

1. Chapter No. Two

Program 2.1

MATLAB m-file for the Bisection Method

```
function sol=bisect(fn,a,b,tol)
fa = feval(fn,a); fb = feval(fn,b);
if fa*fb > 0; fprintf('Endpoints have same sign') return
end
while abs (b - a) > tol
c = (a + b)/2; fc = feval(fn,c);
if fa * fc < 0; b = c; else a = c; end
end; sol=(a + b)/2;
```

Program 2.2

MATLAB m-file for the Fixed-Point Method

```
function sol=fixpt(fn,x0,tol)
old= x0+1;
while abs(x0-old) > tol; old=x0;
x0 = feval(fn,old); end; sol=x0;
```

Program 2.3

MATLAB m-file for the Newton's Method

```
function sol=newton(fn,dfn,x0,tol)
old = x0+1;
while abs (x0 - old) > tol; old = x0;
x0 = old - feval(fn,old)/feval(dfn,old);
end; sol=x0;
```

Program 2.4

MATLAB m-file for the Secant Method

```
function sol=secant(fn,a,b,tol)
x0 = a; x1 = b; fa = feval(fn,x0); fb = feval(fn,x1);
while abs(x1-old)> tol
new = x1 - fb * (x1 - x0)/(fb - fa);
x0 = x1; fa = fb; x1 == new; fb = feval(fn,new);
end; sol=new;
```

Program 2.5

MATLAB m-file for first Modified Newton's Method
function sol=mnewton1(fn1,dfn1,x0,m,tol)
old = x0+1;
while abs (x0 - old) > tol; old = x0;
fa=feval(fn,old); fb=feval(dfn,old);
x0 = old - (m * fa)/fb;
end; sol=x0;

Program 2.6

MATLAB m-file for second Modified Newton's Method
function sol=mnewton2(fn1,dfn1,ddfn1,x0,tol)
old = x0+1;
while abs (x0 - old) > tol; old = x0;
fa=feval(fn,old); fb=feval(dfn,old); fc=feval(ddfn,old);
x0 = old - (fa * fb)/((fb). ^ 2 - (fa * fc));
end; sol=x0;

Program 2.7

MATLAB m-file for Newton's Method for a Nonlinear System
function sol=newton2(fn2,dfn2,x0,tol)
old=x0+1; while max(abs(x0-old))>tol; old=x0;
f = feval(fn2,old); f1 = f(1); f2 = f(2);
J=feval(dfn2,old);
f1x = J(1,1); f1y = J(1,2); f2x = J(2,1); f2y = J(2,2);
D = f1x * f2y - f1y * f2x;
h = (f2 * f1y - f1 * f2y)/D; k = (f1 * f2x - f2 * f1x)/D;
x0 = old + [h,k]; end; sol=x0;

2. Chapter No. Three

Program 3.1

MATLAB m-file for finding inverse of a matrix
function [Ainv]=INVMAT(A)
[n,n]=size(A); I=zeros(n,n);
for i=1:n; I(i,i)=1; end
m(1:n,1:n)=A; m(1 : n, n + 1 : 2 * n) = I;
for i=1:n; m(i, 1 : 2 * n) = m(i, 1 : 2 * n)/m(i,i);
for k=1:n; if i ~= k
m(k, 1 : 2*n) = m(k, 1 : 2*n) - m(k,i)*m(i, 1 : 2*n);
end; end; end
invrs = m(1 : n, n + 1 : 2 * n);

Program 3.2

MATLAB m-file for Gaussian Elimination Without Pivoting

```
function x=WP(B)
[n,t]=size(B); U=B;
for k=1:n-1; for i=k:n-1; m=U(i+1,k)/U(k,k);
for j=1:t; U(i+1,j)=U(i+1,j)-m*U(k,j);end;end end
i=n; x(i,1)=U(i,t)/U(i,i);
for i=n-1:-1:1; s=0;
for k=n:-1:i+1; s = s + U(i, k) * x(k, 1); end
x(i,1)=(U(i,t)-s)/U(i,i); end; B; U; x; end
```

Program 3.3

MATLAB m-file for Gaussian Elimination by Partial Pivoting

```
function x=PP(B)
% B = input('input matrix in form[A : b]');
[n, t] = size(B); U = B;
for M = 1:n-1
mx(M) = abs(U(M, M)); r = M;
for i = M+1:n
if mx(M) < abs(U(i, M))
mx(M)=abs(U(i,M)); r = i; end; end
rw1(1,1:t)=U(r,1:t); rw2(1,1:t)=U(M,1:t);
U(M,1:t)=rw1 ; U(r,1:t)=rw2 ;
for k=M+1:n; m=U(k,M)/U(M,M);
for j=M:t; U(k,j)=U(k,j)-m*U(M,j); end;end
i=n; x(i)=U(i,t)/U(i,i);
for i=n-1:-1:1; s=0;
for k=n:-1:i+1; s = s + U(i, k) * x(k); end
x(i)=(U(i,t)-s)/U(i,i); end; B; U; x; end
```

Program 3.4

MATLAB m-file for the Gauss-Jordan Method

```
function sol=GaussJ(Ab)
[m,n]=size(Ab);
for i=1:m
Ab(i, :) = Ab(i, :)/Ab(i, i);
for j=1:m
if j == i; continue; end
Ab(j, :) = Ab(j, :) - Ab(j, i) * Ab(i, :);
end; end; sol=Ab;
```

Program 3.5

MATLAB m-file for the LU decomposition Method

function $A = lu - gauss(A)$

% LU factorization using Gauss Elimination (without pivoting)

$[n,n] = \text{size}(A)$; for $i=1:n-1$; pivot = $A(i,i)$;

for $k=i+1:n$; $A(k,i)=A(k,i)/\text{pivot}$;

for $j=i+1:n$; $A(k,j)= A(k,j) - A(k,i)*A(i,j)$; end; end; end

Program 3.6

MATLAB m-file for using the Doolittle's Method

function sol = Doll(A,b)

$[n,n]=\text{size}(A)$; $u=A$; $l=\text{zeros}(n,n)$;

for $i=1:n-1$; if $\text{abs}(u(i,i)) > 0$

for $i1=i+1:n$; $m(i1,i)=u(i1,i)/u(i,i)$;

for $j=1:n$

$u(i1,j) = u(i1,j) - m(i1,i) * u(i,j)$;end;end;end;end

for $i=1:n$; $l(i,1)=A(i,1)/u(1,1)$; end

for $j=2:n$; for $i=2:n$; $s=0$;

for $k=1:j-1$; $s = s + l(i,k) * u(k,j)$; end

$l(i,j)=(A(i,j)-s)/u(j,j)$; end; end $y(1)=b(1)/l(1,1)$;

for $k=2:n$; $\text{sum}=b(k)$;

for $i=1:k-1$; $\text{sum} = \text{sum} - l(k,i) * y(i)$; end

$y(k)=\text{sum}/l(k,k)$; end

$x(n)=y(n)/u(n,n)$;

for $k=n-1:-1:1$; $\text{sum}=y(k)$;

for $i=k+1:n$; $\text{sum} = \text{sum} - u(k,i) * x(i)$; end

$x(k)=\text{sum}/u(k,k)$; end; l; u; y; x

Program 3.7

MATLAB m-file for the Crout's Method

```
function sol = Crout(A, b)
[n,n]=size(A); u=zeros(n,n); l=u;
for i=1:n; u(i,i)=1; end
l(1,1)=A(1,1);
for i=2:n
u(1,i)=A(1,i)/l(1,1); l(i,1)=A(i,1); end
for i=2:n; for j=2:n; s=0;
if  $i \leq j$ ; K=i-1;
else; K=j-1; end
for k=1:K;  $s = s + l(i, k) * u(k, j)$ ; end
if  $j > i$ ; u(i,j)=(A(i,j)-s)/l(i,i); else
l(i,j)=A(i,j)-s; end;end;end
y(1)=b(1)/l(1,1);
for k=2:n; sum=b(k);
for i=1:k-1;  $sum = sum - l(k, i) * y(i)$ ; end
y(k)=sum/l(k,k); end
x(n)=y(n)/u(n,n);
for k=n-1:-1:1; sum=y(k);
for i=k+1:n;  $sum = sum - u(k, i) * x(i)$ ; end
x(k)=sum/u(k,k); end; l; u; y; x;
```

Program 3.8

MATLAB m-file for the Jacobi Iterative Method

```
function x=JacobiM(Ab,x,acc)
[n,t]=size(Ab); b=Ab(1:n,t); R=1; k=1;
d(1,1:n+1)=[0 x]; while  $R > acc$ 
for i=1:n
sum=0;
for j=1:n; if  $j \neq i$ 
 $sum = sum + Ab(i, j) * d(k, j + 1)$ ; end;
 $x(1, i) = (1/Ab(i, i)) * (b(i, 1) - sum)$ ; end;end
k=k+1; d(k,1:n+1)=[k-1 x];
R=max(abs((d(k,2:n+1)-d(k-1,2:n+1))));
if  $k > 10 \ \& \ R > 100$ 
('Jacobi Method is diverges')
break; end; end; x=d;
```

Program 3.9

MATLAB m-file for the Gauss-Seidel Iterative Method

```
function x=GaussSM(Ab,x,acc)
[n,t]=size(Ab); b=Ab(1:n,t);R=1; k=1;
d(1,1:n+1)=[0 x]; k=k+1; while  $R > acc$ 
for i=1:n; sum=0; for j=1:n
if  $j \leq i - 1$ ;  $sum = sum + Ab(i, j) * d(k, j + 1)$ ;
elseif  $j \geq i + 1$ 
 $sum = sum + Ab(i, j) * d(k - 1, j + 1)$ ; end; end
 $x(1, i) = (1/Ab(i, i)) * (b(i, 1) - sum)$ ;
d(k,1)=k-1; d(k,i+1)=x(1,i); end
 $R = \max(\text{abs}((d(k,2:n+1)-d(k-1,2:n+1))))$ ;
k=k+1; if  $R > 100 \ \& \ k > 10$ ; ('Gauss-Seidel method is
Diverges')
break ;end;end;x=d;
```

1. Chapter No. Four

Program 4.1

MATLAB m-file for the Lagrange Interpolation Method

```
function fi=lint(x,y,x0)
dxi=x0-x; m=length(x); L=zeros(size(y));
 $L(1) = \text{prod}(dxi(2 : m))/\text{prod}(x(1) - x(2 : m))$ ;
 $L(m) = \text{prod}(dxi(1 : m - 1))/\text{prod}(x(m) - x(1 : m - 1))$ ;
for j=2:m-1
 $num = \text{prod}(dxi(1 : j - 1)) * \text{prod}(dxi(j + 1 : m))$ ;
 $dem = \text{prod}(x(j) - x(1 : j - 1)) * \text{prod}(x(j) - x(j + 1 : m))$ ;
L(j)=num/dem; end;  $fi = \text{sum}(y. * L)$ ;
```

Program 4.2

MATLAB m-file for the Divided Differences

```
function D=divdiff(x,y)
% Construct divided difference table
 $m = \text{length}(x)$ ;  $D = \text{zeros}(m, m)$ ;  $D(:, 1) = y(:)$ ;
for j=2:m; for i=j:m
 $D(i, j) = (D(i, j-1) - D(i-1, j-1))/(x(i) - x(i-j+1))$ ;
end; end
```

Program 4.3

MATLAB m-file for Newton's Interpolation Method

```
function Y=Ndivf(x,y,x0)
m=length(x); D=zeros(m,m); D(:,1)=y(:);
for j=2:m; for i=j:m;
D(i,j)=(D(i,j-1)-D(i-1,j-1))/(x(i)-x(i-j+1)); end; end;
Y=D(m,m)*ones(size(x0));
for i=m-1:-1:1;
Y=D(i,i)+(x0-x(i))*Y; end
```

Program 4.4

MATLAB m-file for the Linear Spline

```
function LS=LSpline(X,Y,x)
n=length(X);
for i=n-1:-1:1
D=x-X(i);
if (D >= 0); break; end; end
D=x-X(i); if (D < 0); i=0;
D=x-X(1); end
M=(Y(i+1)-Y(i))/(X(i+1)-X(i));
LS=Y(i)+M*D; end
```

1. Chapter No. Five

Program 5.1

MATLAB m-file for the Composite Trapezoidal Rule

```
function TN=TrapezoidR(fn,a,b,n); h=(b-a)/n;
s=(feval(fn,a)+feval(fn,b))/2;
for k=1:n-1
x=a+h*k
s=s+feval(fn,x); end
TN=s*h;
```

Program 5.2

MATLAB m-file for the Composite Simpson's Rule

```
function SN=SimpsonR(fn,a,b,n);
h=(b-a)/n;
s=feval(fn,a)+feval(fn,b);
for k=1:2:n-1
s=s+4*feval(fn,a+k*h); end
for k=2:2:n-2
s=s+2*feval(fn,a+k*h); end
SN=(s*h)/3;
```

Program 5.3

MATLAB m-file for computing Error term of the Composite Simpson's Rule

```
function k=ErrorSR(fn,a,b,M,eps)
% M is a bound for the fourth derivative of fn on [a,b]
% eps is the required accuracy
L = abs(b-a); n = ceil(L*sqrt(sqrt(L*M/180/eps)));
if mod(n,2) == 1; n = n + 1; end
k=SimpsonR(fn,a,b,n);
```

1. Chapter No. Six

Program 6.1

MATLAB m-file for Euler's Method

```
function sol=Euler1(fun1,a,b,y0,n)
h=(b-a)/n; x=a+(0:n)*h; y(1)=y0;
for k = 1 : n
    y(k+1) = y(k) + h * feval(fun1, x(k), y(k));
end; sol=[x',y'];
```

Program 6.2

MATLAB m-file for Taylor's Method of order 2

```
function sol=tayl1(fun1,dfun1,a,b,y0,n)
h=(b-a)/n; x = a + (0 : n) * h; y(1)=y0;
for k=1:n
    y(k+1) = y(k) + h * feval(fun1, x(k), y(k))
        + (h.^2 * feval(dfun1, x(k), y(k))) / 2;
end; sol = [x', y'];
```

Program 6.3

MATLAB m-file for the Modified Euler's Method

```
function sol=mod1(fun1,a,b,y0,n)
h = (b - a) / n; x = a + (0 : n) * h; y(1) = y0;
for k = 1 : n
    k1 = feval(fun1, x(k), y(k));
    k2 = feval(fun1, x(k) + h, y(k) + h * k1);
    y(k+1) = y(k) + h * (k1 + k2) / 2;
end; sol = [x', y'];
```