

Deep Reinforcement Learning on Car Racing Game

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Outline

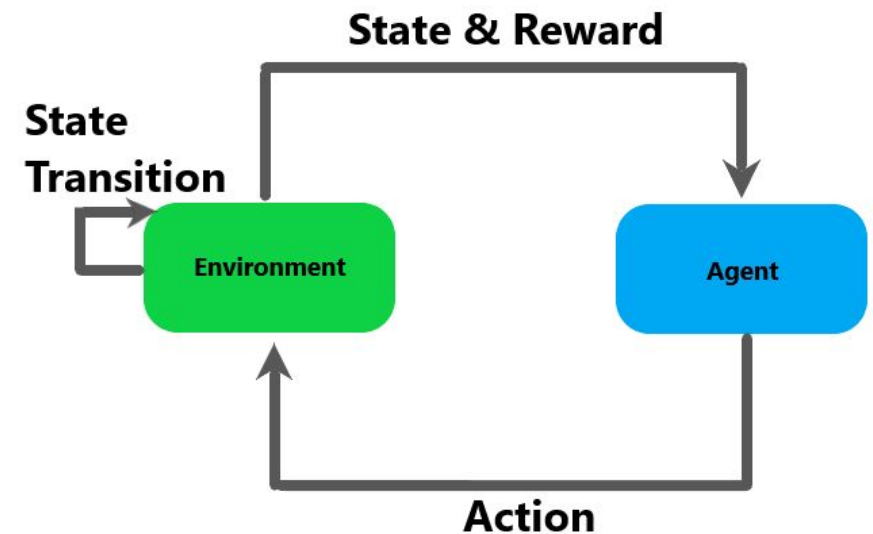
- Background
- Game Environment
- Deep Q-Network (DQN)
- Double DQN (DDQN)
- Dueling DQN
- Experimental Result

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Reinforcement Learning Review

- Enables an agent to learn in an interactive environment
- Each action influences the agent's future state
- Success is measured by reward
- Goal: select actions to maximize future reward



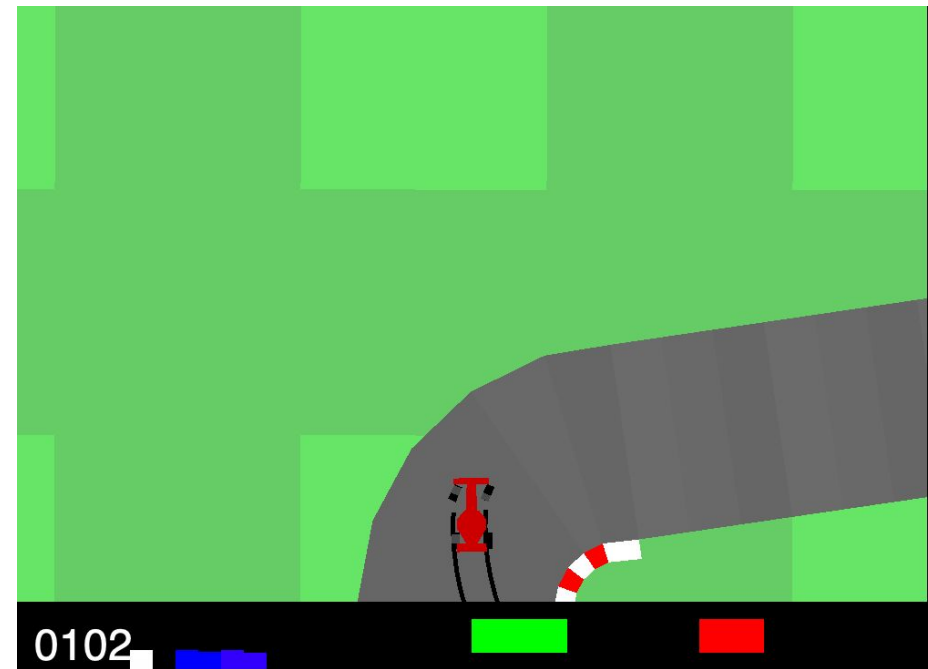
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Game Environment



- Car-Racing-v0 from gym library as our basic environment
- Agent: car
- States: pics taken every 4 frames of 96×96 pixels
- Actions: forward, brake, left, right
- Reward:
 - if action detected, reward -= 0.1
 - if running out of playfield, reward -= 150



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DQN

New Q-value

Discount Factor

$$Q_t = r_t + \gamma \max_{a'} Q(S_{t+1}, a'; \theta)$$

Reward

Pick an action that
maximize Q-value

DQN

Algorithm 1 Deep Q-learning with Experience Replay

Initialize replay memory \mathcal{D} to capacity N

Initialize action-value function Q with random weights

for episode = 1, M **do**

 Initialize sequence $s_1 = \{x_1\}$ and preprocessed sequenced $\phi_1 = \phi(s_1)$

for $t = 1, T$ **do**

 With probability ϵ select a random action a_t

 otherwise select $a_t = \max_a Q^*(\phi(s_t), a; \theta)$

 Execute action a_t in emulator and observe reward r_t and image x_{t+1}

 Set $s_{t+1} = s_t, a_t, x_{t+1}$ and preprocess $\phi_{t+1} = \phi(s_{t+1})$

 Store transition $(\phi_t, a_t, r_t, \phi_{t+1})$ in \mathcal{D}

 Sample random minibatch of transitions $(\phi_j, a_j, r_j, \phi_{j+1})$ from \mathcal{D}

 Set $y_j = \begin{cases} r_j & \text{for terminal } \phi_{j+1} \\ r_j + \gamma \max_{a'} Q(\phi_{j+1}, a'; \theta) & \text{for non-terminal } \phi_{j+1} \end{cases}$

 Perform a gradient descent step on $(y_j - Q(\phi_j, a_j; \theta))^2$ according to equation 3

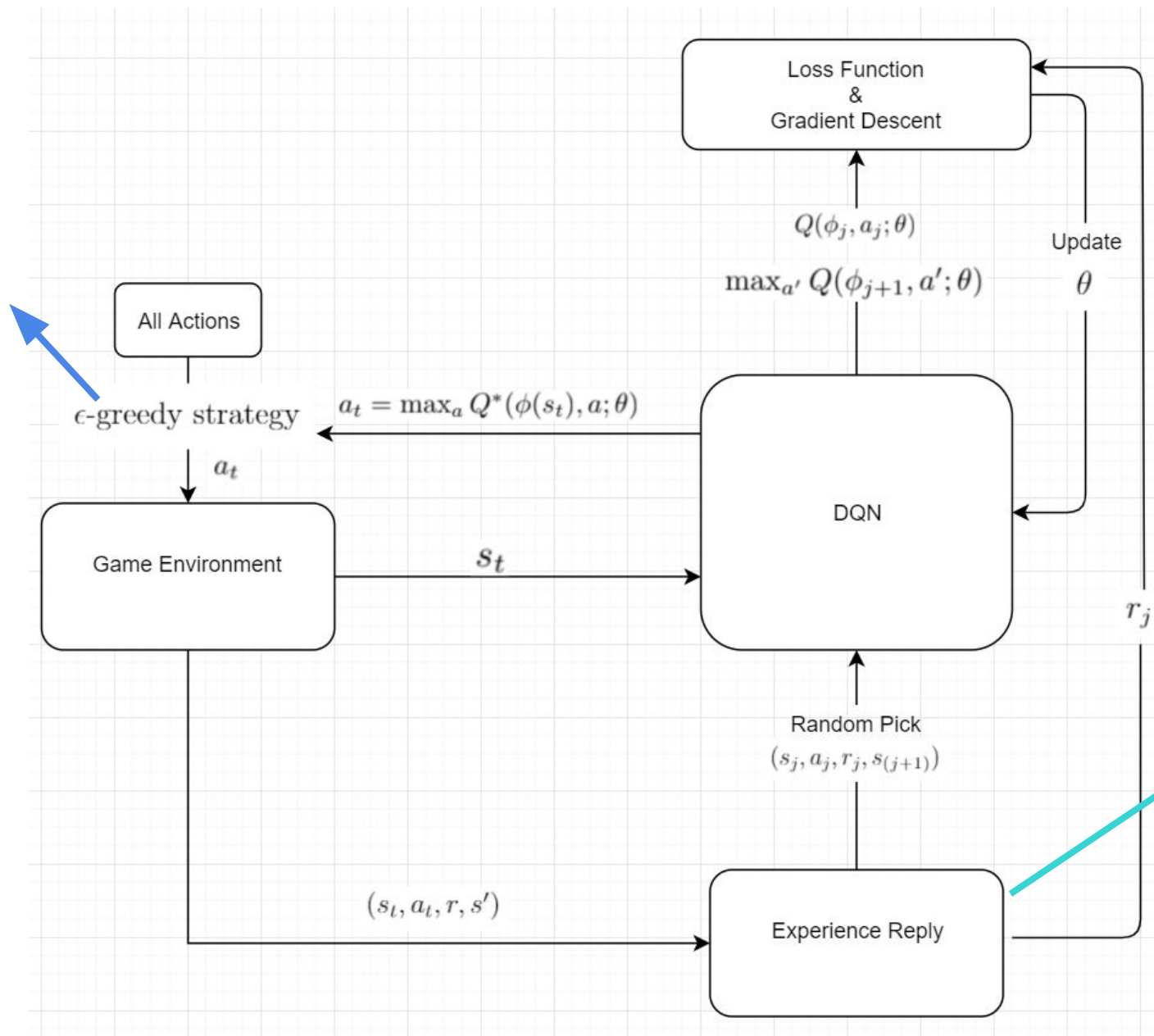
end for

end for

Algorithm from *Playing Atari with Deep Reinforcement Learning*

DQN

- Randomly select actions with ϵ probability
- Select the currently known best action with a $1 - \epsilon$ probability



The prev_state and new_state won't change too much.

The correlation between state and state is too strong!

Solve:

Random sampling to minimizing the correlation between data

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Double DQN(DDQN) Improvement in Q value estimation

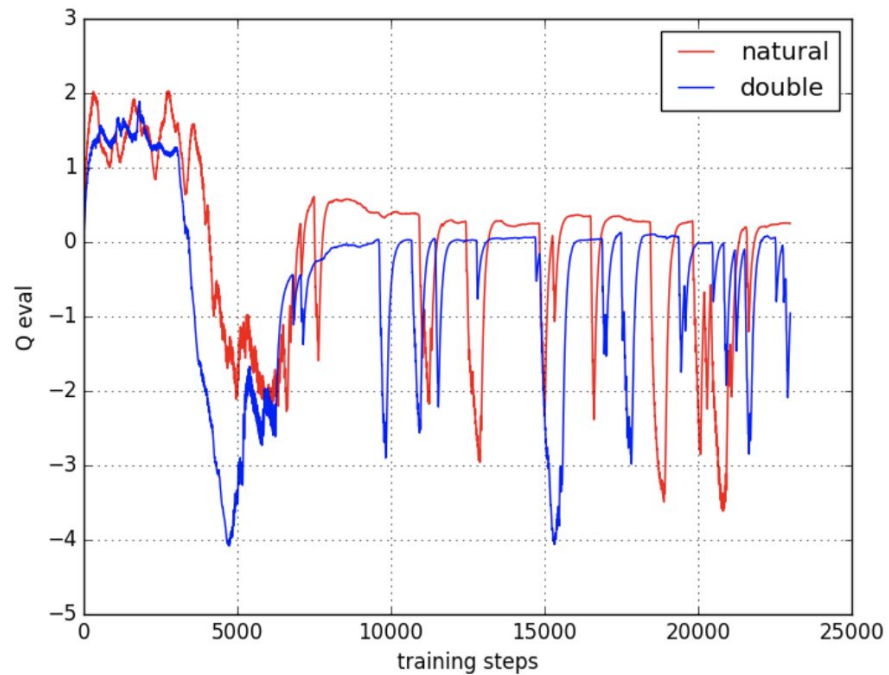
Why Double DQN works?

Original DQN target Y: $Y_t^{\text{DQN}} \equiv R_t + \gamma \max_a Q(S_{t+1}, a; \theta_t^-)$

Double DQN target Y: $Y_t^{\text{DoubleQ}} \equiv R_t + \gamma Q(S_{t+1}, \underset{a}{\operatorname{argmax}} Q(S_{t+1}, a; \theta_t); \theta'_t)$

In standard Q-learning and DQN, they both use same values to select and to evaluate an action. This may cause overestimated values, resulting overoptimistic value estimates. In double DQN, we use another second set of weights to evaluate the greedy policy estimating by the first set of weights (original DQN weights).

Double DQN(DDQN)



An example showing that the double DQN tends to reduce the overestimation

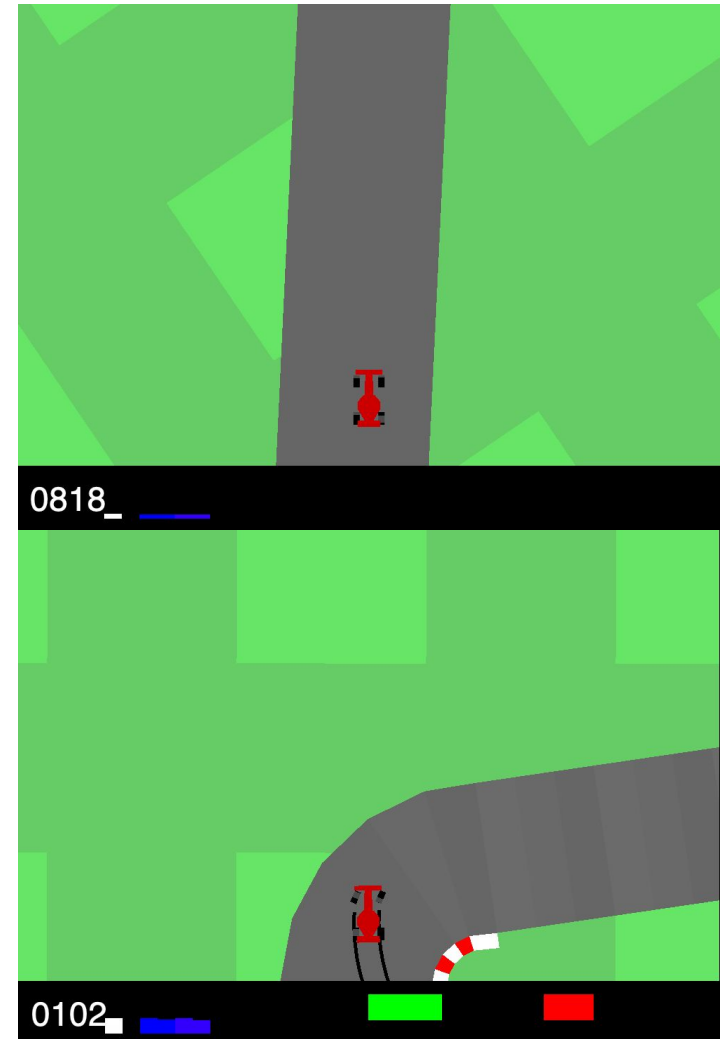
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Dueling Network

- Why dueling network?
There are many states where it's unnecessary to estimate the value of each action choice. Its actions do not affect the reward in any relevant way.

Improvement in network structure!!!



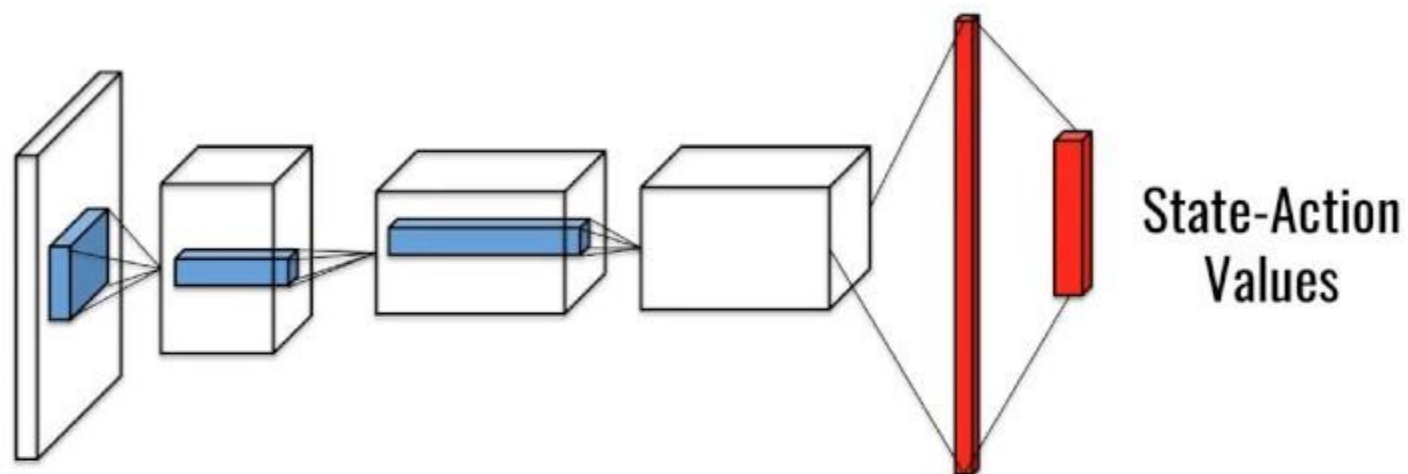
Dueling Network

- What is the new Q value here?

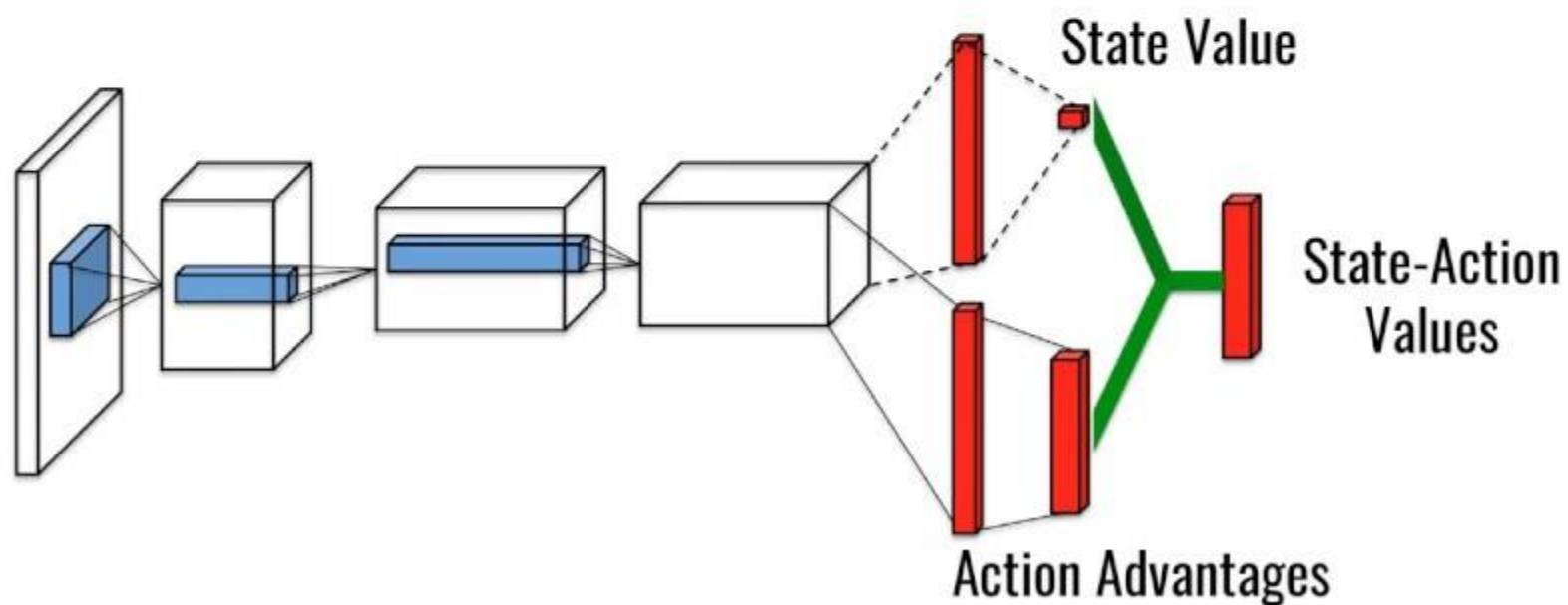
state-value function $V(s; \theta, \beta)$, advantage function $A(s, a; \theta, \alpha)$

$$Q(s, a; \theta, \alpha, \beta) = V(s; \theta, \beta) + A(s, a; \theta, \alpha)$$

$$Q(s, a; \theta, \alpha, \beta) = V(s; \theta, \beta) + (A(s, a; \theta, \alpha) - \frac{1}{|A|} \sum_{a'} A(s, a'; \theta, \alpha))$$



Standard
Q-network



Dueling
Q-network

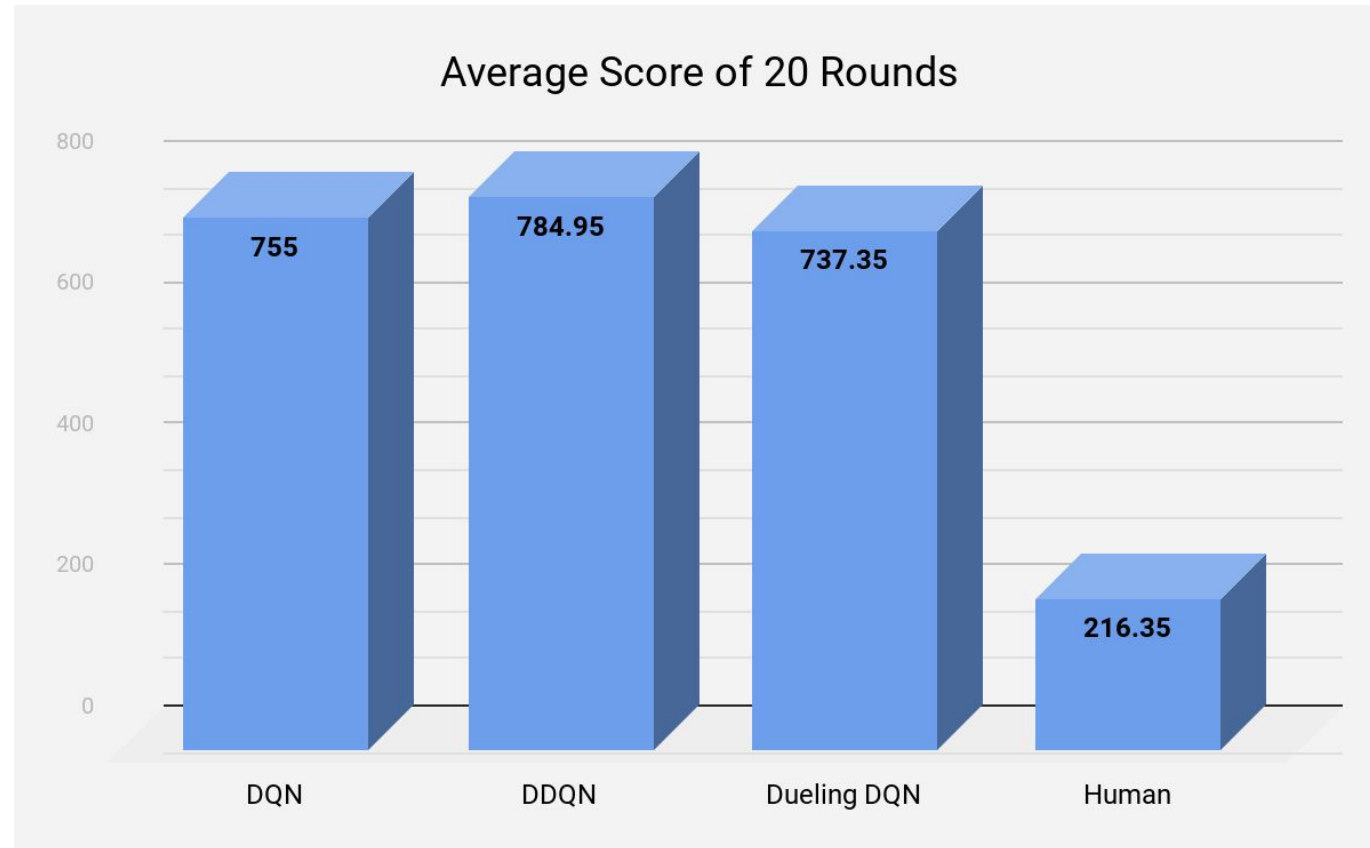
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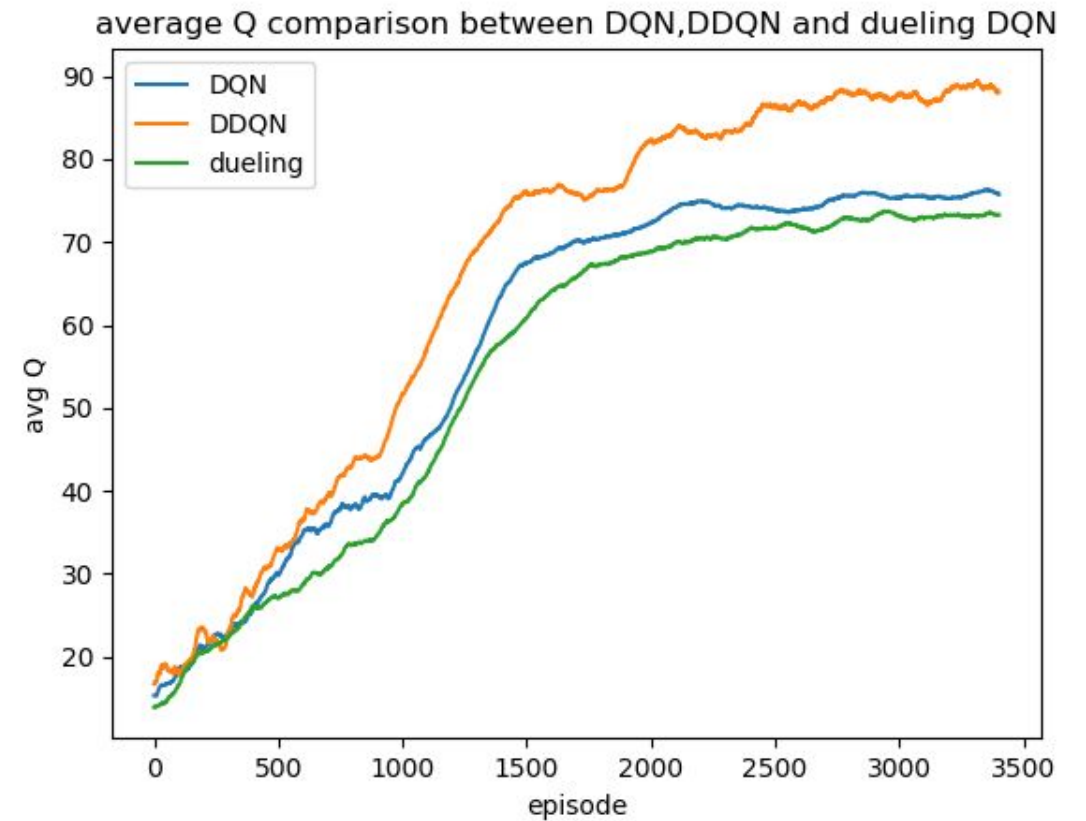
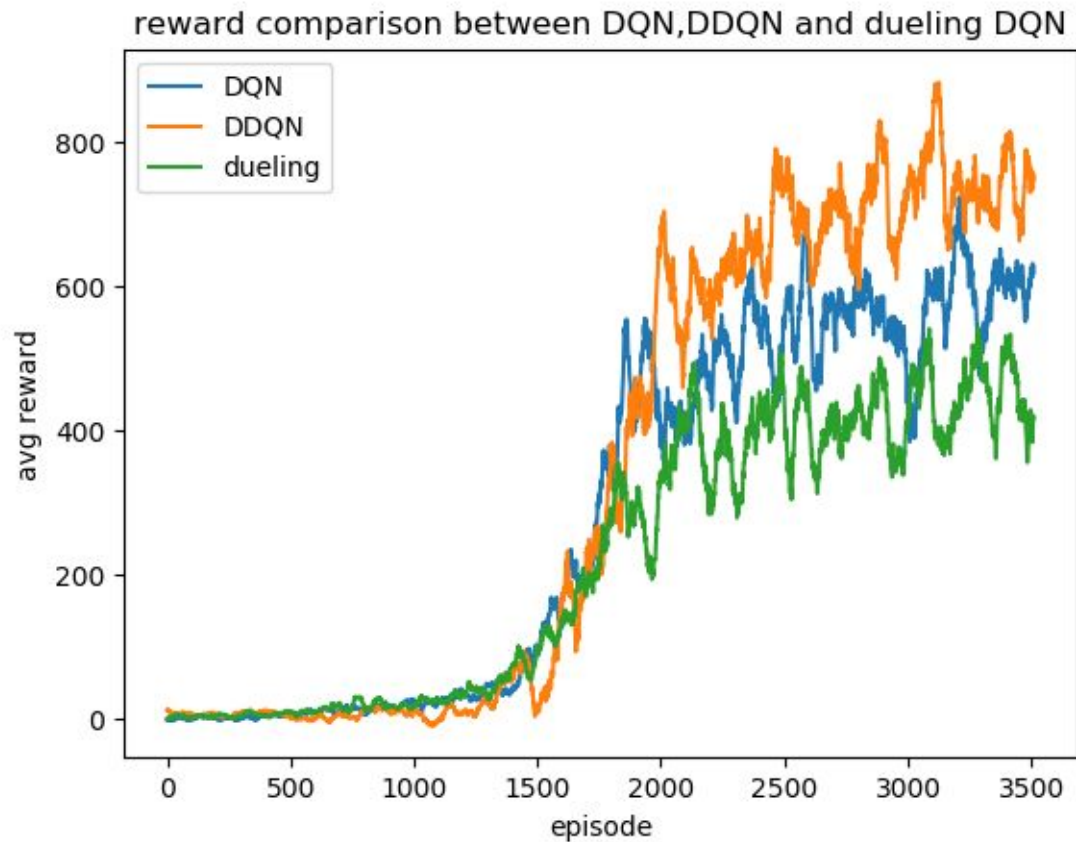
Test Results

DQN	DDQN	Dueling DQN	Human
755	784.95	737.35	216.35

Average score of 20 rounds

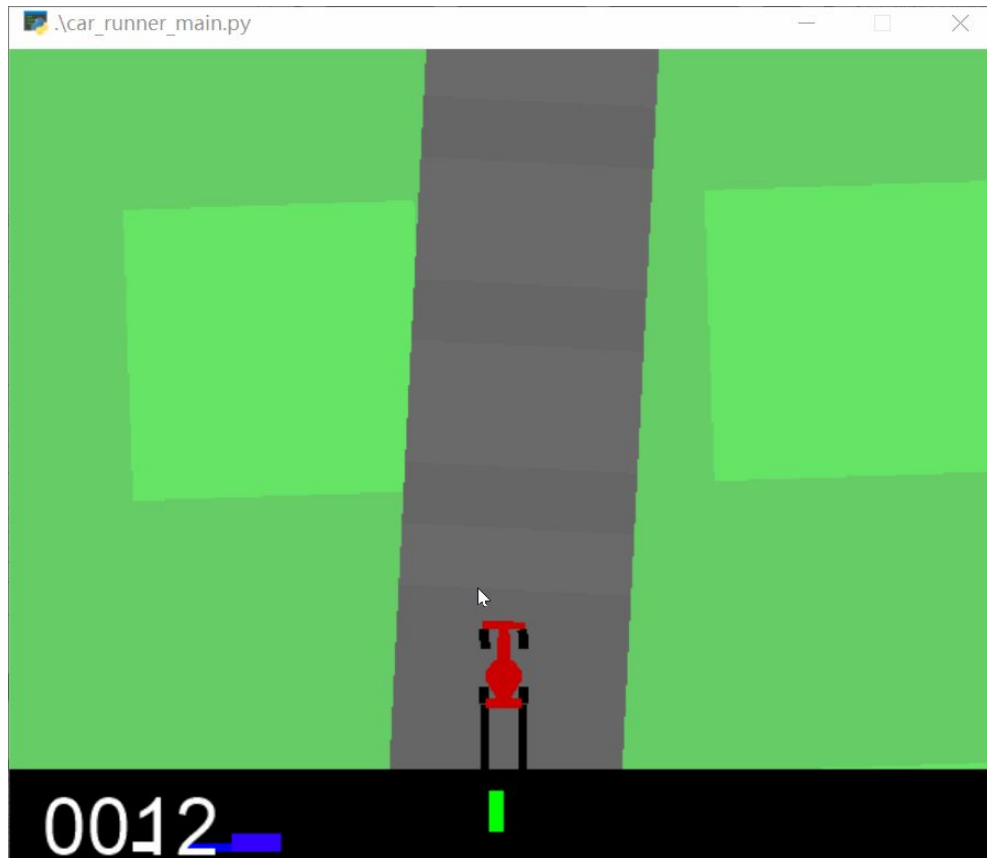


Training Results



Result

Before training



After 12h training





END