

# Project3 Fys3150

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## Abstract

## 1 Introduction

In this project we will implement a model called Molecular Dynamics (MD). MD allows us to study the dynamics of atoms and explore the phase space. The atoms interact through a force given as the negative gradient of a potential function. In this project we use the Lennard-Jones potential. With this force we can integrate Newton's laws. While exploring the phase space, we will sample statistical properties such as energy, temperature, pressure and heat capacity. Further we will look at phase transitions.

Initially we were given a C++ code skeleton containing the basic features of an MD code like the possibility to create atoms, a fully functional class for three-dimensional vectors, etc. The program creates 100 argon atoms and place them uniformly inside a box of 10 Angstroms ( $\text{\AA}$ ). Each atom is given a velocity according to the Maxwell-Boltzmann distribution. The program evolves the system in time with no forces so that all atoms move in a straight line. It creates a file called movie.xyz containing all timesteps so it can be visualized with Ovito. Throughout the whole project we study the properties of argon.

## 2 Modifications To the Code

### 2.1 Periodic Boundary Conditions

The first modification we do to the code is that we want to simulate a system of infinite size, eliminating boundary effects. In order to do so we apply periodic boundary conditions. We restrict ourselves to a square system so that  $L_x = L_y = L_z = L$  with  $L$  being the length of the box. Periodic boundary conditions ensures that if an atom leaves the box in any direction we give it a position keeping it in the box. It is implemented in the function *applyPeriodicBoundaryConditions* in the *System* class. For the  $x$ -direction we have the following algorithm

```

1 Assume that  $r_x$  is the position of the atom in the  $x$ -direction;
2 if  $r_x < 0$  then
3   |  $r_x = r_x + L_x$ ;
4 else if  $r_x \geq L_x$  then
5   |  $r_x = r_x - L_x$ 
6 end

```

**Algorithm 1:** Periodic Boundary Conditions

which is done exactly the same way in the  $y$  and  $z$ -direction.