ml-scratch

May 12, 2023

1 KMeans

```
[]: import numpy as np
     from sklearn.datasets import load_digits
     from sklearn.metrics import accuracy_score, confusion_matrix, mean_squared_error
     import matplotlib.pyplot as plt
     import seaborn as sns
     from scipy.stats import mode
     # Ignore this
     from warnings import simplefilter
     simplefilter(action = "ignore", category = FutureWarning)
     digits = load_digits()
     X, Y = digits.data, digits.target
     def kmeans(X, k, max_iter):
      n = X.shape[0]
       centers = X[np.random.choice(n, k, replace = False)]
       ob_values = []
       for _ in range(max_iter):
         distances = np.linalg.norm(X[:, np.newaxis, :] - centers, axis = -1)
         labels = np.argmin(distances, axis = -1)
         for i in range(len(centers)):
           centers[i] = np.mean(X[labels == i], axis = 0)
         ob_val = 0
         for i in range(n):
           ob_val += (distances[i, labels[i]])**2
         ob_values.append(ob_val)
       # To account for permuted labels and Digits
       lab = np.zeros_like(labels)
```

```
for i in range(10):
    mask = (labels == i)
    lab[mask] = mode(Y[mask])[0]
 return lab, centers, ob_values
labels, centers, obj_values = kmeans(X, 10, 100)
print(obj values)
print("Predicted Labels:")
print(labels)
print("\nActual Labels:")
print(Y)
print("\nThe Accuracy Score")
print(accuracy_score(labels, Y))
print("The Centers are:")
for i in range(5):
 plt.subplot(1, 5, i + 1)
 plt.imshow(centers[i].reshape((8, 8)))
plt.show()
for i in range(5, 10):
 plt.subplot(1, 5, i - 4)
 plt.imshow(centers[i].reshape((8, 8)))
plt.show()
cm = confusion_matrix(labels, Y)
sns.heatmap(cm, square = True, annot = True, fmt = "d", cbar = False,
 →xticklabels = digits.target_names, yticklabels = digits.target_names, cmap =__

¬"viridis")

plt.xlabel("True Labels")
plt.ylabel("Predicted Labels")
plt.title("Confusion Matrix to show the accuracy")
plt.show()
for i in range(len(obj_values)):
    if obj_values[i] == obj_values[i + 1]:
        ind = i
        break
itr = np.arange(0, 100)
plt.plot(itr, obj_values, "green")
plt.axvline(x = ind, linestyle = "--", color = "red")
plt.legend(["Plot", f"KMeans becomes stable at iteration {i + 1}"])
plt.xlabel("Number of Iterations")
plt.ylabel("Objective Value")
plt.grid()
```

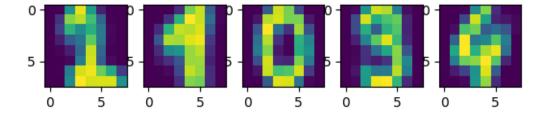
plt.show()

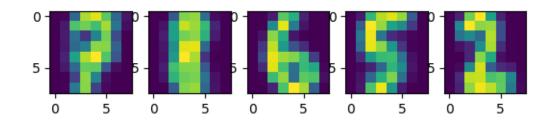
```
[2362362.0, 1474928.512307769, 1387431.075132158, 1303471.8857646866,
1263198.1141582918, 1245930.6202748832, 1230825.0261610376, 1211530.0066599704,
1204686.3103511613, 1199396.5071347163, 1193830.3471811896, 1188436.7839042586,
1183256.264533338, 1178400.6108346528, 1176725.8096872878, 1175915.4524736998,
1175333.4597189564, 1175189.1330287906, 1175091.2445854363, 1175073.7332125322,
1175065.271077916, 1175065.271077916, 1175065.271077916, 1175065.271077916,
1175065.271077916, 1175065.271077916, 1175065.271077916, 1175065.271077916,
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1175065.271077916, 1175065.271077916, 1175065.271077916, 1175065.271077916,
1175065.271077916, 1175065.271077916, 1175065.271077916, 1175065.271077916,
1175065.271077916, 1175065.271077916, 1175065.271077916, 1175065.271077916]
Predicted Labels:
```

[0 8 8 ... 8 3 3]

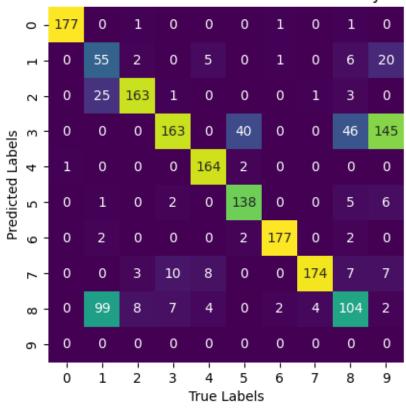
Actual Labels: [0 1 2 ... 8 9 8]

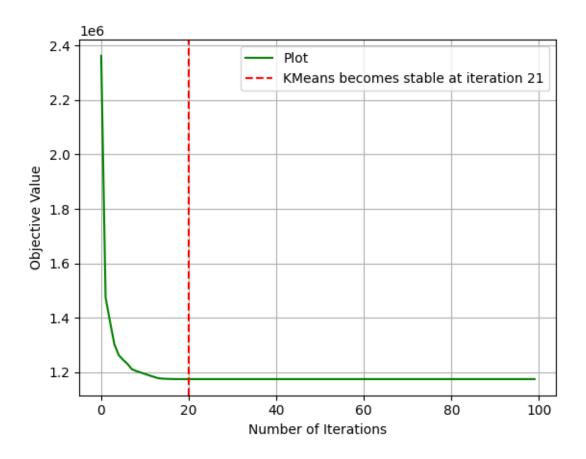
The Accuracy Score 0.7317751808569839 The Centers are:











2 KCenter

```
[]: from prettytable import PrettyTable
X, Y = digits.data, digits.target

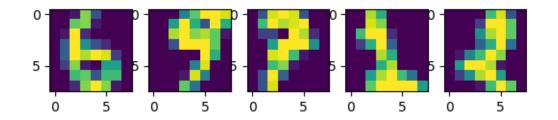
def cluster(X, centers):
    distances = np.linalg.norm(X[:, np.newaxis, :] - centers, axis = -1)
    labels = np.argmin(distances, axis = 1)
    return distances, labels

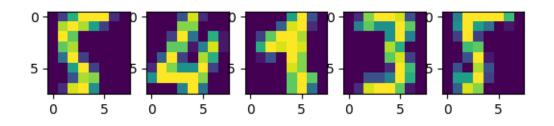
def Kcost(X, centers):
    cost = 0
    dist, labels = cluster(X, centers)
    for i in range(len(labels)):
        cost = max(cost, dist[i, labels[i]])
    return cost

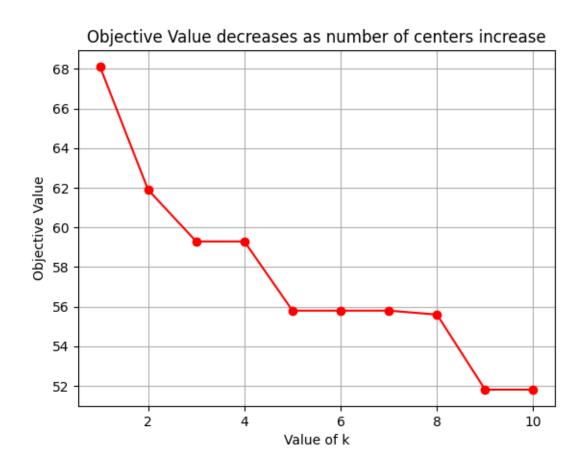
def kcenter(X, k):
    n = X.shape[0]
```

```
centers = [X[np.random.randint(n)]]
  indices = []
  costs = [Kcost(X, centers)]
  for i in range(k - 1):
    distances = np.linalg.norm(X[:, np.newaxis, :] - centers, axis = -1).
 \rightarrowsum(axis = 1)
    new_center_index = np.argmax(distances, axis = 0)
    indices.append(new_center_index)
    centers.append(X[new_center_index])
    costs.append(Kcost(X, centers))
  return centers, indices, costs
centers, indices, costs = kcenter(X, 10)
print(Y[indices])
print("The Centers are:")
for i in range(5):
 plt.subplot(1, 5, i + 1)
 plt.imshow(centers[i].reshape((8, 8)))
plt.show()
for i in range(5, 10):
 plt.subplot(1, 5, i - 4)
 plt.imshow(centers[i].reshape((8, 8)))
plt.show()
k = np.arange(1, 11)
plt.plot(k, costs, "ro-")
plt.grid()
plt.xlabel("Value of k")
plt.ylabel("Objective Value")
plt.title("Objective Value decreases as number of centers increase")
plt.show()
table = PrettyTable()
table.field_names = ["k value", "Objective Value"]
for i in range(10):
 table.add_row([i +1, costs[i]])
print(table)
```

[9 7 1 2 5 4 1 3 5] The Centers are:







3 K Nearest Neighbour Classifier

```
[]: from sklearn.datasets import load_iris
     from sklearn.model_selection import train_test_split
     from collections import Counter
     iris = load_iris()
     X, Y = iris.data, iris.target
     Xtrain, Xtest, Ytrain, Ytest = train_test_split(X, Y, train_size = 0.25)
     k = 5
     # y model = []
     # for x in Xtest:
        dist = []
       for c in Xtrain:
         dist.append(np.linalg.norm(c - x))
     # indices = np.argsort(dist)[:k]
     # targets = Ytrain[indices]
     # predicted_label = Counter(targets).most_common(1)[0][0]
        y_model.append(predicted_label)
     # A Better Code:
     def KNN(Xtrain, Ytrain, Xtest, k):
      dist = np.linalg.norm(Xtest[:, np.newaxis, :] - Xtrain, axis = -1)
      ind = np.argsort(dist, axis = 1)
      ind = ind[:, :k]
      K_classes = np.array([Ytrain[x] for x in ind])
      Y_model = np.array([Counter(x).most_common(1)[0][0] for x in K_classes])
      return Y_model
     y_model = KNN(Xtrain, Ytrain, Xtest, k)
     print("Predicted Labels:")
```

```
print(np.array(y_model))
print("\nActual Labels:")
print(Ytest)
print("\nAccuracy Score:")
print(accuracy_score(y_model, Ytest))
Predicted Labels:
[2\ 0\ 2\ 2\ 1\ 1\ 2\ 0\ 1\ 2\ 2\ 0\ 1\ 1\ 2\ 2\ 0\ 2\ 0\ 0\ 1\ 2\ 2\ 1\ 2\ 1\ 1\ 1\ 0\ 2\ 2\ 0\ 2\ 1\ 1\ 1
```

```
2\; 2\; 1\; 1\; 0\; 2\; 0\; 1\; 2\; 1\; 0\; 1\; 2\; 2\; 1\; 0\; 0\; 1\; 2\; 1\; 2\; 1\; 0\; 1\; 0\; 1\; 0\; 2\; 0\; 2\; 1\; 2\; 2\; 2\; 1\; 0\; 2
2 01
```

Actual Labels:

```
[2\ 0\ 2\ 2\ 1\ 1\ 2\ 0\ 1\ 2\ 2\ 1\ 0\ 2\ 1\ 2\ 2\ 0\ 2\ 0\ 0\ 1\ 2\ 2\ 1\ 2\ 1\ 1\ 1\ 0\ 2\ 2\ 0\ 2\ 1\ 1\ 1
 \begin{smallmatrix} 2 & 2 & 1 & 1 & 0 & 2 & 0 & 1 & 2 & 1 & 0 & 1 & 2 & 2 & 1 & 0 & 0 & 2 & 2 & 1 & 2 & 1 & 0 & 1 & 0 & 2 & 0 & 2 & 1 & 2 & 2 & 2 & 1 & 0 & 2 \\ \end{smallmatrix}
 \begin{smallmatrix} 0 & 1 & 0 & 0 & 1 & 0 & 2 & 0 & 0 & 2 & 1 & 0 & 0 & 2 & 0 & 0 & 0 & 0 & 2 & 2 & 1 & 0 & 1 & 1 & 2 & 1 & 2 & 2 & 0 & 0 & 1 & 0 & 0 & 1 & 1 & 0 \\ \end{smallmatrix}
 2 01
```

Accuracy Score: 0.9646017699115044

Gaussian Naive Bayes

```
[]: from sklearn.naive_bayes import GaussianNB
     from sklearn.datasets import load_wine
     wine = load_wine()
     X, Y = wine.data, wine.target
     model = GaussianNB()
     Xtrain, Xtest, Ytrain, Ytest = train test split(X, Y, train size = 0.25)
     model.fit(Xtrain, Ytrain)
     y_model = model.predict(Xtest)
     print("Predicted Labels:")
     print(np.array(y_model))
     print("\nActual Labels:")
     print(Ytest)
     print("\nAccuracy Score:")
     print(accuracy_score(y_model, Ytest))
```

Predicted Labels:

```
[1\ 0\ 0\ 0\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 1\ 1\ 0\ 1\ 1\ 1\ 2\ 2\ 1\ 1\ 1\ 2\ 2\ 0\ 1\ 0\ 0\ 0\ 1\ 0\ 2\ 1\ 1\ 1\ 2\ 1
0 2 1 0 2 1 1 1 1 2 0 0 2 2 2 0 0 0 1 1 2 0 1]
```

Actual Labels:

Accuracy Score: 0.9552238805970149

5 Linear Regression

```
[]: from sklearn.linear_model import LinearRegression
     from sklearn.datasets import load_diabetes
     diabetes = load_diabetes()
     X, Y = diabetes.data, diabetes.target
     Xtrain, Xtest, Ytrain, Ytest = train_test_split(X, Y, train_size = 0.45)
     model = LinearRegression()
     model.fit(Xtrain, Ytrain)
     y_model = model.predict(Xtest)
     print("First 10 Predicted Labels:")
     print(np.array(y model[:10]))
     print("\nFirst 10 Actual Labels:")
     print(Ytest[:10])
     print("\nRMSE:")
     print(mean_squared_error(y_model, Ytest)**0.5)
    First 10 Predicted Labels:
    [207.06828293 145.74155297 181.70800133 232.18837179 145.15057859
     225.36980872 172.48912217 165.45871961 126.60576782 144.98762215]
    First 10 Actual Labels:
    [109. 60. 263. 261. 197. 99. 122. 91. 83. 73.]
```

RMSE: 54.76358134102201

6 Principal Component Analysis (PCA)

6.1 Scratch PCA

```
[]: def My_PCA(X, k):
    means = np.mean(X, axis = 0)
    stds = np.std(X, axis = 0)
    # Scaling the X: same as StandardScaler()
    My_X_scaled = (X - means)/stds
    # Computing the Covariance Matrix of Scaled X
```

```
cov = np.cov(My_X_scaled.T)
# Finding EigenValues and EigenVectors of Covariance Matrix
values, vectors = np.linalg.eig(cov)
#Adjusting the signs of the EigenVectors
max_abs_idx = np.argmax(np.abs(vectors), axis=0)
signs = np.sign(vectors[max_abs_idx, range(vectors.shape[0])])
vectors = vectors*signs[np.newaxis,:]
vectors = vectors.T
# Finding the Indices of the largest EigenValues
indices = np.argsort(values)[::-1]
eig = vectors[indices]
# Taking only the Top k EigenVectors
W = eig[:k]
# Finally projection of Original Scaled data using the Top k EigenVectors
X_proj = My_X_scaled @ W.T
return X_proj
```

6.2 Built-in PCA

```
[]: X, Y = wine.data, wine.target
     from sklearn.decomposition import PCA
     from sklearn.preprocessing import StandardScaler
     scaler = StandardScaler()
    X_scaled = scaler.fit_transform(X)
     model = PCA(n_components = 2)
     X2D = model.fit_transform(X_scaled)
     print(X2D[:10])
     print()
     X_2D_My = My_PCA(X, 2)
     X_2D_My[:,1] = - X_2D_My[:,1]
     print(X_2D_My[:10])
     X_filtered = model.inverse_transform(X2D)
     print()
     print(X_filtered[:10])
     print()
     print(X[:10])
```

```
[[ 3.31675081 -1.44346263]
[ 2.20946492  0.33339289]
[ 2.51674015 -1.0311513 ]
[ 3.75706561 -2.75637191]
[ 1.00890849 -0.86983082]
[ 3.05025392 -2.12240111]
 [ 2.44908967 -1.17485013]
[ 2.05943687 -1.60896307]
[ 2.5108743 -0.91807096]
[ 2.75362819 -0.78943767]]
 \begin{bmatrix} 1.17683758 & -0.48854671 & 0.44943066 & -0.80905314 & 0.90346271 & 1.40287378 \end{bmatrix} 
  1.39791791 -0.9486178
                         1.09629808 0.47110942 0.58106277 1.01020946
  1.47780928]
 [ 0.15764475 -0.61672373 -0.10990684 -0.52523924  0.21383059  0.85030558
  0.93557863 - 0.66919329 \quad 0.67940854 - 0.37249229 \quad 0.74867543 \quad 0.88597056
  0.51191298]
 [ 0.8619575 -0.3851356
                         0.32075278 -0.61322768 0.66632506 1.06032437
  1.06095125 -0.72165424 0.8293466 0.32348051 0.45881977 0.77709516
  1.09795087]
 [ 1.87537855 -0.30119251  0.86349723 -0.92833383  1.35937617  1.66203977
  1.57973101 -1.04228148 1.28590532 1.12792641 0.34510016 0.95987296
  2.083154857
 0.42377954 -0.2761593
                         0.35040752 0.37160042 0.05647051 0.23643464
  0.60671049]
 [ 1.46674389 -0.27049071  0.66456854 -0.7524653
                                                 1.06905533 1.34185572
  1.28292613 -0.84952015 1.03945355 0.85455995 0.31240577 0.79827922
  1.64913728]
 [ 0.92169372 -0.33622623  0.36631025 -0.59855939  0.69977629  1.04297148
  1.03185674 -0.69732275 0.81379056 0.40563523 0.39862112 0.72800935
  1.13098806]
 [1.07541476 - 0.14304278 \ 0.50431902 - 0.50990499 \ 0.77452369 \ 0.91742527]
  0.86560067 - 0.56850495 \quad 0.70872326 \quad 0.67024295 \quad 0.16178587 \quad 0.51002474
  1.177663297
 [0.80641941 - 0.40913263 \ 0.28502364 - 0.61062629 \ 0.63160944 \ 1.05065466
  1.05885031 -0.72315748 0.82306382 0.26406823 0.48865529 0.79348991
  1.055005497
 1.16195144 -0.79932956 0.89409453 0.17438109 0.59660284 0.90596569
  1.07767706]]
[[1.423e+01 1.710e+00 2.430e+00 1.560e+01 1.270e+02 2.800e+00 3.060e+00
 2.800e-01 2.290e+00 5.640e+00 1.040e+00 3.920e+00 1.065e+03]
 [1.320e+01 1.780e+00 2.140e+00 1.120e+01 1.000e+02 2.650e+00 2.760e+00
 2.600e-01 1.280e+00 4.380e+00 1.050e+00 3.400e+00 1.050e+03]
 [1.316e+01 2.360e+00 2.670e+00 1.860e+01 1.010e+02 2.800e+00 3.240e+00
```

```
3.000e-01 2.810e+00 5.680e+00 1.030e+00 3.170e+00 1.185e+03]
[1.437e+01 1.950e+00 2.500e+00 1.680e+01 1.130e+02 3.850e+00 3.490e+00 2.400e-01 2.180e+00 7.800e+00 8.600e-01 3.450e+00 1.480e+03]
[1.324e+01 2.590e+00 2.870e+00 2.100e+01 1.180e+02 2.800e+00 2.690e+00 3.900e-01 1.820e+00 4.320e+00 1.040e+00 2.930e+00 7.350e+02]
[1.420e+01 1.760e+00 2.450e+00 1.520e+01 1.120e+02 3.270e+00 3.390e+00 3.400e-01 1.970e+00 6.750e+00 1.050e+00 2.850e+00 1.450e+03]
[1.439e+01 1.870e+00 2.450e+00 1.460e+01 9.600e+01 2.500e+00 2.520e+00 3.000e-01 1.980e+00 5.250e+00 1.020e+00 3.580e+00 1.290e+03]
[1.406e+01 2.150e+00 2.610e+00 1.760e+01 1.210e+02 2.600e+00 2.510e+00 3.100e-01 1.250e+00 5.050e+00 1.060e+01 9.700e+01 2.800e+00 2.980e+00 2.900e-01 1.980e+00 2.170e+00 1.400e+01 9.700e+01 2.800e+00 2.980e+00 2.900e-01 1.980e+00 5.200e+00 1.080e+00 2.850e+00 1.045e+03]
[1.386e+01 1.350e+00 2.270e+00 1.060e+01 9.800e+01 2.980e+00 3.150e+00 2.200e-01 1.850e+00 7.220e+00 1.010e+00 3.550e+00 1.045e+03]
```

6.3 PCA as a Noise Filter

6.3.1 KMeans on Original Data

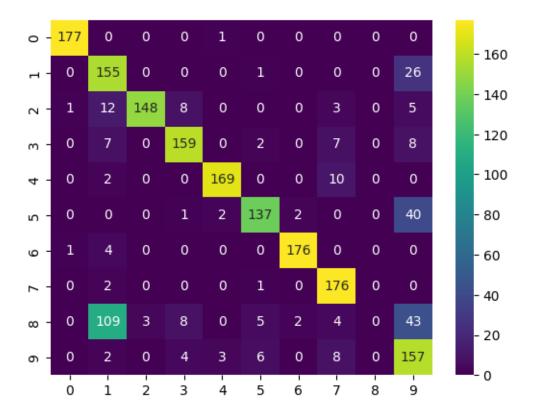
```
[]: from sklearn.cluster import KMeans
X = digits.data
Xnew = np.random.normal(X, 2)

kmeans = KMeans(n_clusters = 10, n_init = "auto", random_state = 42)
kmeans.fit(X)
cluster_labels = kmeans.predict(X)

lab = np.zeros_like(cluster_labels)
for i in range(10):
    mask = cluster_labels == i
    lab[mask] = mode(digits.target[mask])[0]

cm = confusion_matrix(digits.target, lab)
sns.heatmap(cm, cmap = "viridis", annot = True, fmt = ".3g")
```

[]: <Axes: >



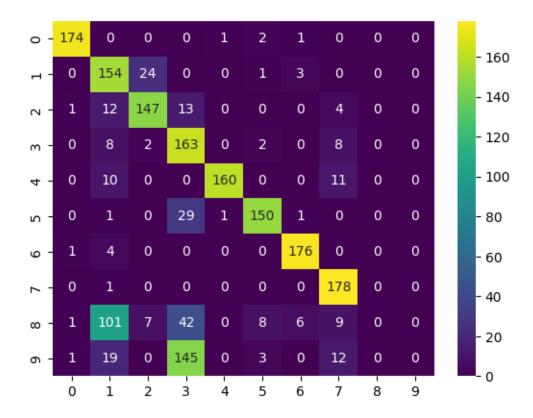
6.3.2 KMeans on Noisy Data

```
[]: kmeans = KMeans(n_clusters = 10, n_init = "auto", random_state = 42)
kmeans.fit(Xnew)
cluster_labels = kmeans.predict(Xnew)

lab = np.zeros_like(cluster_labels)
for i in range(10):
    mask = cluster_labels == i
    lab[mask] = mode(digits.target[mask])[0]

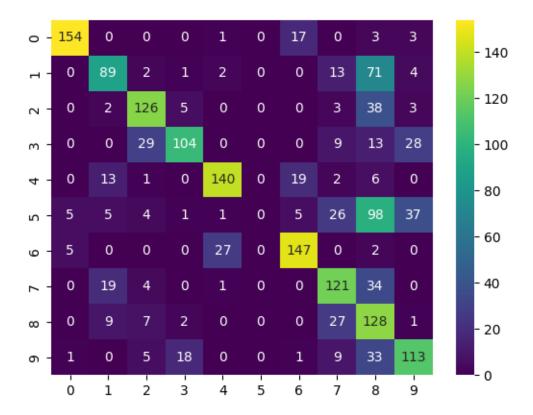
cm = confusion_matrix(digits.target, lab)
sns.heatmap(cm, cmap = "viridis", annot = True, fmt = ".3g")
```

[]: <Axes: >



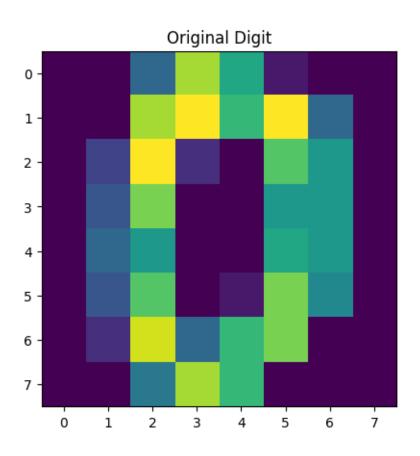
6.3.3 KMeans on Noise Removed using PCA inverse transform

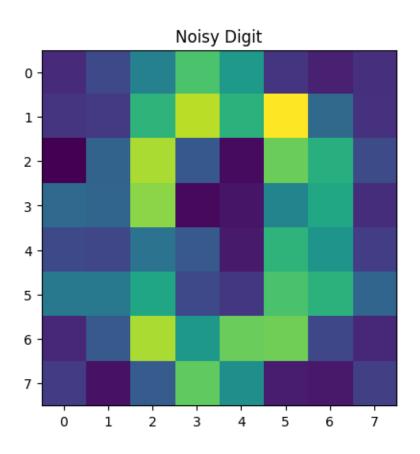
[]: <Axes: >

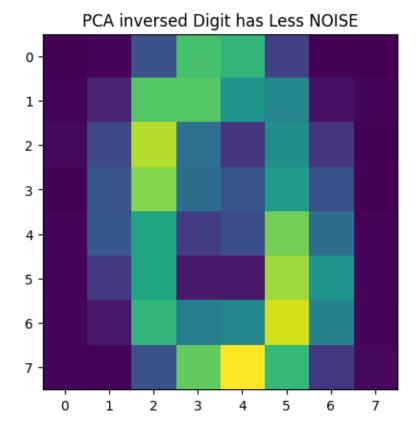


6.3.4 Look at the three digits

```
[]: plt.imshow(X[0].reshape((8, 8)))
   plt.title("Original Digit")
   plt.show()
   plt.imshow(Xnew[0].reshape((8, 8)))
   plt.title("Noisy Digit")
   plt.show()
   plt.imshow(filtered[0].reshape((8, 8)))
   plt.title("PCA inversed Digit has Less NOISE")
   plt.show()
```







7 Support Vector Machine (SVM) Classifier

```
[]: from sklearn.svm import SVC
    X, Y = digits.data, digits.target
    Xtrain, Xtest, Ytrain, Ytest = train_test_split(X, Y, train_size = 0.25)
     # SVC has mainly three parameters: kernel, gamma, C
     # Main kernels include: Linear(linear), RBF(Radial Basis Function)(rbf), __
     →Polynomial(poly): These define the nature of manifold boundries surfacing
     ⇔the clusters
     # By default kernel = "rbf", C = 1.0, gamma = controls the width of Gaussian_
      →kernels like rbf, ploy, sigmoid
    model = SVC(kernel = "rbf", C = 1.0)
    model.fit(Xtrain, Ytrain)
    y_model = model.predict(Xtest)
    print("Predicted Labels:")
    print(np.array(y_model))
    print("\nActual Labels:")
    print(Ytest)
    print("\nAccuracy Score:")
    print(accuracy_score(y_model, Ytest))
    Predicted Labels:
    [9 7 1 ... 9 2 7]
    Actual Labels:
    [9 7 1 ... 9 2 7]
    Accuracy Score:
    0.9695845697329377
[]: print(model.support_vectors_.shape)
    print(model.support_vectors_)
    (308, 64)
    [[0. 0. 4. ... 0. 0. 0.]
     [0. 0. 0. ... 9. 0. 0.]
     [0. 0. 2. ... 9. 1. 0.]
     [ 0. 0. 12. ... 15. 6. 0.]
     [ 0. 0. 10. ... 10. 0. 0.]
     [0. 0. 1. ... 13. 0. 0.]]
    8 Decision Tree Classifier
[]: from sklearn.tree import DecisionTreeClassifier
    X, Y = wine.data, wine.target
    Xtrain, Xtest, Ytrain, Ytest = train_test_split(X, Y, train_size = 0.25)
    model = DecisionTreeClassifier()
    model.fit(Xtrain, Ytrain)
```

```
y_model = model.predict(Xtest)
print("Predicted Labels:")
print(np.array(y_model))
print("\nActual Labels:")
print(Ytest)
print("\nAccuracy Score:")
print(accuracy_score(y_model, Ytest))
Predicted Labels:
[0\ 2\ 1\ 2\ 2\ 0\ 0\ 0\ 1\ 2\ 0\ 1\ 0\ 1\ 1\ 1\ 1\ 1\ 0\ 0\ 2\ 1\ 2\ 2\ 1\ 1\ 0\ 1\ 1\ 0\ 0\ 0\ 1\ 2\ 0\ 0\ 2
\begin{smallmatrix}0&2&2&1&2&2&0&2&0&1&2&2&0&2&2&0&2&2&0&1&1&0&0&1&1&1&0&1&1&0&1&2&0\end{smallmatrix}
 1 2 0 1 1 0 0 2 1 2 0 0 1 0 0 0 0 2 2 1 1 1 2
Actual Labels:
[0\; 2\; 1\; 2\; 2\; 1\; 0\; 1\; 1\; 2\; 0\; 1\; 0\; 1\; 1\; 0\; 1\; 2\; 1\; 0\; 2\; 1\; 2\; 2\; 1\; 1\; 0\; 1\; 1\; 1\; 0\; 0\; 0\; 2\; 0\; 1\; 2
1 \; 0 \; 2 \; 1 \; 1 \; 1 \; 1 \; 0 \; 0 \; 1 \; 2 \; 2 \; 0 \; 0 \; 1 \; 1 \; 0 \; 2 \; 2 \; 2 \; 2 \; 1 \; 0 \; 1 \; 0 \; 0 \; 0 \; 1 \; 1 \; 1 \; 2 \; 2 \; 0 \; 2 \; 0 \; 2 \; 2
\begin{smallmatrix}0&2&2&1&2&1&0&2&0&1&0&2&0&2&2&0&2&1&0&1&1&0&0&1&1&1&0&1&1&0&1&2&0\end{smallmatrix}
 1 1 0 1 1 0 0 2 1 2 0 0 1 0 0 0 0 2 2 1 1 2 1]
Accuracy Score:
```

8.1 Decision Boundaries

0.8731343283582089

```
[]: def visualize_classifier(model, X, y, ax=None, cmap='rainbow'):
         ax = ax or plt.gca()
         # Plot the training points
         ax.scatter(X[:, 0], X[:, 1], c=y, s=30, cmap=cmap,
                    clim=(y.min(), y.max()), zorder=3)
         ax.axis('tight')
         ax.axis('off')
         xlim = ax.get_xlim()
         ylim = ax.get_ylim()
         # fit the estimator
         model.fit(X, y)
         xx, yy = np.meshgrid(np.linspace(*xlim, num=200),
                              np.linspace(*ylim, num=200))
         Z = model.predict(np.c_[xx.ravel(), yy.ravel()]).reshape(xx.shape)
         # Create a color plot with the results
         n_classes = len(np.unique(y))
         contours = ax.contourf(xx, yy, Z, alpha=0.3,
                                levels=np.arange(n_classes + 1) - 0.5,
                                cmap=cmap, clim=(y.min(), y.max()),
```

zorder=1) ax.set(xlim=xlim, ylim=ylim)

```
[]: model = PCA(n_components = 2)
X2D = model.fit_transform(X_scaled)
visualize_classifier(DecisionTreeClassifier(), X2D, Y)
```

<ipython-input-16-2012e9cc4787>:20: UserWarning: The following kwargs were not
used by contour: 'clim'
 contours = ax.contourf(xx, yy, Z, alpha=0.3,

