CLASS QUIZ: JANUARY 6: INVERSE TRIGONOMETRIC FUNCTIONS

MATH 153, SECTION 55 (VIPUL NAIK)

Your	name (print clearly in capital letters):
(1)	What is the domain of $\arcsin\circ \arcsin$? Here, $domain$ refers to the maximal possible subset of $\mathbb R$ on which the function is defined. Last year: $18/28$ correct (A) $[-1,1]$ (B) $[-\sin 1, \sin 1]$ (C) $[-\arcsin 1, \arcsin 1]$ (D) $[-\sin(2/\pi), \sin(2/\pi)]$ (E) $[-\arcsin(2/\pi), \arcsin(2/\pi)]$
	Your answer:
(2)	Suppose f is a polynomial with degree at least one and positive leading coefficient. Consider the function $g(x) := \arctan(f(x))$. What can we say about the horizontal asymptotes of the graph $y = g(x)$? Last year: $22/28$ correct (A) The horizontal asymptote is $y = \pi/2$ both for $x \to +\infty$ and for $x \to -\infty$, regardless of f . (B) The horizontal asymptote is $y = \pi/2$ for $x \to +\infty$ and $-\pi/2$ for $x \to -\infty$, regardless of f . (C) The horizontal asymptote is $y = \pi/2$ for $x \to +\infty$, and as $x \to -\infty$, it is $y = \pi/2$ if f has even degree and $y = -\pi/2$ if f has odd degree. (D) The horizontal asymptote is $y = f(\pi/2)$ both for $x \to +\infty$ and for $x \to -\infty$. (E) The horizontal asymptote is $y = f(\pi/2)$ for $x \to +\infty$ and as $x \to -\infty$, it is $y = f(\pi/2)$ if f has even degree and $y = f(-\pi/2)$ if f has odd degree. Your answer:
(3)	Consider the function $f(x) := \arcsin(\sin x)$ on the domain $[\pi/2, 3\pi/2]$. Which of the following is $f(x)$ equal to on that domain? Last year: $20/28$ correct (A) $\pi + x$ (B) $\pi - x$ (C) $x - \pi$ (D) $(3\pi/2) - x$ (E) $x - (\pi/2)$
(4)	Consider the function $f(x) := \arccos(\sin x)$ on all of \mathbb{R} . What can we say about the function f ? Last year: $21/28$ correct (A) f is periodic, continuous, and piecewise linear.

(B) f is periodic and continuous but is not piecewise linear. (C) f is continuous and piecewise linear but not periodic.

(E) f is continuous but not periodic or piecewise linear.

(D) f is periodic but not continuous.