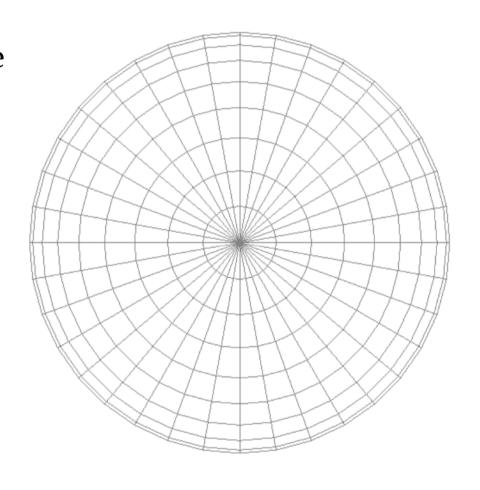
### Sphere in Parametric Form

- Lets say we want a perfect sphere or as close as we can get to it
- We will use GL\_QUADS to make the calculations a little easier for us
  - We will use two parameters:
  - latitude  $(\phi)$
  - longitude ( $\theta$ )





## Rendering a Sphere

• At a given  $\varphi$ , the sphere is just a circle of radius

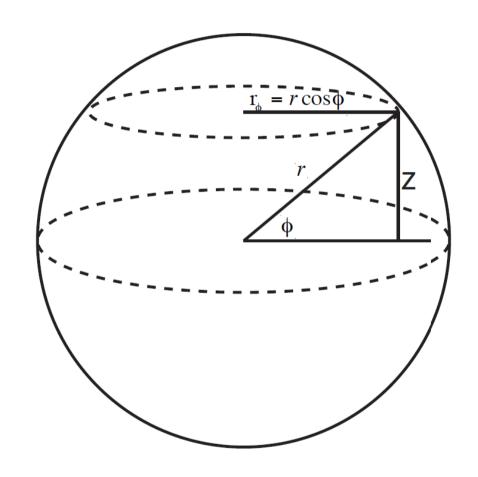
$$r_{\varphi} = r \cos \varphi$$

• and the z-value of all points on this circle is

$$z = r \sin \varphi$$

• But we know how to find points on a circle, so

$$x = r_{\varphi} \cos \theta = r \cos \varphi \cos \theta$$
$$y = r_{\varphi} \sin \theta = r \cos \varphi \sin \theta$$



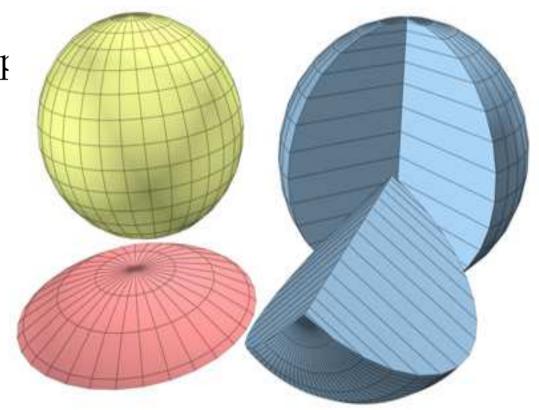


## Segments and Slices

• Using Quads, we need to setup our increments for the parametric equations

```
float inctheta =
(2.0f*pi)/float(nSlices);
```

```
float incphi =
pi/float(nSegments);
```

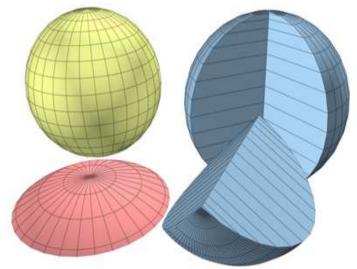


#### Image from Autodesk



## Then we just need to loop

 Using two loops, we need to build up our sphere



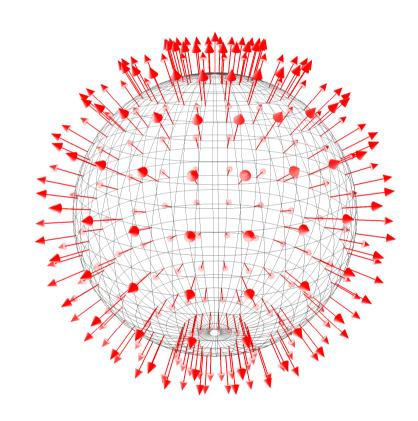
```
for(float theta=-pi; theta<pi; theta+=inctheta)
{
    for(float phi=-(pi/2.0f); phi<(pi/2.0f); phi+=incphi)
    {
        ......
}</pre>
```



# What about our Normals?

- Well, if we have our origin at 0,0
- Then every point on our sphere is also if changed to a vector is own normal e.g

```
glNormal3f(x,y,z);
glVertex3f(x,y,z);
```



Rejbrand Encyclopædia of Curves and Surfaces

