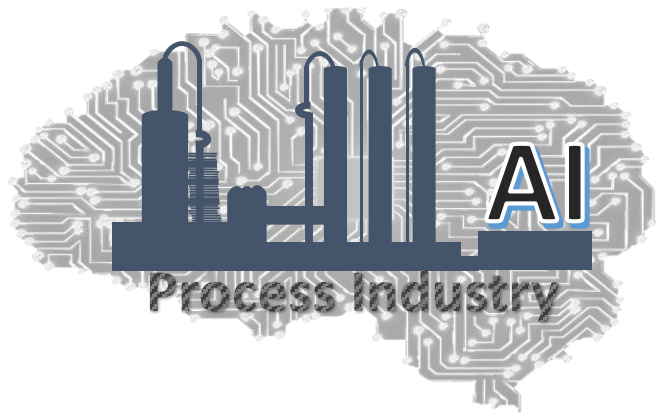


Statistical Techniques for Monitoring Industrial Processes

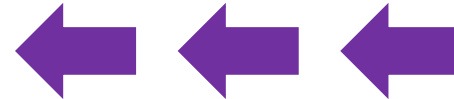


Lecture : Introduction to PCA

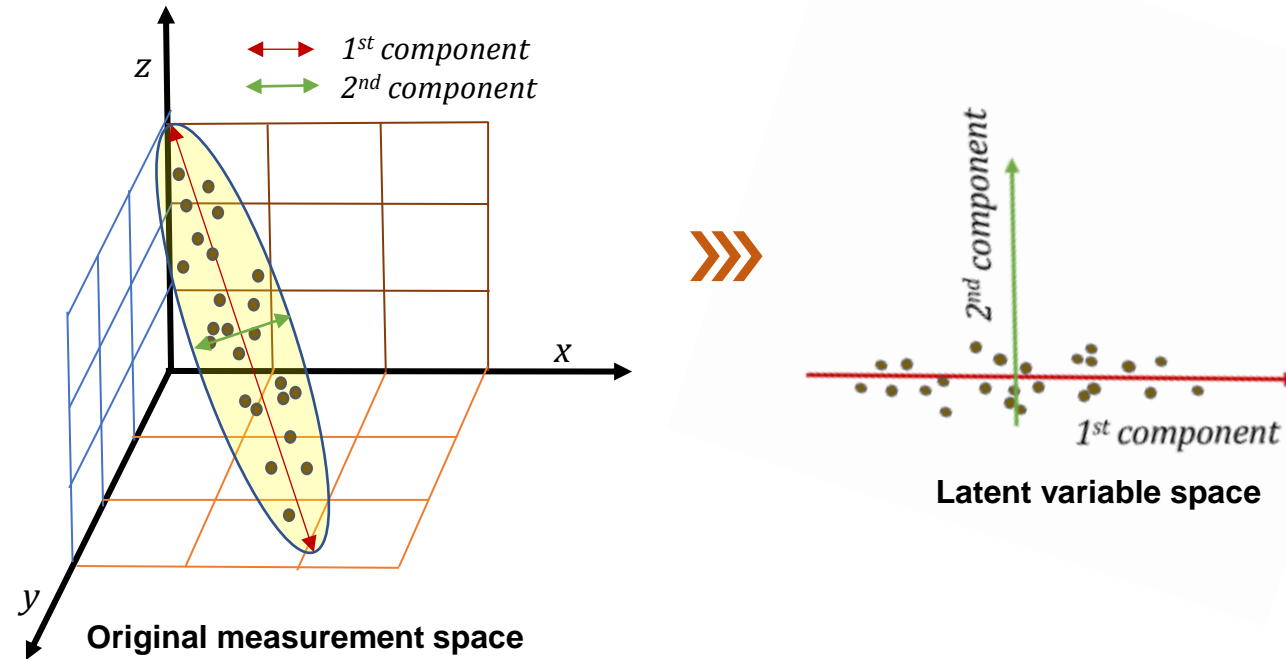
Module : PCA-based MSPM

Course TOC

- ❑ Introduction to Statistical Process Monitoring (SPM)
- ❑ Python Installation and basics (optional)
- ❑ Univariate SPM & Control Charts
 - Shewhart Charts
 - CUSUM Charts
 - EWMA Charts
- ❑ Multivariate SPM
 - Principal Component Analysis (PCA)-based MSPM
 - Fault detection & diagnosis (FDD) using PCA
 - Application to a Polymer Manufacturing process
 - Partial Least Squares (PLS) regression-based MSPM
 - Strategies for handling nonlinear, dynamic, multimode systems
- ❑ Deploying SPM solutions



Introduction to PCA

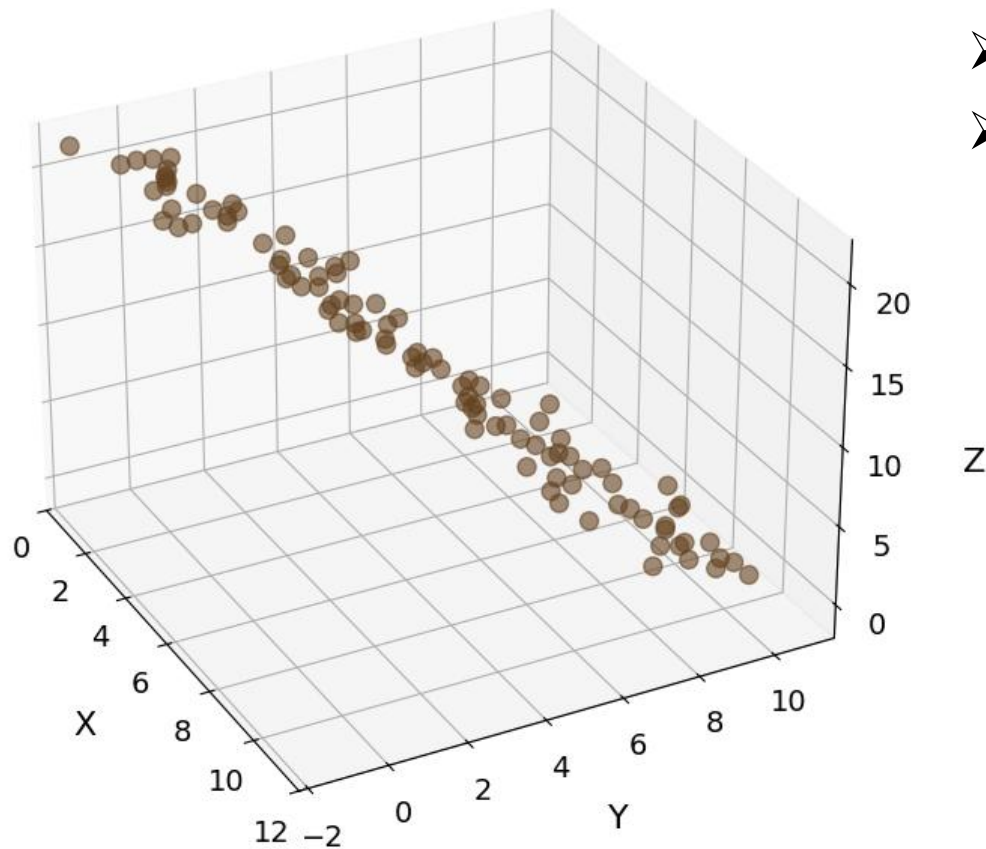


- ❑ PCA is primarily a dimensionality reduction technique
- ❑ PCA separates variations in data into systematic variations and noise

PCA Implementation using Sklearn



Simple numerical dataset

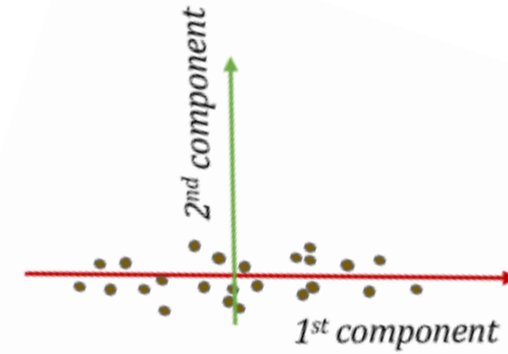
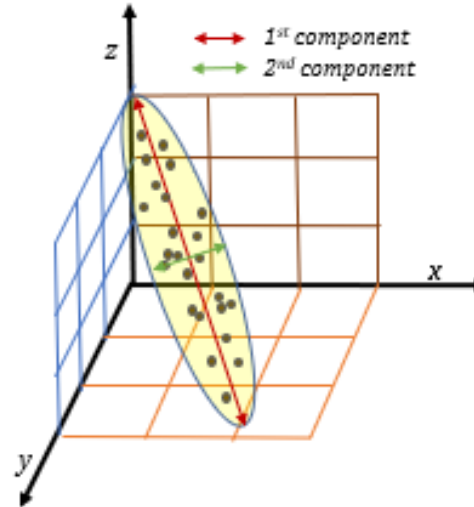


- Convert the 3D dataset to a 1D dataset
- Find the 'line' along which samples lie

PCA: Model Training and Deployment

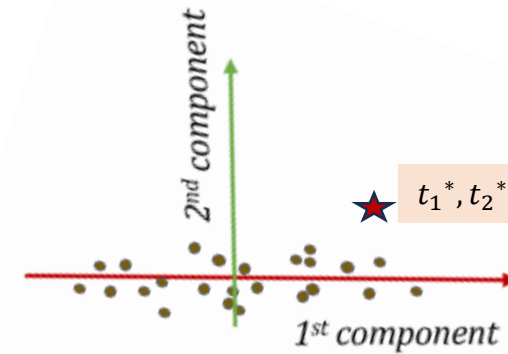
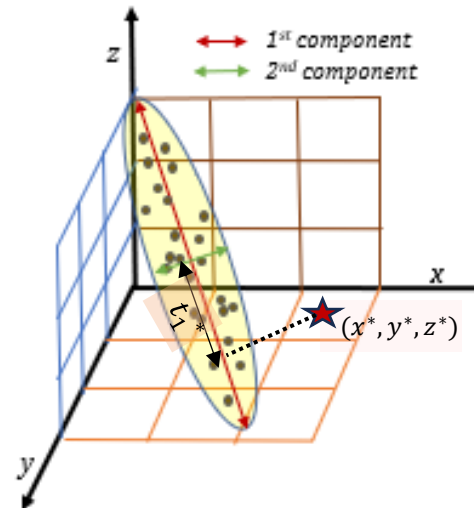
Model training

Finding the directions of the principal components (PCs)



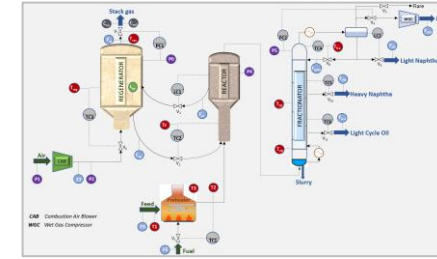
Model inference

Projecting new sample onto the PCs and getting the transformed coordinates



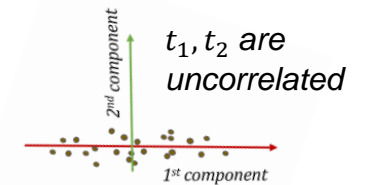
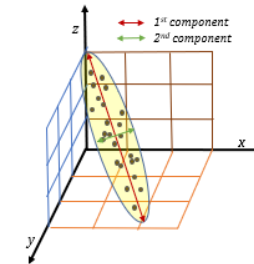
PCA: Why do we care?

- Typical modern process plant have hundreds of variables, but operate in lower dimensional space



variables are correlated

- Working with reduced dimensions is convenient



- PCA separates systematic variations from the noisy variations

$$\begin{pmatrix} \mathbf{X} \end{pmatrix} \ggg \begin{pmatrix} \hat{\mathbf{X}} \end{pmatrix} + \begin{pmatrix} \mathbf{E} \end{pmatrix}$$

only systematic variations
only noise

Statistical Techniques for Monitoring Industrial Processes



Next Lecture : PCA – Under the Hood

Module : PCA-based MSPM

