

## Queue Abstract Data Type

## Queues

- **queue**: Retrieves elements in the order they were added.

- First-In, First-Out ("FIFO")
- Elements are stored in order of insertion but don't have indexes.
- Client can only add to the end of the queue, and can only examine/remove the front of the queue.



- basic queue operations:

- **enqueue**: Add an element to the back.
- **dequeue**: Remove the front element.
- **peek**: Examine the front element.

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## Queues in computer science

- Operating systems:
  - queue of print jobs to send to the printer
  - queue of programs / processes to be run
  - queue of network data packets to send
- Programming:
  - modeling a line of customers or clients
  - storing a queue of computations to be performed in order
- Real world examples:
  - people on an escalator or waiting in a line
  - cars at a gas station (or on an assembly line)

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## Programming with Queues

enqueue ( <b>value</b> )	places given value at the back of queue
dequeue ()	removes value from front of queue and returns it; throws a NoSuchElementException if queue is empty
peek ()	returns front value from queue without removing it; throws a NoSuchElementException if queue is empty
size ()	returns number of elements in queue
isEmpty ()	returns true if queue has no elements

```
Queue<int> q;
q.enqueue(42);
q.enqueue(-3);
q.enqueue(17);           // front [42, -3, 17] back
cout << q.dequeue();    // 42
```

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## Queue processing styles

- As with stacks, we must pull contents out of queue to view them.

```
while (!q.isEmpty()) {
    do something with q.dequeue();
}
```

- another style: Examining each element exactly once.

```
int n = q.size();
for (int i = 0; i < n; i++) {
    do something with q.dequeue();
    (including possibly re-adding it to the queue)
}
```

- Why do we need the n variable?

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## Mixing stacks and queues

- We often mix stacks and queues to achieve certain effects.

- Example: Reverse the order of the elements of a queue.

```
Queue<int> q;
q.enqueue(1);
q.enqueue(2);
q.enqueue(3);           // [1, 2, 3]
```

```
Stack<int> s;
while (!q.isEmpty()) {    // Q -> S
    s.push(q.dequeue());
}
while (!s.isEmpty()) {    // S -> Q
    q.enqueue(s.pop());
}
// queue contents are [3, 2, 1]
```

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### Exercise 1

- Write a method `stutter` that accepts a queue of integers as a parameter and replaces every element of the queue with two copies of that element.
  - front [1, 2, 3] back  
becomes  
front [1, 1, 2, 2, 3, 3] back

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### Exercise 2

- Write a method `mirror` that accepts a queue of strings as a parameter and appends the queue's contents to itself in reverse order.
  - front [a, b, c] back  
becomes  
front [a, b, c, c, b, a] back

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### Exercise 3

- Modify the exam score program so that it reads the exam scores into a queue and prints the queue.

Yeilding	Janet	87
White	Steven	84
Todd	Kim	52
Tashev	Sylvia	95
...		

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### Reading from file

```
ifstream file;
Queue<string> q; // queue of strings
file.open("data.txt");
while (file.good()){
    getline(file, line);
    q.enqueue(line);
}
file.close();

while(!q.isEmpty()){
    cout << q.dequeue() << endl;
}
// names and score are all gone; cannot
// process them any further
```

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### Exercise 3 (cont.)

- What if we want to further process the exams after printing?
  - E.g. filter out any exams where the student got a score of 100.
  - Then perform reverse and print the remaining students.

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### Revision

```
ifstream file;
Queue<string> q; // queue of strings
file.open("data.txt");
while (file.good()){
    getline(file, line);
    q.enqueue(line);
}
file.close();
q.enqueue("");
while(q.peek() != ""){
    string str = q.dequeue();
    cout << str << endl;
    q.enqueue(str);
}
q.dequeue();

// complete the rest of the exercise
```

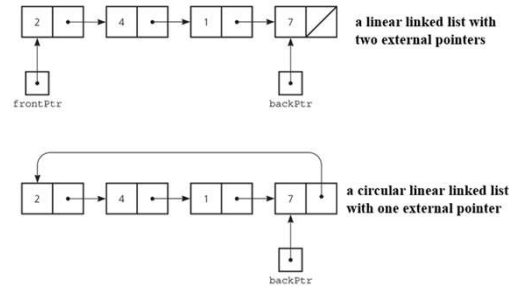
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## Implementations of Queue

- Pointer-based implementations of queue
  - A linked list with two external references
    - A reference to the front
    - A reference to the back
  - A circular linked list with one external reference
    - A reference to the back
- Array-based implementations of queue
  - A naive array-based implementation of queue
  - A circular array-based implementation of queue

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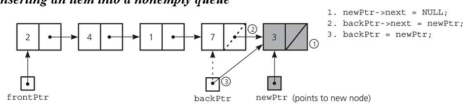
## Pointer-based implementations of queue



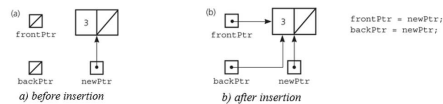
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## Linked list Implementation – enqueue

Inserting an item into a nonempty queue



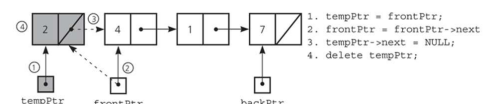
Inserting an item into an empty queue



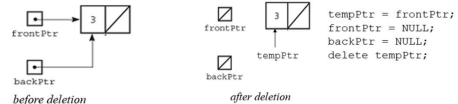
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## Linked list Implementation – dequeue

Deleting an item from a queue of more than one item



Deleting an item from a queue with one item



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## Linked List implementation- Queue Node Class

```
// QueueNode class for the nodes of the Queue
template <class Object>
class QueueNode
{
public:
    QueueNode(const Object& e = Object(), QueueNode* n = nullptr)
        : item(e), next(n) {}

    Object item;
    QueueNode* next;
};
```

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## Linked list Implementation – Queue Class

```
#include "QueueException.h"

template <class T>
class Queue {
public:
    Queue(); // default constructor
    Queue(const Queue& rhs); // copy constructor
    ~Queue(); // destructor
    Queue& operator=(const Queue& rhs); //assignment operator

    bool isEmpty() const;
    void enqueue(const T& newItem);
    T dequeue() throw(QueueException);
    T peek() const throw(QueueException);

private:
    QueueNode<T> *backPtr;
    QueueNode<T> *frontPtr;
};
```

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### Linked List Implementation – constructor, destructor, isEmpty

```
template<class T>
Queue<T>::Queue() : backPtr(nullptr), frontPtr(nullptr){}

template<class T>
Queue<T>::~Queue() { // destructor
    while (!isEmpty())
        dequeue(); // backPtr and frontPtr are null at this point
}

template<class T>
bool Queue<T>::isEmpty() const{
    return backPtr == nullptr;
}
```

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### Linked list Implementation – enqueue

```
template<class T>
void Queue<T>::enqueue(const T& newItem) {
    // create a new node
    QueueNode<T> *newPtr = new QueueNode<T>;
    // set data portion of new node
    newPtr->item = newItem;
    newPtr->next = nullptr;
    // insert the new node
    if (isEmpty()) // insertion into empty queue
        frontPtr = newPtr;
    else // insertion into nonempty queue
        backPtr->next = newPtr;
    backPtr = newPtr; // new node is at back
}
```

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### Linked list Implementation – dequeue

```
template<class T>
T Queue<T>::dequeue() throw(QueueException) {
    if (isEmpty())
        throw QueueException(
            "QueueException: Empty queue, cannot dequeue");
    else { // queue is not empty; remove front
        QueueNode<T> *tempPtr = frontPtr;
        T queueFront = frontPtr->item;
        if (frontPtr == backPtr) { // one node in queue
            frontPtr = nullptr;
            backPtr = nullptr;
        }
        else
            frontPtr = frontPtr->next;
        tempPtr->next = nullptr; // defensive strategy
        delete tempPtr;
        return queueFront;
    }
}
```

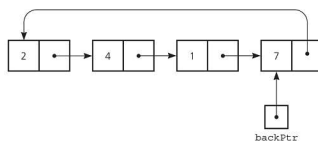
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### Linked list Implementation – peek

```
template<class T>
T Queue<T>::peek() const throw(QueueException) {
    if (isEmpty())
        throw QueueException(
            "QueueException: empty queue, cannot peek");
    else // queue is not empty; retrieve front
        return(frontPtr->item);
}
```

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### Queue as a circular linked list with one external pointer

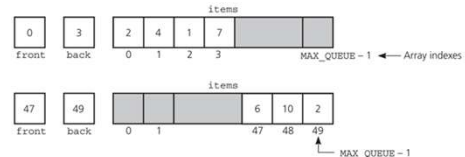


#### Queue Operations

constructor ?  
 isEmpty ?  
 enqueue ?  
 dequeue ?  
 getFront ?

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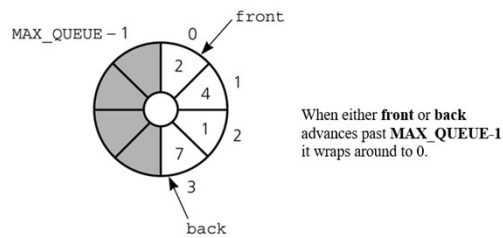
### A Naive Array-Based Implementation of Queue



- Rightward drift can cause the queue to appear full even though the queue contains few entries.
- We may shift the elements to left in order to compensate for rightward drift, but shifting is expensive ( $O(n)$ )

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### A Circular Array-Based Implementation



Circular array eliminates rightward drift.

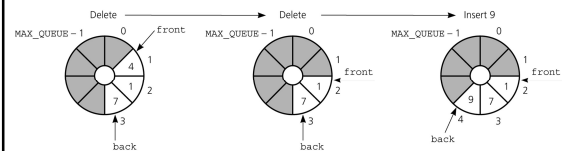
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### The effect of some operations of the queue

**Initialize:** `front=0; back=MAX_QUEUE-1;`

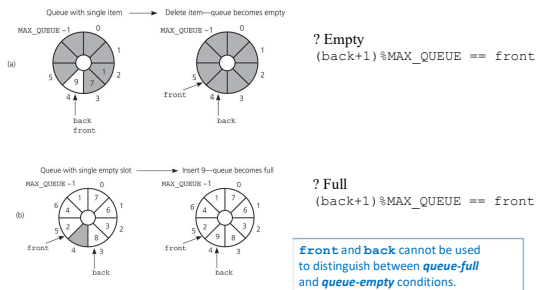
**Insertion:** `back = (back+1) % MAX_QUEUE;`  
`items[back] = newItem;` **NOT ENOUGH**

**Deletion:** `front = (front+1) % MAX_QUEUE;`



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### PROBLEM – Queue is Empty or Full



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### Solutions for Queue-Empty/Queue-Full Problem

- Using a counter to keep the number items in the queue.
  - Initialize count to 0 during creation; Increment count by 1 during insertion; Decrement count by 1 during deletion.
  - count=0  $\Rightarrow$  empty; count=MAX\_QUEUE  $\Rightarrow$  full
- Using isFull flag to distinguish between the full and empty conditions.
  - When the queue becomes full, set isFull to true; When the queue is not full set isFull to false;
- Using an extra array location (and leaving at least one empty location in the queue). (**MORE EFFICIENT**)
  - Declare MAX\_QUEUE+1 locations for the array items, but only use MAX\_QUEUE of them. We do not use one of the array locations.

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### Using a counter

- To initialize the queue, set
  - front to 0
  - back to MAX\_QUEUE-1
  - count to 0
- Inserting into a queue
  - `back = (back+1) % MAX_QUEUE;`
  - `items[back] = newItem;`
  - `++count;`
- Deleting from a queue
  - `front = (front+1) % MAX_QUEUE;`
  - `--count;`
- Full: `count == MAX_QUEUE`
- Empty: `count == 0`

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  - When the queue becomes full, set isFull to true; When the queue is not full set isFull to false;

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### Using isFull flag

- To initialize the queue, set  
`front = 0; back = MAX_QUEUE-1; isFull = false;`
- Inserting into a queue  
`back = (back+1) % MAX_QUEUE; items[back] = newItem;`  
`if ((back+1)%MAX_QUEUE == front) isFull = true;`
- Deleting from a queue  
`front = (front+1) % MAX_QUEUE;`  
`isFull = false;`
- Full: `isFull == true`
- Empty: `isFull==false && ((back+1)%MAX_QUEUE == front)`

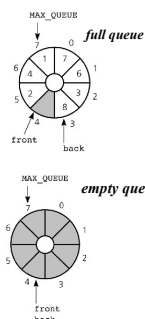
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  - When the queue becomes full, set isFull to true; When the queue is not full set isFull to false;
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  - Declare MAX\_QUEUE+1 locations for the array items, but only use MAX\_QUEUE of them. We do not use one of the array locations.

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### Using an extra array location



- To initialize the queue, allocate (MAX\_QUEUE+1) locations  
`front=0; back=0;`
- front** holds the index of the location before the front of the queue.
- Inserting into a queue (if queue is not full)  
`back = (back+1) % (MAX_QUEUE+1);`  
`items[back] = newItem;`
- Deleting from a queue (if queue is not empty)  
`front = (front+1) % (MAX_QUEUE+1);`
- Full:  
`(back+1) % (MAX_QUEUE+1) == front`
- Empty:  
`front == back`

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### Array-Based Implementation Using a counter – Header File

```
#include "QueueException.h"
const int MAX_QUEUE = maximum-size-of-queue;

template <class T>
class Queue {
public:
    Queue(); // default constructor
    bool isEmpty() const;
    void enqueue(const T& newItem) throw(QueueException);
    T dequeue() throw(QueueException);
    T peek() const throw(QueueException);
private:
    T items[MAX_QUEUE];
    int front;
    int back;
    int count;
};
```

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### Array-Based Implementation Using a counter – constructor, isEmpty

```
template<class T>
Queue<T>::Queue():front(0), back(MAX_QUEUE-1), count(0) {}

template<class T>
bool Queue<T>::isEmpty() const
{
    return count == 0;
}
```

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### Array-Based Implementation Using a counter - enqueue

```
template<class T>
void Queue<T>::enqueue(const T& newItem)
throw(QueueException) {
    if (count == MAX_QUEUE)
        throw QueueException("QueueException: queue full on enqueue");
    else { // queue is not full; insert item
        back = (back+1) % MAX_QUEUE;
        items[back] = newItem;
        ++count;
    }
}
```

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### Array-Based Implementation Using a counter – dequeue

```
template<class T>
T Queue<T>::dequeue() throw(QueueException) {
    if (isEmpty())
        throw QueueException("QueueException: empty queue, cannot dequeue");
    else { // queue is not empty; remove front
        T val = items[front];
        front = (front+1) % MAX_QUEUE;
        --count;
        return val;
    }
}
```

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### Array-Based Implementation Using a counter – peek

```
template <class T>
T Queue<T>::peek () const throw(QueueException)
{
    if (isEmpty())
        throw QueueException("QueueException: empty queue, cannot getFront");
    else
        // queue is not empty; retrieve front
        return(items[front]);
}
```

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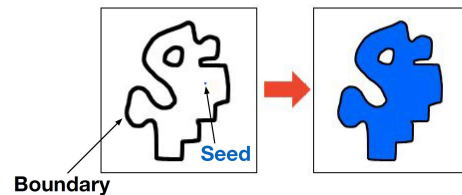
### Stacks vs. Queues

- **Stacks:**
  - LIFO (Last-In-First-Out)
  - Push and pop both modify the top element
  - Computer systems use stacks to manage function calls, including recursive function calls.
- **Queues:**
  - FIFO (First-In-First-Out)
  - Enqueue modifies the rear element; Dequeue modifies the front element.
  - Computer systems use queues to manage buffers, printing jobs, etc

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### The Flood Fill Algorithm

- A common tool in many paint software, used to fill a **connected** region of pixels with a different color.
- Also known as Bucket Fill, or Seed Fill. Example:



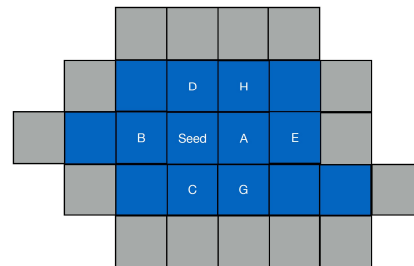
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### Flood Fill With a Queue

- Imagine using a Queue to implement flood fill.
- Start at the seed pixel and an empty queue, add all four neighbors to the queue.
- Dequeue the first element (the right neighbor of the seed), add all its neighbors to the queue.
- Dequeue the second element (the left neighbor of the seed), add all its neighbors to the queue.
- Proceed until the queue is empty.

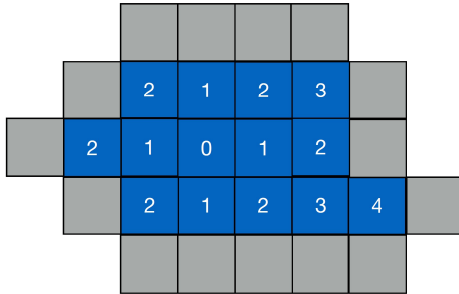
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### Flood Fill with a Queue



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- Queue-based Flood Fill can find the shortest distance from the seed pixel to any pixel in the area.



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### Searching With Queues vs. Stacks

- Searching with a **Stack** is often called **Depth-First Search (DFS)**. It's often used to find a solution as quickly as possible.
- Searching with a **Queue** is called **Breadth-First Search (BFS)**. It's often used to find the **best** (e.g. shortest path) solution. For example, the shortest path out of a maze, the shortest distance from the seed pixel to the boundary.
- We will study more about these search methods in the future.

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