

# Inelastic X-ray Scattering at LCLS-II-HE

Some points to form a basis for discussion

Not a concrete scientific plan nor a proposal

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# Flux at synchrotrons

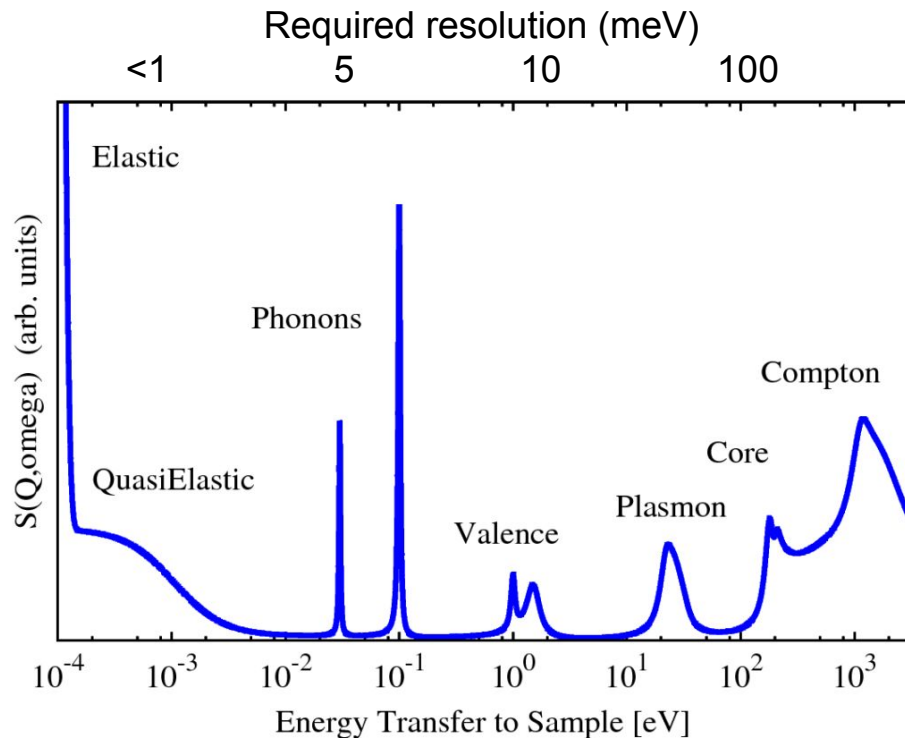
	Hard x-ray flux on sample per meV	Power on the sample (Watt)
Spring-8	$\sim 10^{11}$ ph/s (BL43)	0.0032 (~20 keV)
ESRF	$\sim 10^{10}$ ph/s (ID16, ID28)	0.00032 (~20 keV)
APS	$\sim 10^{10}$ ph/s (27-ID, 30ID)	0.00032 (~20 keV)
	$\sim 10^9$ ph/s (UHRXS)	0.00001 (~9 keV)
NSLS-II	$\sim 10^{10}$ ph/s (10-ID)	0.00014 (~9 keV)

A generic diffraction beamline with Si(111) at most 3rd gen. synch. has  $\sim 10^{13}$  ph/s/eV (0.14W @ ~9 keV)

$10^{13}$  ph/s on sample with 100 kHz rep-rate =  $10^8$  ph/pulse  
= 0.0023 eV/atom per pulse (9 keV photons, 30 micron beam on YBCO)  
Less than 0.01 eV per atom (a safe threshold)

Let's start from the assumption that we will have  $10^{13}$  photons on the sample per second  
We can/will go beyond that if sample/machine/optics cooperates

# Types of IXS and typical resolution



## Goal (for the sake of argument):

5 meV overall resolution (we can discuss trade off later)

4 meV incident beam (5 meV overall)

< 0.5 ps time resolution

Phonon measurements

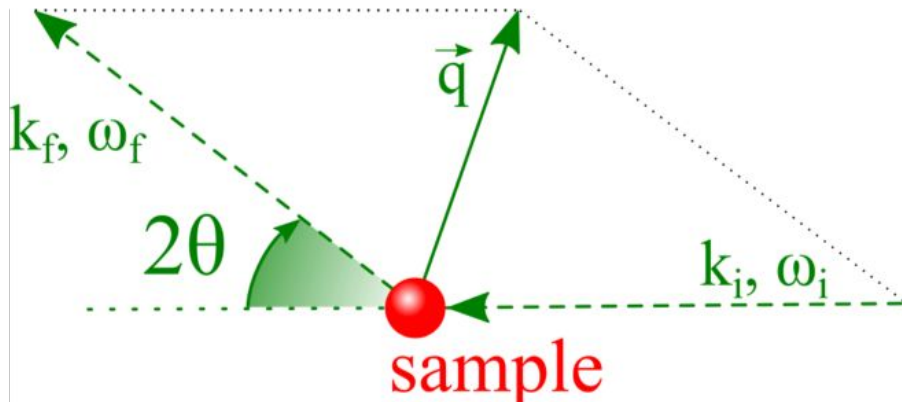
(electron-phonon, spin-phonon coupling, and a lot more where low-energy excitations are relevant)

**Bonus option-1:** broader resolution for finer time res.

**Bonus option-2:** magnetic inelastic signal  
(non-resonant)

# Quick summary before we go further

- $10^{13}$  photons per second on the sample with 4 meV bandwidth
  - For reference:  
BL43@SPring8:  $\sim 5 \times 10^{10}$  ph/s @ 17.8 keV (2.8 meV),  $5 \times 5 \mu\text{m}^2$   
MERIX@APS and ID-20@ESRF:  $\sim 2.5 \times 10^{11}$  ph/s @ 11.2 keV (15 meV),  $20 \times 10 \mu\text{m}^2$
- 5 meV overall energy resolution: 4 meV incident  $\oplus$  3 meV analyzer (crystal, geometry, etc.)
  - 4 meV  $\leftrightarrow$  450 fs
  - 0.014 Watt on the sample (9 keV), compatible with low-temperature measurements
  - Less than 0.01 eV/atom dose assuming 9 keV and a typical high-Z sample like YBCO

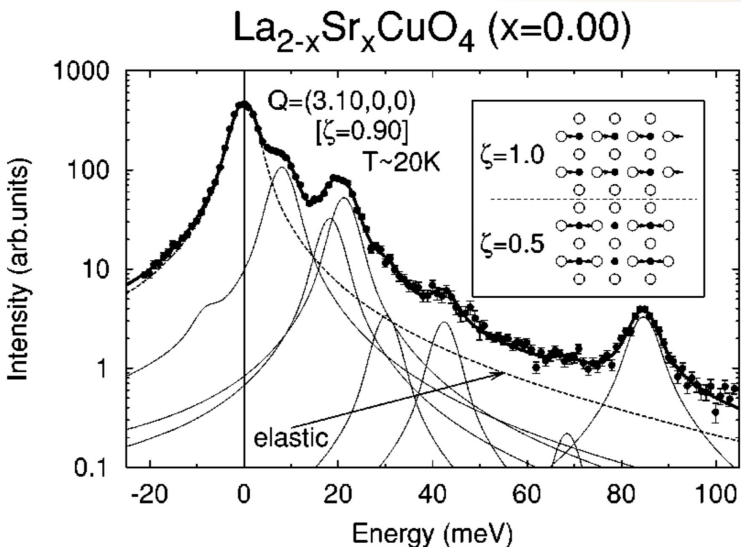


## Takeaway (so far):

1. Moderate resolution of 5 meV enables phonon measurements in crystalline samples
2. Relevant samples endure  $10^{13}$  photons/second
3.  $10^{13}$  Hz is comparable to -if not better than- synchrotron beamlines for med-resol. IXS

# Case study for phonon measurements

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T. Fukuda, et al., *Phys. Rev. B*, **71**, 060501, 2005.

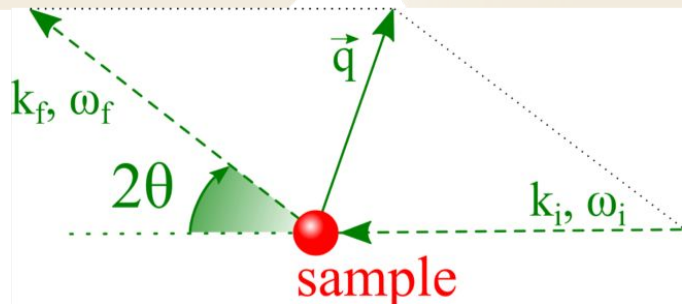
Incident beam:

$3 \times 10^{10}$  ph/s, 15.816 keV, 4 meV,  $\sim 100 \mu m$

Analyzer:

Si(888): 4.5 meV (intrinsic + geometry)

100mm@9.8m:  $\sim 10 \times 10$  mrad<sup>2</sup>,  $0.076 \text{ \AA}^{-1}$



$\sim 6$  meV overall resolution

30 second per data point (120 pts = 1 hour per spectrum)

**IF** we recreate the “same” setup at **9 keV**

- Factor of 4 to 6 would be lost due to Thomson/photoelectric absorption assuming thick samples
- $10^{13}/3 \times 10^{10} = \sim 300$  gain from the incident flux

$\sim x50$  overall gain, i.e. less than 2 minutes per spectrum

This would allow another parameter to investigate: **time!**

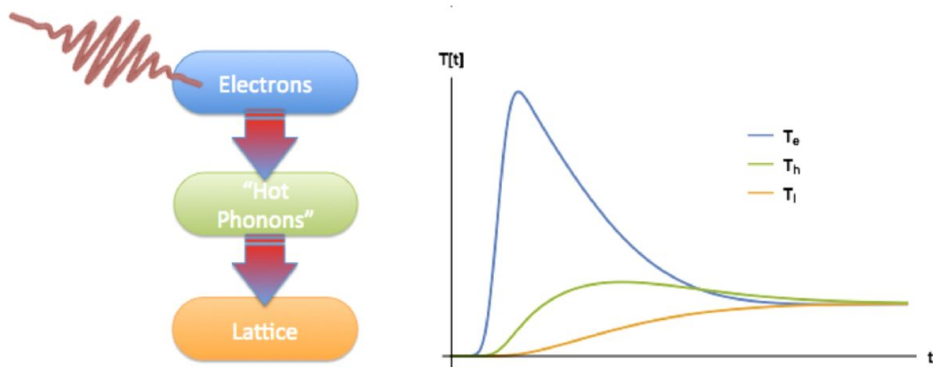
**Cherry on top:**

If we could serialize data collection with a dispersive analyzer

# Possible science experiment (one of many)

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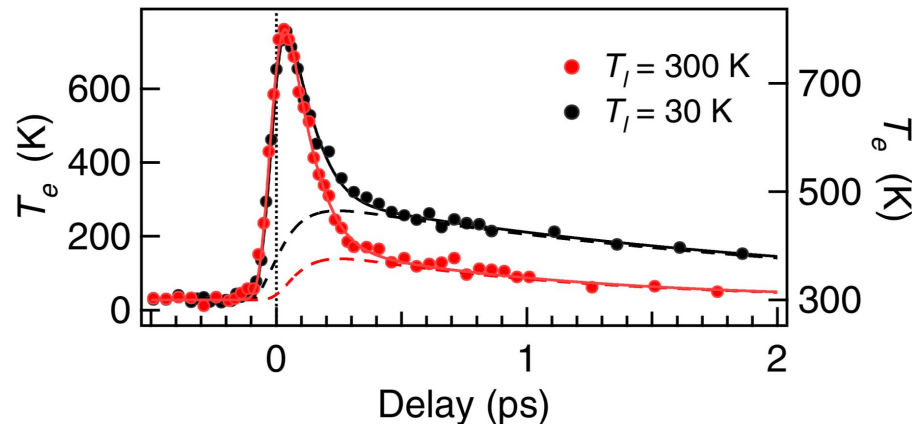
Just to demonstrate the sensitivity of an efficient IXS spectrometer (not the ONLY application)



## 3-temperature model for energy flow in a system

S. L. Johnson, et al., Struct. Dyn. **4**, (2017).

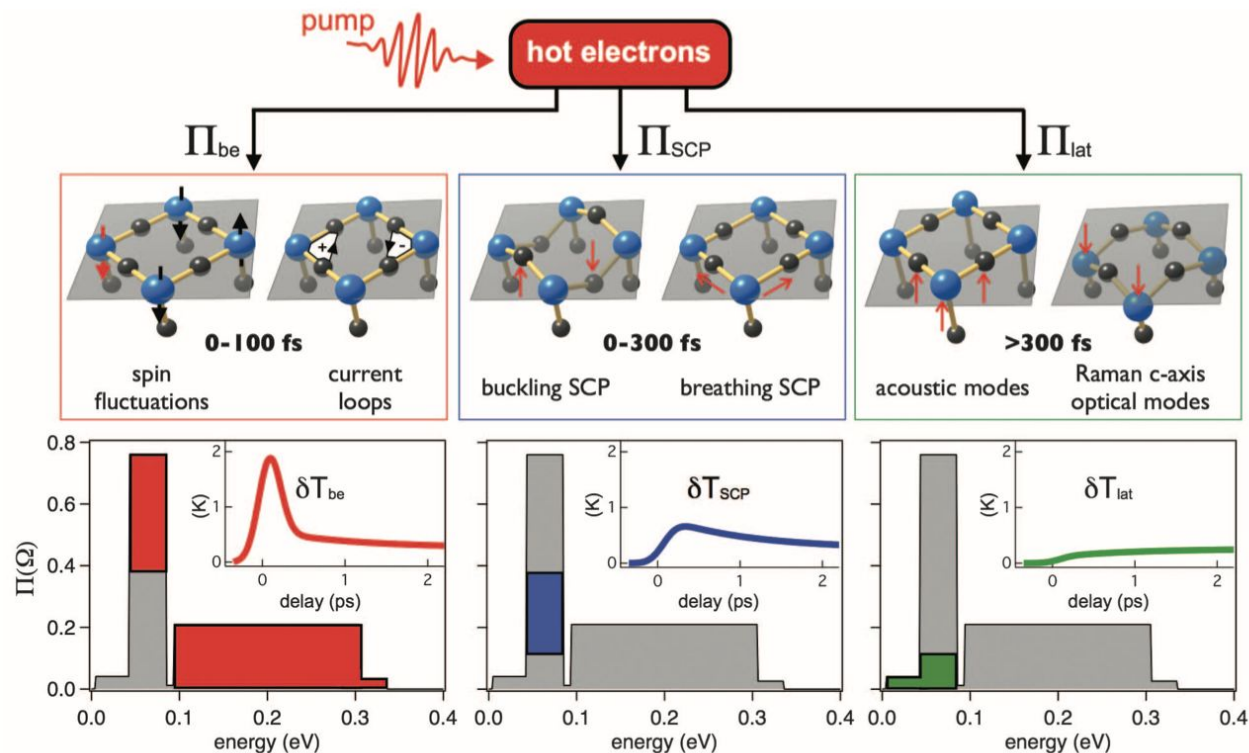
The Fermi edge spread in ARPES measurements allows to estimate the temperature of the electron system



L. Perfetti, et al., Phys. Rev. Lett. **99**, 197001 (2007).

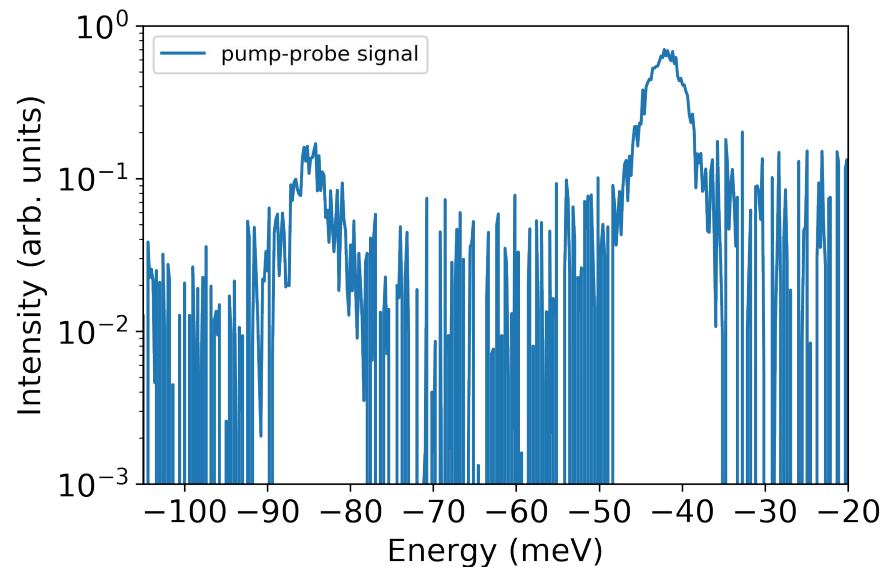
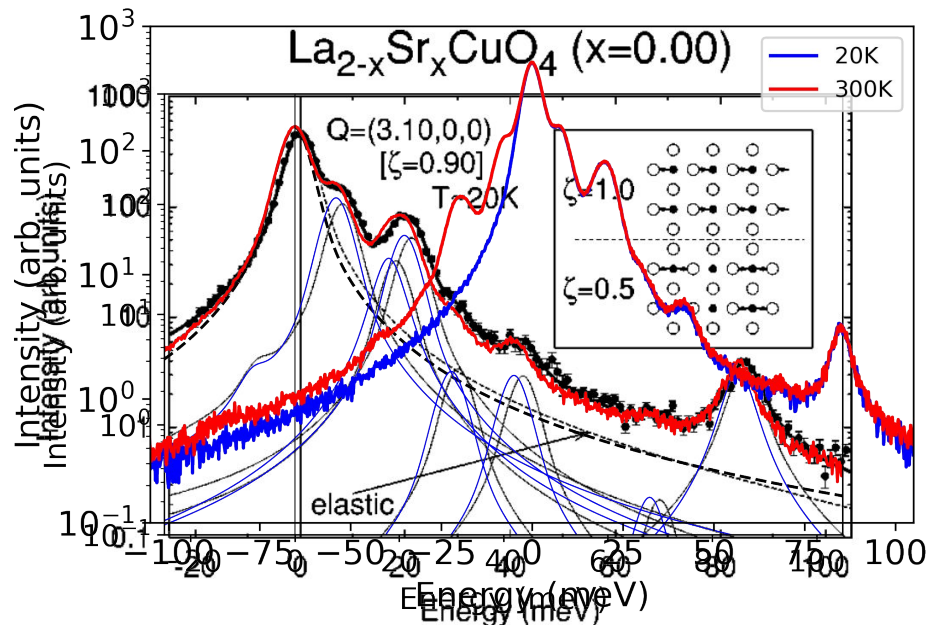
Two kinks in the temperature curve indicates two sets of phonons thermalizing after the pump.  
Model calculations estimate ~20% of the phonons thermalize first (hot phonons) before the rest of the lattice warms up

# Complicated dynamics, where mode-specific probe would be helpful



# Possible science experiment (one of many)

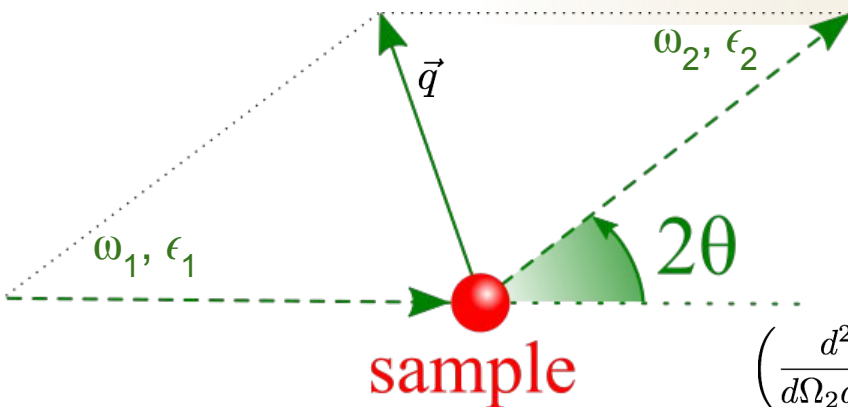
This is an exercise to demonstrate the sensitivity of a high-efficiency phonon spectrometer. There is no other claim. The data is reproduced with realistic statistics.



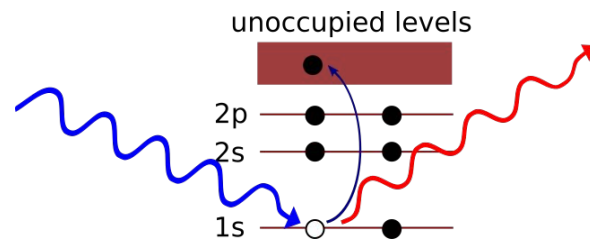


# Non-resonant IXS (phonons and more)

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$$E_i \rightarrow E_f$$



$$\left( \frac{d^2\sigma}{d\Omega_2 d\hbar\omega_2} \right)_{i,1 \rightarrow f,2} = \left( \frac{e^2}{mc^2} \right)^2 \left| \left\langle f \left| \sum_j e^{i\vec{q} \cdot \vec{r}_j} \right| i \right\rangle \vec{\epsilon}_1 \cdot \vec{\epsilon}_2 \right|^2 \delta(E_i - E_f + \hbar\omega_1 - \hbar\omega_2)$$

$$\left( \frac{d^2\sigma}{d\Omega_2 d\hbar\omega_2} \right)_{i,1 \rightarrow f,2} = \left( \frac{e^2}{mc^2} \right)^2 \left| \underbrace{\left\langle f \left| \sum_j e^{i\vec{q} \cdot \vec{r}_j} \right| i \right\rangle}_{\text{charge}} \vec{\epsilon}_1 \cdot \vec{\epsilon}_2 - i \frac{\hbar\omega'}{mc^2} \underbrace{\left\langle f \left| \sum_j \vec{s}_j e^{i\vec{q} \cdot \vec{r}_j} \right| i \right\rangle}_{\text{spin}} \cdot \vec{\epsilon}_1 \times \vec{\epsilon}_2 \right|^2 \delta(E_i - E_f + \hbar\omega_1 - \hbar\omega_2)$$

$\omega' \approx \omega_1 \approx \omega_2$

$\hbar\omega' = 10^4 \text{ eV}$  ,  $mc^2 = 0.5 \times 10^6 \text{ eV} \rightarrow$  spin term is 2 orders of magnitude smaller.  
This is not the whole story. Signal on the detector is much weaker.

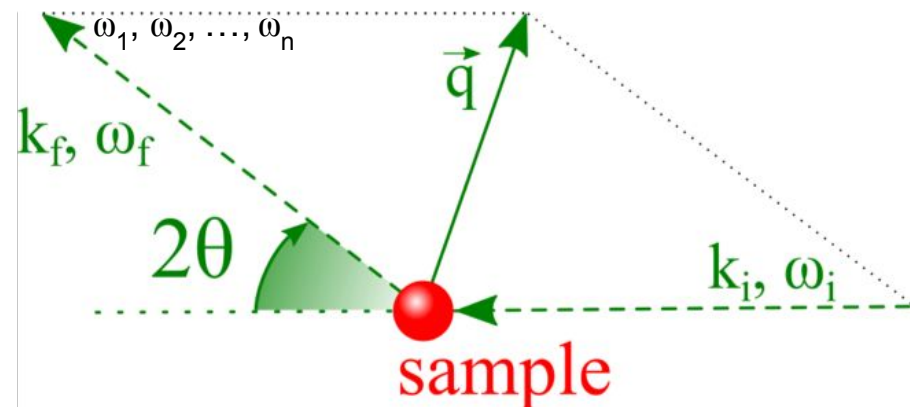
# Can we make it up?

	Hard x-ray flux on sample per meV
LCLS-II-HE (seeded)	$\sim 10^{14}$ ph/s
LCLS-II-HE (SASE)	$\sim 10^{13}$ ph/s
Spring-8	$\sim 10^{11}$ ph/s (BL43)
ESRF	$\sim 10^{10}$ ph/s (ID16, ID28)
APS	$\sim 10^{10}$ ph/s (27-ID, 30ID) $\sim 10^9$ ph/s (UHRIXS)
NSLS-II	$\sim 10^{10}$ ph/s (10-ID)

- The resolution can be relaxed in favor of higher flux if the sample can tolerate

$$\left( \frac{d^2\sigma}{d\Omega_2 d\hbar\omega_2} \right)_{i,1 \rightarrow f,2} = \left( \frac{e^2}{mc^2} \right)^2 \left| \left\langle f \left| \sum_j e^{i\vec{q} \cdot \vec{r}_j} \right| i \right\rangle \vec{\epsilon}_1 \cdot \vec{\epsilon}_2 - i \frac{\hbar\omega'}{mc^2} \left\langle f \left| \sum_j \vec{s}_j e^{i\vec{q} \cdot \vec{r}_j} \right| i \right\rangle \cdot \vec{\epsilon}_1 \times \vec{\epsilon}_2 \right|^2 \delta(E_i - E_f + \hbar\omega_1 - \hbar\omega_2)$$

# What kind of spectrometer we should have, why?



Let's assume we have the monochromator that delivers the FT-limited beam at the photon energy we want with the desired bandwidth

We should have an energy dispersive analyzer that could capture a spectral window as broad as possible.

- Limits/reduces the radiation damage on the sample
- Eliminates/reduces the complications due to source fluctuations

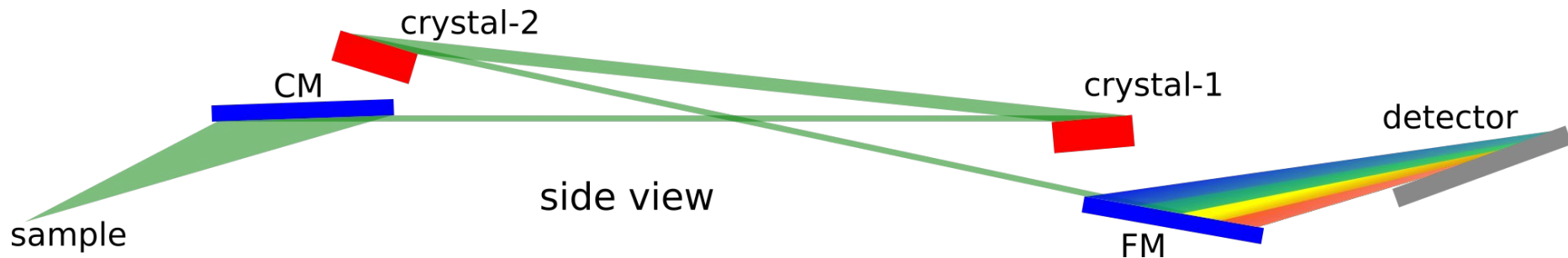
- Allows binning the spectral window to improve statistics when energy resolution is not the priority
- It is more efficient so gives us a better chance to detect "faint" signals like magnetic excitations.

For example: The total number of electrons in YBa<sub>2</sub>Cu<sub>3</sub>O<sub>7</sub> is 294. Looking for a single unpaired spin is akin to finding a needle in the haystack.

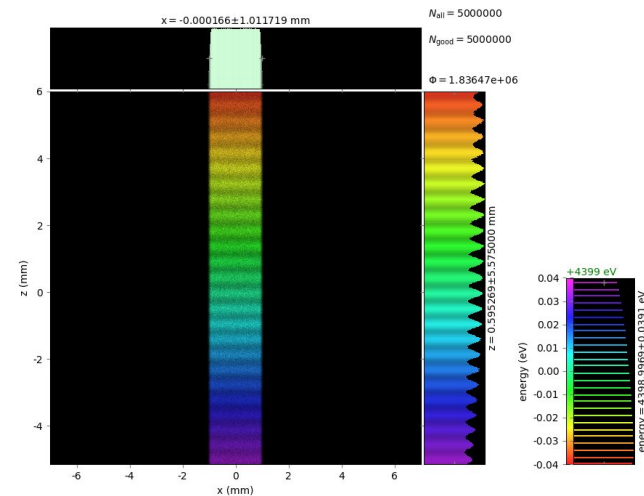
Ratio of non-resonant magnetic signal to Thomson can be on the order of  $10^{-8} = (10^{-2} \times 10^{-2})^2$

$10 \times 10 \text{ mrad}^2$  solid angle at  $90^\circ$  eliminates  $\sim 6 \times 10^{-7}$ , which can be further improved (more discussion/work needed)

# A “prototype” #1



Parameter		Value	Notes
Beam size on the sample		10 $\mu$ m(V)	Larger horizontal beam size can be leveraged to reduce the heat-load on the sample
CM	Focal distance	200 mm	These parameters may not be optimal. A more careful analysis with an experienced vendor should be done. The beam size at the center of the mirror is taken as 2x2 mm <sup>2</sup> . Better than 2 $\mu$ rad slope error can be achieved for elliptical mirrors. So this value can be better.
	Coating pair	Ni-C	
	Optical length	150 mm	
	Slope error	2 $\mu$ rad(rms)	
Analyzer crystals		Ge(400)	Bragg and asymmetry angles are 85°and 80°, respectively. The optical length along the beam path is less than 30 mm.



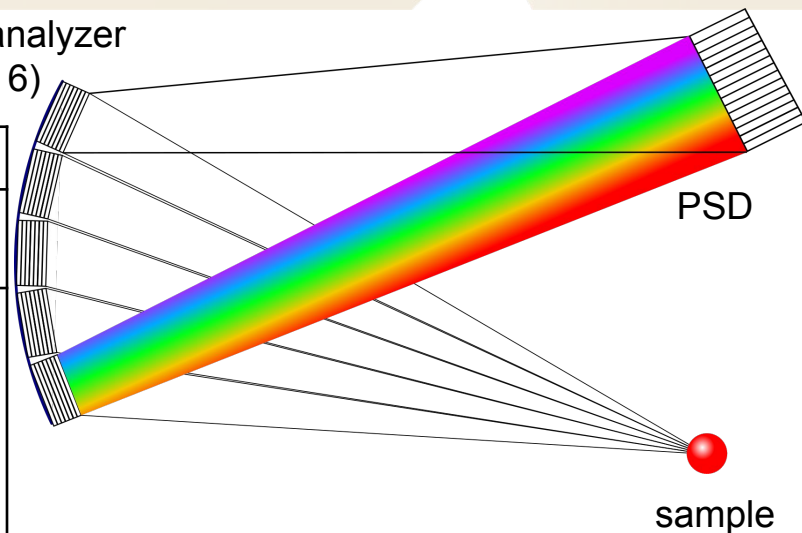
# A “prototype” #2

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A conventional approach can be suggested as a baseline.

Parameter		Value	Notes
Beam size on the sample		10 $\mu$ m(V)	Larger horizontal beam size can be leveraged to reduce the heat-load on the sample
Analyzer	Radius	2000 mm	Photon energy is around 11.216 keV. For a non-resonant approach, the Bragg angle can be arbitrarily small as long as there is enough space between the sample and the detector. For 89°, the analyzer resolution will be around 3 meV (including the geometrical contributions)
	Material	Quartz	
	Miller indices	-3 -4 6	
	Intrinsic BW	2.12 meV	
Incident BW		4 meV	With 4 meV incident and 3 meV analyzer bandwidth, the overall resolution will be around 5 meV
Detector pixel size		50xL $\mu$ m <sup>2</sup>	A stripe detector would work. If a 2D detector, the nondispersive direction should be integrated

Diced analyzer  
Q(-3 -4 6)



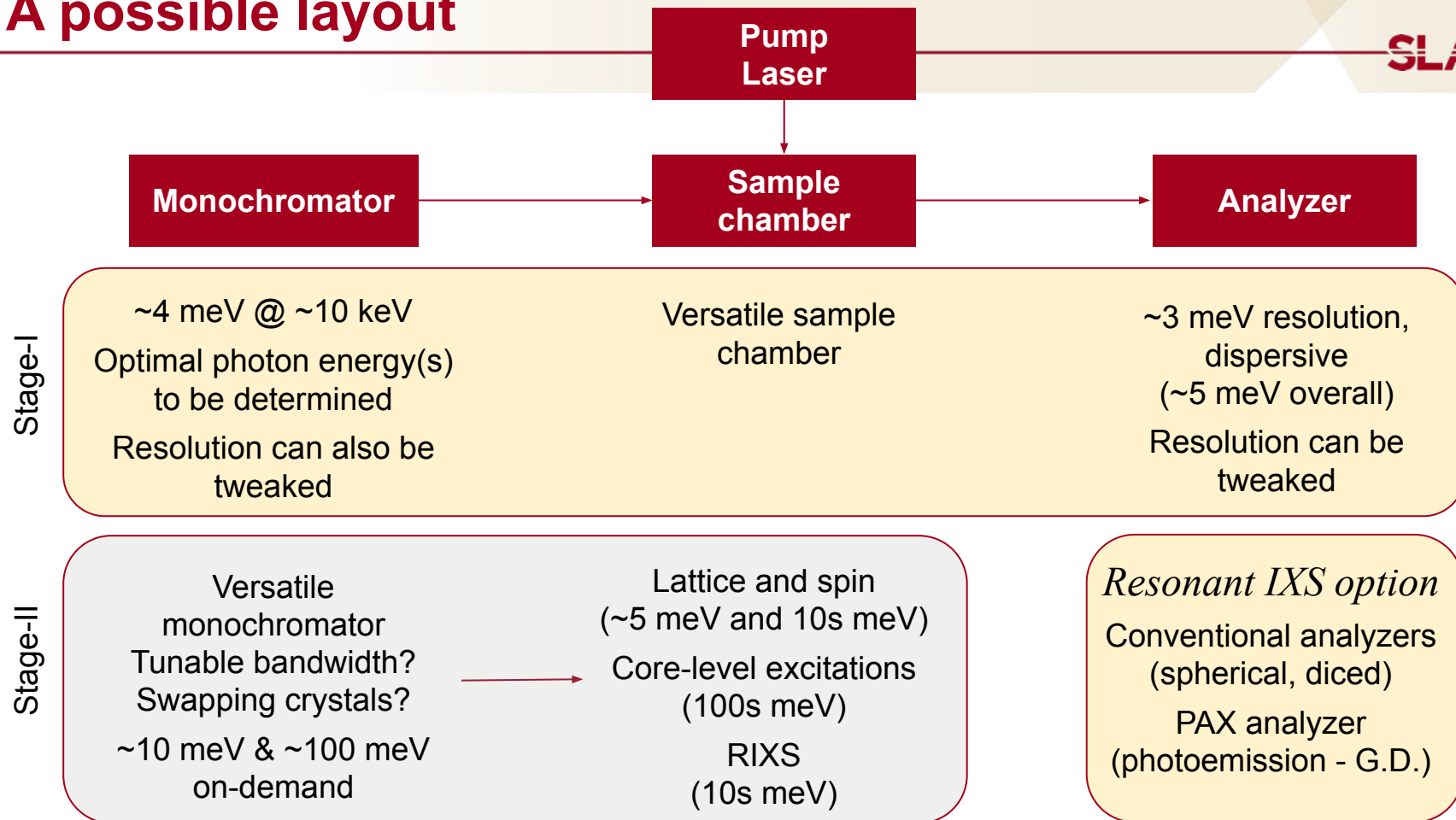
**Dispersion:**

With analyzer cube size of 1 mm, ~100 meV spectral range can be recorded without any scanning.

*Works at higher photon energies, polarization analysis of the scattered photons is not as easy.*

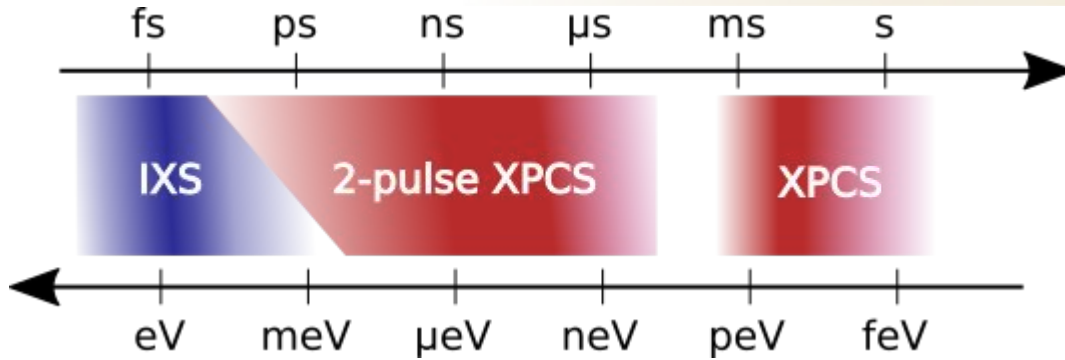
# A possible layout

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# Do we want/need to push the energy-resolution?

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**Also, FT-IXS?**