

Batch Whitening

Batch Whitening

- Given B samples of a random vector $X \in \mathbb{R}^d$ with covariance Σ_X , generate $Y \in \mathbb{R}^d$ s.t. $\Sigma_Y = I_d$
- Common methods:
 - ZCA whitening
 - Choleski Decomposition
 - Eigen decomposition
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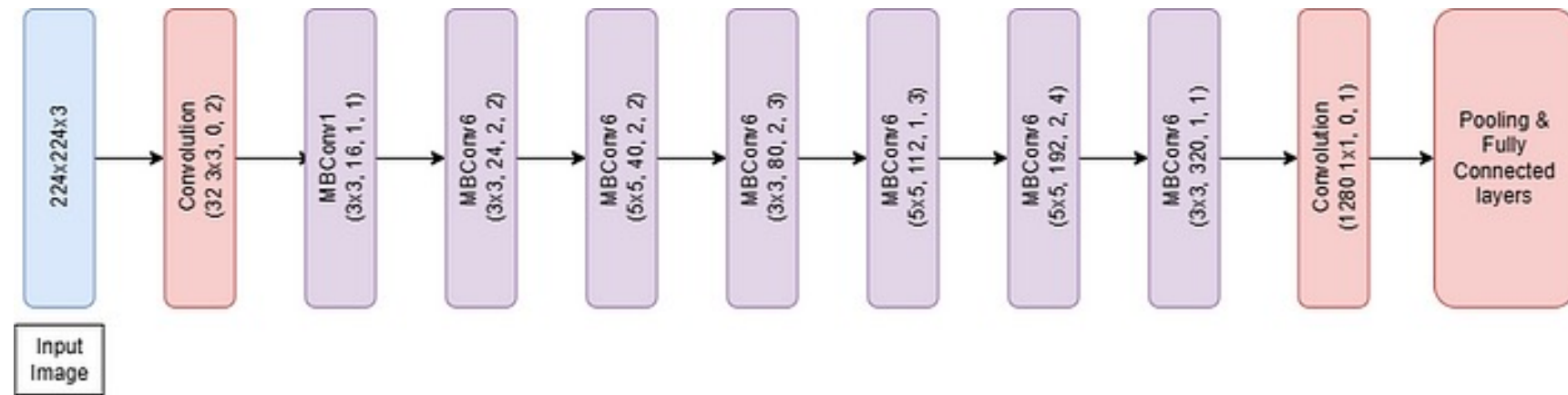
Using Choleski

- Compute $\Sigma_x = \frac{1}{B-1} \sum_{i=1}^B (x_i - \bar{x})(x_i - \bar{x})^T$
- Using Choleski, find L s.t. $\Sigma_X = L \cdot L^T$
 - L is lower triangular
- Compute L^{-1}
- Whiten by: $y_i = L^{-1}(x_i - \bar{x})^T$

Layer implementation

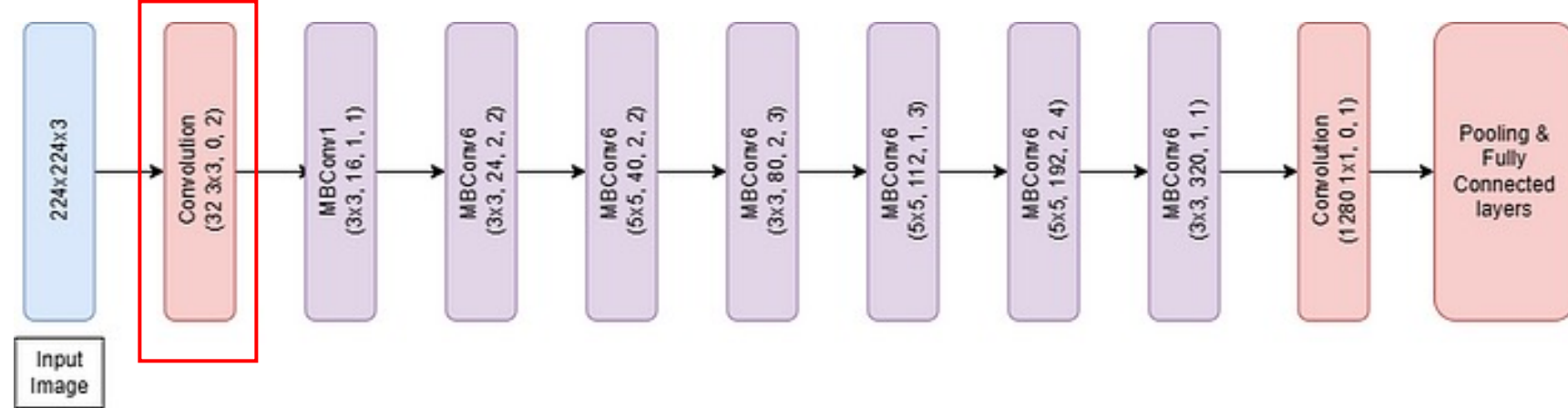
- Adding γ, β
 - Start with $\beta = 0$ – split from the batch whitening itself
- Use running_cov and running_mean during training
- Consider maintaining running_S ($=L^{-1}$)

Efficient Net

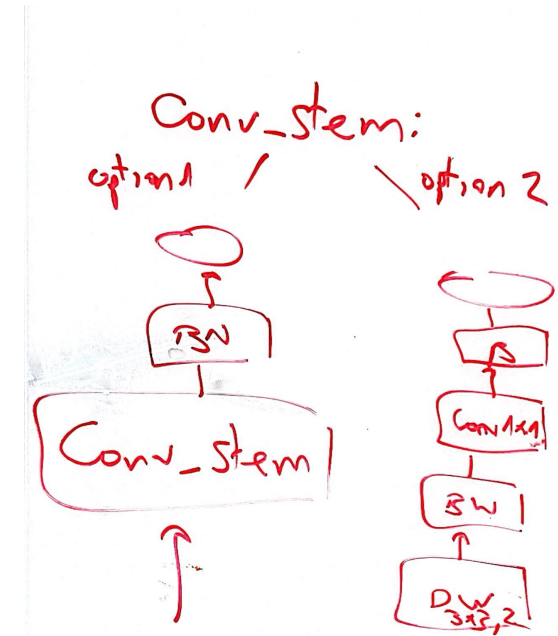


- 3 blocks/layers to handle
 - Conv_stem
 - MBConv
 - Proj_conv

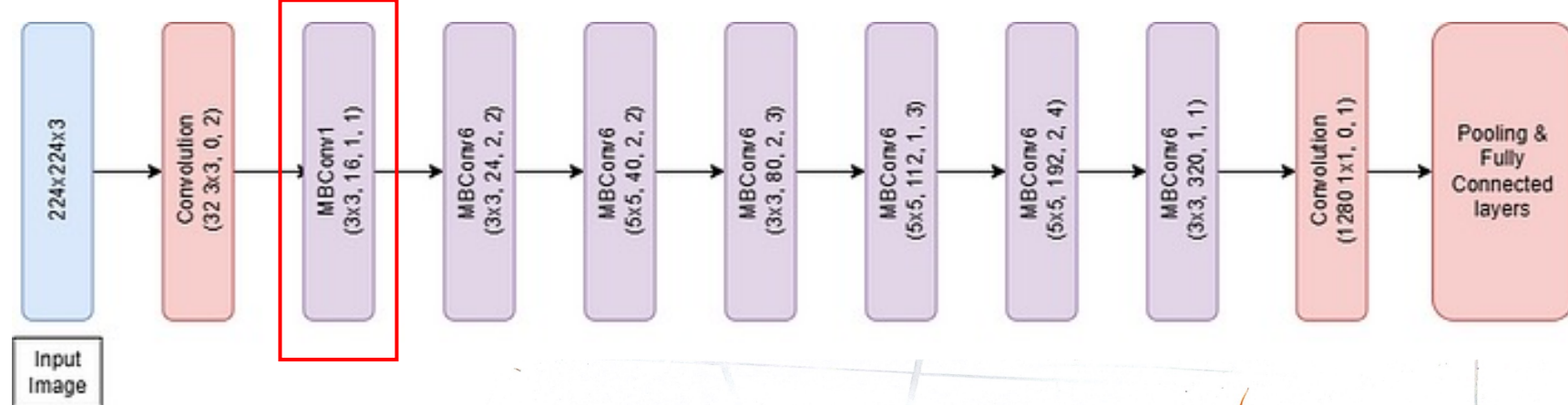
EfficientNet



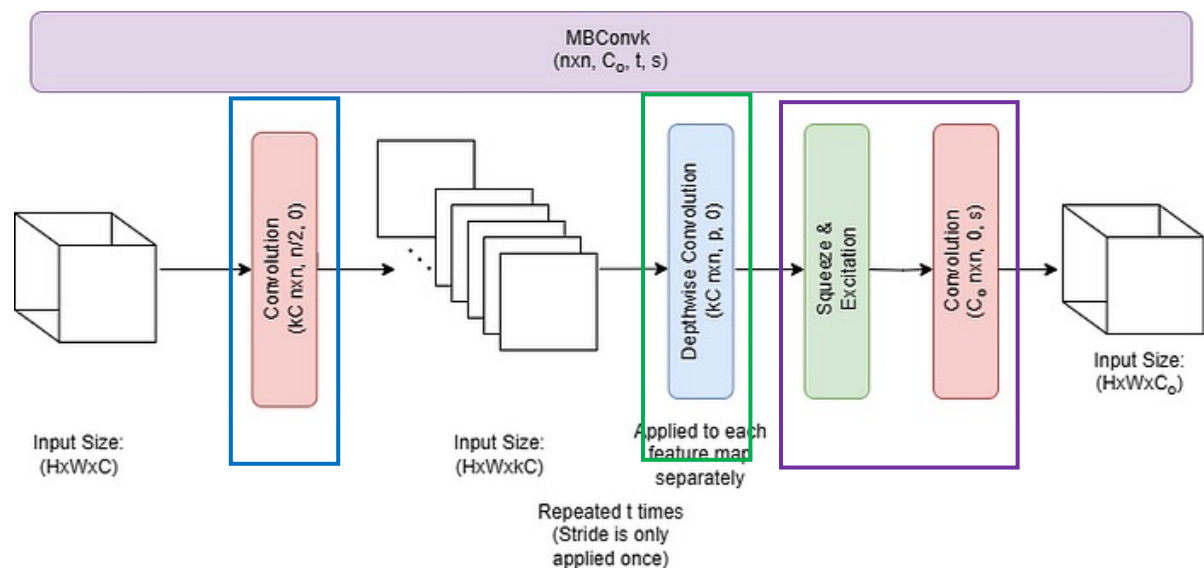
- ConvStem – 2 options
 - Type 1 (left branch) – no BW. as in original topology
 - Type 2 (right branch) – with BW



EfficientNet



- MBConv – 3 options

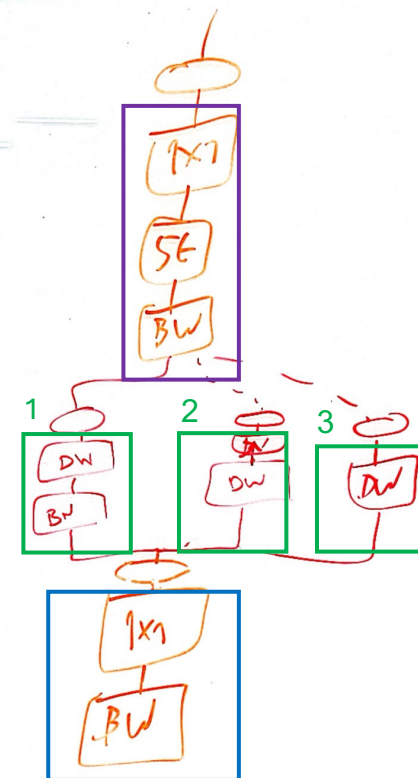


$B \times r \times B$

$B - \text{width}$

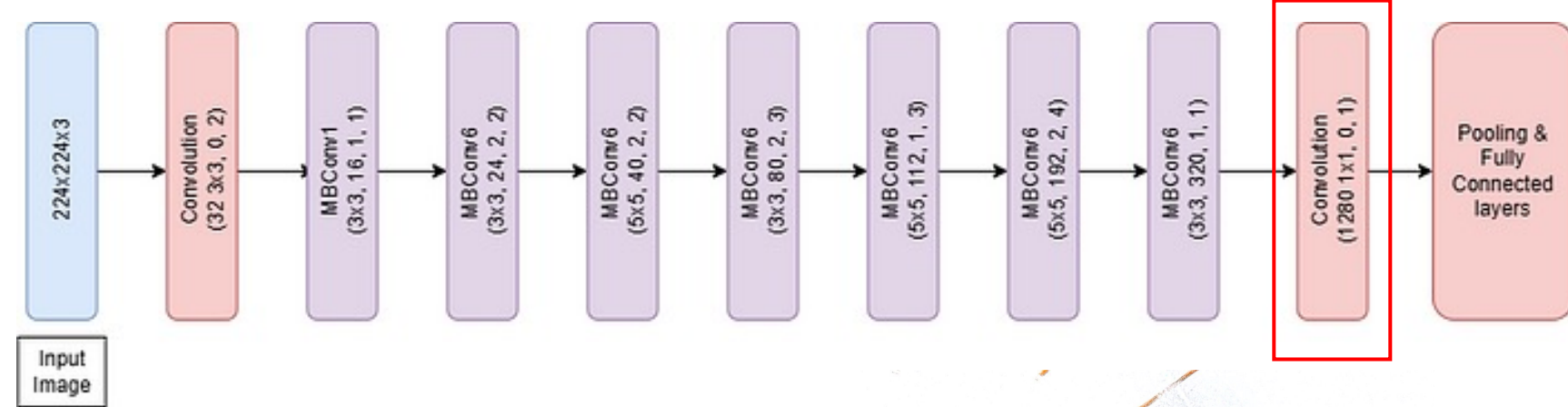
$r - \text{depth}$

$BW - \text{width}$

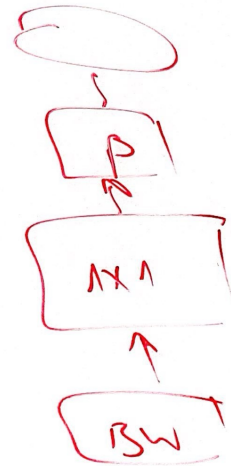


EfficientNet

- Conv head



Conv_head



Hyper parameter sweep

- Start on tiny imagenet
 - Mbconv block type {1,2,3}
 - Conv stem block type {1,2}
 - Define set of other potentially relevant hyperparms
 - Perform random search
- Try most successful combinations on imagenet