

BIOINFORMATICS Class – PROJECT part 2 Group 9
Neuroscience application
Brain network study during resting states

Appendix

This appendix includes the figures which are explained in the report

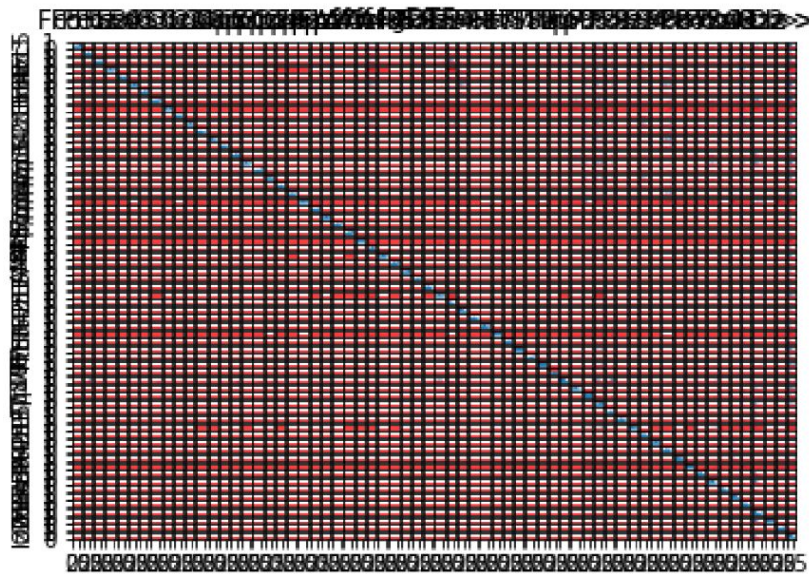


Figure1.1connDTF

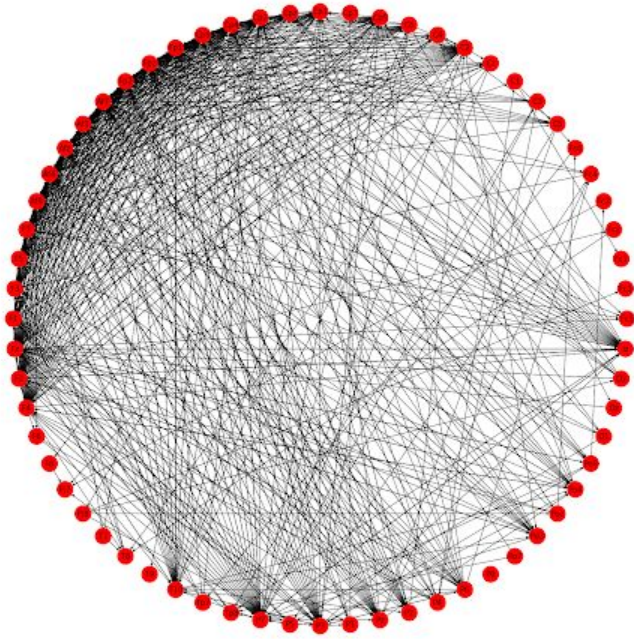


Figure1.1 GraphDTF

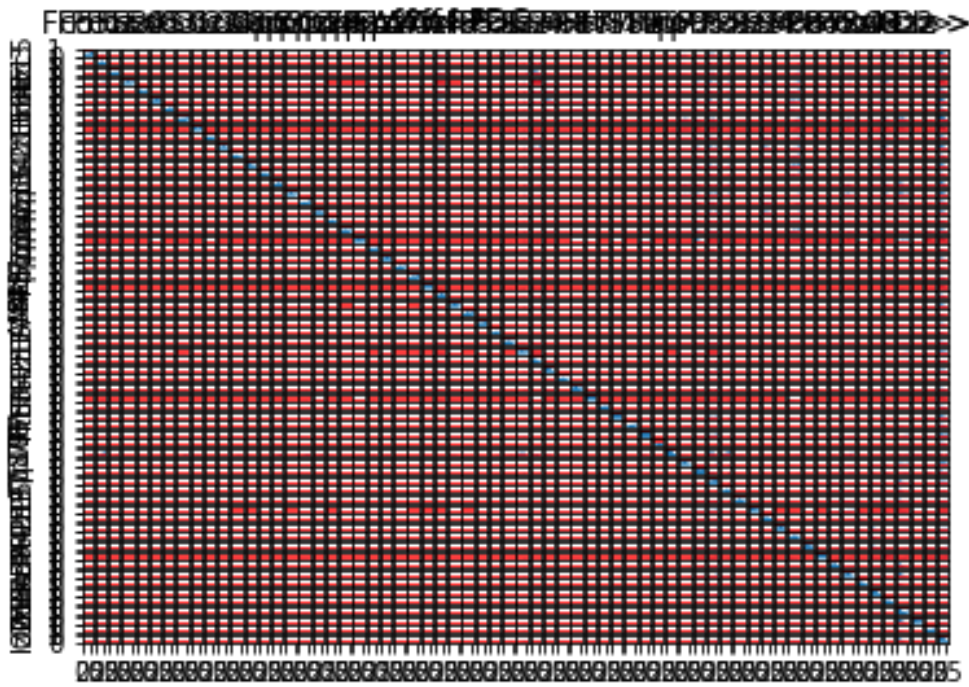


Figure1.2 connPDC

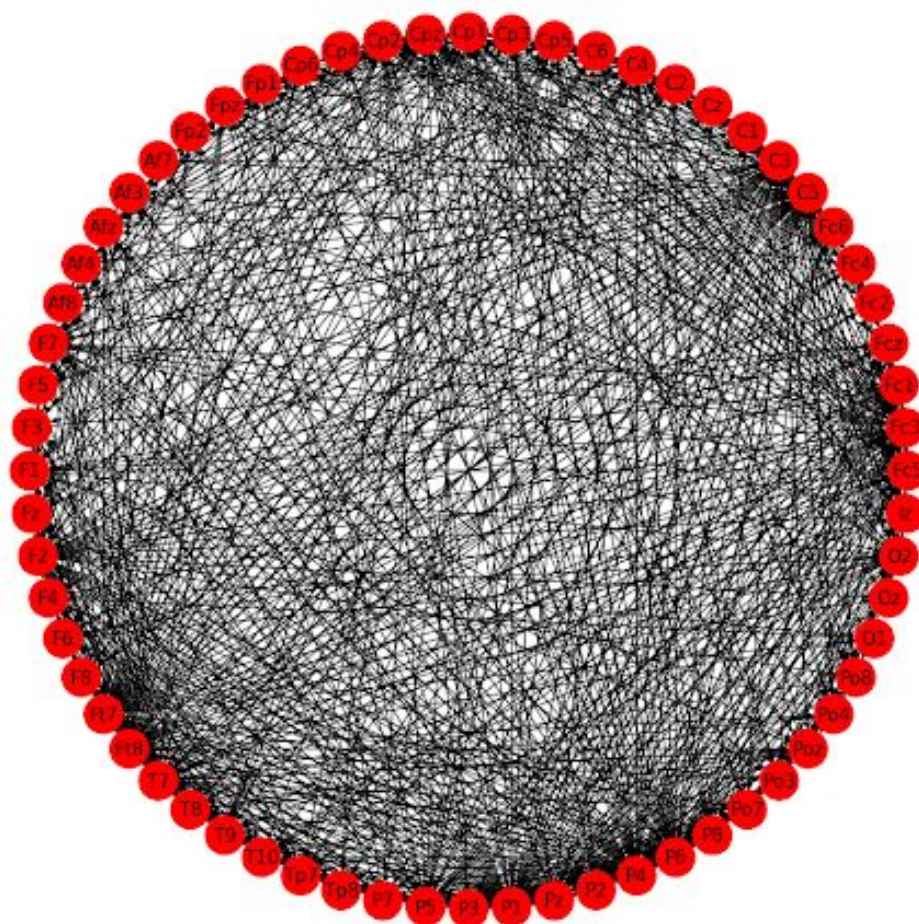


Figure1.2graphPDC

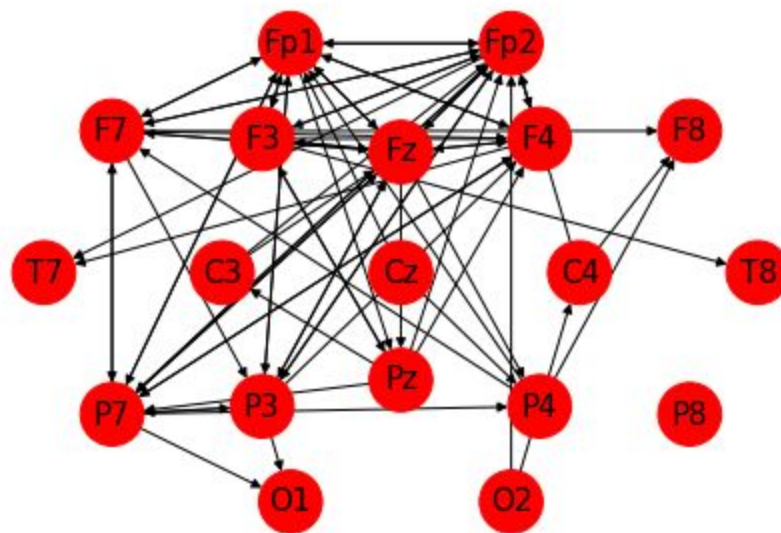


Figure1.5

```
[529]: nx.average_clustering(G_dtf.to_undirected())
[529]: 0.5549611432367636
```

Figure: 2.1.1 , Global Clustering Coefficients

```
[530]: nx.average_shortest_path_length(G_dtf)
[530]: 1.765625
```

Figure: 2.1.2 , Global Shortest Path Length

```
[116]: tmpList = []
       for n in G_1.nodes():
           tmpList.append([n, G_dtf.degree(n),G_dtf.in_degree(n),G_dtf.out_degree(n)])
       nodes_df = pd.DataFrame(tmpList, columns=['Node','Degree', 'In', 'Out'])
```

Figure: 2.1.3 , Code - Calculate nodes degrees

```
[118]:
```

	Node	Degree	In	Out
	24	Af7	73	39
	21	Fp1	67	36
	22	Fpz	66	33
	33	Fz	65	33
	27	Af4	64	31
	23	Fp2	61	32
	26	Afz	58	28
	20	Cp6	56	28
	28	Af8	56	30
	35	F4	55	24

Figure: 2.1.4 , top 10 nodes degrees

```
[502]: # the average degree:
nodes_df['Degree'].mean()/len(nodes_df)

[502]: 0.39990234375

[506]: erdos = nx.erdos_renyi_graph(64,0.4, directed=True)

[507]: nx.average_clustering(erdos.to_undirected())

[507]: 0.6388776780989694

[508]: nx.average_shortest_path_length(erdos)

[508]: 1.6063988095238095
```

Figure: 2.2.1 , Small world network indices (using Erdos Renyi)

```
[153]: G_pdc
nx.average_clustering(G_pdc.to_undirected())

[153]: 0.6437981099380977
```

Figure: 2.3.1 , Average Clustering Coefficient using PDC

```
[154]: nx.average_shortest_path_length(G_pdc)

[154]: 0.8467261904761905
```

Figure: 2.3.2 , Average Shortest Path length using PDC

```
[ ]: # find all the possible subgraphs in G_dtf
from itertools import permutations
subs = []
for item in permutations(list(G_dtf.nodes), 3):
    subs.append(item)

[357]: len(subs)

[357]: 249984
```

Figure: 3.1.1 , Number of all 3-node combinations

► 13 different isomorphic types of 3-node connected subgraph

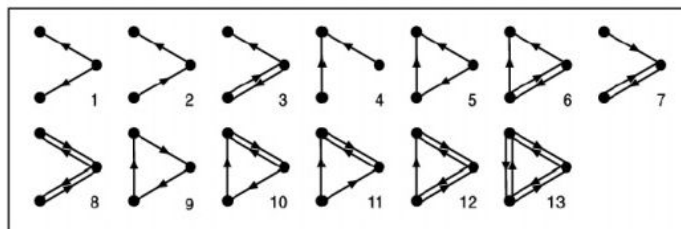


Figure: 3.1.2 , All 3-node motifs scenarios

```
[320]: mo_stats = [0]*13
for s in subs:
    mo_stats = [sum(x for x in zip(mo_stats, findMotif3(G_dtf, s)))]

[321]: # the number of the found 3-nodes motifs in the origianl graph:
mo_stats

[321]: [29950, 35526, 9000, 9398, 9398, 5391, 9398, 4966, 9000, 1566, 1566, 866, 435]
```

Figure: 3.1.3 , count of each motif foundings in the graph

```
[375]: # motif concentraion:
G_concentration = [round(x/len(subs)*1000,2) for x in mo_stats]
print(G_concentration)

[119.81, 142.11, 36.0, 37.59, 37.59, 21.57, 37.59, 19.87, 36.0, 6.26, 6.26, 3.46, 1.74]
```

Figure: 3.1.4 , concentration of each motif foundings in the graph

```
[342]: # create 50 random graph with same number of nodes and degree distribution:

random_graphs = []
for i in range(50):
    random_graphs.append(nx.expected_degree_graph(degrees))

[ ]: motif3 = []
for g in random_graphs:
    print(len(motif3))
    motif3.append(findMotif3(g))
```

Figure: 3.1.5 , Code, create 50 random graphs with same degree, and then calculate their motifs findings

```
[ ]: # checking the statistical representing of motifs:
motif_delta = []
for mo in R_concentration:
    motif_delta.append([(G_concentration[i] - mo[i]) / (G_concentration[i] + mo[i]) for i in range(13)])

#motif_delta

[389]: motif_stats = []
for i in range(13):
    motif_stats.append(round(sum([x[i] for x in motif_delta]) / len(motif_delta), 2))

[390]: print(motif_stats)

[0.37, 0.19, 0.24, -0.16, -0.16, 0.28, -0.15, 1.0, 0.22, 1.0, 1.0, 1.0, 1.0]
```

Figure: 3.1.6 , Code, The stats of the motifs in the 50 random graphs

```
[423]: #
G_32 = nx.DiGraph()
G_32.add_nodes_from(channels)
for ed in G_dtf.edges:
    for n in G_32.nodes:
        if n != ed[0] and n != ed[1]:
            if ed[1] in list(G_dtf.neighbors(n)):
                G_32.add_edge(ed[0], ed[1])
                G_32.add_edge(n, ed[1])
```

Figure: 3.2.1 , Code, create a graph of the edges of the motif no.04

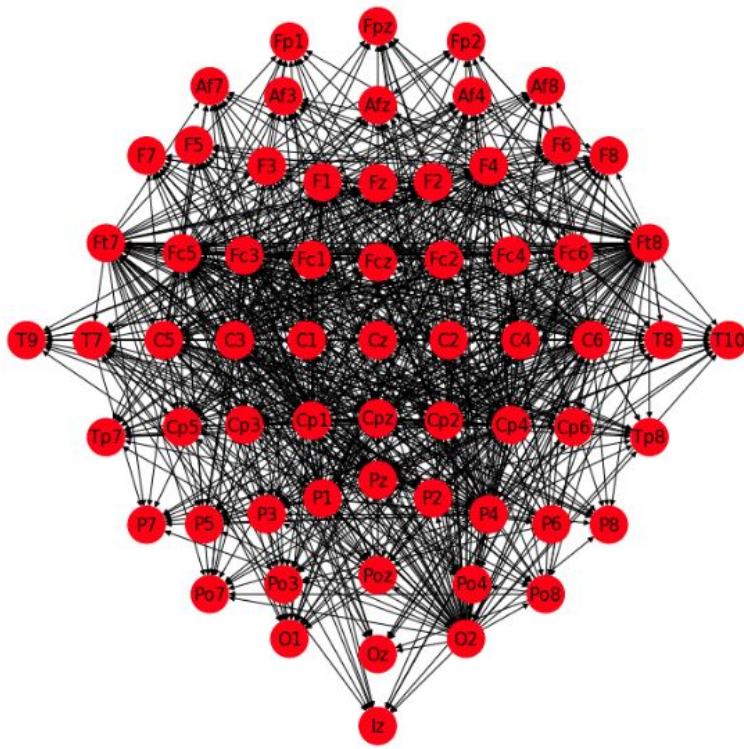


Figure: 3.2.2 , topographical representation of the networks considering only the connections involved in motif no.04