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Good  $\rightarrow$  Small size

## OOPs in C++ / STL

# C++ OOPs (Object Oriented Programming)

$\rightarrow$  We map real world entities into our code.

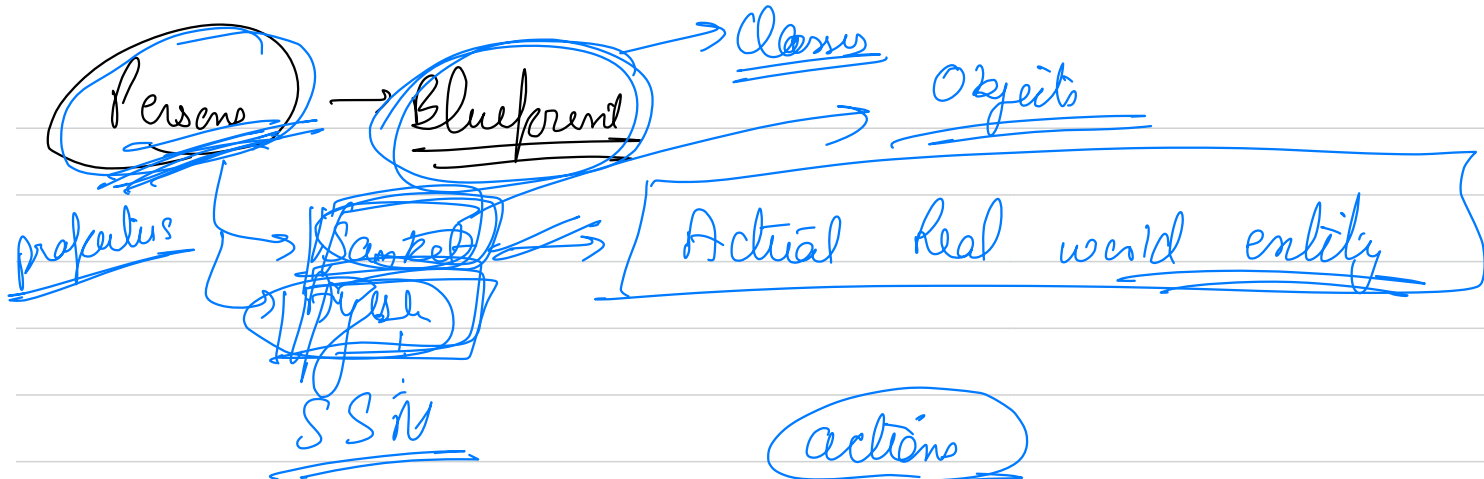
OOPs

Blue print

Blueprint



fun  
man



Blueprint  
like C++

# Object → Any real world entity that has a state & behaviour is called object.

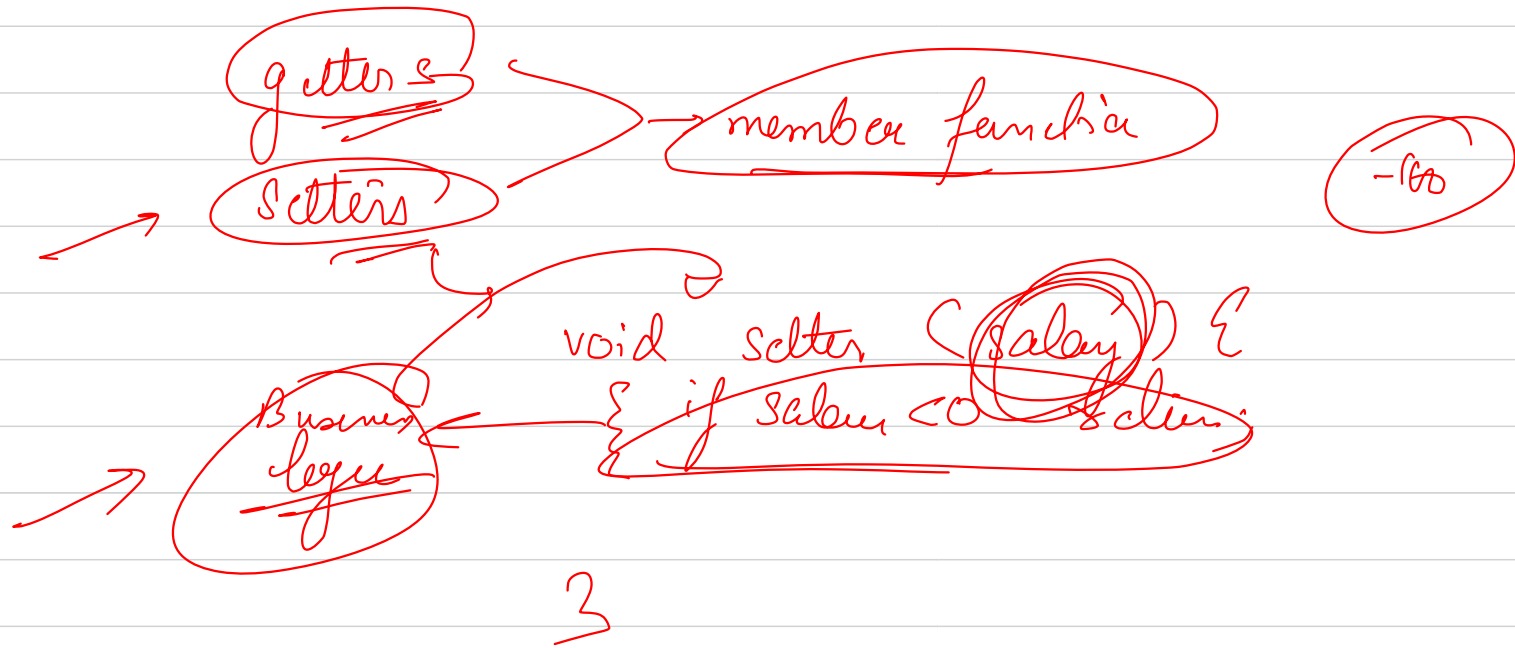
# Classes → Blueprint of collection of objects is called class.

State hiding

oops? class? C?

we want to  
define salary at  
the time of initializing  
object

if you want to later update  
there are some constraints



# Constructors → new object memory

when u initialise an object, Constructor is the first member func<sup>n</sup> to be executed

e1

e1.name  
e1.age

name = ""  
salary = 10  
capital = -1  
≡ fun  
address = 1k

→ pointer

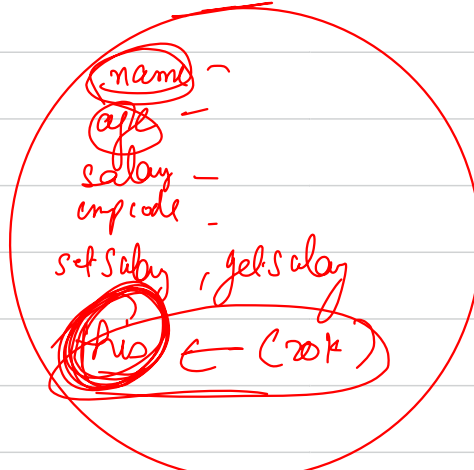
→

this pointer

this

It stores the address  
of the object as a  
property in the  
object

20K code  
→



address ← 20K

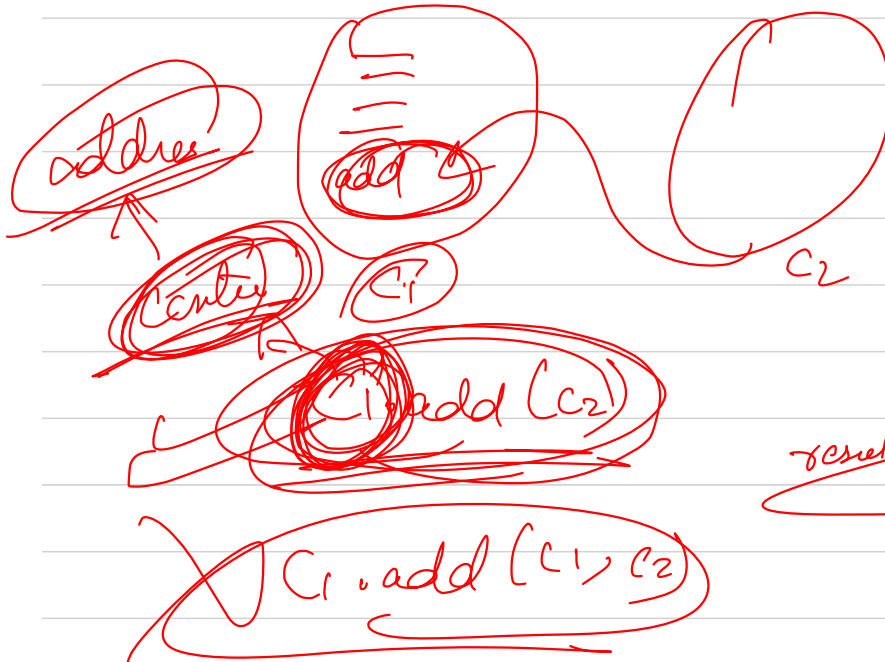
Employee

memory location



this pointer

Own address



add ( )  
~~resul. real~~ =  $C_2 \cdot \text{real}$  ~~rh~~  $\rightarrow \text{real}$



STL

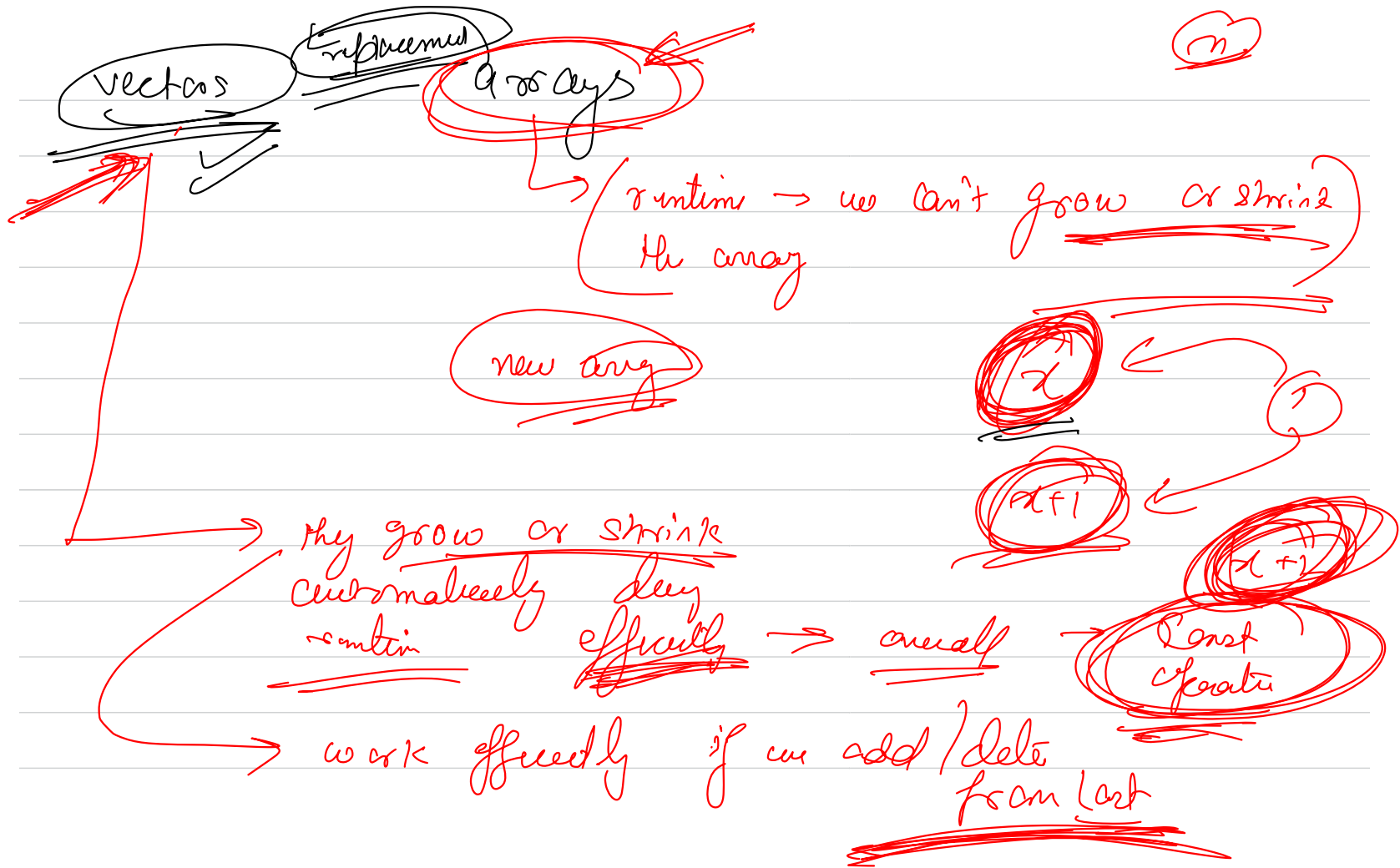
Standard Template Library

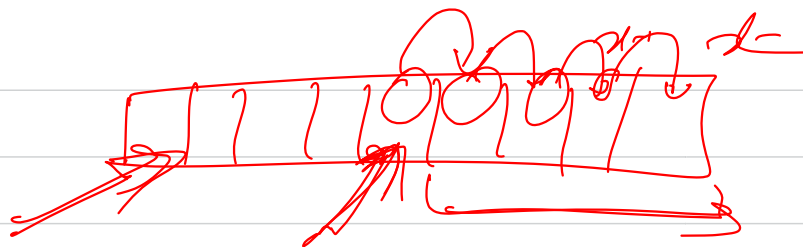
Data Structure

& Algorithms

→ vector  
→ map  
→ set  
→ list  
→ stack  
→ queue  
→ unordered\_map  
...

lower-bound } BS  
upper-bound }  
sort  
multiset  
gcd



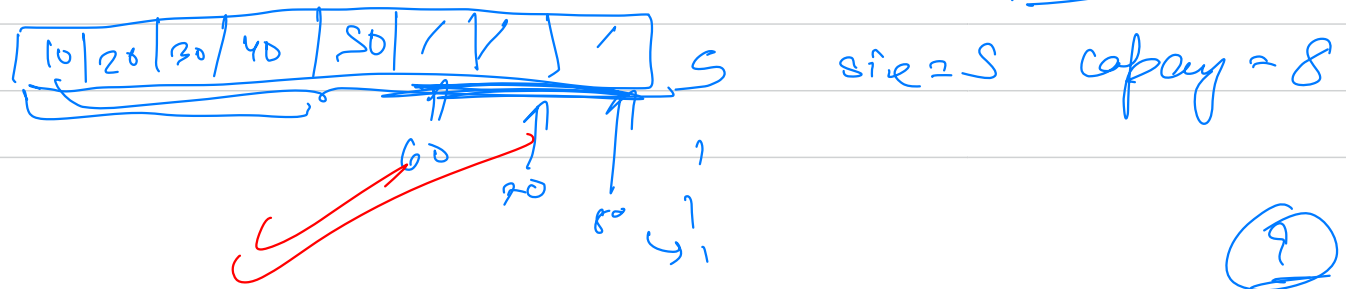
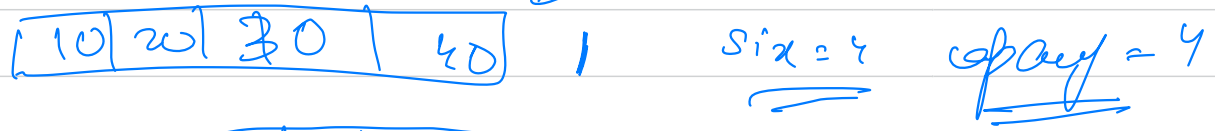
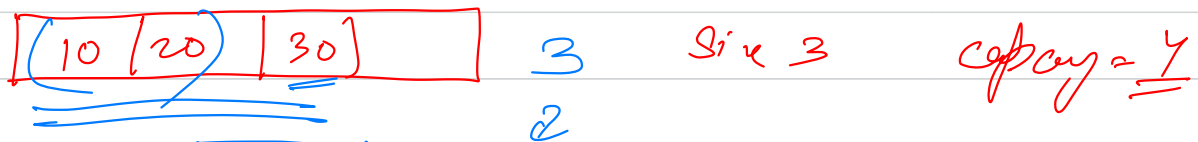
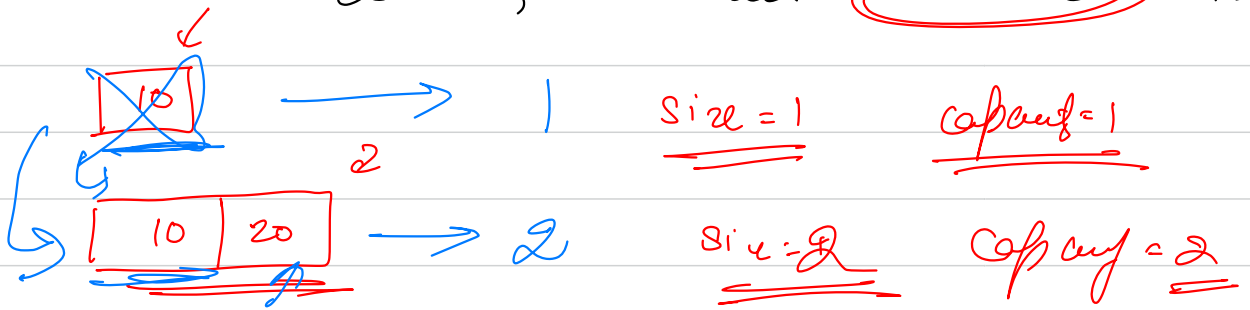


x

10, 20, 30, 40, 50, 60, 70, 80, 90

vectors  $\rightarrow$  if at any point of time vector. Can't add new element, it will double its size

Space then  
waste off



Cost

- 1 → 1
- 2 → 2<sup>0</sup> + 1
- 3 → 2<sup>1</sup> + 1
- 1 → 1
- 5 → 2<sup>2</sup> + 1

- 1 → 1
- 1 → 1
- 1 → 1
- 9 → 2<sup>3</sup> + 1
- ⋮
- ⋮
- ⋮
- ⋮

Sum  
n

$$\overbrace{(1+1+1+1+\dots)}^n + \overbrace{(2^0+2^1+2^2+2^3+\dots)}^{\log_2 n}$$

$$\frac{n + 2^{\log_2 n} - 1}{n} = 1 + \frac{n-1}{n}$$

const

per address any operation

$$\frac{1 + 2 + 3 + 1 + 5 + 1 + \dots}{n}$$

$$\frac{1 + 2^0 + 1 + 2^1 + 1 + 1 + 2^2 + 1 + 1 + 1 + 2^3 + 1 + \dots}{2 - 1}$$

Total n

Total  
addition

$$2^k + 1 = n$$
$$\underline{\underline{2^k \approx n}}$$

$$\underline{\underline{k \approx \log_2 n}}$$