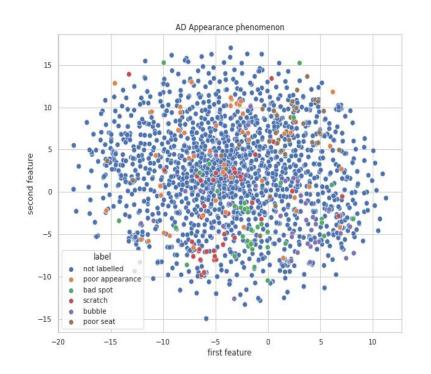


AD Appearance Annotation Visualization

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Visualizing AD Appearance phenomenon using TF-IDF vectorization method

- Most of the area are covered by defined labels.
- But labels data points are overlapped each other.







Explaination

AD Appearance annotation coverage

- As we can see in the above graph, annotation coverage is well enough by the defined labels. Annotators estimated that 75% area are covered and we also observed that most of area are covered.
- We also noticed that, in the outer side of the above graphs there is only unlabeled data. So, Its true that nearly 25% are not covered as annotator estimated.
- To improve the coverage, we can increase the number of defined labels.





Explaination

AD Appearance annotation overlapping

- In the labeled data points, there is an overlapping problems for each of the labels.
- This is because of chosing generic labels for most of the items.
- Suppose, we select poor appearance but poor appearance belong to all most all the items in this phenomenon.
- Same goes for scratch, bad spot, and bubble.
- On the other hand poor seat is a specific label which represent only seat related comments. So, we can see, poor seat label's data point belongs to like a group in top-right corner of the graph.
- Poor seat label's comments does not overlap much like other four labels.





TF-IDF Vectorization method



Term Frequency Inverse Document Frequency(TF-IDF)

- We chose TF-IDF vectorization method
- TF-IDF formula
 - TF-IDF(t, D) = tf(t,d)*idf(t, D)
 - Tf(t,d) = ft/d, Number of times appeared a term in particular document.
 - Idf(t, D) = log(N(total number of documents)/{number of document that appeared the term})
- Below are two documents(comments) for TF-IDF calculation.
 - Doc1: Rough spot in paint on hood.
 - Doc2: Rough spot on the driver side running board.





Vectorization method

Aplying TF-IDF method in two comments from AD pheonmenon

Doc1: Rough spot in paint on hood.

Doc2: Rough spot on the driver side running board.

Terms	TF		IDF	TF-IDF	
	Doc1	Doc2		Doc1	Doc2
rough	1	1	Log(2/2) = 0.0	0	0
spot	1	1	Log(2/2) = 0.0	0	0
in	1	0	Log(2/1) = 0.30	0.30	0
paint	1	0	Log(2/1) = 0.30	0.30	0
on	1	1	Log(2/2) = 0.0	0	0
hood	1	0	Log(2/1) = 0.30	0.30	0
the	0	1	Log(2/1) = 0.30	0	0.30
driver	0	1	Log(2/1) = 0.30	0	0.30
side	0	1	Log(2/1) = 0.30	0	0.30
running	0	1	Log(2/1) = 0.30	0	0.30
board	0	1	Log(2/1) = 0.30	0	0.30



Dimension reduction using PCA

Vectors for two documents

- To visualize the document, we need to reduce the dimension of the vectors.
- For reducing dimension we used T-SNE which works on top of Principal Component Analysis(PCA).
- PCA method filter the topmost important features from the vectors.
- After applying dimension reduction method in the above vectors, we got following vectors.

```
Doc1: [ 3161.1775, 0. ]Doc2: [-3161.1775, 0. ]
```



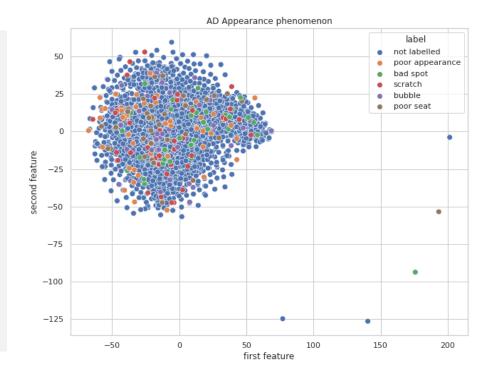


AD Appearance Annotation Visualization

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Visualizing AD Appearance phenomenon using BERT vectorization method

- Data points are more compressed compared to tf-idf method.
- Labels are covered the overall data points but label data points are overlapped each other.
 We explained the reason in previous graph.

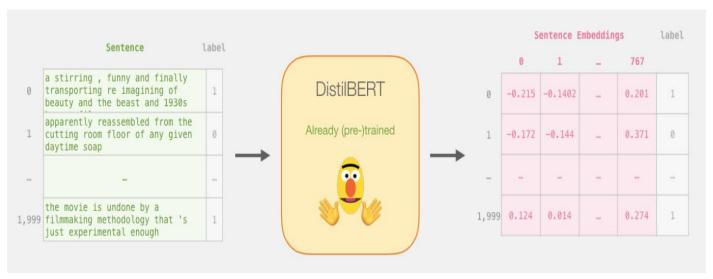






BERT Vectorization Method

The BERT text vectorization architecture



- BERT has a complex architecture for vectorization.
- To convert each sentence to a tokenizer as list of words. And adding CLS token at the begining of the sentence. End of each sentence added SEP token.
- Each word considered as a token and assigned a token id.
- Converting the token list as a fixed length of token vector with adding zeros which called padding.





BERT Vectorization Method

The BERT text vectorization architecture

- Prepared another input vectors which is called Masking. Converting non-zero value to 1 so that model can focuse only only non-zero value. Thats why its called Attention Mask.
- Taking the tokenization vectors and attention mask as input to the BERT model and pass it to the intermediate layers. And in the last hidden layer, it contains 768 length vector. We extracted it and reduced the dimension using PCA for plotting.



BERT Vectorization Method



Applying BERT vectorization for two comments

Doc1: Rough spot in paint on hood.

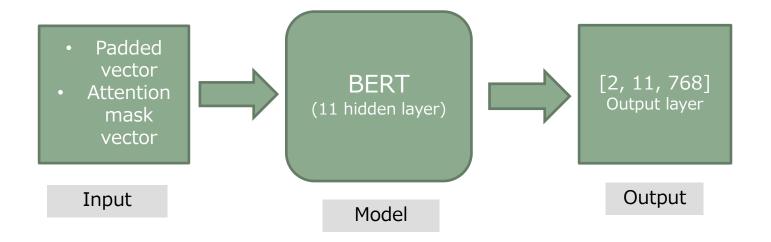
Doc2: Rough spot on the driver side running board.

- After applying tokenizer for tokenization vector.
 - [101, 5931, 3962, 1999, 6773, 2006, 7415, 1012, 102]
 - [101, 5931, 3962, 2006, 1996, 4062, 2217, 2770, 2604, 1012, 102]
- After applied padding for converting padded vectors.
 - [101, 5931, 3962, 1999, 6773, 2006, 7415, 1012, 102, 0, 0]
 - [101, 5931, 3962, 2006, 1996, 4062, 2217, 2770, 2604, 1012, 102]
- To make mask vectors as attention mask.
 - [1, 1, 1, 1, 1, 1, 1, 1, 1, 0, 0]
 - [1, 1, 1, 1, 1, 1, 1, 1, 1, 1]





Applying BERT vectorization for two comments



- After extracting final layer, we found [2,11,768] a 3-dimensional vector.
- We reshape the above vector to [2, 8448] a 2-dimesional vector for applying dimensional reduction method.
- And then applied dimensional reduction method PCA, we found below data points for both sentence for plotting.
 - Doc1: (-8079.903809 2.142040e-07)
 - Doc2: (8079.903809 2.142039e-07)



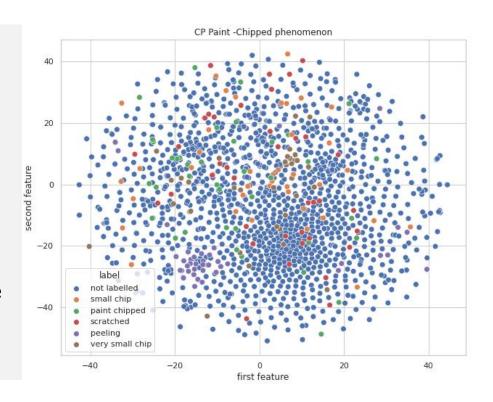


CP Paint -Chipped Annotation Visualization



Visualizing CP Paint -Chipped phenomenon using TF-IDF vectorization method

- As we can see, labels are covered most of the area of the data points.
- But again, label data points are scattered(overlap) like previous one.
- In CP phenomenon all five defined labels are generic(common for multiple items) labels. So, this is the reason behind overlap.



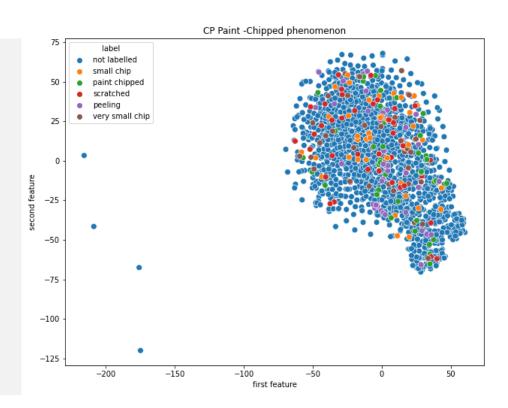


CP Paint -Chipped Annotation Visualization



Visualizing CP Paint -Chipped phenomenon using BERT vectorization method

- Samples are more compressed compared to tf-idf vector.
 Defined labels are covered most of the area.
- Data points are more scattered compared to tf-idf. Overlapping problem occurs same as previous one.
- There are few anomaly in bert vectorization.



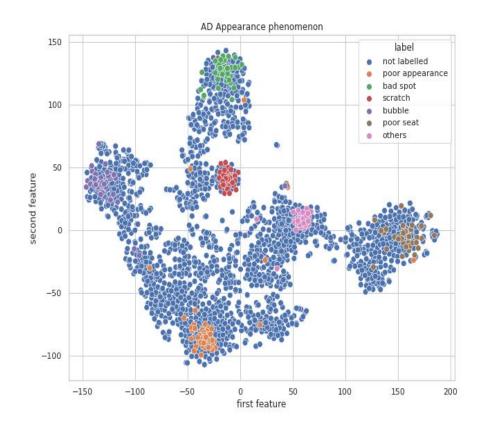




Fine-tuning BERT

After fine-tuning BERT model, visualizing the classified samples for AD Appearance phenomenon .

- Extracting the features for all the samples for AD Appearance phenomenon using BERT finetuned model trained by AD Appearance annotated datasets.
- As we can see the graph, BERT model's leaned well the data samples and data points are well classified amongst the classes.



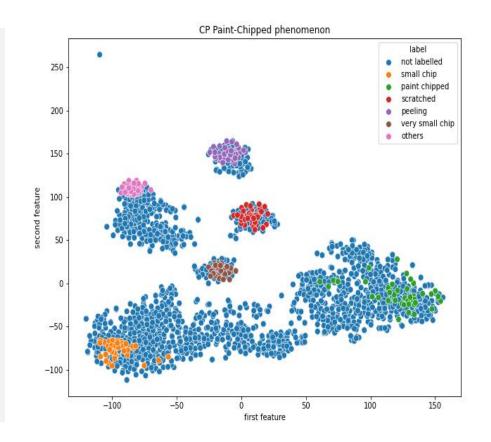




Fine-tuning BERT

After fine-tuning BERT model, visualizing the classified samples for CP Paint Chipped phenomenon.

- Extracting the features for all the samples for CP Paint Chipped phenomenon using BERT fine-tuned model trained by CP Paint Chipped annotated datasets.
- As we can see the graph, BERT model's leaned well the data samples and the data points are well classified amongst the classes.





$$= \sin x \cos y + \sin y \cos x \qquad (\ln(x)') = x^{-1} \qquad \underline{a} \qquad \sin x = 0, 5 \qquad \int \frac{dx}{\sqrt{x^{2} \pm a^{2}}} = \ln |x + \sqrt{x^{2} \pm a^{2}}| + C \qquad (a+b)^{2} = a^{2} + 2a$$

$$= (1+x)^{\frac{1}{6}} = 1 + \sum_{n \neq 1}^{\infty} \binom{n}{n} \cdot x^{n} \qquad \underline{a}_{n} = \frac{6}{\sin b} \qquad e^{i\pi} + 1 = 0 \qquad \exists A \cdot (B+C) = y = kx + m$$

$$= xe \binom{n}{n} = C_{n}^{\frac{1}{6}} = \frac{n!}{(n-x)!}e! \qquad |x| = -i \sin(ix)$$

$$= xe (-\infty)^{2} - 2! \qquad e^{x} \qquad \lim_{x \to 0} \frac{\sin x}{x} = 1 \qquad \text{if} \qquad \int (a+b)^{2} = a^{2} + 2a$$

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