

# CP decomposition with alignment

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# List

## CP decomposition

- Resize image to lower dimension → **Check**
- Compare the alignment effect → **Check**
- Find rotation effect in CP decomposition → **Check**

# Data

## Sets

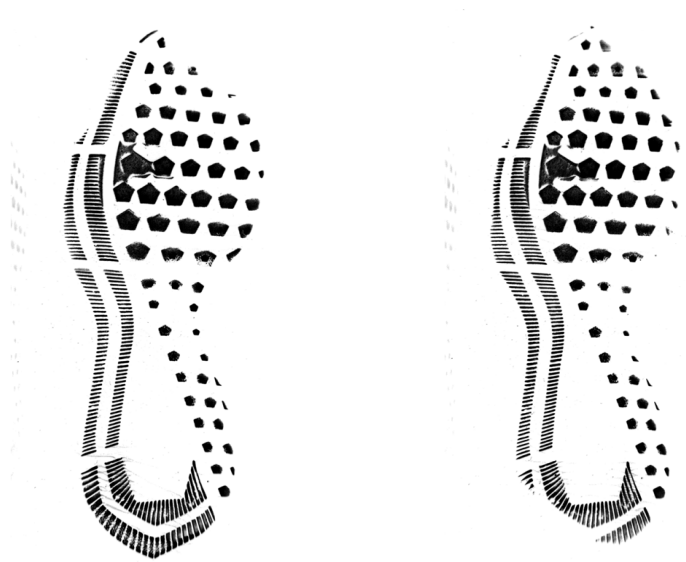
- Left side
- Two brands; Nike, Adidas
- Four sample; A(Nike), B(Nike), C(Adidas), D(Adidas)
- Two images for one sample; A1, A2, B1, . . . , D1, D2
- Rank 1 CP-decomposition **after alignment**

## Additional options

- Alignment : SHIFT(80 descriptors)
- Resize to  $224 \times 224$

# Images

A images before alignment and resizing



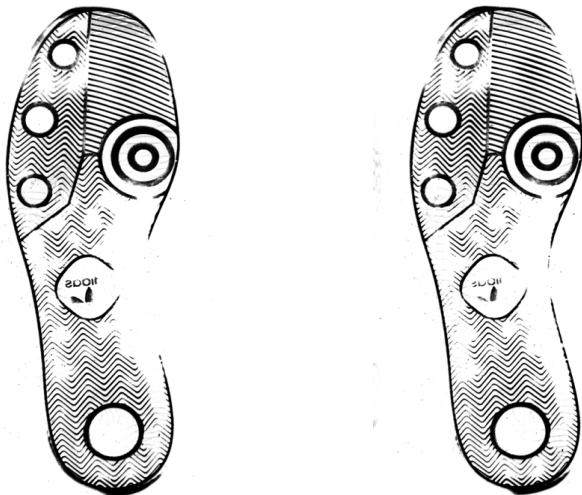
# Images

A images after alignment and resizing



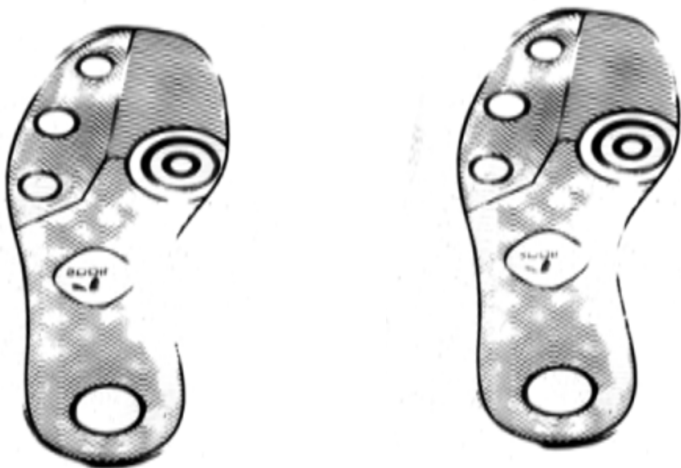
# Images

C images before alignment and resizing



# Images

C images after alignment and resizing



# Decomposed vector

## Result table

	$mean(d_1)$	$mean(d_2)$	$mean(d_3)$	$mean(TW)$
Matching	0.0669	<b>0.0395</b>	0	<b>0.1064</b>
Non-matching (same brand)	0.0793	0.0544	0	0.1189
Non-matching (different brand)	<b>0.0668</b>	0.0468	0	0.1135

- $mean(d_1)$  : Mean of the height-axis distance
- $mean(d_2)$  : Mean of the width-axis distance
- $mean(d_3)$  : Mean of the color-axis distance
- $mean(TW)$  : Mean of the total weight( $d_1 + d_2 + d_3$ )



# Decomposed vector

## Result table

Alignment	$\text{mean}(d_1)$	$\text{mean}(d_2)$	$\text{mean}(d_3)$	$\text{mean}(TW)$
Matching	<b>0.0206</b>	<b>0.0129</b>	0	<b>0.0335</b>
Non-matching (same brand)	0.0853	0.0571	0	0.1381
Non-matching (different brand)	0.0612	0.0412	0	0.1024

- $\text{mean}(d_1)$  : Mean of the height-axis distance
- $\text{mean}(d_2)$  : Mean of the width-axis distance
- $\text{mean}(d_3)$  : Mean of the color-axis distance
- $\text{mean}(TW)$  : Mean of the total weight( $d_1 + d_2 + d_3$ )

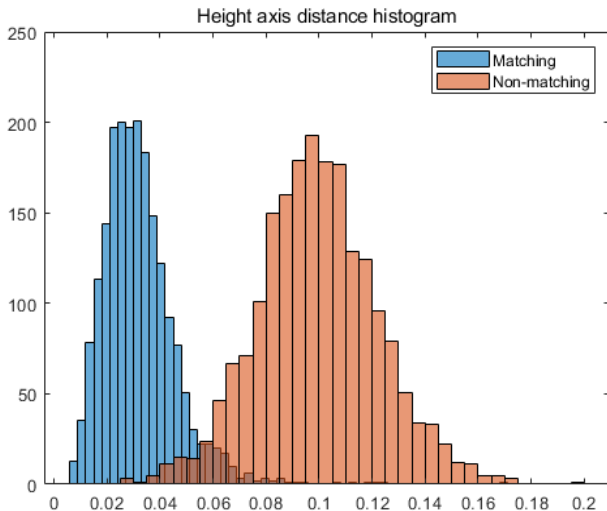
# For large dataset

## Dataset

- Aligned images
- 2,000 match pairs vs 2,000 non-match pairs
- Resized to  $224 \times 224$
- Rank 1 CP-decomposition

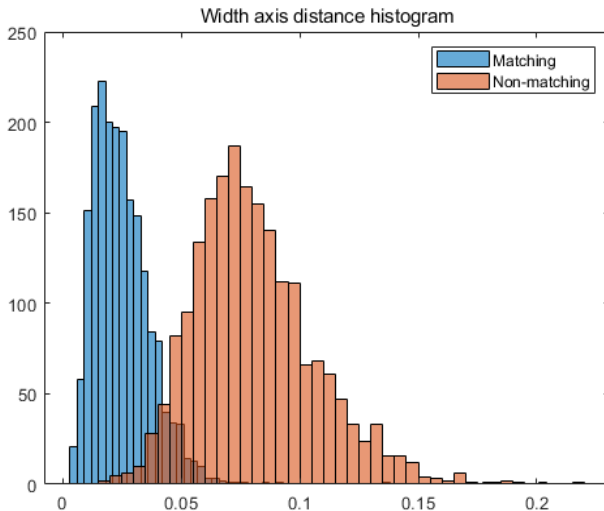
# Histograms

Height axis distance( $d_1$ )



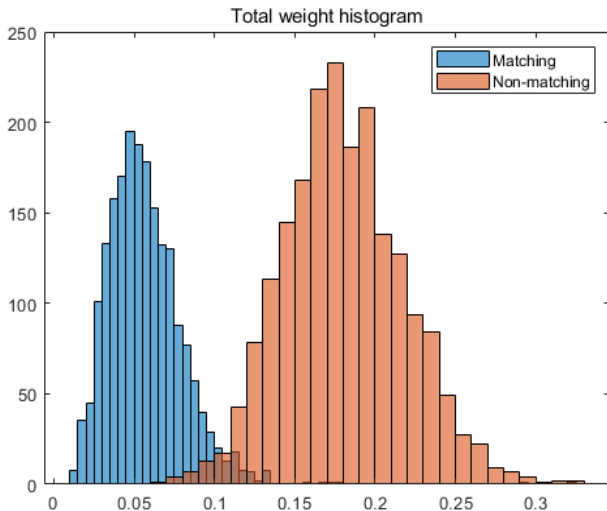
# Histograms

Width axis distance( $d_2$ )



# Histograms

Total weight( $TW$ )



# Result

## Distance mean table

2000 mat 2000 non-mat	$\text{mean}(d_1)$	$\text{mean}(d_2)$	$\text{mean}(d_3)$	$\text{mean}(\text{TW})$
Matching	<b>0.0321</b>	<b>0.0250</b>	0	<b>0.0571</b>
Non-matching	0.0996	0.0809	0	0.1805

## Next to do

- Calculate the distance for:
  - ▶ 2,000 train, 2,000 validation and 2,000 test
- Matching algorithm modeling
  - ▶ logistic, randomforest, etc.
  - ▶ deep learning methods