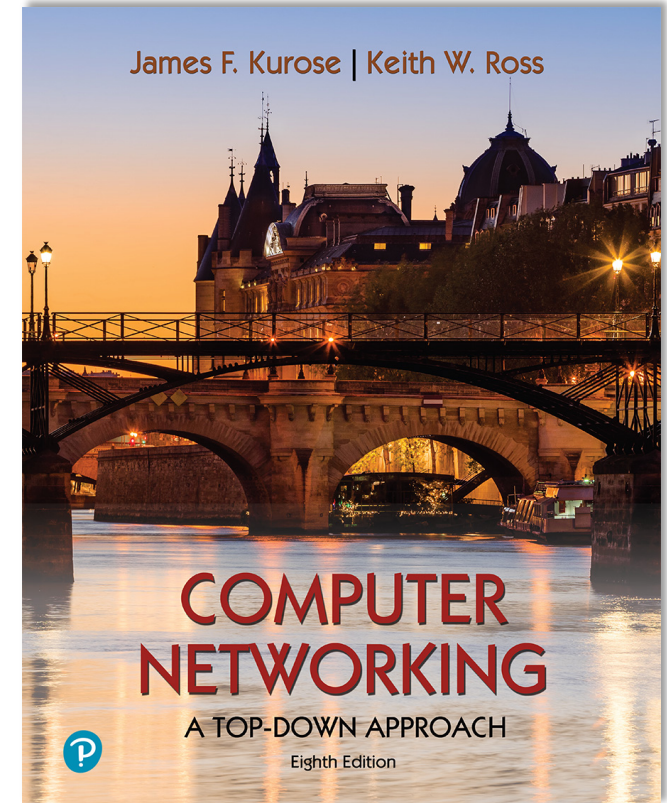


Chapter 7

Wireless and Mobile Networks



Computer Networking: A Top-Down Approach

8th edition

Jim Kurose, Keith Ross
Pearson, 2020

Acknowledgement: Based on the textbook's website:
https://gaia.cs.umass.edu/kurose_ross/index.php

Wireless and Mobile Networks: context

- more wireless (mobile) phone subscribers than fixed (wired) phone subscribers (10-to-1 in 2019)!
- more mobile-broadband-connected devices than fixed-broadband-connected devices (5-1 in 2019)!
 - 4G/5G cellular networks now embracing Internet protocol stack, including SDN
- two important (but different) challenges
 - **wireless**: communication over wireless link
 - **mobility**: handling the mobile user who changes point of attachment to network

Chapter 7 outline

■ Introduction

Wireless

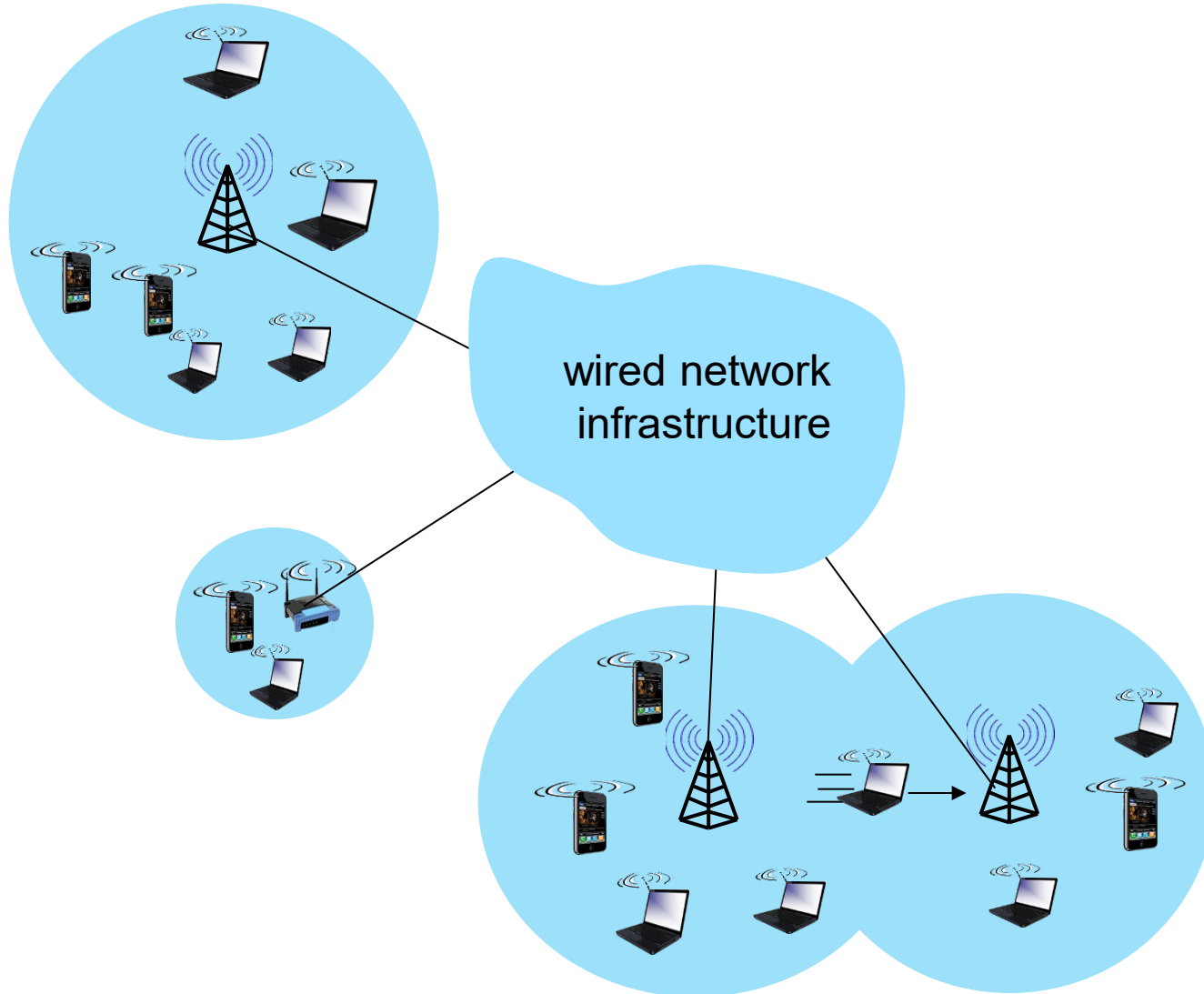
- Wireless Links and network characteristics
- WiFi: 802.11 wireless LANs
- Cellular networks: 4G and 5G

Mobility

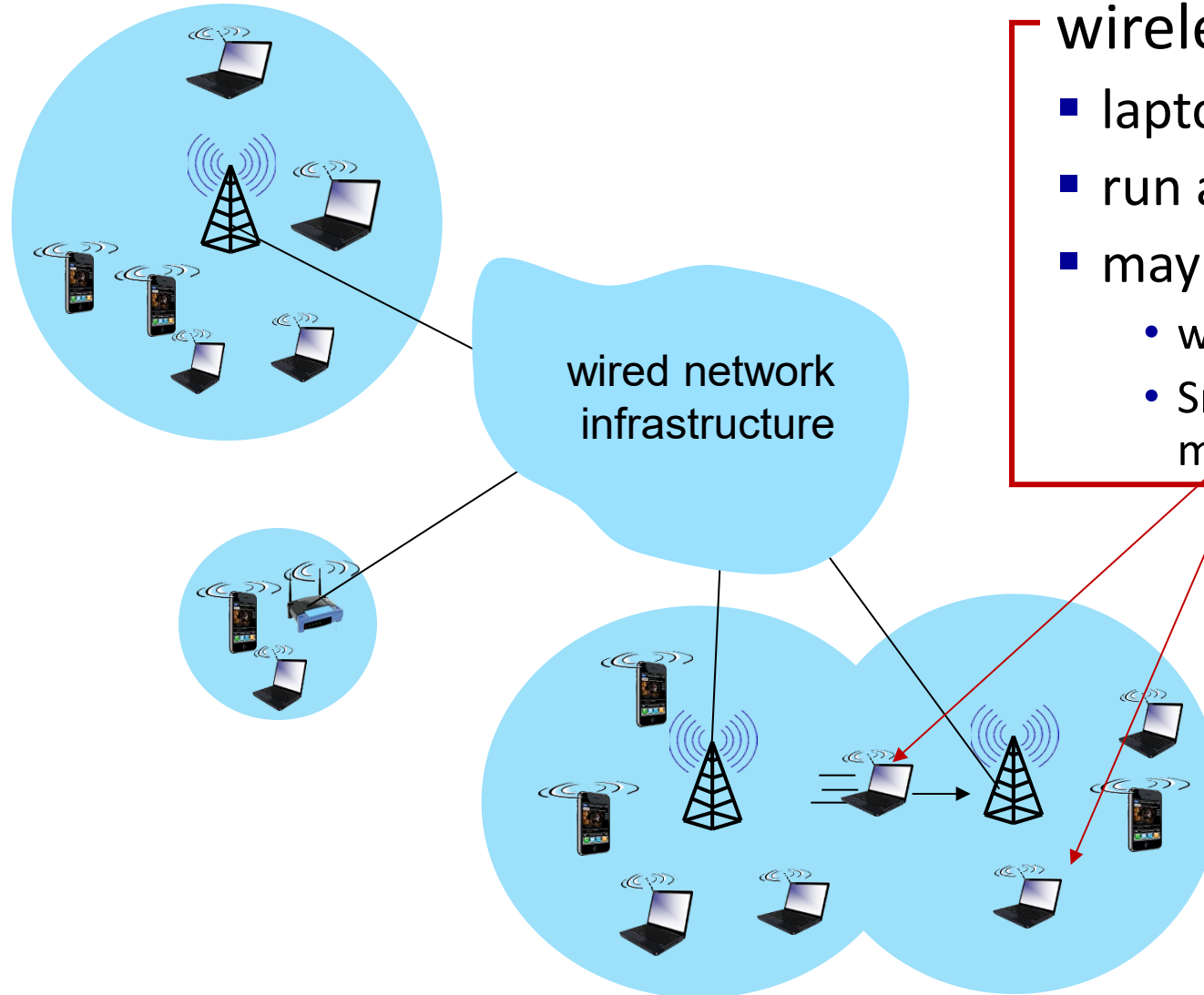
- Mobility management: principles
- Mobility management: practice
 - 4G/5G networks
 - Mobile IP
- Mobility: impact on higher-layer protocols



Elements of a wireless network



Elements of a wireless network

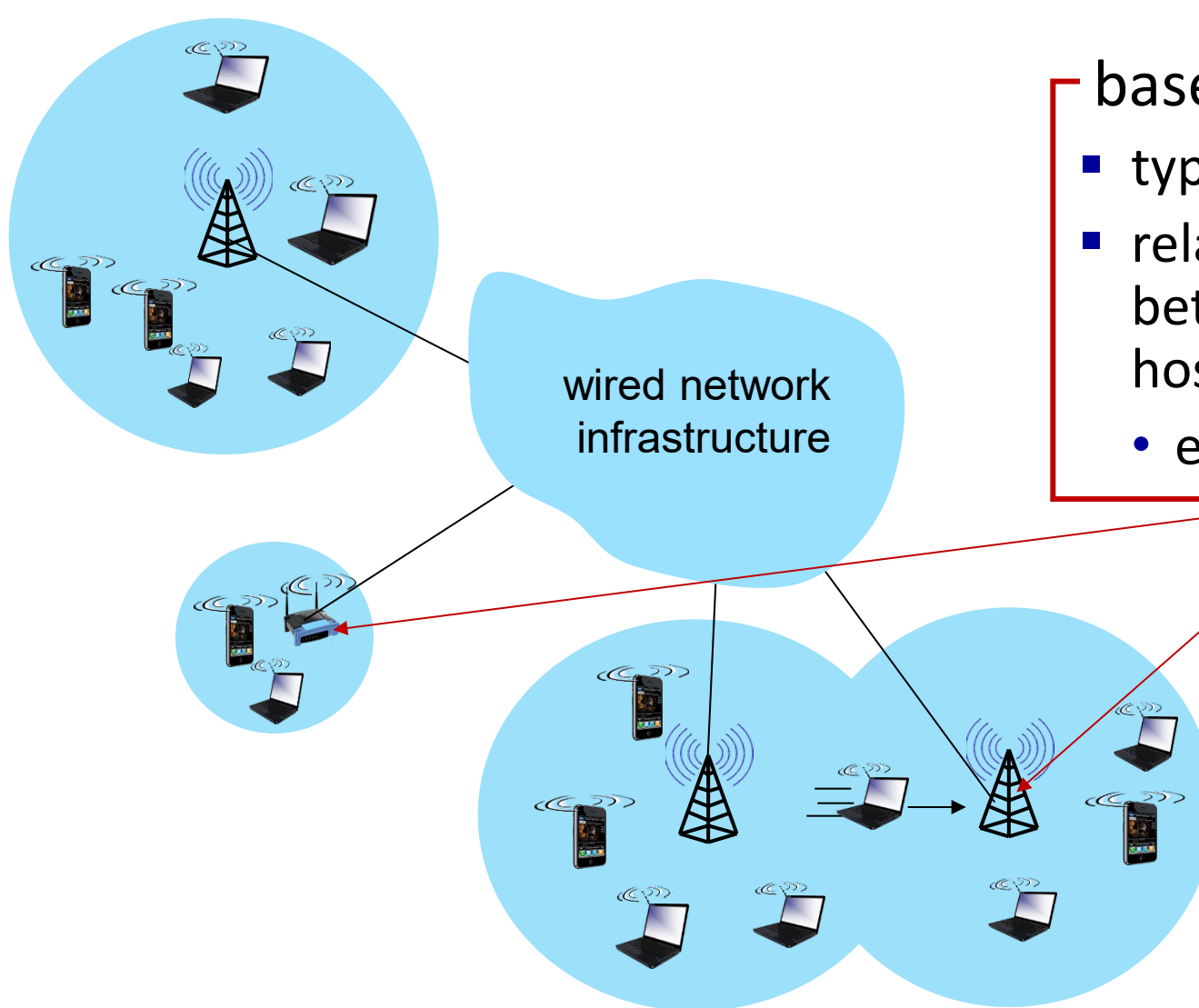


wireless hosts

- laptop, smartphone, IoT
- run applications
- may be stationary (non-mobile) or mobile
 - wireless does *not* always mean mobility!
 - Smart sensors in a building are wireless but not mobile



Elements of a wireless network

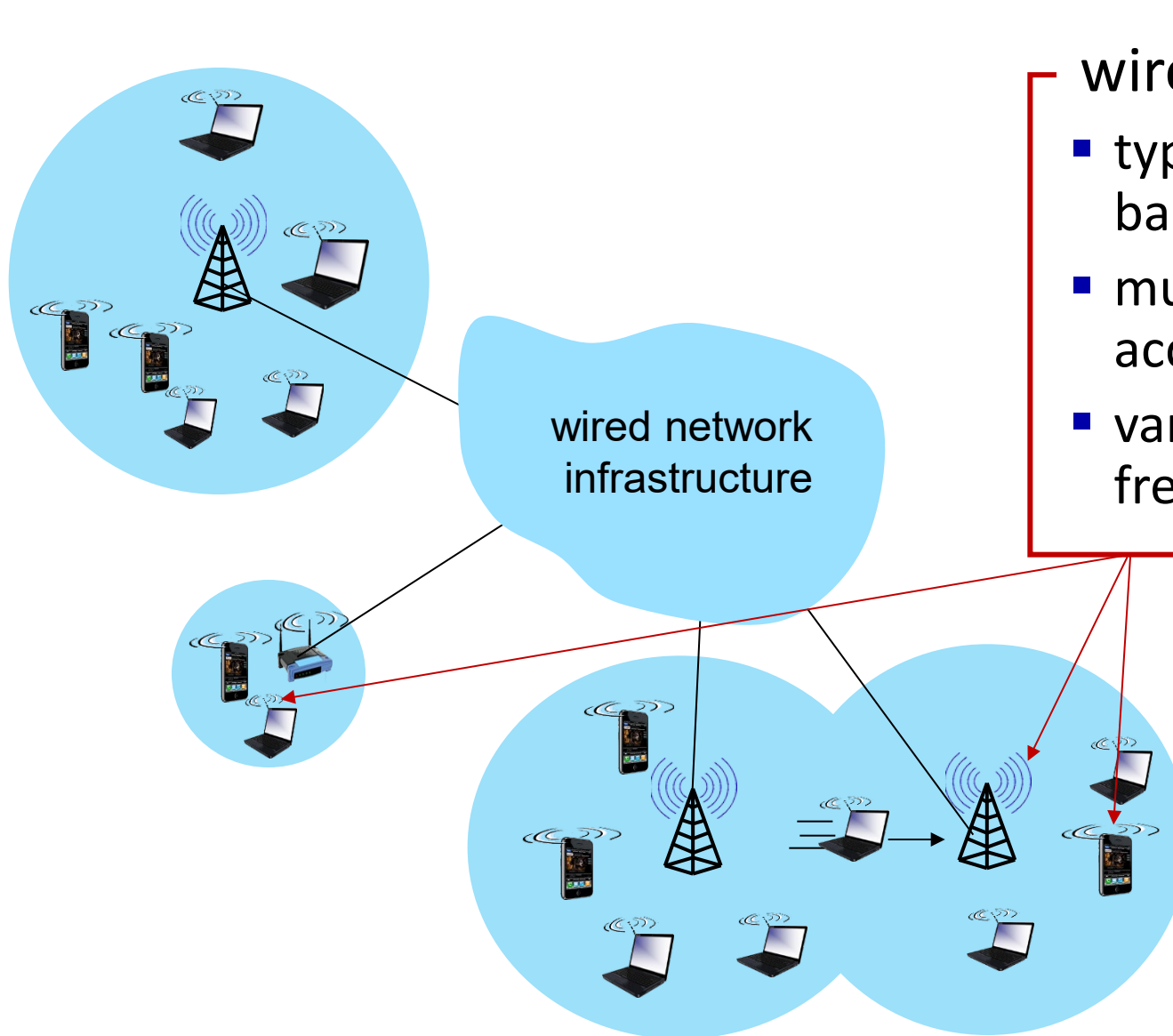


base station



- typically connected to wired network
- relay - responsible for sending packets between wired network and wireless host(s) in its “area”
 - e.g., cell towers, 802.11 access points

Elements of a wireless network

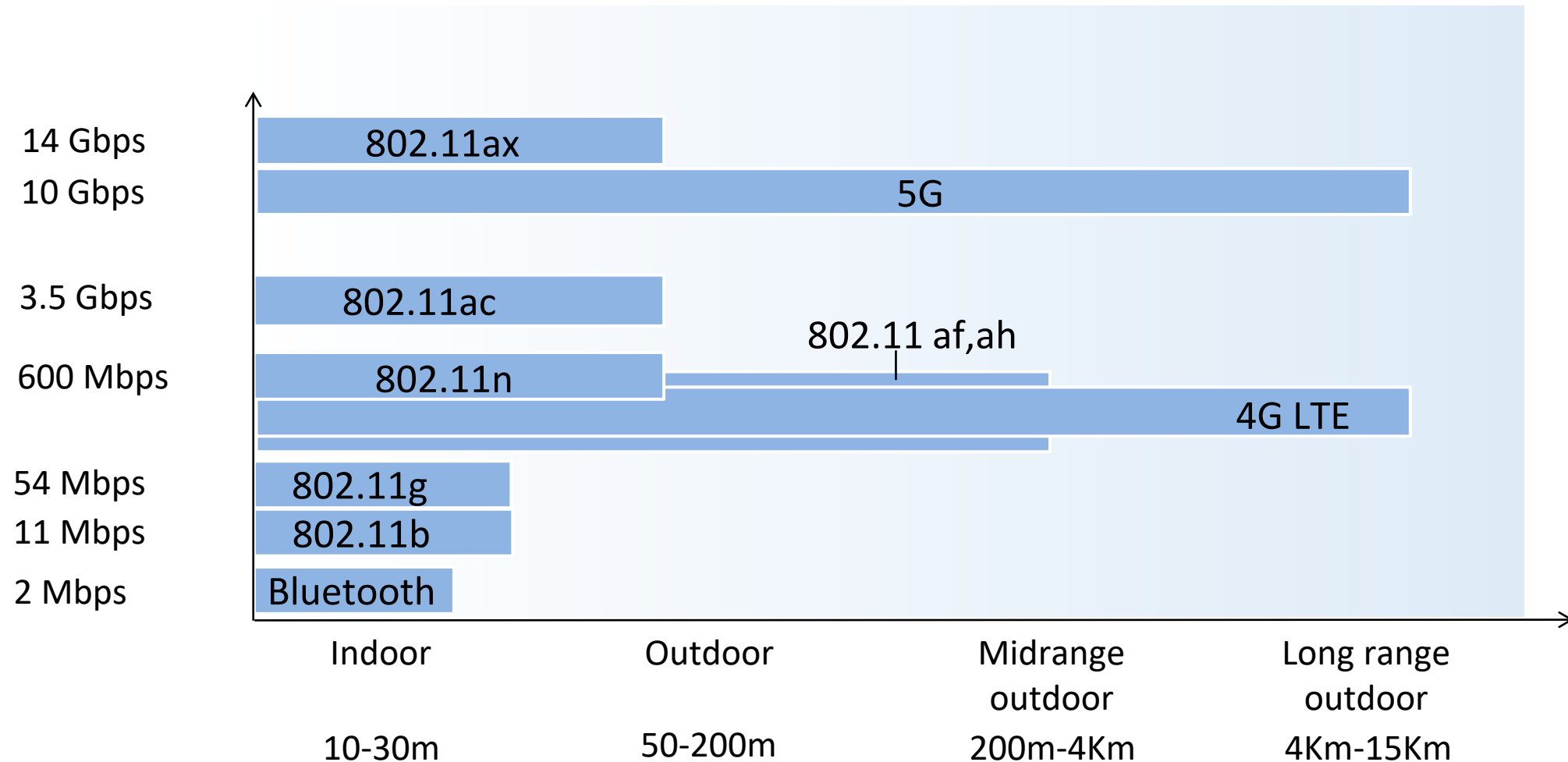


wireless link

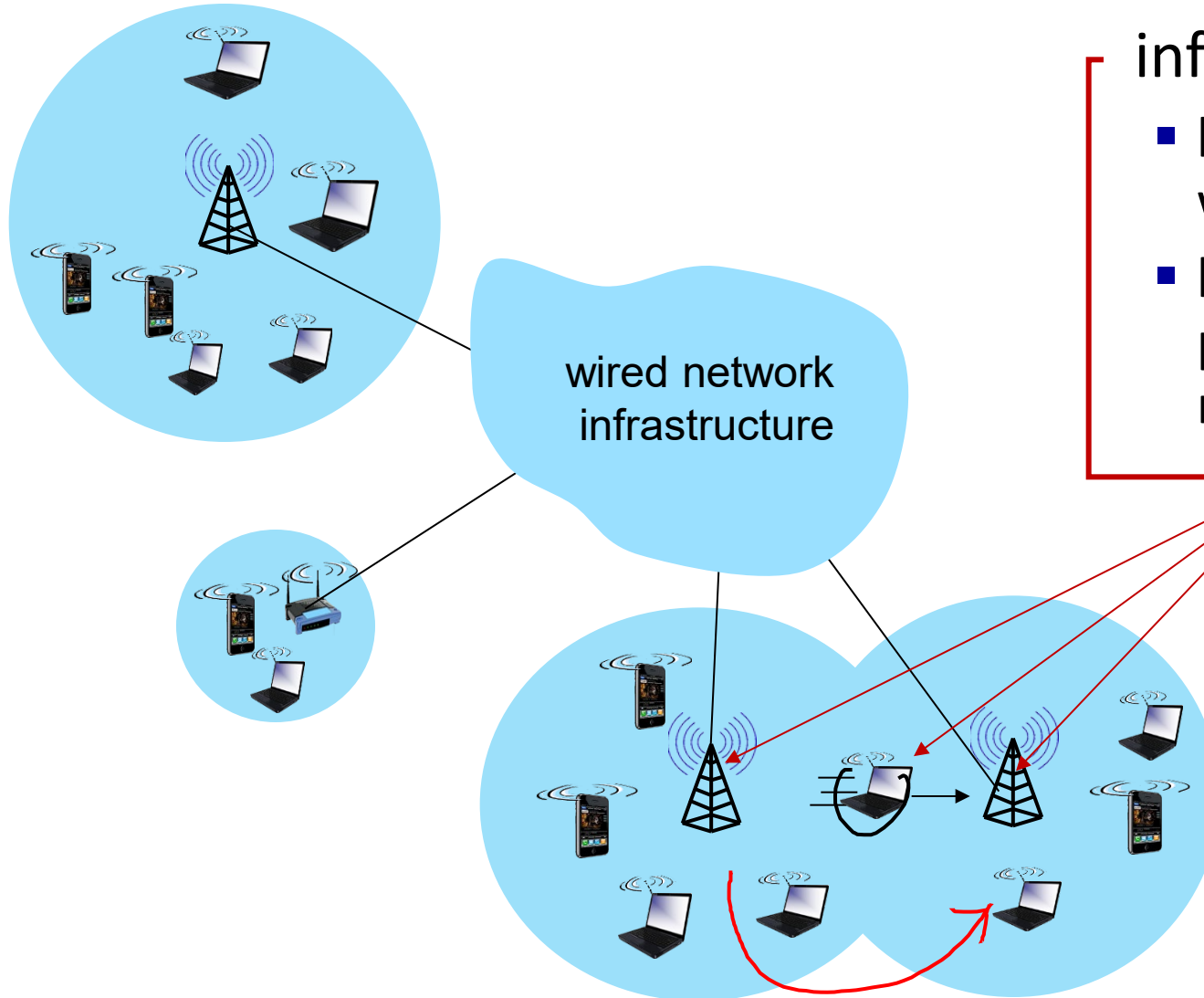


- typically used to connect mobile(s) to base station, also used as backbone link
- multiple access protocol coordinates link access
- various transmission rates and distances, frequency bands

Characteristics of selected wireless links



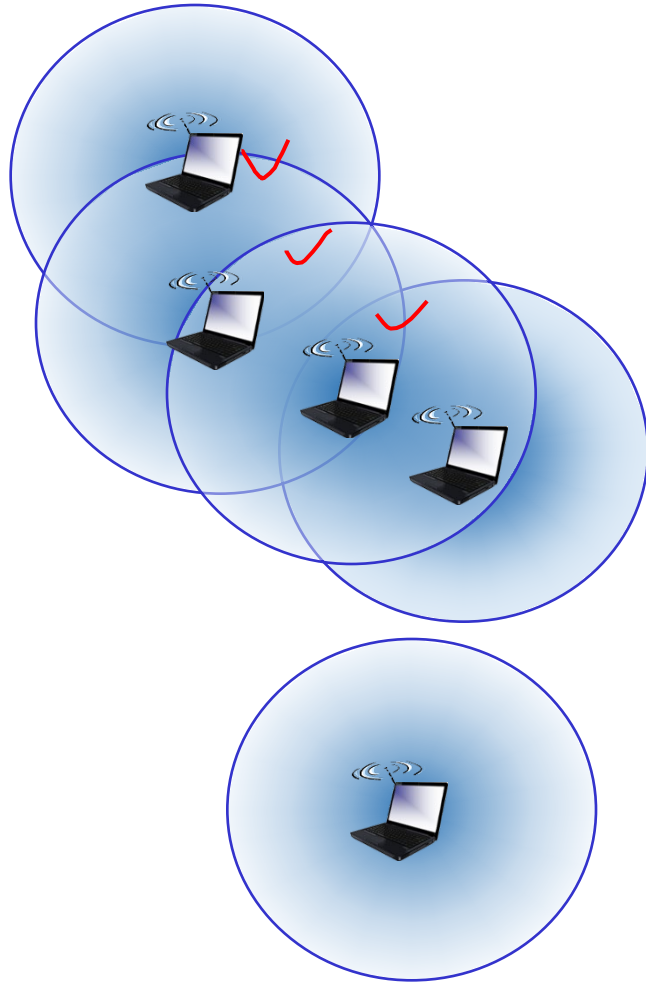
Elements of a wireless network



infrastructure mode

- base station connects mobiles into wired network
- handoff: mobile changes base station providing connection into wired network

Elements of a wireless network



ad hoc mode

- no base stations
- nodes can only transmit to other nodes within link coverage
- nodes organize themselves into a network: route among themselves

Wireless network taxonomy

	single hop	multiple hops
infrastructure (e.g., APs)	host connects to base station (WiFi, cellular) which connects to larger Internet	host may have to relay through several wireless nodes to connect to larger Internet: <i>mesh net</i>
<i>no infrastructure</i>	no base station, no connection to larger Internet (Bluetooth, ad hoc nets)	no base station, no connection to larger Internet. May have to relay to reach other a given wireless node MANET, VANET

Chapter 7 outline

- Introduction

Wireless

- Wireless links and network characteristics
- WiFi: 802.11 wireless LANs
- Cellular networks: 4G and 5G



Mobility

- Mobility management: principles
- Mobility management: practice
 - 4G/5G networks
 - Mobile IP
- Mobility: impact on higher-layer protocols

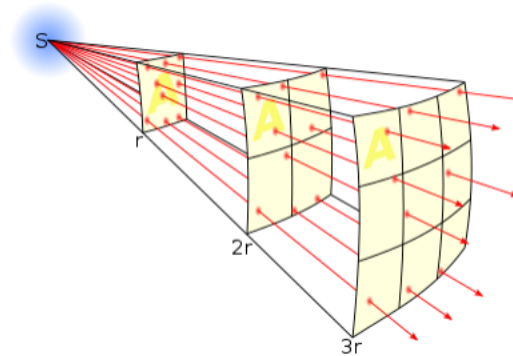
Wireless link characteristics: fading (attenuation)

Wireless radio signal attenuates (loses power) as it propagates (free space “path loss”)

Free space path loss $\sim (fd)^2$

f : frequency

d : distance



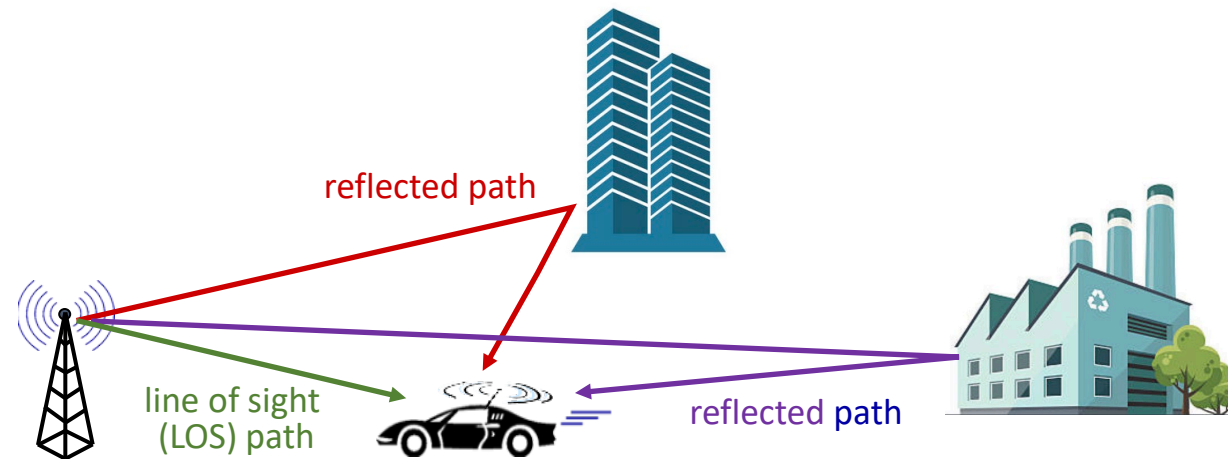
higher frequency or
longer distance



larger free space
path loss

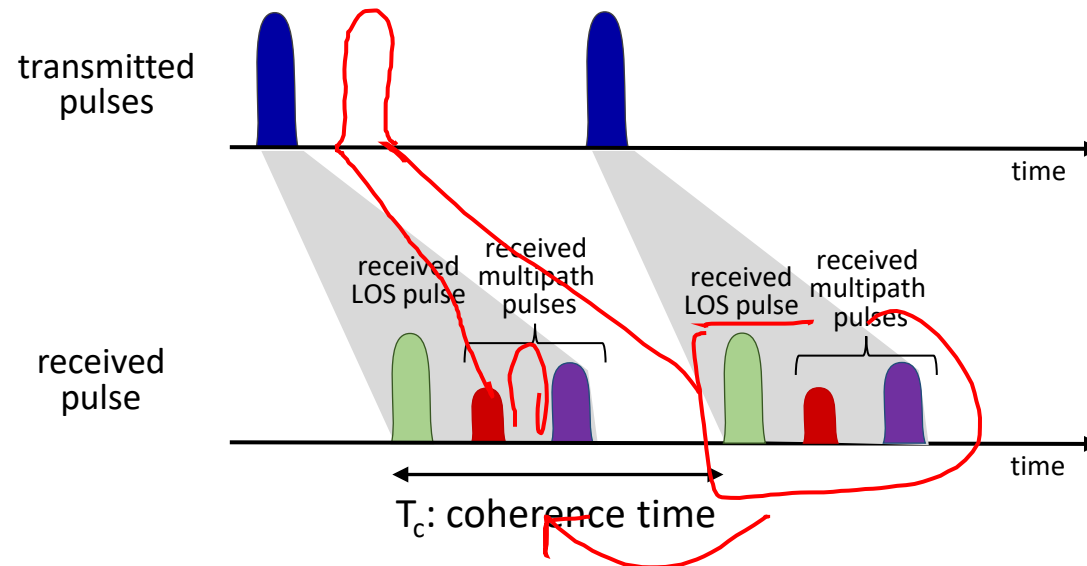
Wireless link characteristics: multipath

multipath propagation: radio signal reflects off objects ground, built environment, arriving at destination at slightly different times



Wireless link characteristics: multipath

multipath propagation: radio signal reflects off objects ground, built environment, arriving at destination at slightly different times

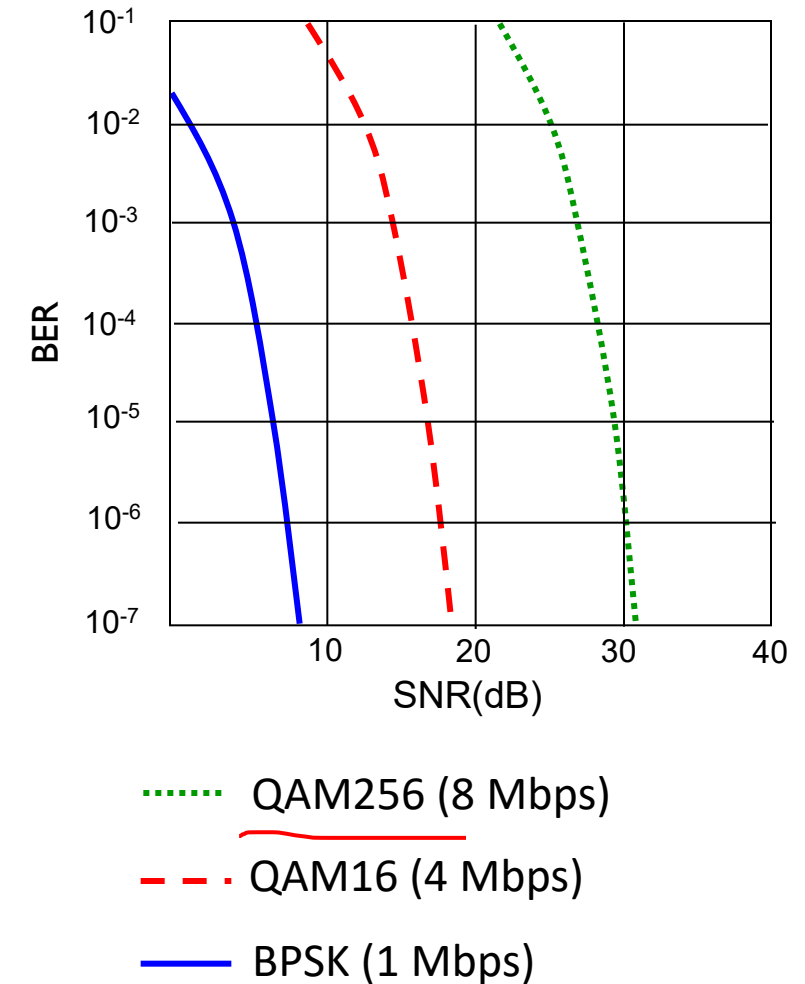


Coherence time:

- amount of time bit is present in channel to be received
- influences maximum possible transmission rate, since coherence times can not overlap
- inversely proportional to
 - frequency
 - receiver velocity

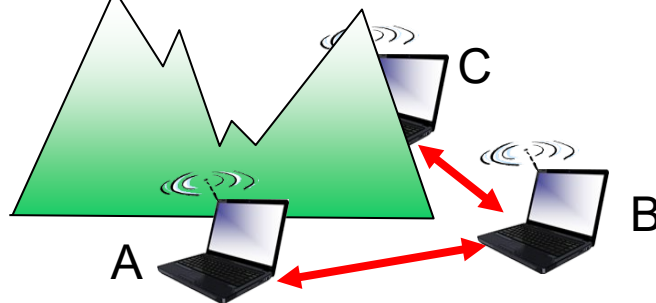
Wireless link characteristics: noise

- interference from other sources on wireless network frequencies: motors, appliances
- SNR: signal-to-noise ratio
 - larger SNR – easier to extract signal from noise (a “good thing”)
- SNR versus Bit Error Rate (BER) tradeoff
 - *given physical layer*: increase power -> increase SNR->decrease BER
 - SNR may change with mobility: dynamically adapt physical layer (modulation technique, rate)



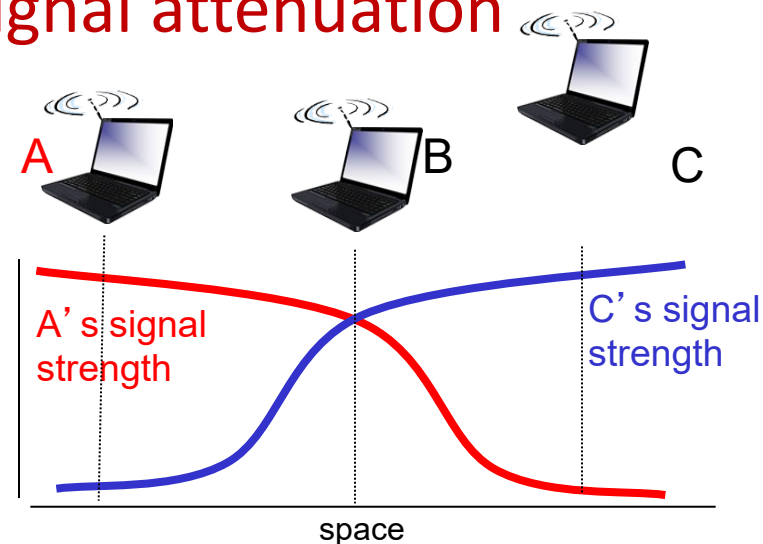
Wireless link characteristics: hidden terminals

Hidden terminal problem due to obstacles



- B, A hear each other
- B, C hear each other
- A, C can not hear each other means A, C unaware of their interference at B

Hidden terminal problem due to signal attenuation



- B, A hear each other
- B, C hear each other
- A, C can not hear each other interfering at B

Chapter 7 outline

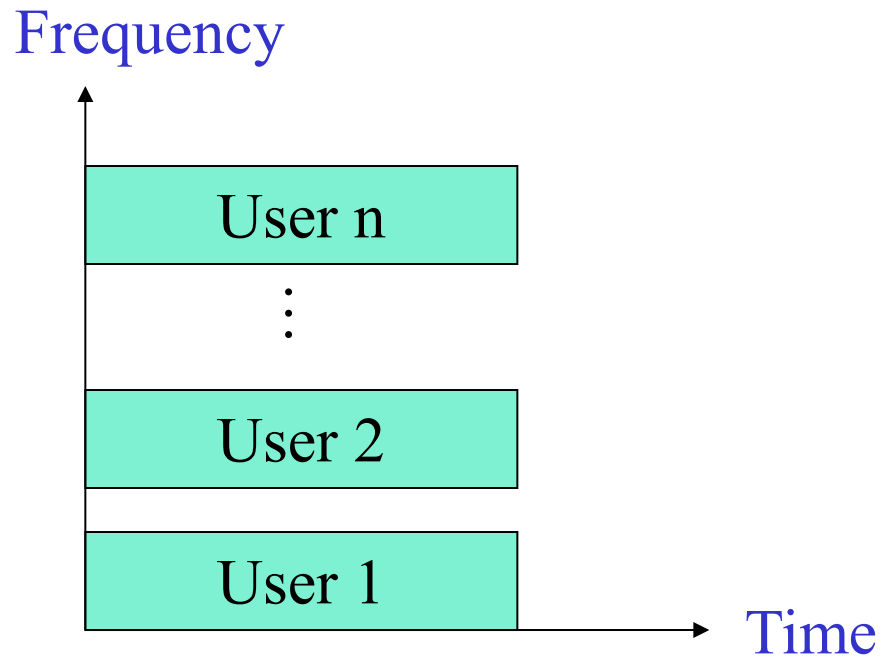
- Introduction

Wireless

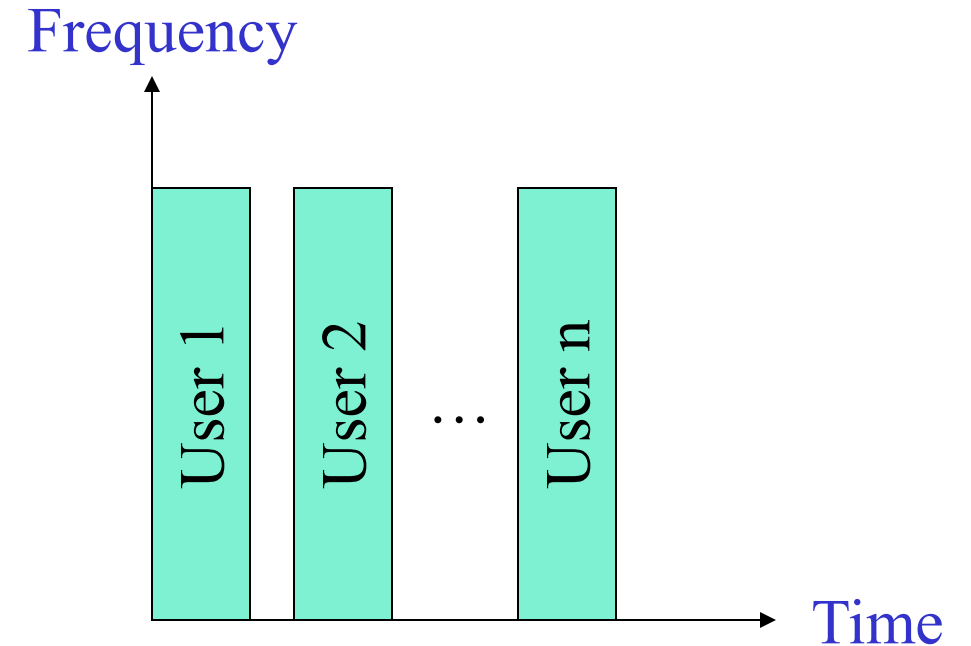
- Wireless links and network characteristics
- **CDMA: code division multiple access**
- WiFi: 802.11 wireless LANs
- Bluetooth



Review: FDMA and TDMA

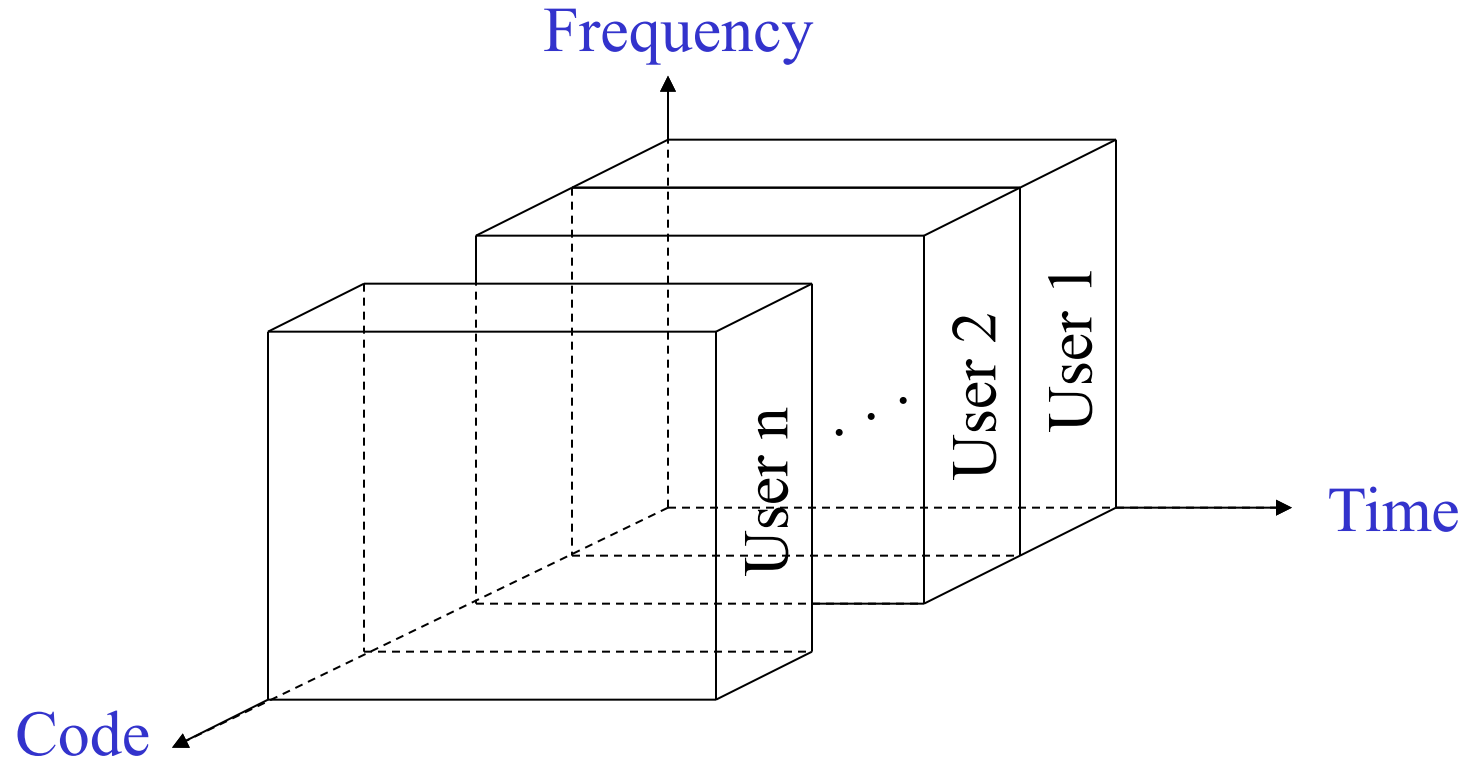


- First generation (1G) systems use Frequency Division Multiple Access (FDMA)



- Most of second generation (2G) systems use Time Division Multiple Access (TDMA)

Code Division Multiple Access (CDMA)



- Users share bandwidth by using code sequences that are orthogonal to each other
- Some 2G and most 3G systems use CDMA

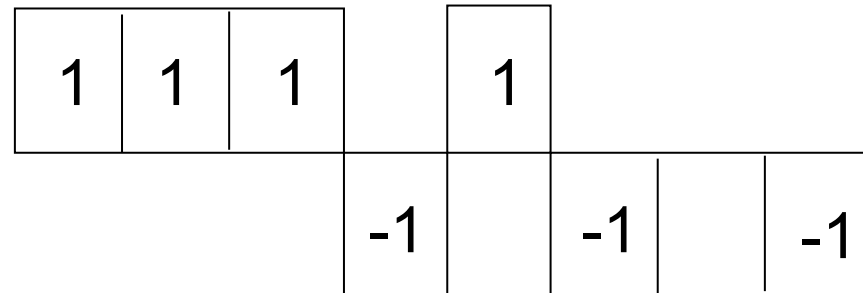
Code Division Multiple Access (CDMA)

- unique “code” assigned to each user; i.e., code set partitioning
 - all users share same frequency, but each user has own chipping sequence (i.e., code) to encode data
 - allows multiple users to “coexist” and transmit simultaneously with minimal interference (if codes are “orthogonal”)
 - analogy: people speaking different languages in the same room do not interfere with each other
- **encoding:** scalar-vector product: (original data) * (chipping sequence)
 - $d * (x_1, x_2, \dots, x_n) = (d * x_1, d * x_2, \dots, d * x_n)$, where $d = 1$ or -1 .
- **decoding:** vector-vector inner-product: (encoded data) · (chipping sequence)
 - Defined as sum of elementwise product:
 - $(x_1, x_2, \dots, x_n) \cdot (y_1, y_2, \dots, y_n) = (x_1 * y_1 + x_2 * y_2 + \dots + x_n * y_n)$

Vector-Vector Inner-Product, Orthogonal Vector

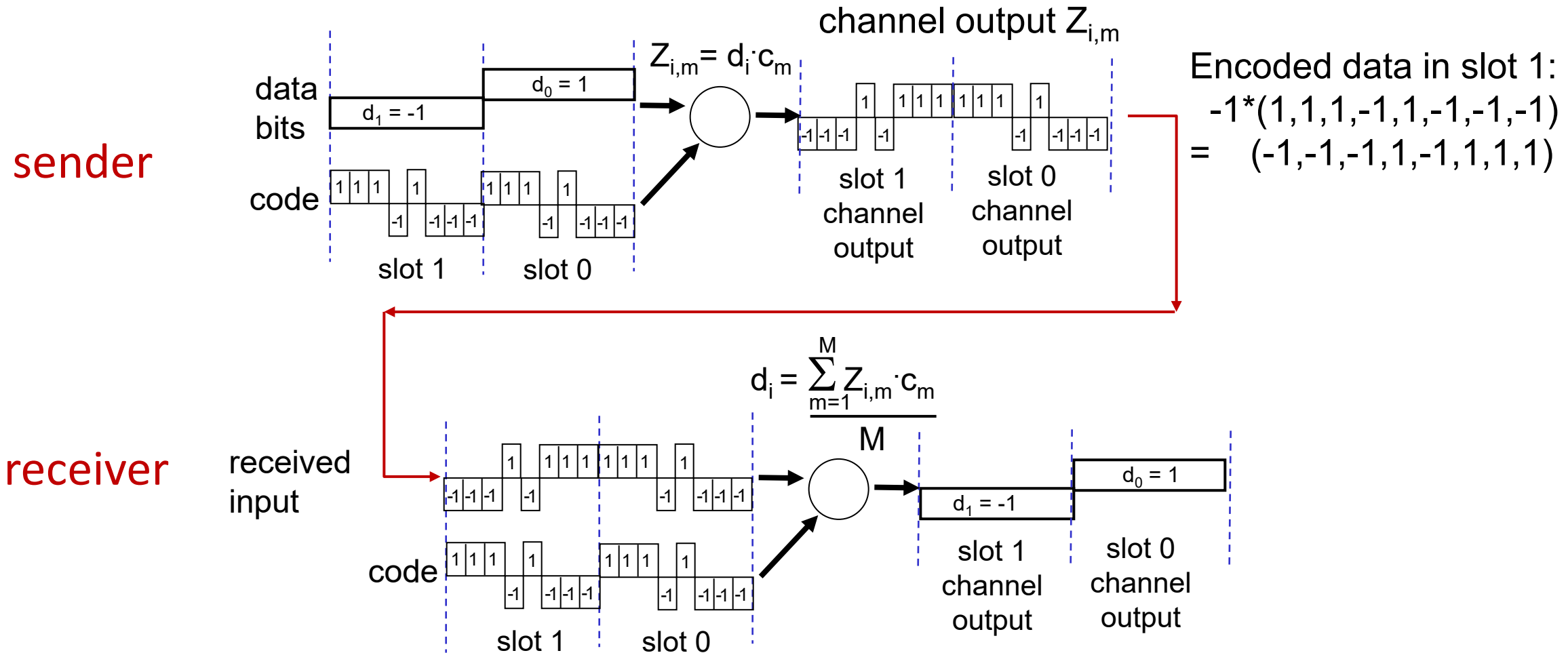
- For a vector $\mathbf{x} = (x_1, x_2, \dots, x_n)$, the inner product (or dot product) with itself is given by: $\mathbf{x} \cdot \mathbf{x} = (x_1)^2 + (x_2)^2 + \dots + (x_n)^2$.
 - This scalar value is also known as the squared norm of the vector. It is always non-negative and equals zero if and only if the vector itself is the zero vector.
 - If each element $x_i = 1$ or -1 , then $\mathbf{x} \cdot \mathbf{x} = 1 + 1 + \dots + 1 = n$, the vector dimension.
- A vector $\mathbf{y} = (y_1, y_2, \dots, y_n)$ is the orthogonal vector of vector $\mathbf{x} = (x_1, x_2, \dots, x_n)$ if their inner product is zero: $\mathbf{x} \cdot \mathbf{y} = (x_1, x_2, \dots, x_n) \cdot (y_1, y_2, \dots, y_n) = (x_1 * y_1 + x_2 * y_2 + \dots + x_n * y_n) = 0$

Direct-Sequence Spread Spectrum CDMA



- ❑ Chipping sequence (Code): $(1, 1, 1, -1, 1, -1, -1, -1)$
- ❑ The 8-bit sequence $1 * (1, 1, 1, -1, 1, -1, -1, -1)$ encodes data bit 1 (corresponding to application bit 1).
- ❑ The 8-bit sequence $(-1) * (1, 1, 1, -1, 1, -1, -1, -1) = (-1, -1, -1, 1, -1, 1, 1, 1)$ encodes data bit -1 (corresponding to application bit 0).
- ❑ Spreading factor = Code length/data bit = 8
 - ❑ 10-100 commercial (Min 10 by FCC), 10,000 for military
- ❑ Two codes are orthogonal to each other, if their inner product equals 0.

CDMA encode/decode



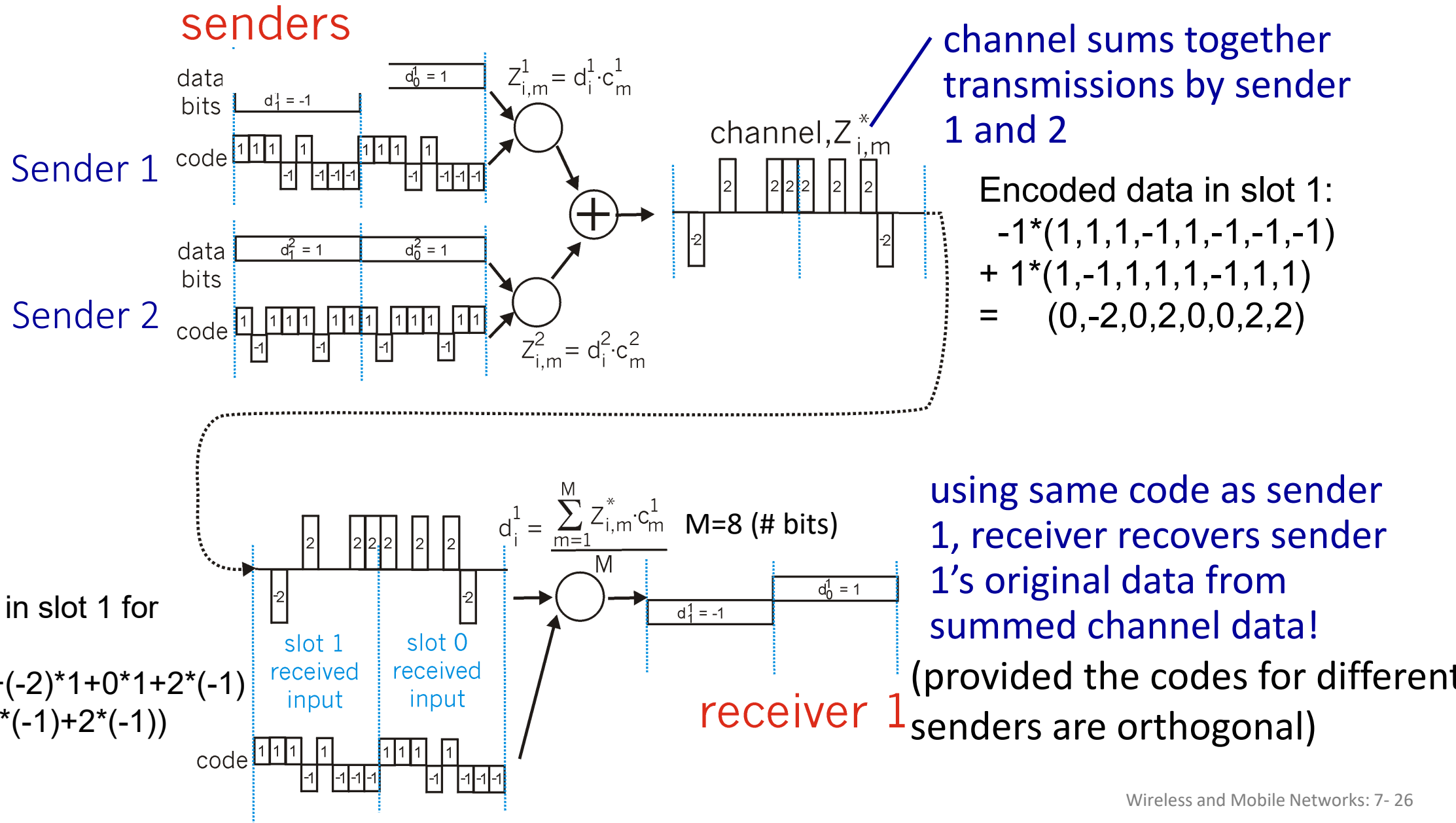
CDMA encode/decode

- Sender 1 Code $c_m, m = 1 \dots M$: (1,1,1,-1,1,-1,-1,-1)
- Encoded data in slot 1: $Z_{1,m} = d_1 * c_m$
 - $-1 * (1,1,1,-1,1,-1,-1,-1)$
 - $= (-1,-1,-1,1,-1,1,1,1)$
- Decoded data in slot 1 is normalized (divided by code length M)
 inner product of the encoded $Z_{i,m}$ with Sender 1 Code: $d_1 =$

$$\frac{1}{M} \sum_{m=1}^M Z_{1,m} \cdot c_m$$
 - $= (1/8) * (-1,-1,-1,1,-1,1,1,1) \cdot (1,1,1,-1,1,-1,-1,-1)$
 - $= (1/8) * ((-1)*1 + (-1)*1 + (-1)*1 + 1*(-1) + (-1)*1 + 1*(-1) + 1*(-1) + 1*(-1))$
 - $= (1/8) * (-8)$
 - $= -1$

CDMA: two-sender interference

IMPORTANT



CDMA: two-sender interference

- Orthogonal codes:
 - Sender 1 Code: $c_m^1, m = 1 \dots 8$: (1,1,1,-1,1,-1,-1,-1)
 - Sender 2 Code: $c_m^2, m = 1 \dots 8$: (1,-1,1,1,1,-1,1,1)
 - The two codes are orthogonal since their inner product is 0:
 - $(1,1,1,-1,1,-1,-1,-1) \cdot (1,-1,1,1,1,-1,1,1)$
 - $= 1*1 + 1*(-1) + 1*1 + (-1)*1 + 1*1 + (-1)*(-1) + (-1)*1 + (-1)*1$
 - $= 0$
- Encoded data in slot 1 is sum of encoded -1 for Sender 1 and encoded 1 for Sender 2:
 - $Z_{1,m}^* = d_1^1 * c_m^1, Z_{2,m}^* = d_1^2 * c_m^2$
 - $-1*(1,1,1,-1,1,-1,-1,-1) + 1*(1,-1,1,1,1,-1,1,1)$
 - $= (0,-2,0,2,0,0,2,2)$
- Decoded data for Sender 1 in slot 1 is $d_1^1 = \frac{1}{M} \sum_{m=1}^M Z_{1,m}^* \cdot c_m^1$:
 - $d_1^1 = (1/8)*(0,-2,0,2,0,0,2,2) \cdot (1,1,1,-1,1,-1,-1,-1)$
 - $= (1/8)*(0*1 + (-2)*1 + 0*1 + 2*(-1) + 0*1 + 0*(-1) + 2*(-1) + 2*(-1))$
 - $= (1/8)*(-8)$
 - $= -1$
- Decoded data for Sender 2 in slot 1 is $d_1^2 = \frac{1}{M} \sum_{m=1}^M Z_{1,m}^* \cdot c_m^2$:
 - $d_1^2 = (1/8)*(0,-2,0,2,0,0,2,2) \cdot (1,-1,1,1,1,-1,1,1)$
 - $= (1/8)*(0*1 + (-2)*(-1) + 0*1 + 2*1 + 0*1 + 0*(-1) + 2*1 + 2*1)$
 - $= (1/8)*8$
 - $= 1$

CDMA: two-sender interference: Sender 1

- Decoded data for Sender 1 in slot 1 is $d_1^1 = \frac{1}{M} \sum_{m=1}^M Z_{1,m}^* \cdot c_m^1$
 - $= (1/8)^* ((-1)^* (1, 1, 1, -1, 1, -1, -1, -1) + 1^* (1, -1, 1, 1, 1, -1, 1, 1)) \cdot (1, 1, 1, -1, 1, -1, -1, -1)$
 - $= (1/8)^* ((-1)^* (1, 1, 1, -1, 1, -1, -1, -1) \cdot (1, 1, 1, -1, 1, -1, -1, -1) + (1/8)^* 1^* (1, -1, 1, 1, 1, -1, 1, 1) \cdot (1, 1, 1, -1, 1, -1, -1, -1))$
- (**First term**: Sender 1 Code's inner product with itself is sum of M 1's, M=8 is its dimension. **Second term**: Sender 1 Code's inner product with Sender 2 Code equals 0, since the codes for different senders are orthogonal)
- $= (1/8)^* (-1^* (1+1+1+1+1+1+1+1) + 1^* (1^* 1 + 1^* (-1) + 1^* 1 + (-1)^* 1 + 1^* 1 + (-1)^* (-1) + (-1)^* 1 + (-1)^* 1))$
 - $= (1/8)^* (-1^* 8 + 1^* 0)$
 - $= -1$

CDMA: two-sender interference: Sender 2

- Decoded data for Sender 2 in slot 1 is $d_1^1 = \frac{1}{M} \sum_{m=1}^M Z_{2,m}^* \cdot c_m^2$
- $= (1/8) * ((-1) * (1, 1, 1, -1, 1, -1, -1, -1) + 1 * (1, -1, 1, 1, 1, -1, 1, 1)) \cdot (1, -1, 1, 1, 1, -1, 1, 1)$
- $= (1/8) * ((-1) * (1, 1, 1, -1, 1, -1, -1, -1) \cdot (1, -1, 1, 1, 1, -1, 1, 1) + (1/8) * 1 * (1, -1, 1, 1, 1, -1, 1, 1) \cdot (1, -1, 1, 1, 1, -1, 1, 1))$

(**First term**: Sender 1 Code's inner product with Sender 2 Code equals 0, since the codes for different senders are orthogonal.)

Second term: Sender 2 Code's inner product with itself is sum of M 1's, M=8 is its dimension.)

- $= (1/8) * (-1 * 0 + 1 * (1 * 1 + (-1) * (-1) + 1 * 1 + 1 * 1 + 1 * 1 + (-1) * (-1) + 1 * 1 + 1 * 1))$
- $= (1/8) * (-1 * 0 + 1 * 8)$
- $= 1$

Quiz 1 CDMA

- Q1: Consider the codes for two senders: Sender 1 Code: (1,-1,-1,-1,1,-1,-1,-1), Sender 2 Code: (1,-1,1,-1,1,-1,1,-1). Are they orthogonal?
- A: Inner product $(1,-1,-1,-1,1,-1,-1,-1) \cdot (1,-1,1,-1,1,-1,1,-1) = 4$, so not orthogonal
- Q2: Consider the codes for two senders: Sender 1 Code: (1,-1,1,-1,1,-1,-1,-1), Sender 2 Code: (1,1,1,1,1,1,1,-1). Are they orthogonal?
- A: inner product $(1,-1,1,-1,1,-1,-1,-1) \cdot (1,1,1,1,1,1,1,-1) = 0$, so they are orthogonal
- Q3: With the codes in Q2, suppose Sender 1 sends data bit 1 and Sender 2 sends data bit -1 simultaneously, compute the encoded data.
- A: $1 \cdot (1,-1,1,-1,1,-1,-1,-1) + (-1) \cdot (1,1,1,1,1,1,1,-1) = (0,-2,0,-2,0,-2,-2,0)$
- Q4: Compute the decoded data bit for Sender 1 and decoded data bit Sender 2.
- A: Decoded bit for Sender 1: $(1/8) \cdot (0,-2,0,-2,0,-2,-2,0) \cdot (1,-1,1,-1,1,-1,-1,-1) = 1$
- Decoded bit for Sender 2: $(1/8) \cdot (0,-2,0,-2,0,-2,-2,0) \cdot (1,1,1,1,1,1,1,-1) = -1$

Quiz 2 CDMA

- Q: A CDMA receiver receives the following encoded data:
- $(-1 +1 -3 +1 -1 -3 +1 +1)$.
- Assuming the following codes used by four sending stations (they are pairwise orthogonal to each other),
 - $A=(-1,-1,-1,+1,+1,-1,+1,+1)$
 - $B=(-1,-1,+1,-1,+1,+1,+1,-1)$
 - $C=(-1,+1,-1,+1,+1,+1,-1,-1)$
 - $D=(-1,+1,-1,-1,-1,-1,+1,-1)$
- which stations transmitted, and which bits did each one send?
- A: Compute the normalized inner products with each code:
 - A's data: $(1/8) * (-1 +1 -3 +1 -1 -3 +1 +1) \cdot (-1,-1,-1,+1,+1,-1,+1,+1) = 1$
 - B's data: $(1/8) * (-1 +1 -3 +1 -1 -3 +1 +1) \cdot (-1,-1,+1,-1,+1,+1,+1,-1) = -1$
 - C's data: $(1/8) * (-1 +1 -3 +1 -1 -3 +1 +1) \cdot (-1,+1,-1,+1,+1,+1,-1,-1) = 0$
 - D's data: $(1/8) * (-1 +1 -3 +1 -1 -3 +1 +1) \cdot (-1,+1,-1,-1,-1,-1,+1,-1) = 1$
- Stations A, B, and D transmitted bits 1, -1, 1 respectively while station C did not transmit.
 - Transmitted bits 1, -1, 1 correspond to application bits 1, 0, 1