Akatsuki vs Leaf

Max. Marks: 100

Akatsuki is planning to attack the Leaf Village to capture Naruto. The Hokage (Head of the Village), came to know about the plan and also the number of members, N, in Akatsuki who are going to attack. So, Hokage planned an ambush.

Hokage selected a team of N members (one for each Akatsuki member) and named it **Leaf**. Each member of Leaf can attack **exactly one** Akatsuki member and an Akatsuki member is **NOT** attacked by **more than one** Leaf member. In the ambush there will be N fights (one of each N members of Leaf and N members of Akatsuki). You are the leader of Leaf. You know the positions (x-coordinates and y-coordinates) of all the Akatsuki members and Leaf members. Your task is to **assign each member of Leaf to exactly one member of Akatsuki team such that the sum of the distance between them is minimum**. Distance between two points (x_1, y_1) and (x_2, y_2) will be equal to $|x_1 - x_2| + |y_1 - y_2|$.

Input:
First line contains one integer N, number of **Akatsuki** members who are going to attack the village.
Next N lines will contain two integers each, X and Y, x-coordinate and y-coordinate of the **Akatsuki** members.
Next N lines will contain two integers each, X and Y, x-coordinate and y-coordinate of the **Leaf** members.

Output:
Print the **required minimum sum** of the distance.

Constraints:
$1 \le N \le 20$
$-10^6 \le X, Y \le 10^6$

SAMPLE INPUT

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2
0 0
8 8
1 1
```

6 6

SAMPLE OUTPUT

6

Explanation

$N = 2$
So there are 2 **Akatsuki** members at position $(0,0)$ and $(8,8)$ and 2 **Leaf**members at position $(1,1)$ and $(6,6)$. There are 2 cases:
Case 1:
Leaf member at $(1,1)$ will fight Akatsuki member at $(0,0)$ and Leaf member at $(6,6)$ will fight Akatsuki member at $(8,8)$.
Sum of distances = $((|1-0|+|1-0|)+(|6-8|+|6-8|)) = (2+4) = 6$

Case 2:
Leaf member at $(1,1)$ will fight Akatsuki member at $(8,8)$ and Leaf member at $(6,6)$ will fight Akatsuki member at $(0,0)$.
Sum of distances = $((|1-8|+|1-8|)+(|6-0|+|6-0|)) = (14+12) = 26$

So Case 1 is optimal and minimum sum of distances is 6.