# Algorithm performance

Asymptotic analysis



## Drop constants

$$10000000 = O(1)$$

fastest growing

$$3n+3=O(3n)$$

$$3n+3 = O(3n) = O(n)$$

# **Examples?**

#### **IVQ**

- f(n) = 3 log\_2 n + 4n log\_2 n + n. Which of the following is true?
  - $f(n) = O(log_2 n)$
  - $f(n) = O(n \log_2 n)$
  - $f(n) = O(n^2)$  \*\* In response, industry / academic use of O
  - f(n) = O(n)
- f(n) = 100. Which of the following is true?
  - $f(n) = O(2^n)$
  - $f(n) = O(n \land 2)$
  - f(n) = O(n)
  - f(n) = O(1)

#### Formally

$$f(n) = O(g(n))$$

means

there are constants N and c so that for each n > N,  $f(n) \le C g(n)$ 

# Next up ...

Analyzing code