## Proof Checking in Applicative Matching Logic

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## Abstract

This paper discusses proof checking in applicative matching logic.

## 1 Proof checking

At a high level, *proof objects* are strings that encode a Hilbert-proof, including its underlying theory  $\Gamma$ , the proof target  $\varphi$ , and all intermediate proof steps, which are accompanied with detailed proof annotations that specify which proof rules are applied and how they are instantiated in every step. We let A to denote the underlying alphabet of proof objects.

- A proof object  $\pi$  is called *well-formed*, if it is a correct encoding of a proof;
- A proof object  $\pi$  is called *valid*, if it is *well-formed* and it encodes a correct proof;
- A proof object  $\pi$  is called *checked*, if it passes the proof checker.

Key property of proof checking. All checked proof objects are valid.