

Individual Choice

Underlying Assumptions about Preferences

Completeness \rightarrow all decisions available
more is better

Transitivity $\rightarrow A \succ B$ and $B \succ C$ thus $A \succ C$

MRS_{xy} = marginal rate of substitution of good x for good y
 \hookrightarrow this can diminish

Indifference Curves and Preferences

different combinations w/ equal utility

Perfect complements vs Perfect substitutes

Imperfect substitutes have marginal returns
Curves cannot cross

Utility functions, marginal utility, and the MRS

Marginal utility = derivative

$$MRS_{xy} = MU_x / MU_y$$

Budget Constraints

budget line = $mP_x X + P_y Y$ $\rightarrow P_x + P_y$ = cost of $X + Y$

$$\hookrightarrow Y = \frac{m}{P_y} - \frac{P_x}{P_y} X$$

$X + Y$ = Qty. of $X + Y$

m = budget constraint

Individual choice

Interpretation of the solution of the individual's choice problem

$MRS_{xy} = \frac{P_x}{P_y} \rightarrow$ optimality condition

$$\hookrightarrow \frac{MU_x}{P_x} = \frac{MU_y}{P_y}$$

Price changes and Income shifts

Substitution Effect = induced by price change

Income Effect = change in Purchasing Power

Giffen Good = Substitution \downarrow income \uparrow = income wins

Individual choice - The Calculus Version

$\max_{x,y} U(x,y)$ subject to $P_x X + P_y Y \leq m$

$$U(x, \frac{m}{P_y} - \frac{P_x}{P_y} X)$$

Lagrange multiplier $L = U(x,y) + \lambda [m - P_x X - P_y Y]$

use system of equations to solve \uparrow