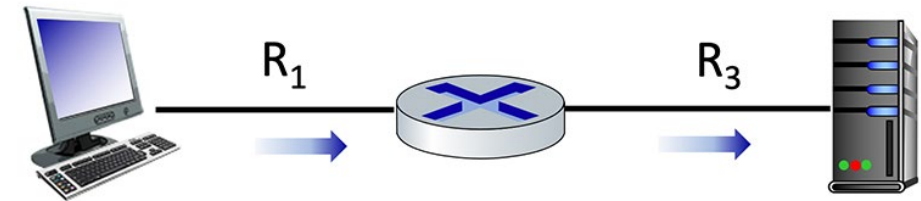
- Performance: Maximum end-end throughput. Consider the scenario shown below, with a single source client sending to a server over two links of capacities $R_1=10$ Mbps and $R_3=100$ Mbps.
- What is the maximum achievable end-end throughput (in Mbps, give an integer value) for the client-to-server pair, assuming that the client is trying to send at its maximum rate?



- $\min(R_1, R_3) = \min(10, 100) = 10$ Mbps.

Midterm Question 1.4-01c

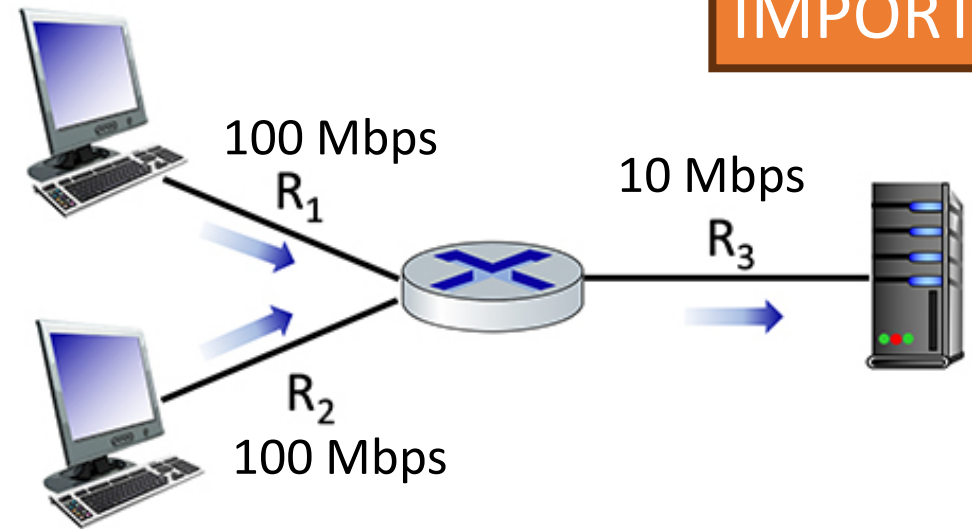
- Performance: Maximum end-end throughput. Consider the scenario shown below, with a single source client sending to a server over two links of capacities $R_1=10$ Mbps and $R_3=100$ Mbps.
- What is the maximum achievable end-end throughput (in Mbps, give an integer value) for the client-to-server pair, assuming that the client is trying to send at its maximum rate?



- $\min(R_1, R_3) = \min(10, 100) = 10$ Mbps.

Midterm Question 1.4-01d

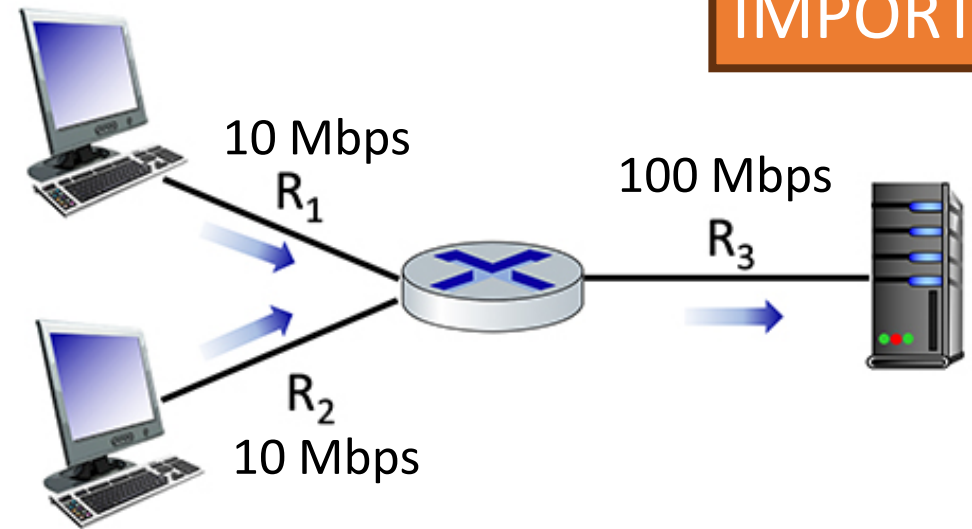
- 1.4-01e. Performance: Maximum end-end throughput. Consider the scenario shown below, with two clients sending to a server. The links attached to clients each have a capacity of $R_1 = R_2 = 100$ Mbps. The link from the router to the server has a capacity of $R_3 = 10$ Mbps, which is shared evenly between the two sources when they are each sending at their maximum rate.
- What is the maximum achievable end-end throughput (in Mbps, give an integer value) for each client-to-server pair, assuming that the client is trying to send at its maximum rate?



- The maximum achievable end-end throughput is $\min(R_1, R_3/2) = \min(R_2, R_3/2) = \min(100, 10/2) = 5$ Mbps.
- The shared 100 Mbps link is fairly shared among two end-to-end connections (R_1, R_3) and (R_2, R_3), hence each end-to-end connection gets $10/2 = 5$ Mbps.

Midterm Question 1.4-01e

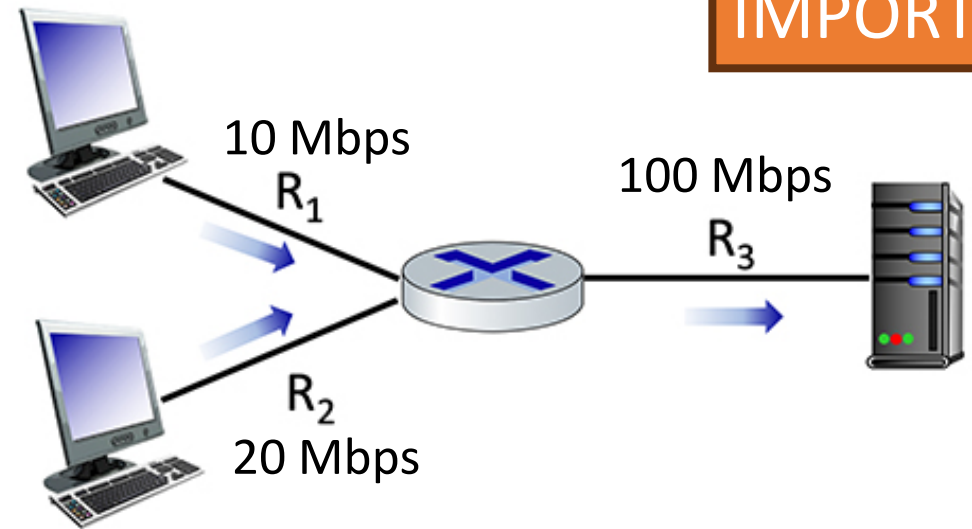
- 1.4-01e. Performance: Maximum end-end throughput. Consider the scenario shown below, with two clients sending to a server. The links attached to clients each have a capacity of $R_1 = R_2 = 10$ Mbps. The link from the router to the server has a capacity of and $R_3 = 100$ Mbps, which is shared evenly between the two sources when they are each sending at their maximum rate.
- What is the maximum achievable end-end throughput (in Mbps, give an integer value) for each client-to-server pair, assuming that the client is trying to send at its maximum rate?



- The maximum achievable end-end throughput is $\min(R_1, R_3/2) = \min(R_2, R_3/2) = \min(10, 100/2) = 10$ Mbps.
- The shared 100 Mbps link is fairly shared among two end-to-end connections (R_1, R_3) and (R_2, R_3) , hence each end-to-end connection gets $100/2 = 50$ Mbps.
- Note that $\min(R_1, R_2, R_3/2)$ is incorrect, since R_1 and R_2 are on different end-to-end connections.
- Remember that parallel links should never be put into the $\min()$ formula, only sequential links forming the same end-to-end connection should be in the same $\min()$ formula.

Midterm Question 1.4-01e variation

- 1.4-01e. Performance: Maximum end-end throughput. Consider the scenario shown below, with two clients sending to a server. The links attached to clients each have a capacity of $R_1 = 10$ Mbps, $R_2 = 20$ Mbps. The link from the router to the server has a capacity of and $R_3 = 100$ Mbps, which is shared evenly between the two sources when they are each sending at their maximum rate.
- What is the maximum achievable end-end throughput (in Mbps, give an integer value) for each client-to-server pair, assuming that the client is trying to send at its maximum rate?



IMPORTANT

- For client on top, the maximum achievable end-end throughput is $\min(R_1, R_3/2) = \min(10, 100/2) = 10$ Mbps.
- For client on bottom, the maximum achievable end-end throughput is $\min(R_2, R_3/2) = \min(20, 100/2) = 20$ Mbps.
- The shared 100 Mbps link is fairly shared among two end-to-end connections (R_1, R_3) and (R_2, R_3), hence each end-to-end connection gets $100/2=50$ Mbps.

Midterm Question 1.4-02a

- Consider the scenario shown in Figure 1 in which a server is connected to a router by a 100Mbps link with a 50ms propagation delay. Initially this router is also connected to two routers, each over a 50Mbps link with a 200ms propagation delay. A 1Gbps link connects a host and a cache (if present) to each of these routers and we assume that this link has 0 propagation delay. All packets in the network are 20,000 bits long.
- What is the end-to-end delay (in msec) from when a packet is transmitted by the server to when it is received by the client? In this case, we assume there are no caches, there's no queuing delay at the routers, and the packet processing delays at routers and nodes are all 0.

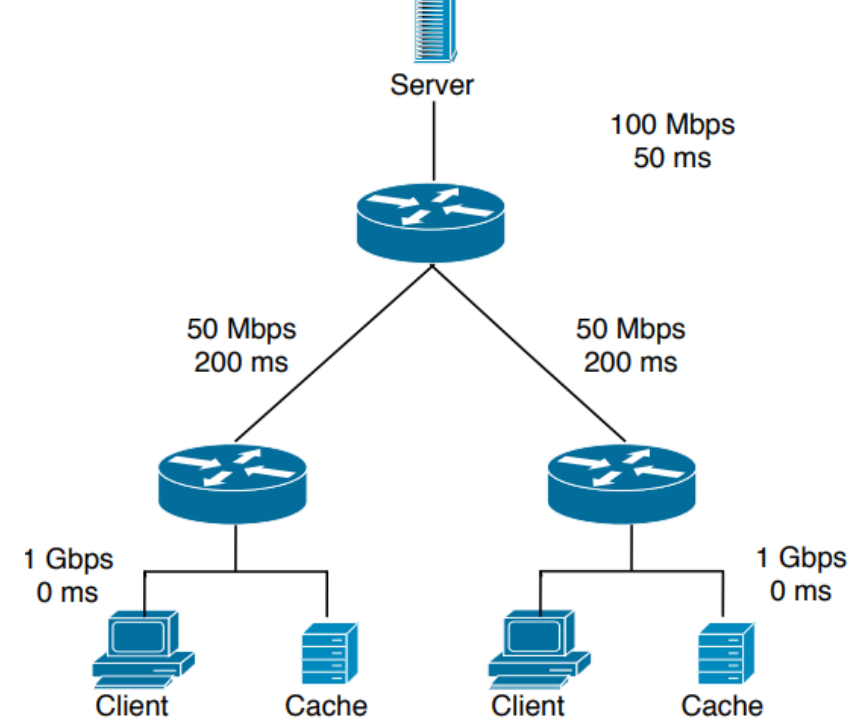


Figure 1

- ANS: If all packets are 20,000 bits long it takes 200 usec to send the packet over the 100Mbps link, 400 usec to send over the 50Mbps link, and 20 usec to send over the 1Gbps link.
- Sum of the three-link transmission is 620 usec. Thus, the total end-to-end delay is 250 ms + 620 usec = 250.62 msec.

Midterm Question 1.4-02b

- Here we assume that client hosts send requests for files directly to the server (caches are not used or off in this case). What is the maximum rate at which the server can deliver data to a single client if we assume no other clients are making requests?

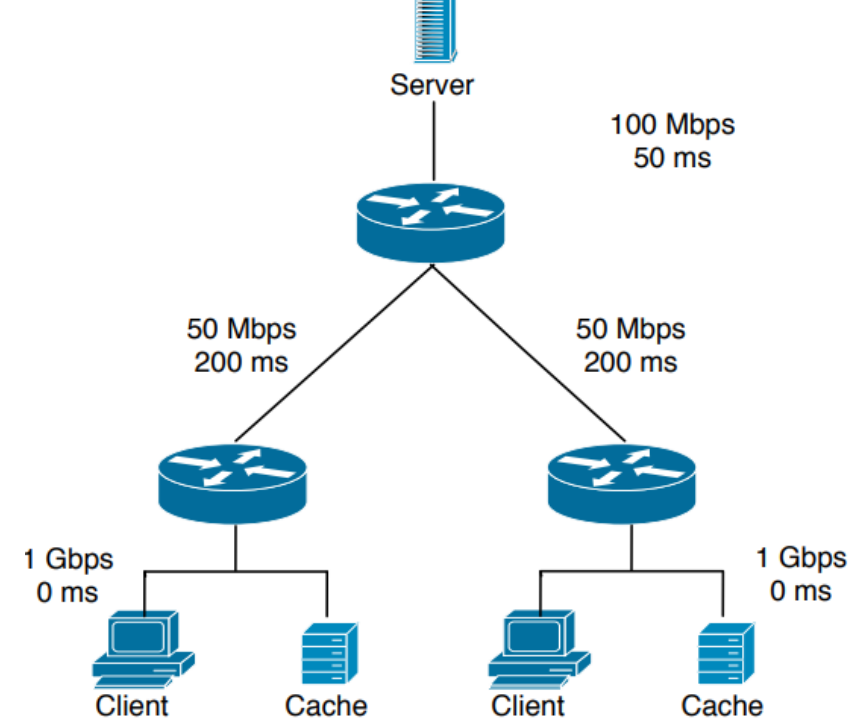


Figure 1

- Server can send at the max of the bottleneck link bandwidth $\min(100/2 \text{ Mbps}, 50 \text{ Mbps}, 1 \text{ Gbps}) = 50 \text{ Mbps}$, since the top link is shared and the other two links are separate for each client and not shared.
- Suppose we had 10 clients on the bottom, then the bottleneck link bandwidth $\min(100/10 \text{ Mbps}, 50 \text{ Mbps}, 1 \text{ Gbps}) = 10 \text{ Mbps}$.

Midterm Question 1.4-02c

- Again we assume only one active client but in this case the caches are on and behave like HTTP caches. A client's HTTP GET is always first directed to its local cache. 60% of the requests can be satisfied by the local cache. What is the average rate at which the client can receive data in this case?

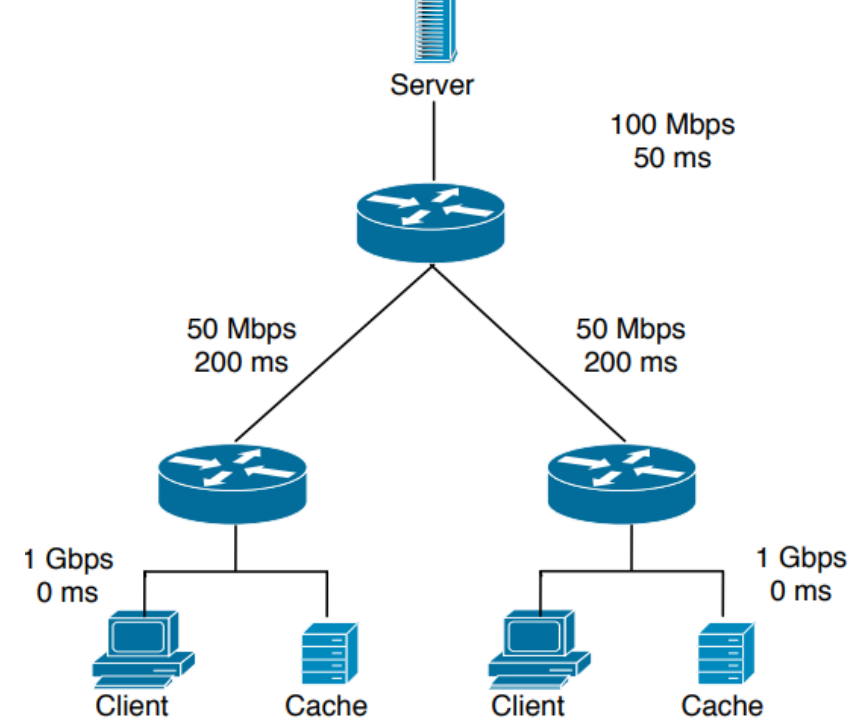


Figure 1

- 60% of the requests can be satisfied by the local cache, with bandwidth of 1 Gbps = 1000 Mbps.
- 40% of the requests go to the remote server, with bandwidth of $\min(100 \text{ Mbps}, 50 \text{ Mbps}, 1 \text{ Gbps}) = 50 \text{ Mbps}$.
 - Since we assume only one active client, we do not have $100/2$ as the first term.
- The average rate at which the client can receive data is $.4 * 50 + .6 * 1000 = 620 \text{ Mbps}$

Midterm Question 1.4-02d

- Now clients in both LANs are active and the both caches are on. 60% of the requests can be satisfied by the local caches. What is the average rate at which each client can receive data?

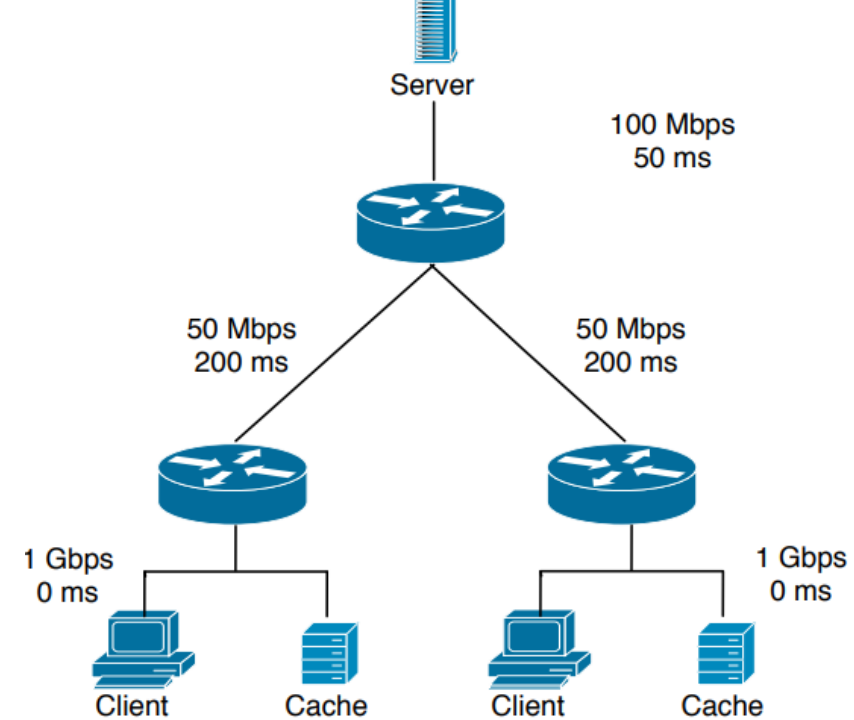


Figure 1

- 60% of the requests can be satisfied by the local cache, with bandwidth of 1 Gbps = 1000 Mbps.
- 40% of the requests go to the remote server, with bandwidth of $\min(100/2 \text{ Mbps}, 50 \text{ Mbps}, 1\text{Gbps}) = 50 \text{ Mbps}$.
 - Since we both clients are active, we have $100/2$ as the first term.
- The average rate at which the client can receive data is $.4 * 50 + .6 * 1000 = 620 \text{ Mbps}$

Network layer: “data plane” roadmap

- Network layer: overview
 - data plane
 - control plane
- What's inside a router
 - input ports, switching, output ports
 - buffer management, scheduling
- IP: the Internet Protocol
 - datagram format
 - addressing
 - network address translation
 - IPv6
- Generalized Forwarding, SDN
 - Match+action
 - OpenFlow: match+action in action
- Middleboxes



Packet Scheduling: FCFS

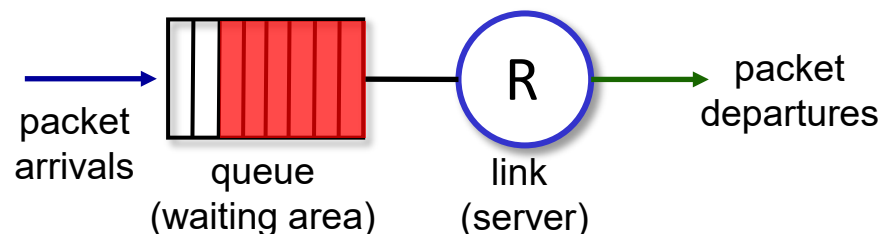
packet scheduling: deciding which packet to send next on link

- first come, first served
- priority
- round robin
- weighted fair queueing

FCFS: packets transmitted in order of arrival to output port

- also known as: First-in-first-out (FIFO)
- real world examples?

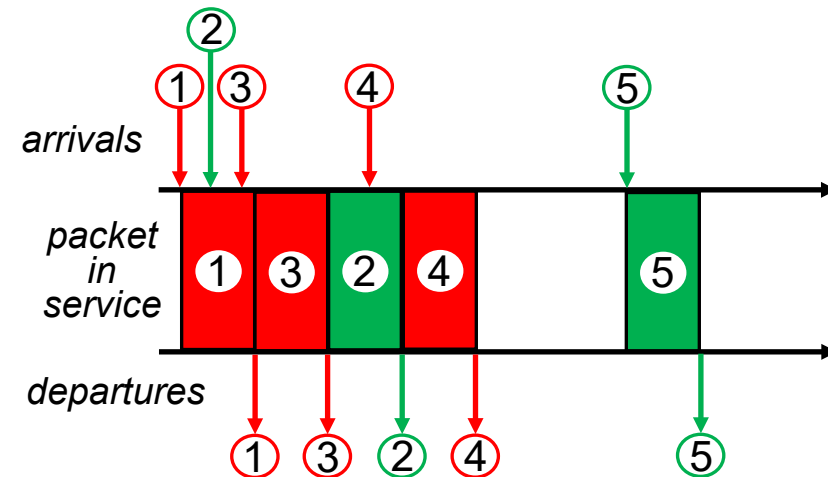
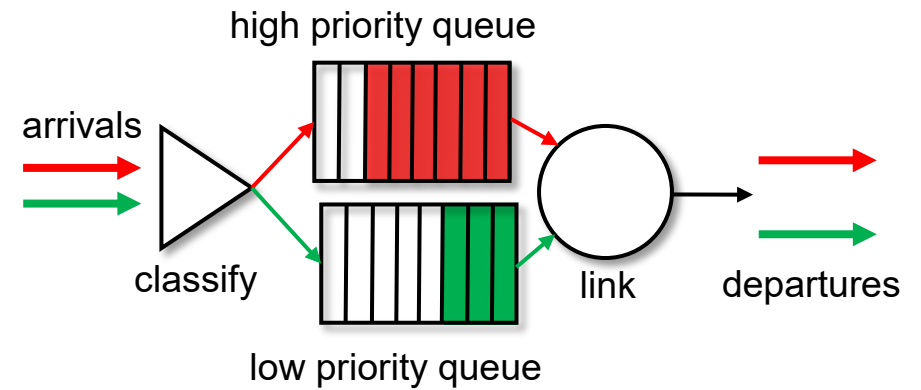
Abstraction: queue



Scheduling policies: priority

Priority scheduling:

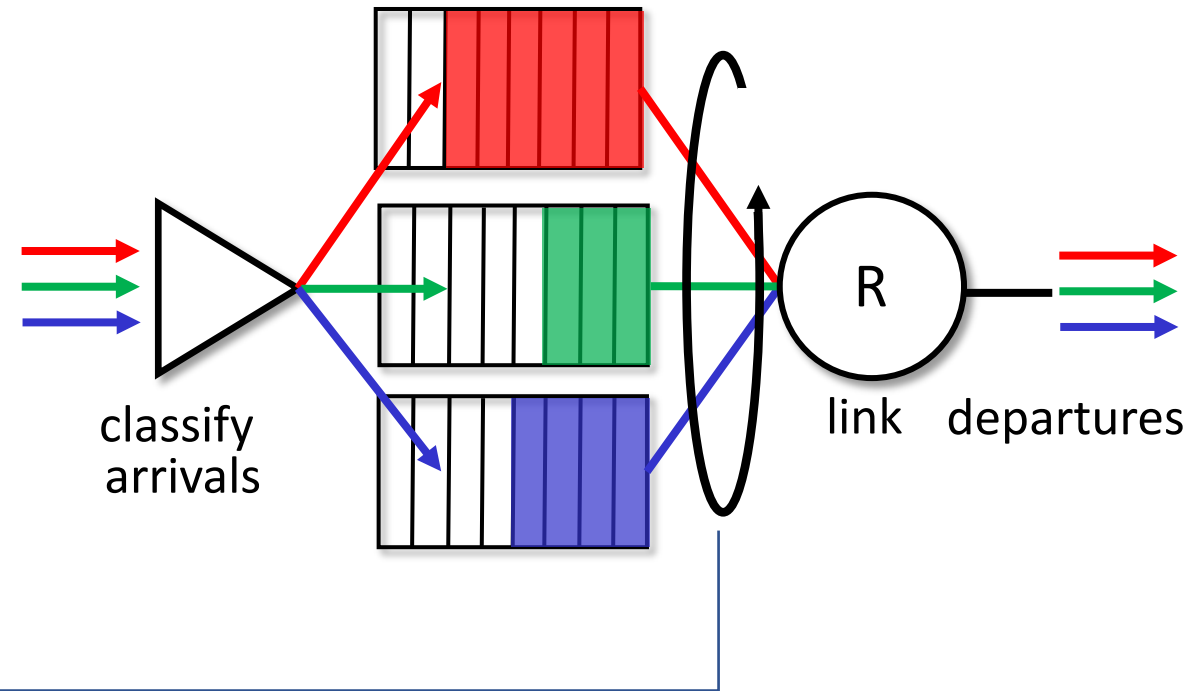
- arriving traffic classified, queued by class
 - any header fields can be used for classification
- send packet from highest priority queue that has buffered packets
 - FCFS within priority class



Scheduling policies: round robin

Round Robin (RR) scheduling:

- arriving traffic classified, queued by class
 - any header fields can be used for classification
- server cyclically, repeatedly scans class queues, sending one complete packet from each class (if available) in turn



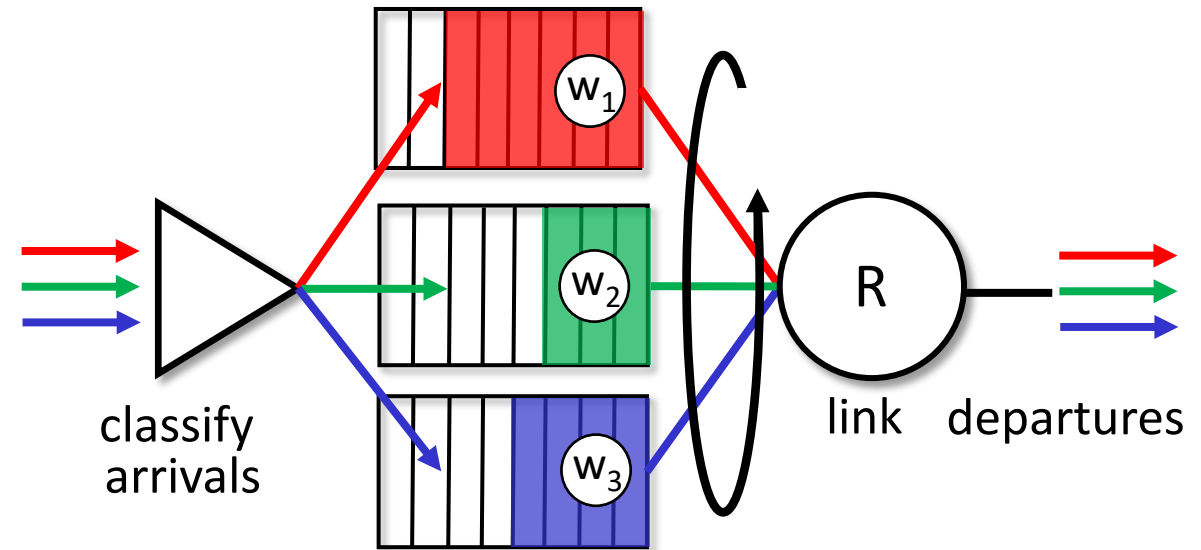
Scheduling policies: weighted fair queueing

Weighted Fair Queuing (WFQ):

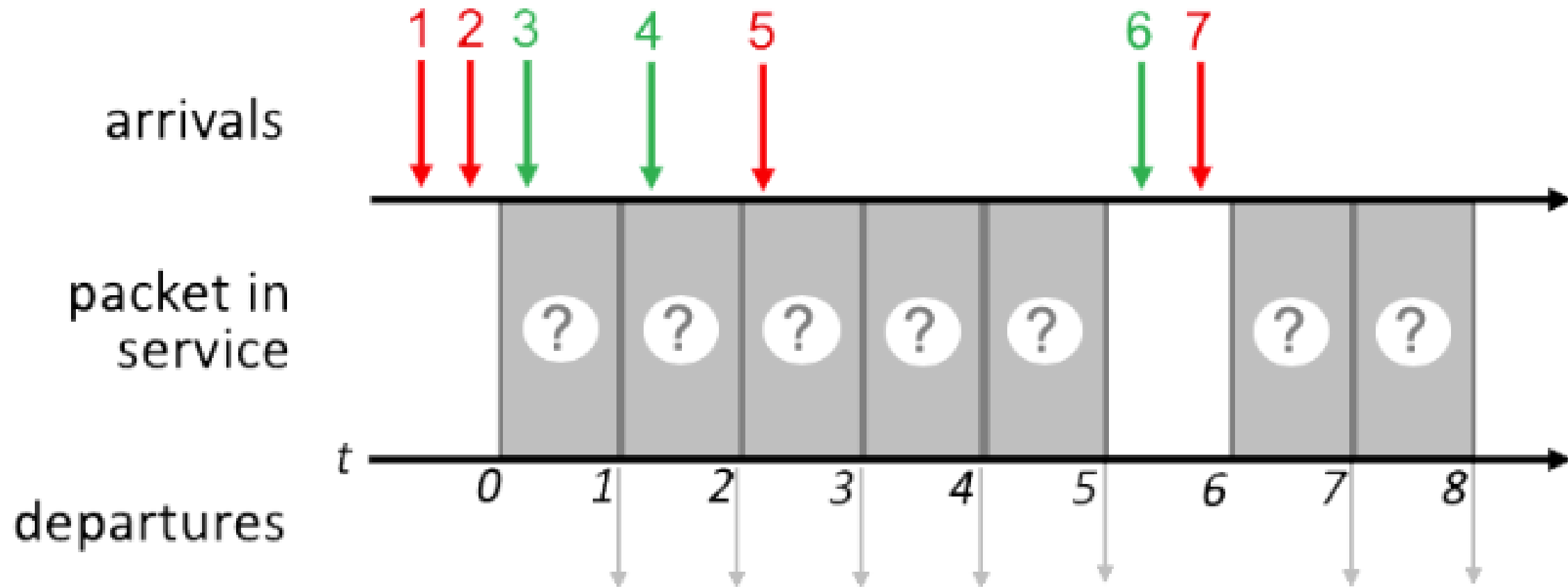
- generalized Round Robin
- each class, i , has weight, w_i , and gets weighted amount of service in each cycle:

$$\frac{w_i}{\sum_j w_j}$$

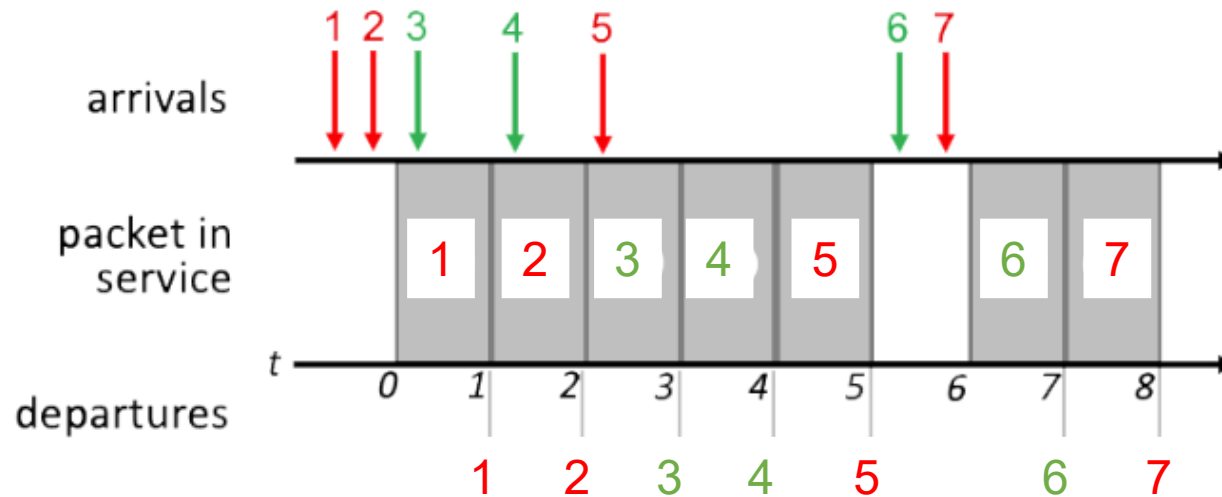
- minimum bandwidth guarantee (per-traffic-class)



Quiz 1 4.2-7



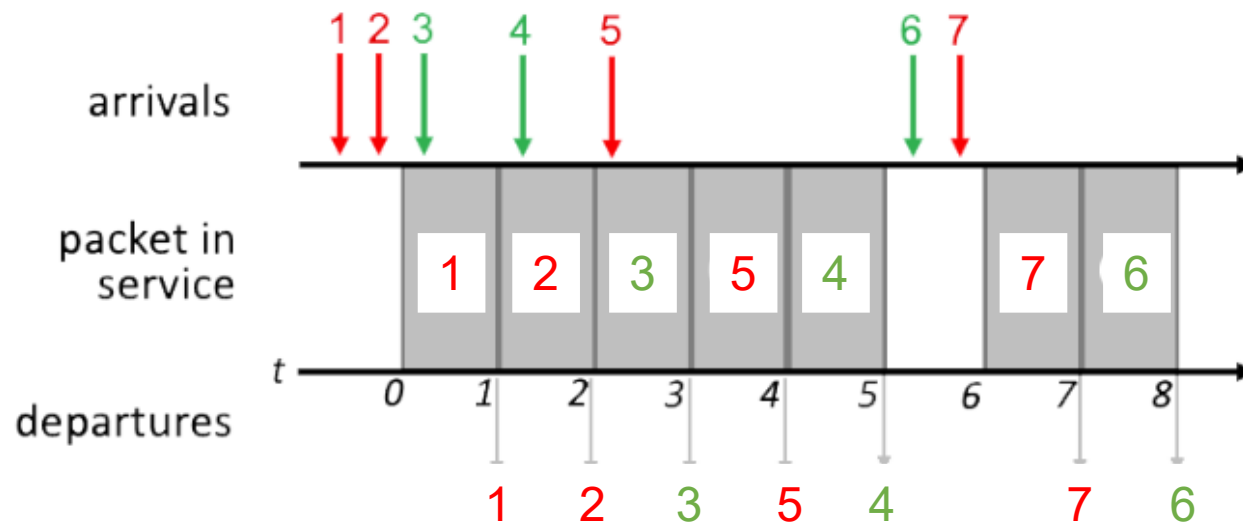
Quiz 1 4.2-7a FCFS Scheduling



- Transmit order the same as packet arrival order of 1 2 3 4 5 6 7

1 2 3 4 5 6 7

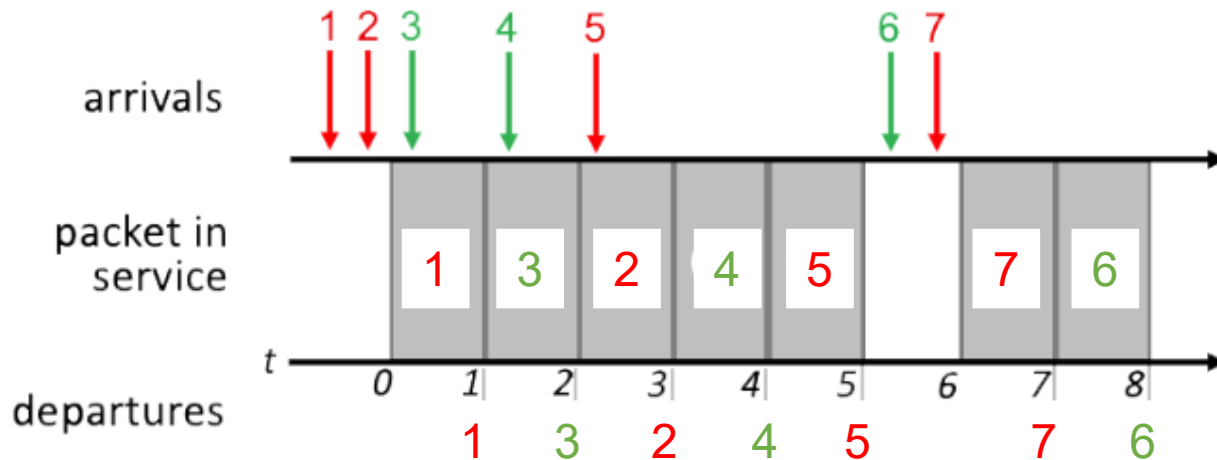
Quiz 1 4.2-7b Priority Scheduling



1 2 3 5 4 7 6

- Time 0: 1, 2 in queue, transmit 1
 - FCFS within same priority
- Time 1: 2, 3 in queue, transmit 2
- Time 2: 3, 4 in queue, transmit 3
 - FCFS within same priority
- Time 3: 4, 5 in queue, transmit 5
- Time 4: 4 in queue, transmit 4
- Time 6: 6, 7 in queue, transmit 7
- Time 7: 6 in queue, transmit 6

Quiz 1 4.2-7c Round Robin Scheduling



1 3 2 4 5 7 6

- Assume a round-robin scheduling cycle of **red** packets. i.e., (**red**, **green**) in each round.
- Time 0: **1**, **2** in queue, transmit **1**
 - 1st round of (**red**, **green**)
- Time 1: **2**, **3** in queue, transmit **3**
 - 1st round of (**red**, **green**)
- Time 2: **2**, **4** in queue, transmit **2**
 - 2nd round of (**red**, **green**)
- Time 3: **4**, **5** in queue, transmit **4**
 - 2nd round of (**red**, **green**)
- Time 4: **5** in queue, transmit **5**
 - 3rd round of (**red**, **green**). Since there is no green packet ready, this round is (**red**, **null**)
- Time 6: **6**, **7** in queue, transmit **7**
 - 4th round of (**red**, **green**)
- Time 7: **6** in queue, transmit **6**
 - 4th round of (**red**, **green**)
- Summary:
- Times 0-1: 1st round: (**1**, **3**)
- Times 2-3: 2nd round: (**2**, **4**)
- Time 4: 3rd round: (**5**, **null**)
 - No green packets ready
- Times 6-7: 4th round: (**7**, **6**)