MCE4101 Robotic Engineering

Assignment 5 SOLUTION

Due: 27 Sept 2021

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Q1. With RRR with 3 DOF wrist.

Given DH table and Transformation matrices. Find 2 possible posture solutions for end point location P(2.75,4.763,-2.33).

Given

$$a2 = 3$$

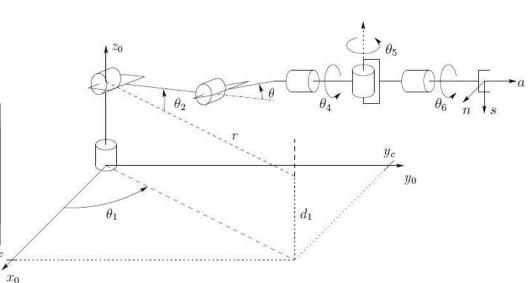
$$a3 = 5$$

d1 = 2 (Link1 offset from base)

$$d6 = 0$$
 (Wrist offset)

$$T_3^0 = \begin{bmatrix} 0.25 & 0.433 & 0.866 & 2.75 \\ 0.433 & 0.75 & -0.5 & 4.76 \\ -0.866 & 0.5 & 0 & -2.3301 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

$$0 = \begin{bmatrix} 0.397 & 0.433 & 0.8095 & 2.75 \\ 0.34 & 0.75 & -0.568 & 4.76 \\ -0.853 & 0.5 & 0.1504 & -2.3301 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$





RRR

Link	a_i	α_i	d_i	θ_i
1	0	90	d_1	θ_1^*
2	a_2	0	0	θ_2^*
3	a_3	0	0	θ_3^*

3 DOF Wrist

$$\begin{array}{|c|c|c|c|c|c|c|} \hline Link & a_i & \alpha_i & d_i & \theta_i \\ \hline 4 & 0 & -90 & 0 & \theta_4^* \\ 5 & 0 & 90 & 0 & \theta_5^* \\ 6 & 0 & 0 & d_6 & \theta_6^* \\ \hline \end{array}$$

$$R_3^0 = A_1 A_2 A_3 = \begin{bmatrix} c_1 c_{23} & -c_1 s_{23} & s_1 \\ s_1 c_{23} & -s_1 s_{23} & -c_1 \\ s_{23} & c_{23} & 0 \end{bmatrix}$$

$$R_6^3 = A_4 A_5 A_6 = \begin{bmatrix} c_4 c_5 c_6 - s_4 s_6 & -c_4 c_5 s_6 - s_4 c_6 & c_4 s_5 \\ s_4 c_5 c_6 + c_4 s_6 & -s_4 c_5 s_6 + c_4 c_6 & s_4 s_5 \\ -s_5 c_6 & s_5 s_6 & c_5 \end{bmatrix}$$



$$R_6^3 = R_0^3 R_6^0 = (R_3^0)^T R_6^0$$

$$R_6^0 = \begin{bmatrix} r_{11} & r_{12} & r_{13} \\ r_{21} & r_{22} & r_{23} \\ r_{31} & r_{32} & r_{33} \end{bmatrix} = \begin{bmatrix} 0.397 & 0.433 & 0.8095 \\ 0.34 & 0.75 & -0.568 \\ -0.853 & 0.5 & 0.1504 \end{bmatrix}$$

$$R_3^0 = \begin{bmatrix} 0.25 & 0.433 & 0.866 \\ 0.433 & 0.75 & -0.5 \\ -0.866 & 0.5 & 0 \end{bmatrix}$$
$$(R_3^0)^T = \begin{bmatrix} 0.25 & 0.433 & -0.866 \\ 0.433 & 0.75 & 0.5 \\ 0.866 & -0.5 & 0 \end{bmatrix}$$

$$R_6^3 = U = \begin{bmatrix} u_{11} & u_{12} & u_{13} \\ u_{21} & u_{22} & u_{23} \\ u_{31} & u_{32} & u_{33} \end{bmatrix}$$

$$c_5 = u_{33} = 0.985$$

 $s_5 = \pm \sqrt{1 - (0.985)^2} = 0.1726$
 $\theta_5 = A \tan 2(0.985, \pm 0.1726)$
 $\theta_5 = \pm 9.93^\circ$



If
$$\theta_5 = +9.93^{\circ}$$
 is chosen

$$\therefore s_5 > 0$$

$$+u_{13} = c_4$$
 and $+u_{23} = s_4$

$$\theta_4 = A \tan 2(u_{13}, u_{23})$$

$$\theta_{4} = 0^{\circ} (-180^{\circ})$$

$$\therefore s_5 > 0$$

$$-u_{31} = c_6$$
 and $+u_{32} = s_6$

$$\theta_6 = A \tan 2(-u_{31}, u_{32})$$

$$\theta_6 = 0^{\circ} (-180^{\circ})$$

If
$$\theta_5 = -9.93^{\circ}$$
 is chosen

$$\therefore s_5 < 0$$

$$-u_{13} = c_4$$
 and $-u_{23} = s_4$

$$\theta_4 = A \tan 2(-u_{13}, -u_{23})$$

$$\theta_{\!\scriptscriptstyle A} = 0^{\circ}$$

$$\therefore s_5 < 0$$

$$+u_{31} = c_6$$
 and $-u_{32} = s_6$

$$\theta_6 = A \tan 2(u_{31}, -u_{32})$$

$$\theta_6 = 0^{\circ}$$



$$\cos\theta_{3} = \frac{2.75^{2} + 4.763^{2} + (-2.33 - 2)^{2} - 3^{2} - 5^{2}}{2(3)(5)} := 0.5$$

$$\theta_{3} = A \tan 2(D, \pm \sqrt{1 - D^{2}})$$

$$\theta_{3} = \pm 60^{\circ}$$

$$\theta_{2} = A \tan 2\left(\sqrt{x_{c}^{2} + y_{c}^{2}}, z_{c} - d_{1}\right) - A \tan 2\left(a_{2} + a_{3}\cos(\theta_{3}), a_{3}\sin(\theta_{3})\right)$$

$$\theta_{3} = +60^{\circ}$$

$$\theta_{2} = -76.43^{\circ}$$

$$\theta_{1} = A \tan 2(x_{c}, y_{c})$$

$$\theta_{1} = +60^{\circ}, \theta_{1} = +240^{\circ}$$

$$\theta_{1} = +60^{\circ}, \theta_{2} = 0^{\circ}, \theta_{3} = -60^{\circ}, \theta_{4} = 0^{\circ}, \theta_{5} = -10^{\circ}, \theta_{6} = 0^{\circ}$$

$$\theta_{1} = +240^{\circ}, \theta_{2} = -76^{\circ}, \theta_{3} = +60^{\circ}, \theta_{4} = -180^{\circ}, \theta_{5} = +10^{\circ}, \theta_{6} = -180^{\circ}$$



Q2. With RRR with 3 DOF wrist. (ikine function)

Obtain (theta1-theta6) by ikine() for Q1) with robotic toolbox in MATLAB. Attached your code and result.

Use IG as [pi/10 -pi/150 pi/150 pi/100 -pi/100 pi/100]



```
t.h1 =
                    %%RRR with 3 DOF wrist
  59.9993
                    %%inv K Ass5 02
                    clear all; clc;
th2 =
                    d1 = 2; a2 = 3; a3 = 5; d6 = 0;
                    A1 = link([pi/2 \ 0 \ 0 \ d1, 0]);
 -3.6000e+03
                    A2 = link([0 a2 0 0,0]);
                    A3 = link([0 a3 0 0,0]);
th3 =
                    RRR = robot({A1 A2 A3});
                    %%3 DOF wrist
  5.7000e+03
                    A4 = link([-pi/2 \ 0 \ 0 \ 0,0]);
t.h4 =
                    A5 = link([pi/2 0 0 0,0]);
                    A6 = link([0 \ 0 \ 0 \ d6,0]);
 -3.9900e+03
                    RRR 3DOFWRIST = robot({A1 A2 A3 A4 A5 A6});
                    position = transl(2.75, 4.763, -2.33);
th5 =
                    IG = [pi/10 - pi/150 pi/150 pi/100 - pi/100 pi/100];
                    M = [1 \ 1 \ 1 \ 1 \ 1 \ 1];
  -90
                    values = ikine(RRR 3DOFWRIST, position, IG, M);
th6 =
  1.8300e+03
```



Q3. With RRR with 3 DOF wrist.

- a). With answer (theta1-theta6) from Q1, check your answer with Forward Kinematic function in MATLAB, whether you obtain the correct desirable position. Plot the figure with MATLAB. Attached your code and result.
- b). With answer (theta1-theta6) from Q2, check your answer with Forward Kinematic function in MATLAB, whether you obtain the correct desirable position. Plot the figure with MATLAB. Attached your code and result.



```
clear all; clc;
             d1 = 2; a2 = 3; a3 = 5; d6 = 0;
             A1 = link([pi/2 0 0 d1,0]);
Pend a =
             A2 = link([0 a2 0 0,0]);
             A3 = link([0 a3 0 0,0]);
   2.7500
             RRR = robot({A1 A2 A3});
   4.7631
             %%3 DOF wrist
  -2.3301
             A4 = link([-pi/2 0 0 0,0]);
   1.0000
             A5 = link([pi/2 0 0 0,0]);
             A6 = link([0 \ 0 \ 0 \ d6,0]);
             RRR 3DOFWRIST = robot({A1 A2 A3 A4 A5 A6});
Pend b =
             position = transl(2.75, 4.763, -2.33);
             IG = [pi/10 - pi/150 pi/150 pi/100 - pi/100 pi/100];
   2.7500
             M = [1 1 1 1 1 1];
   4.7630
             values = ikine(RRR 3DOFWRIST, position, IG, M);
  -2.3300
   1.0000
             T06 a = fkine(RRR 3DOFWRIST, [pi/3, 0 -pi/3 0 (-10/180)*pi 0]);
             Pend a = T06 \ a * [0;0;0;1]
             T06 b = fkine(RRR 3DOFWRIST, values);
             Pend b = T06 b*[0;0;0;1]
```



Q4. With RRP 1 DOF wrist (SCARA).

Given DH table and Transformation matrix. Obtain the formulas for θ_1 , θ_2 , θ_4 and d_3 with using Atan2 function. Steps must be included in your work. State possible solution values. Find 1 possible solution for end point location P(7.5,2,3.5).

Given

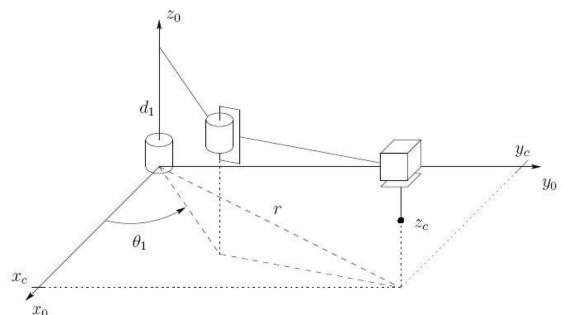
a1 = 3

a2 = 5

d1 = 5 (Link1 offset from base)

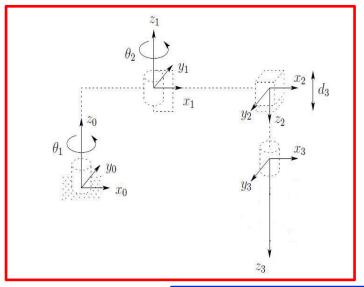
d4 = 1 (Wrist offset)







RRP



Link	a_i	α_i	d_i	θ_i
1	a_1	0	d_1	θ_1^{\star}
2	a_2	180	0	θ_2^{\star}
3	0	0	d_2^{\star}	0
4	0	0	d_4	θ_{1}^{\star}

$$y_4$$
 θ_4
 z_4

$$T_4^0 = A_1 \cdots A_4$$

$$= \begin{bmatrix} c_{12}c_4 + s_{12}s_4 & -c_{12}s_4 + s_{12}c_4 & 0 & a_1c_1 + a_2c_{12} \\ s_{12}c_4 - c_{12}s_4 & -s_{12}s_4 - c_{12}c_4 & 0 & a_1s_1 + a_2s_{12} \\ 0 & 0 & -1 & d_1 - d_3 - d_4 \\ 0 & 0 & 1 \end{bmatrix}$$



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	a	d	4	0				
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da = -	Ze-d	1 -d	di-	Zc-d	4			
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			1000
R4 = A	4= C4 -S4 C4 C		100000
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			5
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	Sia Ca - C1289	-51254 - 01264	0
	0	•	1-1-1
		and the same	(A-07-25-
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(43) =	C152 + C251	5152 - 402	0
	0	0	-1 0
		2	
	T C12	S.2	0 7
2	Siz	-C12	. \
		-	1
	[0	0	3
11:0			Total Marie
U =	C4	S-4	07
W 2	S4	Ca	0
	0	0	-1



	$S_{2}(C_{12-4}) + -(1_{2}(S_{12-4}) - S_{2}(S_{12-4}) + (-1_{2})(-)(C_{12-4}) = 0$ $C_{12}(C_{12-4}) + S_{12}(S_{12-4}) - C_{12}(S_{12-4}) - S_{2}(C_{12-4}) = 0$ $S_{12}(C_{12-4}) - C_{12}(S_{12-4}) - S_{12}(S_{12-4}) + C_{12}(C_{12-4}) = 0$ $C_{12}(S_{12-4}) - C_{12}(S_{12-4}) - C_{12}(S_{12-4}) = 0$
	C12(C12-4) + S12(S12-4) C12(S12-4) - S2(C12-4) 0 S12(C12-4) - C12(S12-4) S12(S12-4) + C12(C12-4) 0
	S12(C12-4) - C12(S12-4) S12(S12-4) + C12(C12-4)
	S12(C12-4) - C12(S12-4) S12(S12-4) + C12(C12-4)
	S12(C12-4) - C12(S12-4) S12(S12-4) + C12(C12-4)
2	S12(C12+4) - C12(S12+4) S12(S12+4) 4 C2 (S12+4)
2	0 1
4	C12-(12-4) S12-47-12 0 1
2	C12-(12-4) St2-47-12 0 1
2.	C12-(12-4) S12-4)=12
100	
	S12-(12-4) C12-(12-4)
	0 0 -1
19	A PORT OF THE PROPERTY OF THE
= [C4 S-4 0
1	S4 C4 0
1	0 0 1
	Of can be any value.

P(\$5,2,3.5) a:3 0,:5
05:5
di = 5
d4=1
= de = de - ze-da
= 5 - 95 - 1
dz = 0.5
02 = Adan2 (D, = 11-02)
D= 7.52 + 22-32-52 = 0.875
2(8)(2)
: + \(1-D= = \pm 0.484
2/1-0 7 0 101
A 01 - (0.074 1 0.004)
02: Adan 2 (0.875, ± 0.484)
82 = 28.95° , - 38.95°
0,= Atan 2 (7.5, 2) - Adan 2 (7.375 , + 2.42)
= 14.93°- (+18.167°)
On = -3237 , On - + 18 167 28 950
Q = 33.0976 2 = 18-167° -28-99
9-33011



Q5. With RRP 1 DOF wrist (SCARA).

Given DH table and Transformation matrix. Find 1 possible posture solution for end point location P(7.5,2,3.5) using Inverse Kinematic function ikine() from **MATLAB**. Plot this location.

Given

a1 = 3

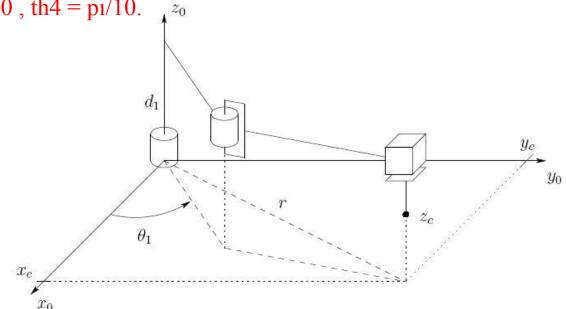
a2 = 5

d1 = 5 (Link1 offset from base)

d4 = 1 (Wrist offset)

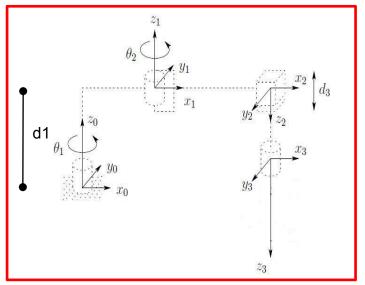
Use IG: th1 = pi/10, th2 = 0, th3 = 0, th4 = pi/10.







RRP



Link	a_i	α_i	d_i	θ_i
1	a_1	0	d_1	θ^{\star}
2	a_2	180	0	θ^{\star}
3	0	0	d^{\star}	0
4	0	0	d_4	θ^{\star}

$$y_4$$
 θ_4
 z_4
 $d4$

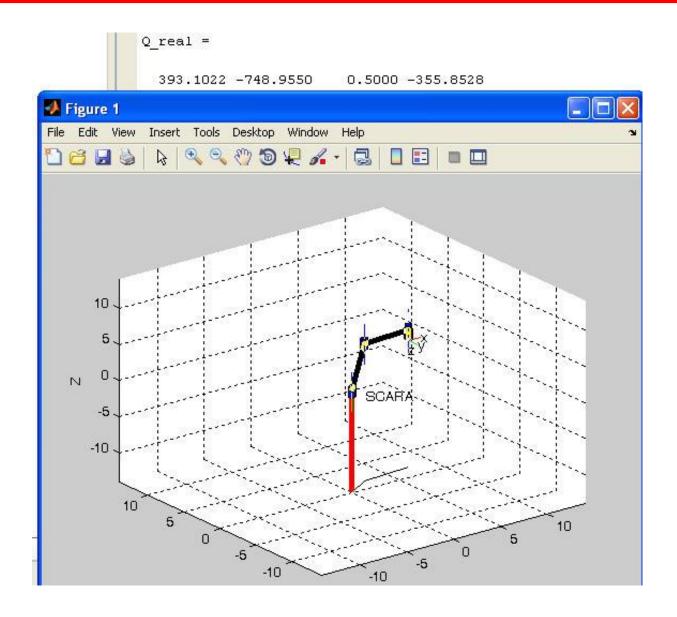
$$= \begin{bmatrix} c_{12}c_4 + s_{12}s_4 & -c_{12}s_4 + s_{12}c_4 & 0 & a_1c_1 + a_2c_{12} \\ s_{12}c_4 - c_{12}s_4 & -s_{12}s_4 - c_{12}c_4 & 0 & a_1s_1 + a_2s_{12} \\ 0 & 0 & -1 & d_1 - d_3 - d_4 \\ 0 & 0 & 1 \end{bmatrix}$$

 $T_4^0 = A_1 \cdots A_4$

1 DOF Wrist Mechanism

Assignment 5 : Q5 (1 possible posture answer)







```
&SCARA with 1 DOF Wrist
%alpha a theta D
clear all;
clc:
a1 = 3;
a2 = 5;
d4 = 1;
th1 = 0;
th2 = 0;
th4 = 0;
d3 = 0; %when Pz is 3.5, d3 must be 0.5
*RRP
L1 = Link([0,a1,th1,5], 'standard');
L2 = Link([pi,a2,th2,0],'standard');
L3 = Link([0,0,0,d3,1], 'standard'); %%To have pristmatic joint must set to 1
%1 DOF Writs
L4 = Link([0,0,th4,d4], 'standard');
RRP = robot({L1 L2 L3 L4});
pos = transl(7.5, 2, 3.5);
%INVK for RRP with 1 DOF
Q = ikine(RRP, pos,[pi/10 0 0 pi/10],[1 1 1 1 0 0])
Q d3 = Q(1,3); %%d3
Q \deg(1,1) = (Q(1,1)/pi)*180;
Q \deg(1,2) = (Q(1,2)/pi)*180;
Q \deg(1,4) = (Q(1,4)/pi)*180;
Q_{real} = [Q_{deg}(1,1) \ Q_{deg}(1,2) \ Q_{d3} \ Q_{deg}(1,4)]
RRP.name = 'SCARA';
plot(RRP,[Q]);
hold on;
hold off:
```



Q6. With RRP 1 DOF wrist (SCARA).

- a). With answer (theta1, theta2, theta4 and d3) from Q4, check your answer with Forward Kinematic function in MATLAB, whether you obtain the correct desirable position. Plot the figure with MATLAB. Attached your code and result.
- b). With answer (theta1, theta2, theta4 and d3) from Q5, check your answer with Forward Kinematic function in MATLAB, whether you obtain the correct desirable position. Plot the figure with MATLAB. Attached your code and result.



```
a1 = 3;
a2 = 5;
d1 = 5;
d4 = 1;
syms th1 th2 th4 d3
%RRP
L1 = link([0,a1,th1,d1],'standard');
L2 = link([pi,a2,th2,0],'standard');
L3 = link([0,0,0,d3,1], 'standard'); %%To have pristmatic joint must set to 1
%1 DOF Writs
L4 = link([0,0,th4,d4],'standard');
RRP = robot(\{L1 L2 L3 L4\});
%FK for RRP with 1 DOF
qzRRP = [(-3.237/180)*pi (28.95/180)*pi 0.5 0];
TRRP = fkine(RRP, qzRRP);
LOCATION = double (TRRP*[0;0;0;1])
```



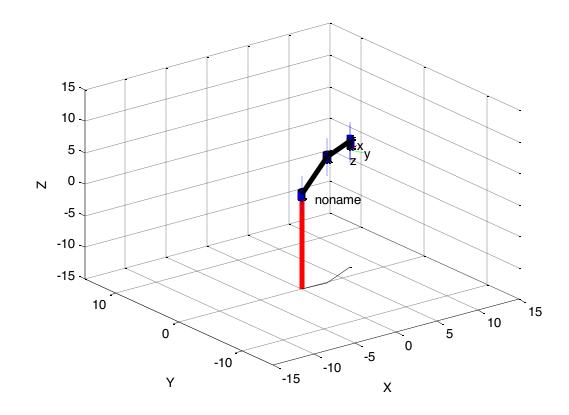
a) With answer (theta1, theta2 and d3) from Q4, check your answer with Forward Kinematic function in MATLAB, whether you obtain the correct desirable position. Plot the figure.

```
qzRRP = [(-3.237/180)*pi (28.95/180)*pi 0.5 0];
```

```
TOCATION =

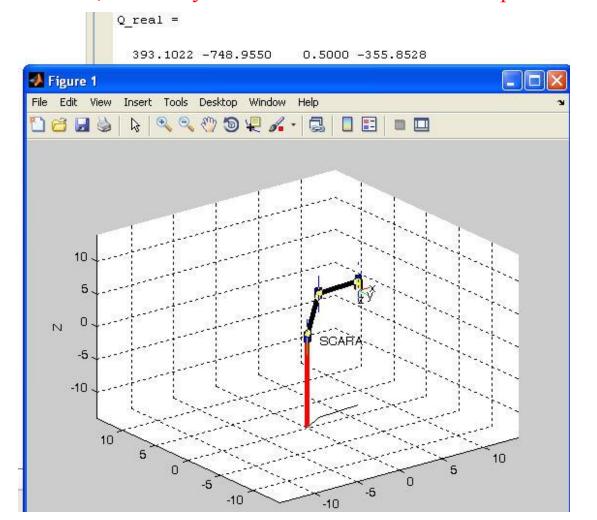
|

7.5001
1.9999
3.5000
1.0000
```





b) With answer (theta1, theta2 and d3) from Q5, check your answer with Forward Kinematic function in MATLAB, whether you obtain the correct desirable position. Plot the figure.





Q7. With RPP 3-DOF wrist.

Given DH table and Transformation matrices. Find possible posture solutions for end point location P(1.5, 2.75, 5).

Given
$$L_1 = 2.5, L_2 = 0$$
 and $L_6 = 0.15$

and transformation data are given as



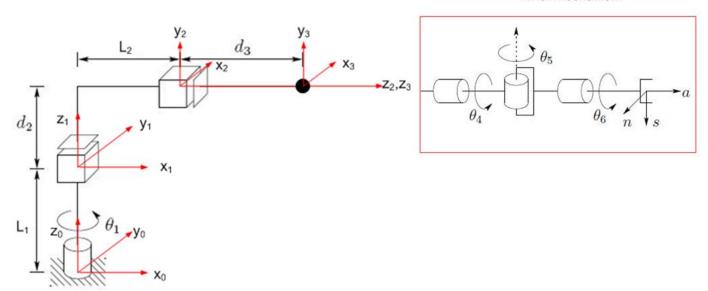
Link	α	а	d	θ	
1	0	0	L,	θ_{i}^{\star}	_
2	90∘	0	ď,	90°	
3	0	a	$L_2 + d_2^*$	0	

Link	a_i	α_i	d_i	θ_i
4	0	-9 0	0	θ_4^*
5	0	90	0	θ_5^*
6	0	0	d_6	θ_6^*

3 DOF Wrist

RPP

Wrist mechanism





$$c_1 = 0.5$$

$$s_1 = 0.866$$

$$\theta_1 = A \tan 2(0.5, 0.866)$$

$$\theta_1 = 60^{\circ}$$

$$c_1(d_3)=1.5 \Rightarrow d_3=3$$

$$L_1 + d_2 = 5$$
 \Rightarrow $d_2 = 2.5$



$$c_5 = u_{33} = 0.866$$
$$s_5 = \pm \sqrt{1 - (0.866)^2}$$

$$\theta_5 = A \tan 2(0.866, \pm \sqrt{1 - (0.866)^2})$$

$$\theta_5 = \pm 30^{\circ}$$

$$\theta_5 = +30^{\circ}$$

$$\therefore s_5 > 0$$

$$+u_{13} = c_4$$
 and $+u_{23} = s_4$

$$\theta_4 = A \tan 2(u_{13}, u_{23})$$

$$\theta_4 = 0^{\circ}$$

$$\therefore s_5 > 0$$

$$-u_{31} = c_6 \ and + u_{32} = s_6$$

$$\theta_6 = A \tan 2(-u_{31}, u_{32})$$

$$\theta_6 = 0^{\circ}$$

$$\theta_5 = -30^{\circ}$$

$$\therefore s_5 < 0$$

$$-u_{13} = c_4$$
 and $-u_{23} = s_4$

$$\theta_4 = A \tan 2(-u_{13}, -u_{23})$$

$$\theta_4 = 180^{\circ}$$

$$\therefore s_5 < 0$$

$$+u_{31} = c_6$$
 and $-u_{32} = s_6$

$$\theta_6 = A \tan 2(u_{31}, -u_{32})$$

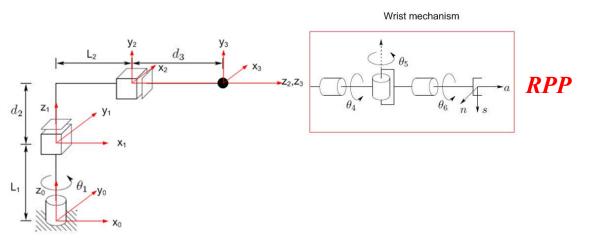
$$\theta_6 = 180^{\circ}$$



Q8. With RPP 3-DOF wrist. (ikine function)

Given DH table and Transformation matrices. Find possible posture solutions for end point location P(1.5, 2.75, 5), using Inverse Kinematic function ikine() from **MATLAB**. Plot this location.

Given $L_1 = 2.5, L_2 = 0$ and $L_6 = 0.15$ IG [0.1 0.5 0 0 0]



Link	α	a	d	θ
1	0	0	L,	θ_i^*
2	90∘	0	ď	90°
3	0	a	$L_2 + d_3^*$	0

Link	a_i	α_i	d_i	θ_i
4	0	-90	0	θ_4^*
5	0	90	0	θ_5^*
6	0	0	d_6	θ_6^*

3 DOF Wrist

118.6105



```
th1 deg =
                                     clear all; clc;
                                     L1 = 2.5; L2 = 0; d6 = 0.15;
   61.3895
                                     th1 = pi/3; d2 = 2.5; d3 = 3; th4 = 0; th5 = pi/6; th6 = 0;
                                     %%RPP
                                     A1 = link([0 \ 0 \ 0 \ L1,0]);
d2 =
                                     A2 = link([pi/2 0 pi/2 0,1]);
                                     A3 = link([0 \ 0 \ 0 \ 0,1]);
    2.3500
                                     RPP A5 = robot(\{A1 A2 A3\});
                                     T03 = fkine(RPP A5, [th1 d2 d3])
                                     %%3 DOF wrist
                                     A4 = link([-pi/2 0 0 0,0]);
d3 =
                                     A5 = link([pi/2 0 0 0,0]);
                                     A6 = link([0 \ 0 \ 0 \ d6,0]);
     3.1325
                                     Wrist A5 = robot({A4 A5 A6});
                                     T36 = fkine(Wrist A5, [th4 th5 th6])
th4 deg =
                                     RPP 3DOF WRIST = robot({A1 A2 A3 A4 A5 A6});
  -270
                                     position = transl([1.5, 2.75, 5]);
                                     IG = [0.1 \ 0.5 \ 0 \ 0 \ 0]
th5 deg =
                                     values = ikine(RPP_3DOF_WRIST, position, IG, [1 1 1 1 1 1]);
                                     thl deg = (values(1,1)/pi)*180
  -270
                                     d2 = values(1,2)
                                     d3 = values(1,3)
                                     th4 deg = (values(1,4)/pi)*180
th6 deg =
                                     th5 deg = (values(1,5)/pi)*180
                                     th6 deg = (values(1,6)/pi)*180
```



Q9. With RPP 3-DOF wrist.

- a). With answer (theta1, d2, d3, theta4, theta5, theta6) from Q7, check your answer with Forward Kinematic function in MATLAB, whether you obtain the correct desirable position. Plot the figure with MATLAB. Attached your code and result.
- b). With answer (theta1, d2, d3, theta4, theta5, theta6) from Q8, check your answer with Forward Kinematic function in MATLAB, whether you obtain the correct desirable position. Plot the figure with MATLAB. Attached your code and result.



```
L1 = 2.5; L2 = 0; d6 = 0.15;
                           th1 = pi/3; d2 = 2.5; d3 = 3; th4 = 0; th5 = pi/6; th6 = 0;
                           %%RPP
                           A1 = link([0 \ 0 \ 0 \ L1,0]);
                           A2 = link([pi/2 0 pi/2 0,1]);
                           A3 = link([0 \ 0 \ 0 \ 0,1]);
                           RPP A5 = robot(\{A1 \ A2 \ A3\});
                           T03 = fkine(RPP A5, [th1 d2 d3])
                           %%3 DOF wrist
Pend ikine =
                           A4 = link([-pi/2 0 0 0,0]);
                           A5 = link([pi/2 0 0 0,0]);
     1.5000
                           A6 = link([0 \ 0 \ 0 \ d6,0]);
     2.7500
                            RPP 3DOF WRIST = robot({A1 A2 A3 A4 A5 A6});
     5.0000
     1.0000
                           position = transl([1.5, 2.75, 5]);
                           IG = [0.1 0.5 0 0 0 0]
                           values = ikine(RPP 3DOF WRIST, position, IG, [1 1 1 1 1]);
                           thl deg = (values(1,1)/pi)*180
                           d2 = values(1,2)
                           d3 = values(1,3)
                           th4 deg = (values(1,4)/pi)*180
                           th5 deg = (values(1,5)/pi)*180
                           th6 deg = (values(1,6)/pi)*180
                           %%check answer
                           T06 ikine = fkine(RPP 3DOF WRIST, values);
                            Pend ikine = T06 ikine*[0;0;0;1]
```