

# Quasi-Experiments

## POLI SCI 210

Introduction to Empirical Methods in Political Science

# AI Prompts

- Quasi-experiment (vs. natural experiment)
- Regression discontinuity
- Difference-in-differences
- Political science applications of these designs
- *Robust* standard errors
- *Clustered* standard errors

# So far

- **Two weeks ago:** Experiments as a framework to think about causal inference (potential outcomes)
- **Last week:** Regression as a flexible method to estimate conditional means/slopes
- **This week:**



# Strategies for causal inference

- **Strategy 1:** Random assignment
- **Strategy 2:** Ignorability assumption (conditional independence)

Ignorability is hard to justify:

1. Need to account for all relevant confounding variables
2. Should not include more than 2-3 controls in regression

# Roadmap

Quasi-experiments as research designs for *credible* causal inference in observational studies

**Tuesday:** Ignorability satisfied by design (regression discontinuity)

**Thursday:** Replace ignorability with a more plausible assumption (difference-in-differences)

# Quasi-experiments

- *Observational studies*
- Conditions (treatment, control) assigned in a manner that is **sufficiently independent** from potential outcomes
- Enough to satisfy *ignorability* or *conditional independence*
- ≠ **Natural experiments** (no random assignment)
- We can *think* of them as experiments but they **are not**

# Regression discontinuity design (RDD)

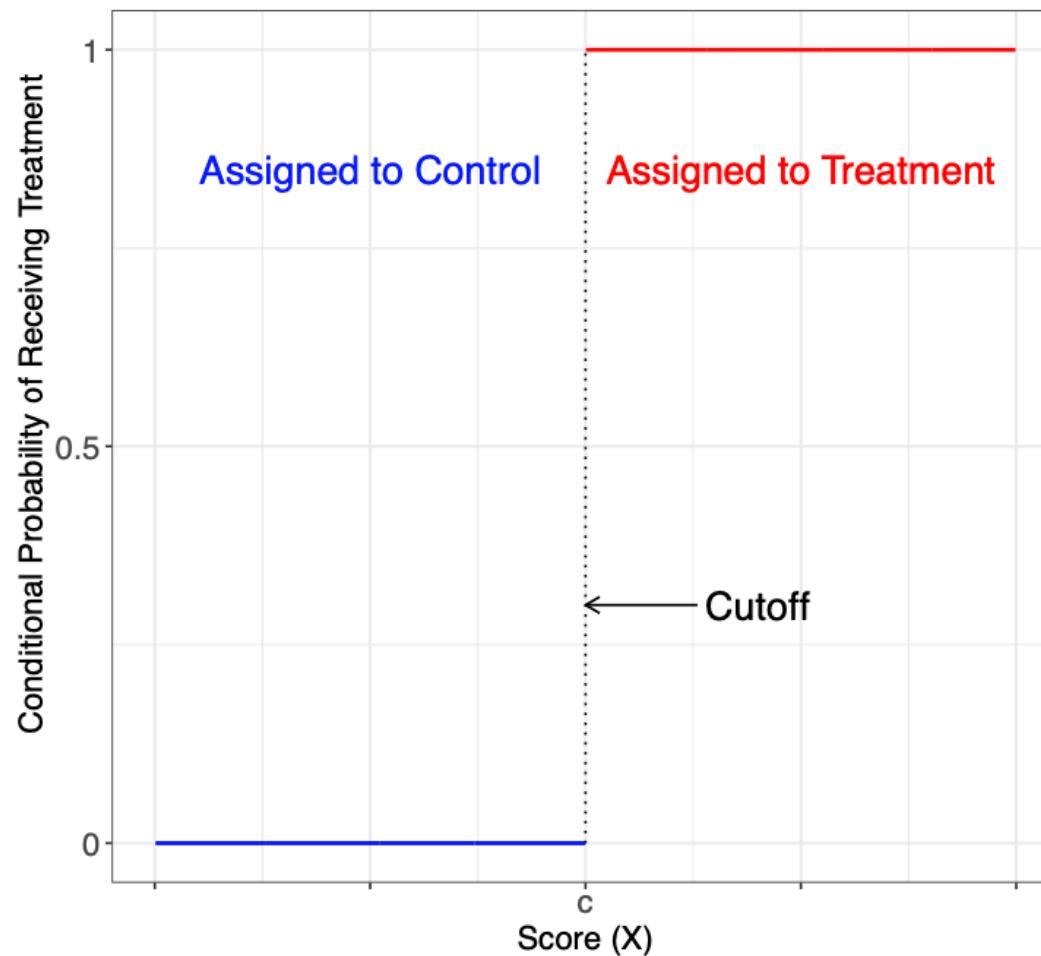
## Ingredients

- $Y$ : Outcome
- $X$ : Score or running variable (numerical continuous)
- $c$ : Cutoff or threshold
- $T$ : Treatment indicator (1, 0)

## Potential outcomes

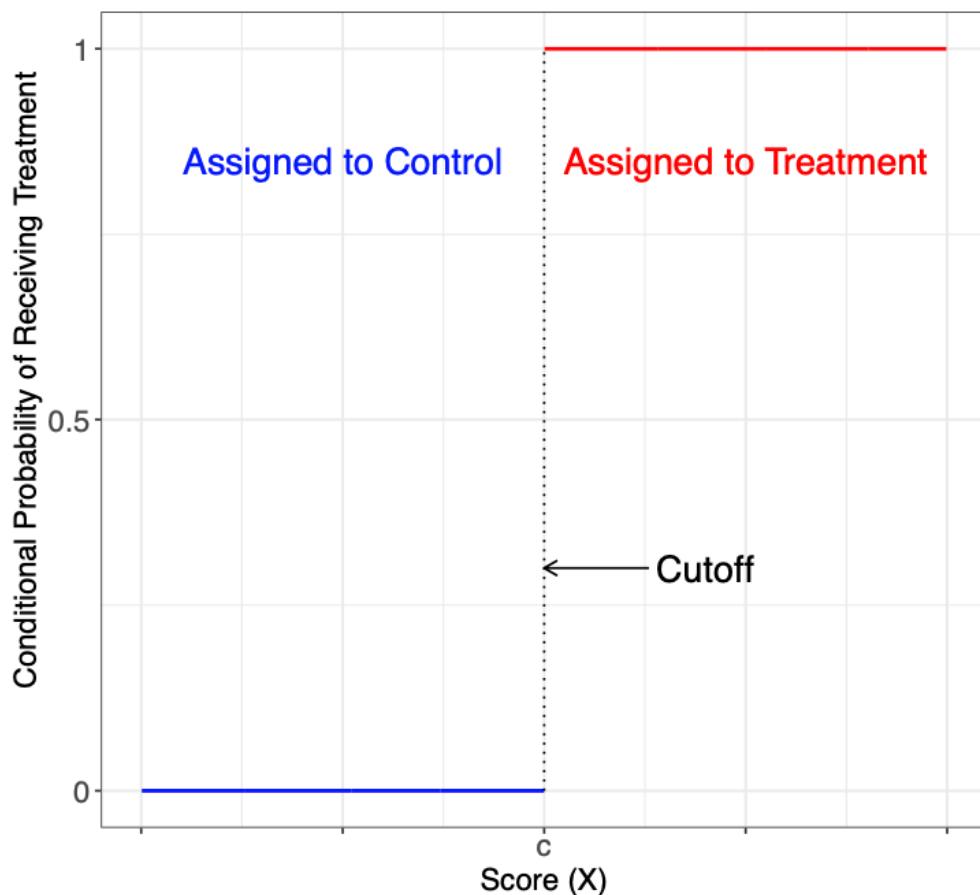
$$Y = (1 - T)Y(0) + TY(1) = \begin{cases} Y(0) & \text{if } X < c \\ Y(1) & \text{if } X \geq c \end{cases}$$

# Sharp RDD



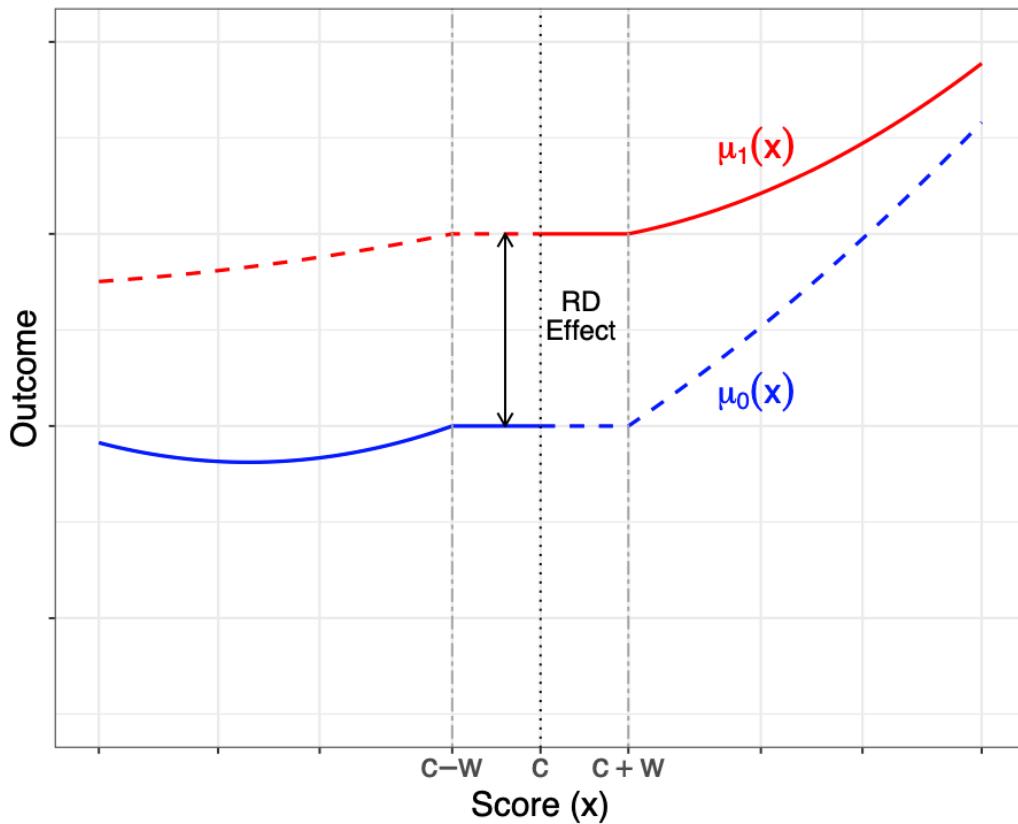
Called *sharp* because treatment assignment is *deterministic* at the cutoff

# Interpretation: Two approaches



1. Local randomization
2. Continuity-based

# Local randomization approach



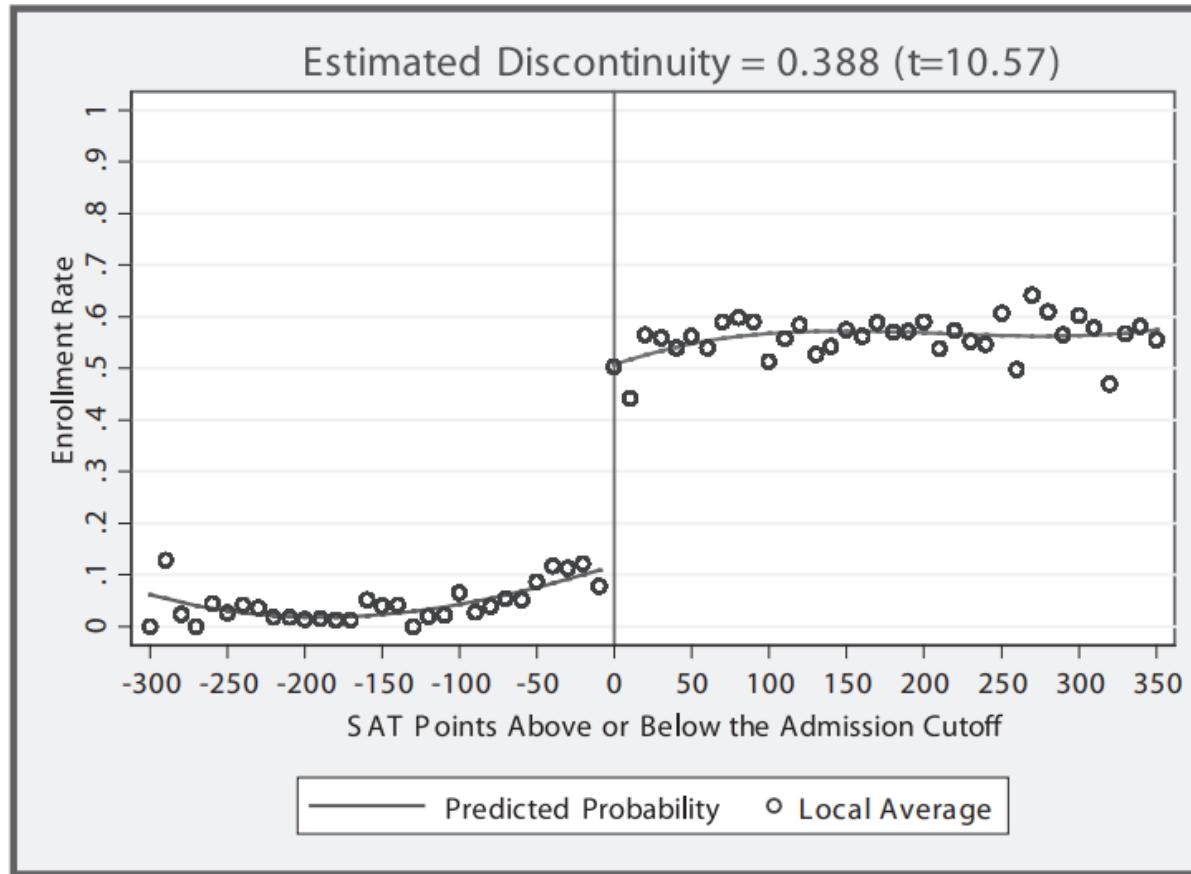
- Potential outcomes are not random because they depend on the score
- But around the *cutoff*, treatment assignment is **as-if random**

We can pretend we have an experiment within a **bandwidth** around the *cutoff*



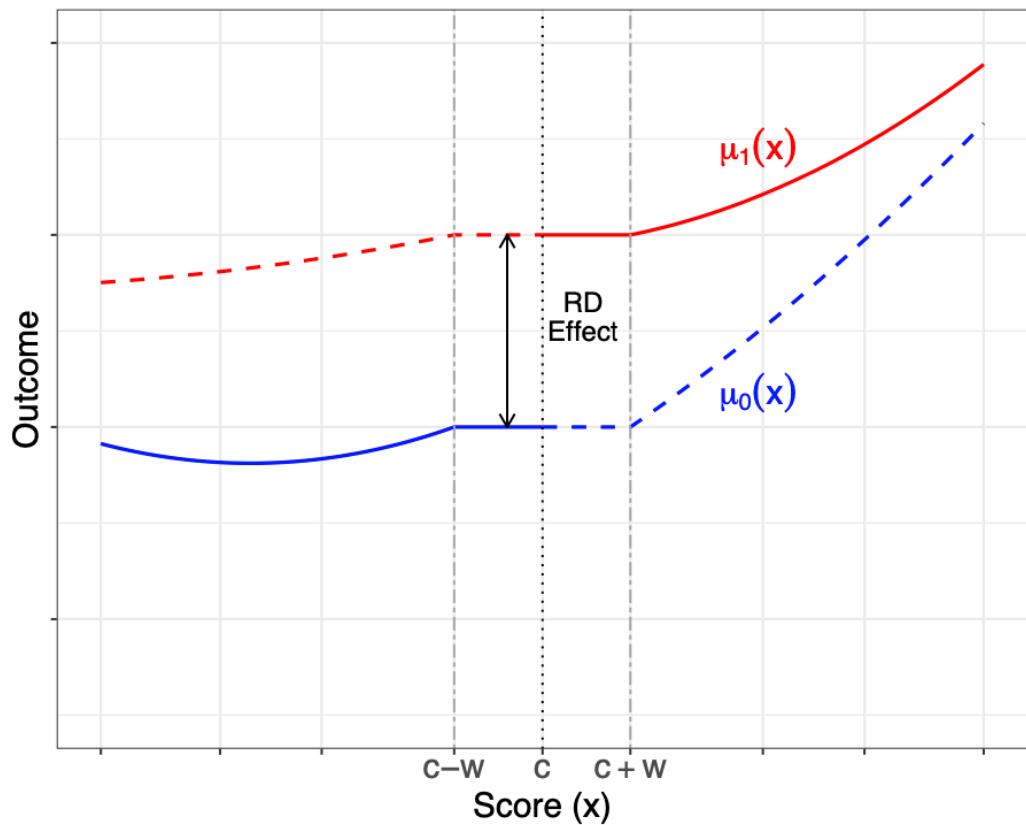
# Example

FIGURE 1.—FRACTION ENROLLED AT THE FLAGSHIP STATE UNIVERSITY



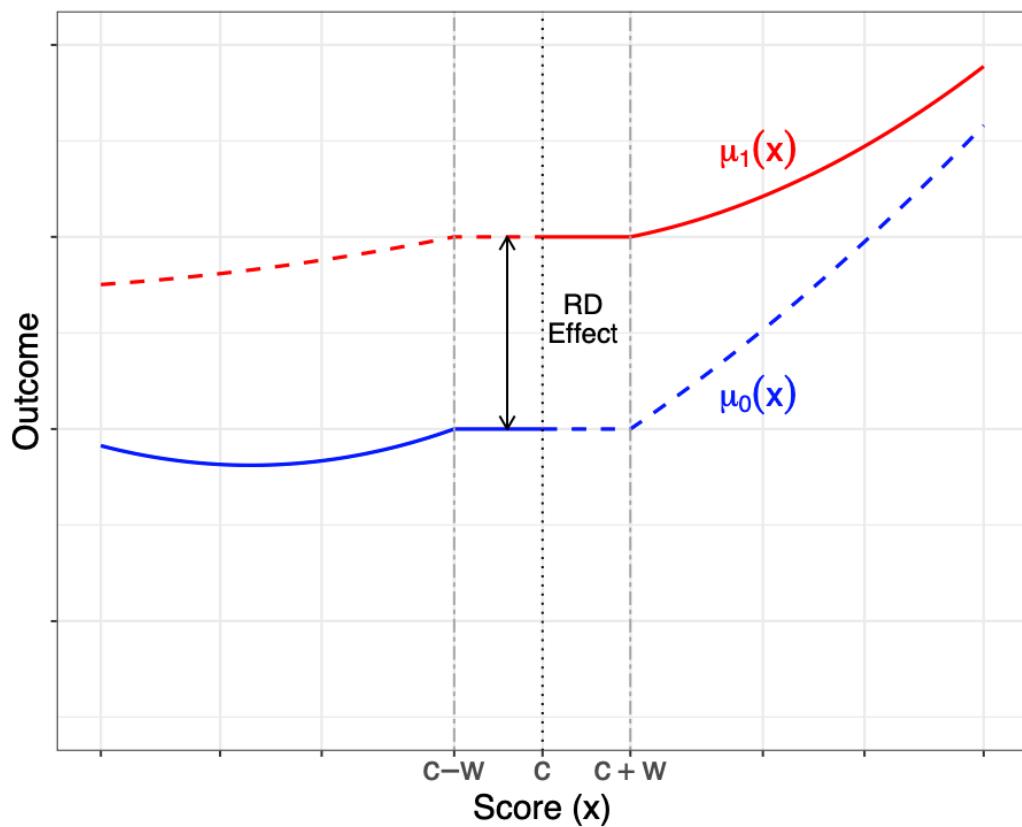
Source: Hoekstra, Mark. 2009. "The Effect of Attending the Flagship State University on Earnings: A Discontinuity-Based Approach." *The Review of Economics and Statistics* 91 (4): 717-724

# Local randomization approach



- Bandwidth  
 $\mathcal{W} = [c - w, c + w]$
- Treatment **as-if** random within  $\mathcal{W}$
- ATE *identified* within  $\mathcal{W}$

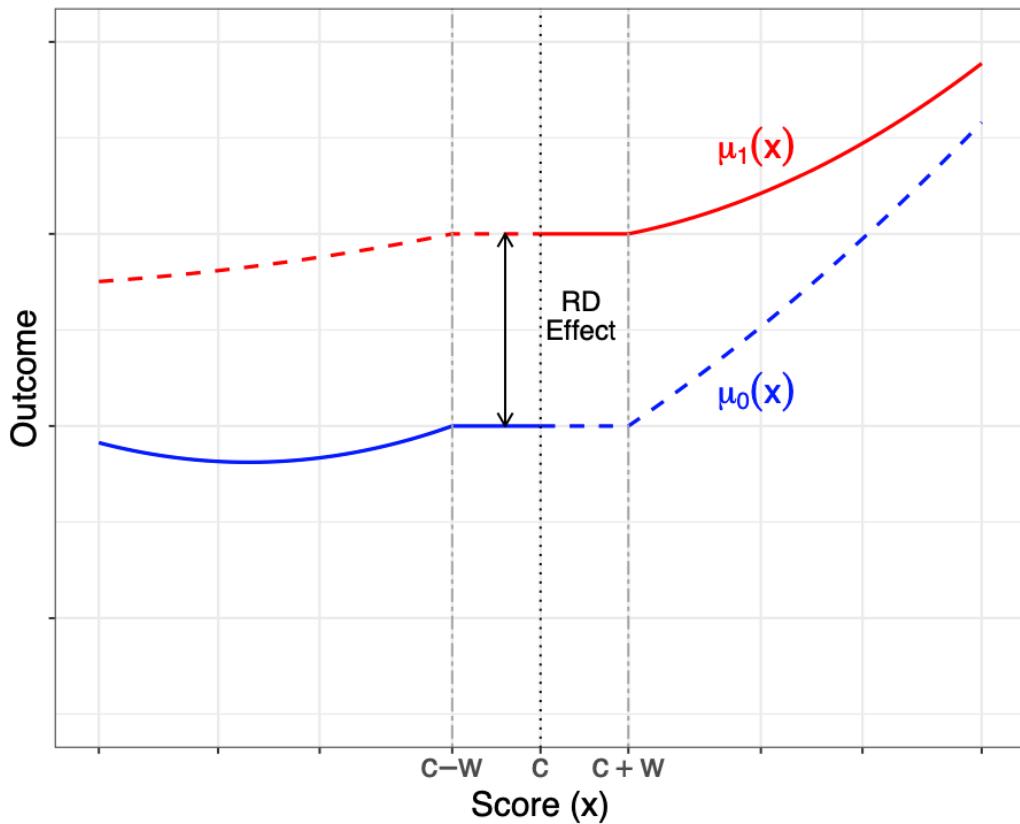
# Local randomization approach



## Requirements

1. Known probability distribution of scores within  $\mathcal{W}$  ( $\equiv$  random assignment)
2. Potential outcomes **not affected by scores** within  $\mathcal{W}$

# Local randomization approach



## Estimation

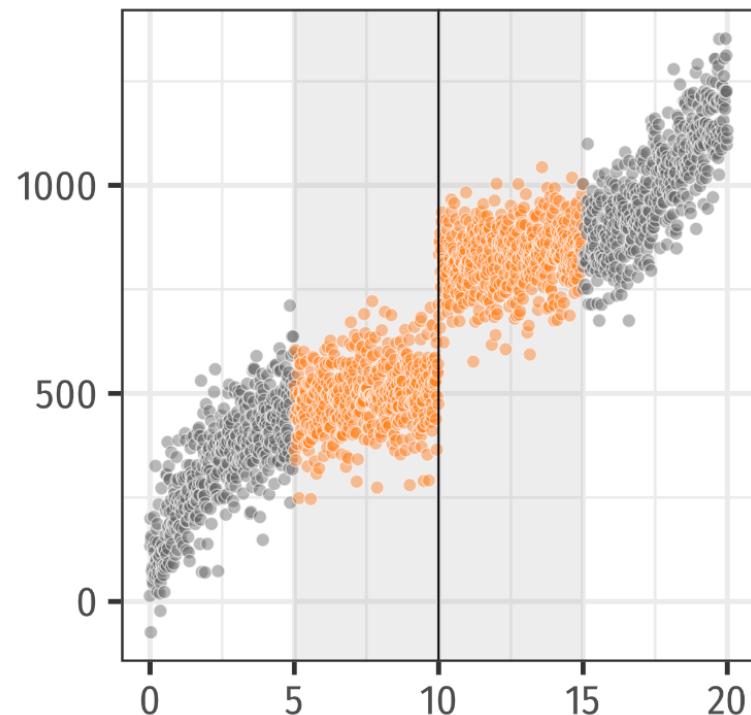
- Difference in means within  $\mathcal{W}$

## Inference

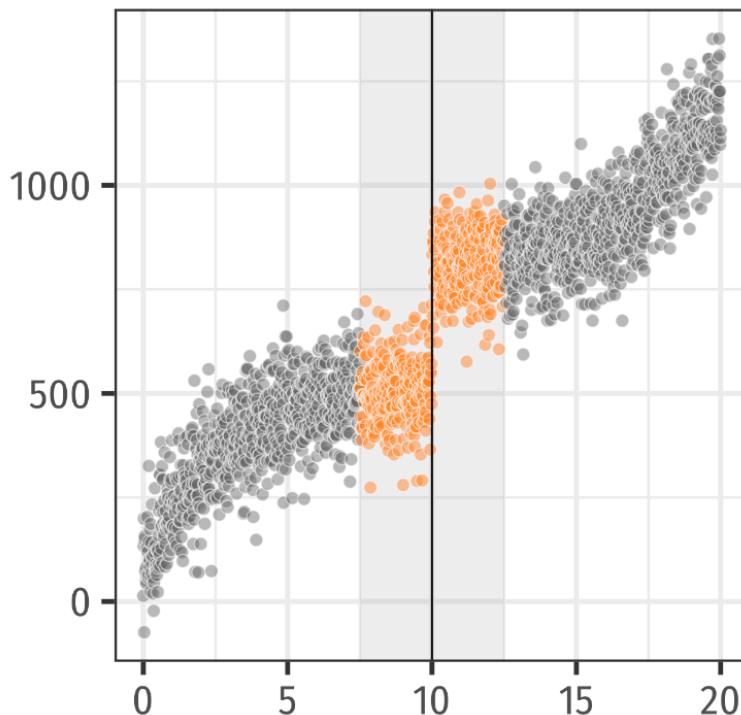
1. CLT approximation  
(needs a *super-population*)
2. Simulation  
(*randomization inference*)

# Challenge: choosing a bandwidth

**Bandwidth = 5**

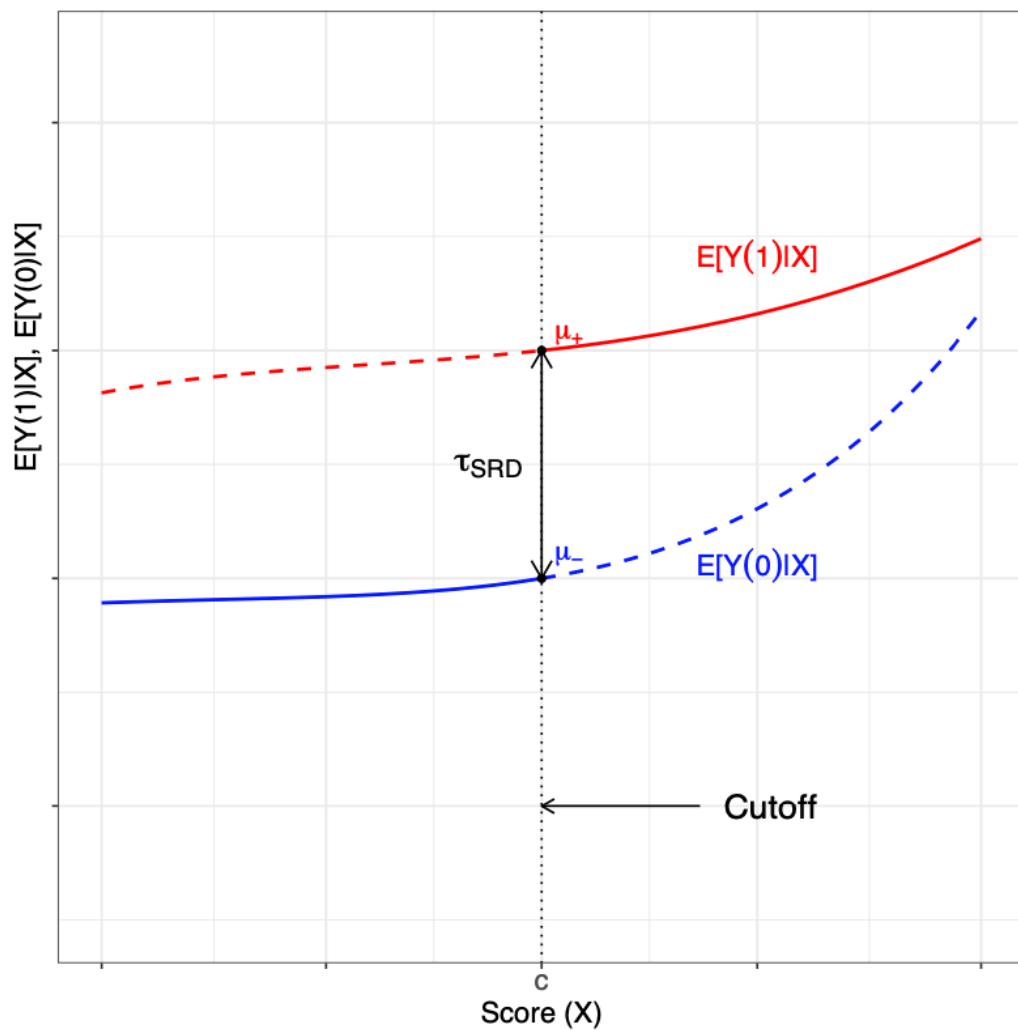


**Bandwidth = 2.5**



A narrow bandwidth has low bias but high variance. A wider bandwidth has lower variance but more bias. Narrow makes more sense but may yield wide confidence intervals.

# Continuity-based approach



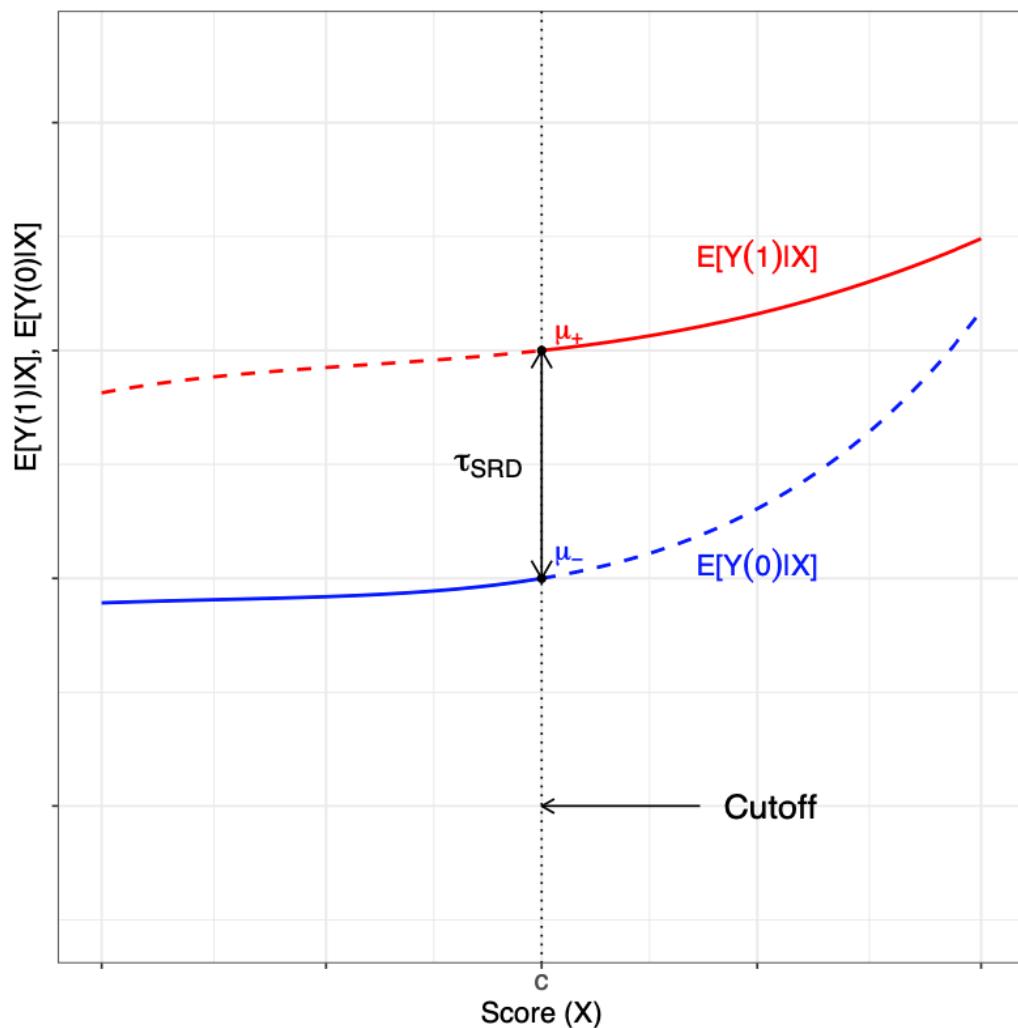
- Treatment assignment **deterministic** at cutoff
- ATE *identified exactly* at cutoff
- $\tau_{SRD} \equiv E[Y_i(1) - Y_i(0)]$
- But it does not exist!



# Example: Evanston school district

[Terms](#) This map was created by a user. Learn how to create your own.

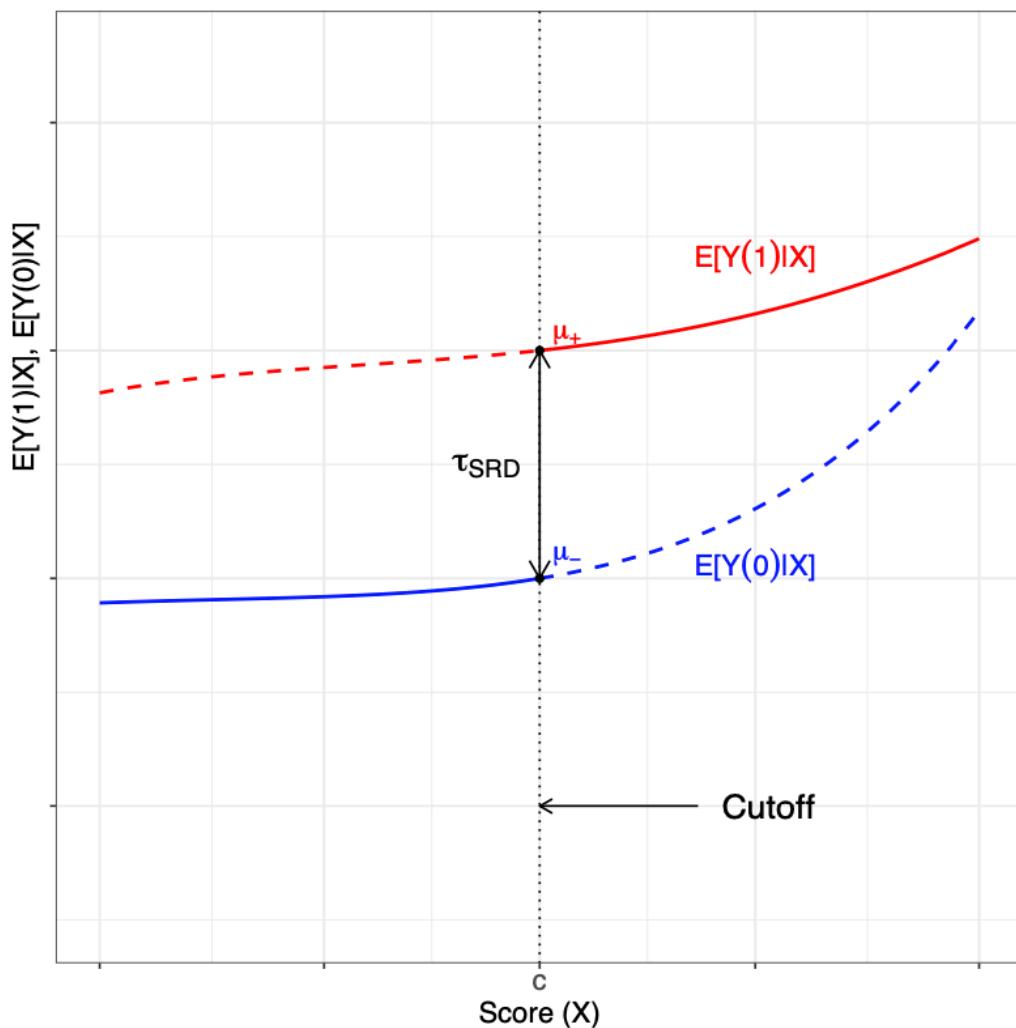
# Continuity-based approach



- ATE is *identified* but *nonexistent* at cutoff
- Still, we can approximate gap



# Continuity-based approach

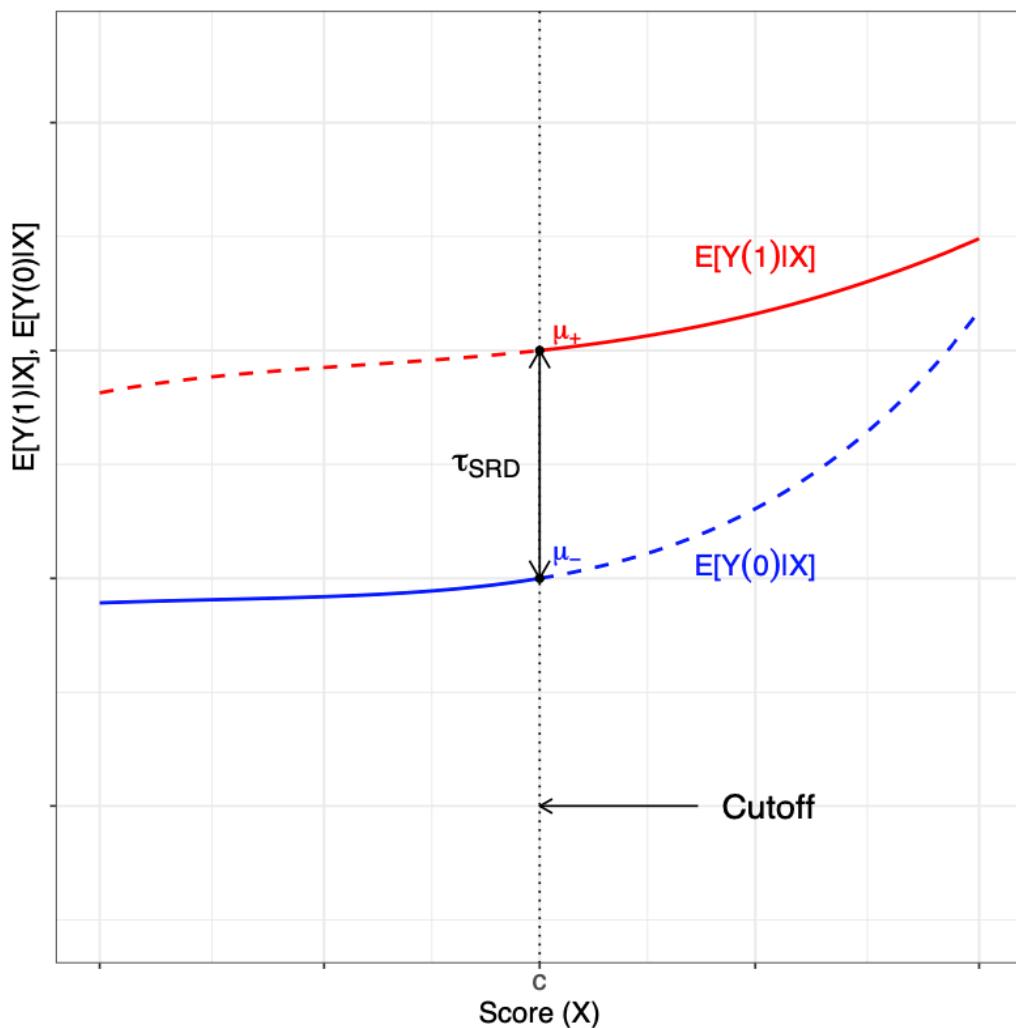


- ATE is *identified* but *nonexistent* at cutoff
- Still, we can approximate gap

$$\lim_{x \downarrow c} E[Y|X = x] - \lim_{x \uparrow c} E[Y|X = x]$$



# Continuity-based approach



- ATE is *identified* but *nonexistent* at cutoff
- Still, we can approximate gap

$$\lim_{x \downarrow c} E[Y|X = x] - \lim_{x \uparrow c} E[Y|X = x]$$

- This becomes a **line-drawing problem**



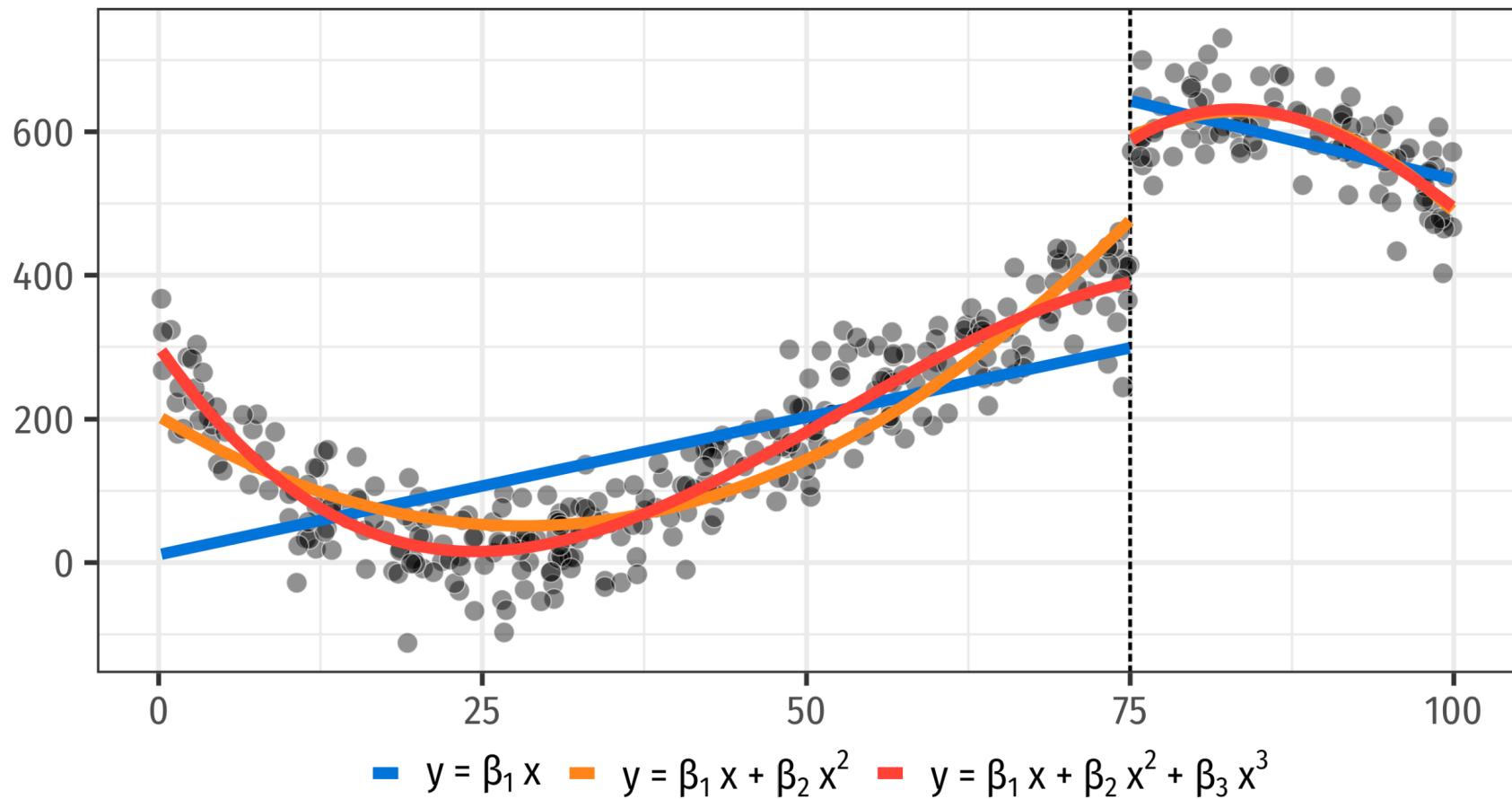
# Local polynomial point estimation

## Steps

1. Choose polynomial  $p$
2. Choose kernel function  $K(\cdot)$
3. Choose bandwidth  $h$
4. Fit  $\hat{\mu}_+$  and  $\hat{\mu}_-$  via *weighted least-squares*
5. Estimate:  $\widehat{ATE} = \hat{\mu}_+ - \hat{\mu}_-$
6. Inference: Correct for adaptive bandwidth selection

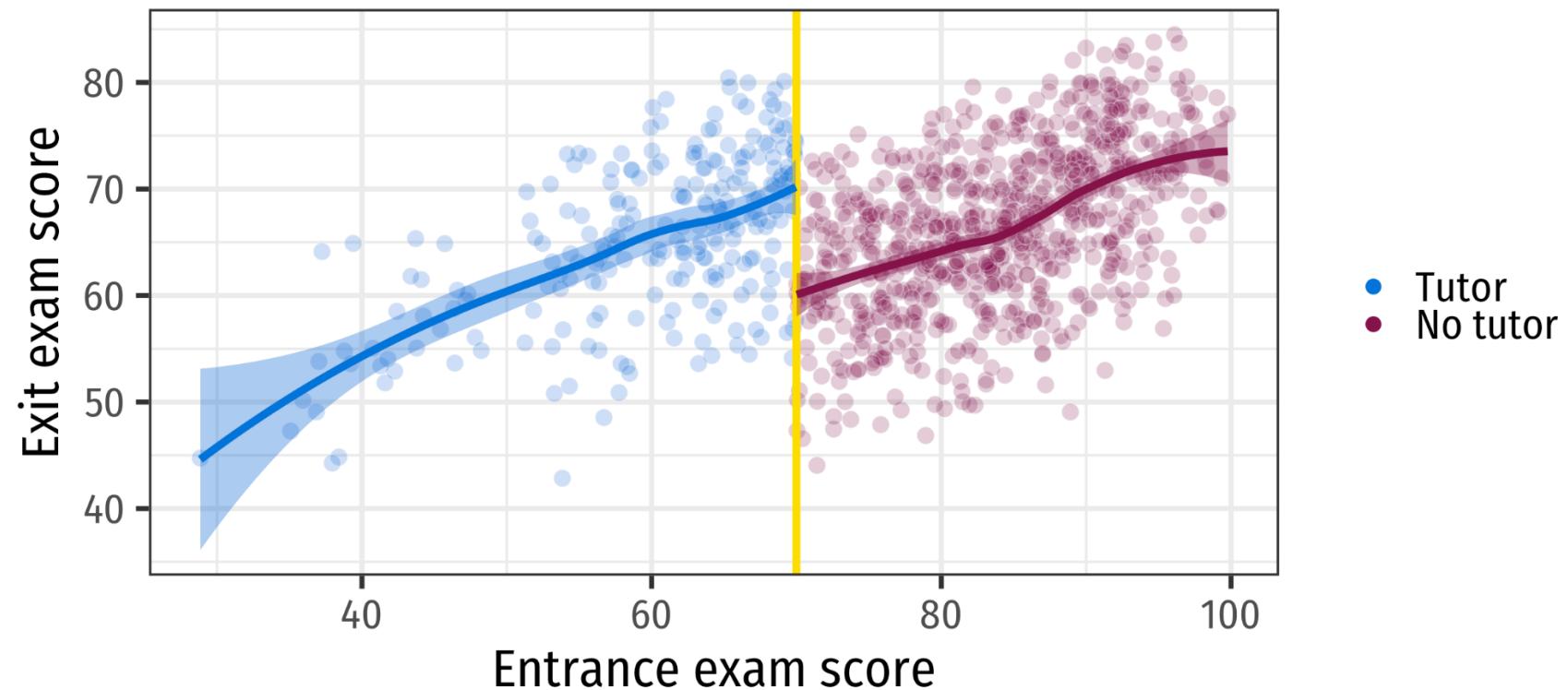
This a non-parametric procedure since most choices are automated

# Line drawing: Parametric



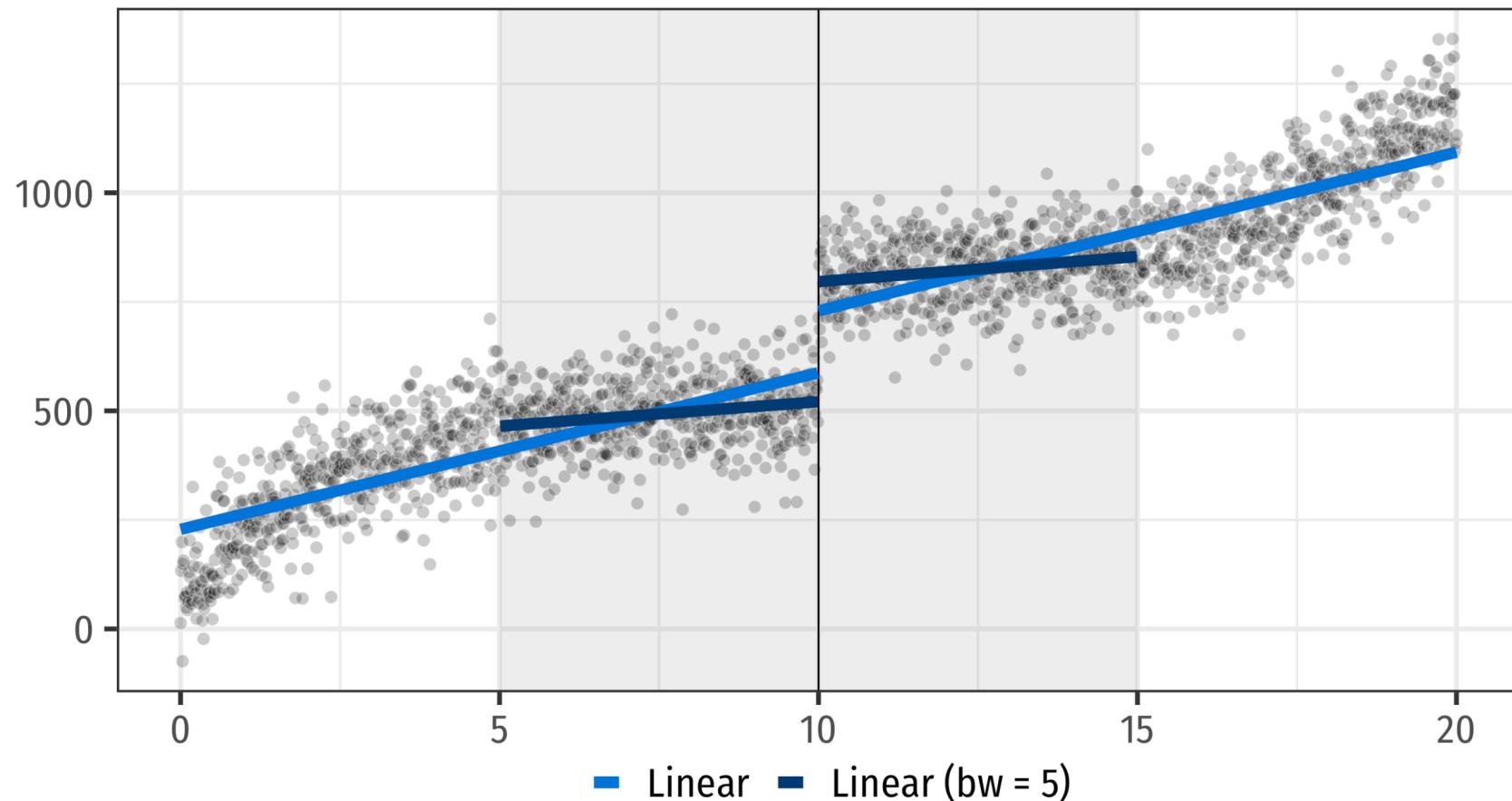
Different functional forms change the size of the gap

# Line drawing: Nonparametric



These lines are made by an algorithm that calculates the local average at many windows or bins of data

# Line drawing: Bandwidth



The size of the bandwidth determines the data you use to draw lines

# Practice

*Econometrica*, Vol. 82, No. 1 (January, 2014), 229–269

## ISLAMIC RULE AND THE EMPOWERMENT OF THE POOR AND PIOUS

BY ERIK MEYERSSON<sup>1</sup>

Does Islamic political control affect women's empowerment? Several countries have recently experienced Islamic parties coming to power through democratic elections. Due to strong support among religious conservatives, constituencies with Islamic rule often tend to exhibit poor women's rights. Whether this reflects a causal relationship or a spurious one has so far gone unexplored. I provide the first piece of evidence using a new and unique data set of Turkish municipalities. In 1994, an Islamic party won multiple municipal mayor seats across the country. Using a regression discontinuity (RD) design, I compare municipalities where this Islamic party barely won or lost elections. Despite negative raw correlations, the RD results reveal that, over a period of six years, Islamic rule increased female secular high school education. Corresponding effects for men are systematically smaller and less precise. In the longer run, the effect on female education remained persistent up to 17 years after, and also reduced adolescent marriages. An analysis of long-run political effects of Islamic rule shows increased female political participation and an overall decrease in Islamic political preferences. The results are consistent with an explanation that emphasizes the Islamic party's effectiveness in overcoming barriers to female entry for the poor and pious.

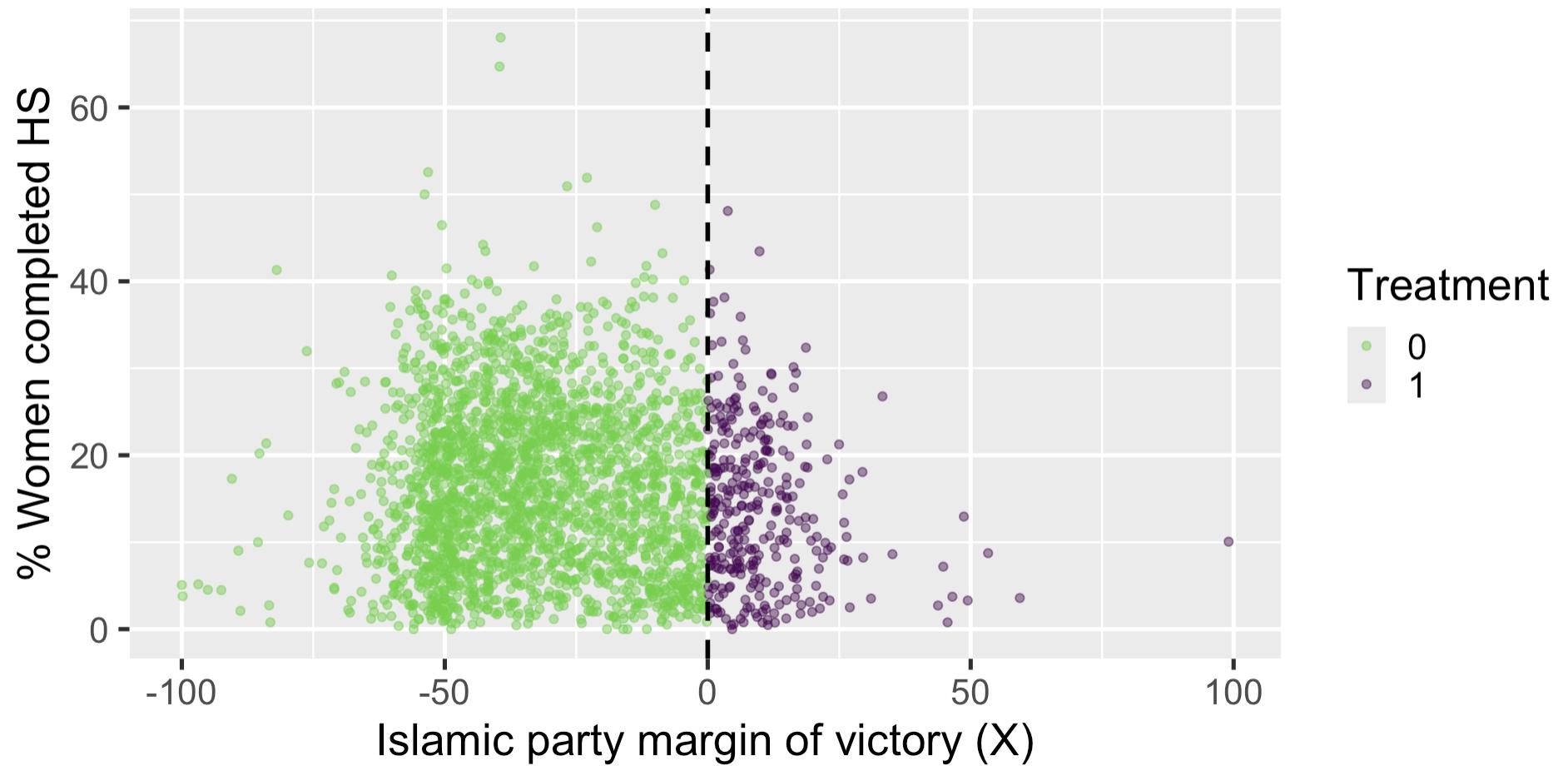
KEYWORDS: Political Islam, regression discontinuity, education.

<https://doi.org/10.3982/ECTA9878>

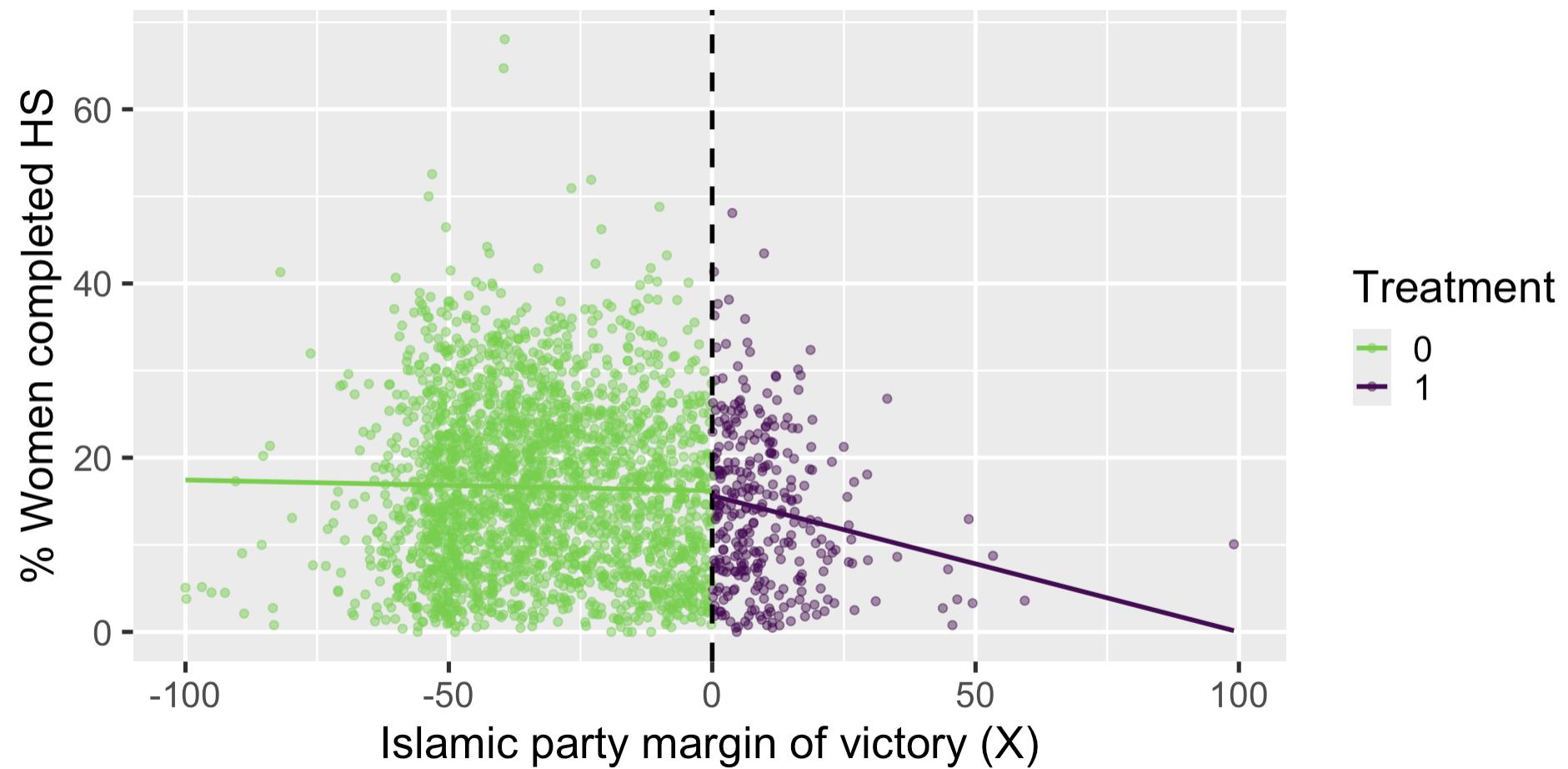
# Ingredients

- $Y$ : Percentage of young women who had completed high school by 2000 (outcome)
- $X'$ : Islamic parties' margin of victory in the 1994 mayoral election (score)
- $c$ : Implicit in score being centered at 0
- $T$ : Whether a mayor from an Islamic party was elected in the 1994 election (treatment)

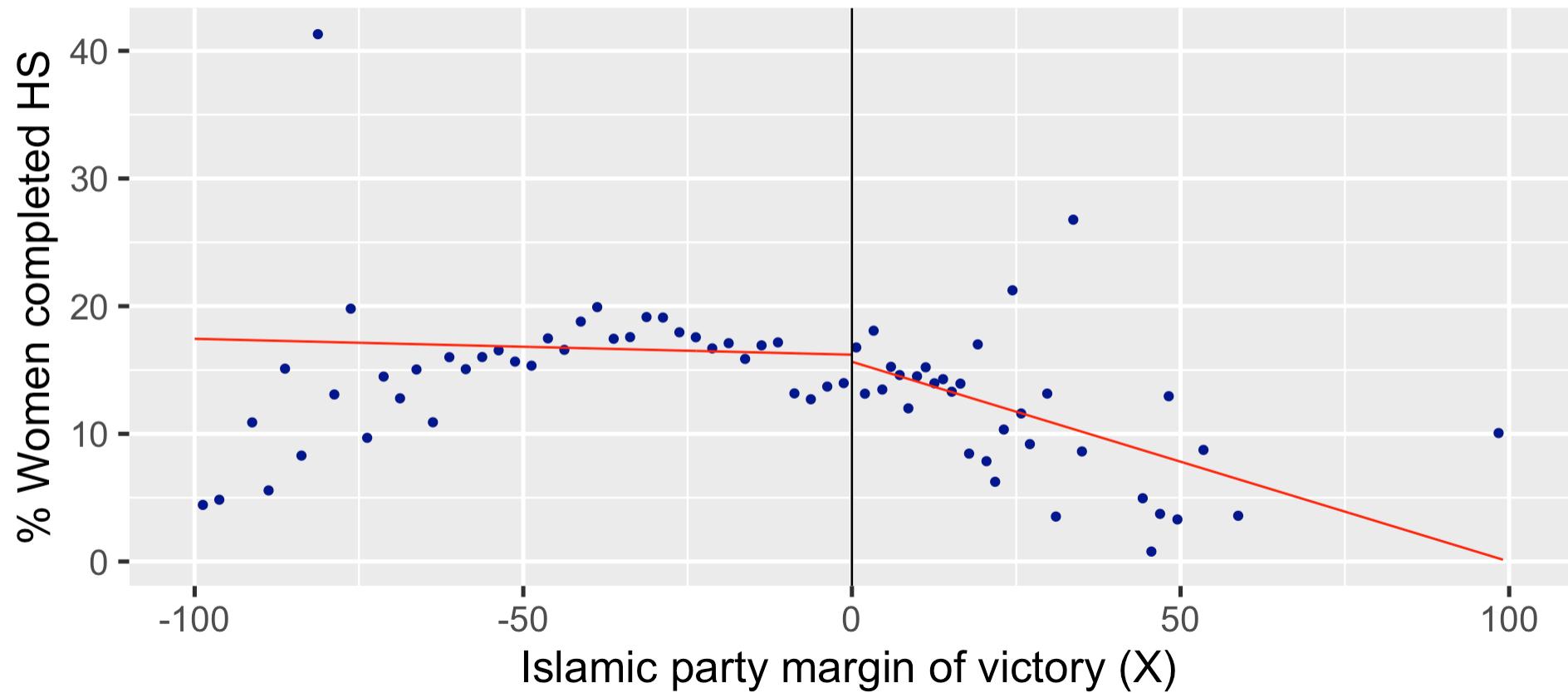
# Visualize



# Visualize



# Bin observations



# Models

**OLS baseline:**  $\widehat{Y} = \beta_0 + \beta_1 T + \beta_2 X$

**Local randomization:** 5% and 10% bandwidth

**Continuity-based:** Default automation

# Results

Approach	bw	estimate	std.error	p.value
----------	----	----------	-----------	---------

---

# Results

Approach	bw	estimate	std.error	p.value
Baseline		-1.73	0.747	0.0204

# Results

Approach	bw	estimate	std.error	p.value
Baseline		-1.73	0.747	0.0204
Local randomization	5	1.54	1.179	0.1924

# Results

Approach	bw	estimate	std.error	p.value
Baseline		-1.73	0.747	0.0204
Local randomization	5	1.54	1.179	0.1924
Local randomization	10	1.37	0.836	0.1013

# Results

Approach	bw	estimate	std.error	p.value
Baseline		-1.73	0.747	0.0204
Local randomization	5	1.54	1.179	0.1924
Local randomization	10	1.37	0.836	0.1013
Continuity	17.2	3.02	1.427	0.0344

# Summary

- RDD as a credible way to justify ignorability assumption
- Because local randomization and continuity-based approach
- Effects are **causal** but **local**
- Do they apply to other cases?
- Do they exist beyond the discontinuity?

# Quasi-experiments

## POLI SCI 210

Introduction to Empirical Methods in Political Science

# Last time

- RDD as an example of how to justify ignorability by design
- But it is a very specific design!
- **Today:** Take advantage of before/after comparisons to circumvent ignorability assumption
- **Difference-in-differences** design

# Example

[Ep1 ] The Battle with Cholera - John Snow [Public Health Influencers]



<https://youtu.be/D2DzDDyKjR4?si=5h2JXBOPXtPZ5bG0>

# King of the Pump

How did John Snow prove that it was the water?

- Before/after comparison (1849-1854)
- **In between:** Lambeth water company forced to move upstream (away from dirty water)

# Results

	Cholera deaths per 10,000	
Supplier	1849	1854

Adapted from: Coleman, Thomas. 2019. “Causality in the Time of Cholera: John Snow as a Prototype for Causal Inference.”

# Results

Supplier	Cholera deaths per 10,000	
	1849	1854
Lambeth (dirty to clean)	85	19

Adapted from: Coleman, Thomas. 2019. “Causality in the Time of Cholera: John Snow as a Prototype for Causal Inference.”

# Results

Supplier	Cholera deaths per 10,000	
	1849	1854
Lambeth (dirty to clean)	85	19
Others (dirty to dirty)	135	147

Moving away from the 💩 certainly helped!

Adapted from: Coleman, Thomas. 2019. “Causality in the Time of Cholera: John Snow as a Prototype for Causal Inference.”

# Another example

## Minimum Wages and Employment: A Case Study of the Fast-Food Industry in New Jersey and Pennsylvania

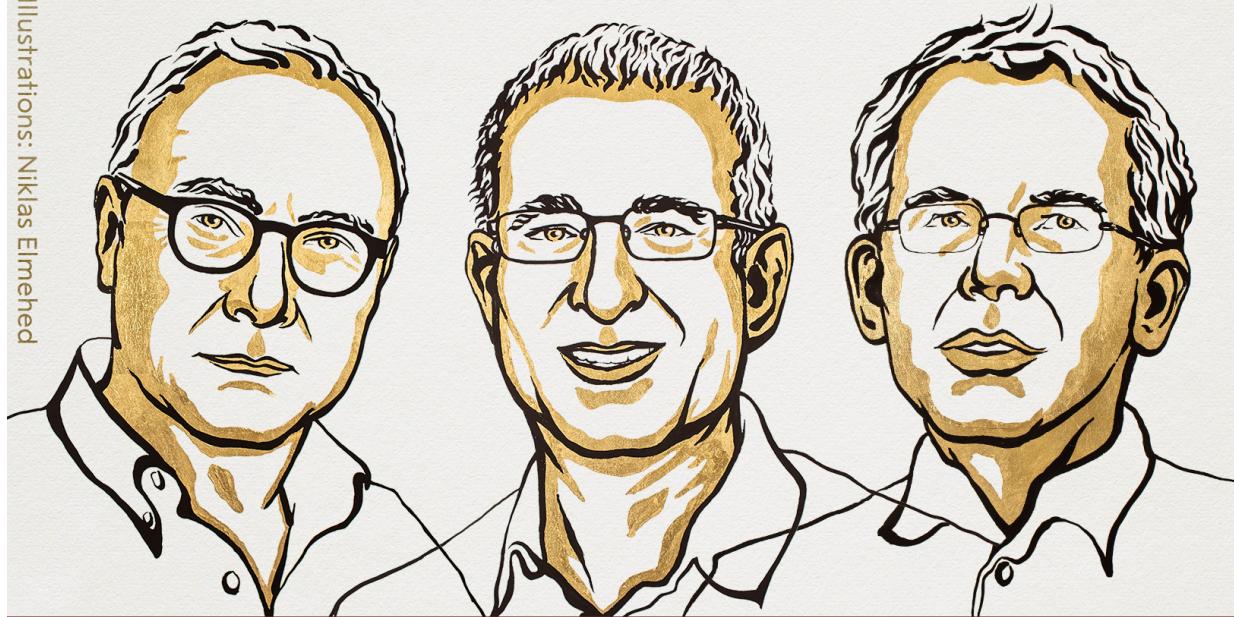
By DAVID CARD AND ALAN B. KRUEGER\*

*On April 1, 1992, New Jersey's minimum wage rose from \$4.25 to \$5.05 per hour. To evaluate the impact of the law we surveyed 410 fast-food restaurants in New Jersey and eastern Pennsylvania before and after the rise. Comparisons of employment growth at stores in New Jersey and Pennsylvania (where the minimum wage was constant) provide simple estimates of the effect of the higher minimum wage. We also compare employment changes at stores in New Jersey that were initially paying high wages (above \$5) to the changes at lower-wage stores. We find no indication that the rise in the minimum wage reduced employment. (JEL J30, J23)*

Card, David and Alan B. Krueger (1994). “Minimum Wages and Employment: A Case Study of the Fast-Food Industry in New Jersey and Pennsylvania.” *American Economic Review* 84 (4): 772-793

# THE SVERIGES RIKSBANK PRIZE IN ECONOMIC SCIENCES IN MEMORY OF ALFRED NOBEL 2021

Illustrations: Niklas Elmehed



David  
Card

"for his empirical  
contributions to labour  
economics"

Joshua  
D. Angrist

"for their methodological  
contributions to the analysis  
of causal relationships"

Guido  
W. Imbens

THE ROYAL SWEDISH ACADEMY OF SCIENCES

# Minimum wage and employment

- **Agreement:** Increasing minimum wage reduces employment
- **New Jersey 1992:** \$4.25 → \$5.05
- **Pennsylvania:** Stay at \$4.25
- Look at **full time employment (FTE)** in *fast food restaurants*
- Compare February-November 1992

# Results

## Variable

---

FTE before

---

FTE after

---

Change

# Results

Variable	PA
FTE before	23.300
FTE after	21.147
Change	-2.160

# Results

Variable	PA	NJ
FTE before	23.300	20.44
FTE after	21.147	21.03
Change	-2.160	0.59

# Results

Variable	PA	NJ	NJ-PA
FTE before	23.300	20.44	-2.89
FTE after	21.147	21.03	-0.14
Change	-2.160	0.59	2.76

Increasing minimum wage created **more** jobs in NJ!

# Difference-in-differences design

- Time periods:  $t = \{1, 2\}$  (Before/after treatment)
- Treatment:  $D_i = \{0, 1\}$
- Potential outcomes:  $Y_{i,t}(0) = Y_{i,t}(0, 0)$  and  
 $Y_{i,t}(1) = Y_{i,t}(0, 1)$

## Switching equation

$$Y_{i,t} = D_i Y_{i,t}(1) + (1 - D_i) Y_{i,t}(0)$$

aka DD, DiD, diff-in-diffs for short

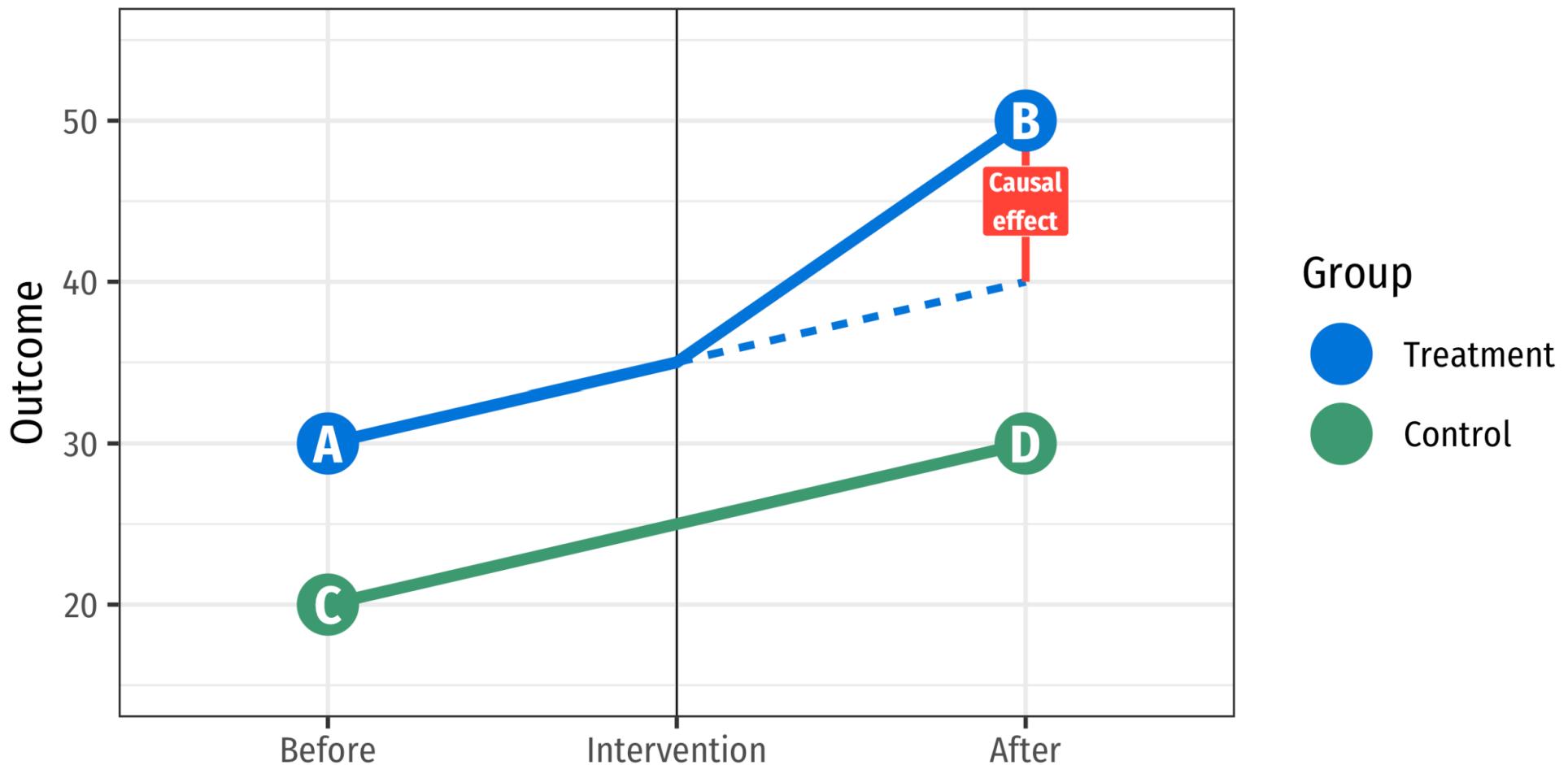
# Target quantity

Average treated effect on the treated (ATT) in  $t = 2$

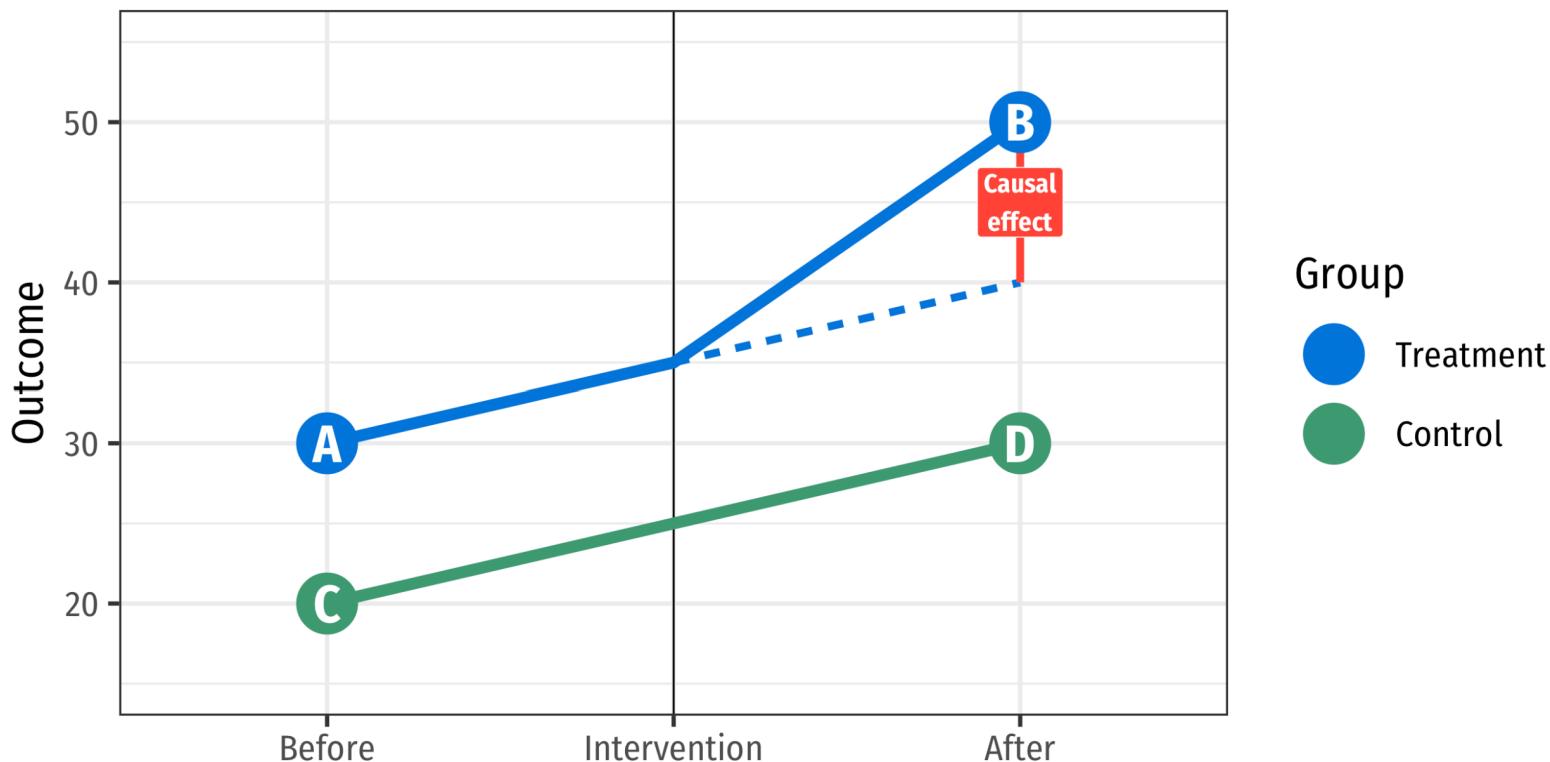
$$\tau_2 = E[Y_{i,2}(1) - Y_{i,2}(0)|D_i = 1]$$

- Cannot observe directly
- Cannot avoid *selection bias*
- But before/after setup allows for credible estimation

# Target quantity

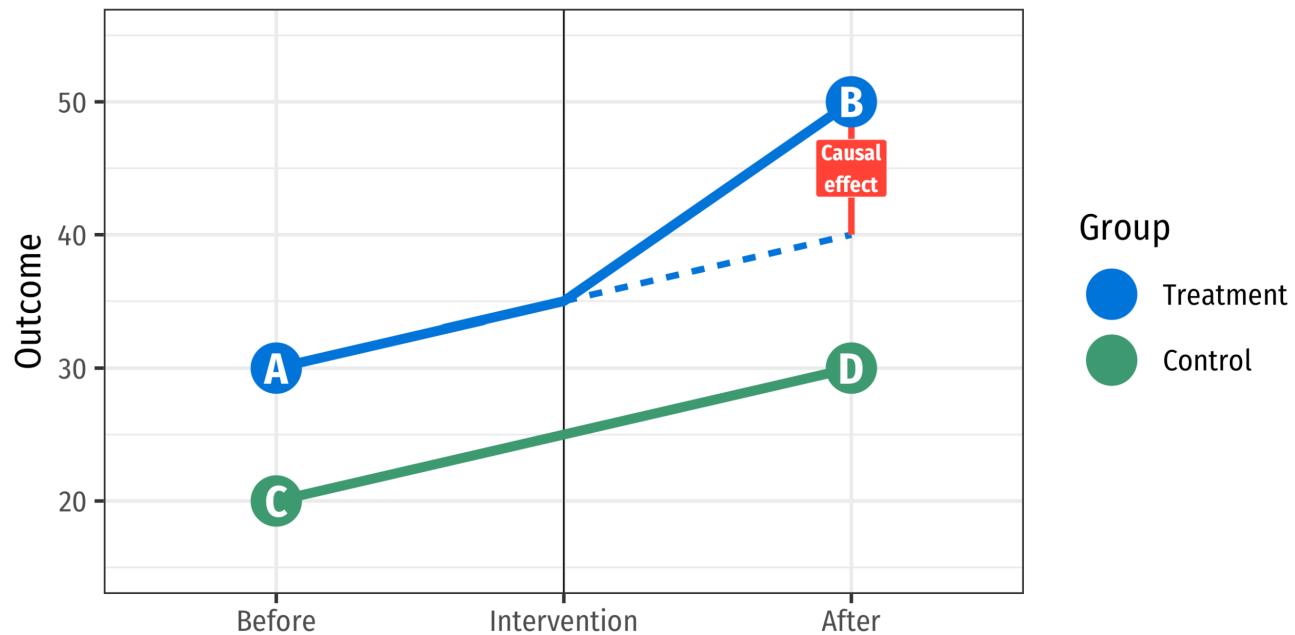


# DID estimation



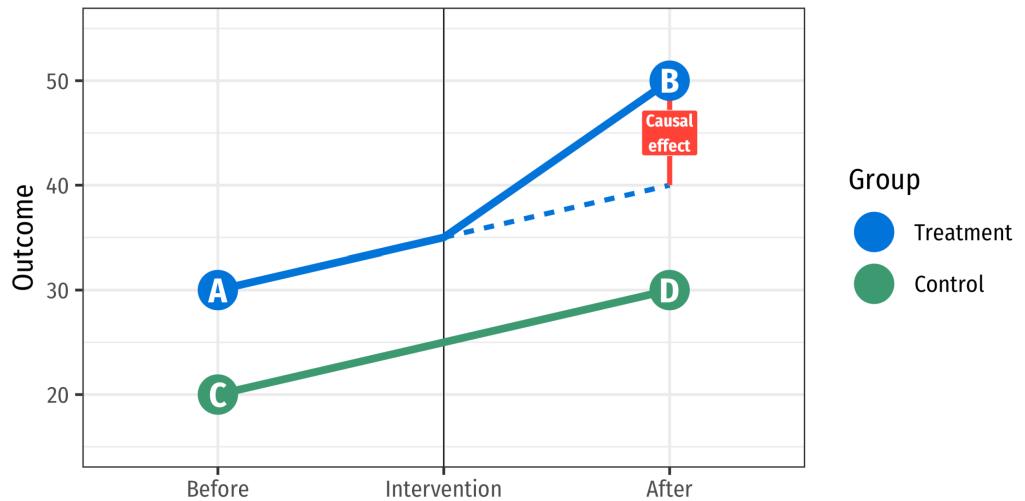
$$\widehat{ATT} = [\text{Mean}(B) - \text{Mean}(A)] - [\text{Mean}(D) - \text{Mean}(C)]$$

# DID estimation



$$\widehat{ATT} = \underbrace{[\text{Mean}(B) - \text{Mean}(A)]}_{\text{Difference}} - \underbrace{[\text{Mean}(D) - \text{Mean}(C)]}_{\text{Difference}}$$

# DID estimation



$$\widehat{ATT} = \underbrace{[\text{Mean}(B) - \text{Mean}(A)]}_{\text{Difference}} - \underbrace{[\text{Mean}(D) - \text{Mean}(C)]}_{\text{Difference}}$$

Difference-in-differences

# Rewrite as a regression

Two time periods

$$Y = \beta_0 + \beta_1 \text{Treated} + \beta_2 \text{Post-treatment} + \beta_3 \text{Treated} \times \text{Post-treatment}$$

- $\beta_0$ : Avg. control group, before treatment
- $\beta_0 + \beta_1$ : Avg. treatment group, before treatment
- $\beta_0 + \beta_2$ : Avg. control group, post-treatment
- $\beta_0 + \beta_1 + \beta_2 + \beta_3$ : Avg. treatment group, post-treatment

$\beta_3$  gives the difference-in-differences

# Rewrite as a regression

Multiple time periods

$$Y = \alpha_i + \alpha_t + \beta_1 \text{Treated}$$

- $\alpha_i$ : Control for variation **within units**
- $\alpha_t$ : Control for variation **over time**
- $\alpha_i$  and  $\alpha_t$  are called **fixed-effects**

This is a *two-way fixed-effects* estimator (TWFE)

# Example with multiple periods

NBER WORKING PAPER SERIES

## DON'T TAKE 'NO' FOR AN ANSWER: AN EXPERIMENT WITH ACTUAL ORGAN DONOR REGISTRATIONS

Judd B. Kessler  
Alvin E. Roth

Working Paper 20378  
<http://www.nber.org/papers/w20378>

NATIONAL BUREAU OF ECONOMIC RESEARCH  
1050 Massachusetts Avenue  
Cambridge, MA 02138  
August 2014

<https://www.nber.org/papers/w20378>

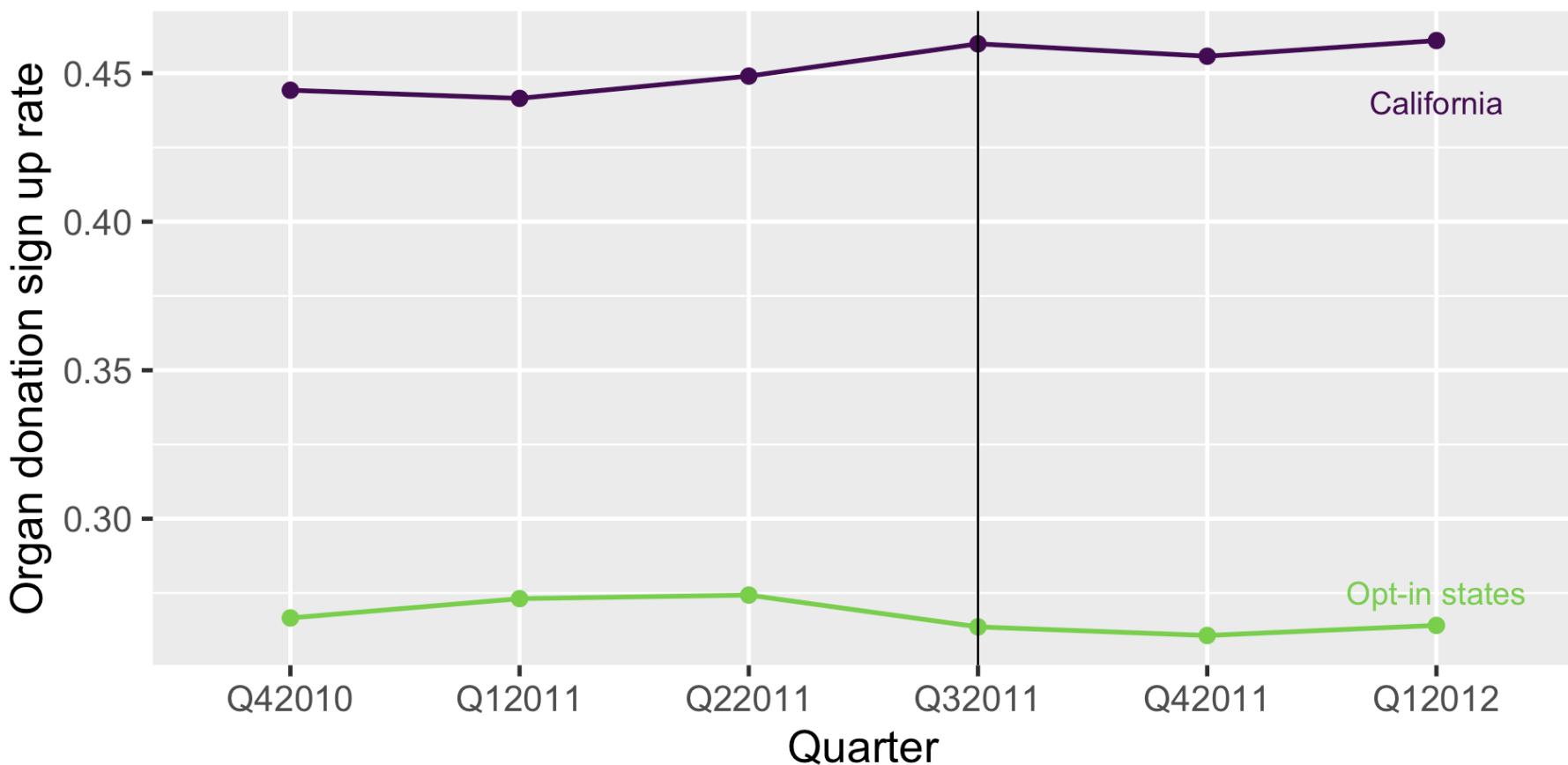
**Table 1: Organ Donor Registration Questions by State**

<b>Active Choice</b>		
<i>Positive Wording</i>	<i>Negative Wording</i>	<i>States</i>
“Yes”	“No”	AK, CT, GA, HI, IA, LA, MA, MS, NE, NV, NJ, NM, ND, OR, PA, RI, TX, UT, VT, WV, WY
“YES, add my name to the donor registry”	“I do not wish to register at this time”	CA
“Yes, add my name”	“No, not at this time”	MD
“Yes”	“Skip this question”	NY
“Yes”	“Not now”	MT
Verbal question: No fixed response		AR, CO, DE, FL, ID, IL, IN, KS, KY, ME, MI, MO, NC, OH, OK, WA
<b>Opt-In</b>		
<i>Positive Wording</i>		<i>States</i>
“Yes”		TN, WI, DC
“I want to be an organ and tissue donor. By checking this box, Donor Network of AZ will add me to the Donate Life AZ Registry”		AZ
“I want my license or ID card to show that I choose to be an organ and tissue donor under the Uniform Anatomical Gift Act”		MN
“Check here to consent to organ & tissue donation”		NH
“YES, I want to be an organ and tissue donor.”		SC
“In the event of my death, I would like to be an organ/tissue donor.”		SD
“Yes, I would like to remain or become an organ, eye and tissue donor.”		VA

# Intervention

- 2011: California switches from *opt-in* → *active choice*
- Compare with states that *remain opt-in* (AZ, DC, MN, NH, TN, SC, SD, VA, WI)
- **Outcome:** Average sign-up rates per quarter per state

# Comparison over time



Opt-in states: AZ, DC, MN, NH, TN, SC, SD, VA, WI

# Models

Two-periods:

$$\widehat{\text{rate}} = \beta_0 + \beta_1 \text{california} + \beta_2 \text{post} + \beta_3 \text{california} \times$$

Two-wave fixed-effects:

$$\widehat{\text{rate}} = \alpha_{\text{state}} + \alpha_{\text{quarter}} + \beta_1 \text{treated}$$

# Models

Two-periods:

$$\widehat{\text{rate}} = \beta_0 + \beta_1 \text{california} + \beta_2 \text{post} + \beta_3 \text{california} \times$$

Two-wave fixed-effects:

$$\widehat{\text{rate}} = \beta_0 + \beta_1 \text{california-post} + \beta_2 \text{state} + \beta_3 \text{quarter}$$

Use **clustered standard errors** for statistical inference

# Results

Model	estimate	conf.low	conf.high	p.value
-------	----------	----------	-----------	---------

---

# Results

Model	estimate	conf.low	conf.high	p.value
Two-periods (no clustering)	-0.0225	-0.2699	0.225	0.857941

# Results

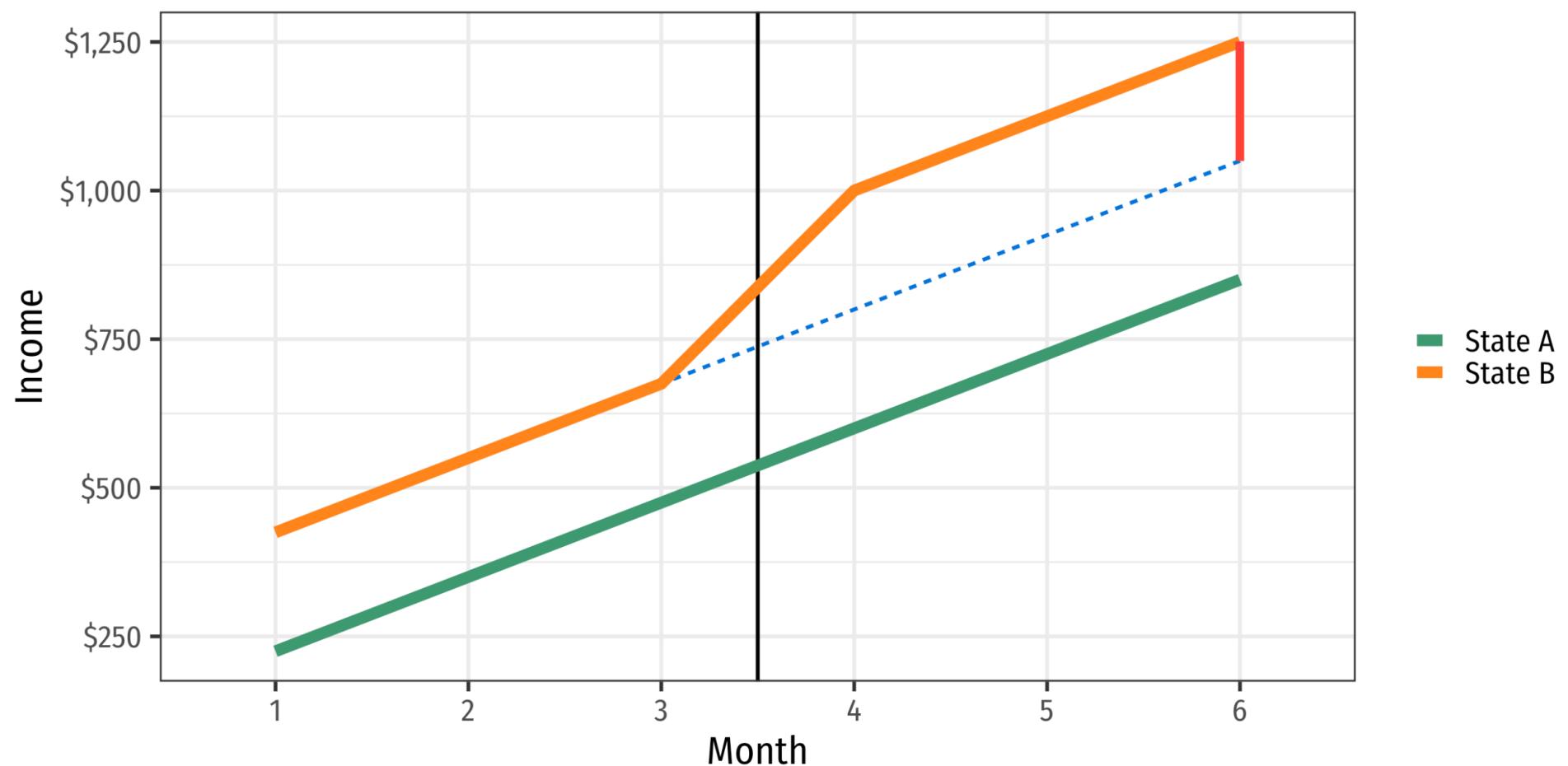
Model	estimate	conf.low	conf.high	p.value
Two-periods (no clustering)	-0.0225	-0.2699	0.225	0.857941
Two-periods (clustered)	-0.0225	-0.0349	-0.0101	0.000986

# Results

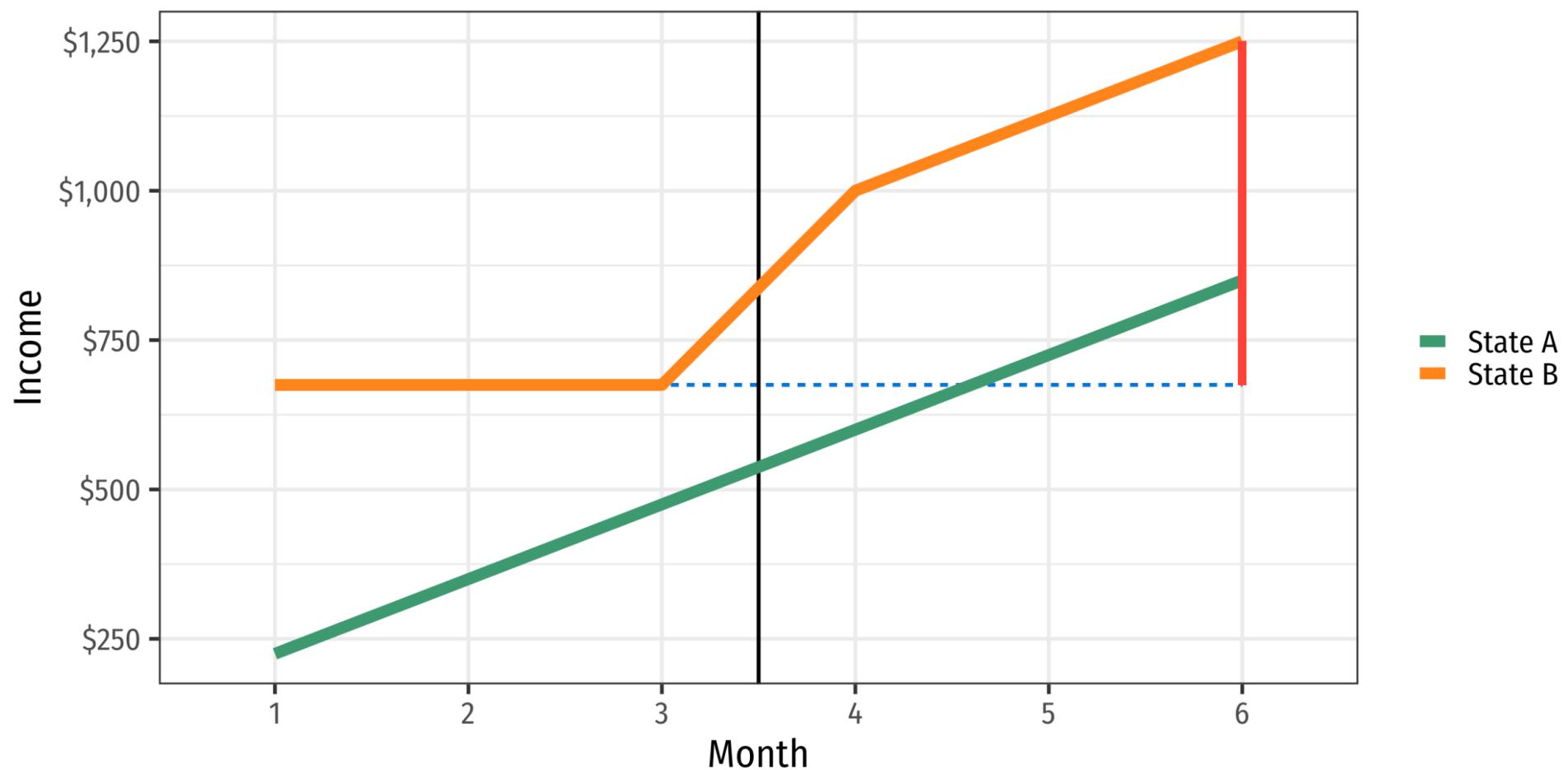
Model	estimate	conf.low	conf.high	p.value
Two-periods (no clustering)	-0.0225	-0.2699	0.225	0.857941
Two-periods (clustered)	-0.0225	-0.0349	-0.0101	0.000986
Two-way FE	-0.0225	-0.0349	-0.0101	0.000986

These estimates are only *valid* under a **BIG assumption**

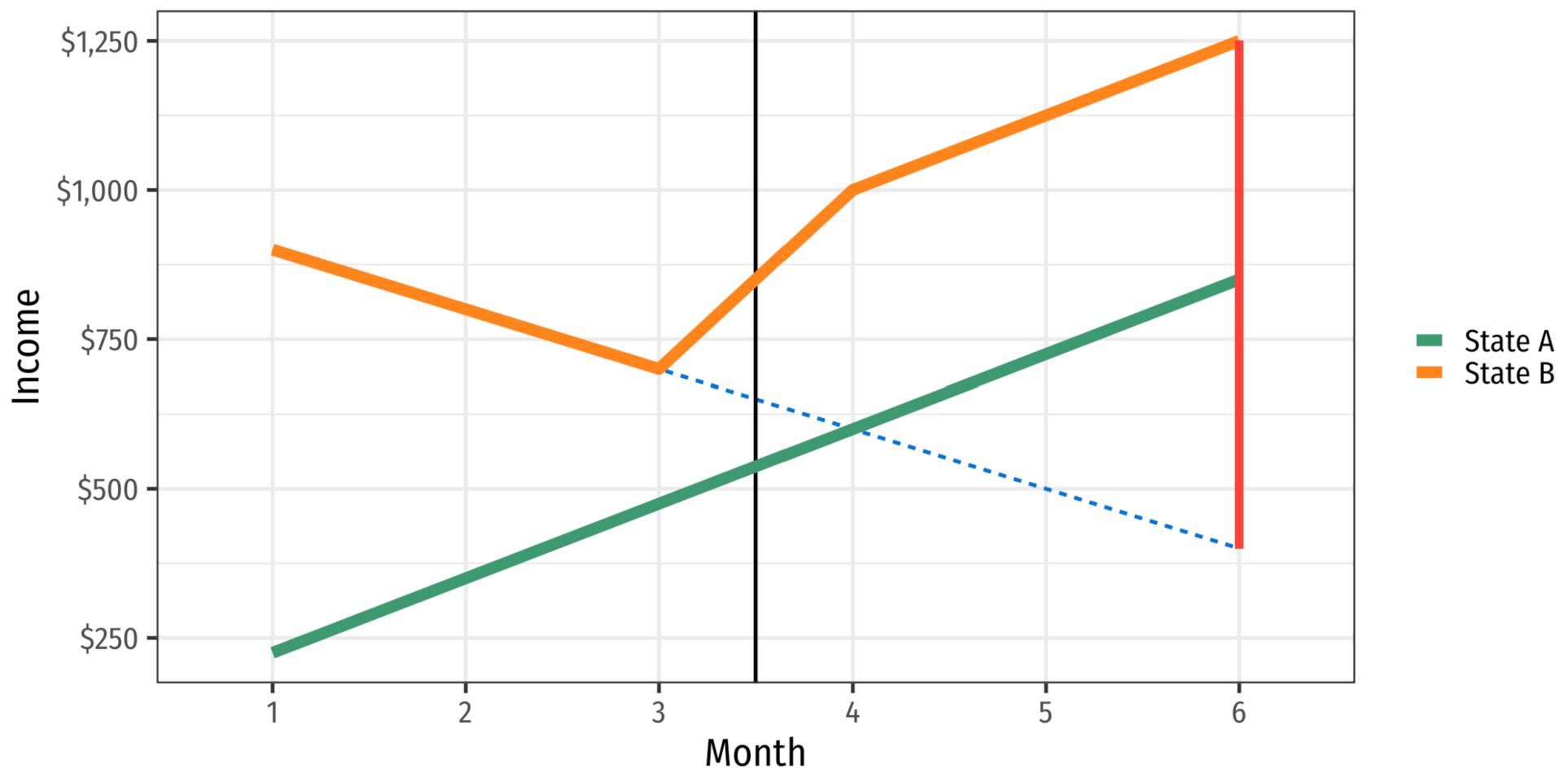
# Assumption: Parallel trends



# What if we break parallel trends?

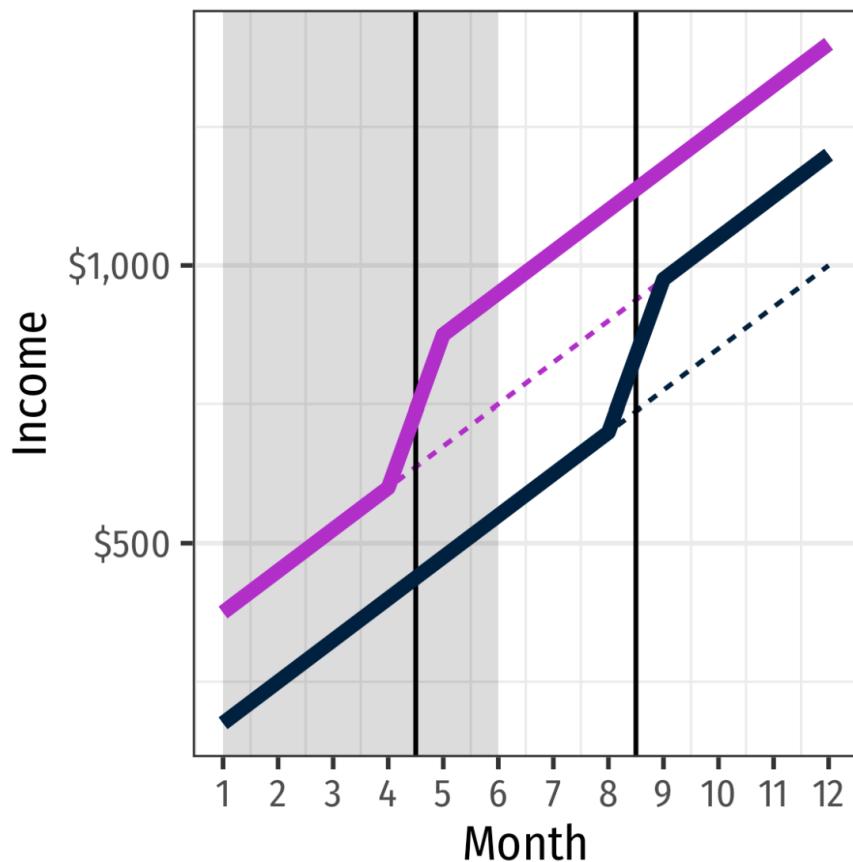


# What if we break parallel trends?

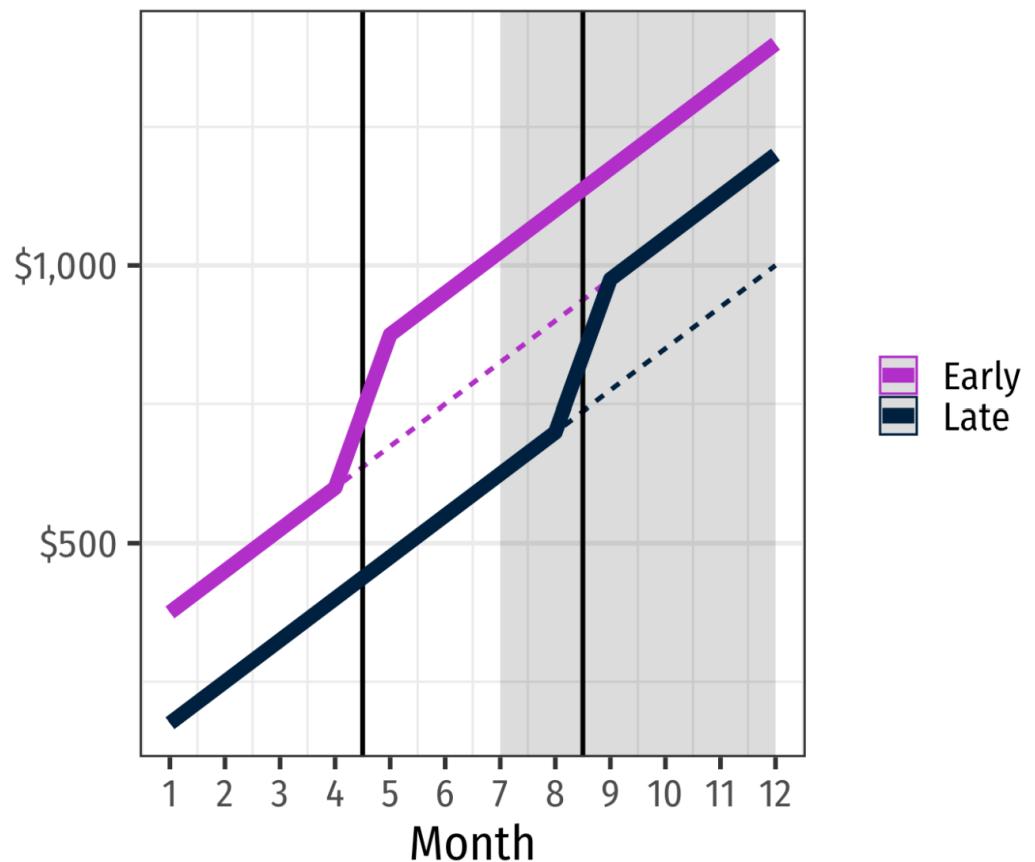


# Challenge: Staggered adoption

Positive effect for early group



Negative effect for early group!



# Summary

- Difference in difference leverages before-after comparisons between treatment and control group to tease out causal effects
- **Highly local:** Focus on average treatment effect *on the treated*
- Could always change the control group
- Parallel trends assumption is very important!