

Statistical Techniques for Monitoring Industrial Processes



Lecture : Shortcomings of Classical Control Charts

Module : Univariate SPM

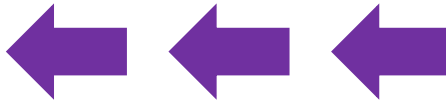
Course TOC

❑ Introduction to Statistical Process Monitoring (SPM)

❑ Python Installation and basics (optional)

❑ Univariate SPM & Control Charts

- Shewhart Charts
- CUSUM Charts
 - Application: Aeration tank monitoring
- Assessing Performance of Control Charts
- EWMA Charts
- Shortcomings of Classical Control Charts

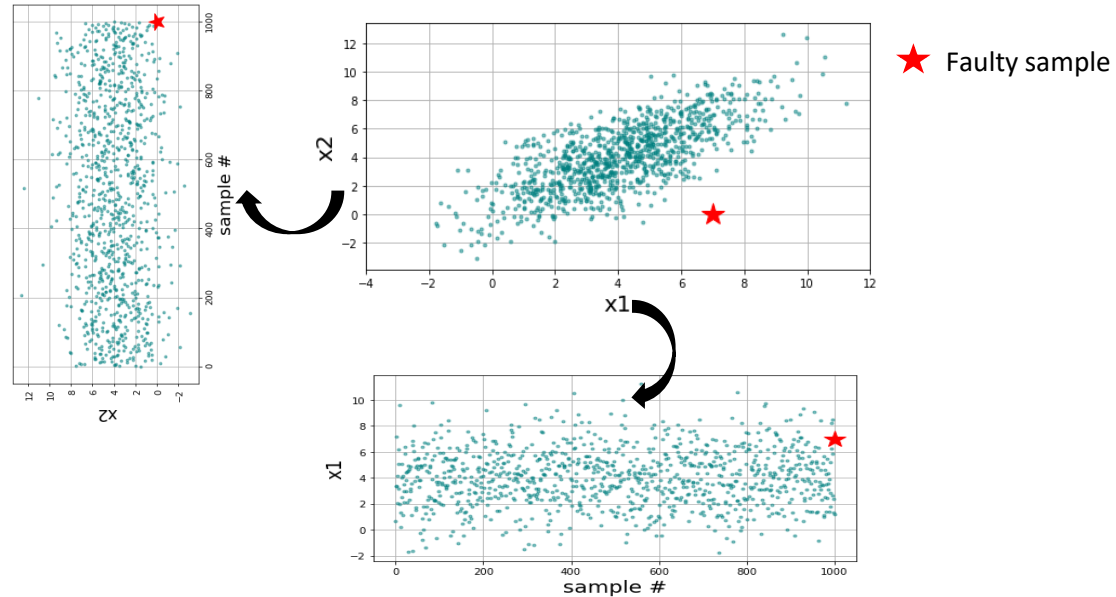


❑ Multivariate SPM

- Fault detection using Principal Component Analysis (PCA)
- Fault detection using Partial Least Squares (PLS) regression
- Fault diagnosis using PCA/PLS contribution charts
- Strategies for handling nonlinear, dynamic, multimode systems

❑ Deployment of SPM Solutions

Shortcoming of Univariate SPM: Handling multivariate system

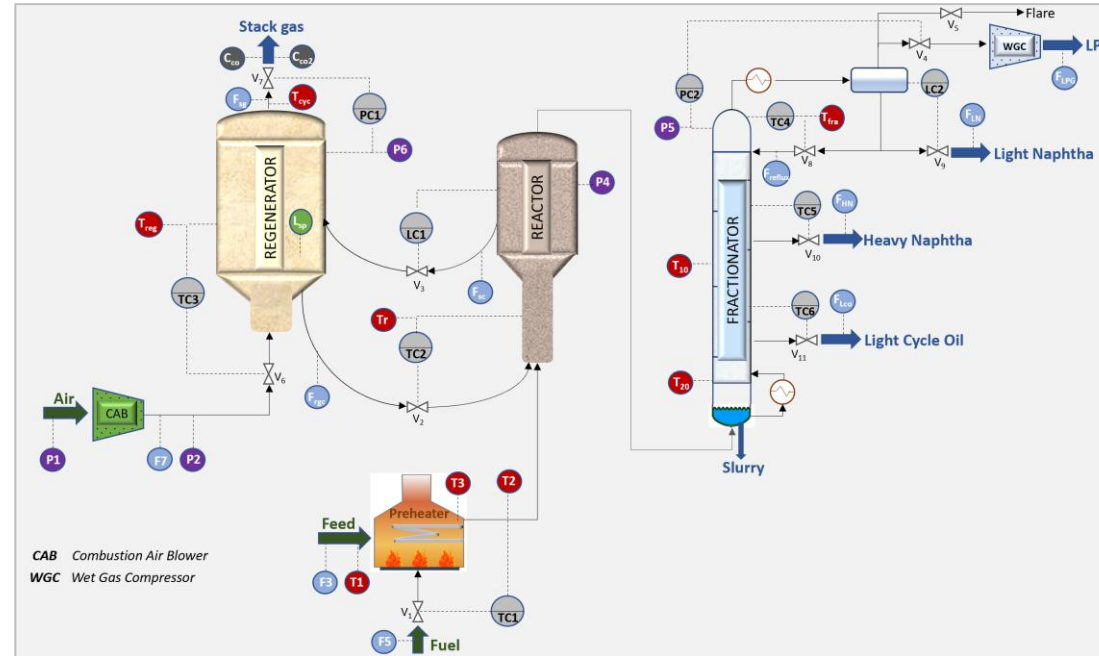


Solution?

- ☐ Multivariate Shewhart chart (Hotelling's T^2 chart)
- ☐ Multivariate CUSUM chart
- ☐ Multivariate EWMA chart

Not popular for handling correlated high-dimensional data

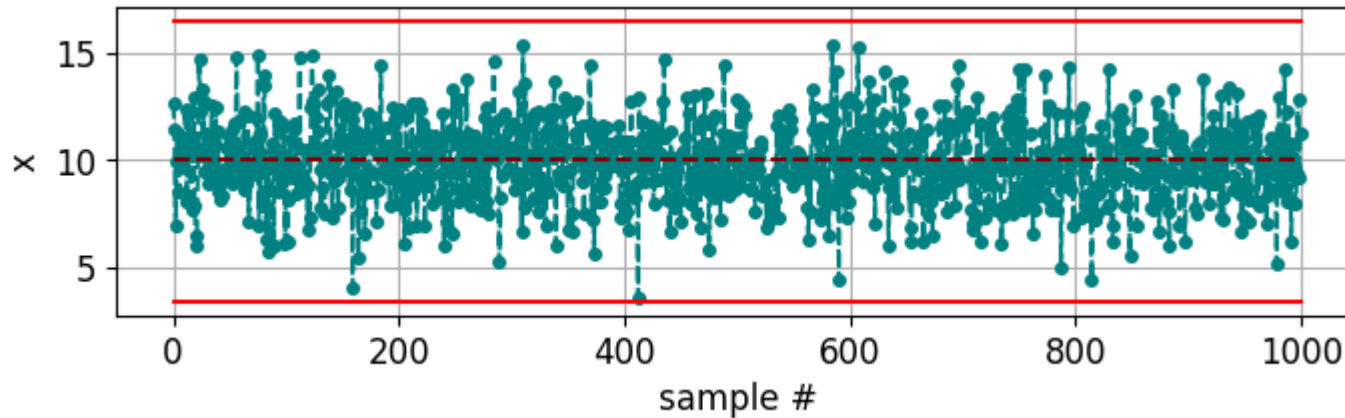
Shortcoming of Univariate SPM: Handling multivariate system



Interested in monitoring the whole plant?

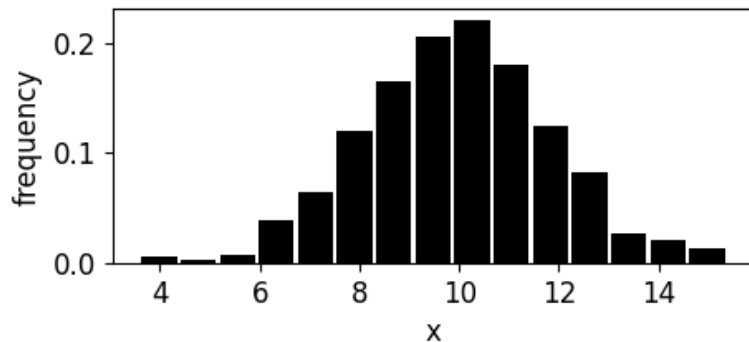
- ☐ PCA
- ☐ PLS
- ☐ ICA

Shortcoming of Univariate SPM: Handling autocorrelated signal

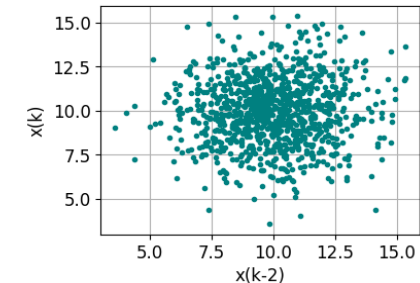
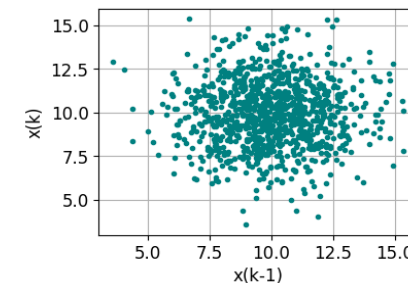


Assumptions

➤ signal is Gaussian distributed



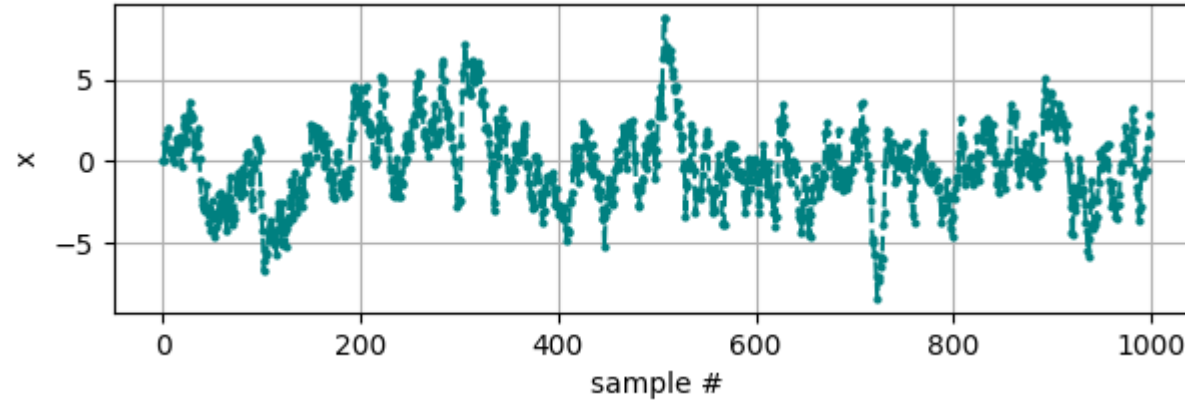
➤ Observations are independently distributed and therefore uncorrelated



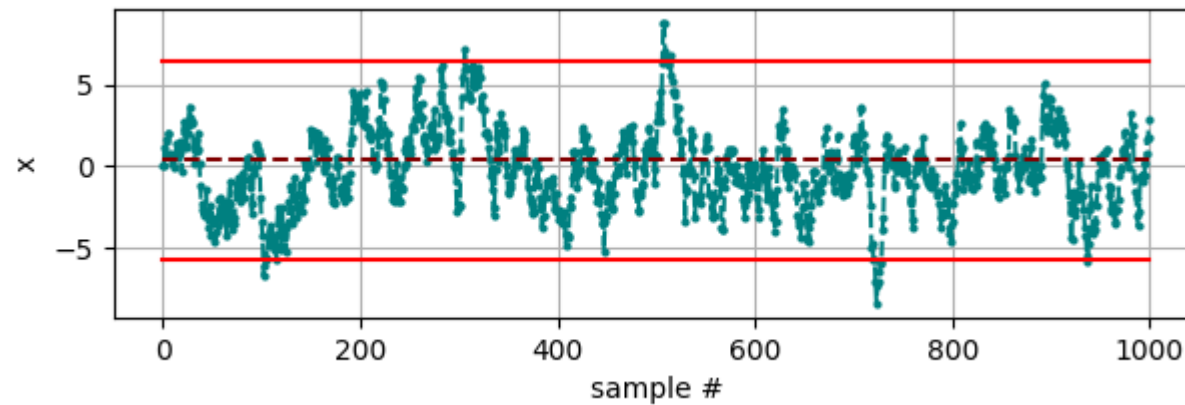
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Shortcoming of Univariate SPM: Handling autocorrelated signal

$$x(k) = 0.9x(k-1) + e(t)$$



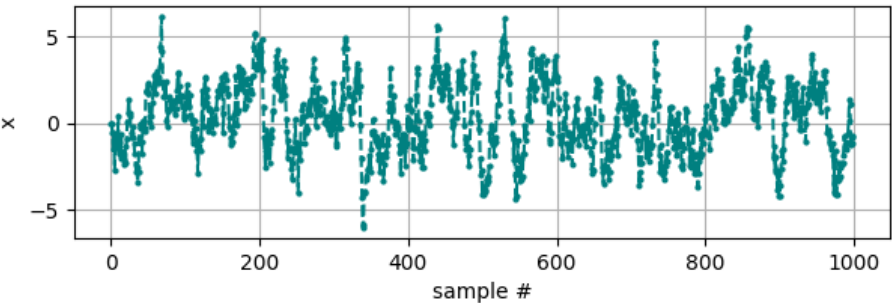
↓ 3σ Shewhart chart



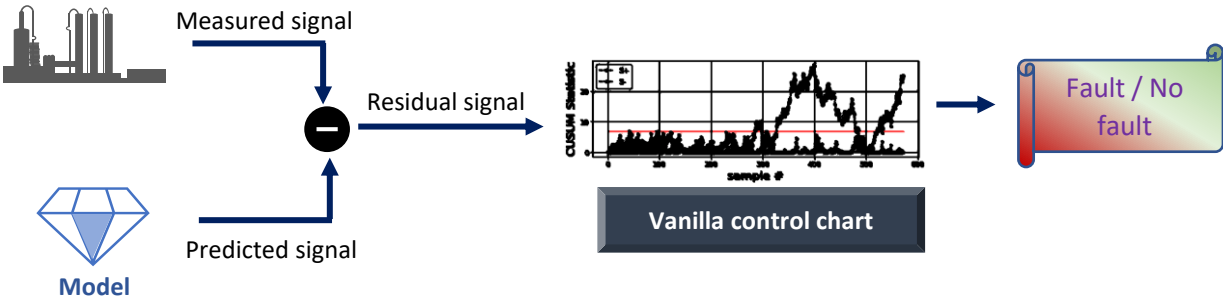
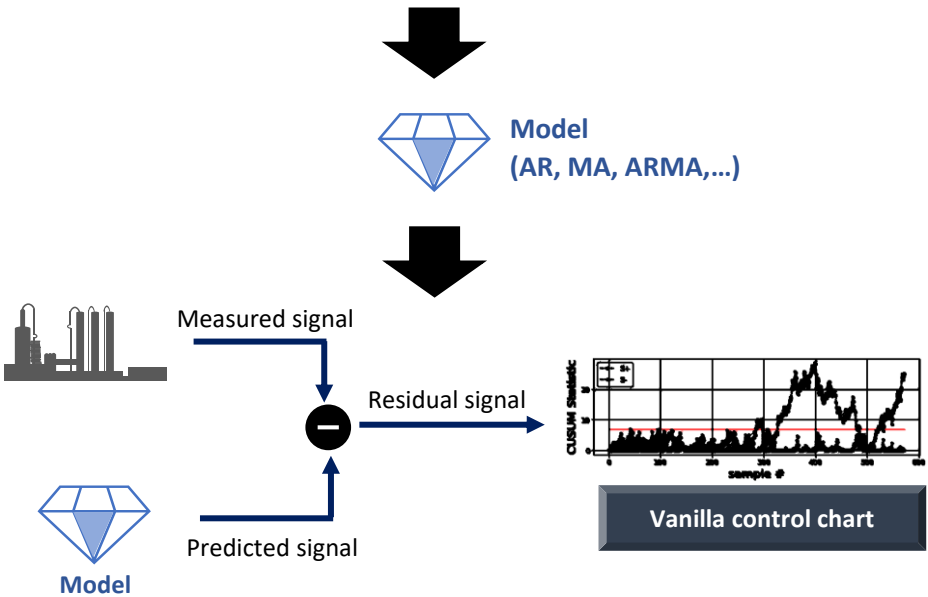
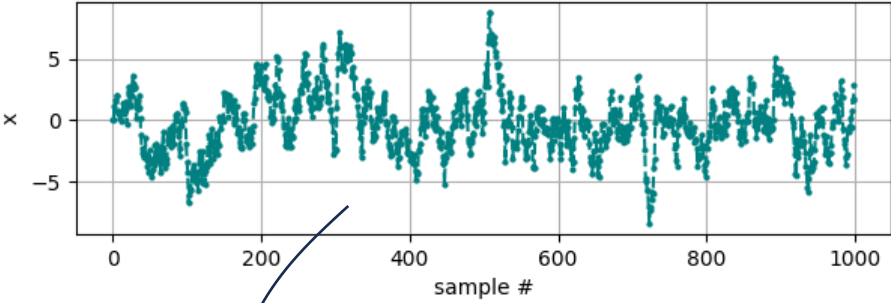
$FAR = 1.8\% > (\text{expected}) 0.27\%$

Shortcoming of Univariate SPM: Handling autocorrelated signal

Historical NOC data



test data



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Next Lecture : Introduction to Multivariate SPM

Module : Multivariate SPM

