Modelo de fotossíntese de Farquhar

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Esalq - USP

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LM35

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MCP3008

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 - Consumo de ATP e oxidação de NADPH₂
 - Produção de açúcares

$$E + S \xrightarrow{k_1} ES \xrightarrow{k_3} E + P$$

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$$\frac{d[ES]}{dt} = k_1[E][S] - (k_2 + k_3)[ES]$$

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$$E + S \xrightarrow{k_1} ES \xrightarrow{k_3} E + P$$

$$\frac{d[ES]}{dt} = k_1[E][S] - (k_2 + k_3)[ES]$$

$$[ES] = \frac{[E][S]}{\frac{k_2 + k_3}{k_1}} = \frac{[E][S]}{K_M}$$

Constante de Michaelis = $K_M = \frac{k_2 + k_3}{k_1}$

$$E + S \xrightarrow{k_1} ES \xrightarrow{k_3} E + P$$

$$\xrightarrow{d[ES]} = k_1[E][S] - (k_2 + k_3)[ES]$$

$$[ES] = \frac{[E][S]}{\frac{k_2 + k_3}{k_1}} = \frac{[E][S]}{K_M}$$
Constante de Michaelis = $K_M = \frac{k_2 + k_3}{k_1}$

Denning (1993)

 $V = V_{max} \times \frac{[S]}{[S] + K_M}$

$$E + S \xrightarrow[k_2]{k_1} ES \xrightarrow{k_3} E + P$$

$$\frac{d[ES]}{dt} = k_1[E][S] - (k_2 + k_3)[ES]$$

FIGURE 6: Michaelis-Menten model of enzyme kinetics. Adapted from Stryer (1981, p. 111).

$$[ES] = \frac{[E][S]}{\frac{k_2 + k_3}{k_1}} = \frac{[E][S]}{K_M}$$

Constante de Michaelis = $K_M = \frac{k_2 + k_3}{k_1}$

$$V = V_{max} \times \frac{[S]}{[S] + K_M}$$

Enzimas

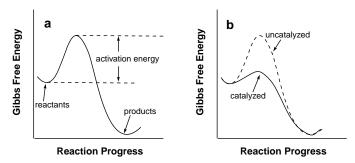


FIGURE 4: Effect of a catalyst on a chemical reaction. a) The overall reaction results in a reduction of the Gibbs free energy, but some energy must be supplied to start the reaction. b) This activation energy is reduced by introducing a catalyst, although the overall change in the free energy of the system is the same in both cases. Modified from Stryer (1981, p107).

Efeito da temperatura

ightharpoonup Q₁₀

$$k = k_{25} \times Q_{10}^{(T_k - 298, 15)/10}$$

► Arrhenius

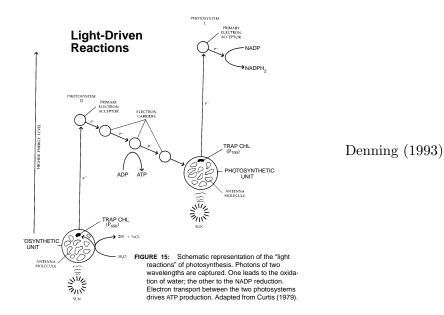
$$k = k_{25} \times \exp\left(\frac{E_a \times (T_k - 298, 15)}{298, 15 \times R \times T_k}\right)$$

$$k = k_{opt} \times \frac{H_d \times \exp\left(\frac{H_a \times (T_k - T_{opt})}{T_k \times R \times T_{opt}}\right)}{H_d - H_a \times \left(1 - \exp\left(\frac{H_d \times (T_k - T_{opt})}{T_k \times R \times T_{opt}}\right)\right)}$$

- ► Collatz et al. (1991)
- ▶ Bernacchi et al. (2001)
- ▶ Medlyn et al. (2002)

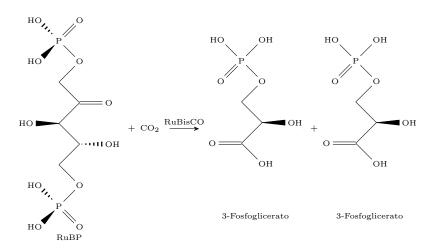
Fase clara

Cadeia de transporte de elétrons

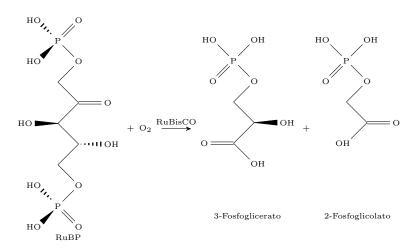


Fase escura

RuBP e RuBisCO



RuBP e RuBisCO – Fotorrespiração



Ciclo de Calvin-Benson

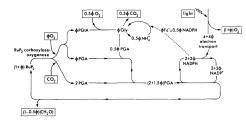


Fig. 1. Simplified photosynthetic carbon reduction (PCR) and photorespiratory carbon oxidation (PCO) cycles, with cycle for regeneration of NADPH linked to light driven electron transport. For each carboxylation, \$\rho\$ exygenations occur. Gly denotes glycine, Fd⁻ denotes reduced ferredoxin (assumed equivalent to 1/2 NADPH), PGA denotes 3-phosphoglycerate, PGIA phosphoglycolate. At the compensation point \$\rho\$ = 1.

$$\phi = \frac{V_o}{V_c} = \frac{V_{o_{max}}}{V_{c_{max}}} \times \frac{O/K_o}{C/K_c}$$

Farquhar, Caemmerer e Berry (1980)

Modelos

- ► Farquhar, Caemmerer e Berry (1980)
- ► Collatz et al. (1991)
 - $ightharpoonup R_d$
 - $ightharpoonup V_{max}$
- ▶ Bernacchi et al. (2001)
 - ► *K*_o
 - $ightharpoonup K_c$
- ▶ Medlyn et al. (2002)
 - $ightharpoonup J_{max}$
- ▶ Bonan (2008)

Modelos

 $A_n = \min\{w_c, w_j, w_s\} - R_d$

- $ightharpoonup w_c = axa de fotossíntese limitada pela RuBisCO$
- $> w_j =$ taxa de fotossíntese limitada pela cadeia de transporte de elétrons
- $w_s = \text{taxa de fotossíntese limitada pela síntese do produto final (sacarose)}$
- $ightharpoonup R_d = \text{carbono perdido pela respiração}$

Limite pela RuBisCO

$$w_c = V_{c_{max}} \times \frac{C}{C + K_c \times (1 + O/K_o)}$$

Farquhar, Caemmerer e Berry (1980)

Limite pela RuBisCO

$$w_c = V_{c_{max}} \times \frac{C}{C + K_c \times (1 + O/K_o)}$$

- $ightharpoonup K_o =$ Constante de Michaelis para oxigenação
- $ightharpoonup K_c =$ Constante de Michaelis para carboxilação

Farquhar, Caemmerer e Berry (1980)

Limite pela cadeia de transporte de elétrons

$$w_j = \frac{J}{4} \times \frac{C - \Gamma^*}{C + 2\Gamma^*}$$

Medlyn et al. (2002)

Limite pela cadeia de transporte de elétrons

$$w_j = \frac{J}{4} \times \frac{C - \Gamma *}{C + 2\Gamma *}$$

$$\theta J^2 - (\alpha \times APAR + J_{max})J + \alpha \times APAR \times J_{max} = 0$$

Medlyn et al. (2002)

Limite pela cadeia de transporte de elétrons

$$w_j = \frac{J}{4} \times \frac{C - \Gamma *}{C + 2\Gamma *}$$

$$\theta J^2 - (\alpha \times APAR + J_{max})J + \alpha \times APAR \times J_{max} = 0$$

▶ Γ * = Ponto de Compensação de CO_2 (sem R_d)

Medlyn et al. (2002)

Limite pelo produto final

$$w_s = \frac{V_{max}}{2}$$

Collatz et al. (1991)

Ponto de compensação de CO_2

Pressão parcial de CO_2 em que a assimilação líquida é nula

ightharpoonup Sem R_d

$$\Gamma * = \frac{K_c \times V_{o_{max}} \times O}{2 \times K_o \times V_{c_{max}}}$$

ightharpoonup Com R_d

$$\Gamma = \frac{\Gamma * + K_c \times (1 + O/K_o) \times R_d/V_{c_{max}}}{1 - R_d/V_{c_{max}}}$$

Farquhar, Caemmerer e Berry (1980)

Correções para $V_{c_{max}}$ e R_d

$$V_{c_{max}} = \frac{V_{c_{max}}^o}{1 + exp\left[\frac{-a + b \times (T_k)}{R \times T_k}\right]}$$

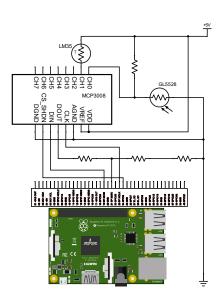
$$R_d = \frac{R_d^o}{1 + exp[1, 3 \times (T_k - 328, 15)]}$$

Collatz et al. (1991)

Circuito

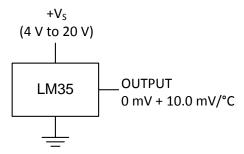
- Raspberry Pi
- ▶ Leitura de temperatura LM35
- ▶ Leitura de luminosidade GL5528
- ► MCP3008

Circuito

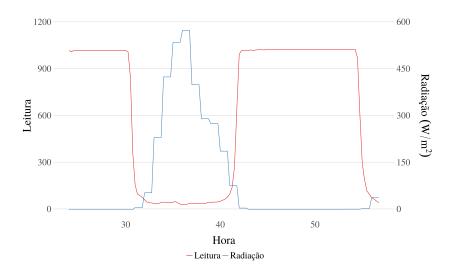


LM35

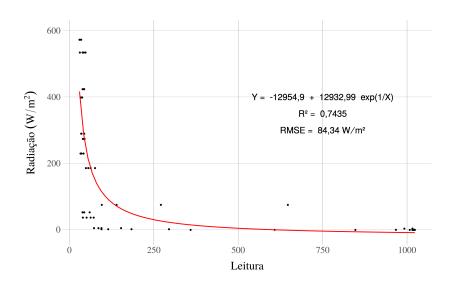
Basic Centigrade Temperature Sensor (2°C to 150°C)



GL5528

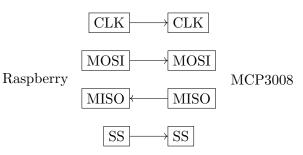


GL5528



MCP3008

Protocolo SPI para comunicação serial:



MCP3008

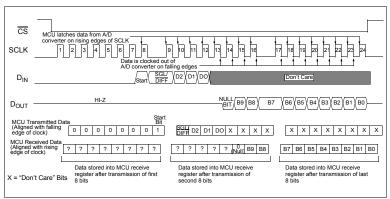


FIGURE 6-1: SPI Communication with the MCP3004/3008 using 8-bit segments (Mode 0,0: SCLK idles low).

Código

- ▶ Leitura dos dados
- ► Modelo
- Gráfico

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