

# Evidence-Informed Policy

POLSCI 4SS3

Winter 2023

# Policy

- **Policy** is an umbrella term to describe government programs or operations at different levels
- **Examples:**
  - How long should form 57B be?
  - Should we get help from private clinics to clear surgery backlogs?
  - Should the education budget increase?
  - When should the next federal election be held?

# Evidence-Informed

- Of course we want to base policy on evidence!
- But there is no *objective* evidence when it comes to human behavior
- We say evidence-*informed* because the best we can do is try to prove ourselves wrong, but we cannot *base* policy on evidence the same way medicine does

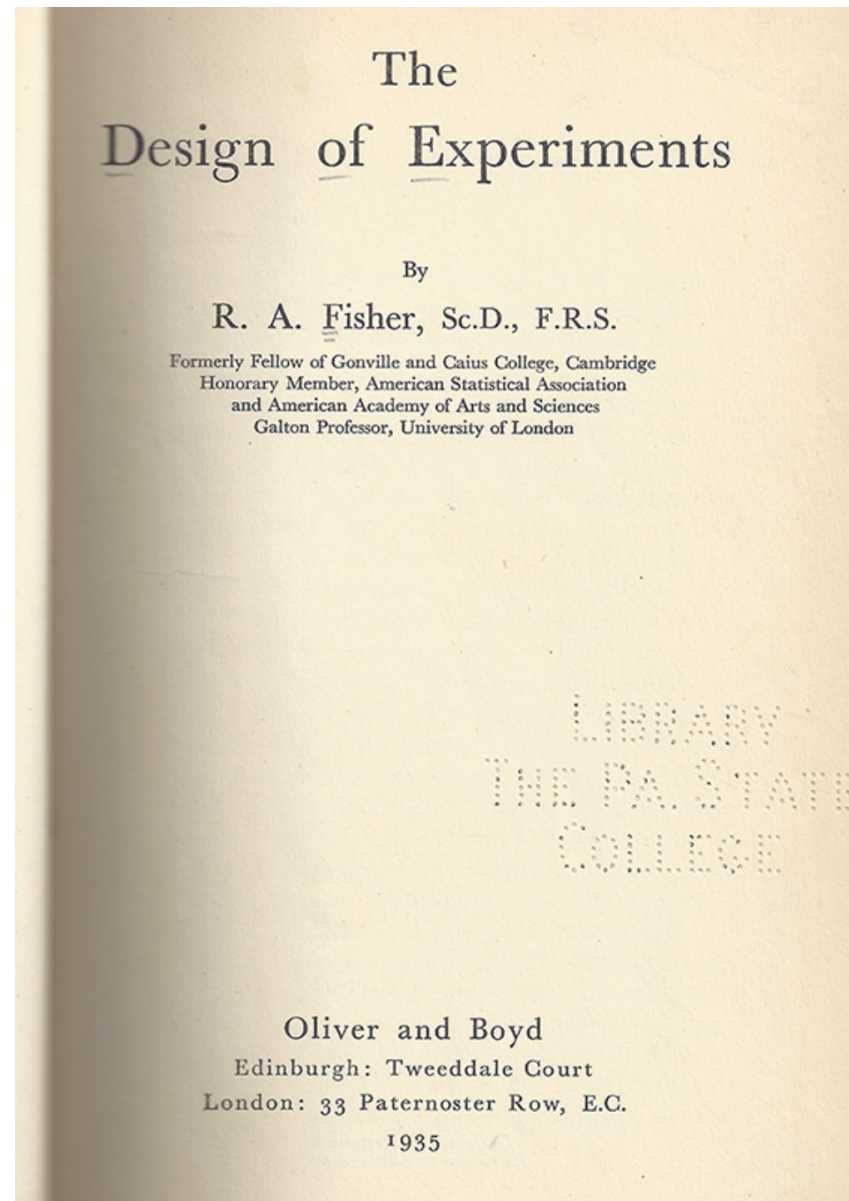
# Two approaches

1. Evidence as insight

2. Evidence as evaluation

**How can you determine  
if a policy works?**

# Example



# The lady tasting tea

*A lady declares that by tasting a cup of tea made with milk she can discriminate whether the milk or the tea infusion was first added to the cup*

How do you **evaluate** this claim?

# An experiment

- Suppose we have eight milk tea cups
- 4 milk first, 4 tea first
- We arrange them in random order
- Lady knows there are 4 of each, but not which ones



# Results

Lady's Guesses	True Order	
	Tea First	Milk First
Tea First	3	1
Milk First	1	3

- She gets it right  $\frac{6}{8}$  times
- What can we conclude?

# Problem

- How does “being able to discriminate” look like?
- Same for policy, we don’t know how the world where the policy works look like
- But we **do know** how a person without the ability to discriminate milk/tea order looks like
- This lets us make **probability statements** about this **hypothetical world of no effect**

# A person with no ability

Count	Possible combinations	Total
0	XXXX	
1	XX XO, XX OX, XO XX, OXXX	
2	XX OO, XO XO, XO OX, OX OX, OO XX, OXX O	
3	XO OO, OX OO, OO XO, OO OX	
4	O O O O	

# A person with no ability

Count	Possible combinations	Total
0	XXXX	$(1 \times 1 = 1)$
1	XX XO, XX OX, XO XX, OX XX	$(4 \times 4 = 16)$
2	XX OO, XO XO, XO OX, OX OX, OO XX, OO XO	$(6 \times 6 = 36)$
3	XO OO, OX OO, OO XO, OO OX	$(4 \times 4 = 16)$
4	OO OO	$(1 \times 1 = 1)$

# p-values

- If the lady is not able to discriminate milk-tea order, the chance of observing 6/8 correct guesses or better is 24%
- We can translate this to general statements about policies or experiments
- If the **null hypothesis** of no effect is true...
- ... the **p-value** is the probability of observing a result *equal or more extreme* than what is originally observed
- Smaller p-values give more evidence **against** the null, which helps us make a case for the policy having an effect

# Diagnosing hypothesis tests

- A convention in the social sciences is to claim that something with  $(p < 0.05)$  is *statistically significant*<sup>1</sup>
- Committing to a **significance level** implies accepting that sometimes we will get  $(p < 0.05)$  by chance
- This is a **false positive** result
- A good answer strategy as a **controlled** false positive rate  
(more in the lab!)

1. There is no good reason for this other than path dependency

# **Next Two Weeks**

## **Field Experiments**

**Focus on:** Research design alternatives

# Break time!







