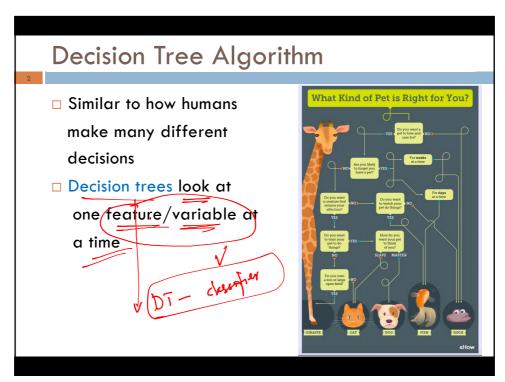
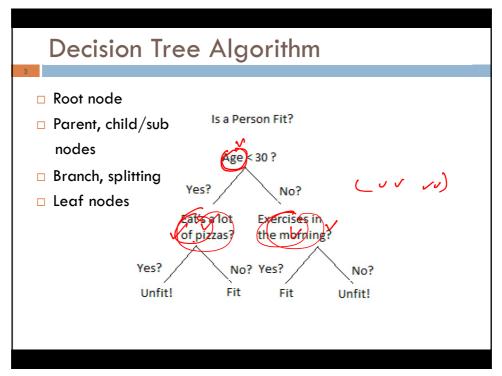
DECISION TREE AND RANDOM FOREST

1





Decision Tree Algorithm										
□ Training dataset										
	Day	Outlook	Temp	Humidity	Wind	Tennis?				
Cart Rao t	1	Suzany	Hot	High	Weak	No				
	2	Sunny	Hot	High	Strong	No				
	3	Overcast	Hot	High	Weak	Yes				
	4	Rain	Mild	High	Weak	Yes				
	5	Rain	Cool	Normal	Weak	Yes				
	6	Rain	Cool	Normal	Strong	No				
69 A 3.	7	Overcast	Cool	Normal	Strong	Yes				
1 () () () ()	8	Sunny	Mild	High	Weak	/ No				
	9	Sunny	Cool	Normal	Weak/	Yes				
	10	Rain	Mild	Normal	Weak	Yes				
	11	Sunny	Mild	Normal	Strong	Yes				
0 0 0	12	Overcast	Mild	High	Strong	Yes				
	13	Overcast	Hot	Normal	Weak	Yes				
	14	Rain	Mild	High	Strong	No				

Decision Tree Algorithm

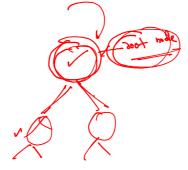
 $\hfill\Box$ How can we build a decision tree given a data set?

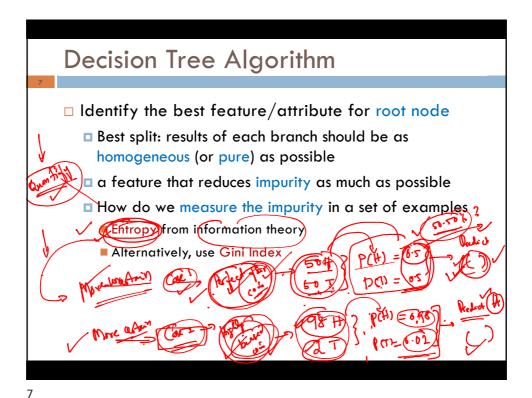
5

Decision Tree Algorithm

- □ We will make the best choice at each step
- □ Identify the best feature/attribute for the each







Decision Tree Algorithm

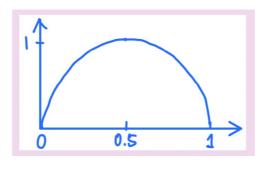
Information Gain (entropy reduction)

Pricams

(ertified rejected hired hired

Decision Tree Algorithm

□ Entropy for a distribution over two outcomes



a

Decision Tree Algorithm

- □ Quantifying the information content of a feature
 - entropy of the examples before testing the feature minus the entropy of the examples after testing the feature – Information Gain

Decision Tree Algorithm

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- □ Quantifying the information content of a feature
 - □ Information gain or entropy reduction

$$InfoGain = I_{before} - I_{after}$$

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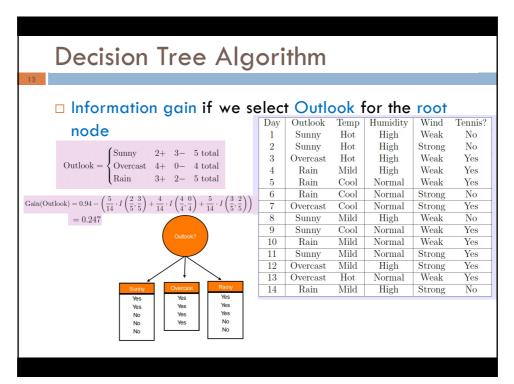
Decision Tree Algorithm

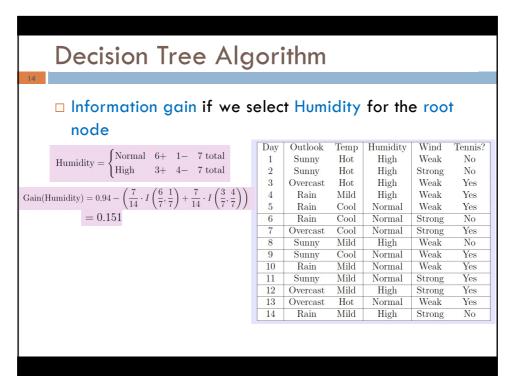
12

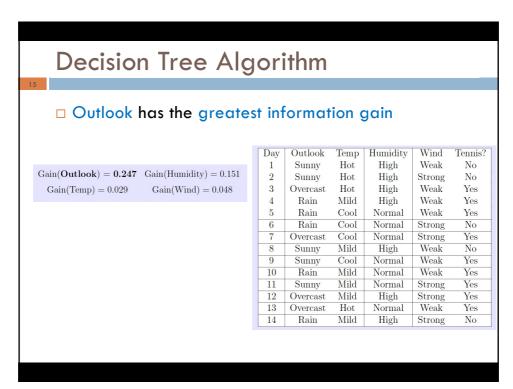
□ Entropy of the examples before we select a feature for the root node

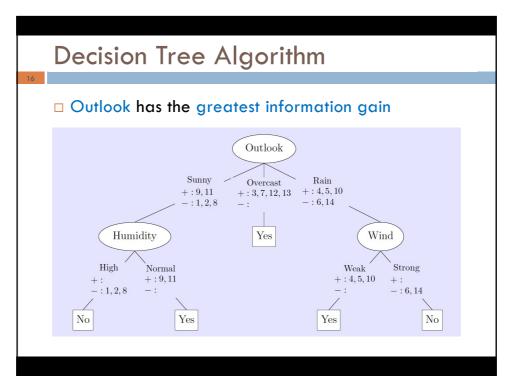
$$\begin{split} H_{\text{before}} &= -\left(\frac{9}{14}\log_2\left(\frac{9}{14}\right) + \frac{5}{14}\log_2\left(\frac{5}{14}\right)\right) \\ &\approx 0.94 \end{split}$$

Day	Outlook	Temp	Humidity	Wind	Tennis?
1	Sunny	Hot	High	Weak	No
2	Sunny	Hot	High	Strong	No
3	Overcast	Hot	High	Weak	Yes
4	Rain	Mild	High	Weak	Yes
5	Rain	Cool	Normal	Weak	Yes
6	Rain	Cool	Normal	Strong	No
7	Overcast	Cool	Normal	Strong	Yes
8	Sunny	Mild	High	Weak	No
9	Sunny	Cool	Normal	Weak	Yes
10	Rain	Mild	Normal	Weak	Yes
11	Sunny	Mild	Normal	Strong	Yes
12	Overcast	Mild	High	Strong	Yes
13	Overcast	Hot	Normal	Weak	Yes
14	Rain	Mild	High	Strong	No









Gini Impurity to Build Decision Trees $Gini(D) = 1 - \sum_{i=1}^k p_i^2$ $Gini_A(D) = \frac{n_1}{n} Gini(D_1) + \frac{n_2}{n} Gini(D_2)$ $\triangle Gini(A) = Gini(D) - Gini_A(D)$ Gini Index and Entropy vs. Class Probability Gini Index Gini Impurity to Build Decision Trees

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