



Vidyavardhini's College of Engineering and Technology
Department of Artificial Intelligence & Data Science

AY: 2024-25

Class:	SE	Semester:	III
Course Code:	ESC304	Course Name:	DLCA

Name of Student:	drikita Deepak Gupta
Roll No. :	19
Assignment No.:	02
Title of Assignment:	Apply arithmetic algorithm to solve ALU operation
Date of Submission:	16/8/24
Date of Correction:	16/8/24

Evaluation

Performance Indicator	Max. Marks	Marks Obtained
Completeness	5	3
Demonstrated Knowledge	3	3
Legibility	2	2
Total	10	8

Performance Indicator	Exceed Expectations (EE)	Meet Expectations (ME)	Below Expectations (BE)
Completeness	5	3-4	1-2
Demonstrated Knowledge	3	2	1
Legibility	2	1	0

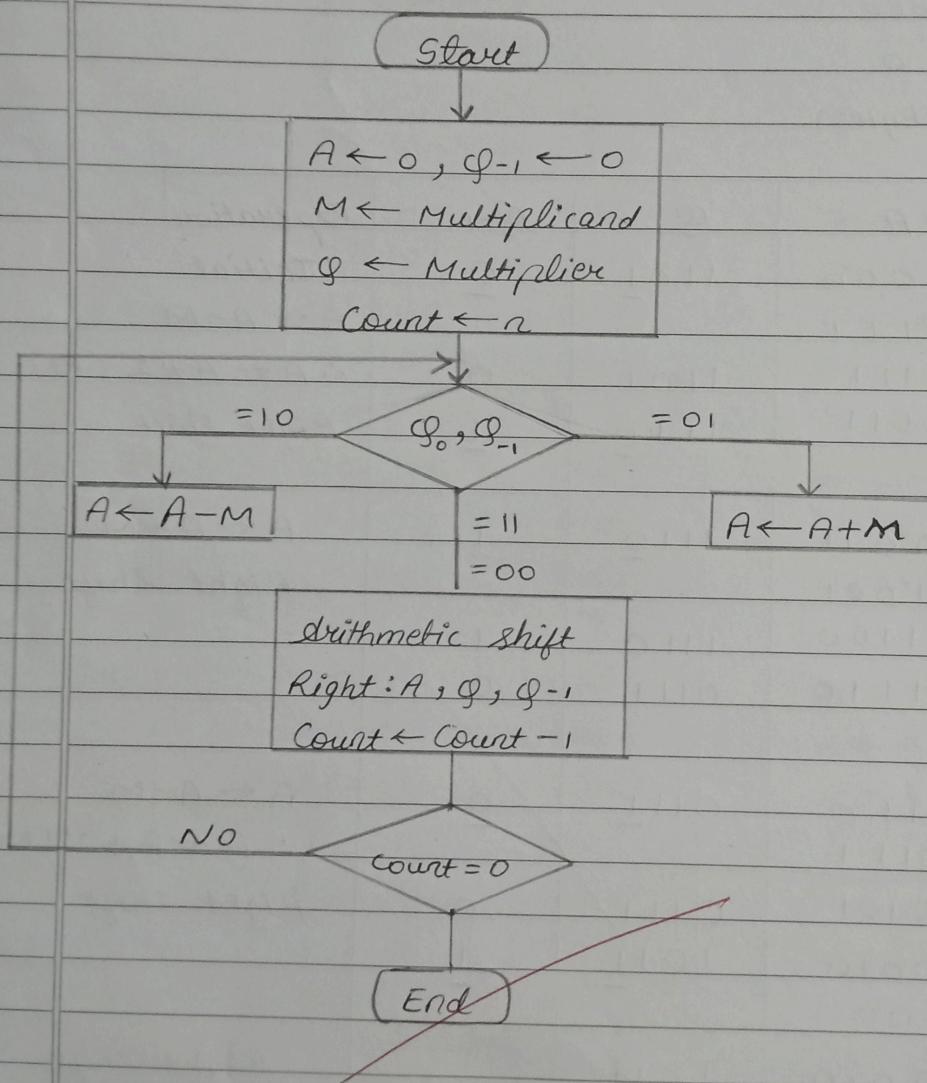
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Name of Faculty :
Signature : Bharat
Date : 16/8/24

DATE:

- Q1. Draw flowchart of Booth's multiplication algorithm and multiply (-7) and (-3) using Booth's algorithm.

→ Booth's multiplication algorithm flowchart.



$$m = 7 = 0111$$

$$1's \text{ complement} = 1000$$

$$\begin{array}{r} 2's \text{ complement} = 1000 \\ + 1 \\ \hline 1001 \end{array}$$

For multiplication of -7 and -3

- m (multiplicand) is $-7 = 1001$
- g (multiplier) is $-3 = 1101$
- $A = 0000$
- $g_{-1} = 0$
- $n = 4$ (bytes)

$$\begin{array}{r} g = 3 = 0011 \\ 1's \text{ complement} = 1100 \\ 2's \text{ complement} = 1100 \\ + 1 \\ \hline 1101 \end{array}$$

count	A	g	g_{-1}	Operation
	0000	1101	0	Initial
4.	$\begin{array}{r} + 0111 \\ \hline \end{array}$	$\begin{array}{r} 1101 \\ - \end{array}$	$\begin{array}{r} 0 \\ - \end{array}$	$A \leftarrow A - M$
	0111	1101	0	$\therefore A \leftarrow A + 2^1(M)$
	0011	$\begin{array}{r} 1110 \\ - \end{array}$	$\begin{array}{r} 1 \\ - \end{array}$	Right shift
3.	$\begin{array}{r} 0011 \\ + 1001 \\ \hline \end{array}$	$\begin{array}{r} 1110 \\ - \end{array}$	$\begin{array}{r} 1 \\ - \end{array}$	$A \leftarrow A + M$
	1100	1110	1	Right shift
	1110	0111	0	
2.	$\begin{array}{r} 1110 \\ + 0111 \\ \hline \end{array}$	$\begin{array}{r} 0111 \\ - \end{array}$	$\begin{array}{r} 0 \\ - \end{array}$	$A \leftarrow A - M$
	0101	0111	0	$\therefore A \leftarrow A + 2^1(M)$
	0010	$\begin{array}{r} 1011 \\ - \end{array}$	$\begin{array}{r} 1 \\ - \end{array}$	Right shift
1	$\begin{array}{r} 0010 \\ 0001 \\ \hline \end{array}$	$\begin{array}{r} 1011 \\ - \end{array}$	$\begin{array}{r} 1 \\ - \end{array}$	Right shift
0	0001	0101	1	

$$\therefore (0001 \ 0101)_2 = (21)_{10}$$

$7 \times 3 = 21$ and binary representation is 10101

Q2. Perform Division Restoring Algorithm for dividend = 13 and divisor = 5

→ Let dividend which is 13 be Q and divisor which is 5 be M respectively

$$\text{i.e. } Q = 13, M = 5$$

count	A	Q	Operation
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4	00000	1101	Initialization
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	00001	101?	Shift left Aq
--	-------	------	---------------

	11100	101?	$A \leftarrow A - M$
--	-------	------	----------------------

	00001	1010	$Q[0] \leftarrow 0, \text{ Return A}$
--	-------	------	---------------------------------------

3	00011	010?	Shift left Aq
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	11110	010?	$A \leftarrow A - M$
--	-------	------	----------------------

	00011	0100	$Q[0] = 0, \text{ Restore A.}$
--	-------	------	--------------------------------

2.	00110	100?	Shift left Aq
----	-------	------	---------------

	00001	100?	$A \leftarrow A - M$
--	-------	------	----------------------

	00001	1001	$Q[0] = 1$
--	-------	------	------------

1.	00011	001?	Shift left Aq
----	-------	------	---------------

	11110	001?	$A \leftarrow A - M$
--	-------	------	----------------------

	00011	0010	$Q[0] = 0, \text{ Restore A}$
--	-------	------	-------------------------------

$$\therefore \text{Remainder} = A = (00011)_2 = (3)_{10}$$

$$\therefore \text{Quotient} = Q = (0010)_2 = (2)_{10}$$

Q3. Represent $(543.21)_{10}$ in single precision format and double precision format.
 Given $(543.21)_{10}$

$$\therefore (543)_{10} = (1000011111)_2$$

$$(0.21)_{10} = (0.0011)_2$$

$$(543.21)_{10} = (1000011111.0011)_2$$

$$\begin{aligned}(543.21)_{10} &= (1000011111.0011)_2 \\ &= 1.0000111110011 \times 2^9 \\ &\quad \downarrow \\ N &= 000011110011\end{aligned}$$

\therefore Single precision format
 $(1.N)_2^{E-127}$

$$\therefore 1.00001111 \times 2^9$$

On comparing both sides, we get,

$$E - 127 = 9$$

$$E = 9 + 127 = 136$$

$$\therefore E = 10001000$$

\therefore Single precision format $N = 000011110011$

0	10001000	000011110011.....00
bit	8 bit	23 bit

For double precision,

$$(1.N)_2^{E-1023}$$

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$$\therefore (1.000011110011) \times 2^9$$

On comparing we get,

$$E - 1023 = 9$$

$$E = 9 + 1023 = 1032$$

$$\therefore E = 10000001000$$

$$\therefore N = 000011110011$$

0	10000001000	000011110011...00
1 bit	11 bit	52 bit

A red arrow points from the '11 bit' label to the binary digits '00001111'.