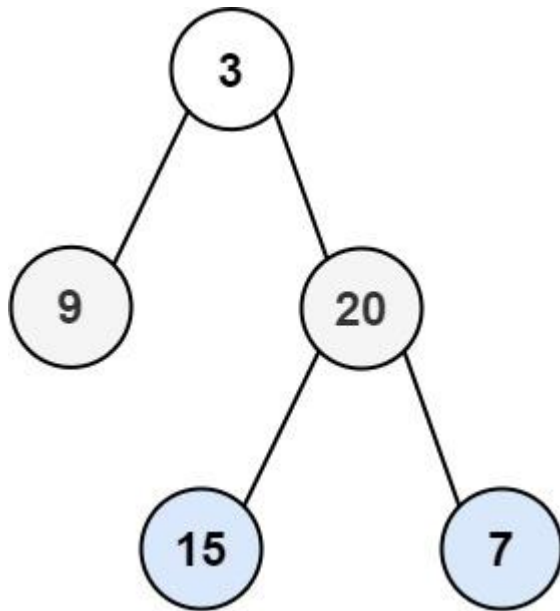


Binary Tree Zigzag Level Order Traversal

Given the root of a binary tree, return *the zigzag level order traversal of its nodes' values*. (i.e., from left to right, then right to left for the next level and alternate between).

Example 1:



Input: root = [3,9,20,null,null,15,7]

Output: [[3],[20,9],[15,7]]

Example 2:

Input: root = [1]

Output: [[1]]

Example 3:

Input: root = []
Output: []

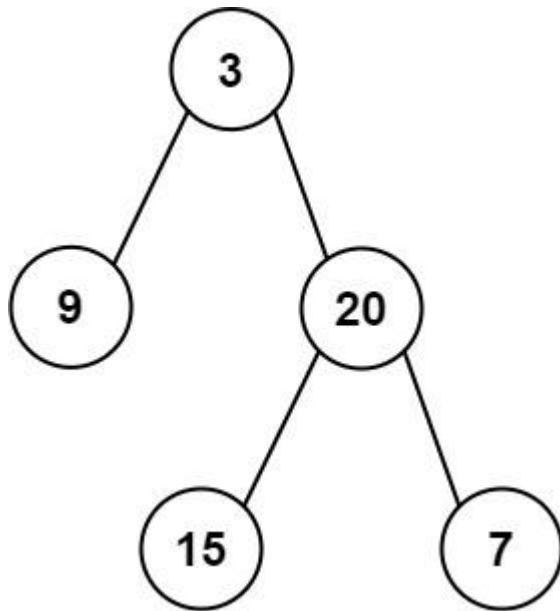
Constraints:

- The number of nodes in the tree is in the range $[0, 2000]$.
- $-100 \leq \text{Node.val} \leq 100$

Construct Binary Tree from Inorder and Postorder Traversal

Given two integer arrays `inorder` and `postorder` where `inorder` is the inorder traversal of a binary tree and `postorder` is the postorder traversal of the same tree, construct and return *the binary tree*.

Example 1:



Input: `inorder = [9,3,15,20,7]`, `postorder = [9,15,7,20,3]`

Output: `[3,9,20,null,null,15,7]`

Example 2:

Input: `inorder = [-1]`, `postorder = [-1]`

Output: `[-1]`

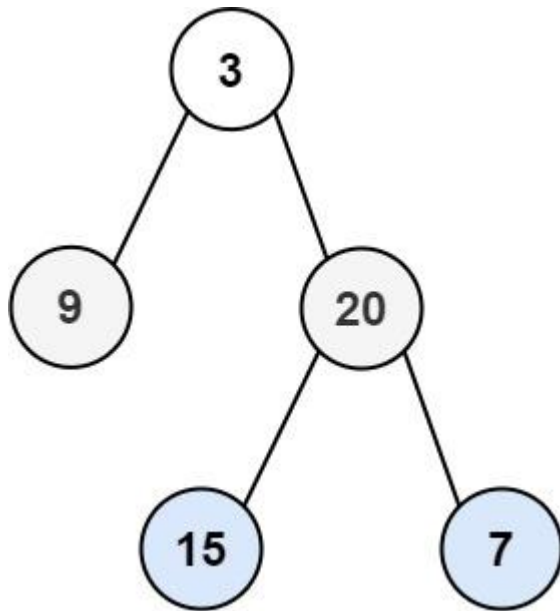
Constraints:

- `1 <= inorder.length <= 3000`
- `postorder.length == inorder.length`
- `-3000 <= inorder[i], postorder[i] <= 3000`
- `inorder` and `postorder` consist of **unique** values.
- Each value of `postorder` also appears in `inorder`.
- `inorder` is **guaranteed** to be the inorder traversal of the tree.
- `postorder` is **guaranteed** to be the postorder traversal of the tree.

Binary Tree Level Order Traversal II

Given the root of a binary tree, return *the bottom-up level order traversal of its nodes' values*. (i.e., from left to right, level by level from leaf to root).

Example 1:



Input: root = [3,9,20,null,null,15,7]

Output: [[15,7],[9,20],[3]]

Example 2:

Input: root = [1]

Output: [[1]]

Example 3:

Input: root = []
Output: []

Constraints:

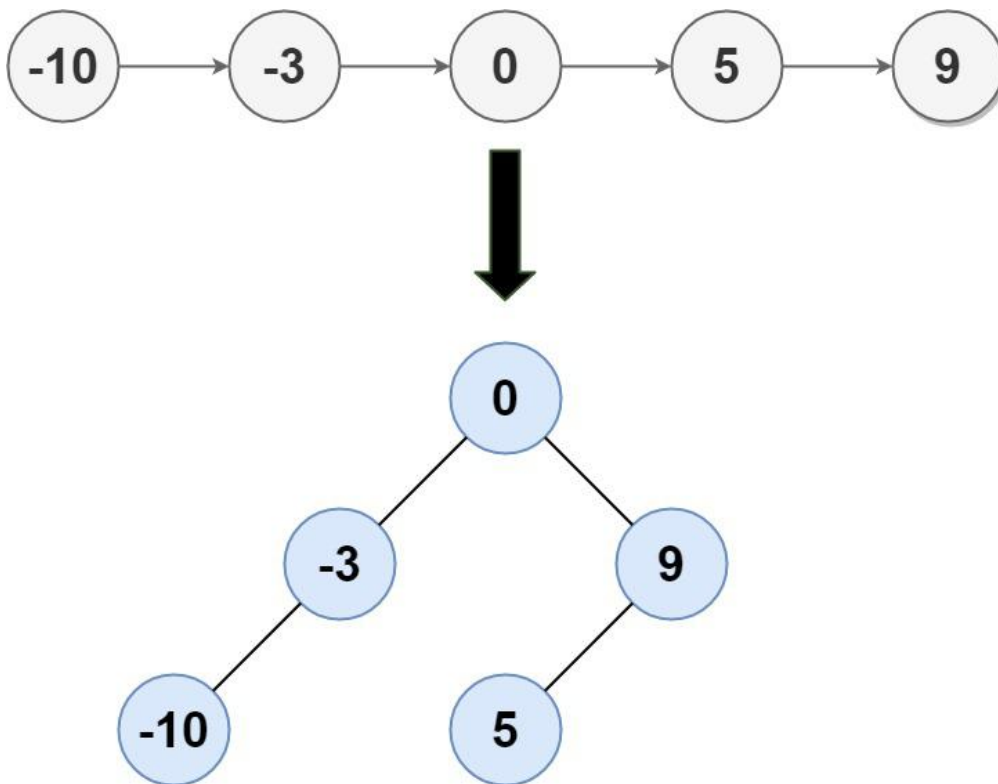
- The number of nodes in the tree is in the range $[0, 2000]$.
- $-1000 \leq \text{Node.val} \leq 1000$

Convert Sorted List to Binary Search Tree

Given the head of a singly linked list where elements are **sorted in ascending order**, convert it to a height balanced BST.

For this problem, a height-balanced binary tree is defined as a binary tree in which the depth of the two subtrees of *every* node never differ by more than 1.

Example 1:



Input: head = [-10,-3,0,5,9]

Output: [0,-3,9,-10,null,5]

Explanation: One possible answer is `[0,-3,9,-10,null,5]`, which represents the shown height balanced BST.

Example 2:

Input: `head = []`

Output: `[]`

Constraints:

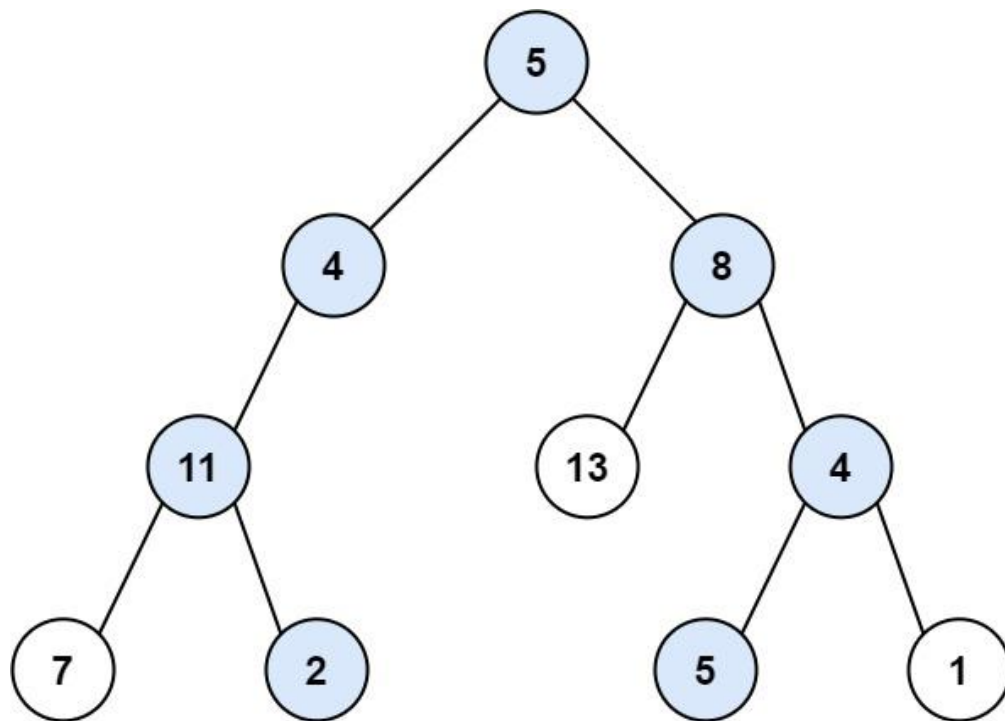
- The number of nodes in `head` is in the range $[0, 2 * 10^4]$.
- $-10^5 \leq \text{Node.val} \leq 10^5$

Path Sum II

Given the root of a binary tree and an integer `targetSum`, return *all **root-to-leaf** paths where the sum of the node values in the path equals `targetSum`. Each path should be returned as a list of the node **values**, not node references.*

A **root-to-leaf** path is a path starting from the root and ending at any leaf node. A **leaf** is a node with no children.

Example 1:



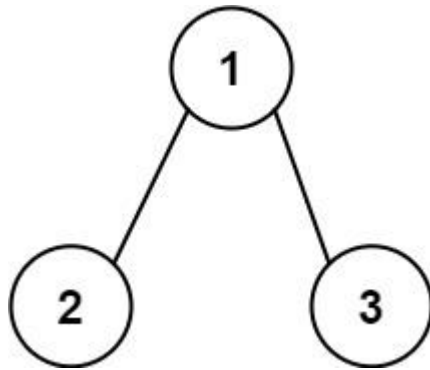
Input: `root = [5,4,8,11,null,13,4,7,2,null,null,5,1]`, `targetSum = 22`

Output: `[[5,4,11,2],[5,8,4,5]]`

Explanation: There are two paths whose sum equals `targetSum`:

$5 + 4 + 11 + 2 = 22$
 $5 + 8 + 4 + 5 = 22$

Example 2:



Input: root = [1,2,3], targetSum = 5

Output: []

Example 3:

Input: root = [1,2], targetSum = 0

Output: []

Constraints:

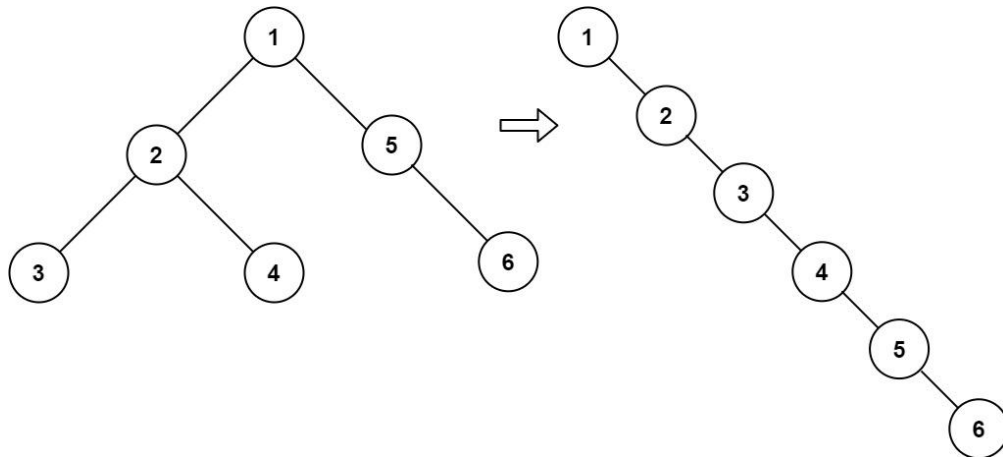
- The number of nodes in the tree is in the range [0, 5000].
- $-1000 \leq \text{Node.val} \leq 1000$
- $-1000 \leq \text{targetSum} \leq 1000$

Flatten Binary Tree to Linked List

Given the root of a binary tree, flatten the tree into a "linked list":

- The "linked list" should use the same `TreeNode` class where the `right` child pointer points to the next node in the list and the `left` child pointer is always `null`.
- The "linked list" should be in the same order as a [pre-order traversal](#) of the binary tree.

Example 1:



Input: root = [1,2,5,3,4,null,6]

Output: [1,null,2,null,3,null,4,null,5,null,6]

Example 2:

Input: root = []

Output: []

Example 3:

Input: root = [0]
Output: [0]

Constraints:

- The number of nodes in the tree is in the range $[0, 2000]$.
- $-100 \leq \text{Node.val} \leq 100$

Follow up: Can you flatten the tree in-place (with $O(1)$ extra space)?

Populating Next Right Pointers in Each Node

You are given a **perfect binary tree** where all leaves are on the same level, and every parent has two children. The binary tree has the following definition:

```
struct Node {  
    int val;  
    Node *left;  
    Node *right;  
    Node *next;  
}
```

Populate each next pointer to point to its next right node. If there is no next right node, the next pointer should be set to NULL.

Initially, all next pointers are set to NULL.

Example 1:

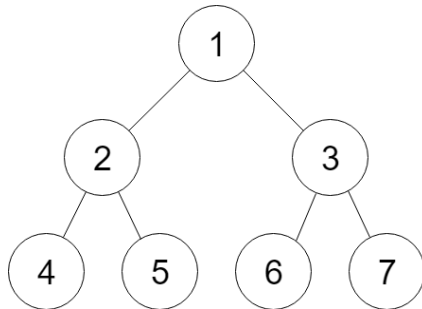


Figure A

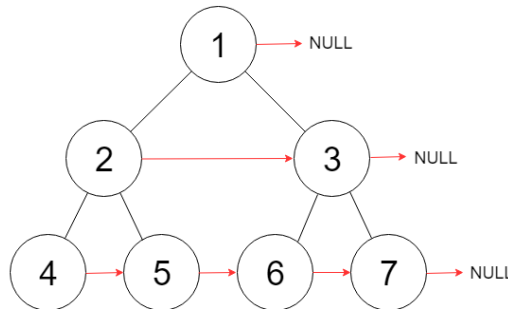


Figure B

Input: root = [1,2,3,4,5,6,7]

Output: [1,#,2,3,#,4,5,6,7,#]

Explanation: Given the above perfect binary tree (Figure A), your function should populate each next pointer to point to its next right node, just like in Figure B. The serialized

output is in level order as connected by the next pointers, with '#' signifying the end of each level.

Example 2:

Input: root = []

Output: []

Constraints:

- The number of nodes in the tree is in the range $[0, 2^{12} - 1]$.
- $-1000 \leq \text{Node.val} \leq 1000$

Follow-up:

- You may only use constant extra space.
- The recursive approach is fine. You may assume implicit stack space does not count as extra space for this problem.

Triangle

Given a triangle array, return *the minimum path sum from top to bottom*.

For each step, you may move to an adjacent number of the row below. More formally, if you are on index i on the current row, you may move to either index i or index $i + 1$ on the next row.

Example 1:

Input: triangle = [[2],[3,4],[6,5,7],[4,1,8,3]]

Output: 11

Explanation: The triangle looks like:

```
  2
 3 4
6 5 7
4 1 8 3
```

The minimum path sum from top to bottom is $2 + 3 + 5 + 1 = 11$ (underlined above).

Example 2:

Input: triangle = [[-10]]

Output: -10

Constraints:

- $1 \leq \text{triangle.length} \leq 200$
- $\text{triangle}[0].\text{length} == 1$
- $\text{triangle}[i].\text{length} == \text{triangle}[i - 1].\text{length} + 1$
- $-10^4 \leq \text{triangle}[i][j] \leq 10^4$

Follow up: Could you do this using only $O(n)$ extra space, where n is the total number of rows in the triangle?

Sum Root to Leaf Numbers

You are given the root of a binary tree containing digits from 0 to 9 only.

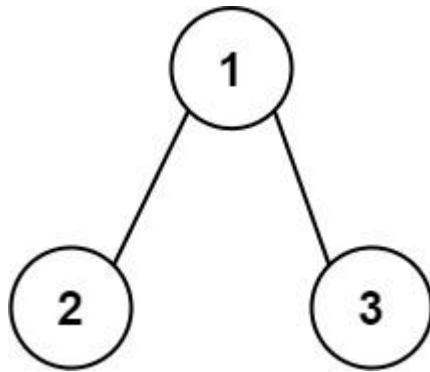
Each root-to-leaf path in the tree represents a number.

- For example, the root-to-leaf path 1 -> 2 -> 3 represents the number 123.

Return *the total sum of all root-to-leaf numbers*. Test cases are generated so that the answer will fit in a **32-bit** integer.

A **leaf** node is a node with no children.

Example 1:



Input: root = [1,2,3]

Output: 25

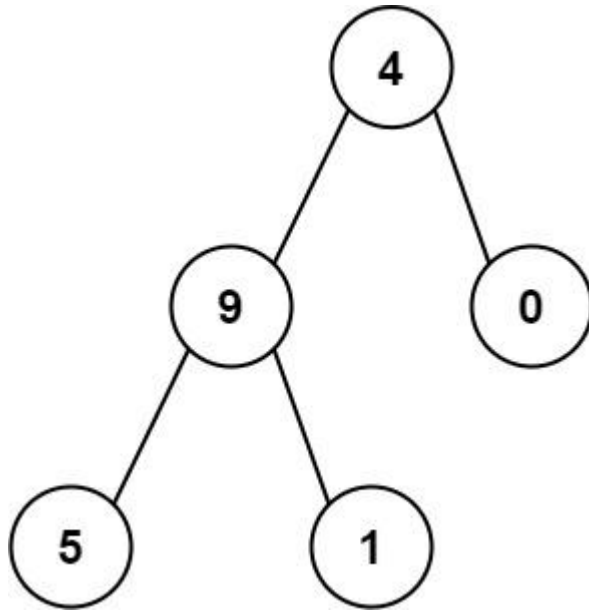
Explanation:

The root-to-leaf path 1->2 represents the number 12.

The root-to-leaf path 1->3 represents the number 13.

Therefore, sum = 12 + 13 = 25.

Example 2:



Input: root = [4,9,0,5,1]

Output: 1026

Explanation:

The root-to-leaf path 4->9->5 represents the number 495.

The root-to-leaf path 4->9->1 represents the number 491.

The root-to-leaf path 4->0 represents the number 40.

Therefore, sum = 495 + 491 + 40 = 1026.

Constraints:

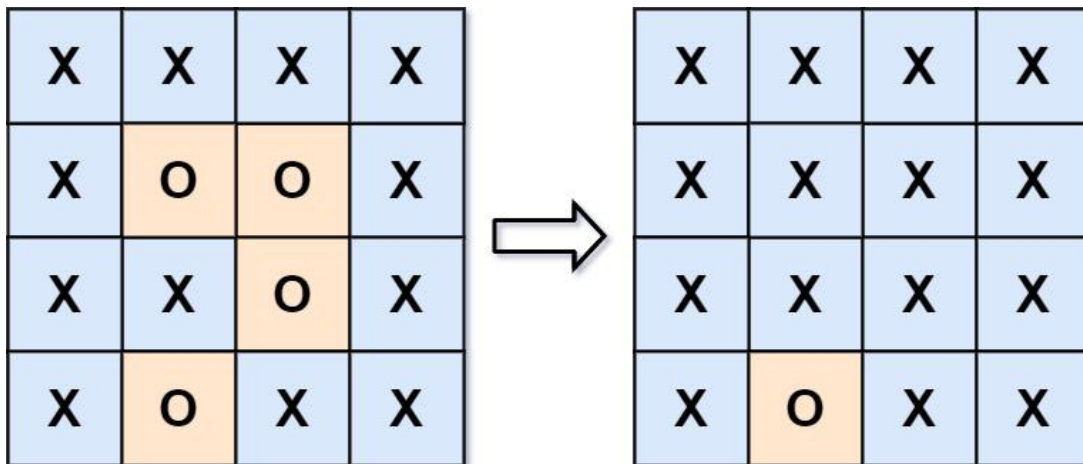
- The number of nodes in the tree is in the range [1, 1000].
- $0 \leq \text{Node.val} \leq 9$
- The depth of the tree will not exceed 10.

Surrounded Regions

Given an $m \times n$ matrix board containing 'X' and 'O', *capture all regions that are 4-directionally surrounded by 'X'*.

A region is **captured** by flipping all 'O's into 'X's in that surrounded region.

Example 1:



Input: board = [["X","X","X","X"],["X","O","O","X"],["X","X","O","X"],["X","O","X","X"]]

Output: [["X","X","X","X"],["X","X","X","X"],["X","X","X","X"],["X","O","X","X"]]

Explanation: Notice that an 'O' should not be flipped if:

- It is on the border, or
- It is adjacent to an 'O' that should not be flipped.

The bottom 'O' is on the border, so it is not flipped.

The other three 'O' form a surrounded region, so they are flipped.

Example 2:

Input: board = [["X"]]
Output: [["X"]]

Constraints:

- m == board.length
- n == board[i].length
- 1 <= m, n <= 200
- board[i][j] is 'X' or '0'.

My Calendar I

You are implementing a program to use as your calendar. We can add a new event if adding the event will not cause a **double booking**.

A **double booking** happens when two events have some non-empty intersection (i.e., some moment is common to both events.).

The event can be represented as a pair of integers `start` and `end` that represents a booking on the half-open interval $[start, end)$, the range of real numbers x such that $start \leq x < end$.

Implement the `MyCalendar` class:

- `MyCalendar()` Initializes the calendar object.
- `boolean book(int start, int end)` Returns `true` if the event can be added to the calendar successfully without causing a **double booking**. Otherwise, return `false` and do not add the event to the calendar.

Example 1:

Input

```
["MyCalendar", "book", "book", "book"]  
[[], [10, 20], [15, 25], [20, 30]]
```

Output

```
[null, true, false, true]
```

Explanation

```
MyCalendar myCalendar = new MyCalendar();  
myCalendar.book(10, 20); // return True  
myCalendar.book(15, 25); // return False, It can not be booked because time 15 is already  
booked by another event.  
myCalendar.book(20, 30); // return True, The event can be booked, as the first event takes  
every time less than 20, but not including 20.
```

Constraints:

- $0 \leq \text{start} < \text{end} \leq 10^9$
- At most 1000 calls will be made to book.

The Earliest Moment When Everyone Become Friends

Range Module

A Range Module is a module that tracks ranges of numbers. Design a data structure to track the ranges represented as **half-open intervals** and query about them.

A **half-open interval** $[left, right)$ denotes all the real numbers x where $left \leq x < right$.

Implement the RangeModule class:

- `RangeModule()` Initializes the object of the data structure.
- `void addRange(int left, int right)` Adds the **half-open interval** $[left, right)$, tracking every real number in that interval. Adding an interval that partially overlaps with currently tracked numbers should add any numbers in the interval $[left, right)$ that are not already tracked.
- `boolean queryRange(int left, int right)` Returns true if every real number in the interval $[left, right)$ is currently being tracked, and false otherwise.
- `void removeRange(int left, int right)` Stops tracking every real number currently being tracked in the **half-open interval** $[left, right)$.

Example 1:

Input

```
["RangeModule", "addRange", "removeRange", "queryRange", "queryRange", "queryRange"]  
[[], [10, 20], [14, 16], [10, 14], [13, 15], [16, 17]]
```

Output

```
[null, null, null, true, false, true]
```

Explanation

```
RangeModule rangeModule = new RangeModule();  
rangeModule.addRange(10, 20);  
rangeModule.removeRange(14, 16);  
rangeModule.queryRange(10, 14); // return True, (Every number in [10, 14) is being tracked)
```

```
rangeModule.queryRange(13, 15); // return False, (Numbers like 14, 14.03, 14.17 in [13, 15)
are not being tracked)
rangeModule.queryRange(16, 17); // return True, (The number 16 in [16, 17) is still being
tracked, despite the remove operation)
```

Constraints:

- $1 \leq \text{left} < \text{right} \leq 10^9$
- At most 10^4 calls will be made to `addRange`, `queryRange`, and `removeRange`.

Shortest Way to Form String

Random Pick with Weight

You are given a **0-indexed** array of positive integers w where $w[i]$ describes the **weight** of the i^{th} index.

You need to implement the function `pickIndex()`, which **randomly** picks an index in the range $[0, w.length - 1]$ (**inclusive**) and returns it. The **probability** of picking an index i is $w[i] / \text{sum}(w)$.

- For example, if $w = [1, 3]$, the probability of picking index 0 is $1 / (1 + 3) = 0.25$ (i.e., 25%), and the probability of picking index 1 is $3 / (1 + 3) = 0.75$ (i.e., 75%).

Example 1:

Input

```
["Solution","pickIndex"]  
[[[1]],[]]
```

Output

```
[null,0]
```

Explanation

```
Solution solution = new Solution([1]);  
solution.pickIndex(); // return 0. The only option is to return 0 since there is only one  
element in w.
```

Example 2:

Input

```
["Solution","pickIndex","pickIndex","pickIndex","pickIndex","pickIndex"]  
[[[1,3]],[],[],[],[],[]]
```

Output

```
[null,1,1,1,1,0]
```

Explanation

```
Solution solution = new Solution([1, 3]);  
solution.pickIndex(); // return 1. It is returning the second element (index = 1) that has a  
probability of 3/4.  
solution.pickIndex(); // return 1  
solution.pickIndex(); // return 1  
solution.pickIndex(); // return 1  
solution.pickIndex(); // return 0. It is returning the first element (index = 0) that has a  
probability of 1/4.
```

Since this is a randomization problem, multiple answers are allowed.
All of the following outputs can be considered correct:

```
[null,1,1,1,1,0]  
[null,1,1,1,1,1]  
[null,1,1,1,0,0]  
[null,1,1,1,0,1]  
[null,1,0,1,0,0]
```

.....

and so on.

Constraints:

- $1 \leq w.length \leq 10^4$
- $1 \leq w[i] \leq 10^5$
- `pickIndex` will be called at most 10^4 times.

Maximum AND Sum of Array

You are given an integer array `nums` of length `n` and an integer `numSlots` such that $2 * \text{numSlots} \geq n$. There are `numSlots` slots numbered from 1 to `numSlots`.

You have to place all `n` integers into the slots such that each slot contains at **most** two numbers. The **AND sum** of a given placement is the sum of the **bitwise AND** of every number with its respective slot number.

- For example, the **AND sum** of placing the numbers `[1, 3]` into slot 1 and `[4, 6]` into slot 2 is equal to $(1 \text{ AND } \underline{1}) + (3 \text{ AND } \underline{1}) + (4 \text{ AND } \underline{2}) + (6 \text{ AND } \underline{2}) = 1 + 1 + 0 + 2 = 4$.

Return *the maximum possible AND sum* of `nums` given `numSlots` slots.

Example 1:

Input: `nums = [1,2,3,4,5,6]`, `numSlots = 3`

Output: 9

Explanation: One possible placement is `[1, 4]` into slot 1, `[2, 6]` into slot 2, and `[3, 5]` into slot 3.

This gives the maximum AND sum of $(1 \text{ AND } \underline{1}) + (4 \text{ AND } \underline{1}) + (2 \text{ AND } \underline{2}) + (6 \text{ AND } \underline{2}) + (3 \text{ AND } \underline{3}) + (5 \text{ AND } \underline{3}) = 1 + 0 + 2 + 2 + 3 + 1 = 9$.

Example 2:

Input: `nums = [1,3,10,4,7,1]`, `numSlots = 9`

Output: 24

Explanation: One possible placement is `[1, 1]` into slot 1, `[3]` into slot 3, `[4]` into slot 4, `[7]` into slot 7, and `[10]` into slot 9.

This gives the maximum AND sum of $(1 \text{ AND } \underline{1}) + (1 \text{ AND } \underline{1}) + (3 \text{ AND } \underline{3}) + (4 \text{ AND } \underline{4}) + (7 \text{ AND } \underline{7}) + (10 \text{ AND } \underline{9}) = 1 + 1 + 3 + 4 + 7 + 8 = 24$.

Note that slots 2, 5, 6, and 8 are empty which is permitted.

Constraints:

- `n == nums.length`
- `1 <= numSlots <= 9`
- `1 <= n <= 2 * numSlots`
- `1 <= nums[i] <= 15`

RLE Iterator

We can use run-length encoding (i.e., **RLE**) to encode a sequence of integers. In a run-length encoded array of even length **encoding** (**0-indexed**), for all even i , **encoding** $[i]$ tells us the number of times that the non-negative integer value **encoding** $[i + 1]$ is repeated in the sequence.

- For example, the sequence `arr = [8,8,8,5,5]` can be encoded to be `encoding = [3,8,2,5]`. `encoding = [3,8,0,9,2,5]` and `encoding = [2,8,1,8,2,5]` are also valid **RLE** of `arr`.

Given a run-length encoded array, design an iterator that iterates through it.

Implement the `RLEIterator` class:

- `RLEIterator(int[] encoded)` Initializes the object with the encoded array `encoded`.
- `int next(int n)` Exhausts the next n elements and returns the last element exhausted in this way. If there is no element left to exhaust, return `-1` instead.

Example 1:

Input

```
["RLEIterator", "next", "next", "next", "next"]
```

```
[[[3, 8, 0, 9, 2, 5]], [2], [1], [1], [2]]
```

Output

```
[null, 8, 8, 5, -1]
```

Explanation

```
RLEIterator rLEIterator = new RLEIterator([3, 8, 0, 9, 2, 5]); // This maps to the sequence [8,8,8,5,5].
```

```
rLEIterator.next(2); // exhausts 2 terms of the sequence, returning 8. The remaining sequence is now [8, 5, 5].
```

```
rLEIterator.next(1); // exhausts 1 term of the sequence, returning 8. The remaining sequence is now [5, 5].
```

```
rLEIterator.next(1); // exhausts 1 term of the sequence, returning 5. The remaining sequence is now [5].
```

`rLEIterator.next(2);` // exhausts 2 terms, returning -1. This is because the first term exhausted was 5, but the second term did not exist. Since the last term exhausted does not exist, we return -1.

Constraints:

- $2 \leq \text{encoding.length} \leq 1000$
- `encoding.length` is even.
- $0 \leq \text{encoding}[i] \leq 10^9$
- $1 \leq n \leq 10^9$
- At most 1000 calls will be made to `next`.

Maximum Score of a Node Sequence

There is an **undirected** graph with n nodes, numbered from 0 to $n - 1$.

You are given a **0-indexed** integer array `scores` of length n where `scores[i]` denotes the score of node i . You are also given a 2D integer array `edges` where `edges[i] = [ai, bi]` denotes that there exists an **undirected** edge connecting nodes a_i and b_i .

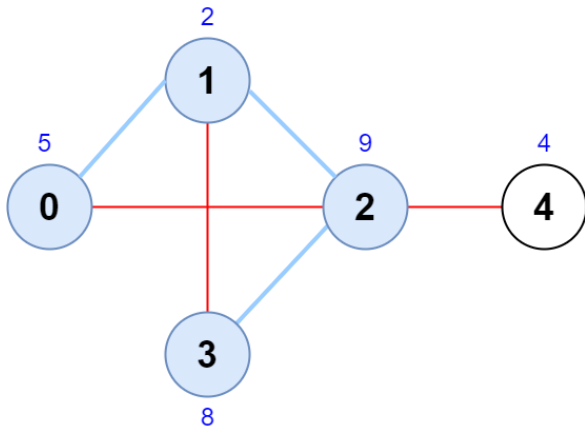
A node sequence is **valid** if it meets the following conditions:

- There is an edge connecting every pair of **adjacent** nodes in the sequence.
- No node appears more than once in the sequence.

The score of a node sequence is defined as the **sum** of the scores of the nodes in the sequence.

Return *the maximum score of a valid node sequence with a length of 4*. If no such sequence exists, return -1 .

Example 1:

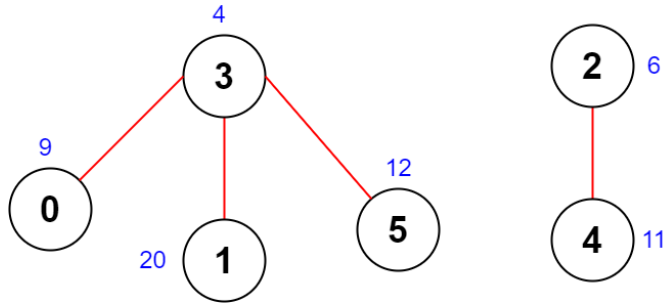


Input: `scores = [5,2,9,8,4]`, `edges = [[0,1],[1,2],[2,3],[0,2],[1,3],[2,4]]`

Output: 24

Explanation: The figure above shows the graph and the chosen node sequence $[0,1,2,3]$. The score of the node sequence is $5 + 2 + 9 + 8 = 24$. It can be shown that no other node sequence has a score of more than 24. Note that the sequences $[3,1,2,0]$ and $[1,0,2,3]$ are also valid and have a score of 24. The sequence $[0,3,2,4]$ is not valid since no edge connects nodes 0 and 3.

Example 2:



Input: scores = [9,20,6,4,11,12], edges = [[0,3],[5,3],[2,4],[1,3]]

Output: -1

Explanation: The figure above shows the graph.

There are no valid node sequences of length 4, so we return -1.

Constraints:

- $n == \text{scores.length}$
- $4 \leq n \leq 5 \cdot 10^4$
- $1 \leq \text{scores}[i] \leq 10^8$
- $0 \leq \text{edges.length} \leq 5 \cdot 10^4$
- $\text{edges}[i].\text{length} == 2$
- $0 \leq a_i, b_i \leq n - 1$
- $a_i \neq b_i$
- There are no duplicate edges.

Longest Line of Consecutive One in Matrix

Swim in Rising Water

You are given an $n \times n$ integer matrix `grid` where each value `grid[i][j]` represents the elevation at that point (i, j) .

The rain starts to fall. At time t , the depth of the water everywhere is t . You can swim from a square to another 4-directionally adjacent square if and only if the elevation of both squares individually are at most t . You can swim infinite distances in zero time. Of course, you must stay within the boundaries of the grid during your swim.

Return *the least time until you can reach the bottom right square $(n - 1, n - 1)$ if you start at the top left square $(0, 0)$.*

Example 1:

0	2
1	3

Input: `grid = [[0,2],[1,3]]`

Output: 3

Explanation:

At time 0, you are in grid location $(0, 0)$.

You cannot go anywhere else because 4-directionally adjacent neighbors have a higher elevation than $t = 0$.

You cannot reach point $(1, 1)$ until time 3.

When the depth of water is 3, we can swim anywhere inside the grid.

Example 2:

0	1	2	3	4
24	23	22	21	5
12	13	14	15	16
11	17	18	19	20
10	9	8	7	6

Input: grid = [[0,1,2,3,4],[24,23,22,21,5],[12,13,14,15,16],[11,17,18,19,20],[10,9,8,7,6]]

Output: 16

Explanation: The final route is shown.

We need to wait until time 16 so that (0, 0) and (4, 4) are connected.

Constraints:

- n == grid.length
- n == grid[i].length

- $1 \leq n \leq 50$
- $0 \leq \text{grid}[i][j] < n^2$
- Each value $\text{grid}[i][j]$ is **unique**.

Word Ladder II

A **transformation sequence** from word `beginWord` to word `endWord` using a dictionary `wordList` is a sequence of words `beginWord -> s1 -> s2 -> ... -> sk` such that:

- Every adjacent pair of words differs by a single letter.
- Every s_i for $1 \leq i \leq k$ is in `wordList`. Note that `beginWord` does not need to be in `wordList`.
- $s_k == \text{endWord}$

Given two words, `beginWord` and `endWord`, and a dictionary `wordList`, return *all the shortest transformation sequences from `beginWord` to `endWord`, or an empty list if no such sequence exists. Each sequence should be returned as a list of the words `[beginWord, s1, s2, ..., sk]`.*

Example 1:

Input: `beginWord = "hit", endWord = "cog", wordList = ["hot","dot","dog","lot","log","cog"]`

Output: `[["hit","hot","dot","dog","cog"],["hit","hot","lot","log","cog"]]`

Explanation: There are 2 shortest transformation sequences:

"hit" -> "hot" -> "dot" -> "dog" -> "cog"

"hit" -> "hot" -> "lot" -> "log" -> "cog"

Example 2:

Input: `beginWord = "hit", endWord = "cog", wordList = ["hot","dot","dog","lot","log"]`

Output: `[]`

Explanation: The endWord "cog" is not in wordList, therefore there is no valid transformation sequence.

Constraints:

- `1 <= beginWord.length <= 5`
- `endWord.length == beginWord.length`
- `1 <= wordList.length <= 500`
- `wordList[i].length == beginWord.length`
- `beginWord`, `endWord`, and `wordList[i]` consist of lowercase English letters.
- `beginWord != endWord`
- All the words in `wordList` are **unique**.
- The **sum** of all shortest transformation sequences does not exceed 10^5 .

Word Ladder

A **transformation sequence** from word `beginWord` to word `endWord` using a dictionary `wordList` is a sequence of words `beginWord -> s1 -> s2 -> ... -> sk` such that:

- Every adjacent pair of words differs by a single letter.
- Every s_i for $1 \leq i \leq k$ is in `wordList`. Note that `beginWord` does not need to be in `wordList`.
- $s_k == \text{endWord}$

Given two words, `beginWord` and `endWord`, and a dictionary `wordList`, return *the **number of words in the shortest transformation sequence** from `beginWord` to `endWord`, or 0 if no such sequence exists.*

Example 1:

Input: `beginWord = "hit", endWord = "cog", wordList = ["hot","dot","dog","lot","log","cog"]`
Output: 5
Explanation: One shortest transformation sequence is "hit" -> "hot" -> "dot" -> "dog" -> "cog", which is 5 words long.

Example 2:

Input: `beginWord = "hit", endWord = "cog", wordList = ["hot","dot","dog","lot","log"]`
Output: 0
Explanation: The endWord "cog" is not in wordList, therefore there is no valid transformation sequence.

Constraints:

- $1 \leq \text{beginWord.length} \leq 10$
- $\text{endWord.length} == \text{beginWord.length}$
- $1 \leq \text{wordList.length} \leq 5000$

- `wordList[i].length == beginWord.length`
- `beginWord`, `endWord`, and `wordList[i]` consist of lowercase English letters.
- `beginWord != endWord`
- All the words in `wordList` are **unique**.

Palindrome Partitioning II

Given a string S , partition S such that every substring of the partition is a palindrome.

Return *the minimum cuts needed* for a palindrome partitioning of S .

Example 1:

Input: $s = \text{"aab"}$

Output: 1

Explanation: The palindrome partitioning $[\text{"aa"}, \text{"b"}]$ could be produced using 1 cut.

Example 2:

Input: $s = \text{"a"}$

Output: 0

Example 3:

Input: $s = \text{"ab"}$

Output: 1

Constraints:

- $1 \leq s.length \leq 2000$
- s consists of lowercase English letters only.

Candy

There are n children standing in a line. Each child is assigned a rating value given in the integer array `ratings`.

You are giving candies to these children subjected to the following requirements:

- Each child must have at least one candy.
- Children with a higher rating get more candies than their neighbors.

Return *the minimum number of candies you need to have to distribute the candies to the children.*

Example 1:

Input: `ratings = [1,0,2]`

Output: 5

Explanation: You can allocate to the first, second and third child with 2, 1, 2 candies respectively.

Example 2:

Input: `ratings = [1,2,2]`

Output: 4

Explanation: You can allocate to the first, second and third child with 1, 2, 1 candies respectively.

The third child gets 1 candy because it satisfies the above two conditions.

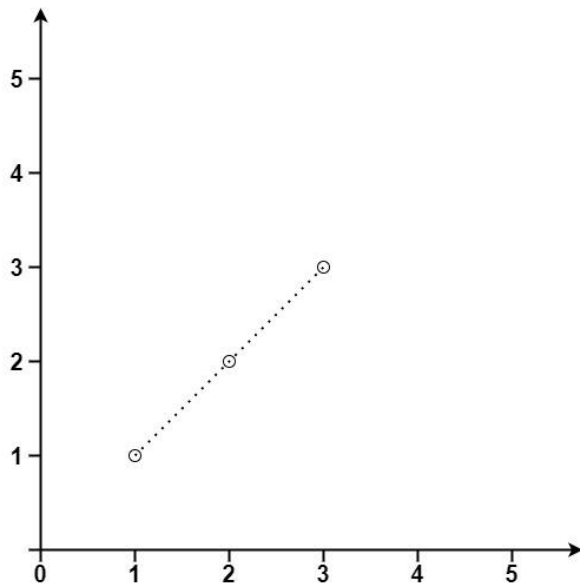
Constraints:

- $n == \text{ratings.length}$
- $1 \leq n \leq 2 * 10^4$
- $0 \leq \text{ratings}[i] \leq 2 * 10^4$

Max Points on a Line

Given an array of points where $\text{points}[i] = [x_i, y_i]$ represents a point on the **X-Y** plane, return *the maximum number of points that lie on the same straight line*.

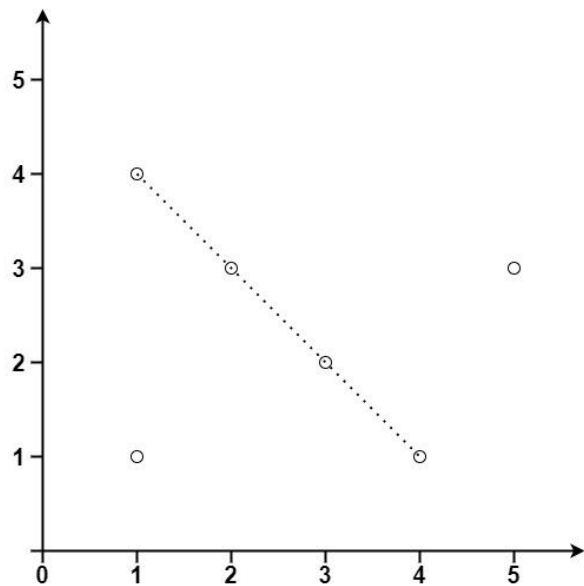
Example 1:



Input: `points = [[1,1],[2,2],[3,3]]`

Output: 3

Example 2:



Input: `points = [[1,1],[3,2],[5,3],[4,1],[2,3],[1,4]]`

Output: 4

Constraints:

- $1 \leq \text{points.length} \leq 300$
- $\text{points}[i].\text{length} == 2$
- $-10^4 \leq x_i, y_i \leq 10^4$
- All the points are **unique**.

