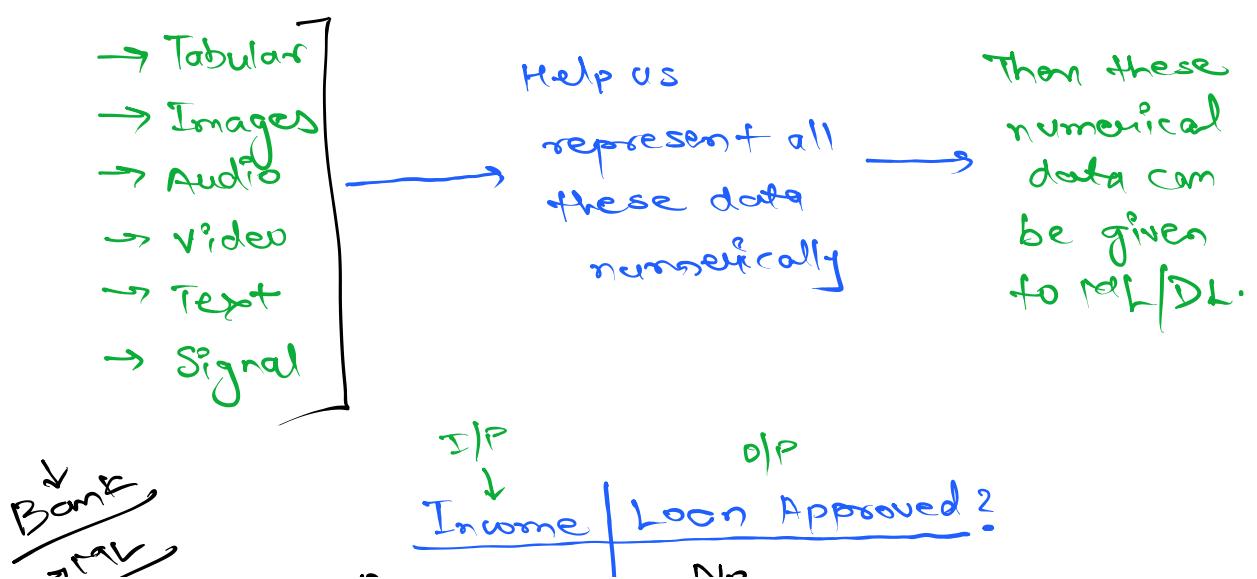
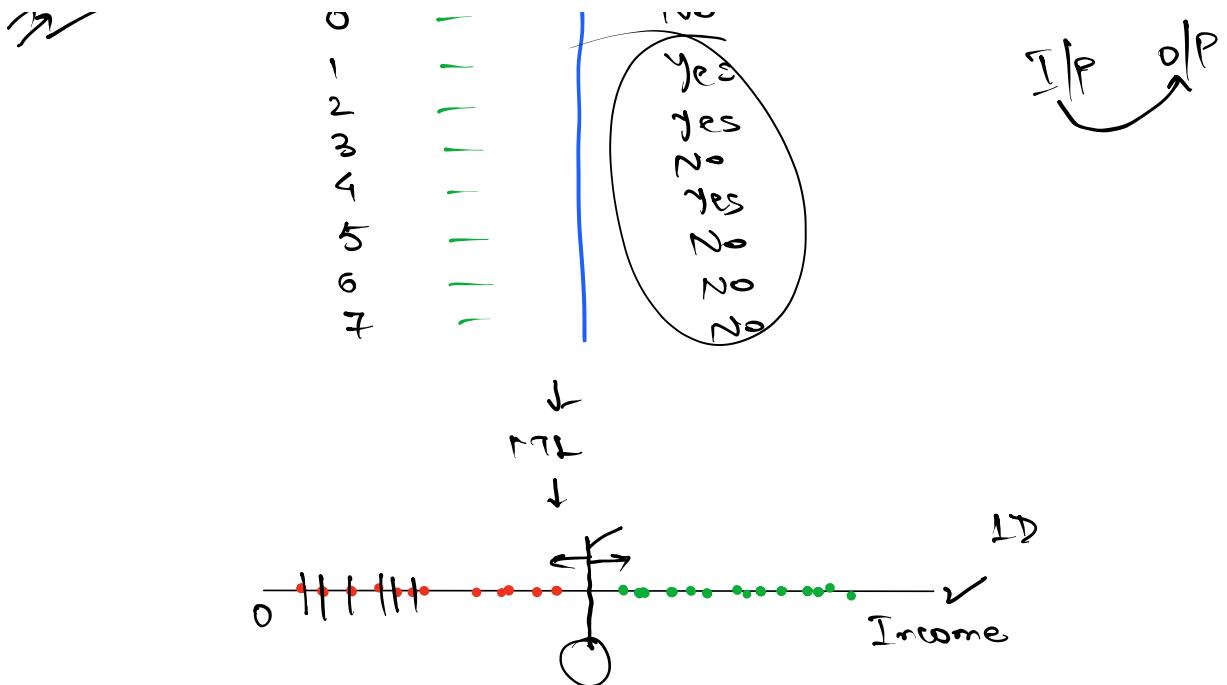


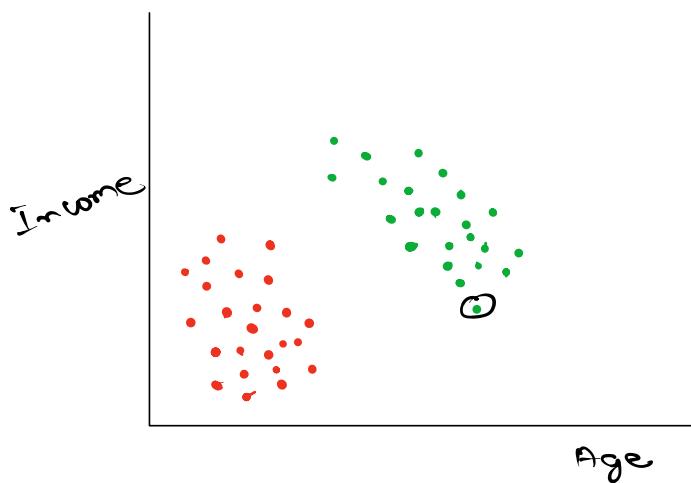
### Uses of Linear Algebra in Machine Learning →

- ① Generalizes/represent the relationship b/w input & output cols in higher dimension data.
- ② Helps us in data representation numerically





Age	Income	Loan Approved?
0	-	No
1	-	Yes



Maximum number of cols we can represent as a graph visually is 3.

3 input cols  
↓

3D

	Rooms	Floors	Age	Area	Price
0					
1					
2					
3					
4					
5					

↓  
ML  
↓

$$\text{Price} = 0.98 \times \text{Rooms}^2 + 0.87 \times \text{Floors}^2 + (-1.2) \times \text{Age} +$$

$$1.35 \times \text{Area} + \frac{1.8}{\pi}$$

Base Price

Linear

$$y = m_1 x_1 + m_2 x_2 + m_3 x_3 + m_4 x_4 + c$$

↓  
Equation of a line       $y = mx + c$

Scalars → 38 47.9 63.98 211.127

vectors → [38, 47.9, 63.98, 211.127]

vectors : Mathematical Approach

II  
(-, +)

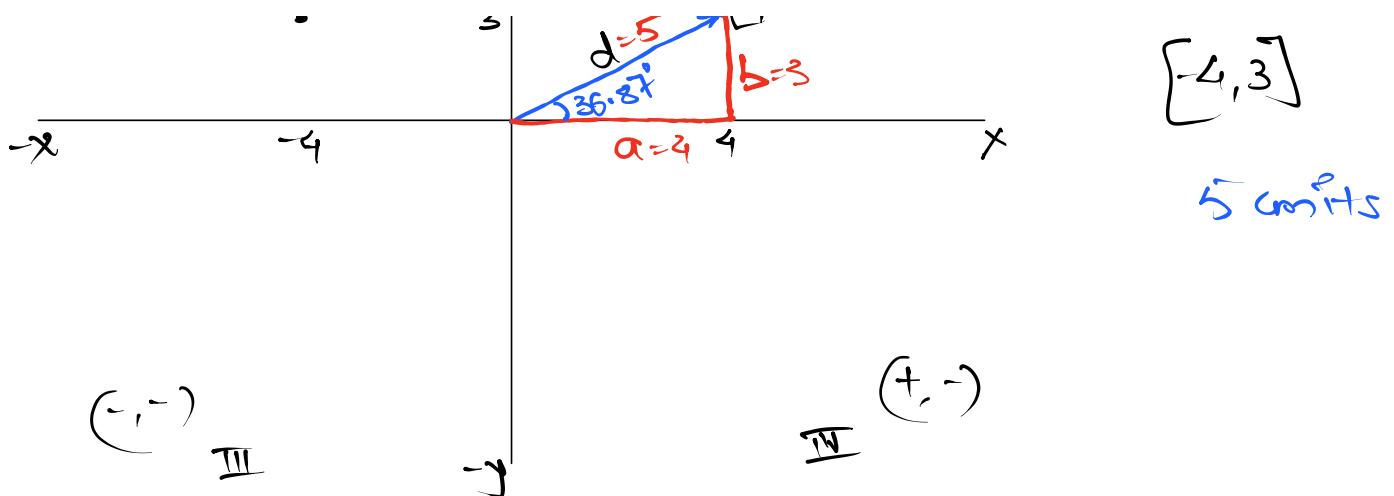
↑

I (+, +)

↓

[4, 3]

vector  
 $\begin{bmatrix} 4 \\ 3 \end{bmatrix}$   
 x    y

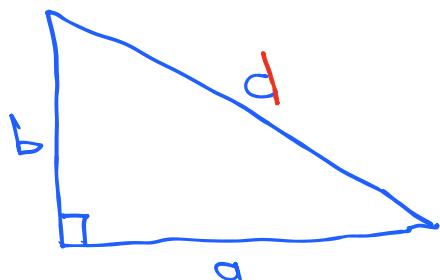


$5 \text{ cm}^2$

vectors have magnitude & direction

Magnitude of a vector  $\rightarrow$

Pythagoras Theorem



$$d^2 = a^2 + b^2$$

$$d = \sqrt{a^2 + b^2}$$



$$d = \sqrt{3^2 + 4^2}$$

$$= \sqrt{25}$$

$$d = 5$$

<sup>7</sup>  
Direction of the vector  $[4, 3]$  is :

$$\tan \theta = \frac{b}{a}$$

$$\tan \theta = \frac{3}{4}$$

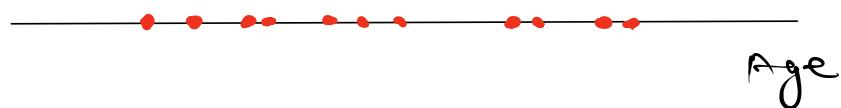
$$\theta = \tan^{-1} \left( \frac{3}{4} \right)$$

$$= 36.87^\circ$$

Dimensions of a vector →

	Age
H <sub>1</sub>	2
H <sub>2</sub>	3.5
H <sub>3</sub>	4.8
N <sub>4</sub>	1.7

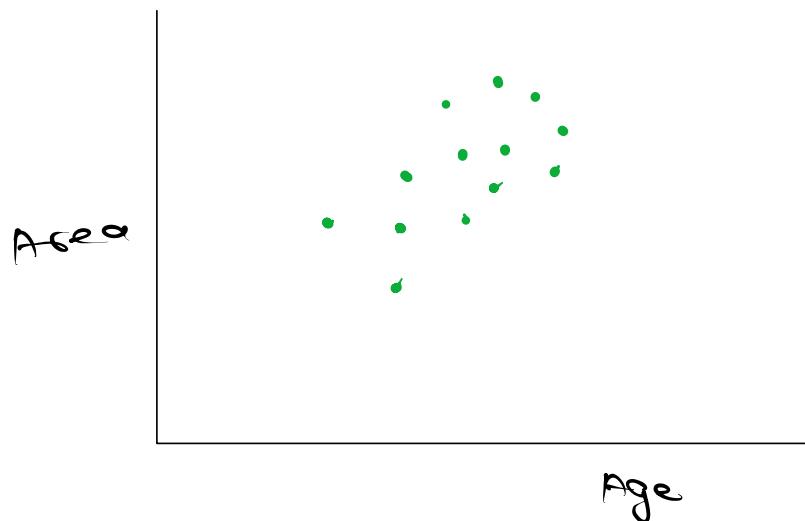
1D vector



	Area	Age
H <sub>1</sub>	2200	30
u	1100	27

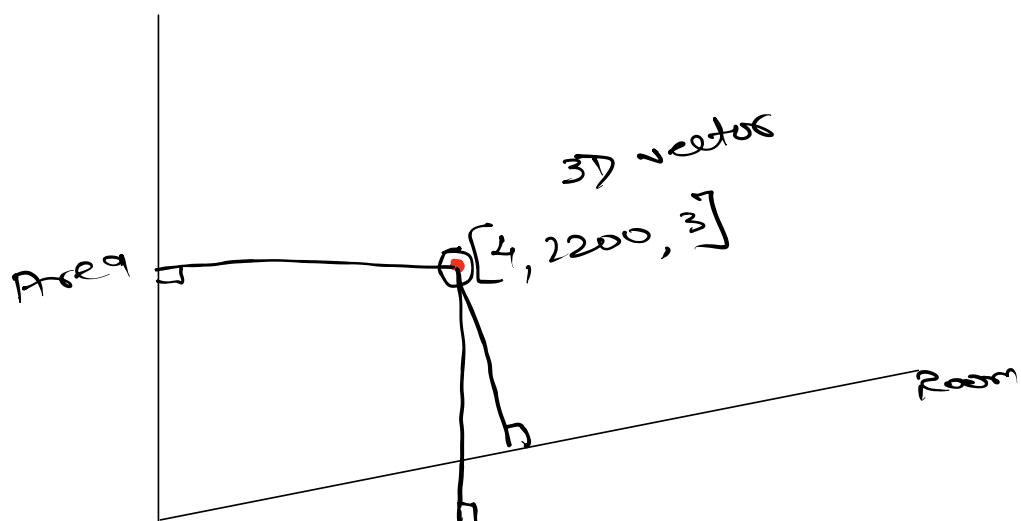
2D vectors

$H_2$	$\begin{bmatrix} 1700 \\ -5 \end{bmatrix}$
$H_3$	



	Area	Age	Rooms
$H_1 \rightarrow 0$	$\begin{bmatrix} 2100 \\ 3 \end{bmatrix}$		
$H_2 \rightarrow 1$	$\begin{bmatrix} 4000 \\ 2 \end{bmatrix}$		
$H_3 \rightarrow 2$			$\begin{bmatrix} 6 \\ 8 \end{bmatrix}$
$H_4 \rightarrow 3$			

3D vector



Age

How do we represent a vector? →

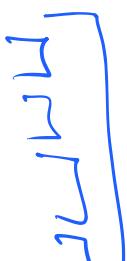
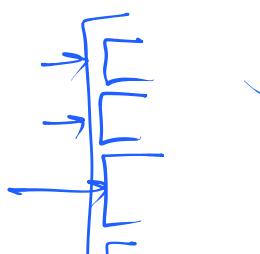
- ① Row vectors
- ② Column vectors

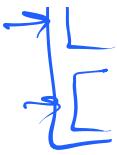
House Prices Dataset

	Rooms	Age	Area	Floors	Price
0	4	3	2200	2	\$150K
1					
2					
3					
4					

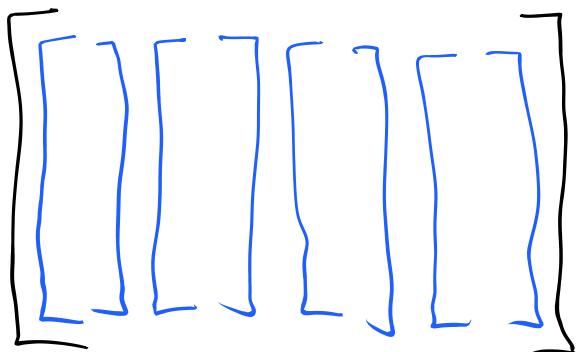
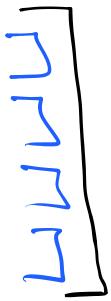
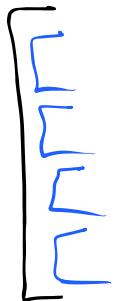
$$\text{vector}_1(\text{H1}) = [4 \ 3 \ 2200 \ 2]$$

$$\text{matrix} = \begin{bmatrix} & v_1 \\ & v_2 \\ & v_3 \\ & \vdots \\ & v_n \end{bmatrix}$$





## Matrices



- ① Multiplications, additions, divisions, subtractions
- ② Transpose
- ③ Inverse
- ④ Determinant
- ⑤ Rank of a matrix
- ⑥ Eigenvectors & eigenvalues