


Most Important Topics w.r.t Interviews:

callback →
nodes

→ Graphs

(BFS, DFS, Topological sort, Shortest path)

→ DP

(1D, 2D) &

(Digit DP)

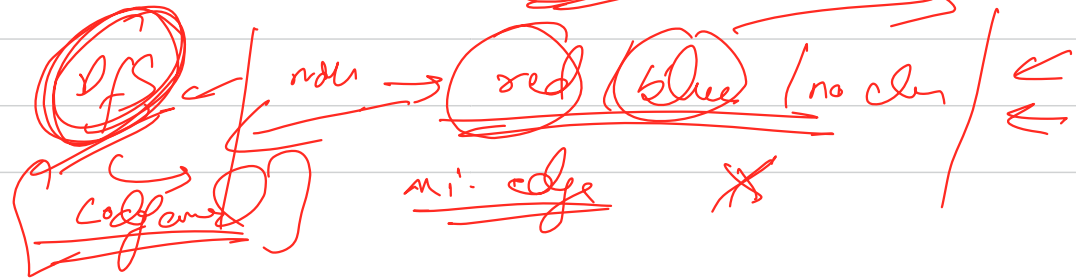
→ 2 pointer

→ Trees

, Binary Search

2-3 days

> 1 yrs



Medium - Hard

Qⁿ Given an integer array, return the K^{th} smallest distance among all the possible pairs.

The distance of a pair (A, B) is defined as absolute difference between A and B .

→ n^2

Ex $[1, 3, 1]$

$K=1$

$\left\{ \begin{array}{l} (1, 3) \rightarrow |1-3| = 2 \\ (1, 1) \rightarrow |1-1| = 0 \\ (3, 1) \rightarrow |3-1| = 2 \end{array} \right.$

Ans → 0

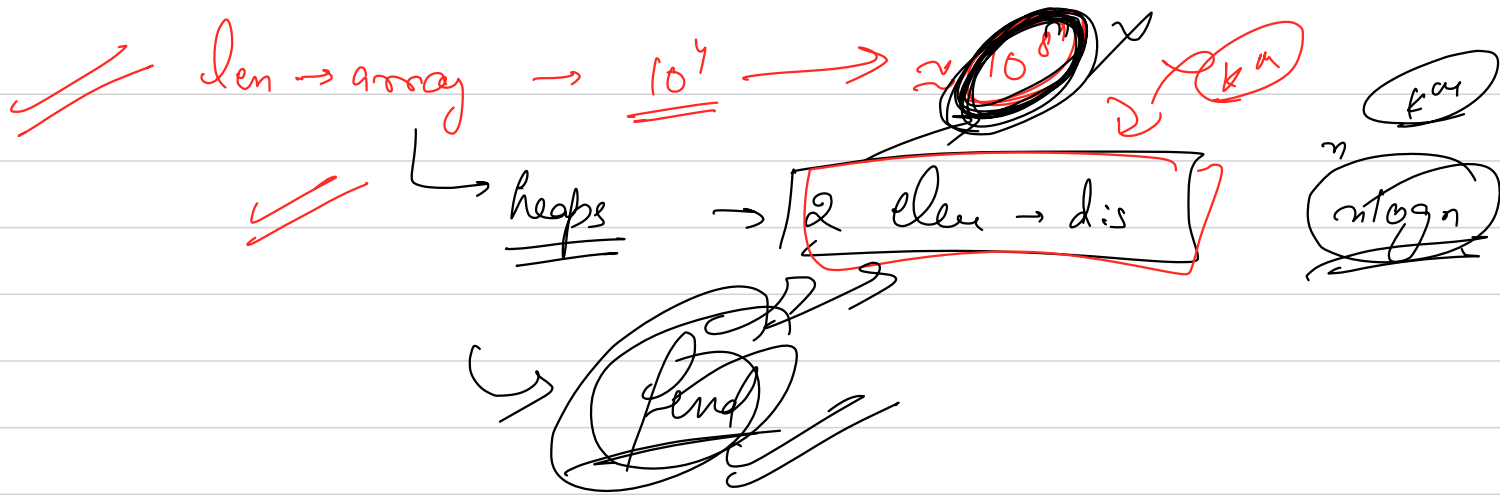
constraints

$n < 10^4$

$0 \leq A[i] \leq 10^6$

$K \leq (n \times (n-1)) / 2$

n - length of array



→ Binary Search

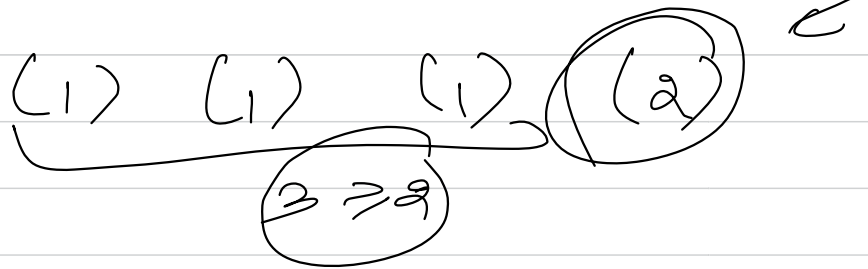
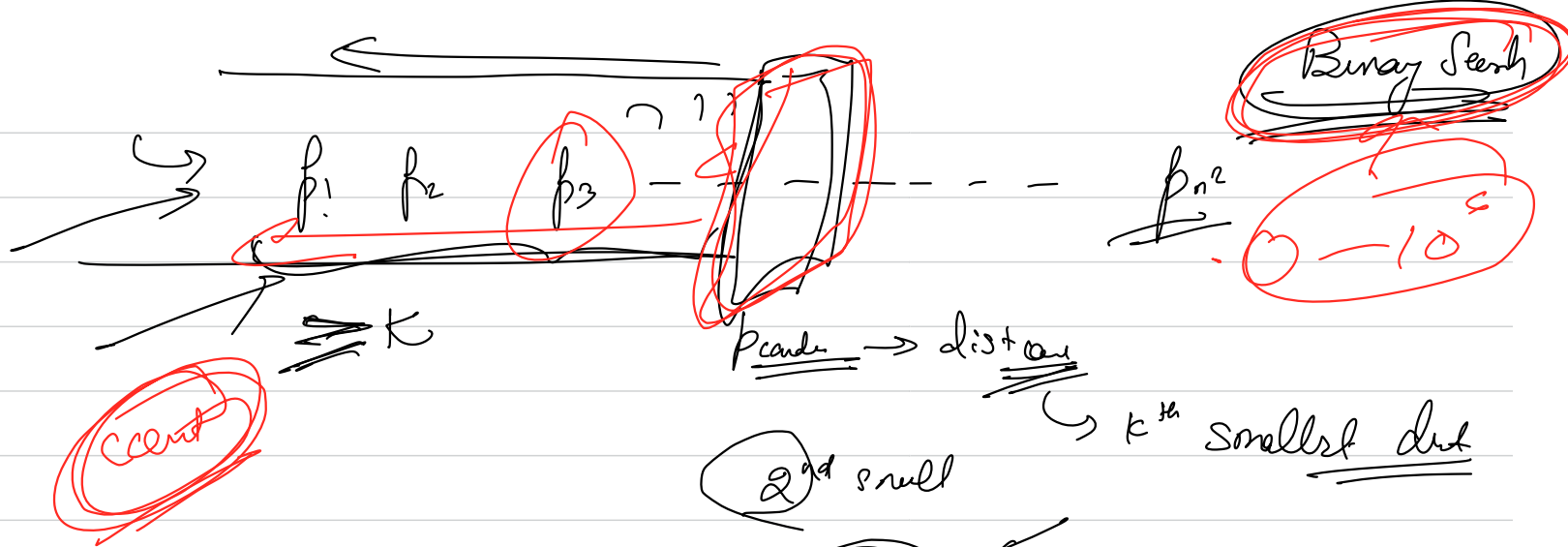
What is the smallest possible distance we can have → 0

What is the largest possible distance we can have 10^6

Our K^{th} smallest distance will lie between $0 - 10^6$

We have any candidate $\in [0, 10^6]$
→ this can be our K^{th} smallest dist ??

This will be true if & only if there are K or more
pair with dist less than or equal to candidate



2

Given a dist, find count of fan has $\text{dist} \leq$

Candidate dist

2

How we can solve ??

Search span \rightarrow $0 - 10^6$

To calculate how many pair might exist such that
 their distance is $\leq \text{mid}$

2 pointers

$[1, 3, 1] \Rightarrow [1, 1, 3]$

for array $\rightarrow a_1 < a_2 < a_3 \dots a_j \dots a_n$

we choose any j index, find the smallest i
 ($i < j$) such that

$$a[j] - a[i] \leq \text{mid}$$

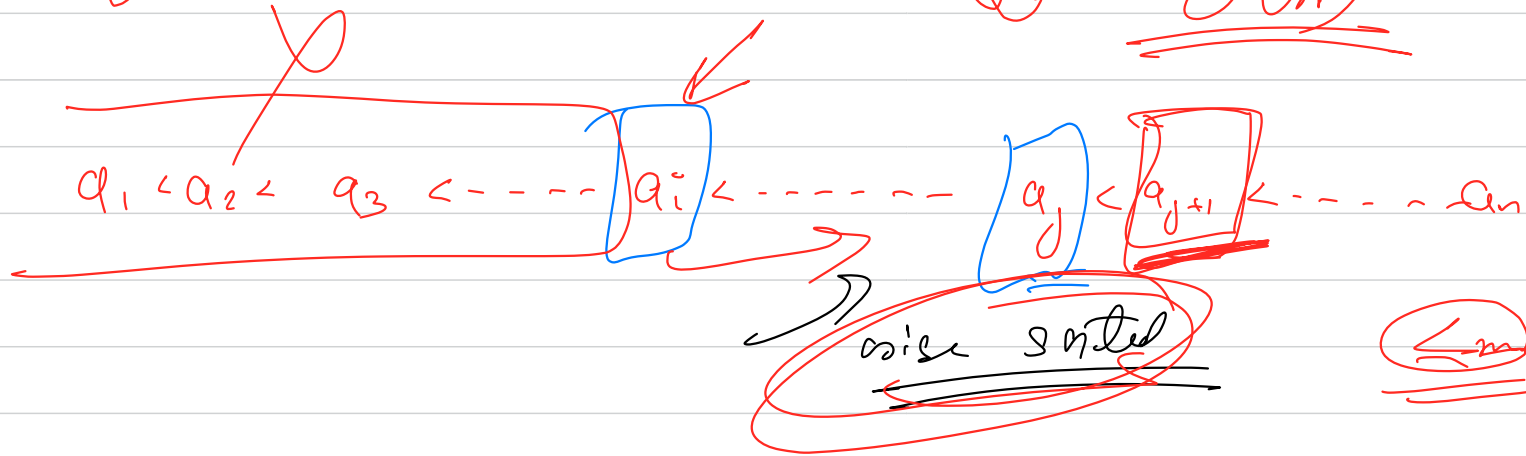
$\log A(i)$
 $\xrightarrow{O(n)}$
 $y \rightarrow$

```

int i = 0
for (int j = 0; j < n; j++) {
    while (arr[j] - arr[i] > mid) i++;
    ans = (j - i)
}

```

$a_j - a_i$
 $O(n)$



$$\underline{\underline{TC}} \rightarrow N \log N + N \log A[i]$$

$$\rightarrow O(N (\log N + \log A[i]))$$

$$\text{Space} \rightarrow \underline{\underline{O(1)}}$$

Hard

BS

Minimam Problem

Qm

You have a network with n junctions & m unidirectional paths where every path connects a lower number junction to a higher no. junction. Each path has a no. associated with it.

You need to find a path from junction (1) to

junction (n), consisting of at most d edges, on

which the maximum of the no.'s is minimum

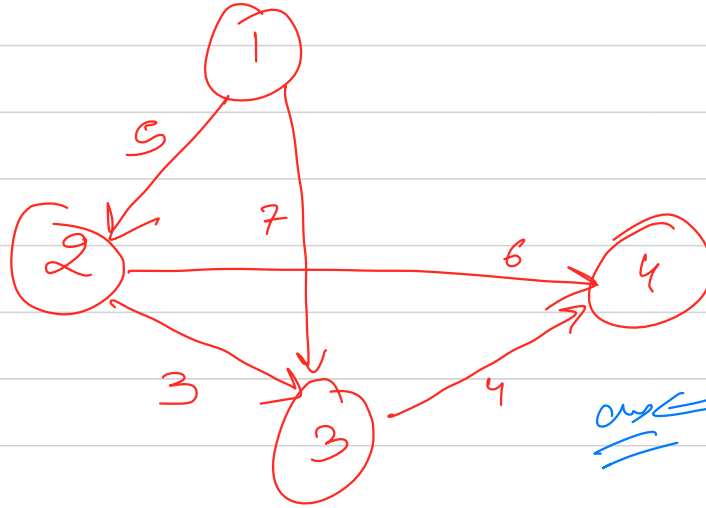
possible.

$$0 \leq \text{no on edge} \leq 10^9$$

$$\begin{aligned} 2 \leq n \leq 10^5 \\ 1 \leq m \leq 10^5 \\ 1 \leq d \leq 10^5 \end{aligned}$$

4 junder 5 paths

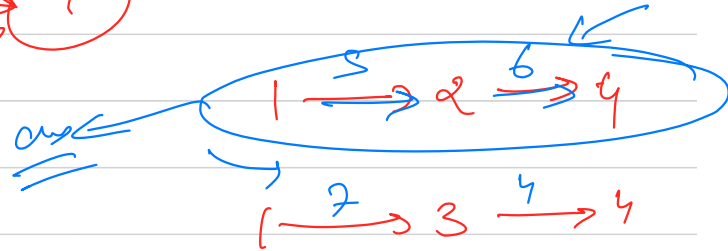
$d=2$



↳ $1 \rightarrow 2 \rightarrow 4$ ✓

$1 \rightarrow 2 \rightarrow 3 \rightarrow 4$ ✗

↳ $1 \rightarrow 3 \rightarrow 4$ ✓



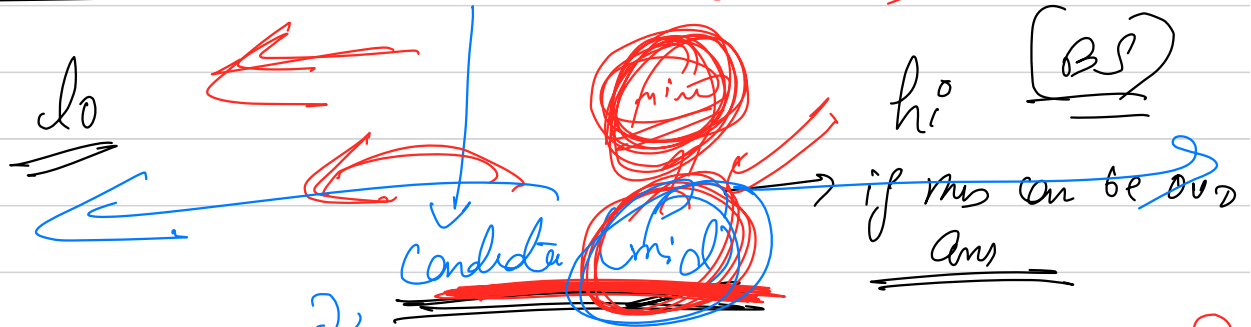
ans



lower-lb \rightarrow min-cut \Rightarrow minimum cut of all edg

upper-limit \rightarrow max-cut \rightarrow maximum cut of all edges

minimize the max cut



[find a path from $(1) - (n)$ with at most d edges]
such that the cut \leq mid
edges BFS

(v + e)

(b)

(10⁹)

spu \rightarrow $\left[\log(\text{max edge wt}) (n + m) \right]$

overflow \rightarrow $\left(\frac{l + h}{2} \right)$

$$- \frac{l + h}{2} \Rightarrow \frac{l + h + l - l}{2}$$

$$\Rightarrow \frac{2l + h - l}{2} \Rightarrow l + \frac{h - l}{2}$$

Q

Easy

Robber

2



House robles

money

n houses

if at any point of time he robs 2 adjacent house
polio alarm will start.

Max money he can rob ??

$n \leq 10$

$[1, 2, 3, 1]$

4

$f(i)$
↓
max profit
by looking till
 i th hour

$$= \max \left(\underset{\substack{\swarrow \swarrow \\ \searrow \searrow}}{\underbrace{f(i-2) + A[i]}}, \underbrace{f(i-1)} \right)$$

recursion → DP
1D-1D
 $O(n)$